

# Introduction to Neural Networks

CS405

# What are connectionist neural networks?

- Connectionism refers to a computer modeling approach to computation that is loosely based upon the architecture of the brain.
- Many different models, but all include:
  - Multiple, individual “nodes” or “units” that operate at the same time (in parallel)
  - A network that connects the nodes together
  - Information is stored in a distributed fashion among the links that connect the nodes
  - Learning can occur with gradual changes in connection strength

# Neural Network History

- History traces back to the 50's but became popular in the 80's with work by Rumelhart, Hinton, and McClelland
  - A General Framework for Parallel Distributed Processing in Parallel Distributed Processing: Explorations in the Microstructure of Cognition
- Peaked in the 90's. Today:
  - Hundreds of variants
  - Less a model of the actual brain than a useful tool, but still some debate
- Numerous applications
  - Handwriting, face, speech recognition
  - Vehicles that drive themselves
  - Models of reading, sentence production, dreaming
- Debate for philosophers and cognitive scientists
  - Can human consciousness or cognitive abilities be explained by a connectionist model or does it require the manipulation of symbols?

# Comparison of Brains and Traditional Computers



- 200 billion neurons, 32 trillion synapses
- Element size:  $10^{-6}$  m
- Energy use: 25W
- Processing speed: 100 Hz
- Parallel, Distributed
- Fault Tolerant
- Learns: Yes
- Intelligent/Conscious: Usually



- 1 billion bytes RAM but trillions of bytes on disk
- Element size:  $10^{-9}$  m
- Energy watt: 30-90W (CPU)
- Processing speed:  $10^9$  Hz
- Serial, Centralized
- Generally not Fault Tolerant
- Learns: Some
- Intelligent/Conscious: Generally No

# Biological Inspiration

Idea : To make the computer more robust, intelligent, and learn, ...  
Let's model our computer software (and/or hardware) after the brain

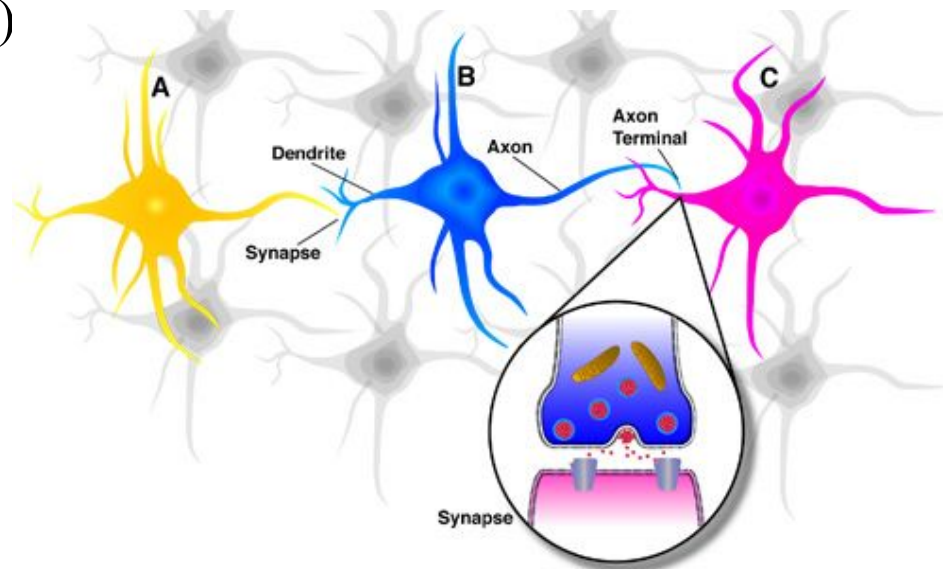
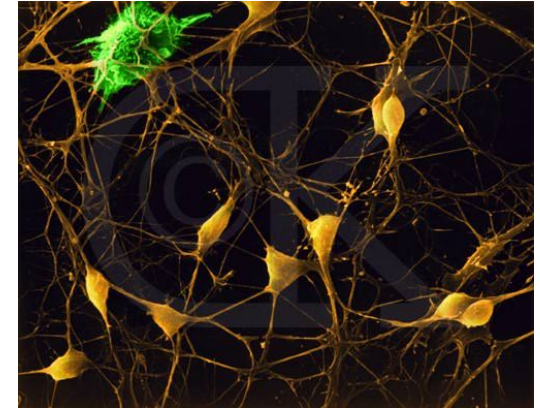


“My brain: It's my second favorite organ.”

- Woody Allen, from the movie Sleeper

# Neurons in the Brain

- Although heterogeneous, at a low level the brain is composed of neurons
  - A neuron receives input from other neurons (generally thousands) from its synapses
  - Inputs are approximately summed
  - When the input exceeds a threshold the neuron sends an electrical spike that travels that travels from the body, down the axon, to the next neuron(s)

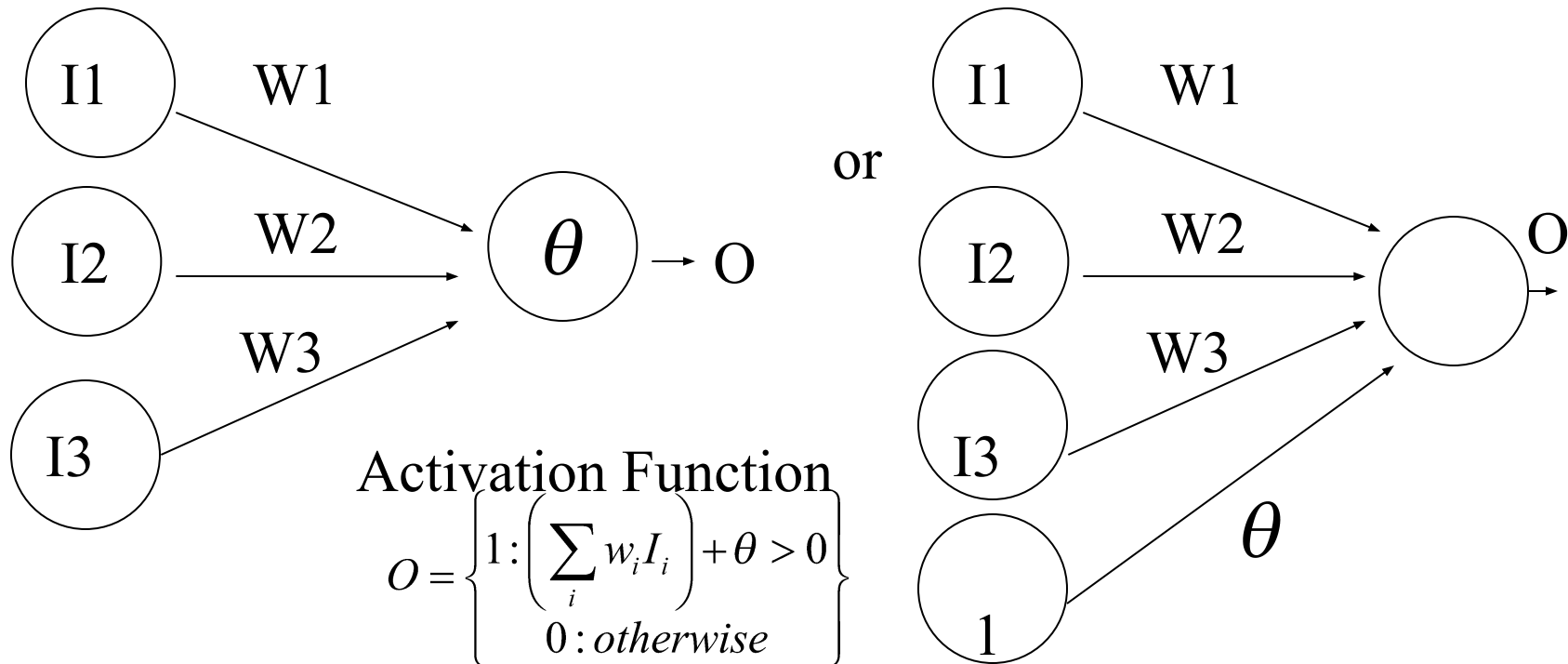


# Learning in the Brain

- Brains learn
  - Altering strength between neurons
  - Creating/deleting connections
- Hebb's Postulate (Hebbian Learning)
  - When an axon of cell A is near enough to excite a cell B and repeatedly or persistently takes part in firing it, some growth process or metabolic change takes place in one or both cells such that A's efficiency, as one of the cells firing B, is increased.
- Long Term Potentiation (LTP)
  - Cellular basis for learning and memory
  - LTP is the long-lasting strengthening of the connection between two nerve cells in response to stimulation
  - Discovered in many regions of the cortex

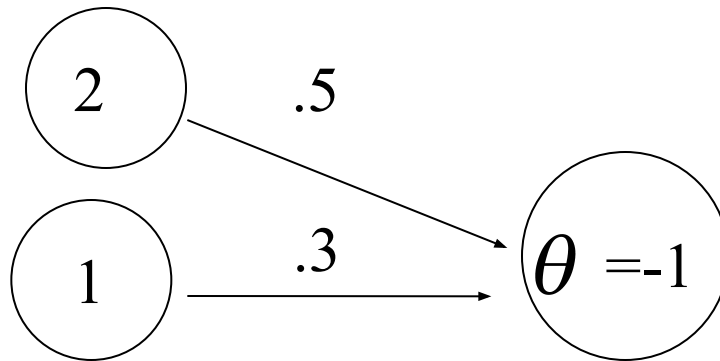
# Perceptrons

- Initial proposal of connectionist networks
- Rosenblatt, 50's and 60's
- Essentially a linear discriminant composed of nodes, weights





# Perceptron Example



$$2(0.5) + 1(0.3) + -1 = 0.3, O=1$$

Learning Procedure:

Randomly assign weights (between 0-1)

Present inputs from training data

Get output O, nudge weights to gives results toward our desired output T

Repeat; stop when no errors, or enough epochs completed

# Perception Training

$$w_i(t+1) = w_i(t) + \Delta w_i(t)$$

$$\Delta w_i(t) = (T - O)I_i$$

Weights include Threshold. T=Desired, O=Actual output.

Example: T=0, O=1, W1=0.5, W2=0.3, I1=2, I2=1, Theta=-1

$$w_1(t+1) = 0.5 + (0 - 1)(2) = -1.5$$

$$w_2(t+1) = 0.3 + (0 - 1)(1) = -0.7$$

$$w_\theta(t+1) = -1 + (0 - 1)(1) = -2$$

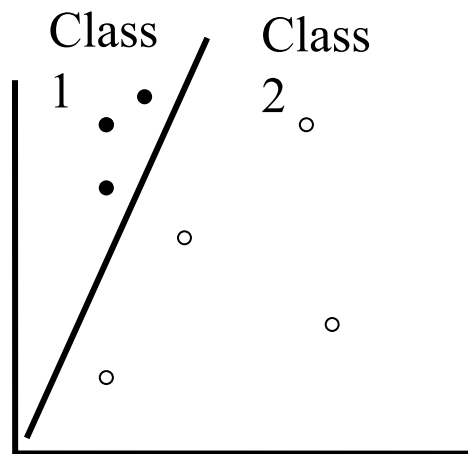
If we present this input again, we'd output 0 instead

# How might you use a perceptron network?

- This (and other networks) are generally used to learn how to make classifications
- Say you have collected some data regarding the diagnosis of patients with heart disease
  - Age, Sex, Chest Pain Type, Resting BPS, Cholesterol, ..., Diagnosis (<50% diameter narrowing, >50% diameter narrowing)
  - 67, 1, 4, 120, 229, ..., 1
  - 37, 1, 3, 130, 250, ... , 0
  - 41, 0, 2, 130, 204, ... , 0
- Train network to predict heart disease of new patient

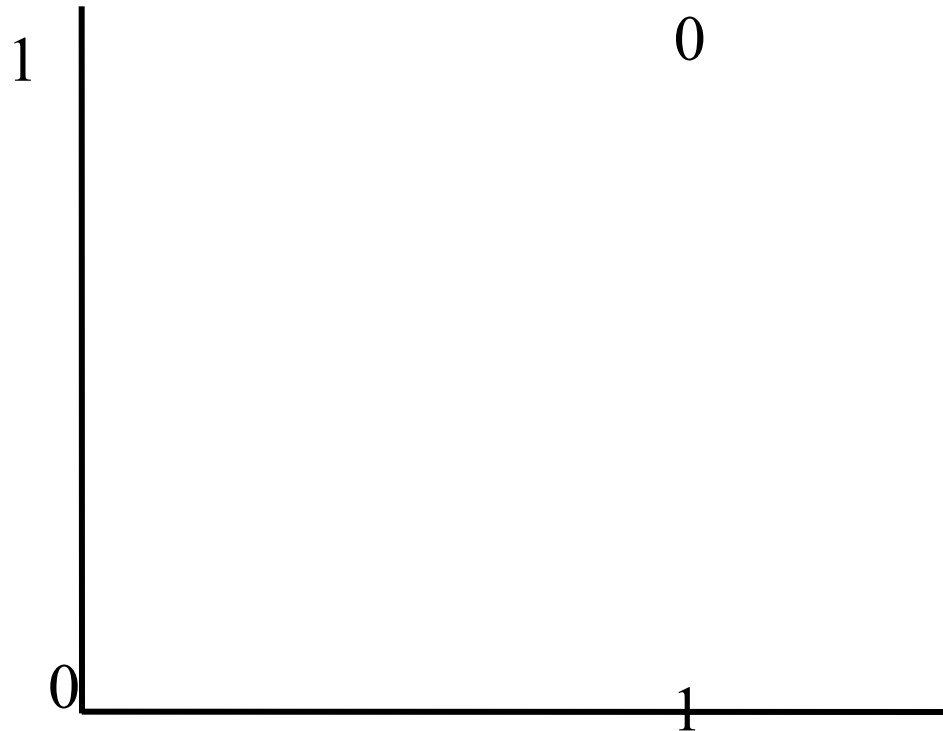
# Perceptrons

- Can add learning rate to speed up the learning process; just multiply in with delta computation
- Essentially a linear discriminant
- Perceptron theorem: If a linear discriminant exists that can separate the classes without error, the training procedure is guaranteed to find that line or plane.



# Exclusive Or (XOR) Problem

Input: 0,0 Output: 0  
Input: 0,1 Output: 1  
Input: 1,0 Output: 1  
Input: 1,1 Output: 0



XOR Problem: Not Linearly Separable!

We could however construct multiple layers of perceptrons to get around this problem. A typical multi-layered system minimizes LMS Error,

# LMS Learning

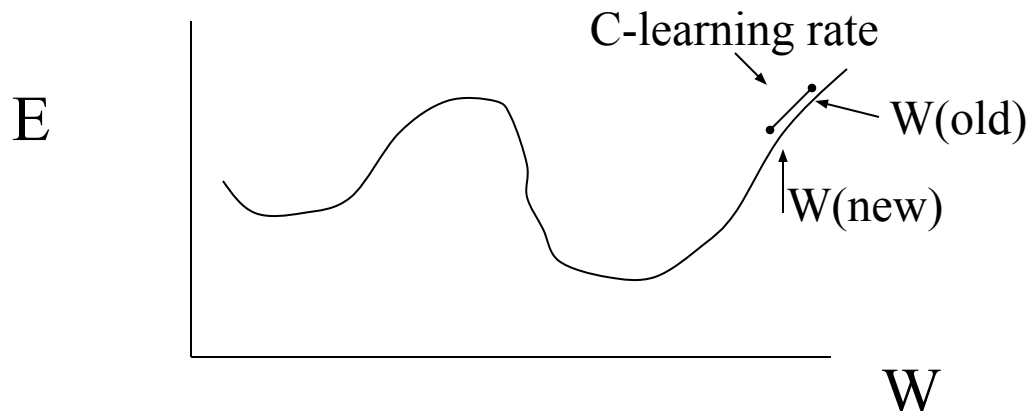
LMS = Least Mean Square learning Systems, more general than the previous perceptron learning rule. The concept is to minimize the total error, as measured over all training examples, P. O is the raw output, as calculated by  $\sum_i w_i I_i + \theta$

$$Distance(LMS) = \frac{1}{2} \sum_P (T_P - O_P)^2$$

E.g. if we have two patterns and

T1=1, O1=0.8, T2=0, O2=0.5 then  $D=(0.5)[(1-0.8)^2+(0-0.5)^2]=.145$

We want to minimize the LMS:



# LMS Gradient Descent

- Using LMS, we want to minimize the error. We can do this by finding the direction on the error surface that most rapidly reduces the error rate; this is finding the slope of the error function by taking the derivative. The approach is called gradient descent (similar to hill climbing).

To compute how much to change weight for link k:

$$\Delta w_k = -c \frac{\delta Error}{\delta w_k}$$

$$O_j = f(I W)$$

Chain rule:

$$\frac{\delta O_j}{\delta w_k} = I_k f'(ActivationFunction(I_k W_k))$$

$$\frac{\delta Error}{\delta w_k} = \frac{\delta Error}{\delta O_j} * \frac{\delta O_j}{\delta w_k}$$

$$\Delta w_k = -c(-(T_j - O_j))I_k f'(ActivationFunction)$$

$$\frac{\delta Error}{\delta O_j} = \frac{\delta \frac{1}{2} \sum_P (T_P - O_P)^2}{\delta O_j} = \frac{\delta \frac{1}{2} (T_j - O_j)^2}{\delta O_j} = -(T_j - O_j)$$

We can remove the sum since we are taking the partial derivative wrt  $O_j$

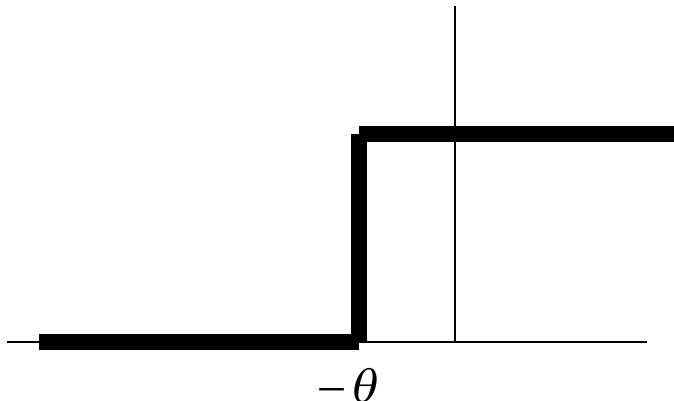
# Activation Function

- To apply the LMS learning rule, also known as the delta rule, we need a differentiable activation function.

$$\Delta w_k = c I_k (T_j - O_j) f'(ActivationFunction)$$

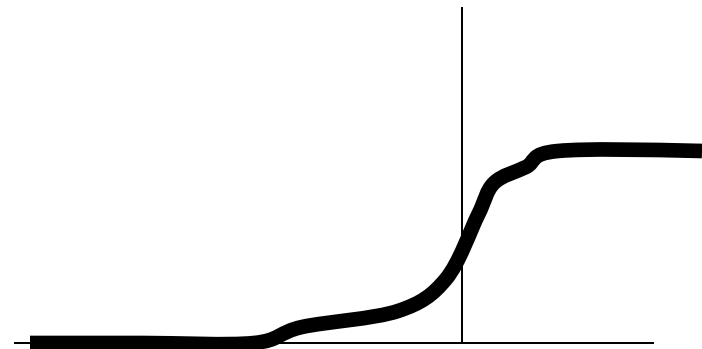
Old:

$$O = \begin{cases} 1 : \sum_i w_i I_i + \theta > 0 \\ 0 : otherwise \end{cases}$$



New:

$$O = \frac{1}{1 + e^{-\sum_i w_i I_i + \Theta}}$$



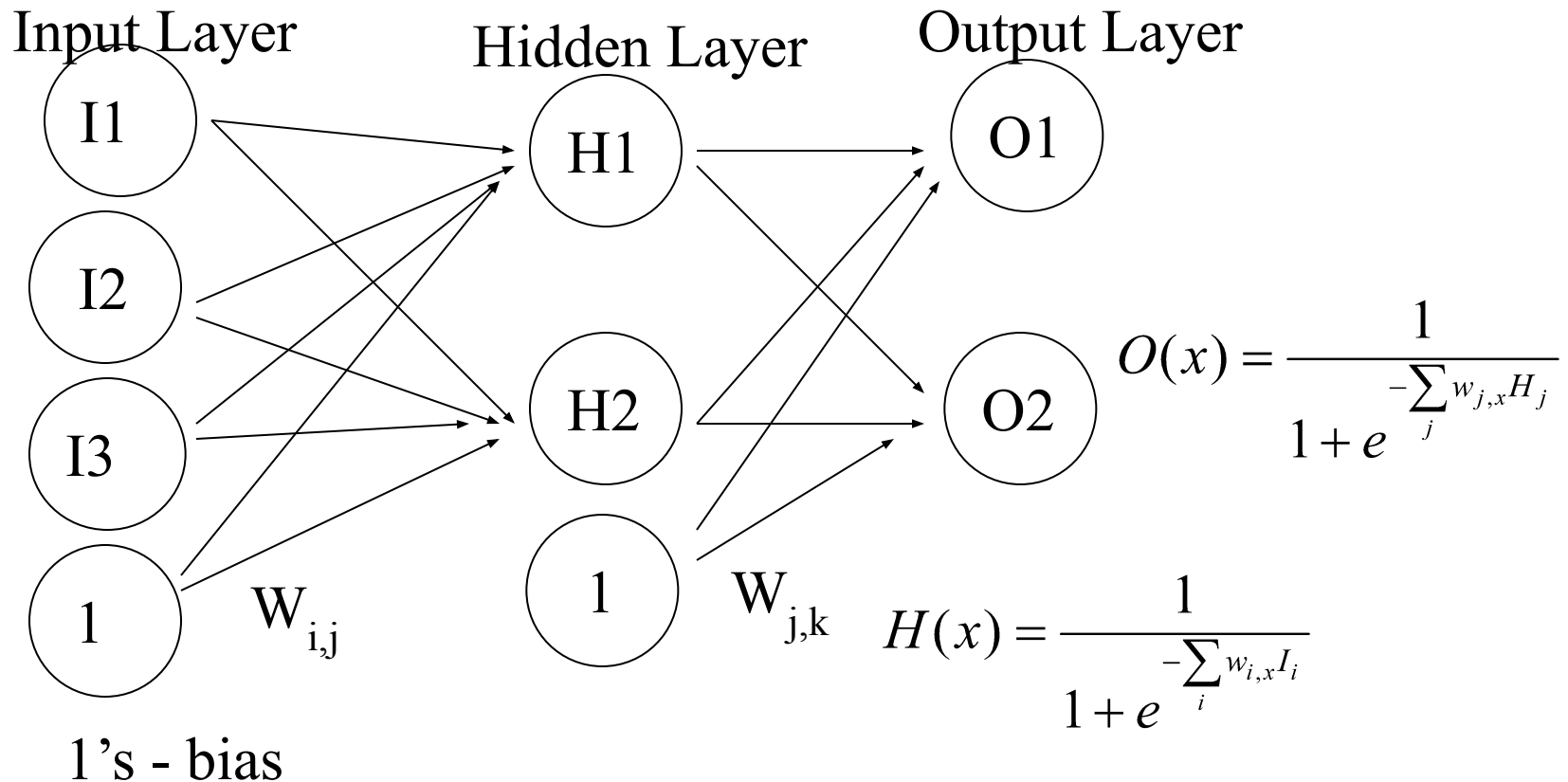


# LMS vs. Limiting Threshold

- With the new sigmoidal function that is differentiable, we can apply the delta rule toward learning.
- Perceptron Method
  - Forced output to 0 or 1, while LMS uses the net output
  - Guaranteed to separate, if no error and is linearly separable
    - Otherwise it may not converge
- Gradient Descent Method:
  - May oscillate and not converge
  - May converge to wrong answer
  - Will converge to some minimum even if the classes are not linearly separable, unlike the earlier perceptron training method

# Backpropagation Networks

- Attributed to Rumelhart and McClelland, late 70's
- To bypass the linear classification problem, we can construct *multilayer* networks. Typically we have *fully connected, feedforward* networks.



# Backprop - Learning

## Learning Procedure:

Randomly assign weights (between 0-1)

Present inputs from training data, propagate to outputs

Compute outputs  $O$ , adjust weights according to the delta rule, backpropagating the errors. The weights will be nudged closer so that the network learns to give the desired output.

Repeat; stop when no errors, or enough epochs completed

# Backprop - Modifying Weights

We had computed:

$$\Delta w_k = c I_k (T_j - O_j) f'(ActivationFunction); \quad f = \left( \frac{1}{1 + e^{-sum}} \right)$$

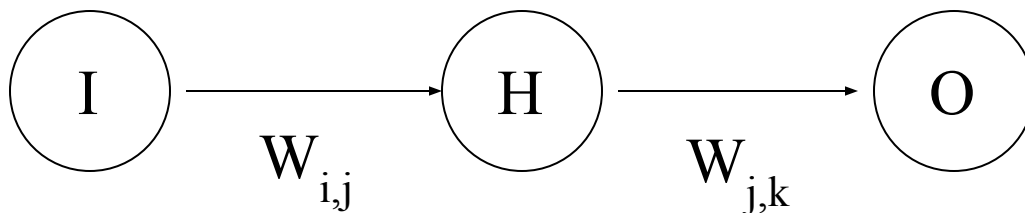
$$\Delta w_k = c I_k (T_j - O_j) (f(sum)(1 - f(sum)))$$

For the Output unit k,  $f(sum)=O(k)$ . For the output units, this is:

$$\Delta w_{j,k} = c H_j (T_k - O_k) O_k (1 - O_k)$$

For the Hidden units (skipping some math), this is:

$$\Delta w_{i,j} = c H_j (1 - H_j) I_i \sum_k (T_k - O_k) O_k (1 - O_k) w_{j,k}$$



# Backprop

- Very powerful - can learn any function, given enough hidden units! With enough hidden units, we can generate any function.
- Have the same problems of Generalization vs. Memorization. With too many units, we will tend to memorize the input and not generalize well. Some schemes exist to “prune” the neural network.
- Networks require extensive training, many parameters to fiddle with. Can be extremely slow to train. May also fall into local minima.
- Inherently parallel algorithm, ideal for multiprocessor hardware.
- Despite the cons, a very powerful algorithm that has seen widespread successful deployment.

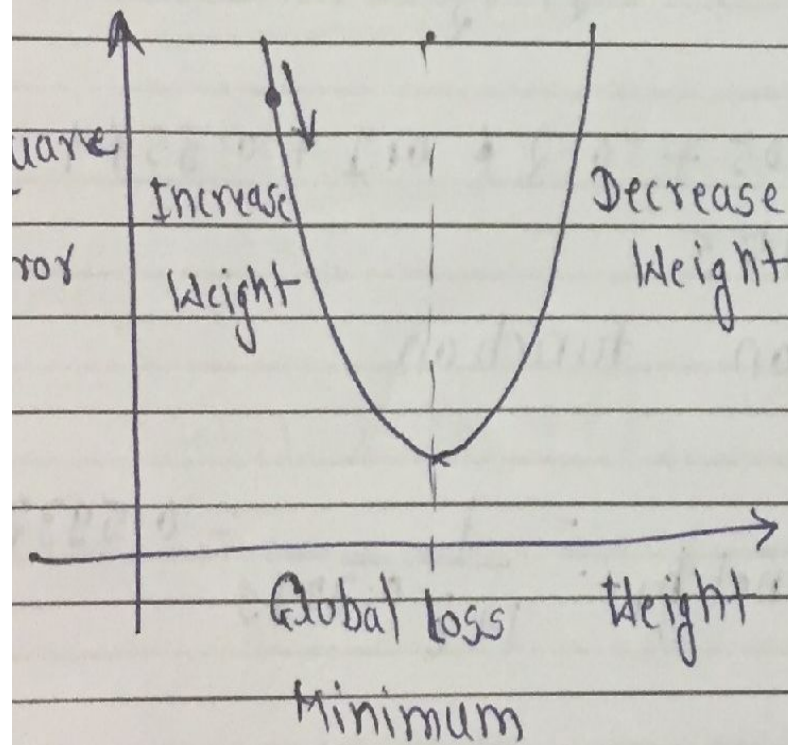
# Back Propagation Algorithm

Back Propagation Algorithm  
It is a supervised learning algorithm, for training Neural Networks.

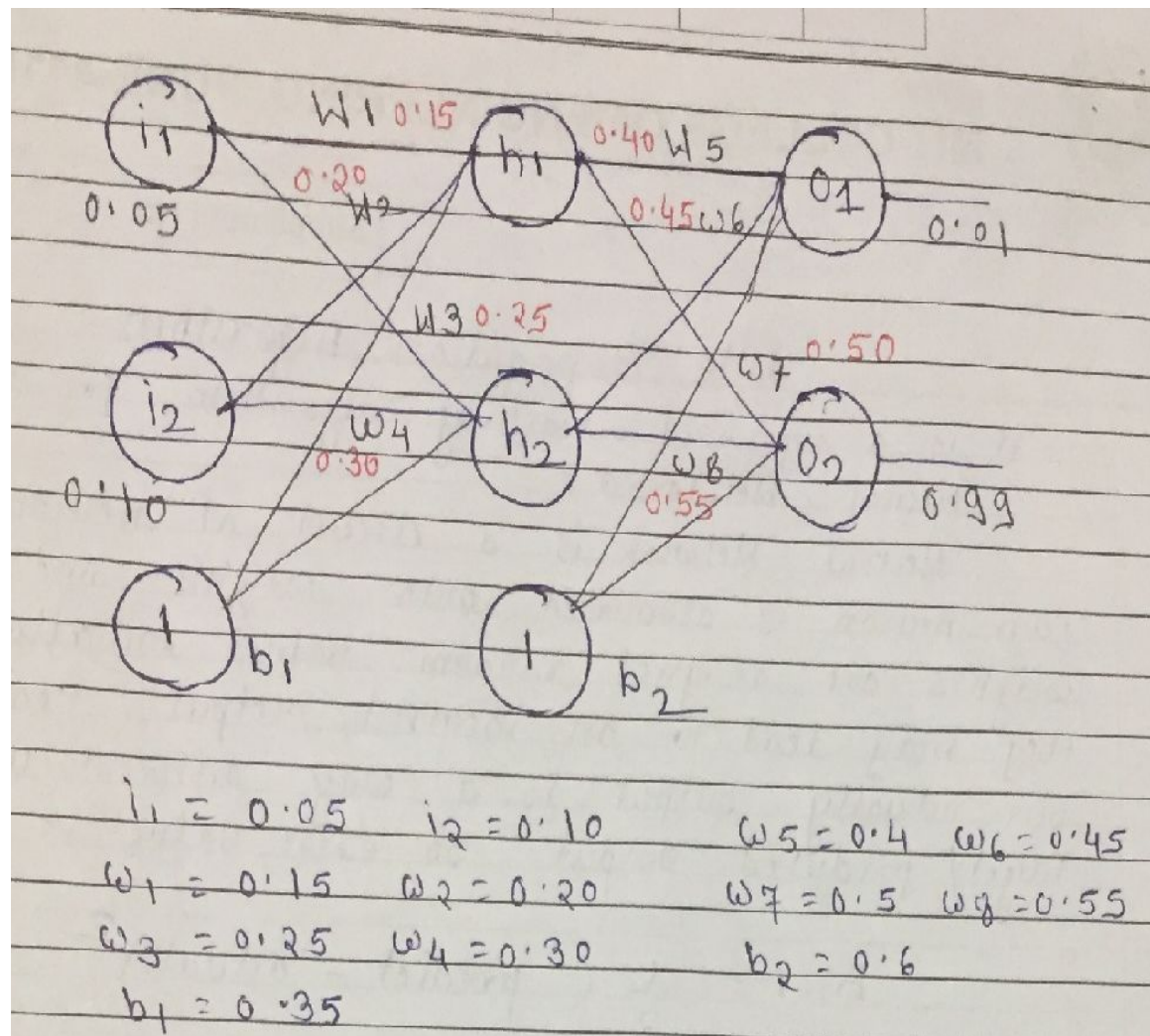
Neural Network is a circuit of neurons. Each neuron is associated with weights. And these weights are assigned random values initially. Hence they may lead to an incorrect output. Hence our actual output is a way different than the target / predicted output. So error value is high.

$$\text{Error} = \frac{1}{2} (\text{predict} - \text{actual})^2$$

## Gradient Descent

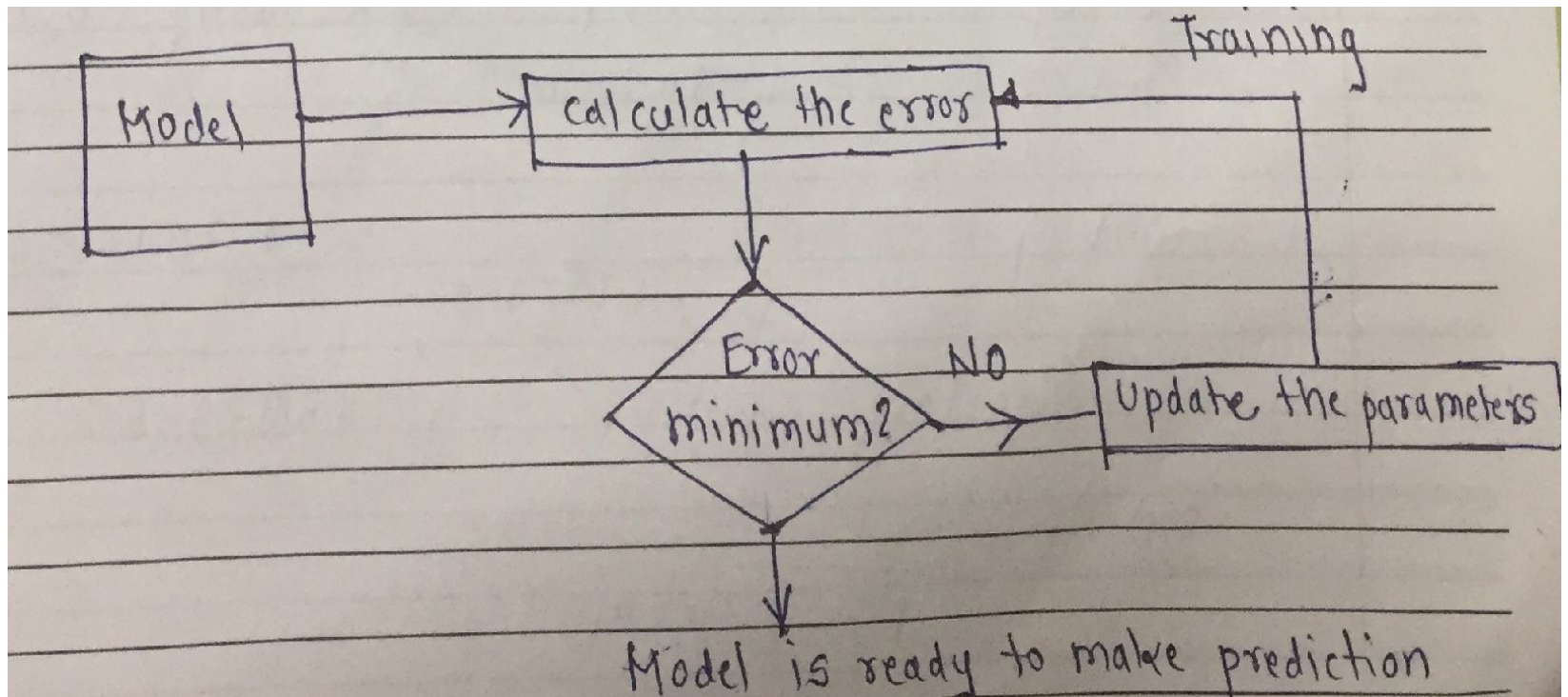


- Update the weights using gradient descent.
- Gradient descent is used for finding the minimum of a function.
- In our case we want to minimize the error function.





# Flow Chart



# Forward Pass

$$\text{net } h_1 = w_1 * i_1 + w_2 * i_2 + b_1 * 1$$

$$\text{net } h_1 = 0.15 * 0.05 + 0.2 * 0.1 + 0.35 * 1$$

$$\text{net } h_1 = 0.3775$$

Apply activation function

$$\text{out } h_1 = \frac{1}{1 + e^{-\text{net } h_1}} = \frac{1}{1 + e^{-0.3775}} = 0.593369$$

similarly,

$$\text{out } h_2 = 0.5968843$$

$$\text{net } o_1 = w_5 * \text{out } h_1 + w_6 * \text{out } h_2 + b_2 * 1$$

$$\text{net } o_1 = 1.1059059$$

$$\text{out } o_1 = \frac{1}{1 + e^{-1.105905}} = 0.35136507$$

$$\text{similarly, out } o_2 = 0.772928465$$

Calculating Total Error :

$$E_{\text{Total}} = \sum \frac{1}{2} (\text{target} - \text{output})^2$$

$$E_{O_1} = \frac{1}{2} (\text{target } O_1 - \text{out } O_1)^2$$

$$= 0.274811083$$

Similarly,

$$E_{O_2} = 0.0235600$$

$$E_{\text{Total}} = E_{O_1} + E_{O_2} = 0.29837109$$

# Backward Pass

## The Backward Pass

Update the weights using gradient descent so that they cause the predicted output to be closed to the actual output.

thereby minimizing the error for each output neuron and the network as a whole.

Output layer

Consider  $w_5$

$$\frac{\partial E_{\text{Total}}}{\partial w_5} = \frac{\partial E_{\text{Total}}}{\partial \text{out}_0} * \frac{\partial \text{out}_0}{\partial \text{net}_0} * \frac{\partial \text{net}_0}{\partial w_5}$$



Consider  $w_5$

$$\frac{\partial E_{\text{Total}}}{\partial w_5} = \frac{\partial E_{\text{Total}}}{\partial \text{out } o_1} * \frac{\partial \text{out } o_1}{\partial \text{net } o_1} * \frac{\partial \text{net } o_1}{\partial w_5}$$

$$E_{\text{Total}} = E_{o_1} + E_{o_2} \quad E_{o_1} = \frac{1}{2} (\text{target } o_1 - \text{out } o_1)^2$$

$$\text{out } o_1 = \frac{1}{1 + e^{-\text{net } o_1}}$$

$$\text{net } o_1 = w_5 * \text{out } o_1 + w_5 * \text{out } o_2 + b_2 * 1$$

$$E_{\text{Total}} = \frac{1}{2} (\text{target } o_1 - \text{out } o_1)^2 + \frac{1}{2} (\text{target } o_2 - \text{out } o_2)^2$$

$$\frac{\partial E_{\text{Total}}}{\partial \text{out } o_1} = \frac{1}{2} * 2 (\text{target } o_1 - \text{out } o_1) * -1 + 0 \downarrow$$

$$= - (\text{target } o_1 - \text{out } o_1)$$

$$= - (0.01 - 0.75136507)$$

$$= 0.74136507$$

$$= (0.01 - 0.75136507)$$

We perform the actual updates on the neural net after we have the new weights loading into the hidden layer neurons. (ie we use the original weights, not the updated weights, when we continue the back propagation algorithm)

### Hidden layer

Consider  $w_1$

$$\frac{\partial E_{total}}{\partial w_1} = \frac{\partial E_{total}}{\partial out_{h1}} * \frac{\partial out_{h1}}{\partial net_{h1}} * \frac{\partial net_{h1}}{\partial w_1}$$

$$\frac{\partial E_{total}}{\partial out_{h1}} = \frac{\partial E_{o1}}{\partial out_{h1}} + \frac{\partial E_{o2}}{\partial out_{h1}}$$

$$E_{o1} = \frac{1}{2} (\text{target} - \underset{\substack{\uparrow \\ \text{out } o1}}{\text{actual}})^2$$

$$out_{o1} = \frac{1}{1 + e^{-net_{o1}}} \quad net_{o1} = w_5 * out_{h1} + w_6 * out_{h2} + b_2 * 1$$

$$\frac{\partial net_{o1}}{\partial out_{h1}} = w_5$$

$$\frac{\partial E_{total}}{\partial out_{h_1}} = \frac{\partial E_{o1}}{\partial out_{o1}} + \frac{\partial out_{o1}}{\partial net_{o1}} + \frac{\partial net_{o1}}{\partial out_{h_1}}$$

$$\frac{\partial E_{total}}{\partial out_{h_1}} = \frac{\partial E_{o1}}{\partial net_{o1}} + \frac{\partial net_{o1}}{\partial out_{h_1}} = 0.138498562 + 0.40$$

$$= 0.055399425$$

$$\frac{\partial E_{o2}}{\partial out_{h_1}} = 0.019049119$$

$$\frac{\partial E_{total}}{\partial out_{h_1}} = \frac{\partial E_{o1}}{\partial out_{h_1}} + \frac{\partial E_{o2}}{\partial out_{h_1}}$$

$$= 0.055399425 - 0.019049119$$

$$= 0.036350306$$

$$\frac{\partial E_{total}}{\partial w_1} = \frac{\partial E_{total}}{\partial out_{h1}} * \frac{\partial out_{h1}}{\partial net_{h1}} * \frac{\partial net_{h1}}{\partial w_1}$$

$$out_{h1} = \frac{1}{1 + e^{-net_{h1}}}$$

$$\frac{\partial out_{h1}}{\partial net_{h1}} = out_{h1} (1 - out_{h1})$$

$$= 0.241300709$$

$$net_{h1} = w_1 * i_1 + w_2 * i_2 + b_1 * 1$$

$$\frac{\partial net_{h1}}{\partial w_1} = i_1 = 0.05$$

$$\frac{\partial E_{total}}{\partial w_1} = 0.036350306 * 0.241300709 * 0.05$$

$$= 0.000438568$$

Update weight  $w_1$

$$w_1 = w_1 - \eta * \frac{\partial E_{total}}{\partial w_1}$$

$$= 0.15 - 0.5 * 0.00438568$$



$$w_2^+ = 0.19956443$$

$$w_3^+ = 0.24975114$$

$$w_4^+ = 0.29950229$$

Feed for  $w$  and

Repeat 10,000 times

# Unsupervised Learning

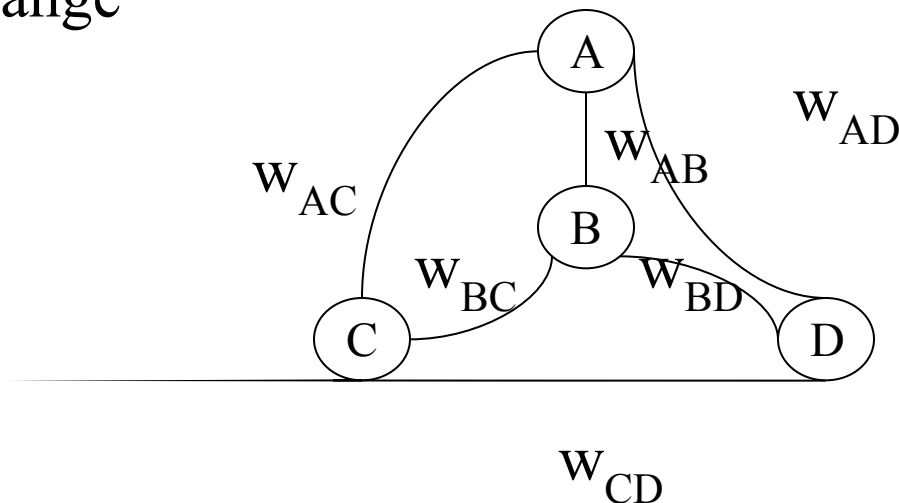
- We just discussed a form of **supervised learning**
  - A “teacher” tells the network what the correct output is based on the input until the network learns the target concept
- We can also train networks where there is no teacher. This is called **unsupervised learning**. The network learns a prototype based on the distribution of patterns in the training data. Such networks allow us to:
  - Discover underlying structure of the data
  - Encode or compress the data
  - Transform the data

# Unsupervised Learning – Hopfield Networks

- A Hopfield network is a type of content-addressable memory
  - Non-linear system with attractor points that represent concepts
  - Given a fuzzy input the system converges to the nearest attractor
    - Possibility to have “spurious” attractors that is a blend of multiple stored patterns
    - Also possible to have chaotic patterns that never converge

# Standard Binary Hopfield Network

- Recurrent; Every unit is connected to every other unit
- Weights connecting units are symmetrical
  - $w_{ij} = w_{ji}$
- If the weighted sum of the inputs exceeds a threshold, its output is 1 otherwise its output is -1
- Units update themselves asynchronously as their inputs change



# Hopfield Memories

- Setting the weights:
  - A pattern is a setting of on or off for each unit
  - Given a set of  $Q$  patterns to store
    - For every weight connecting units  $i$  and  $j$ :

$$w_{ij} = \sum_{p=1}^Q x_i^p x_j^p$$

- This is a form of a Hebbian rule which makes the weight strength proportional to the product of the firing rates of the two interconnected units

# Hopfield Network Demo

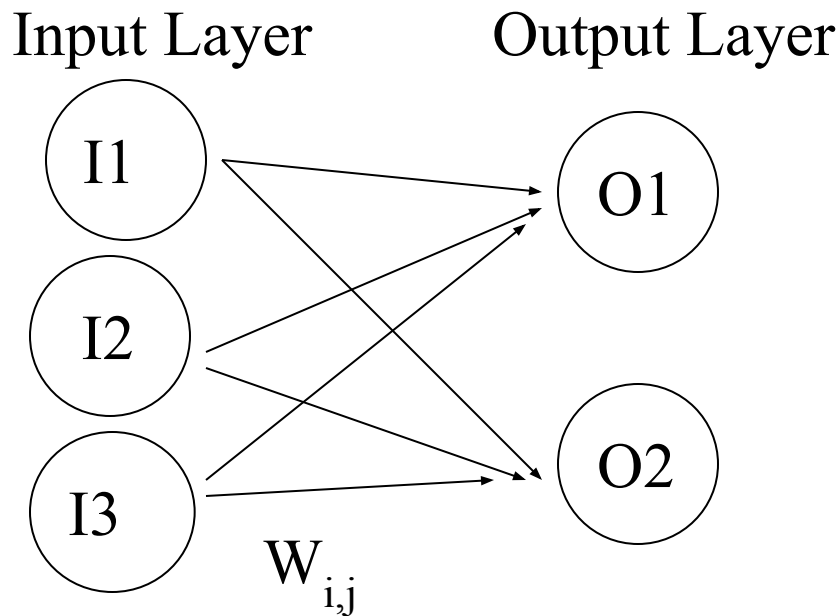
- <http://www.cbu.edu/~pong/ai/hopfield/hopfieldapplet.html>
- Properties
  - Settles into a minimal energy state
  - Storage capacity low, only 13% of number of units
  - Can retrieve information even in the presence of noisy data, similar to associative memory of humans

# Unsupervised Learning – Self Organizing Maps

- Self-organizing maps (SOMs) are a data visualization technique invented by Professor Teuvo Kohonen
  - Also called Kohonen Networks, Competitive Learning, Winner-Take-All Learning
  - Generally reduces the dimensions of data through the use of self-organizing neural networks
  - Useful for data visualization; humans cannot visualize high dimensional data so this is often a useful technique to make sense of large data sets

# Basic “Winner Take All” Network

- Two layer network
  - Input units, output units, each input unit is connected to each output unit





# Basic Algorithm

- Initialize Map (randomly assign weights)
- Loop over training examples
  - Assign input unit values according to the values in the current example
  - Find the “winner”, i.e. the output unit that most closely matches the input units, using some distance metric, e.g.

For all output units  $j=1$  to  $m$   
and input units  $i=1$  to  $n$

Find the one that minimizes:

$$\sqrt{\sum_{i=1}^n (W_{ij} - I_i)^2}$$

- Modify weights on the winner to more closely match the input

$$\Delta W^{t+1} = c(X_i^t - W^t)$$

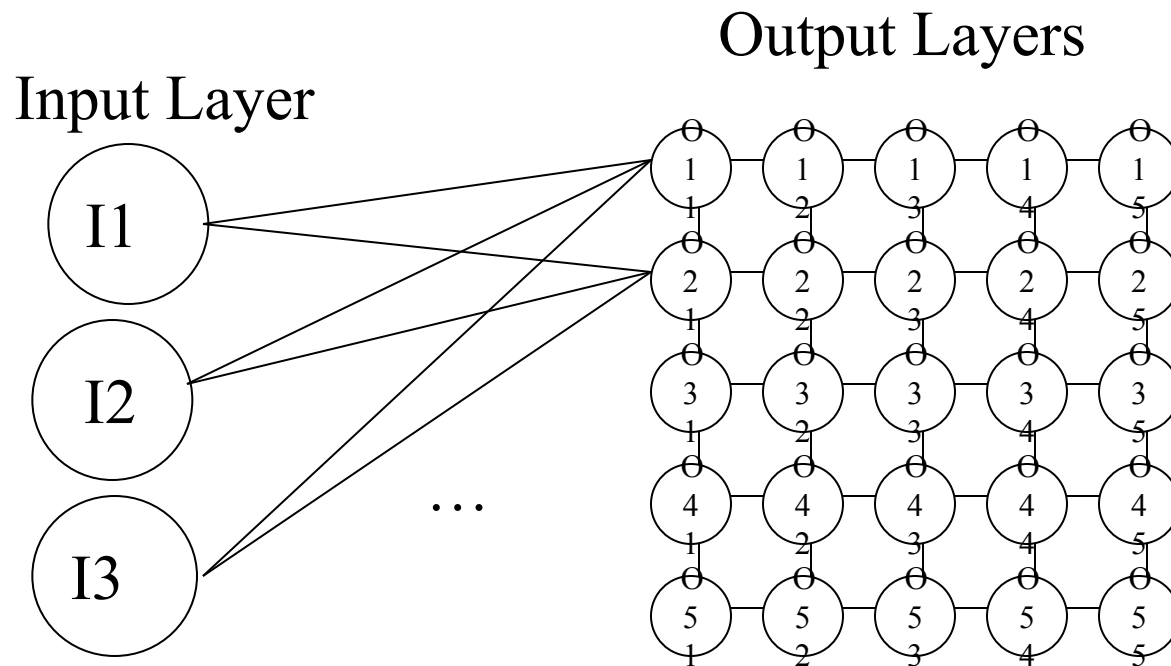
where  $c$  is a small positive learning constant  
that usually decreases as the learning proceeds

# Result of Algorithm

- Initially, some output nodes will randomly be a little closer to some particular type of input
- These nodes become “winners” and the weights move them even closer to the inputs
- Over time nodes in the output become representative prototypes for examples in the input
- Note there is no supervised training here
- Classification:
  - Given new input, the class is the output node that is the winner

# Typical Usage: 2D Feature Map

- In typical usage the output nodes form a 2D “map” organized in a grid-like fashion and we update weights in a neighborhood around the winner



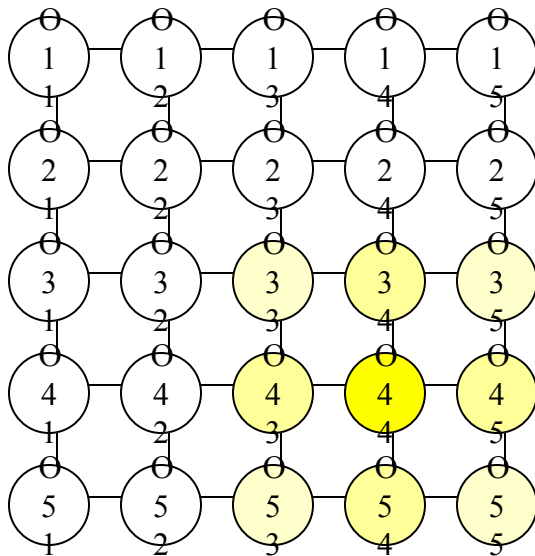
# Modified Algorithm

- Initialize Map (randomly assign weights)
- Loop over training examples
  - Assign input unit values according to the values in the current example
  - Find the “winner”, i.e. the output unit that most closely matches the input units, using some distance metric, e.g.
  - Modify weights on the winner to more closely match the input
  - **Modify weights in a neighborhood around the winner so the neighbors on the 2D map also become closer to the input**
    - Over time this will tend to cluster similar items closer on the map

# Updating the Neighborhood

- Node  $O_{44}$  is the winner
  - Color indicates scaling to update neighbors

Output Layers



$$\Delta W^{t+1} = c(X_i^t - W^t)$$



$c=1$



$c=0.75$

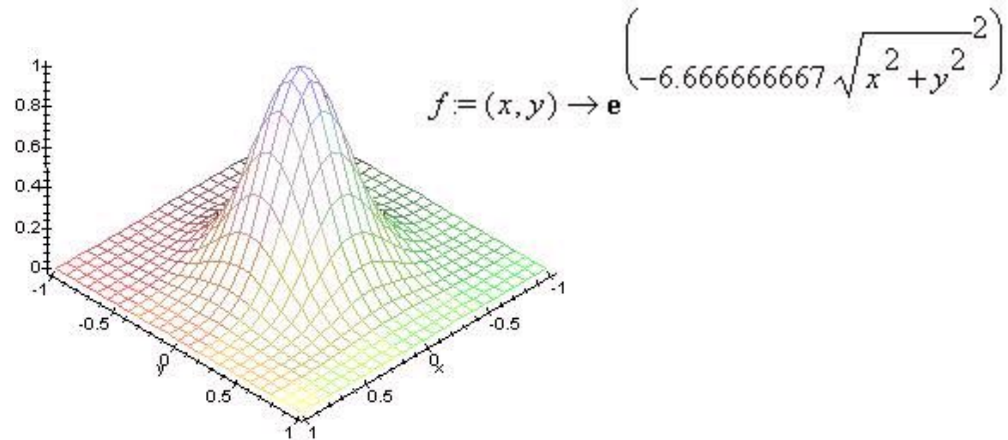
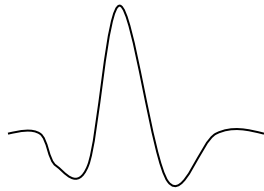


$c=0.5$

Consider if  $O_{42}$  is winner for some other input; “fight” over claiming  $O_{43}$ ,  $O_{33}$ ,  $O_{53}$

# Selecting the Neighborhood

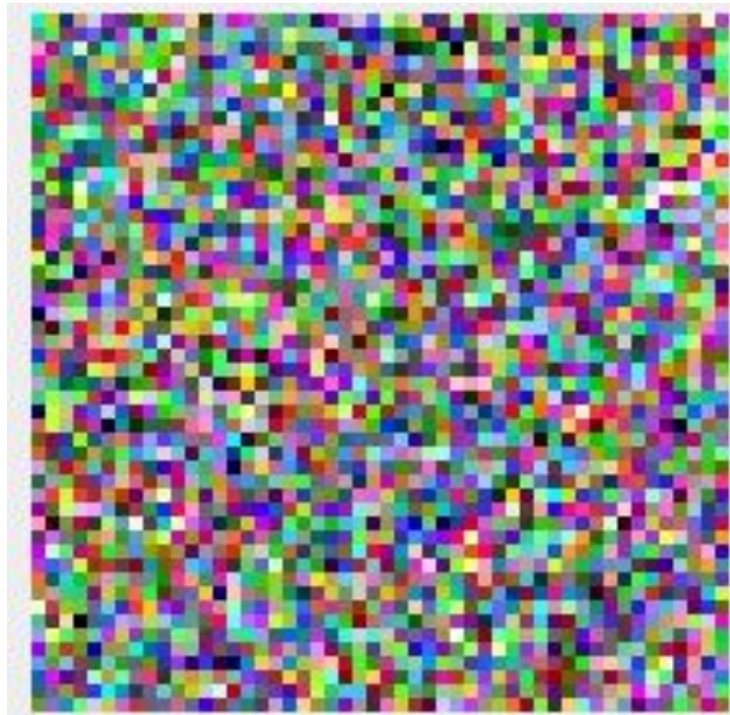
- Typically, a “Sombrero Function” or Gaussian function is used



- Neighborhood size usually decreases over time to allow initial “jockeying for position” and then “fine-tuning” as algorithm proceeds

# Color Example

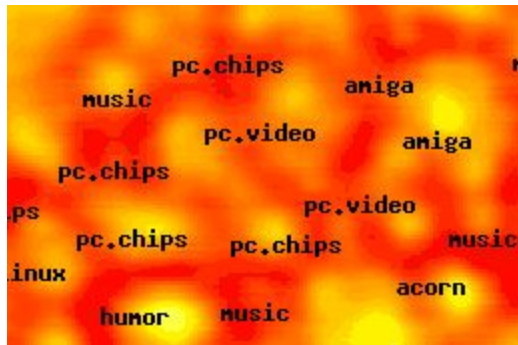
- <http://davis.wpi.edu/~matt/courses/soms/applet.html>



# Kohonen Network Examples

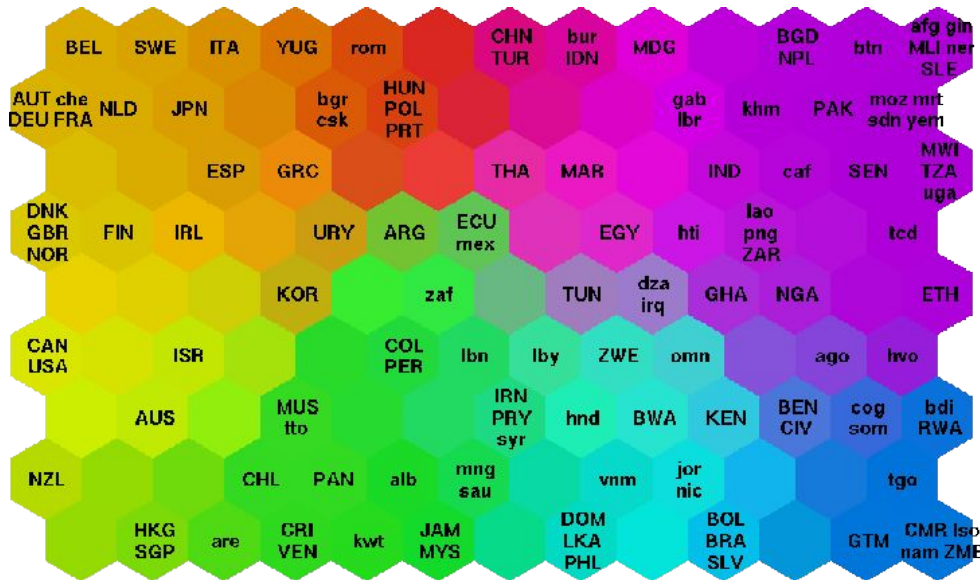
- Document Map:

<http://websom.hut.fi/websom/milliondemo/html/root.html>

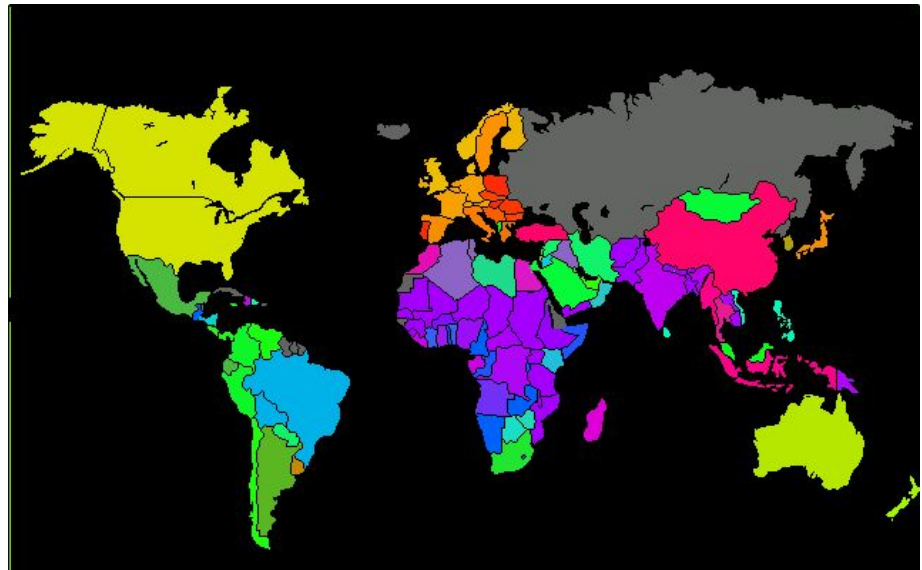




# Poverty Map



<http://www.cis.hut.fi/research/som-research/worldmap.html>



# SOM for Classification

- A generated map can also be used for classification
- Human can assign a class to a data point, or use the strongest weight as the prototype for the data point
- For a new test case, calculate the winning node and classify it as the class it is closest to
- Handwriting recognition example:  
<http://fbim.fh-regensburg.de/~saj39122/begrolu/kohonen.html>

# Psychological and Biological Considerations of Neural Networks

- Psychological
  - Neural network models learn, exhibit some behavior similar to humans, based loosely on brains
  - Create their own algorithms instead of being explicitly programmed
  - Operate under noisy data
  - Fault tolerant and graceful degradation
  - Knowledge is distributed, yet still some localization
    - Lashley's search for engrams
- Biological
  - Learning in the visual cortex shortly after birth seems to correlate with the pattern discrimination that emerges from Kohonen Networks
  - Criticisms of the mechanism to update weights; mathematically driven; feedforward supervised network unrealistic

# Connectionism

- What's hard for neural networks? Activities beyond recognition, e.g.:
  - Variable binding
  - Recursion
  - Reflection
  - Structured representations
- Connectionist and Symbolic Models
  - The Central Paradox of Cognition (Smolensky et al., 1992):
  - "Formal theories of logical reasoning, grammar, and other higher mental faculties compel us to think of the mind as a machine for rule-based manipulation of highly structured arrays of symbols. What we know of the brain compels us to think of human information processing in terms of manipulation of a large unstructured set of numbers, the activity levels of interconnected neurons. Finally, the full richness of human behavior, both in everyday environments and in the controlled environments of the psychological laboratory, seems to defy rule-based description, displaying strong sensitivity to subtle statistical factors in experience, as well as to structural properties of information. To solve the Central Paradox of Cognition is to resolve these contradictions with a unified theory of the organization of the mind, of the brain, of behavior, and of the environment."

# Possible Relationships?

- Symbolic systems implemented via connectionism
  - Possible to create hierarchies of networks with subnetworks to implement symbolic systems
- Hybrid model
  - System consists of two separate components; low-level tasks via connectionism, high-level tasks via symbols

# Proposed Hierarchical Model

- Jeff Hawkins
- Founder: Palm Computing, Handspring
- Deep interest in the brain all his life
- Book: “On Intelligence”
  - Variety of neuroscience research as input
  - Includes his own ideas, theories, guesses
  - Increasingly accepted view of the brain

# The Cortex

- Hawkins's point of interest in the brain
  - “Where the magic happens”
- Hierarchically-arranged in regions
- Communication up the hierarchy
  - Regions classify patterns of their inputs
  - Regions output a ‘named’ pattern up the hierarchy
- Communication down the hierarchy
  - A high-level region has made a prediction
  - Alerts lower-level regions what to expect

# Hawkins Quotes

“The human cortex is particularly large and therefore has a massive memory capacity. It is constantly predicting what you will see, hear and feel, mostly in ways you are unconscious of. These predictions are our thoughts, and when combined with sensory inputs, they are our perceptions. I call this view of the brain the *memory-prediction framework* of intelligence.”



# Hawkins Quotes

“Your brain constantly makes predictions about the very fabric of the world we live in, and it does so in a parallel fashion. It will just as readily detect an odd texture, a misshapen nose, or an unusual motion. It isn’t obvious how pervasive these mostly unconscious predictions are, which is perhaps why we missed their importance.”

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# Hawkins Quotes

“Suppose when you are out, I sneak over to your home and change something about your door. It could be almost anything. I could move the knob over by an inch, change a round knob into a thumb latch, or turn it from brass to chrome.... When you come home that day and attempt to open the door, you will quickly detect that something is wrong.”

# Prediction

- Prediction means that the neurons involved in sensing your door become active in advance of them actually receiving sensory input.
  - When the sensory input does arrive, it is compared with what is expected.
  - Two way communication; classification up the hierarchy, prediction down the hierarchy

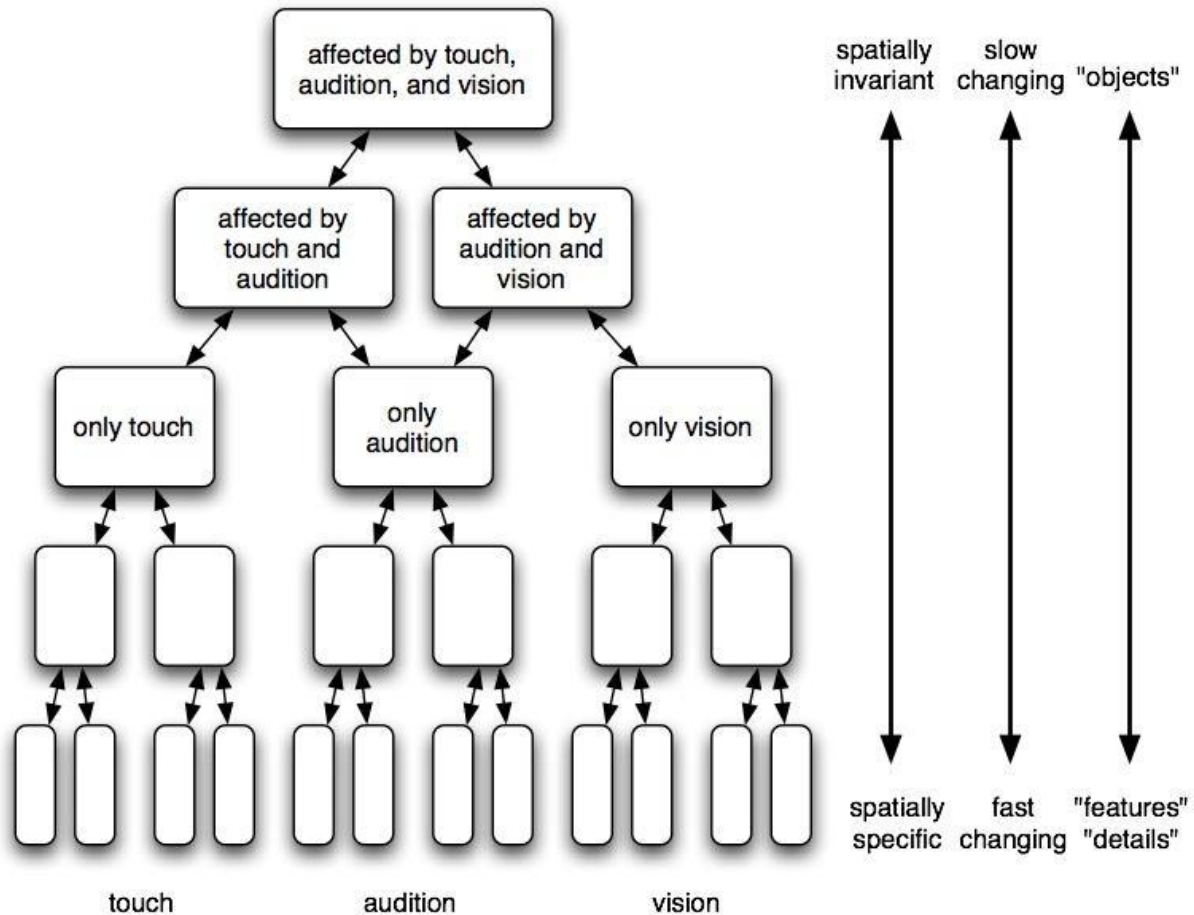
# Prediction

- Prediction is not limited to patterns of low-level sensory information like hearing and seeing
- Mountcastle's principle : we have lots of different neurons, but they basically do the same thing (particularly in the neocortex)
  - What is true of low-level sensory areas must be true for all cortical areas. The human brain is more intelligent than that of other animals because it can make predictions about more abstract kinds of patterns and longer temporal pattern sequences.”

# Visual Hierarchies

- Lowest visual level inputs pixels
- Second level recognizes edges, lines, etc from known patterns of pixels
- Third level recognizes shapes from known patterns of edges, lines, etc
- Fourth level recognizes objects from known patterns of shapes

# Layers



# Not there yet...

- Many issues remain to be addressed by Hawkins' model
  - Missing lots of details on how his model could be implemented in a computer
  - Creativity?
  - Evolution?
  - Planning?
  - Rest of the brain, not just neocortex?



# Links and Examples

- <http://davis.wpi.edu/~matt/courses/soms/applet.html>
- <http://websom.hut.fi/websom/milliondemo/html/root.html>
- <http://www.cis.hut.fi/research/som-research/worldmap.html>
- <http://www.patol.com/java/TSP/index.html>