

### **Third Year B. Tech (EL & CE)**

**Semester: VI**

**Subject: Data Science for Engineering**

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**Class: TY**

**Roll No: 52**

**Batch: A2**

### **Experiment No: 04**

**Name of the Experiment: Understanding Statistical concepts in Python.**

**Performed on: 26/02/2024**

**Submitted on: 18/04/2024**

#### **Problem Statement:**

The average test scores are given: test scores: 83,85,87,89,91,93,95,97,99,100. Find Mean, Median, Variance, Standard deviation of the data. Show the information on the bell curve.

Consider given product price data: price\_data= [13,43,54,34,40,56,34,61,34,23].

Find Range, 25th Percentile and IQR.

A person tries to analyse the last 12 months interest rate of the investment firm to understand the risk factor for the future investment. The interest rates are:12.05, 13, 11, 18, 10, 11.5, 15.08, 21, 6, 8, 13.2, 7.5.

Calculate Skewness and Kurtosis and comment on it.

#### **1. Hypothesis Testing**

- a. Consider below data and tests whether a data sample has a Gaussian distribution by formulating hypothesis test

**data = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]**

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**# 1 Average Test Scores Analysis**

```
In [1]: import numpy as np
from scipy import stats

# Test scores data
test_scores = np.array([83, 85, 87, 89, 91, 93, 95, 97, 99, 100])

# Mean
mean_score = np.mean(test_scores)
print(f"Mean: {mean_score}")

# Median
median_score = np.median(test_scores)
print(f"Median: {median_score}")

# Variance
variance_score = np.var(test_scores)
print(f"Variance: {variance_score}")

# Standard deviation
std_dev_score = np.std(test_scores)
print(f"Standard Deviation: {std_dev_score}")

# Bell curve information
bell_curve_info = stats.describe(test_scores)
print(f"\nBell Curve Information:\n{bell_curve_info}")
```

Mean: 91.9  
Median: 92.0  
Variance: 31.290000000000003  
Standard Deviation: 5.593746508378799

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```
print(f"Standard Deviation: {std_dev_score}")

# Bell curve information
bell_curve_info = stats.describe(test_scores)
print(f"\nBell Curve Information:\n{bell_curve_info}")
```

Mean: 91.9  
Median: 92.0  
Variance: 31.290000000000003  
Standard Deviation: 5.593746508378799

Bell Curve Information:  
DescribeResult(nobs=10, minmax=(83, 100), mean=91.9, variance=34.76666666666667, skewness=-0.07034289890841953, kurtosis=-1.283567235281122)

**# 2. Product Price Data Analysis**

```
In [2]: # Product price data
price_data = [13, 43, 54, 34, 40, 56, 34, 61, 34, 23]

# Range
price_range = np.ptp(price_data)
print(f"Range: {price_range}")

# 25th Percentile and IQR
percentile_25 = np.percentile(price_data, 25)
iqr = np.percentile(price_data, 75) - np.percentile(price_data, 25)
print(f"25th Percentile: {percentile_25}")
print(f"IQR: {iqr}")
```

Range: 48  
25th Percentile: 34.0  
IQR: 17.25

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### # 3. Interest Rate Analysis

```
In [3]: # Interest rates data
interest_rates = [12.05, 13, 11, 18, 10, 11.5, 15.08, 21, 6, 8, 13.2, 7.5]

# Skewness and Kurtosis
skewness = stats.skew(interest_rates)
kurtosis = stats.kurtosis(interest_rates)
print(f"Skewness: {skewness}")
print(f"Kurtosis: {kurtosis}")
```

Skewness: 0.5585253107192037  
Kurtosis: -0.3094811002939255

### # 4. Hypothesis Testing

```
In [4]: from scipy.stats import shapiro

# Data for hypothesis testing
data_sample = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]

# Perform Shapiro-Wilk test for normality
stat, p = shapiro(data_sample)
alpha = 0.05 # Significance Level

# Null hypothesis: Data sample has a Gaussian distribution
# Alternative hypothesis: Data sample does not have a Gaussian distribution

if p > alpha:
    print("Failed to reject the null hypothesis (Data sample likely has a Gaussian distribution)")
else:
    print("Reject the null hypothesis (Data sample does not have a Gaussian distribution)")
```

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```
skewness = stats.skew(interest_rates)
kurtosis = stats.kurtosis(interest_rates)
print(f"Skewness: {skewness}")
print(f"Kurtosis: {kurtosis}")
```

Skewness: 0.5585253107192037  
Kurtosis: -0.3094811002939255

### # 4. Hypothesis Testing

```
In [4]: from scipy.stats import shapiro

# Data for hypothesis testing
data_sample = [0.873, 2.817, 0.121, -0.945, -0.055, -1.436, 0.360, -1.478, -1.637, -1.869]

# Perform Shapiro-Wilk test for normality
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# Null hypothesis: Data sample has a Gaussian distribution
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if p > alpha:
    print("Failed to reject the null hypothesis (Data sample likely has a Gaussian distribution)")
else:
    print("Reject the null hypothesis (Data sample does not have a Gaussian distribution)")
```

Failed to reject the null hypothesis (Data sample likely has a Gaussian distribution)

In [ ]:

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## Exp 4

Shreerang Mhatre 52 A2

### \* Past Lab Questions :

Q1) How do measures of central tendency (mean, median, mode) differ from each other?

#### ① Mean -

The mean, also known as the average, is calculated by adding up all the values in a dataset and then dividing by the number of values. It represents the central value around which the data points are distributed.

#### ② Median -

The median is the middle value in a sorted list of data. If there is an odd number of data points, the median is the middle value.

#### ③ Mode -

The mode is the value that appears most frequently in a dataset. A dataset can have multiple modes if more than one value occurs with the highest frequency.



Q2) Discuss the relationship between variance and standard deviation. How are they related mathematically?

→ ① Variance -

Variance measures the spread or dispersion of a set of data points around the mean. It is calculated by taking the average of the squared differences between each data point & mean.

② standard Deviation -

Standard deviation is the square root of the variance. It measures the average distance of data points from the mean. Standard deviation is often preferred over variance because it is in the same units as the original data.

$$\text{standard deviation } (\sigma) = \sqrt{\text{variance } (s^2)}$$



Q3) what are skewness and kurtosis? How do their values affect the shape of a distribution?

→ ① skewness -

skewness measures the asymmetry of the distribution of data points around the mean. A distribution can be positively skewed, negatively skewed or approximately symmetric. skewness quantifies the lack of symmetry in the data distribution.

② kurtosis -

kurtosis measures the 'tailedness' of the distribution, indicating how much data is in the tails compared to the center of the distribution. A distribution with high kurtosis has more data in the tails, while a distribution with low kurtosis has less data in the tails.