| Class Test No. 08 | Monday 09th Sep 2019 | Duration: 10 Minutes | Closed notes |
|---|--------------------------------|---|---------------------|
| Name: | | Roll No | |
| Choose on | ly one option which is the m | nost appropriate for question | ns 1 - 5. |
| 1. A type '2' system w | vill exactly track | | |
| (a) parabolic | - | | |
| (b) ramp inpu | • | | |
| • | and step inputs | | |
| (d) all three i. | e. step, ramp and parabolic | | |
| • | ontrol, control input will go | to zero when | |
| (a) error rate i | | | |
| * * | ous error is zero | | |
| (c) cumulative | | | |
| (d) the system | n is of 1st order | | |
| 3. 'P' control influen | | | |
| | nance attributes | | |
| | lity and tracking | | |
| _ | ing and disturbance rejection | | |
| (d) only stabil | lity and disturbance rejection | | |
| | | r specifying disturbance rejec | ction are |
| (a) peak time | and settling time | | |
| (b) time const | ant and settling time | | |
| | nd settling time | | |
| (d) dead time | and settling time | | |
| 5. For a type '0' syste | em, tracking error to an unit | impulse input is | |
| (a) 1 | | | |
| <u>(b) 0</u> | | | |
| (c) ∞ | | | |
| (d) not define | d | | |
| Give short (1 - 2 line | es) answer to the questions (| 6-10 | |
| 6. Give the statemen | t of final value theorem rela | ating $e(t)$ and $E(s)$ as $t \to \infty$ | |
| $ \lim_{t\to\infty}e(t)=\lim_{s\to\infty}e(t)=\lim_{$ | | | |

7. Give the expression for control input 'U(s)' in the context of 'D' control in terms of 'E(s)' and derivative gain, K_D .

$$U(s) = K_D s E(s)$$

8. What is the main purpose for employing the PI control?

The main purpose of employing PI control is to achieve the desired tracking performance.

9. What are the primary requirements of disturbance rejection?

The primary requirements of disturbance rejection are minimum departures and minimum time to settle back to original state.

10. Give the expression of the steady-state error, ' e_{ss} ', to a step input for a type '0' system in terms of the position error constant, K_p .

$$e_{ss} = \frac{1}{1 + K_p}$$