# Jamboree 2

#### February 18, 2025

```
[1]: | gdown https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/839/
       original/Jamboree_Admission.csv
    Downloading...
    From: https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/839/ori
    ginal/Jamboree_Admission.csv
    To: /content/Jamboree_Admission.csv
       0% 0.00/16.2k [00:00<?, ?B/s] 100% 16.2k/16.2k [00:00<00:00, 49.5MB/s]
[2]: import pandas as pd
     import numpy as np
     import matplotlib.pyplot as plt
[3]: df_main = pd.read_csv('/content/Jamboree_Admission.csv')
[4]:
     df_main.head()
[4]:
        Serial No.
                    GRE Score
                                TOEFL Score
                                             University Rating
                                                                  SOP
                                                                       LOR
                                                                             CGPA
     0
                           337
                                         118
                                                                  4.5
                                                                        4.5
                                                                             9.65
     1
                 2
                           324
                                         107
                                                                  4.0
                                                                        4.5
                                                                             8.87
     2
                 3
                                         104
                                                                  3.0
                                                                        3.5
                                                                             8.00
                           316
                 4
     3
                           322
                                         110
                                                              3
                                                                 3.5
                                                                        2.5 8.67
                 5
                           314
                                         103
                                                              2
                                                                 2.0
                                                                        3.0 8.21
        Research Chance of Admit
     0
                               0.92
               1
     1
               1
                               0.76
     2
               1
                               0.72
                               0.80
     3
               1
               0
                               0.65
[5]: df_main.describe()
[5]:
            Serial No.
                          GRE Score
                                     TOEFL Score
                                                   University Rating
                                                                              SOP
            500.000000
                                                          500.000000
     count
                         500.000000
                                      500.000000
                                                                       500.000000
     mean
            250.500000
                         316.472000
                                      107.192000
                                                            3.114000
                                                                         3.374000
            144.481833
                          11.295148
                                         6.081868
                                                            1.143512
     std
                                                                         0.991004
     min
              1.000000 290.000000
                                       92.000000
                                                             1.000000
                                                                         1.000000
```

25% 50% 75% max	125.750000 250.500000 375.250000 500.000000	308.000000 317.000000 325.000000 340.000000	103.00000 107.00000 112.00000 120.00000	0	2.000000 3.000000 4.000000 5.000000	2.500000 3.500000 4.000000 5.000000
	LOR	CGPA	Research	Chance	of Admit	
count	500.00000	500.000000	500.000000		500.00000	
mean	3.48400	8.576440	0.560000		0.72174	
std	0.92545	0.604813	0.496884		0.14114	
min	1.00000	6.800000	0.000000		0.34000	
25%	3.00000	8.127500	0.000000		0.63000	
50%	3.50000	8.560000	1.000000		0.72000	
75%	4.00000	9.040000	1.000000		0.82000	
max	5.00000	9.920000	1.000000		0.97000	

# [6]: df\_main.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 500 entries, 0 to 499
Data columns (total 9 columns):

#	Column	Non-Null Count	Dtype
0	Serial No.	500 non-null	int64
1	GRE Score	500 non-null	int64
2	TOEFL Score	500 non-null	int64
3	University Rating	500 non-null	int64
4	SOP	500 non-null	float64
5	LOR	500 non-null	float64
6	CGPA	500 non-null	float64
7	Research	500 non-null	int64
8	Chance of Admit	500 non-null	float64

dtypes: float64(4), int64(5)

memory usage: 35.3 KB

### [7]: df\_main.isna().sum()

[7]: Serial No. 0 GRE Score 0 TOEFL Score 0 University Rating 0 SOP 0 LOR 0 CGPA 0 Research 0 Chance of Admit 0 dtype: int64

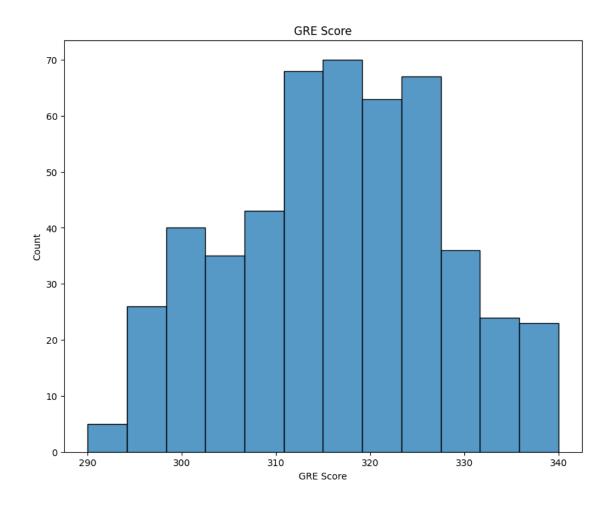
```
[8]: def analyze_statistics(df):
         for column in df.select_dtypes(include=['float64', 'int64']):
             stats = df[column].describe()
             print(f"\nStatistical Analysis for {column}:")
             print(f"Skewness: {df[column].skew():.2f}")
             print(f"Kurtosis: {df[column].kurtosis():.2f}")
             print(f"Range: {stats['max'] - stats['min']:.2f}")
     analyze_statistics(df_main)
    Statistical Analysis for Serial No.:
    Skewness: 0.00
    Kurtosis: -1.20
    Range: 499.00
    Statistical Analysis for GRE Score:
    Skewness: -0.04
    Kurtosis: -0.71
    Range: 50.00
    Statistical Analysis for TOEFL Score:
    Skewness: 0.10
    Kurtosis: -0.65
    Range: 28.00
    Statistical Analysis for University Rating:
    Skewness: 0.09
    Kurtosis: -0.81
    Range: 4.00
    Statistical Analysis for SOP:
    Skewness: -0.23
    Kurtosis: -0.71
    Range: 4.00
    Statistical Analysis for LOR:
    Skewness: -0.15
    Kurtosis: -0.75
    Range: 4.00
    Statistical Analysis for CGPA:
    Skewness: -0.03
    Kurtosis: -0.56
    Range: 3.12
    Statistical Analysis for Research:
```

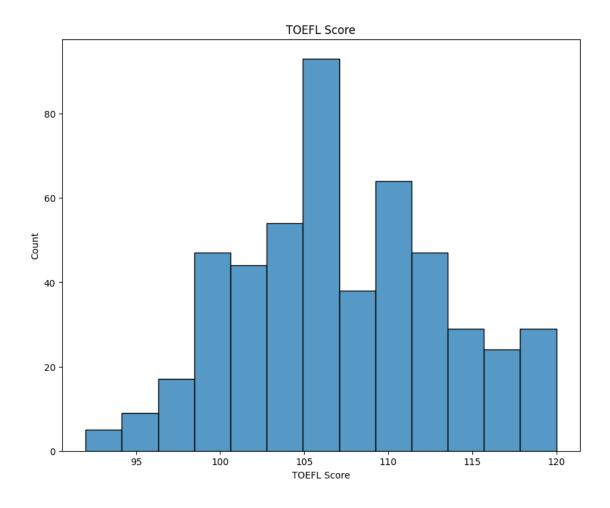
```
Skewness: -0.24
     Kurtosis: -1.95
     Range: 1.00
     Statistical Analysis for Chance of Admit :
     Skewness: -0.29
     Kurtosis: -0.45
     Range: 0.63
 [9]: # Checking for duplicate values
      duplicates = df_main.duplicated().sum()
      duplicates
 [9]: 0
[10]: def detect_outliers(df, columns):
          outliers = {}
          for col in columns:
              Q1 = df[col].quantile(0.25)
              Q3 = df[col].quantile(0.75)
              IQR = Q3 - Q1
              lower_bound = Q1 - 1.5 * IQR
              upper_bound = Q3 + 1.5 * IQR
              outliers[col] = df[(df[col] < lower_bound) | (df[col] > upper_bound)].
       ⇒shape[0]
          return outliers
      detect_outliers(df_main, df_main.select_dtypes(include=['float64', 'int64']).
       ⇔columns)
[10]: {'Serial No.': 0,
       'GRE Score': 0,
       'TOEFL Score': 0,
       'University Rating': 0,
       'SOP': 0,
       'LOR ': 1,
       'CGPA': 0,
       'Research': 0,
       'Chance of Admit ': 2}
[11]: df_main.drop(columns=['Serial No.'],axis=1, inplace=True)
[12]: df_main.head()
[12]:
         GRE Score TOEFL Score University Rating SOP LOR
                                                               CGPA Research \
               337
                            118
                                                 4 4.5
                                                          4.5 9.65
      1
               324
                                                 4 4.0
                            107
                                                          4.5 8.87
                                                                             1
```

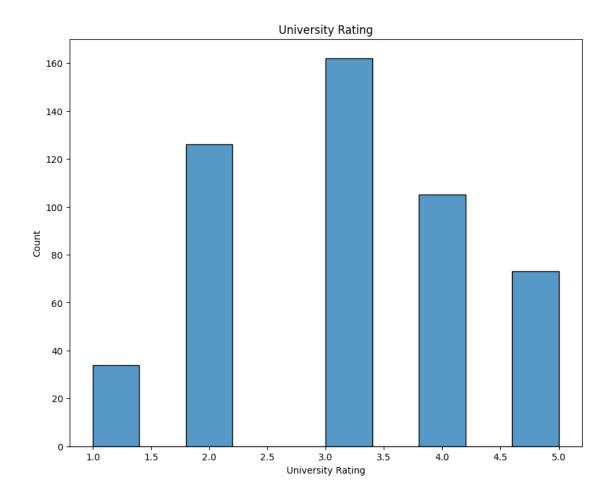
```
2
               316
                            104
                                                 3 3.0
                                                          3.5 8.00
                                                                            1
      3
               322
                            110
                                                 3 3.5
                                                          2.5 8.67
                                                                            1
      4
                                                 2 2.0
                                                          3.0 8.21
                                                                            0
               314
                            103
        Chance of Admit
     0
                     0.92
                     0.76
      1
     2
                     0.72
      3
                     0.80
      4
                     0.65
[13]: import seaborn as sns
      def check_distribution(col):
       plt.figure(figsize=(10,8))
       plt.title(col)
       if col == 'Research':
           data = df_main[col].value_counts()
           labels = data.index.map({1: "Yes", 0: "No"})
           plt.pie(data, labels=labels, autopct='%1.1f%%', startangle=90,__

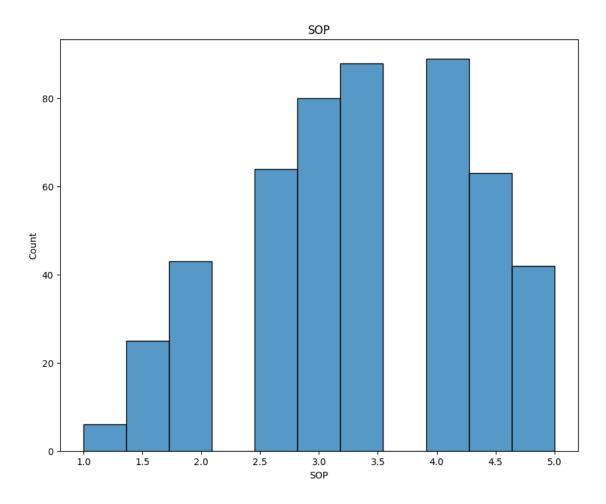
¬colors=['lightblue', 'lightcoral'])
       else:
          sns.histplot(data = df_main, x=col)
      for col in df_main.iloc[:,:-1].columns:
```

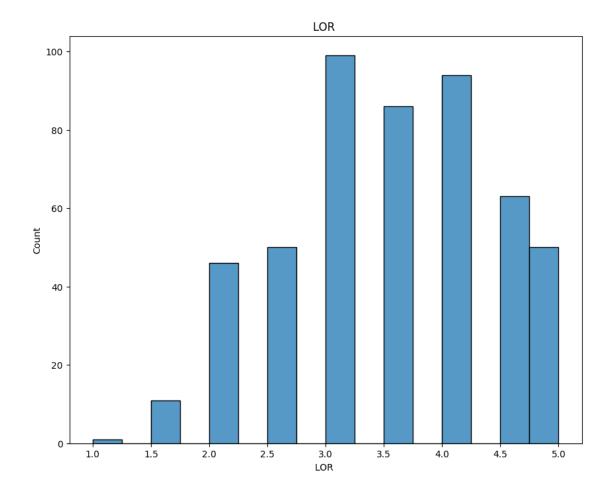
check\_distribution(col)

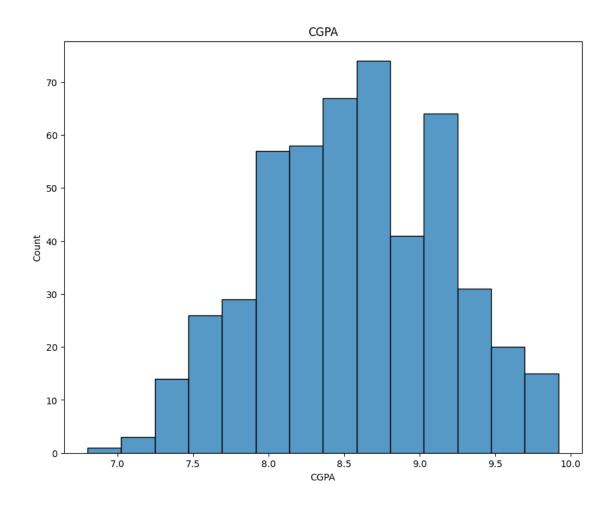




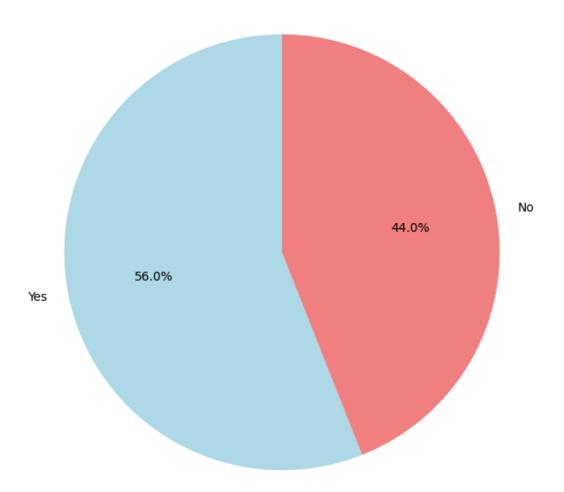








### Research



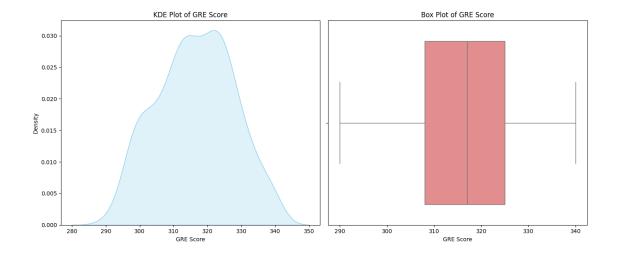
```
[79]: def check_distribution_kde_boxplot(col):
    if col != 'Research':
        fig, axes = plt.subplots(1, 2, figsize=(14, 6))

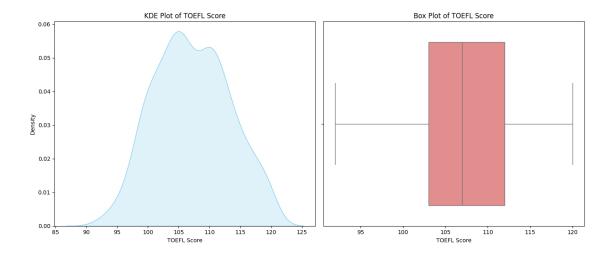
        sns.kdeplot(data=df_main, x=col, ax=axes[0], fill=True, color="skyblue")
        axes[0].set_title(f"KDE Plot of {col}")

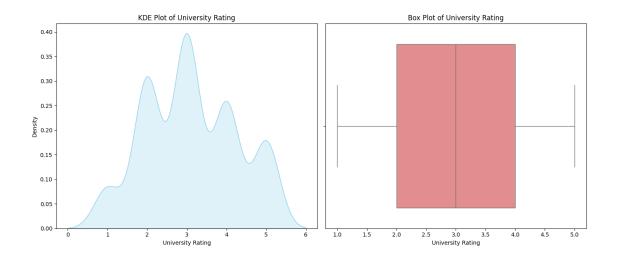
        sns.boxplot(data=df_main, x=col, ax=axes[1], color="lightcoral")
        axes[1].set_title(f"Box Plot of {col}")
```

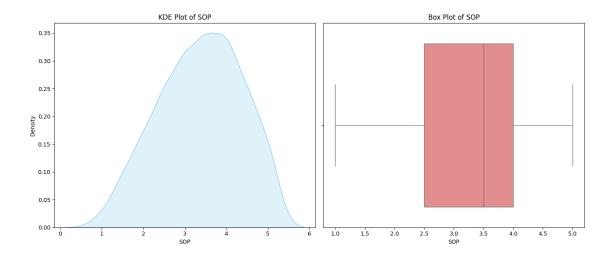
```
plt.tight_layout()
   plt.show()

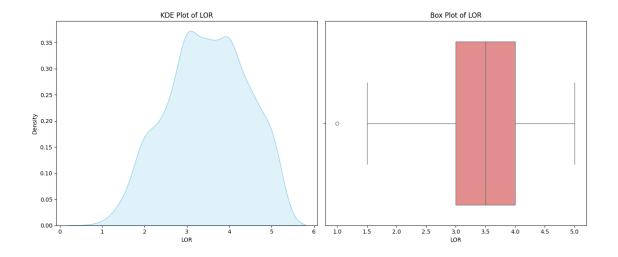
for col in df_main.iloc[:,:].columns:
   check_distribution_kde_boxplot(col)
```

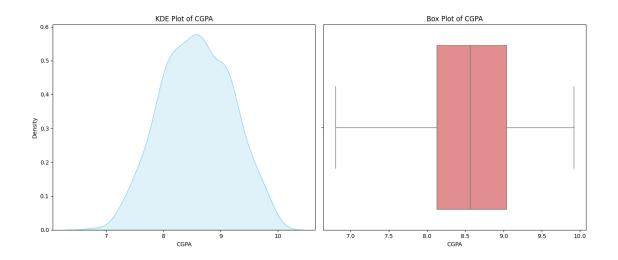


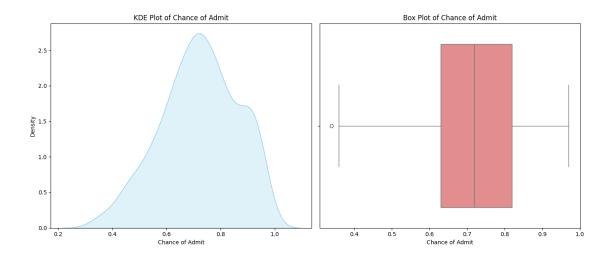


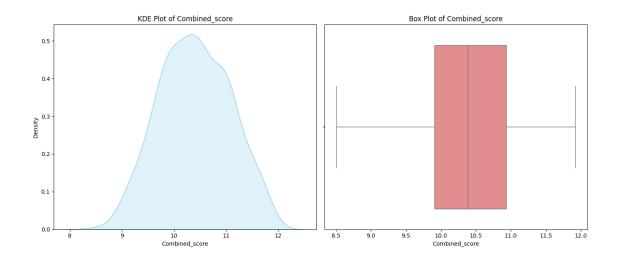




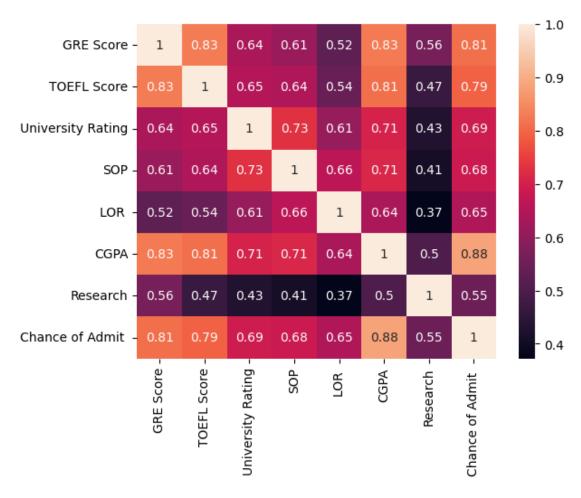








### **Correlation between Features**



```
2
              316
                           104
                                                3 3.0 3.5 8.00
                                                                          1
     3
              322
                           110
                                                3 3.5 2.5 8.67
                                                                          1
     4
                                                2 2.0 3.0 8.21
                                                                          0
              314
                           103
[19]: from sklearn.model_selection import train_test_split
     X_train, X_test, y_train, y_test = train_test_split(X,y,test_size=0.2)
     len(X_train), len(X_test), len(y_train), len(y_test)
[19]: (400, 100, 400, 100)
[20]: from sklearn.preprocessing import StandardScaler
     scaler = StandardScaler()
     scaler.fit(X_train)
     X_train_scaled = scaler.transform(X_train)
     X_test_scaled = scaler.transform(X_test)
[21]: | scaled_df = pd.DataFrame(X_train_scaled, columns=X_train.columns)
     scaled_df.head()
[21]:
        GRE Score TOEFL Score University Rating
                                                        SOP
                                                                  LOR
                                                                           CGPA \
         1.325906
                      1.931245
                                         0.757101 1.610495 1.078640 1.064380
     0
                                         1.615006 0.621703 1.613945 1.969858
     1
         1.238676
                      0.785834
     2
        1.849290
                      1.767615
                                         0.757101 -0.367089 1.078640 1.323088
                                        -0.100804 0.127307 0.543335 0.692488
     3
         0.366369
                     -0.850468
     4 -1.639937
                                        -0.100804 -0.861485 0.543335 -1.021451
                     -1.177728
        Research
     0 0.872992
     1 0.872992
     2 0.872992
     3 0.872992
     4 0.872992
[22]: # Linear Regression using sklearn
     from sklearn.linear_model import LinearRegression
     lr = LinearRegression()
     lr.fit(X_train_scaled, y_train)
[22]: LinearRegression()
[23]: lr.coef_
[23]: array([0.01611005, 0.01789014, 0.00406069, 0.00404683, 0.01622322,
            0.07657168, 0.01364507])
[24]: lr.intercept
```

4 4.0 4.5 8.87

1

1

324

107

#### [24]: 0.723450000000001

```
[25]: def plot_predictions(model, X_test, y_test):
    y_hat = model.predict(X_test)
    plt.figure(figsize=(8, 6))
    plt.scatter(y_test, y_hat, color='blue', alpha=0.6, label="Predicted Values")
    plt.scatter(y_test, y_test, color='red', alpha=0.6, label="Actual Values")

    plt.xlabel("Actual Values")
    plt.ylabel("Predicted Values")
    plt.legend()
    plt.title("Actual vs Predicted Values")
    plt.show()
```

```
[26]: from sklearn.metrics import mean_squared_error, r2_score
      def adjusted_r2(r2, sample_size, size):
          numerator = (1-r2)*(sample_size-1)
          denominator = sample_size - size - 1
          score = 1 - (numerator/denominator)
          return score
      def evaluate_model(model, X_test, y_test, X_train, y_train):
        y_pred = model.predict(X_train)
        mse = mean_squared_error(y_train, y_pred)
        rmse = np.sqrt(mse)
        r2 = r2_score(y_train, y_pred)
        adj_r2 = adjusted_r2(r2, len(y_train), X_train.shape[1])
        print(f'''
        Training data statistics
          Mean squared error = {mse}
          Root mean squared error = {rmse}
          R2 Score = \{r2\}
          Adjusted R2 Score = {adj_r2}
        y_pred = model.predict(X_test)
        mse = mean_squared_error(y_test, y_pred)
        rmse = np.sqrt(mse)
        r2 = r2_score(y_test, y_pred)
        adj_r2 = adjusted_r2(r2, len(y_test), X_test.shape[1])
        print(f'''
        Testing data statistics
          Mean squared error = {mse}
          Root mean squared error = {rmse}
          R2 Score = \{r2\}
```

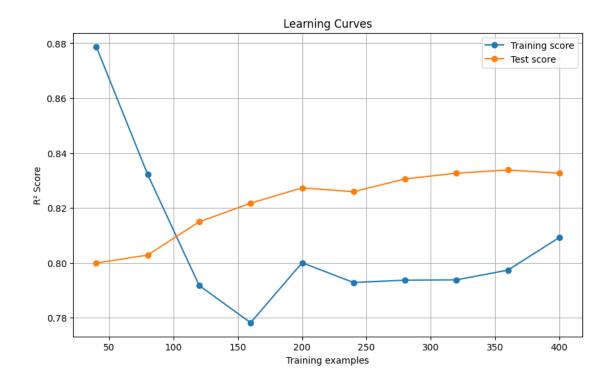
```
[27]: evaluate_model(lr, X_test_scaled, y_test,X_train_scaled, y_train)
       Training data statistics
         Mean squared error = 0.0036436238661064603
         Root mean squared error = 0.06036243754278368
         R2 Score = 0.8245271132220857
         Adjusted R2 Score = 0.8213936688153373
       Testing data statistics
         Mean squared error = 0.0031881806465515637
         Root mean squared error = 0.056463976538599935
         R2 Score = 0.8042498554642961
         Adjusted R2 Score = 0.7893558227278838
[28]: # Model does not perform well because of the very high correlation between
      # CGPA GRE TOEFL
      # Combine them into one feature
      # Based on what transformations i applied to gre and toefl i got different,
      # checking online and trying myself i found this to be the best
      df_main['Combined_score'] = (df_main['GRE Score'] / 340 + df_main['TOEFL_
       ⇔Score'] / 120) + df_main['CGPA']
      # df_main['Combined_score'] = (df_main['GRE Score'] *10 / 340 + df_main['TOEFL_
       →Score']*10 / 120) + df_main['CGPA']
[29]: df_main.head()
[29]:
        GRE Score TOEFL Score University Rating SOP LOR CGPA Research \
      0
              337
                            118
                                                 4
                                                   4.5 4.5 9.65
                                                                           1
              324
      1
                            107
                                                 4 4.0 4.5 8.87
                                                                           1
      2
              316
                            104
                                                 3 3.0 3.5 8.00
                                                                           1
      3
              322
                            110
                                                 3 3.5 2.5 8.67
                                                                           1
      4
              314
                            103
                                                 2 2.0 3.0 8.21
                                                                           0
        Chance of Admit Combined_score
      0
                   0.92
                               11.624510
      1
                   0.76
                               10.714608
      2
                   0.72
                               9.796078
      3
                   0.80
                              10.533725
      4
                   0.65
                               9.991863
```

Adjusted R2 Score = {adj\_r2}

111)

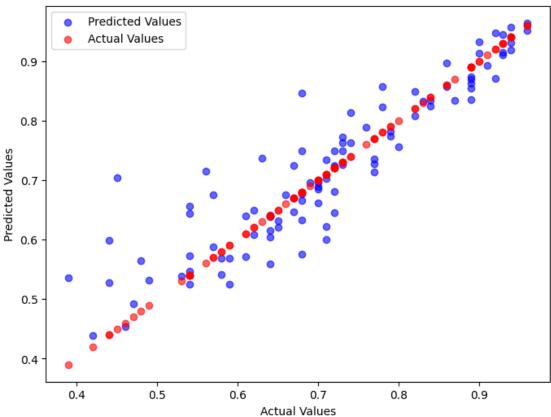
```
[30]: new_scaler = StandardScaler()
      X_new = df_main.drop(columns=['Chance of Admit', 'GRE Score', 'TOEFL Score', |
       X_train, X_test, y_train, y_test = train_test_split(X_new, y, test_size=0.2,_
      →random_state=42)
      new_scaler.fit(X_train)
      X_train_scaled = new_scaler.transform(X_train)
      X_test_scaled = new_scaler.transform(X_test)
[31]: X_train_scaled_df = pd.DataFrame(X_train_scaled, columns=X_new.columns)
      X_train_scaled_df.head()
「31]:
        University Rating
                                           LOR Research Combined score
                                 SOP
                -0.098298 0.126796 0.564984 0.895434
      0
                                                                0.437067
      1
                 0.775459 0.633979 1.651491 -1.116777
                                                               -0.018460
                -0.098298   0.126796   -0.521524   -1.116777
                                                               -0.247543
                -0.972054 -0.887570 0.564984 -1.116777
                                                               -0.480729
      3
                -0.098298   0.126796   -1.064777   0.895434
                                                               -0.609268
[32]: lr2 = LinearRegression()
      lr2.fit(X train scaled, y train)
[32]: LinearRegression()
[33]: lr2.coef
[33]: array([0.00582502, 0.00260901, 0.01373883, 0.01695661, 0.10142165])
[34]: lr2.intercept_
[34]: 0.724174999999999
[35]: evaluate_model(lr2, X_test_scaled, y_test, X_train_scaled, y_train)
       Training data statistics
         Mean squared error = 0.003759836606544623
         Root mean squared error = 0.06131750652582526
         R2 Score = 0.8092307542625382
         Adjusted R2 Score = 0.8068098247481034
       Testing data statistics
         Mean squared error = 0.0034223806865523038
         Root mean squared error = 0.05850111696841612
         R2 Score = 0.8326464211954864
         Adjusted R2 Score = 0.8237446350888633
```

```
[36]: from sklearn.model_selection import learning_curve
      def plot_learning_curves(model, X_train, X_test, y_train, y_test):
          # Create arrays for different training set sizes
          train_sizes = np.linspace(0.1, 1.0, 10)
          train_scores = []
          test_scores = []
          for size in train_sizes:
              n_samples = int(len(X_train) * size)
              model.fit(X_train[:n_samples], y_train[:n_samples])
              train_score = model.score(X_train[:n_samples], y_train[:n_samples])
              test_score = model.score(X_test, y_test)
              train_scores.append(train_score)
              test_scores.append(test_score)
          plt.figure(figsize=(10, 6))
          plt.plot(train_sizes * len(X_train), train_scores, 'o-', label='Training_
       ⇔score')
          plt.plot(train_sizes * len(X_train), test_scores, 'o-', label='Test score')
          plt.xlabel('Training examples')
          plt.ylabel('R2 Score')
          plt.title('Learning Curves')
          plt.legend(loc='best')
          plt.grid(True)
          plt.show()
      plot_learning_curves(lr2, X_train_scaled, X_test_scaled, y_train, y_test)
```



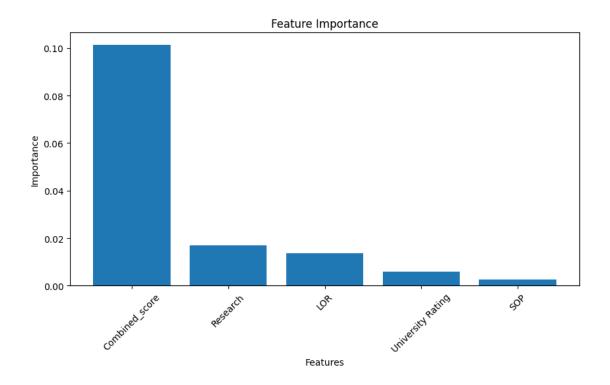
[37]: plot\_predictions(lr2, X\_test\_scaled, y\_test)

### Actual vs Predicted Values



```
[38]: coefficients = lr2.coef_
   features = X_train_scaled_df.columns
   sorted_indices = np.argsort(np.abs(coefficients))[::-1]
   sorted_features = np.array(features)[sorted_indices]
   sorted_coefficients = coefficients[sorted_indices]

   plt.figure(figsize=(10, 5))
   plt.bar(x=sorted_features, height=sorted_coefficients)
   plt.title('Feature Importance')
   plt.xlabel('Features')
   plt.ylabel('Importance')
   plt.xticks(rotation=45)
   plt.show()
```



```
[38]:

[39]: # Using OLS Model
   import statsmodels.api as sm
   X_train_sm = sm.add_constant(X_train_scaled)
   model = sm.OLS(y_train, X_train_sm).fit()

[40]: X_test_sm = sm.add_constant(X_test_scaled)
   evaluate_model(model, X_test_sm, y_test, X_train_sm, y_train)
```

Training data statistics

Mean squared error = 0.003759836606544624

Root mean squared error = 0.061317506525825266

R2 Score = 0.8092307542625382

Adjusted R2 Score = 0.8063182466940273

Testing data statistics

Mean squared error = 0.0034223806865523116

Root mean squared error = 0.05850111696841618

R2 Score = 0.832646421195486

Adjusted R2 Score = 0.8218494161113239

## [41]: print(model.summary())

### OLS Regression Results

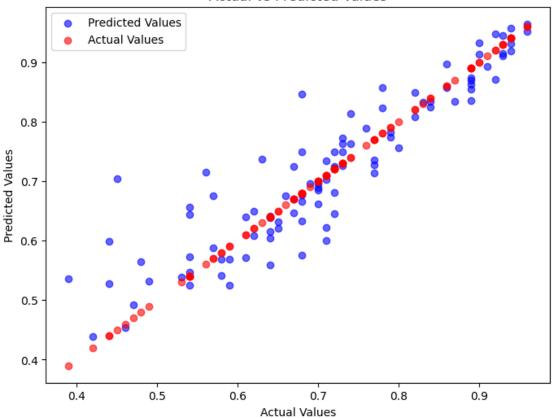
=========		=======	=====		========	=======	
Dep. Variable: Chance of Admit			mit	R-squared:			0.809
Model:			OLS	Adj.	R-squared:		0.807
Method:	Least Squa	res	F-sta	tistic:		334.3	
Date:		Tue, 18 Feb 2025		Prob (F-statistic):			2.79e-139
Time:		01:10:13		Log-Likelihood:			549.10
No. Observations:			400	AIC:			-1086.
Df Residuals:			394	BIC:			-1062.
Df Model:			5				
Covariance Type:		nonrob	ust				
========	coef	std err	=====	t	P> t	[0.025	0.975]
const	0.7242	0.003	234	 1.427	0.000	0.718	0.730
x1	0.0058	0.005	1	L.185	0.237	-0.004	0.015
x2	0.0026	0.005	(	0.508	0.612	-0.007	0.013
xЗ	0.0137	0.004	3	3.178	0.002	0.005	0.022
x4	0.0170	0.004	4	1.696	0.000	0.010	0.024
x5	0.1014	0.005	19	9.524	0.000	0.091	0.112
=========			=====			=======	
Omnibus: 71.981			981	Durbi	n-Watson:		2.019
Prob(Omnibus): 0.00			000	Jarqu	e-Bera (JB):		137.626
Skew: -0.991			991	Prob(	JB):		1.30e-30
Kurtosis: 5.081				Cond. No.			3.53

#### Notes:

## [42]: plot\_predictions(model, X\_test\_sm, y\_test)

<sup>[1]</sup> Standard Errors assume that the covariance matrix of the errors is correctly specified.

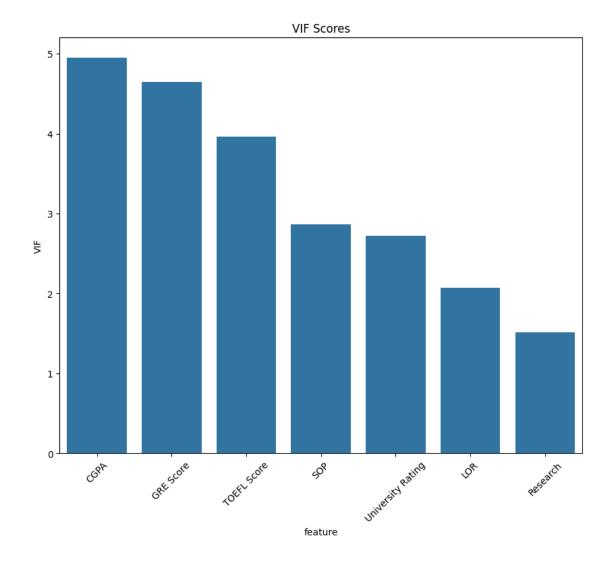
### Actual vs Predicted Values



```
[43]:
                  feature
                                 VIF
                     CGPA 4.951766
      5
      0
                 GRE Score 4.647707
      1
               TOEFL Score 3.961174
      3
                       SOP 2.863042
      2
        University Rating 2.719241
      4
                       LOR
                           2.071110
      6
                 Research 1.512649
```

```
[44]: plt.figure(figsize=(10,8))
   plt.title("VIF Scores")
   plt.xticks(rotation=45)
   sns.barplot(data=sorted_vif,x='feature', y='VIF')
```

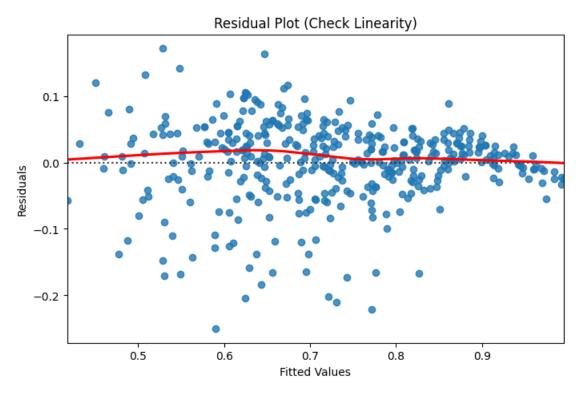
[44]: <Axes: title={'center': 'VIF Scores'}, xlabel='feature', ylabel='VIF'>



```
[45]: # Mean of residuals print("Mean of residuals",np.mean(model.resid))
```

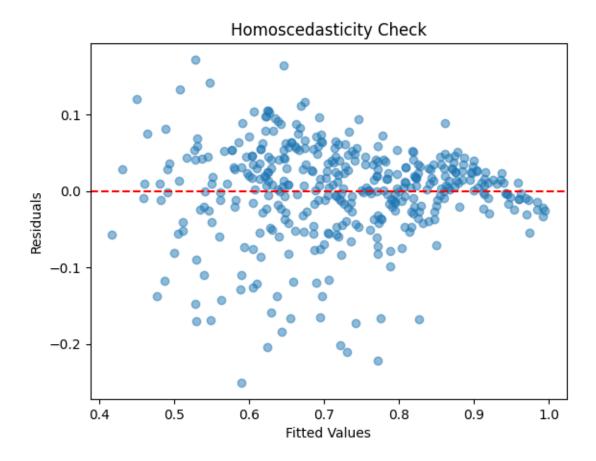
Mean of residuals -4.6074255521944e-16

```
[46]: # residual plot
plt.figure(figsize=(8, 5))
```

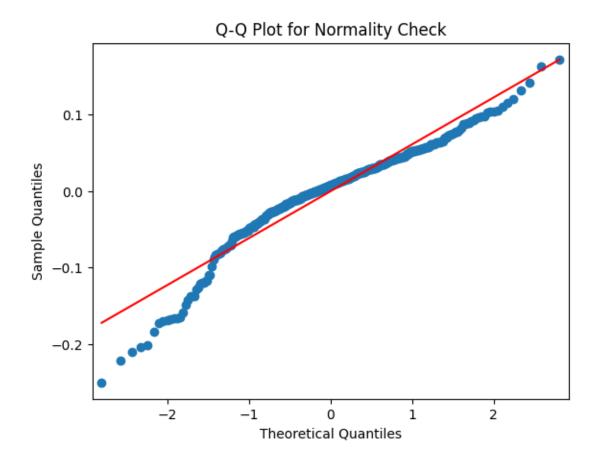


```
[47]: # Homoscadasticity

plt.scatter(model.fittedvalues, model.resid, alpha=0.5)
plt.axhline(y=0, color='red', linestyle='--')
plt.xlabel("Fitted Values")
plt.ylabel("Residuals")
plt.title("Homoscedasticity Check")
plt.show()
```



```
[48]: import scipy.stats as stats
sm.qqplot(model.resid, line='s')
plt.title("Q-Q Plot for Normality Check")
plt.show()
```



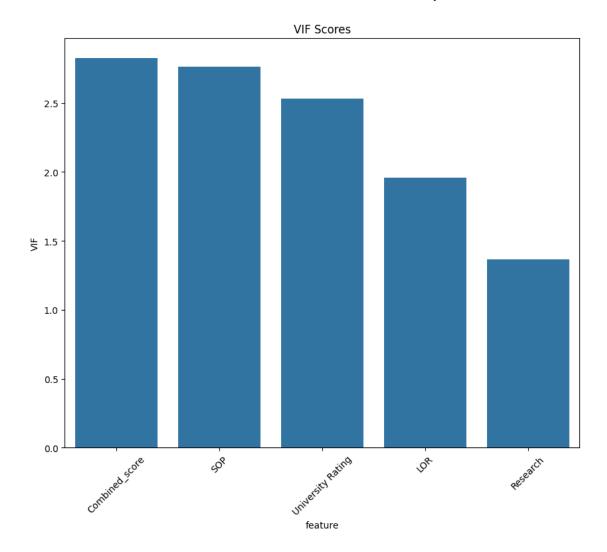
```
vif_data = pd.DataFrame()
      vif_data["feature"] = X_train_scaled_df.columns
      vif_data["VIF"] = [variance_inflation_factor(X_train_scaled_df, i) for i in_
       →range(X_train_scaled_df.shape[1])]
      sorted_vif = vif_data.sort_values(by='VIF', ascending=False)
      sorted_vif
[49]:
                   feature
                                 VIF
      4
            Combined_score
                           2.827895
                       SOP 2.761665
      1
      0
        University Rating 2.532827
      2
                       LOR
                           1.958310
      3
                  Research 1.366562
[50]: plt.figure(figsize=(10,8))
     plt.title("VIF Scores")
      plt.xticks(rotation=45)
```

from statsmodels.stats.outliers\_influence import variance\_inflation\_factor

[49]: # After combining features

```
sns.barplot(data=sorted_vif,x='feature', y='VIF' )
```

[50]: <Axes: title={'center': 'VIF Scores'}, xlabel='feature', ylabel='VIF'>



```
[73]: # Lasso and Ridge Regression
from sklearn.linear_model import Lasso, Ridge
lasso = Lasso(alpha=0.001)
```

[74]: lasso.fit(X\_train\_scaled, y\_train)

[74]: Lasso(alpha=0.001)

[75]: evaluate\_model(lasso, X\_test\_scaled, y\_test, X\_train\_scaled, y\_train)

Training data statistics

Mean squared error = 0.0037614404980163742 Root mean squared error = 0.061330583708427026 R2 Score = 0.8091493748840359 Adjusted R2 Score = 0.8067274126363714

Testing data statistics

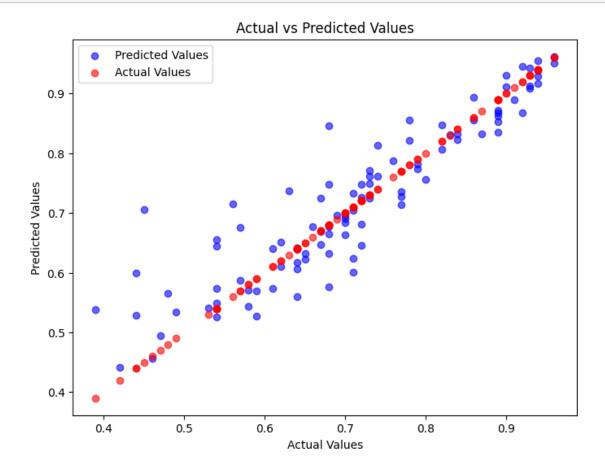
Mean squared error = 0.0034230548621705724

Root mean squared error = 0.05850687875942941

R2 Score = 0.8326134541725881

Adjusted R2 Score = 0.8237099145009172

### [76]: plot\_predictions(lasso, X\_test\_scaled, y\_test)



[78]: ridge = Ridge(alpha=0.1)
ridge.fit(X\_train\_scaled, y\_train)
evaluate\_model(ridge, X\_test\_scaled, y\_test, X\_train\_scaled, y\_train)
plot\_predictions(ridge, X\_test\_scaled, y\_test)

Training data statistics

Mean squared error = 0.0037598381676037483

Root mean squared error = 0.06131751925513416

R2 Score = 0.8092306750564175

Adjusted R2 Score = 0.806809744536829

Testing data statistics

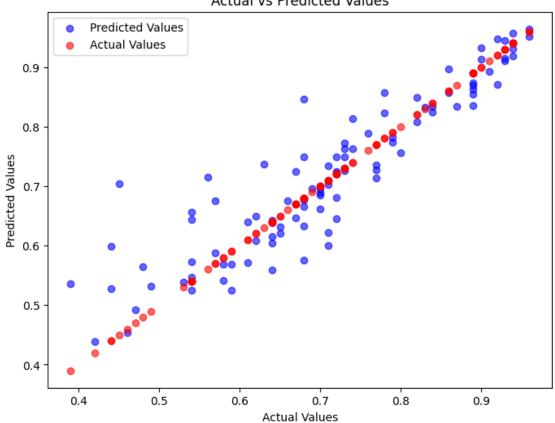
Mean squared error = 0.0034220707471281416

Root mean squared error = 0.058498467904109605

R2 Score = 0.8326615771575481

Adjusted R2 Score = 0.8237605972191198

#### Actual vs Predicted Values



[77]: