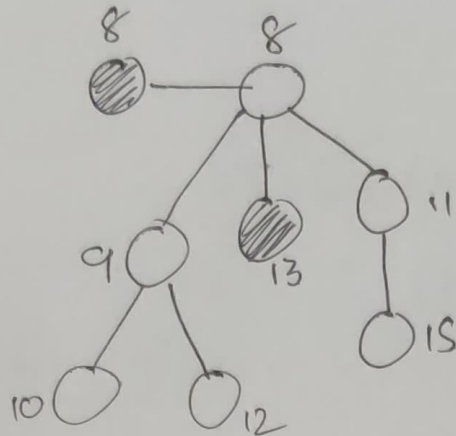
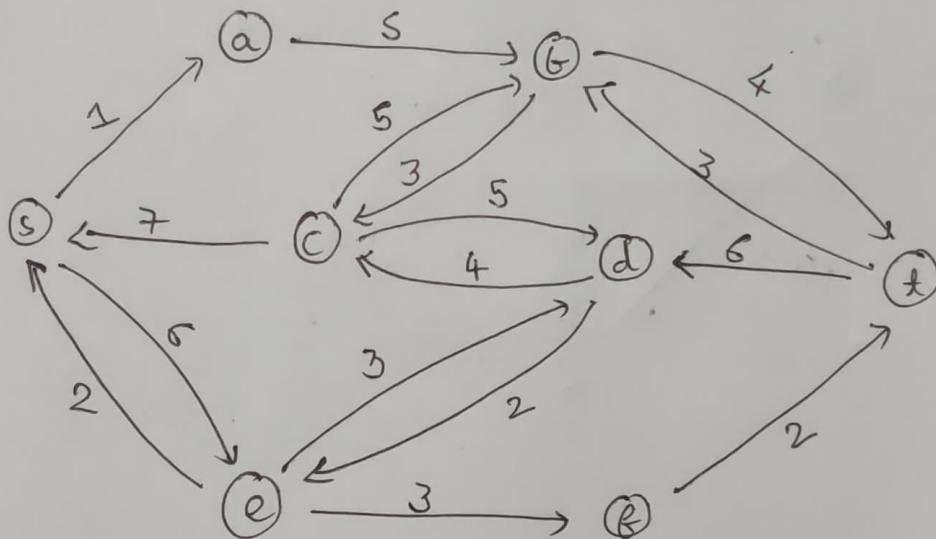


A1)



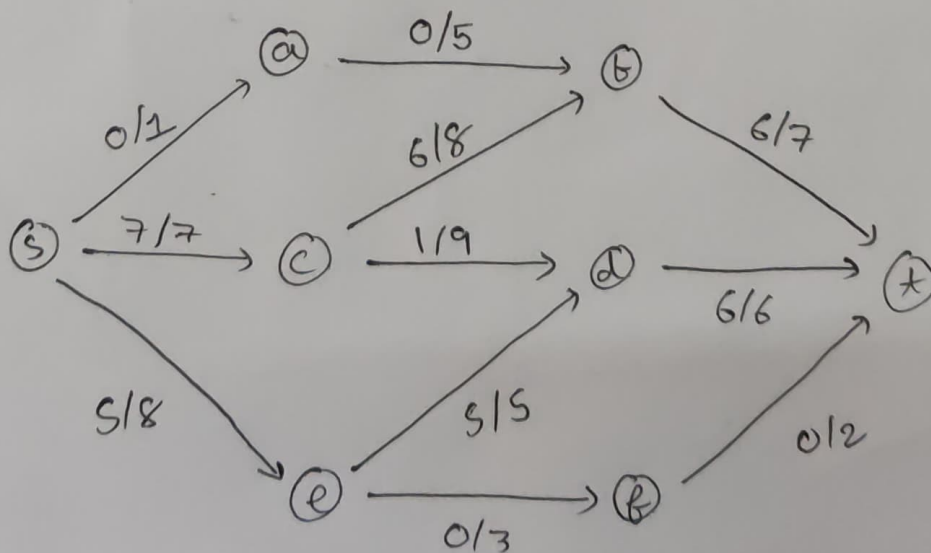
A2) (i)



(ii)

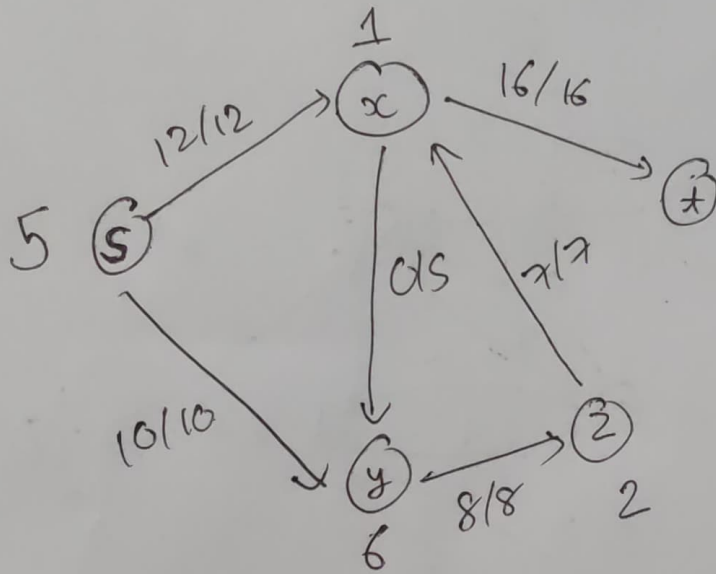
$s \rightarrow e \rightarrow d \rightarrow c \rightarrow b \rightarrow t$

(iv)



A3)

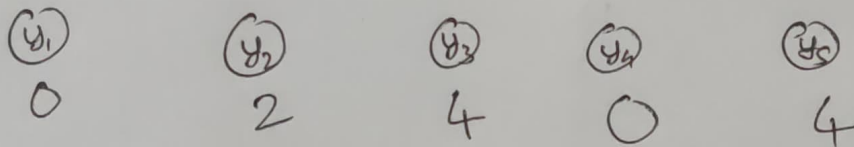
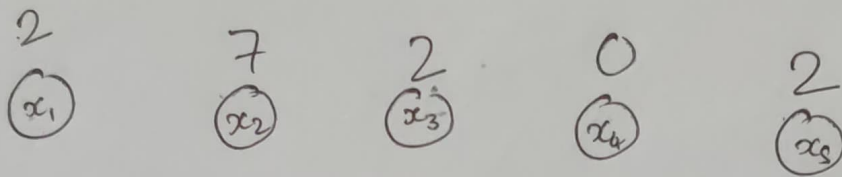
1. Relabel (z)
2. Relabel (y)
3. ~~Relabel (z)~~ Push (z, x)
4. Push (x, t)



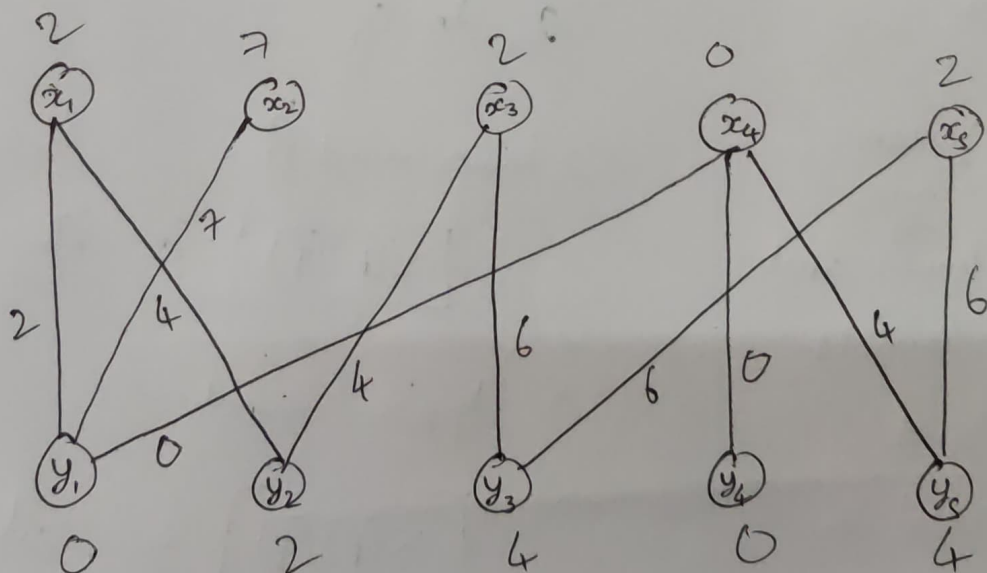
A4)

$$\begin{aligned} \mathcal{L} &= \min \left(\begin{array}{l} 4+0-2, 4+0-0, 4+0-0, 4+0-1, \\ 2+0-0, 2+0-0, 4+0-0, 4+0-0 \end{array} \right) \\ &= \min \left(\begin{array}{l} 2, 4, 4, 3, \\ 2, 2, 4, 4 \end{array} \right) = 2 \end{aligned}$$

Related values



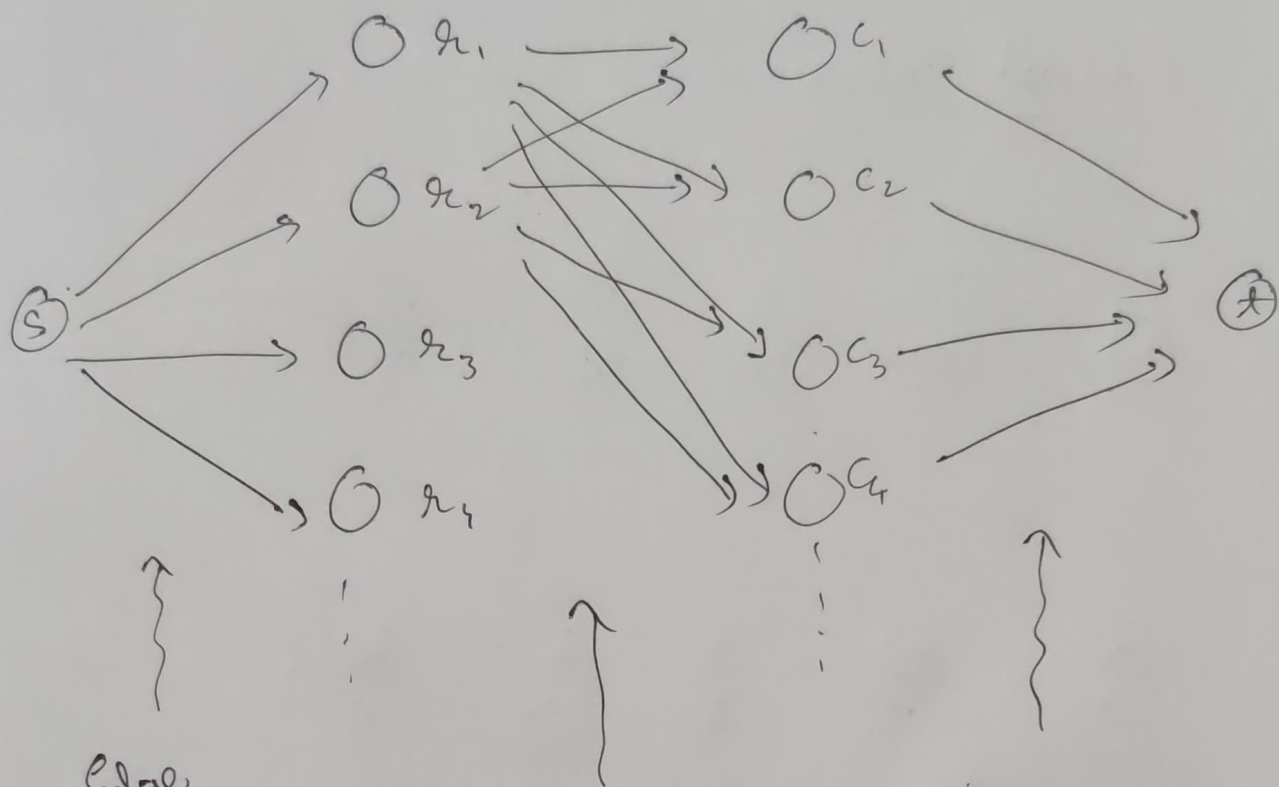
Equality graph



AS)

We create a column of nodes for each row.

And one for each column.



Edge capacity
= sum of
 i^{th} row

Edge capacity
from
 r_i to c_j

Edge capacity
= sum of
 i^{th} column

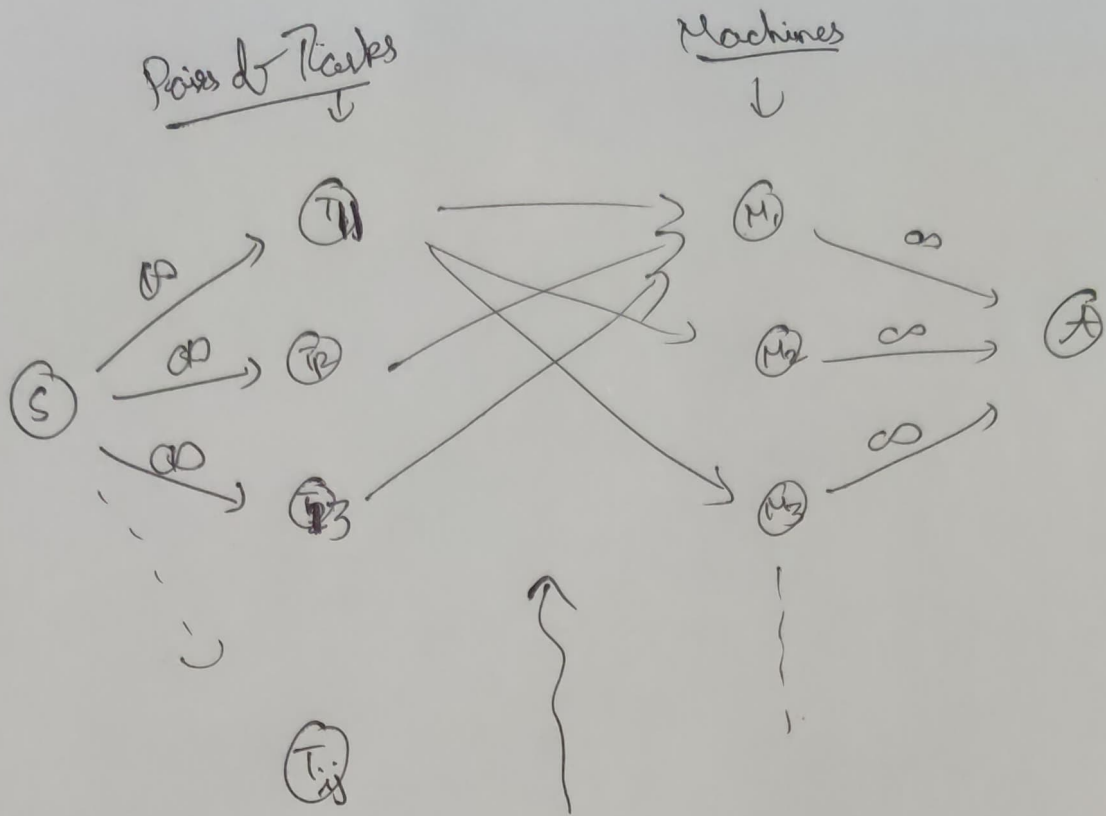
* Solve ^{INTEGRAL} flows
with lower and
upper bounds
on edges
discussed in
TUTORIAL *

\Rightarrow Lower bound Φ
 $\lfloor x[l][r] \rfloor \leftarrow \text{floor}$

\Rightarrow Upper bound
 $\lceil x[l][r] \rceil \leftarrow \text{ceil.}$

✓ The
final
flow
from
 r_i to c_j
gives
value
of
 $y[i][j]$

A6)



Costs

if T_{ii} cost = C_i

T_{ij} cost = $C_{ij} + P_{ij}$

find min flow

if exists
else 0.