

## Unit - 5.

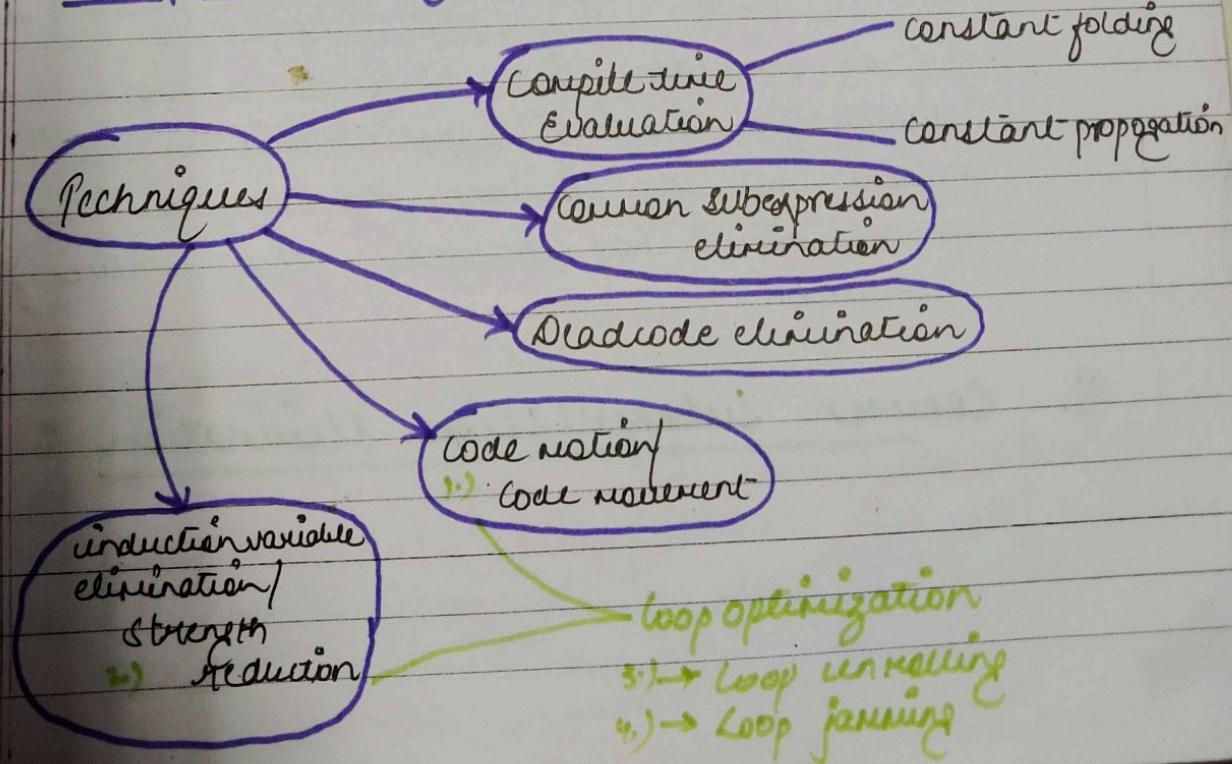
# Code Optimization

Code optimization is a technique which tries to improve the code by eliminating the unnecessary code lines & arranging the statements in such a sequence that speed up the program execution without wasting the resources.

### \* Advantages :

1. Executes better
2. Efficient memory usage
3. Better performance.

### \* Principle Techniques used in code optimization:



## I. Compile time evaluation:

### 1.) constant folding:

It refers to the technique of evaluating the expression whose operands are known to be constant at compile time itself.

Example:

$$\begin{aligned} \text{length} &= \frac{22}{7} * d \text{ (original)} \\ &= 3.14 * d \text{ (folded value at compile time)} \end{aligned}$$

### 2.) constant propagation:

Example:

$$\text{Area of circle } (A) = \pi * r * r ; r=5 \text{ 10 times evaluated}$$

$A = 3.14 * 5 * 5$    
 $A = \pi$    
 calculated at compile time as 10 times  $A$  is calculated for same value of  $r$  (i.e. 5)

If a variable is assigned a value then subsequent use of that variable can be replaced by a constant as long as no in b/w assignment has changed the value of variable.

## II. Common Subexpression Elimination:

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The common subexpression is an expression i.e. repeatedly appearing in the code which is computed previously.

Ex:

	Before elimination	After elimination
$T_1 = 4 * i$		$T_1 = 4 * i$
$T_2 = \text{addr}(a) - 4$		$T_2 = \text{addr}(a) - 4$
$T_3 = T_2[T_1]$		$T_3 = T_2[T_1]$
$T_4 = 4 * i$	common subexpression	
$T_5 = \text{addr}(b) - 4$		$T_5 = \text{addr}(b) - 4$
$T_6 = T_5[T_4]$		$T_6 = T_5[T_4]$

### III. Dead code Elimination :

Dead code elimination eliminates those code statements which are never executed or are unreachable or if executed, their o/p is never used.

Ex:  $i = 0;$

$i = 0;$

$\text{if } (i = 1)$   
 Dead code: this will never execute  
 as  $i \neq 1$  always

$x = a + 5;$

### IV. code motion / code movement :

It is a technique of moving a block of code outside the loop if it does not have any difference if it is extended outside or inside the loop.

Ex:

```
for (i=0; i<=10; i++)
```

$$x = y + 5;$$

$$a[i] = 6 * i;$$

this does not depend on "for" loop. It will also execute 10 times if we will rearrange inside the loop. So, optimize it.

while( $i \leq \max -$   
{

sum = sum + a[i]

compiler will  
compute this value then

this value then  
will move inside  
-  $b[i]$ ; the loop so,  
computer this  
value & keep  
it in this  
place.

$$\bar{y} + z$$

```
for (i=0; i<=10; i++)
```

$$a[i] = 6 * i;$$

254535

$$t = \max - 1 ;$$

while ( $i \leq t$ )

$$\text{sum} = \text{sum} + a[i] + b[i],$$

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## Induction variable elimination / Strength Reduction :

A variable  $x$  is called induction variable of a loop if its value is incremented or decremented by some constant each time.

Ex:

$$T_1 = 4 \circledast i \quad \neq \quad T_1 = T_1 \oplus 4$$

if  $i <= 20$  go to  $\Rightarrow$  if  $T_1 <= T_6$  go to

"\*" strength is higher than "+"

so, "\*" replaced by low strength operator.

## : noisy goal | ground goal DU

Strength of certain operators is higher than others. Then higher strength operators are replaced by lower strength operators.

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## Loop Unwinding Technique:

The idea behind this technique is to save time by reducing number of overhead instructions that the computer has to execute in a loop. To achieve this statements that are called in multiple iterations are combined in a single iteration.

Example :

$i=1$

while ( $i <= 100$ )

{

$i=1$

$a[i] = 0; a[i] = 0$

$i++; i = 2 \text{ & so on}$

execution  
loop will  
be 100 times

at once only 1  
value of  $i$  will be  
executed

$i=1$

while ( $i <= 100$ )

{

$i=1$

$a[i] = 0; a[i] = 0$

$i++;$

$i = 2$

$a[2] = 0; a[2] = 0$

$i++;$

$i = 3$

$a[3] = 0; a[3] = 0$

$i++;$

$i = 4$

$a[4] = 0; a[4] = 0$

$i++;$

$i = 5$

$a[5] = 0; a[5] = 0$

$i++;$

$i = 6$

$a[6] = 0; a[6] = 0$

$i++;$

$i = 7$

$a[7] = 0; a[7] = 0$

$i++;$

$i = 8$

$a[8] = 0; a[8] = 0$

$i++;$

$i = 9$

$a[9] = 0; a[9] = 0$

$i++;$

$i = 10$

$a[10] = 0; a[10] = 0$

$i++;$

$i = 11$

$a[11] = 0; a[11] = 0$

$i++;$

$i = 12$

$a[12] = 0; a[12] = 0$

$i++;$

$i = 13$

$a[13] = 0; a[13] = 0$

$i++;$

$i = 14$

$a[14] = 0; a[14] = 0$

$i++;$

$i = 15$

$a[15] = 0; a[15] = 0$

$i++;$

$i = 16$

$a[16] = 0; a[16] = 0$

$i++;$

$i = 17$

$a[17] = 0; a[17] = 0$

$i++;$

$i = 18$

$a[18] = 0; a[18] = 0$

$i++;$

$i = 19$

$a[19] = 0; a[19] = 0$

$i++;$

$i = 20$

$a[20] = 0; a[20] = 0$

$i++;$

$i = 21$

$a[21] = 0; a[21] = 0$

$i++;$

$i = 22$

$a[22] = 0; a[22] = 0$

$i++;$

$i = 23$

$a[23] = 0; a[23] = 0$

$i++;$

$i = 24$

$a[24] = 0; a[24] = 0$

$i++;$

$i = 25$

$a[25] = 0; a[25] = 0$

$i++;$

$i = 26$

$a[26] = 0; a[26] = 0$

$i++;$

$i = 27$

$a[27] = 0; a[27] = 0$

$i++;$

$i = 28$

$a[28] = 0; a[28] = 0$

$i++;$

$i = 29$

$a[29] = 0; a[29] = 0$

$i++;$

$i = 30$

$a[30] = 0; a[30] = 0$

$i++;$

$i = 31$

$a[31] = 0; a[31] = 0$

$i++;$

$i = 32$

$a[32] = 0; a[32] = 0$

$i++;$

$i = 33$

$a[33] = 0; a[33] = 0$

$i++;$

$i = 34$

$a[34] = 0; a[34] = 0$

$i++;$

$i = 35$

$a[35] = 0; a[35] = 0$

$i++;$

$i = 36$

$a[36] = 0; a[36] = 0$

$i++;$

$i = 37$

$a[37] = 0; a[37] = 0$

$i++;$

$i = 38$

$a[38] = 0; a[38] = 0$

$i++;$

$i = 39$

$a[39] = 0; a[39] = 0$

$i++;$

$i = 40$

$a[40] = 0; a[40] = 0$

$i++;$

$i = 41$

$a[41] = 0; a[41] = 0$

$i++;$

$i = 42$

$a[42] = 0; a[42] = 0$

$i++;$

$i = 43$

$a[43] = 0; a[43] = 0$

$i++;$

$i = 44$

$a[44] = 0; a[44] = 0$

$i++;$

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$a[45] = 0; a[45] = 0$

$i++;$

$i = 46$

$a[46] = 0; a[46] = 0$

$i++;$

$i = 47$

$a[47] = 0; a[47] = 0$

$i++;$

$i = 48$

$a[48] = 0; a[48] = 0$

$i++;$

$i = 49$

$a[49] = 0; a[49] = 0$

$i++;$

$i = 50$

$a[50] = 0; a[50] = 0$

$i++;$

$i = 51$

$a[51] = 0; a[51] = 0$

$i++;$

$i = 52$

$a[52] = 0; a[52] = 0$

$i++;$

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$a[53] = 0; a[53] = 0$

$i++;$

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$a[54] = 0; a[54] = 0$

$i++;$

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$a[55] = 0; a[55] = 0$

$i++;$

$i = 56$

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$i++;$

$i = 57$

$a[57] = 0; a[57] = 0$

$i++;$

$i = 58$

$a[58] = 0; a[58] = 0$

$i++;$

$i = 59$

$a[59] = 0; a[59] = 0$

$i++;$

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$a[60] = 0; a[60] = 0$

$i++;$

$i = 61$

$a[61] = 0; a[61] = 0$

$i++;$

$i = 62$

$a[62] = 0; a[62] = 0$

$i++;$

$i = 63$

$a[63] = 0; a[63] = 0$

$i++;$

$i = 64$

$a[64] = 0; a[64] = 0$

$i++;$

$i = 65$

$a[65] = 0; a[65] = 0$

$i++;$

$i = 66$

$a[66] = 0; a[66] = 0$

$i++;$

$i = 67$

$a[67] = 0; a[67] = 0$

$i++;$

$i = 68$

$a[68] = 0; a[68] = 0$

$i++;$

$i = 69$

$a[69] = 0; a[69] = 0$

$i++;$

$i = 70$

$a[70] = 0; a[70] = 0$

$i++;$

$i = 71$

$a[71] = 0; a[71] = 0$

$i++;$

$i = 72$

$a[72] = 0; a[72] = 0$

$i++;$

$i = 73$

$a[73] = 0; a[73] = 0$

$i++;$

$i = 74$

## VII Loop\_fanning / Loop\_fusion :

It is a technique in which we can merge the bodies of two loops if both the loops have same number of iterations.

Example :  $\text{for } (i=1; i \leq 100; i++)$        $\text{for } (i=1; i \leq 100; i++)$   
 {      }      simplify without goal  $\pi$   
 $a[i] = 0;$        $a[i] = 0;$   
 $\text{for } (i=0; i \leq 100; i++)$        $b[i] = x[i] + 5;$   
 $\text{for } (i=0; i \leq 100; i++)$       }  
 $b[i] = a[i] + 5;$   
 }  
same loop

## # Basic Blocks :

The basic block is a sequence of consecutive statements which are always executed in sequence without halt or possibility of branching.

\* Algorithms for partitioning the 3-address statements into basic blocks :

Step-1 : Determine the leader.

1. a) 1st statement is a leader  
 b) Any statement which is target of the conditional or loop initialization to 20 is a leader.  
 c) Any statement which immediately follows a conditionally goto is a leader.

Step-2: The basic block is formed starting at the leader statement & ending just before the next leader statement appearing.

Example :

```

prod = 0;
i = 1;
do . . .
{ . . .
  prod = prod + a[i]*b[i];
  i = i+1;
}
while (i <= 20);
  
```

20

4 bytes/word.

prod = prod + a[i]\*b[i];

i = i+1;

2

while (i <= 20);

B1 1.) prod = 0; J1 1(a)  
 2.) i = 1

B2 3.) t1 = i \* 4 J2 1(b)

4.) t2 = addx(a) - 4

5.) t3 = t2[t1]

6.) t4 = t3 \* 4 \*

7.) t5 = addx(b) - 4

8.) t6 = t5[t4]

9.) t7 = t3 \* t6

10.) t8 = t7 + prod

11.) prod = t8

12.) t9 = i + 1

13.) i = t9

14.) if i <= 20 go to (3)

B3 15.) Next Statement J3 1(c)

No. of statements executing =

$2 + (20 \times 12) \Rightarrow 242$  statements

B1

B2

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### \* Flow Graph :

It is a directed graph in which the flow control information is added to basic blocks.

#### Rules :

Rule-1 : Basic blocks are the nodes of the flow graph.

Rule-2 : The block whose leader is the let statement is called Initial block.

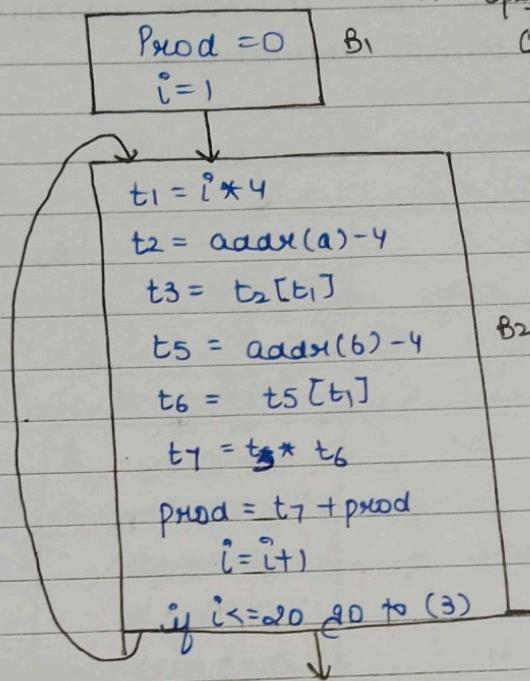
Rule-3 : There is a directed edge from block  $B_1$  to block  $B_2$  if  $B_2$  immediately follows  $B_1$  in the given sequence so we can say  $B_1$  is the predecessor of  $B_2$ .

### \* Optimization of Basic blocks :

For the previous block diagram, optimization is applied to that block and common subexpressions are optimised.

Optimised block is :

\* Optimization for  
COMMON SUBEXPRESSION



No. of statements executing =  

$$2 + (9 \times 20)$$

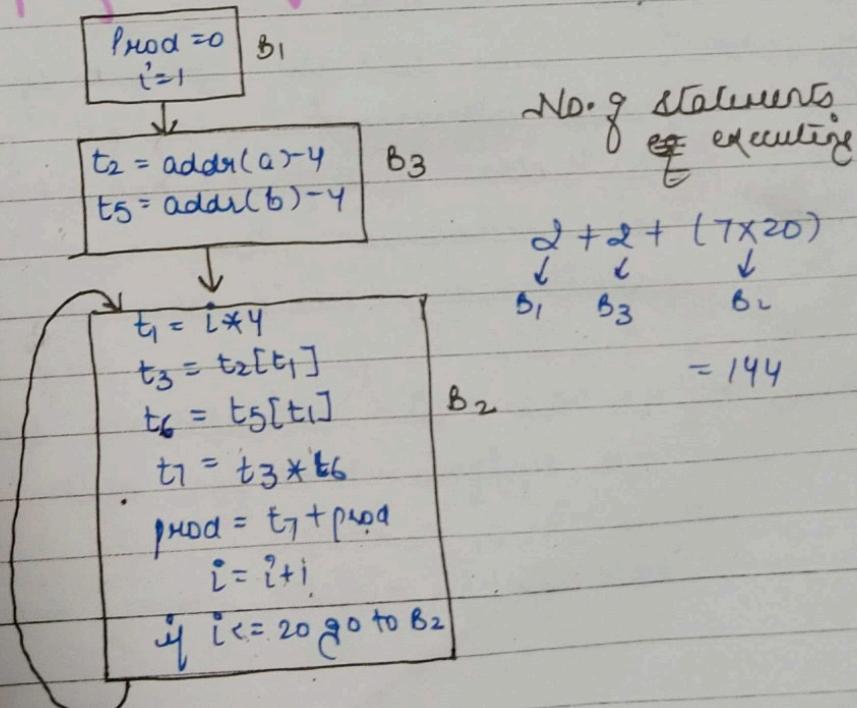
$$\downarrow \quad \downarrow$$

$$B_1 \quad B_2$$

$$= 182$$

To block beginning with  
statement follows 11

\* Optimization for code motion applied #



No. of statements executing =  

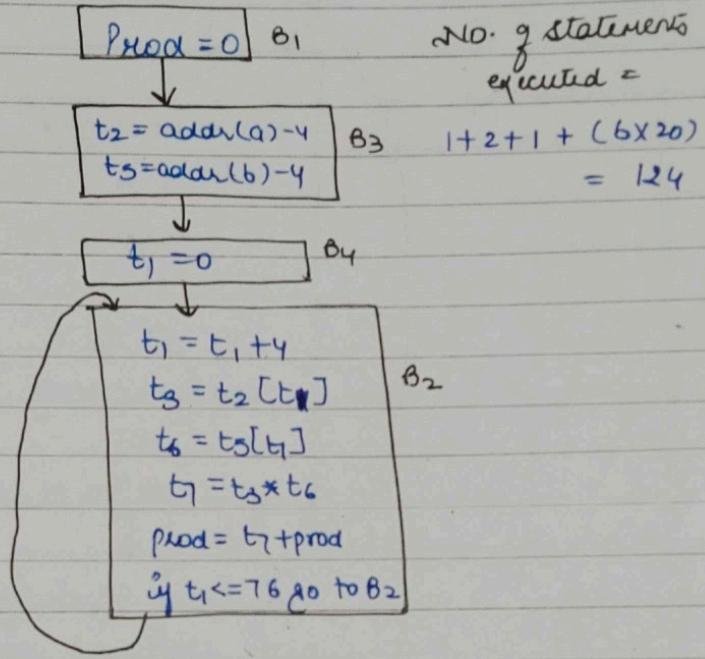
$$2 + 2 + (7 \times 20)$$

$$\downarrow \quad \downarrow \quad \downarrow$$

$$B_1 \quad B_3 \quad B_2$$

$$= 144$$

- \* Optimization for induction variable elimination or strength reduction :



## # Directed Acyclic Graph (DAG):

- \* Similar to any abstract syntax tree but the only difference is that for common subexp. the tree is not made again & value is not recomputed. The value is directly taken from the node where the value is stored.

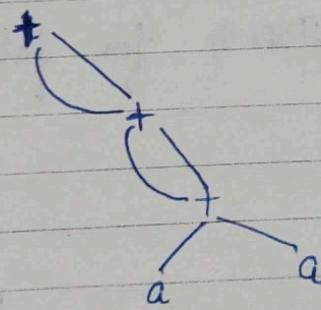
→ A DAG is an abstract syntax tree with a unique node for each value.

→ DAG is a directed graph that contains no cycle.

\* Rules for construction of DAG:

1. In a DAG, leaf nodes represents identifiers, names or constants and interior nodes represents operations.
2. While constructing DAG, we have to check to find if there is an existing node with the same children. A new node is created only when such a node does not exist. This action allows us to detect common subexpression & eliminate recomputation of the same.
3. The assignment of the form  $x := y$  must not be performed until & unless it is a nest.

Example 3  $((a+a)+(a+a)) + ((a+a)+(a+a))$



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Ques

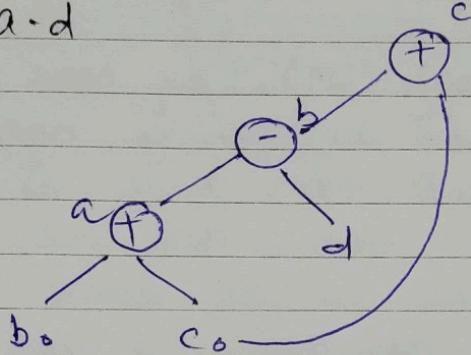
Construct DAG for the following :-

$$a = b + c$$

$$b = a - d$$

$$c = b + c$$

$$d = a - d$$



Now by optimising

$$\boxed{\begin{aligned} a &= b + c \\ d &= a - d \\ e &= d + c \end{aligned}}$$

Ques Construct DAG for following block.

$$a = b * c$$

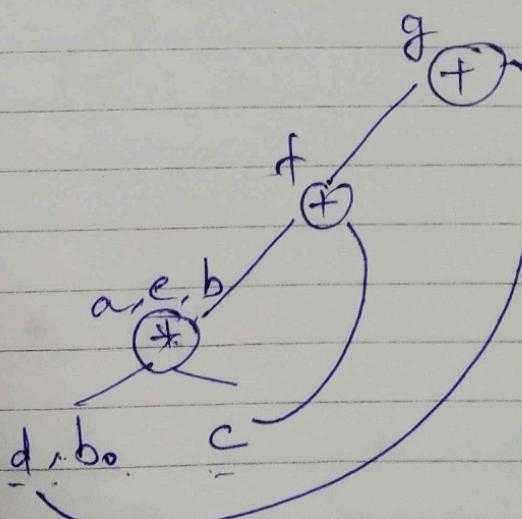
$$d = b$$

$$e = d * c$$

$$b = e$$

$$f = b + c$$

$$g = f + d$$



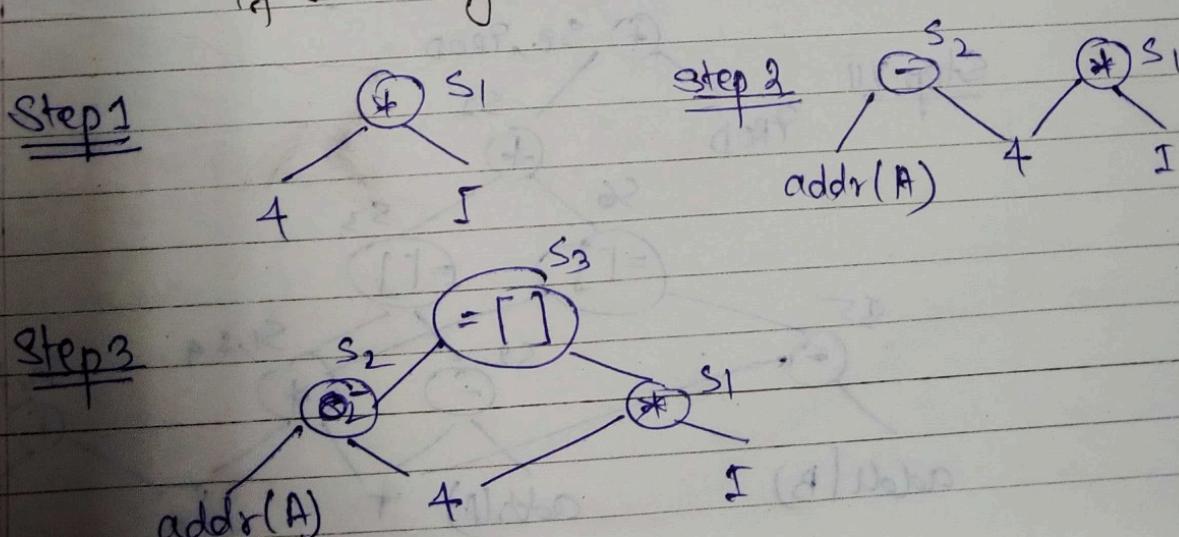
Take initial  
b as b0.

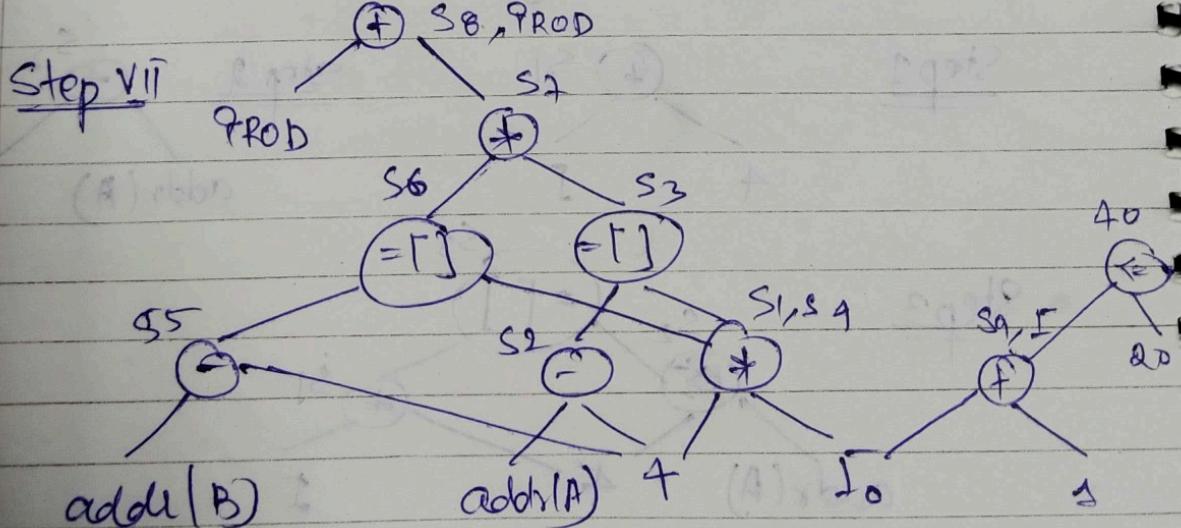
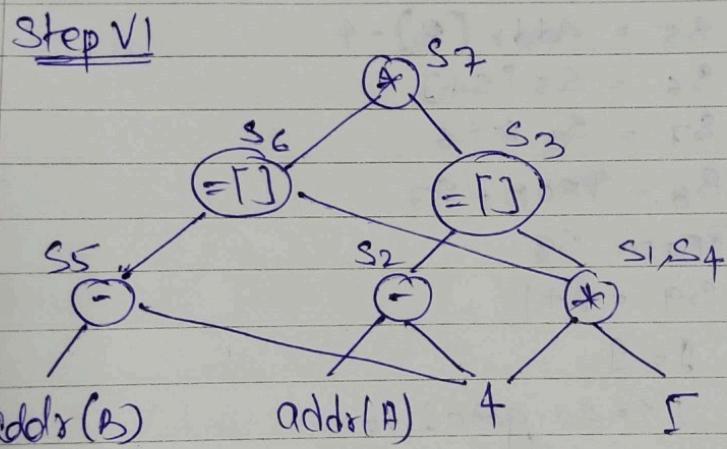
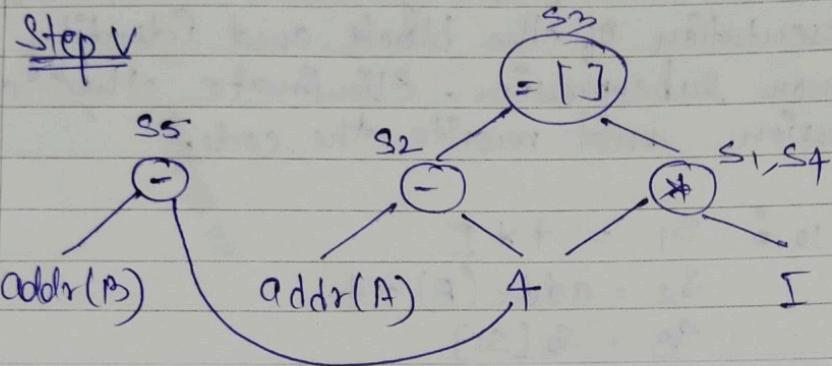
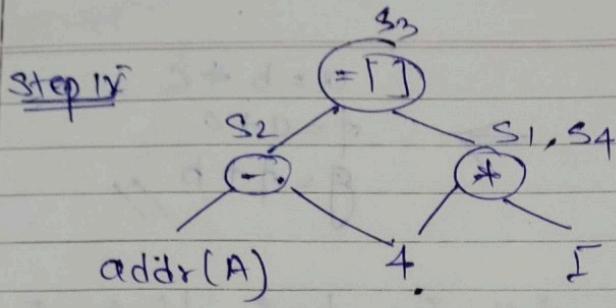
$$\begin{array}{l}
 a = b * c \\
 d = b \\
 f = a + c \\
 g = f + d
 \end{array}
 \Rightarrow
 \begin{array}{l}
 a = b * c \\
 f = a + c \\
 g = f + b
 \end{array}
 \quad // \quad \text{local common subexpression}$$

Ques Consider the following basic block. Draw DAG representation of the block and identify local common subexpression. Eliminate the common expression and rewrite the code.

$$\begin{aligned}
 L_{10} : \quad & S_1 = 4 * I \\
 & S_2 = \text{addr}(A) - 4 \\
 & S_3 = S_2 [S_1] \\
 & S_4 = 4 * I \\
 & S_5 = \text{addr}(B) - 4 \\
 & S_6 = S_5 [S_4] \\
 & S_7 = S_3 * S_6 \\
 & S_8 = \text{PROD} + S_7 \\
 & \text{PROD} = S_8 \\
 & S_9 = I + 1 \\
 & I = S_9
 \end{aligned}$$

if  $I \leq 20$  goto  $L_{10}$





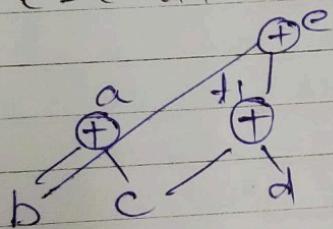
Now by optimising

L10 :  $S_1 = 4 * 5$   
 $S_2 = \text{addr}(A) - 4$   
 $S_3 = S_2[S_1]$   
 $S_5 = \text{addr}(B) - 4$   
 $S_6 = S_5[S_1]$   
 $S_7 = S_3 * S_6$   
 $\text{PROD} = \text{PROD} + S_7$   
 $\Sigma = \Sigma + 1$

if  $\Sigma \leq 20$  goto L10

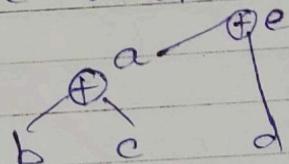
⇒ Algebraic identities.

$$a = b + c$$
$$e = c + d + b$$



Now by optimising

$$a = b + c$$
$$e = a + d \quad \because a = b + c$$



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## 1. # Global Data Flow Analysis :

A number of optimisations can be achieved by knowing various pieces of information that

can be obtained only by examining the entire program.

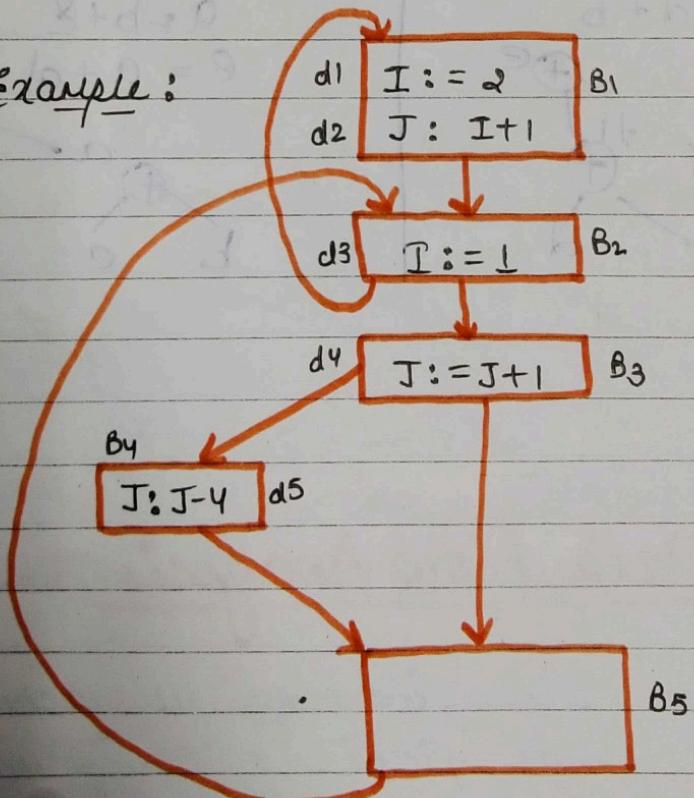
Example: If a variable A has value 3, everytime control reaches a certain point P then we can substitute 3 for each use of A at P.

## # Reaching Definitions :

→ To determine the definitions that can reach a given point in a program, we first assign a distinct number to each definition.

Example:

(to find  
RD chains)



- The next step in UD-chaining is to compute 2 sets for each basic blocks  $B$ . The first  $GEN[B]$  is the set of GENERATED definitions, these definitions within block  $B$  that reach the end of the block.

bit vector

$$GEN[B_1] = \{d_1, d_2\}$$

11 000

$$GEN[B_2] = \{d_3\}$$

001 00

$$GEN[B_3] = \{d_4\}$$

0001 0

$$GEN[B_4] = \{d_5\}$$

0000 1

$$GEN[B_5] = \{\emptyset\}$$

00000

- \* The second set  $KILL[B]$  which is the set of definitions outside of  $B$  that define identifiers that also have definition within  $B$ .

$$KILL[B_1] = \{d_3, d_4, d_5\}$$

00111

$$KILL[B_2] = \{d_1\}$$

10000

$$KILL[B_3] = \{d_2, d_5\}$$

01001

$$KILL[B_4] = \{d_2\}$$

01010

$$KILL[B_5] = \emptyset$$

00000

- The next and most complex step is to compute for all blocks  $B$  in the set  $B$  i.e. consisting of all the definitions reaching the point just before the 1st statement of block  $B$ .

$$IN[B_1] = OUT[B_2]$$

$$IN[B_2] = OUT[B_1] \cup OUT[B_5]$$

→ To help compute  $IN$  we will also compute  $OUT[B]$  for all blocks  $B$ .

$OUT[B]$  is the set of definitions reaching the point just after the last statement of  $B$ .

## # Data Flow Equations :

2 sets of equations called data flow equations that relate  $IN$  &  $OUT$ .

For all blocks  $B$  :

1.)  $OUT[B] = ((IN[B] - KILL[B]) \cup GEN[B])$

$$IN[B] - KILL[B] \Rightarrow IN[B] \wedge \neg KILL[B]$$

2.)  $IN[B] = \bigcup OUT[P]$

$P$  - predecessor of  $B$

Initially  $IN[B] = \emptyset$  and  $OUT[B] = GEN[B]$ .

	INITIAL		Pass 1	
	IN[B]	OUT[B]	IN[B]	OUT[B]
B1	00000	11000	00100	11000
B2	00000	00100	11000	01100
B3	00000	00010	00100 $\wedge$ 11000	00110
B4	00000	00001	00110	00101
B5	00000	00000	00111	00111

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Pass 1 :

Block B1 :

$$\text{NEW[IN]} = \text{OUT[B}_2\text{]}$$

$$\boxed{\text{NEW[IN]} = 00100 \neq 00000 = \text{IN[B]}}$$

$$\text{OUT[B}_1\text{]} = \text{IN[B}_1\text{]} - \text{KILL[B}_1\text{]} \cup \text{GEN[B}_1\text{]}$$

$$= 00100 - 00111 \cup 11000$$

$$= (00100 \wedge 11000) \vee 11000$$

$$= 00000 \vee 11000$$

$$\boxed{\text{OUT[B}_1\text{]} = 11000}$$

Block B2 :

$$\text{NEW[IN]} = \text{OUT[B}_1\text{]} + \text{OUT[B}_5\text{]}$$

$$= 11000 \neq 00000$$

$$\boxed{\text{NEW[IN]} = 11000}$$

$$\text{OUT[B}_2\text{]} = \text{IN[B}_2\text{]} - \text{KILL[B}_2\text{]} \cup \text{GEN[B}_2\text{]}$$

$$= 11000 - 10000 + 00100$$

$$= 11000 \wedge 01111 \vee 00100$$

$$= 01000 \vee 00100$$

$$\boxed{\text{OUT[B}_2\text{]} = 01100}$$

### Block B<sub>3</sub>:

$$\sim \text{NEW}[\text{IN}] = \text{OUT}[\text{B}_2]$$

$$\boxed{\sim \text{NEW}[\text{IN}] = 0100}$$

$$\begin{aligned}\text{OUT}[\text{B}_3] &= \text{IN}[\text{B}_3] - \text{KILL}[\text{B}_3] \cup \text{GEN}[\text{B}_3] \\ &= 0100 - 01001 \cup 00010 \\ &= (0100 \wedge 10110) \vee 00010 \\ &= 00100 \vee 00010\end{aligned}$$

$$\boxed{\text{OUT}[\text{B}_3] = 00110}$$

### Block B<sub>4</sub>:

$$\sim \text{NEW}[\text{IN}] = \text{OUT}[\text{B}_3]$$

$$\boxed{\sim \text{NEW}[\text{IN}] = 00110}$$

$$\begin{aligned}\text{OUT}[\text{B}_4] &= \text{IN}[\text{B}_4] - \text{KILL}[\text{B}_4] \cup \text{GEN}[\text{B}_4] \\ &= 00110 - 01000 \cup 00001 \\ &= (00110 \wedge 10101) \vee 00001 \\ &= 00100 \vee 00001\end{aligned}$$

$$\boxed{\text{OUT}[\text{B}_4] = 00101}$$

### Block B<sub>5</sub>:

$$\sim \text{NEW}[\text{IN}] = \text{OUT}[\text{B}_3] + \text{OUT}[\text{B}_4]$$

$$= 00110 + 00101$$

$$= 00110 \vee 00101$$

$$\boxed{\sim \text{NEW}[\text{IN}] = 00111}$$

$$\begin{aligned}\text{OUT}[\text{B}_5] &= \text{IN}[\text{B}_5] - \text{KILL}[\text{B}_5] \cup \text{GEN}[\text{B}_5] \\ &= 00111 - 00000 \vee 00000 \\ &= (00111 \wedge 11111) \vee 00000 \\ &= 00111 \vee 00000\end{aligned}$$

$$\boxed{\text{OUT}[\text{B}_5] = 00111}$$

B<sub>1</sub>  
B<sub>2</sub>  
B<sub>3</sub>  
B<sub>4</sub>  
B<sub>5</sub>

Pass 2		Pass 3		Pass 4	
IN[B]	OUT[B]	IN[B]	OUT[B]	IN[B]	OUT[B]
B1	01100	11000	01111	11000	01111
B2	11111	01111	11111	01111	11111
B3	01111	00110	01111	00110	11111
B4	00110	00101	00110	00101	11111
B5	00111	00111	00111	00111	11111

Pass 2 :  
Block B1 :

$$\text{NEW[IN]} = \text{DUT[B2]}$$

$$\boxed{\text{NEW[IN]} = 01100}$$

$$\text{DUT[B1]} = \text{IN[B1]} - \text{KILL[B1]} \cup \text{GEN[B1]}$$

$$= (01100 - 00111) \cup 11000$$

$$= (01100 \wedge 11000) \vee 11000$$

$$= 01000 \vee 11000$$

$$\boxed{\text{OUT[B1]} = 11000}$$

Block B2 :

$$\text{NEW[IN]} = \text{OUT[B1]} + \text{OUT[B5]}$$

$$= 11000 + 00111$$

$$= 11000 \vee 00111$$

$$\boxed{\text{NEW[IN]} = 11111}$$

$$\text{DUT[B2]} = \text{IN[B2]} - \text{KILL[B2]} \cup \text{GEN[B2]}$$

$$= (11111 \wedge 10000) \vee 00100$$

$$= (11111 \wedge 01111) \vee 00100$$

$$= 01111 \vee 00100$$

$$\boxed{\text{OUT[B2]} = 01111}$$

Similarly for Pass 2, 3 & 4

## # computing UD-chains:

→ If a use of a variable "A" is precedent in its block by a definition of A then only the last definition of A in the block prior to this use reaches the use. Hence, the list or UD chain for this use consists of only this one definition.

- The UD chain for I in d2 consists only of d1.

→ If a use of A is precedent in its block B by no definition of A then, the UD chain for this use consists of all definitions of A in IN[B].

- The UD chain of J in d4 is  $IN[B_3] = \{d1, d2, d3, d4, d5\}$  but in d3 J is not defined so, UD chain of J in d4 is  $d2, d4, d5$ .
- UD chain of J in d5 is only d4.

## # Code Generation:

The final phase of compiler model is code generation. It takes input from the intermediate representation with supplementary information in symbol table of source program and produces as o/p an equivalent target program.

### \* Design Issues in CG:

- 1.) I/P to CG
- 2.) Target Program : ~~variable length~~ #  
O/P may take variety of forms:
  - a.) Absolute M/C language (Executable code)
  - b.) Relocatable M/C code
  - c.) Assembly code/Language
- 3.) Memory Management:  
If the M/C code is being generated level in 8 address statement have to be converted to addresses of instructions. This process is similar to backpatching technique.
- 4.) Instruction Selection:  
It is important to obtain efficient code.

Example :

$$x = y + z$$

$$a = a + 1$$

MOV Y, R0  
ADD Z, R0  
STX R0, X

MOV y, R0

MOU 2, R,

ADD  $R_0, R_1$

STX R<sub>1</sub>, X

ADD #1, R0

STX 82.9

STX Ro, a

Adel #1-1

## ANSWER

INC a

efficient but time consuming

## 5.) Register allocation :

पूर्वी अमेरिका

## 6.) Evaluation Order

# Peephole Optimization: performed on target program.

2 marks

- 1.) Optimization can be directly assigned on assembly language.
  - 2.) A simple but effective technique for locally improving the target code.
  - 3.) It is done by examining a sliding window of target instruction (peephole) and replacing instruction sequences within a peephole by a shorter & faster sequence.

Example 3 :  $\text{MOV } a, b$   $\Rightarrow$   $\text{MOV } a, b$   
 $\text{MOV } b, a$

DAG  
Code optimization techniques  
Global Data flow analysis

- # 4) Repeated passes over the target code are necessary to get maximum benefit.

### I. Redundant Instruction Elimination:

#### Redundant Load & Store Instruction:

LD R0, a       $\Rightarrow$     LD R0, a  
ST a, R0

### II. Eliminating unreachable code:

if debug == 1 go to L1      if debug != 1 go to L2  
L1: print xy       $\Rightarrow$       print xy  
L2:       $\dots$