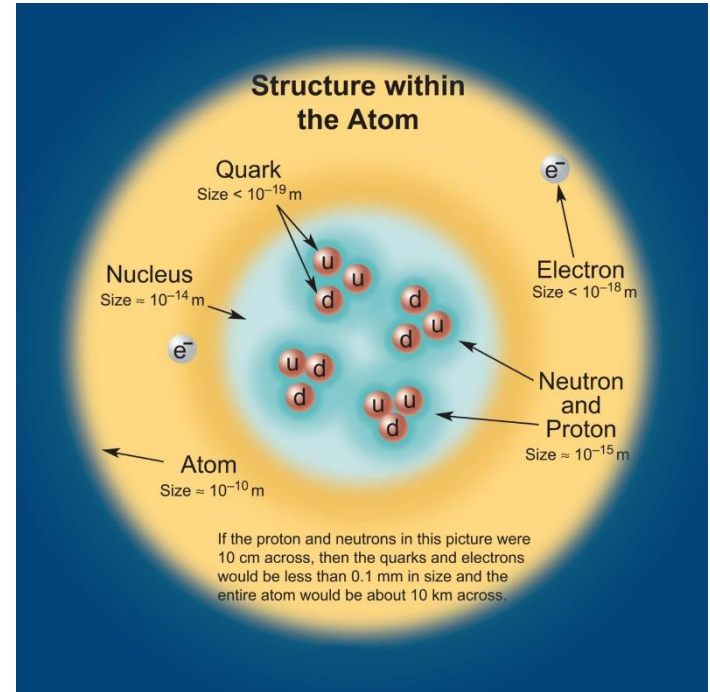
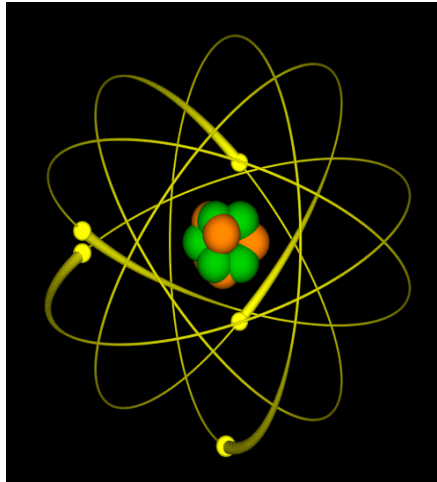
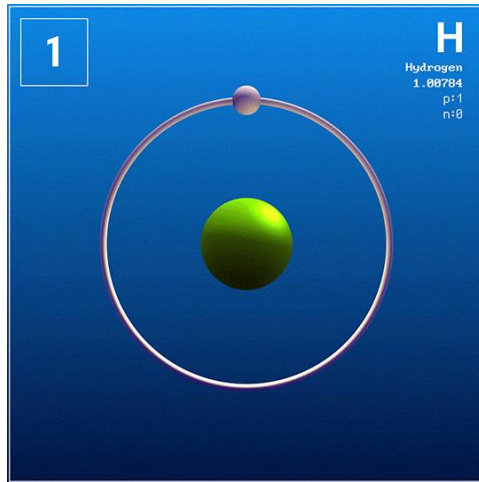


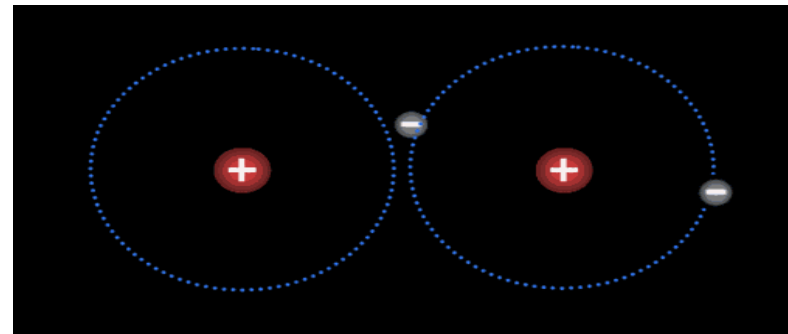
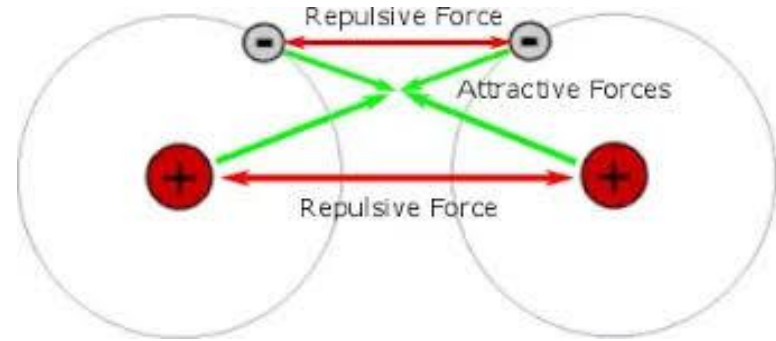
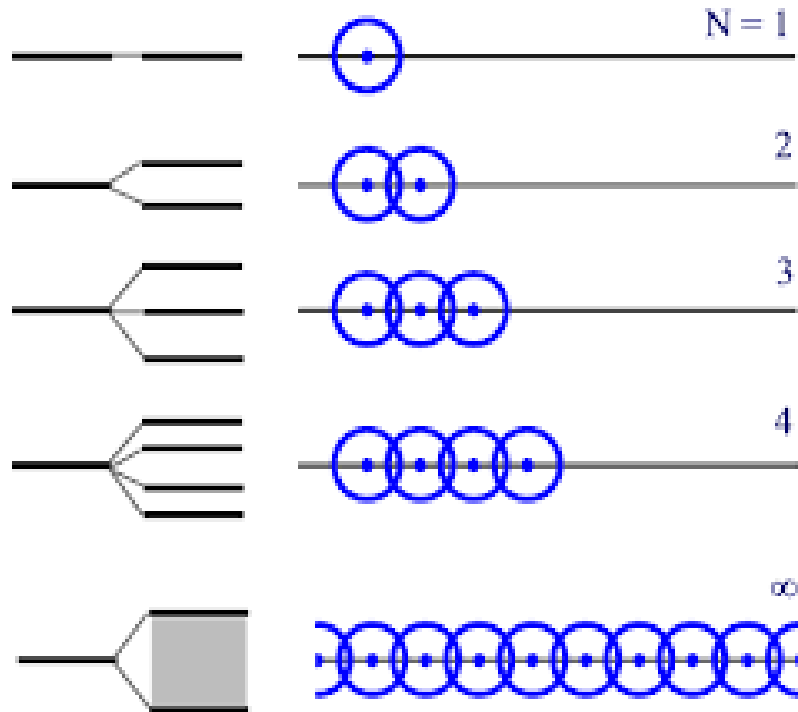
Semiconductor Physics

Unit I

Band Formation in Solid Atomic Structure

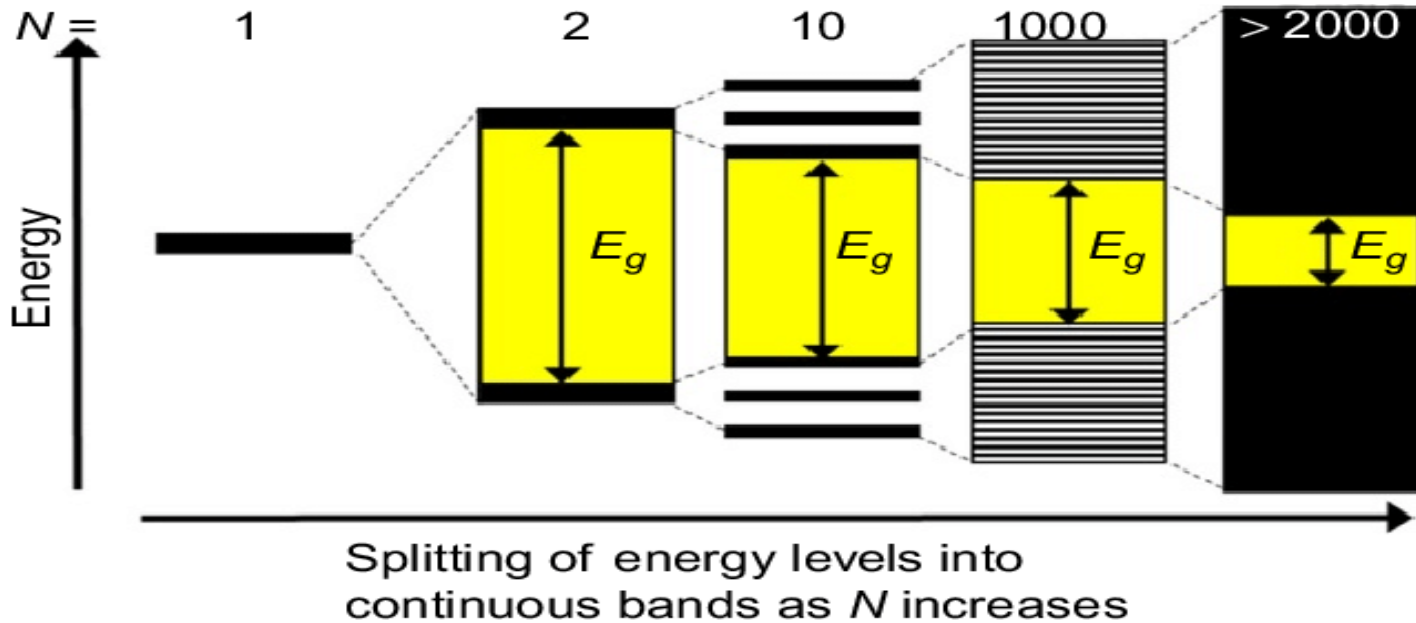


Splitting of Energy level

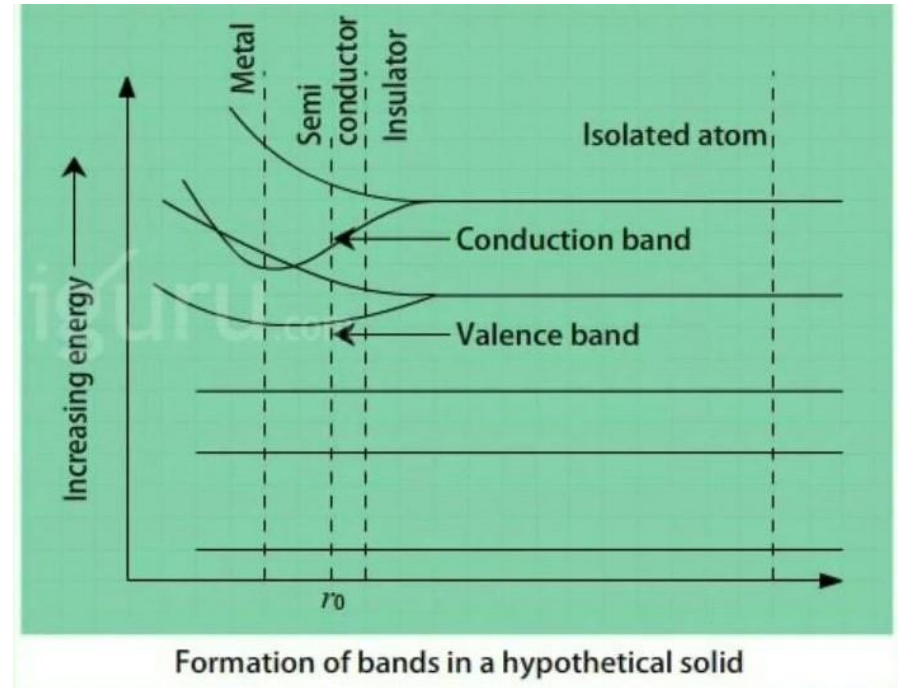


Formation of Energy Band

Splitting of energy levels which are closely spaced for Virtual continuum called Energy Band.

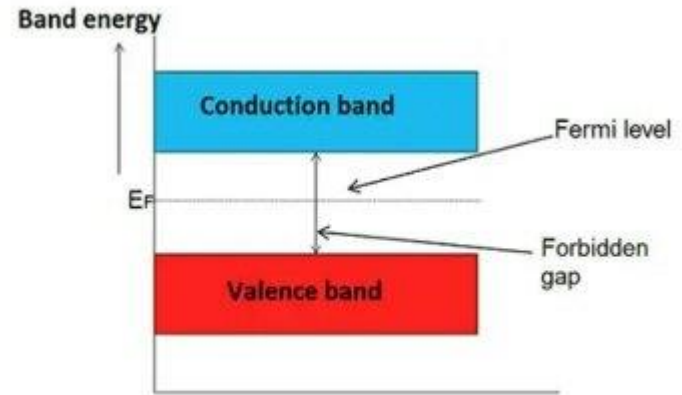


- ❖ With decrease the inter atomic distance Valance band & Conduction band overlap with each other.
- ❖ The equilibrium spacing determines the forbidden energy gap & type of element.



Energy Bands in solids

- ❖ **Valence Band** – The band is formed by the series of energy levels consist of valance electrons known as valance band.it is partially or completely filled depend upon nature of crystal.
- ❖ **Conduction Band**-The band is formed by the series of energy levels consist of conduction electrons known as conduction band.it is partially or completely empty depend upon nature of crystal.
- ❖ **Forbidden Band**-valance band & conduction band are separated by a gap known as Forbidden gap. It is the series of energy levels between top of valance band & bottom of conduction band.



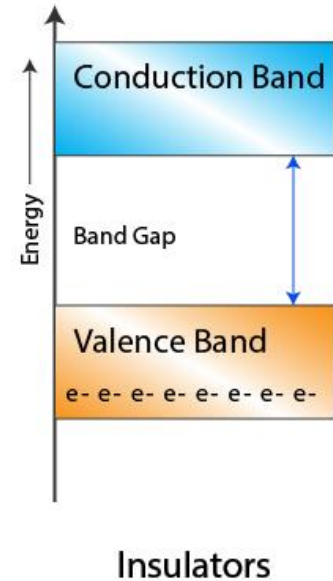
Copyright © 2013-2014, Physics and Radio-Electronics, All rights reserved

Types of Solids

On the bases of forbidden energy solid is divide in to three types

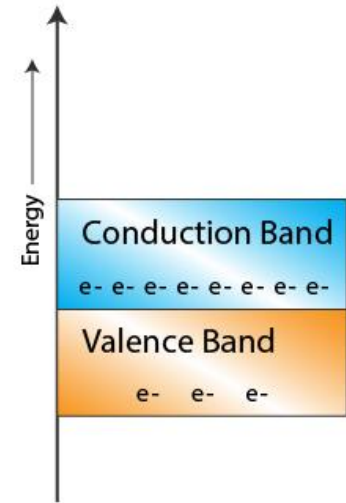
Insulator

- ❖ The material in which forbidden gap is very large is known as an insulator.
- ❖ Band gap energy (E_g) is $\geq 5\text{eV}$.
- ❖ Under normal condition electron can not jump from valance band to the conduction band.
- ❖ The transfer of electron from valance band to the conduction band required high activation energy is of the order of temp.of thousand of degrees.
- ❖ Insulator have very low conductivity & very high resistivity.
- ❖ Examples:Wood,Plastics,Rubber etc



Conductor

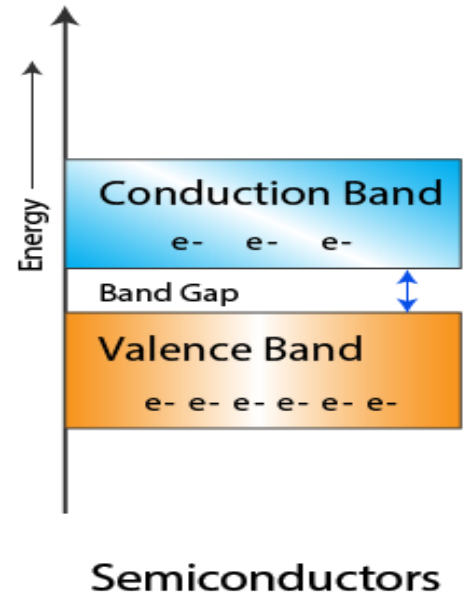
- ❖ The material in which there is no forbidden gap or overlaps between valance band & conduction band is known as Conductor.
- ❖ Band gap energy (E_g) is 0 eV.
- ❖ Electrons easily transfer from valance band to the conduction band.
- ❖ At room temp. Have high electrical conductivity.
- ❖ Examples: Silver, Copper, Gold etc



Conductors

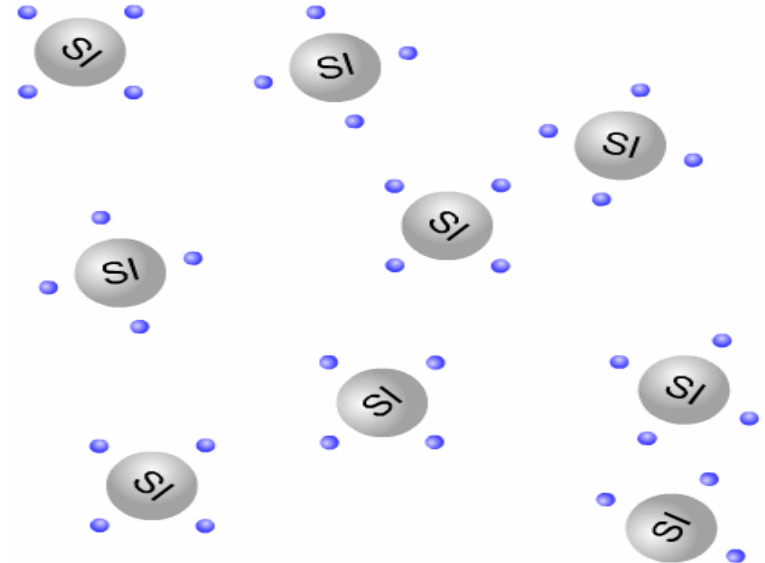
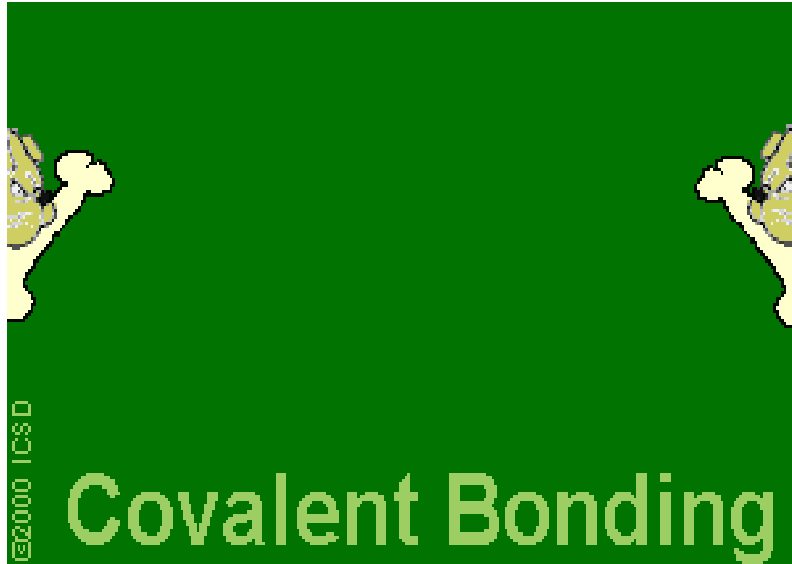
Semiconductor

- ❖ The material whose conductivity lies between conductor & insulator is known as Semiconductor.
- ❖ Band gap energy (E_g) is $\leq 2\text{eV}$.
- ❖ At 0°K it behaves like an insulator & at room temp. It behaves like conductor.
- ❖ Electron required some electrical or optical energy to jump from valence band to the conduction band.
- ❖ At 0°K its resistivity is high & at room temp. Its conductivity is high.
- ❖ Examples: Silicon ($E_g=1.12\text{ eV}$), Germanium ($E_g=0.72\text{ eV}$)



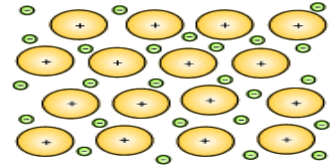
Covalent bond

- ❖ Bond which is formed due to the sharing of electron.
- ❖ Sharing of electron between two some or different type of atoms.



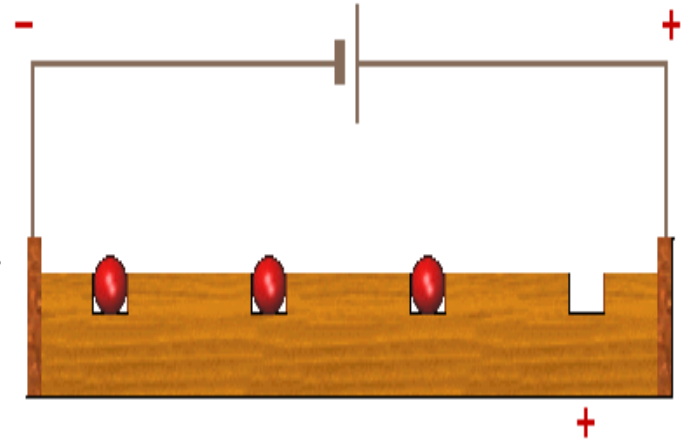
Bounded & Free Electron

- ❖ At absolute 0°K atoms are tightly bound with other.
- ❖ With increase in temp. covalent bond breaks & electron becomes free.
- ❖ This electron free to move through out the crystal like gas molecules.
- ❖ When electric field is applied this free electron drift towards the positive electrode which gives the current.
- ❖ With free motion this electron collide with one of the broken covalent bond & combine with hole.
- ❖ Form electron & hole pair ,covalent bond is completed.
- ❖ Thus free electron becomes bounded.



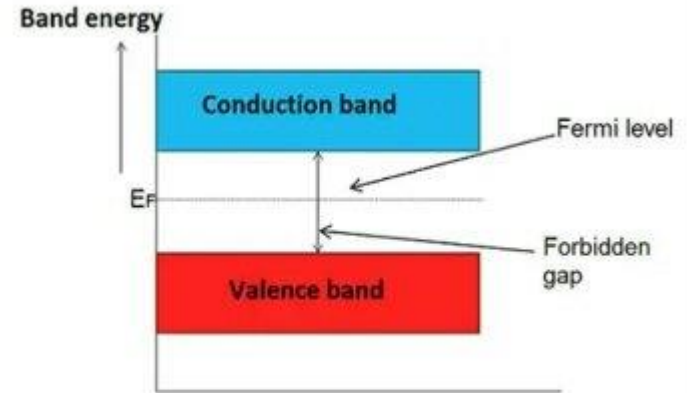
Hole

- ❖ The vacancy of electron is called hole.
- ❖ When covalent bond broken due to the supply of energy, electron becomes free thus form a Quantum vacancy.
- ❖ Removal of negative charge create positive charge.
- ❖ This positive charge vacancy attract electron from adjacent bond and hole is shifted to position of attracted electron.
- ❖ Created hole move in the crystal like free electron but in opposite direction.
- ❖ In presence of electric field holes are drift towards the negative electrode.



Fermi Level in Semiconductor

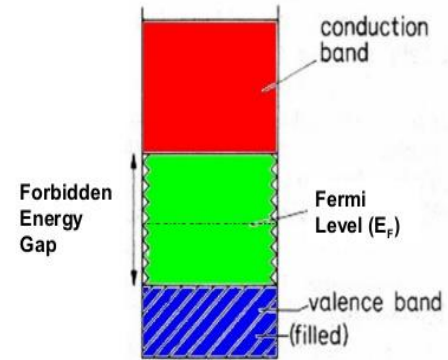
- ❖ V.B & C.B are separated by Forbidden energy gap.
- ❖ Fermi level lies in the middle of Forbidden gap.
- ❖ Energy level corresponding to the center of gravity of conduction electrons & holes weighted according to their energies.



Fermi level in Intrinsic Semiconductor

- ❖ In intrinsic semiconductor equal no. of electrons & Holes .
- ❖ Concentration of electrons decreases above the bottom of C.B
- ❖ Concentration of holes decreases below the top of V.B
- ❖ Center of gravity of electrons & holes lies exactly at the middle of forbidden Gap.

Fermi Energy Diagram for Intrinsic Semiconductors



The Fermi level (E_F) lies at the middle of the forbidden energy gap.

Electron Distribution Function

$$n(E)\Delta E = g(E)f(E)\Delta E$$

Where,

$n(E)\Delta E$ – No. of electrons per unit volume in with energy between E & $E+\Delta E$

$g(E)$ – No. of energy state per unit volume in energy range ΔE .

$F(E)$ -Distribution function or probability that finding an electron in Energy state E

ΔE – Energy Interval.

Fermi Dirac Distribution Function.

- ❖ Fermi-Dirac gives this function in 1926.
- ❖ This function $F(E)$ gives the carrier occupancy of energy level.
- ❖ The equation gives the distribution of electron among the energy level as function of temperature known as Fermi-Dirac distribution function.

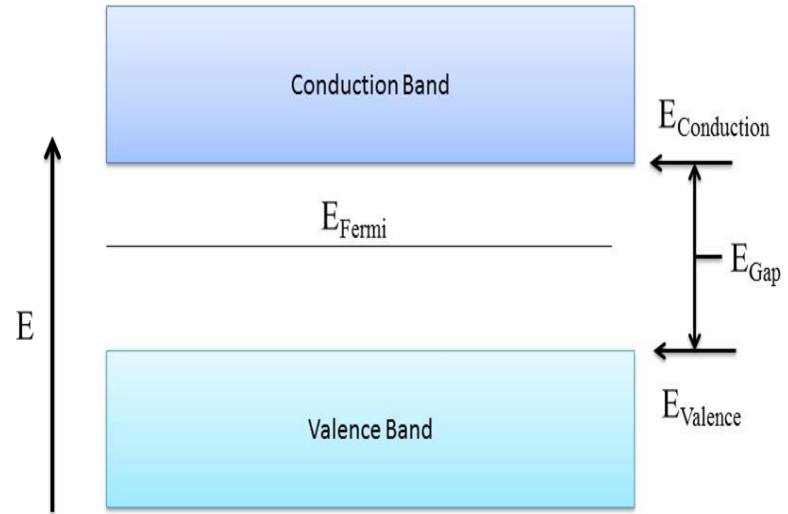
$$f_F(E) = \frac{1}{1 + \exp\left(\frac{E - E_F}{kT}\right)}$$

Derivation: Fermi energy level lies at the center of Forbidden Gap.

Prove that
$$E_f = \frac{E_c + E_v}{2}$$

Assumptions

- ❖ All the electron in conduction band have energy E_c & valance band have energy E_v .
- ❖ The width of valance band & conduction band is very small as compare to the width of Forbidden gap.



Let N_c & N_v be the number of electrons in conduction band & number of electrons in valence band.

N be the total number of electrons in both the bands.

$$N = N_c + N_v \quad \text{.....(1)}$$

Now $f(E_c) = \frac{N_c}{N}$

$$N_c = N f(E_c) \quad \text{.....(2)}$$

But $f(E_c) = \frac{1}{1 + e^{[E_c - E_f / kT]}}$

Eq(2) becomes

$$N_c = \frac{N}{1 + e^{[E_c - E_f / kT]}} \quad \text{.....(3)}$$

Similarly $N_v = \frac{N}{1 + e^{[E_v - E_f / kT]}} \quad \text{.....(4)}$

From Eq.(1)

$$N = \frac{N}{1 + e^{[E_c - E_f / kT]}} + \frac{N}{1 + e^{[E_v - E_f / kT]}}$$

$$1 = \frac{1}{1 + e^{[E_c - E_f / kT]}} + \frac{1}{1 + e^{[E_v - E_f / kT]}}$$

$$\left(1 + e^{[Ec-Ef/kT]}\right)\left(1 + e^{[Ev-Ef/kT]}\right) = 1 + e^{[Ev-Ef/kT]} + 1 + e^{[Ec-Ef/kT]}$$

$$\left(1 + e^{[Ec-Ef/kT]}\right)\left(1 + e^{[Ev-Ef/kT]}\right) = 1 + e^{[Ev-Ef/kT]} + 1 + e^{[Ec-Ef/kT]}$$

$$1 + e^{[Ev-Ef/kT]} + e^{[Ec-Ef/kT]} + e^{[Ec+Ev-2Ef/kT]} = 1 + e^{[Ev-Ef/kT]} + 1 + e^{[Ec-Ef/kT]}$$

Taking log on both the sides

$$e^{[Ec+Ev-2Ef/kT]} = 1$$

$$\therefore Ec + Ev - 2Ef = 0$$

$$\therefore 2Ef = Ec + Ev$$

$$\therefore Ef = \frac{Ec + Ev}{2}$$

At all the temp. ie $T > 0^\circ \text{K}$ probability of occupancy of Fermi level is 50%

- An electrons in solids obys Fermi Dirac Statistics
- A/c to this distribution of electron among the energy level as function of temperature given by

$$f(E) = \frac{1}{1 + e^{[E - E_f / kT]}}$$

Since $f(E)$ represent probability, its value lies between 0 & 1

Let $T = 0^\circ \text{K}$, $kT = 0$

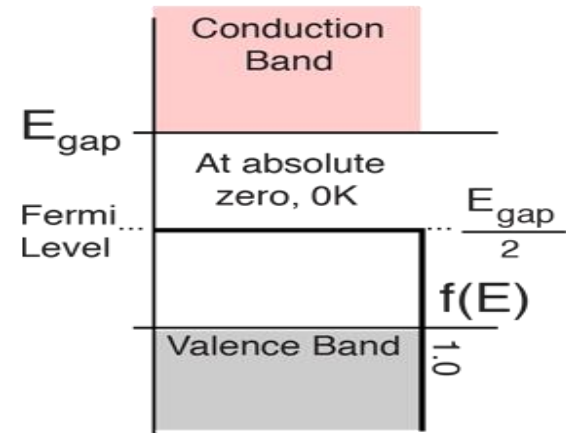
Case-I

When $E < E_f$, $(E - E_f)$ is Negative ,then $[E - E_f / kT] = -\infty$

Fermi function becomes

$$f(E) = \frac{1}{1 + e^{-\infty}} = \frac{1}{1 + 0} = 1$$

Thus at absolute zero temp.all the levels below E_f are filled .



Context of Fermi level
for a semiconductor

Case-II

When $E > E_f$, $(E - E_f)$ is Positive ,then $[E - E_f / kT] = \infty$

Fermi function becomes

$$f(E) = \frac{1}{1 + e^{\infty}} = \frac{1}{1 + \infty} = 0$$

Thus at absolute zero temp.all the levels above E_f are empty .

Case-III

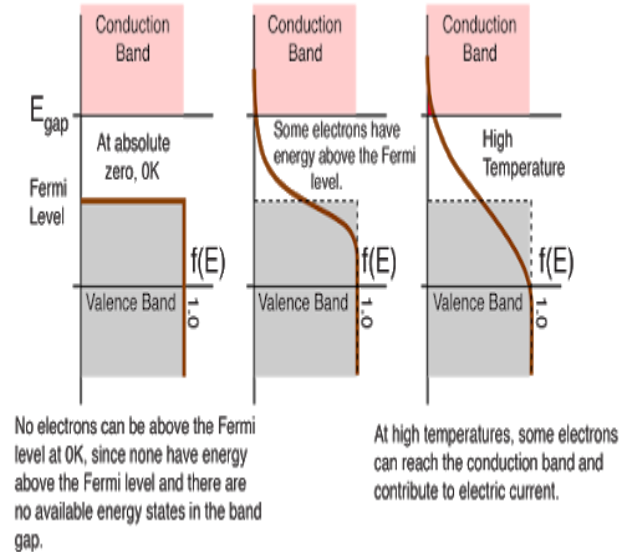
For $T > 0^\circ\text{K}$, $kT = \text{positive}$

When $E = E_f$, $(E - E_f)$ is zero, then $[E - E_f / kT] = 0$

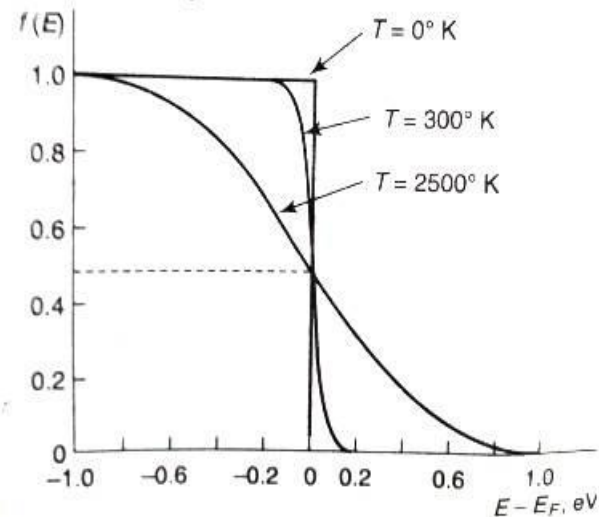
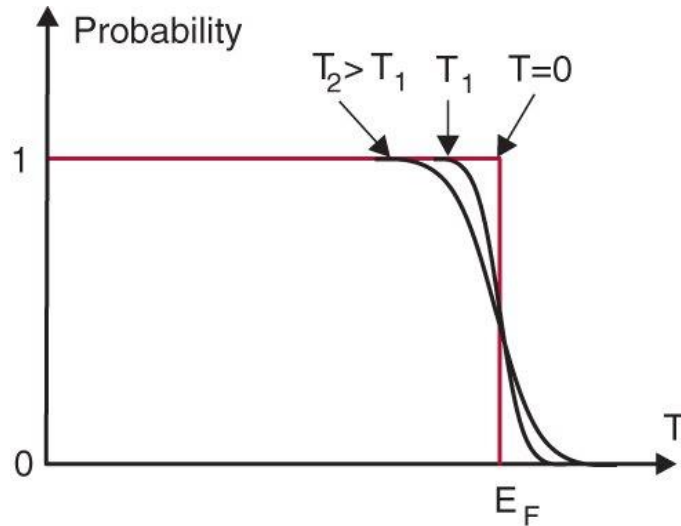
Fermi function becomes

$$f(E) = \frac{1}{1 + e^0} = \frac{1}{1 + 1} = \frac{1}{2}$$

Thus distribution function shows that occupation of Fermi level at any non zero temp. is $1/2$



- At temp. greater than 0°k probability distribution function changes from 1 to 0 over energy range of about kT values.
- At $T=T_1$ there are some probability $f(E)$ shows that states above E_F are filled.
- The probability $[1-f(E)]$ shows that states below E_F are empty.



Equation for Concentration Of Electrons & Holes in Semiconductor

- When semiconductor is heated above 0°K , Electrons are excited from V.B to C.B.
- Thus Electrons in C.B & Holes in V.B are made available for conduction .
- The no. of Electrons per unit volume in C.B & the no. Holes per unit Volume in V.B called Electron Concentration & hole concentration respectively.
- If density of available energy state in C.B & V.B are known, concentration can be calculated with Fermi Dirac distribution function.
- Let $f(E)$ is the probability of occupancy of electron in level “E” at temp. T
- At Equilibrium most of the electrons are present at the bottom of C.B.
- Thus the concentration of conduction electron is

$$n = Nc f(Ec)$$

Where

Nc – Number of energy state in C.B

Ec – Energy for C.B

$f(Ec)$ – Probability of occupation of Ec

$$f(Ec) = \frac{1}{1 + e^{(Ec-Ef/kT)}} \dots\dots\dots (2)$$

At room temp

$$kT = 1.38 \times 10^{-23} \times 300$$

$kT \approx 0.025$ eV is very small as compare to $(Ec-Ef)$

$$(Ec-Ef) \gg kT$$

$$e^{(Ec-Ef/kT)} \gg 1$$

$$1 + e^{(Ec-Ef/kT)} \approx e^{(Ec-Ef/kT)}$$

Putting in eq (2)

$$f(Ec) = \frac{1}{e^{(Ec-Ef/kT)}}$$

$$f(Ec) = e^{-(Ec-Ef/kT)} \dots\dots\dots (4)$$

putting in eq (1)

$$n = Nc e^{-(Ec-Ef/kT)} \dots\dots\dots (5)$$

But no. of available state in C.B is

$$Nc = 2 \left[\left(\frac{2\pi m_e kT}{h^2} \right)^{3/2} \right]$$

Putting in eq (5)

$$n = 2 \left[\left(\frac{2\pi m_e kT}{h^2} \right)^{3/2} \right] e^{-(E_c - E_f / kT)} \dots\dots\dots(6)$$

Where m_e is the effective mass of electron

- Above equation shows that electron concentration is a function of position of Fermi level in semiconductor.
- As E_f moves close to the conduction band ($E_c - E_f$) decreases & concentration increases.

- If N_v be the no. of energy state in V.B, then the concentration of Holes in V.B is

$$p = N_v [1 - f(E_v)] \dots \dots \dots (1)$$

where, $f(E_v)$ - Probability of occupation of energy state E_v by electron at temp. " T "

$[1 - f(E_v)]$ - Probability of occupation of energy state E_v by Holes

$$1 - f(E_v) = 1 - \frac{1}{1 + e^{(E_v - E_f)/kT}}$$

$$1 - f(E_v) = \frac{1 + e^{(E_v - E_f)/kT} - 1}{1 + e^{(E_v - E_f)/kT}}$$

$$1 - f(E_v) \approx e^{(E_v - E_f)/kT}$$

$$1 - f(E_v) \approx e^{-(E_f - E_v)/kT}$$

$\dots \dots (2)$

Putting in eq(1)

$$p = N_v e^{-(E_f - E_v)/kT} \dots \dots \dots (3)$$

But no. of available state in V. B are

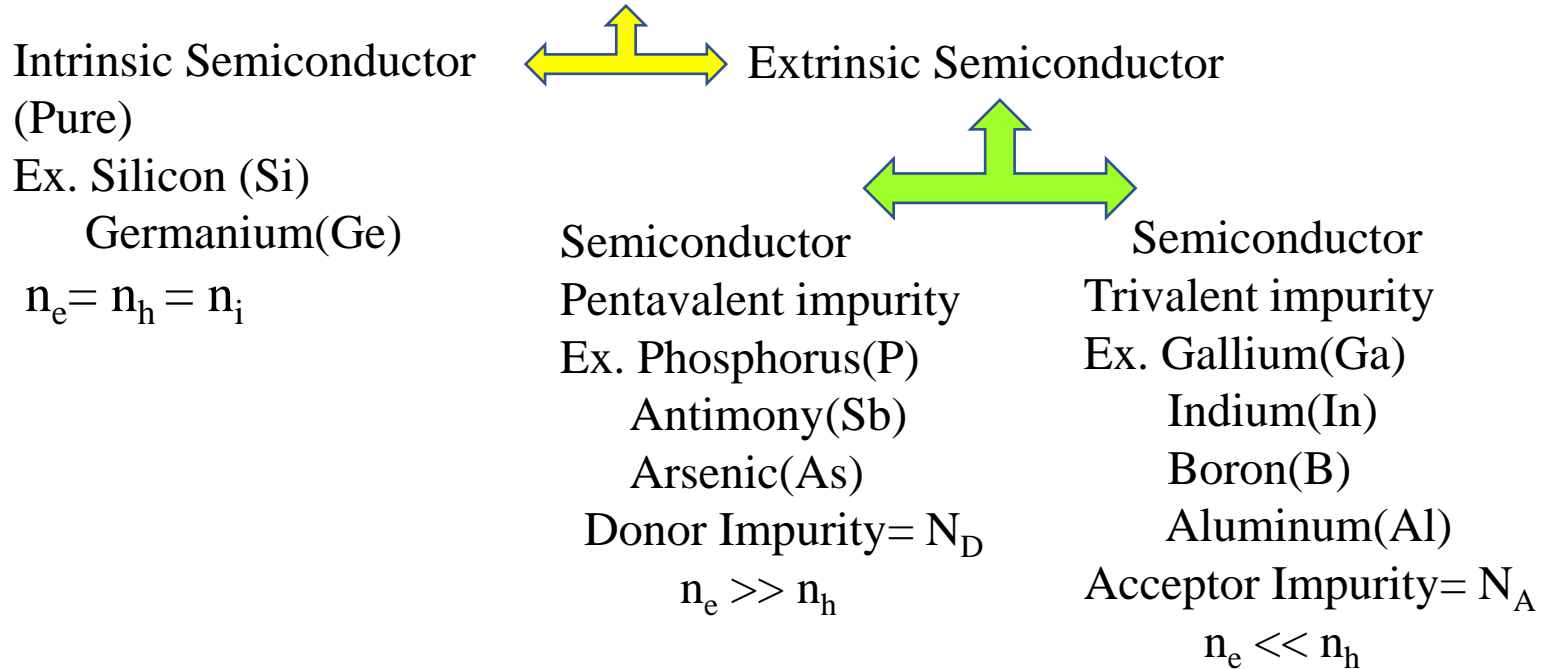
$$N_v = 2 \left[\left(\frac{2\pi m_h kT}{h^2} \right)^{3/2} \right]$$

put in eq(3)

$$p = 2 \left[\left(\frac{2\pi m_h kT}{h^2} \right)^{3/2} \right] e^{-(E_f - E_v)/kT}$$

the above equation shows that hole concentration increases as Fermi level moves closer to the V.B.

Types of Semiconductor

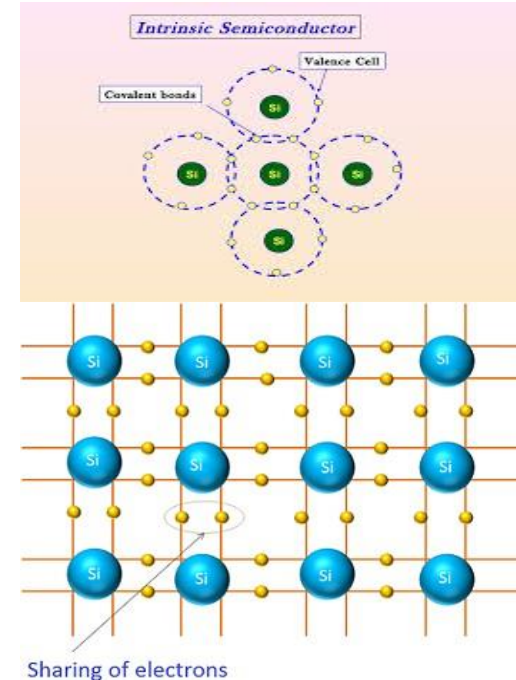


Intrinsic Semiconductor

- Pure form of Semiconductor.
- Transformation of electrons to the C.B & generation of Holes in V.B achieved purely due to thermal excitation.
- Produce Equal no. of Electrons & holes called as Intrinsic charge carriers.
- Conductivity is known as Intrinsic conductivity.

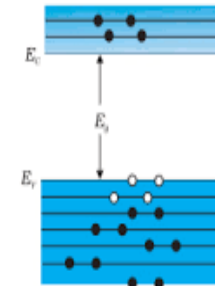
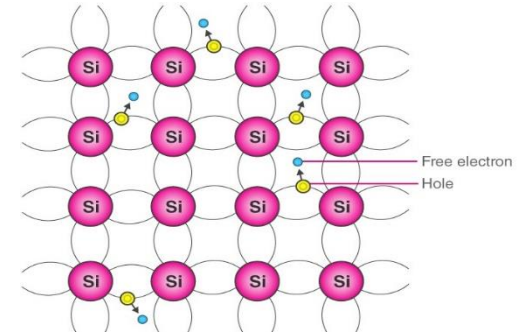
At 0°K

- Each silicon atom consist of 4 valance electrons .
- At 0°K all the electrons are strongly bounded with their parent atoms & spend most of time with neighboring atoms i.e forming covalent bond.
- No. free electrons exist in the solid.
- Thus at 0°K semiconductor acts as perfect insulator.



At Room temp.

- Atom gain thermal energy & vibrate about its mean position.
- When electron acquires sufficient energy, breaks the covalent bond & Randomly move in crystal.
- Further increase in temp. free electron jump to the C.B creating hole behind.
- Thus semiconductor behaves as conductor.



At $T > 0$ K, four thermally generated electron-hole pairs. The filled circles (•) represent electrons and empty fields (○) represent holes.

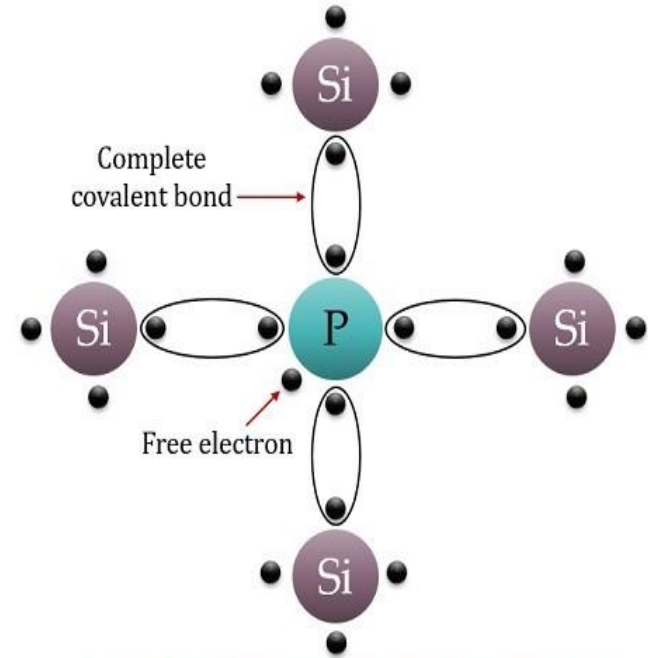
Extrinsic Semiconductor

- Small amount of impurity is added in pure semiconductor
- The process of addition of impurity is called doping & impurity is called dopant.
- Depending on type of doping Extrinsic semiconductor is of two types N-type & P-type.



N-type Semiconductor

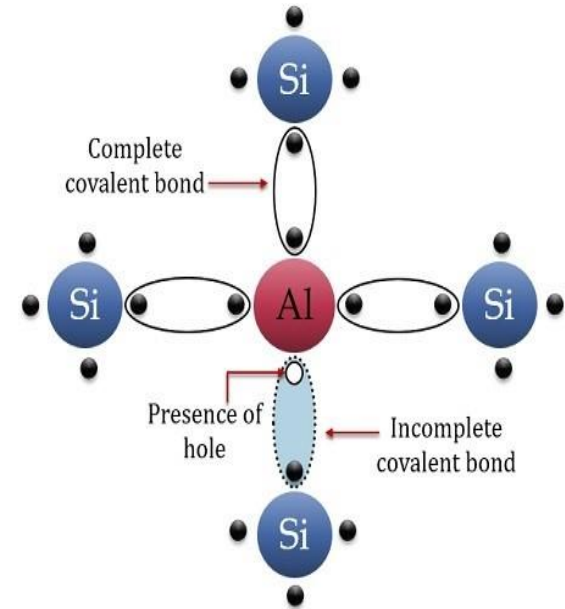
- Semiconductor is doped with pentavalent impurity like Phosphorus, Antimony, Arsenic etc.
- When Phosphorus is added in pure silicon, four electrons of Phosphorus forms covalent bond with four neighboring silicon atoms.
- Fifth electron remains free.
- An impurity gives an excess (a free) electron, hence called as donor impurity.
- In this semiconductor conductivity is due to electrons i.e. Negatively charged particles, hence called as N-type Semiconductor.
- Electrons are majority charge carriers & holes are minority charge carriers.
- Fermi level is near the bottom of C.B.



- Si = Intrinsic semiconductor atom
- P = Pentavalent impurity atom

P-type Semiconductor

- Semiconductor is doped with trivalent impurity like Gallium , Indium, Boron, Aluminum etc.
- When aluminum is added in pure silicon, three electrons of Al forms covalent bond with three neighboring silicon atoms.
- One covalent is incomplete with vacancy of electron, create a hole & accept electron from neighboring atoms.
- An impurity accept the electrons , hence called as acceptor impurity.
- In this semiconductor conductivity is due to holes i.e positively charge particles, hence called as P-type Semiconductor.
- Holes are majority charge carriers & electrons are minority charge carriers.
- Fermi level is near the top of V.B.



- Si = Intrinsic semiconductor atom
- Al = Trivalent impurity atom

Law of mass action

The product of electrons & holes concentration in doped semiconductor is constant & is equal to the square of intrinsic carrier density at given temperature.

$$n_i^2 = n.p$$

Charge Neutrality Condition

- Semiconductor (Intrinsic/Extrinsic) it is electrically neutral in its equilibrium condition.
- In N-type no. electrons in C.B must be equal to sum of electrons originated from donor level & electrons excited from the V.B.
- Electrons in donor level leaves behind positive ions & electrons in V.B leaves behind holes.
- Thus total negative charge mobile electrons is equal to total positive charge created in the crystal.

Charge Neutrality condition in

N type

Electron concentration is given by

$$n_e = N_D + n_h$$

Since $n_e \gg n_h$

$$n_e \approx N_D$$

But A/c to Law of mass action

$$n_e n_h = n_i^2$$

$$n_h = \frac{n_i^2}{n_e}$$

$$n_h = \frac{n_i^2}{N_D}$$

P-type

Holes concentration is given by

$$p_h = N_A + p_e$$

Since $p_h \gg p_e$

$$p_h \approx N_A$$

But A/c to Law of mass action

$$p_h p_e = n_i^2$$

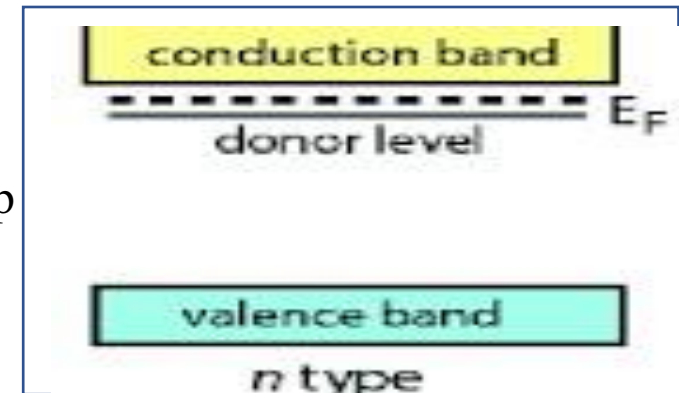
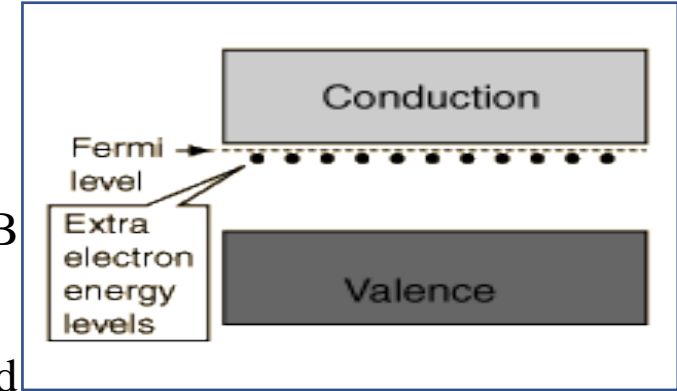
$$p_e = \frac{n_i^2}{p_h}$$

$$p_e = \frac{n_i^2}{N_A}$$

Position of Fermi level in Extrinsic Semiconductor

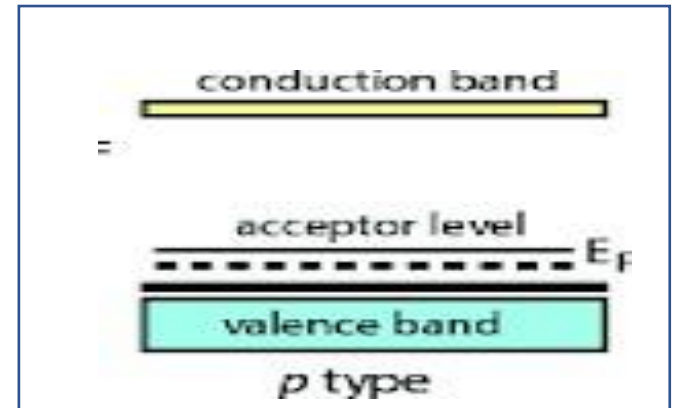
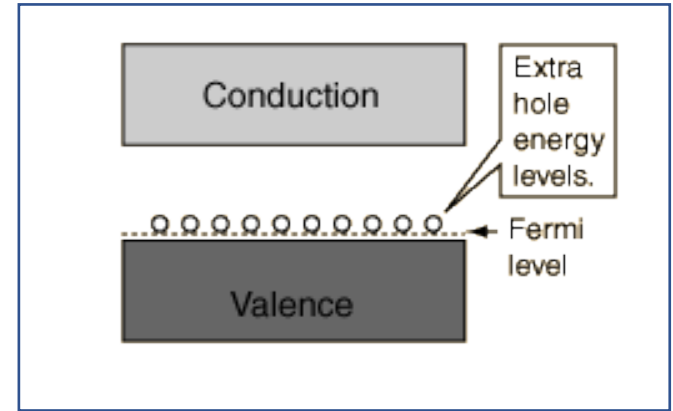
N-Type

- Pure Si or Ge doped with Pentavalent impurity.
- Addition of such impurity introduced new energy level in Band structure, just below the bottom of C.B
- At 0°K the level is filled with electrons.
- This level donates electrons to the C.B, Hence called Donor Level.
- At 0°K Fermi level lies exactly in the middle of bottom of C.B & donor level.
- When temp. increase electrons from donor level jump to the C.B



P-Type

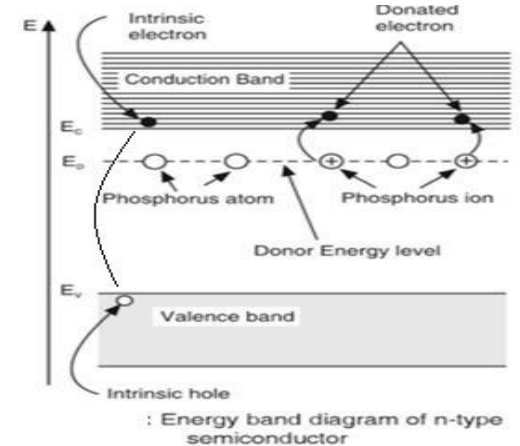
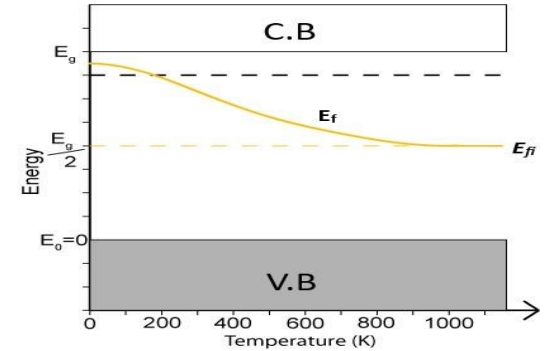
- Pure Si or Ge doped with Trivalent impurity.
- Addition of such impurity introduced new energy level in Band structure, just above the top of V.B
- At 0°K the level is filled with holes.
- This level accept electrons from the V.B, Hence called Acceptor Level.
- At 0°K Fermi level lies exactly in the middle of top of V.B & acceptor level.
- When temp. increase acceptor level accept the electrons from the V.B .



Effect of Temperature on Fermi level in Extrinsic Semiconductor

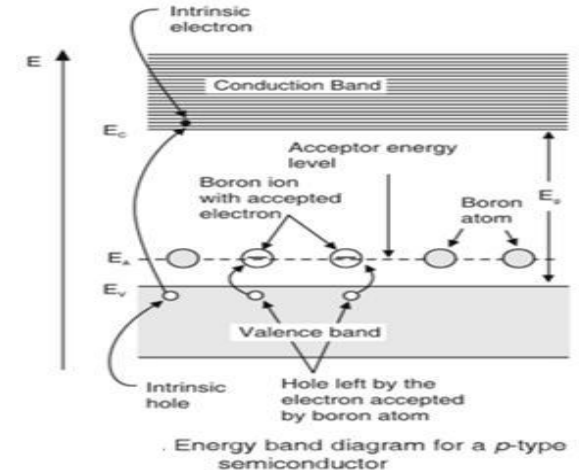
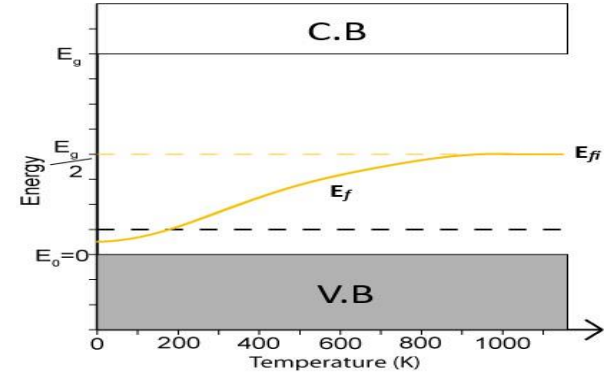
N-type

- Fermi level lies in the middle of bottom of C.B & donor level at 0°K.
- With constant impurity concentration as temperature increases the Fermi level moves down wards.
- it passes through the donor level & finally reached at intrinsic level.
- Thus semiconductor behaves like Intrinsic semiconductor.
- At lower temp. some of the donor atoms get ionized i.e electrons jump from donor level to the C.B.
- At certain temp. all the atoms get ionized.
- Beyond this temp. electrons are jump from V.B to C.B.
- Thus Fermi level get shifted down to intrinsic position.



P-Type

- Fermi level lies in the middle of top of V.B & acceptor level at 0°K.
- With constant impurity concentration as temperature increases the Fermi level moves up wards.
- it passes through the acceptor level & finally reached at intrinsic level.
- At some temp. electrons from V.B excited to acceptor level.
- At certain temp. all the empty state in acceptor level are filled.
- Above this temp. electrons from V.B will jumped to C.B.
- Thus at specific temp. Fermi level remains at intrinsic position.
- P type semiconductor behaves like Intrinsic semiconductor.



Equations of Electrical Conductivity for Semiconductor

For Metal

Electrical conductivity due to electron only.

thus

$$\sigma = ne\mu_e$$

Where, n- No. of free e- per unit volume

e- Charge on electron

μ_e - Mobility of electron $\left[\mu_e = \frac{V}{E} \right]$

For Semiconductor

Electrical conductivity due to both electrons & holes

Thus $\sigma = ne\mu_e + pe\mu_h$

$$\sigma = e(n\mu_e + p\mu_h)$$

This is the general Equation

Where, n- No. of free e- per unit volume,

p- No. of holes- per unit volume,

μ_e - Mobility of electron,

μ_h - hole mobility,

e- Charge.

For Intrinsic Semiconductor

In Intrinsic Semiconductor no. of free electrons is equal to no. of Holes i.e

$$n = p = n_i$$

Where n_i is intrinsic carrier concentration

$$\sigma = e(n_i\mu_e + n_i\mu_h)$$

$$\sigma = en_i(\mu_e + \mu_h)$$

Conductivity in Extrinsic Semiconductor

For N-Type

$$n \gg p$$

$$n \approx N_D$$

Also $n \gg p$

$$n\mu_e \gg p\mu_h$$

$$n\mu_e + p\mu_h \approx n\mu_e \approx N_D\mu_e$$

Thus the conductivity of N-type semiconductor is

$$\sigma_n = eN_D\mu_e$$

For P-Type

$$p \gg n$$

$$p \approx N_A$$

Also

$$p \gg n$$

$$p\mu_h \gg n\mu_e$$

$$p\mu_h + n\mu_e \approx p\mu_h \approx N_A\mu_h$$

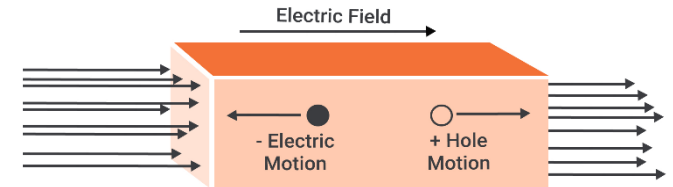
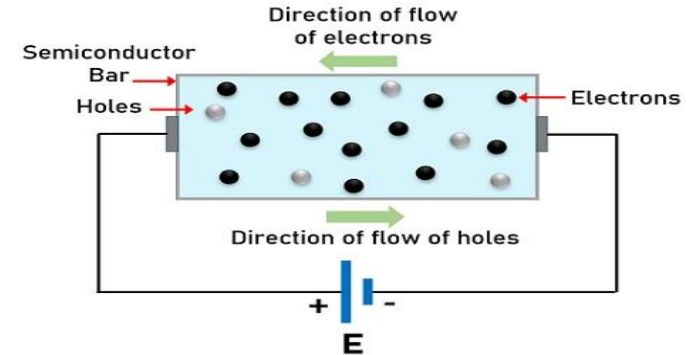
Thus the conductivity of P-type semiconductor is

$$\sigma_p = eN_A\mu_h$$

Drift & diffusion in Semiconductor

Drift

- In metal the conductivity is due to electrons $J = \sigma E$
- But in semiconductor the electrical conductivity is the sum of conductivity due to electrons & holes
- Thus the net current in semiconductor is $J = J_n + J_p$
$$J = [\sigma_n + \sigma_p] E \Rightarrow J = [ne\mu_e + pe\mu_h] E$$
- When an electric field is applied across semiconductor, electric force act on charges
- due to electric force electrons are moving in the opposite direction of applied electric field & holes are in the direction of electric field.
- This motion of charge carriers due to electric field is called as the drifting & it gives current called drift current.



Diffusion

- Directional movement of charge carriers due to Concentration gradient.
- The concentration of charge carriers varies with distance in semiconductor called Concentration gradient.
- The motion of charge carriers produce current known as Diffusion current.
- Diffusion current is directly proportional to concentration gradient at point

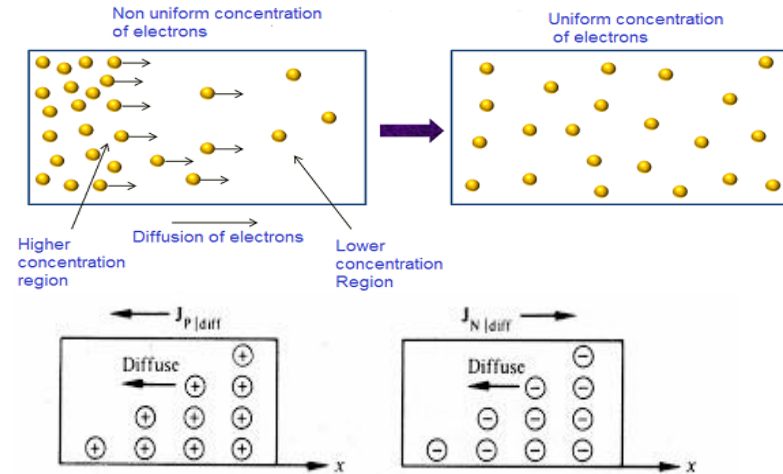
Let $\frac{dn}{dx}$ is concentration gradient in case of electrons

$\frac{dp}{dx}$ is concentration gradient in case of Holes

$$\therefore \text{Diffusion current(Electron)} \propto \frac{dn}{dx} = D_n \frac{dn}{dx}$$

Diffusion current density for electron is $J_n = eD_n \frac{dn}{dx}$

Diffusion current density for holes is $J_p = -eD_p \frac{dp}{dx}$



$$J = J_n + J_p$$

$$J = J_n [\text{Drift} + \text{Diffusion}] + J_p [\text{Drift} + \text{Diffusion}]$$

$$J = \left[ne\mu_e E + eD_e \frac{dn}{dx} \right] + \left[pe\mu_h E - eD_h \frac{dp}{dx} \right]$$

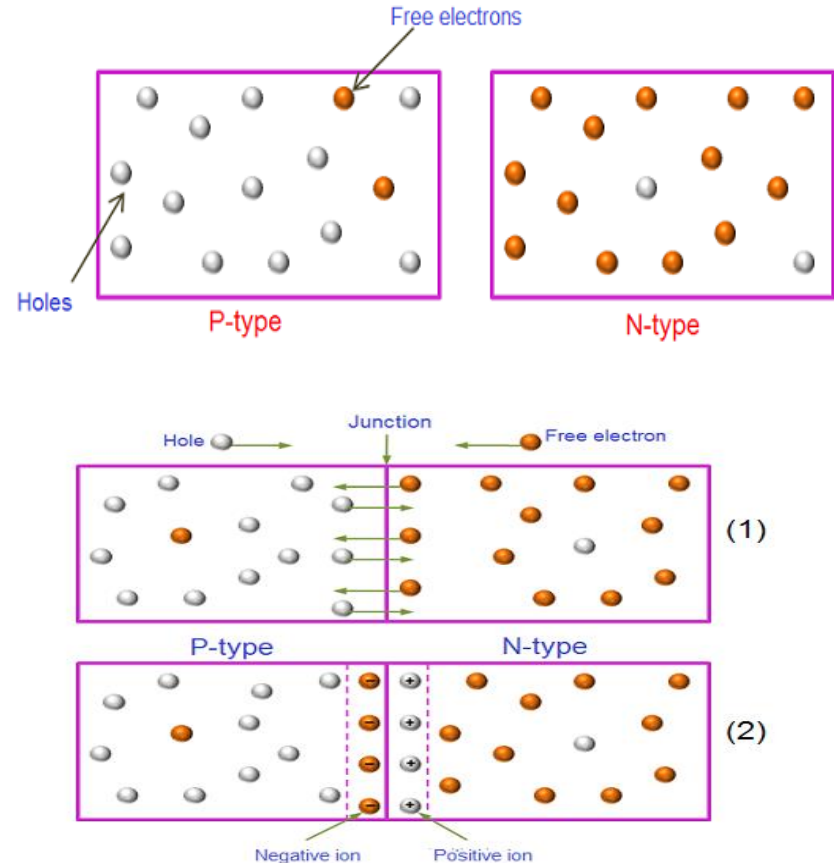
$$J = e \left[n\mu_e E + D_e \frac{dn}{dx} \right] + \left[p\mu_h E - D_h \frac{dp}{dx} \right]$$

P-N junction

- A single piece of semiconductor is doped with donor impurity at one end & acceptor impurity at other end.
- It's the sharp boundary between P type & N type of semiconductor.

As soon as junction is formed

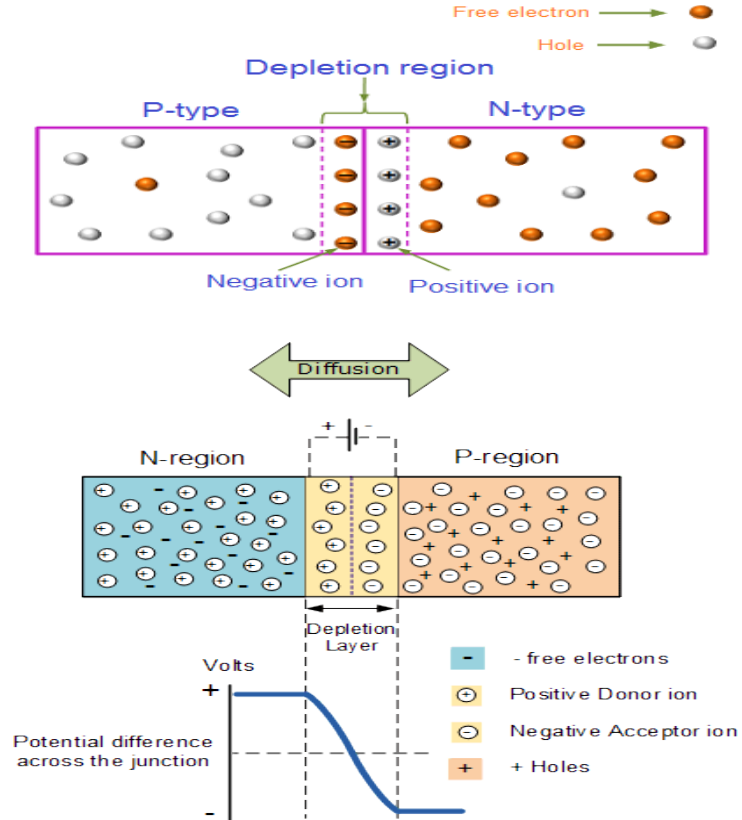
- The holes from P region diffused in into N region & recombine with free electrons.
- The electrons from N region diffused into P region & recombine with holes.
- During diffusion ,electrons diffused from N to P region leaves behind uncompensated donor ions(positive ions) in N region.
- Holes diffused from P to N region leaves behind uncompensated acceptor ions(negative ions) in P region.



- Near the junction a narrow region is formed due to free charge carriers containing only uncompensated immobile ions called Depletion region.
- Width of depletion region depend on doping level of impurity. It is of the order of 10^{-6}m or 1micron.
- In depletion region the are positive immobile ions in N region & negative immobile ions in P region.
- Due to the charge separation, Voltage V_B is developed across the junction under equilibrium condition known as Potential barrier.

Capacitance of PN junction

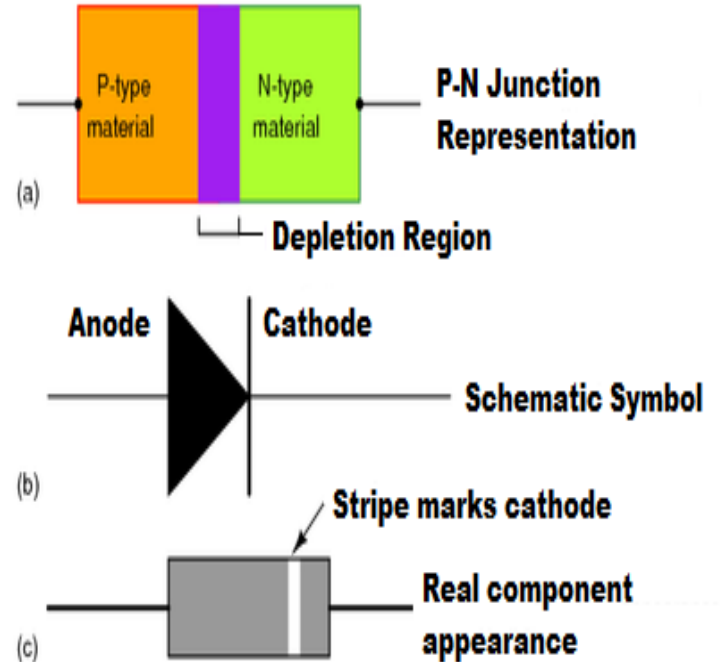
- In PN junction two parallel rows of charge impurity ions acts as plates of capacitor while depletion region act as a dielectric between them. The Capacitance formed in the junction known as junction capacitance.



Working of P-N junction Diode

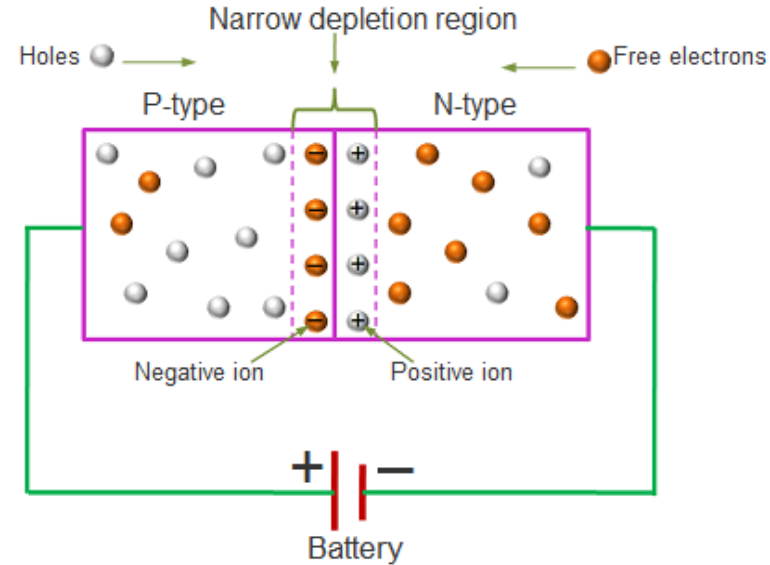
P-N junction Diode

- it consist of P-N junction formed either by Si or Ge.
- Having two terminals one is connected to P-region & other connected to N- region of diode.
- Ckt symbol is as shown in fig b.
- The arrow head represent the direction of flow of current in forward bias.
- Real appearance is shown in fig c.



Forward Bias P-N Junction Diode

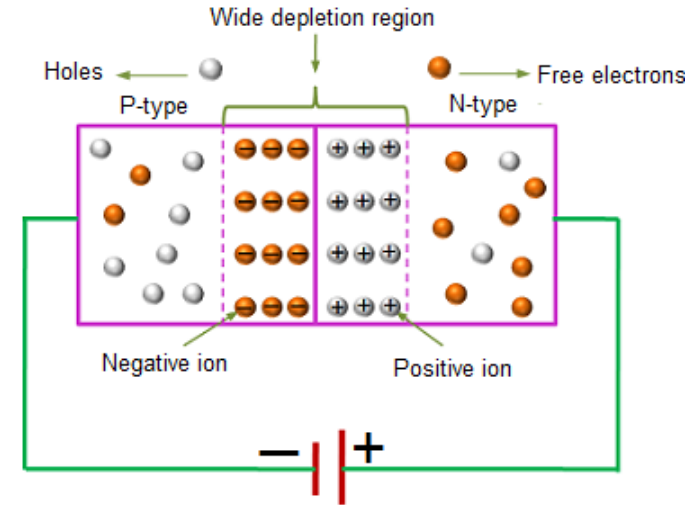
- Positive terminal of B.T is connected to the P-region & negative terminal of B.T is connected to N-region of Diode.
- The holes from P- region repelled by positive terminal of B.T towards the junction.
- The electrons from N- region repelled by negative terminal of B.T towards the junction.
- Due to this some of the electrons & holes enters in the depletion region & recombine with each other.
- This reduced the barrier potential & large current flow through the junction due to majority charge carriers.
- In F.B junction has low resistance.
- P-N junction is ON in F.B.



Forward bias

Reverse Bias P-N Junction Diode

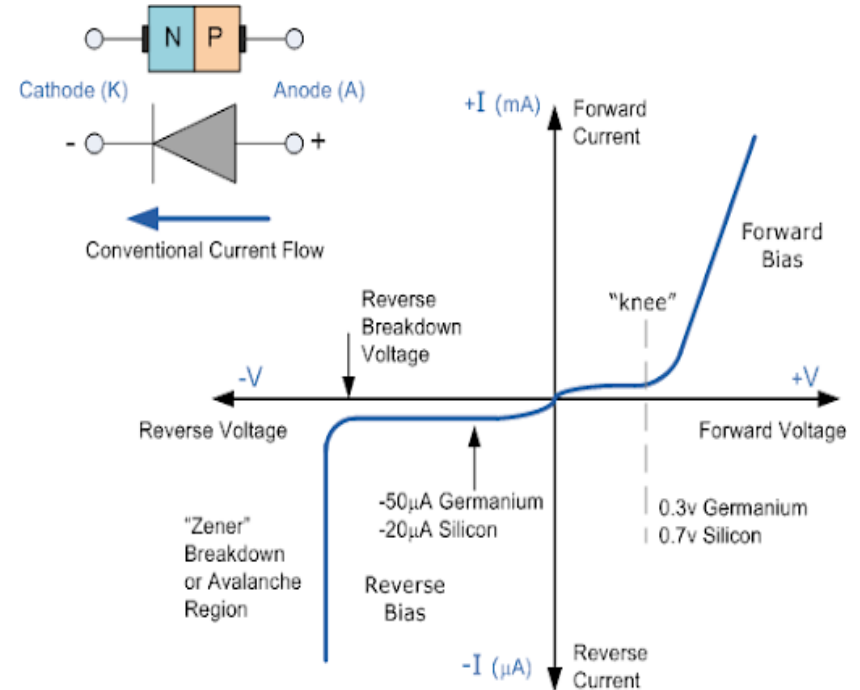
- Positive terminal of B.T is connected to the N-region & negative terminal of B.T is connected to P-region of Diode.
- The holes from P- region are attracted by negative terminal of B.T away from the junction.
- The electrons from N- region are attracted by positive terminal of B.T away from the junction.
- Due to this potential barrier as well as width of depletion region increased.
- Very small current flowing through the diode due to the minority charge carriers & known as Reverse saturation current.
- This current is due to thermally generated electrons & holes.
- In R.B junction has high resistance.



Reverse bias

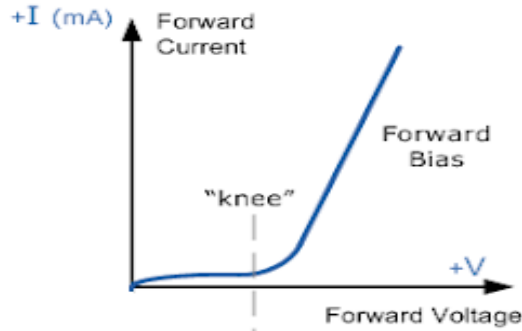
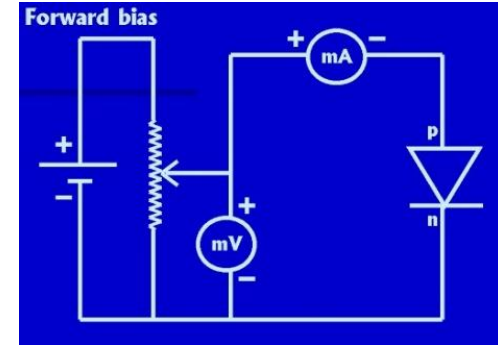
V-I characteristics of P-N junction Diode

- The graph which shows the variation of current through the diode when voltage is applied across P-N junction diode in F.B & R.B called as V-I characteristics.



Forward Characteristics of P-N Junction Diode

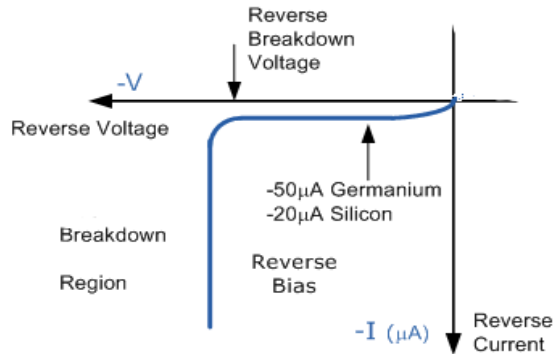
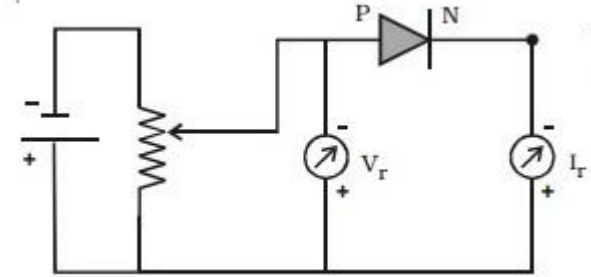
- Characteristics of diode in forward bias
- Initially no current(I) flowing through the diode up to certain value of voltage(V).
- Above the certain value of voltage(V), current(I) increases rapidly.
- This is because the external voltage is initially oppose by barrier potential up to certain point.



- At certain voltage the barrier potential becomes zero & depletion region breaks.
- Heavy current starts flowing through the diode.
- The forward voltage at which the diode starts conducting is called Knee voltage or Cut in voltage or threshold voltage.
- The cut in voltage for Ge is 0.3 V & Si is 0.7 V.

Reverse Characteristics of P-N junction Diode

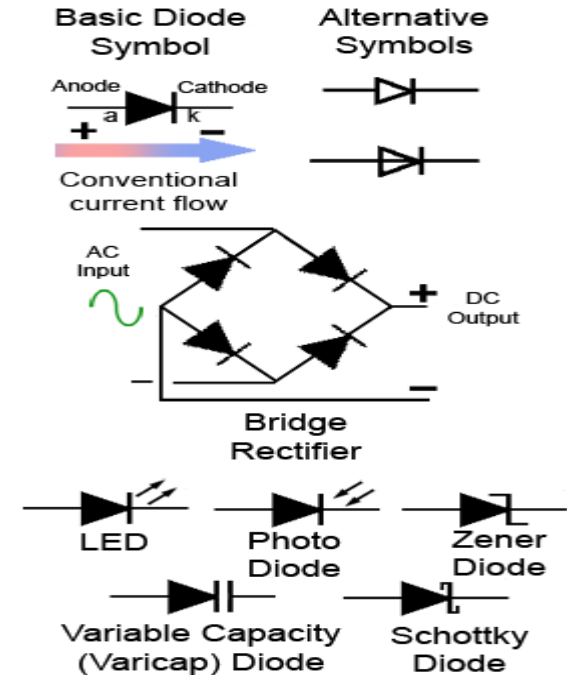
- Characteristics of diode in reverse bias.
- Diode current (I_r) is very small even reverse voltage (V_r) is high.
- When reverse voltage increase to sufficient large value, reverse current increase rapidly.



- The reverse voltage at which reverse current increase rapidly known as Break down voltage.
- Reverse current remains constant below break down known as Reverse Saturation current.
- Above the break down voltage diode will not recover to its original form & damage completely.

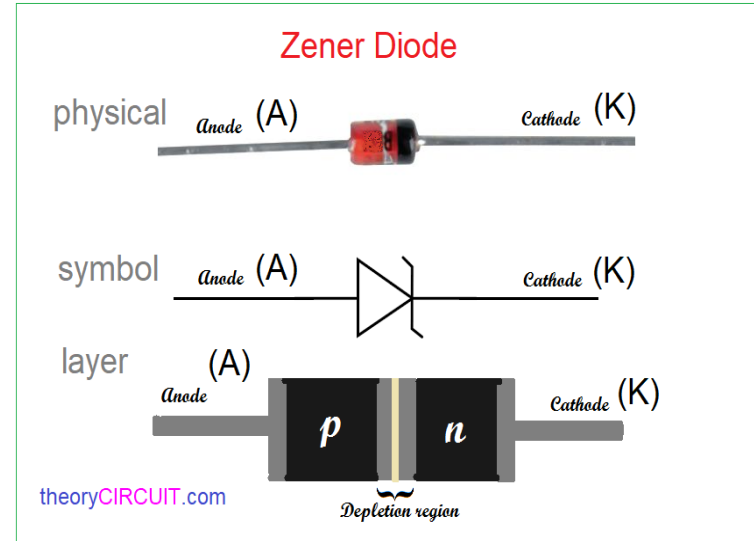
Applications of P-N junction Diode

- Rectifier (Converting AC to DC).
- Signal diode in communication ckt.
- Switch in Logic ckt.
- Varactor Diode in radio , TV receivers.
- Photo diode used in computer hard wears.
- As solar cell in Space application.



Zener Diode

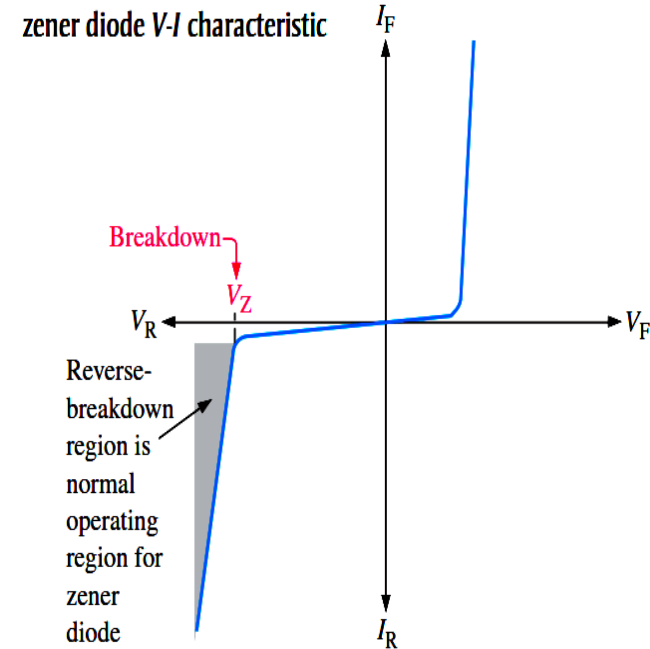
- It is a reverse bias heavily doped P-N junction diode.
- Operated in Break down region.
- Current is limited by external resistance only.
- Also called Voltage regulator, Breakdown or Advance diode.



V-I Characteristics of Zener Diode

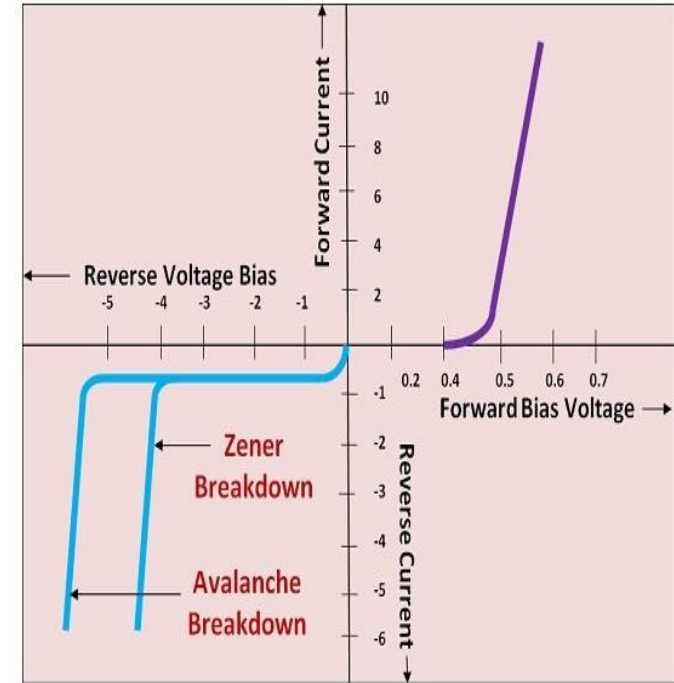
- When the reverse voltage of zener diode increases, initially due to high reverse resistance very small current flow due to minority carriers.
- Further increase in the reverse voltage current increases rapidly.
- The reverse voltage at reverse current increases rapidly called Zener break down voltage or Zener voltage.
- In Zener diode , breakdown voltage is very small.
- Increase in the reverse voltage above the Zener voltage, control breakdown protect the diode from damage.
- After break down voltage, current increases rapidly while voltage remains constant.
- Location of Zener region can be controlled by doping.
- Increase in doping decrease the Zener potential.
- There are two types of Breakdown

Zener Breakdown & Avalanche Breakdown



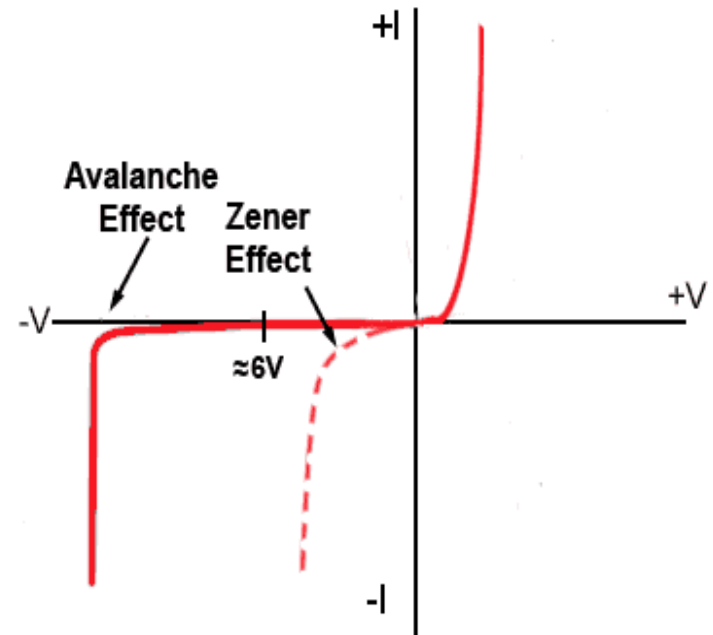
Zener break down.

- Zener Breakdown occurs in heavily doped junction diode
- breaking of covalent bond by strong electric field.
- When reverse voltage of junction increase, strong electric field set in across narrow depletion region.
- This electric field is strong enough to breaks the covalent bond.
- Generation of electron-hole pairs & accelerating towards the junction.
- Thus large current flow through the diode.
- An internal electric field is developed is of the order of 10^6 V/m for 1 volt of reverse potential.
- This break down observed up to 6 V.
- Explanation was first given by Zener, hence called Zener mechanism.



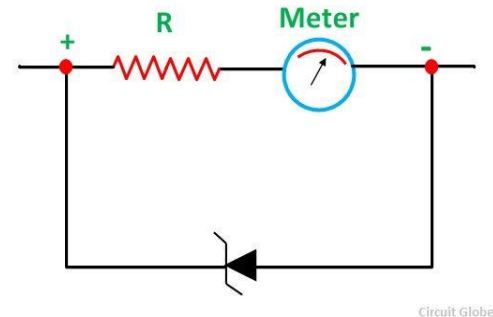
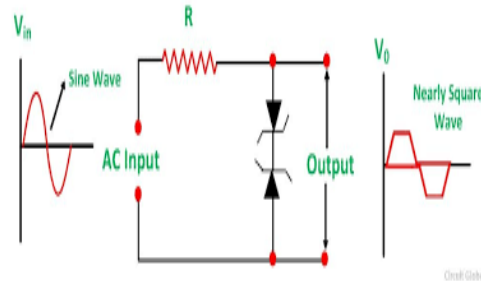
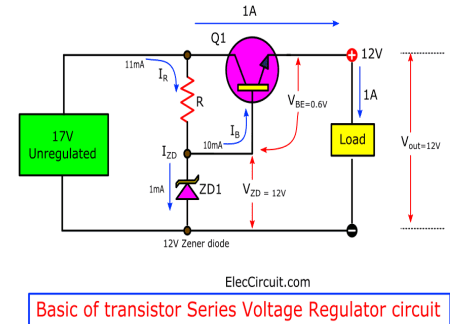
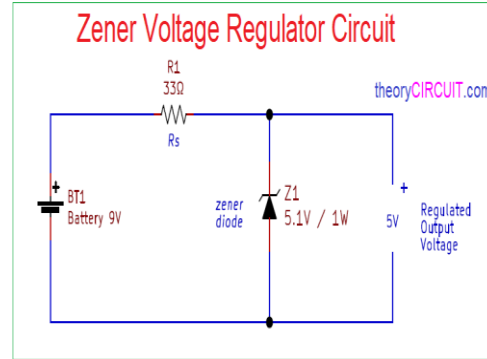
Avalanche Breakdown

- Zener Breakdown occurs in lightly doped junction diode
- Electric field is not strong enough.
- When reverse voltage of junction increase, the amount of energy imparted to minority charge carriers.
- These minority charge carriers collide with host atom, breaks the covalent bond & generate additional electron-hole pairs.
- These carriers also get energy due to applied voltage & collides another host atoms which gives further charge carriers.
- thus avalanche of carriers takes place & reverse current increase sharply in very short time.
- This mechanism known as Avalanche breakdown



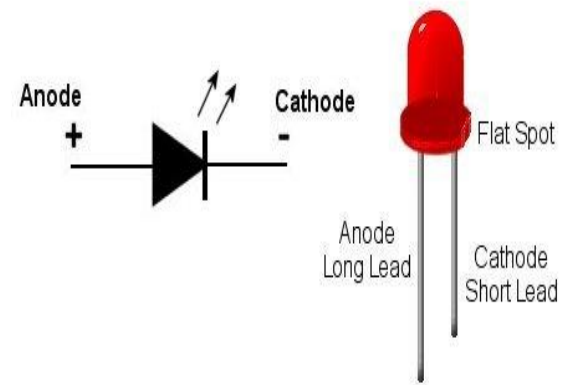
Applications of Zener Diode

- Voltage regulator.
- Reference diode in transistor ckt.
- Peck clipper in wave shaping ckt
- For meter protection.



Light Emitting Diode

- LED is optoelectronics device
- Converts electrical energy into light energy.

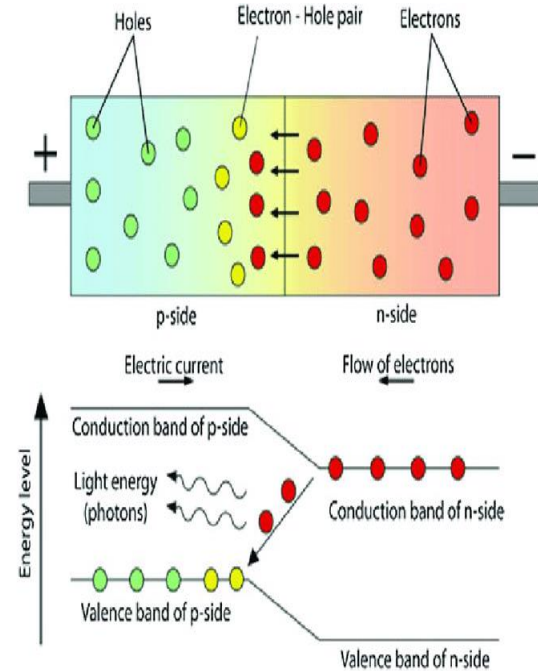


Working of LED

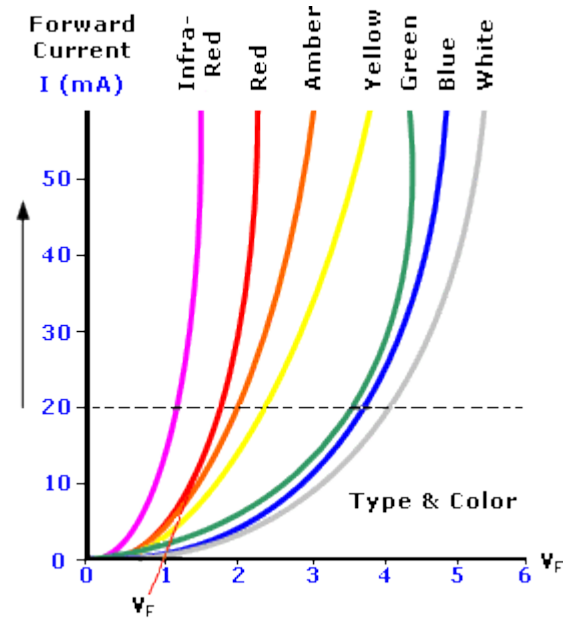
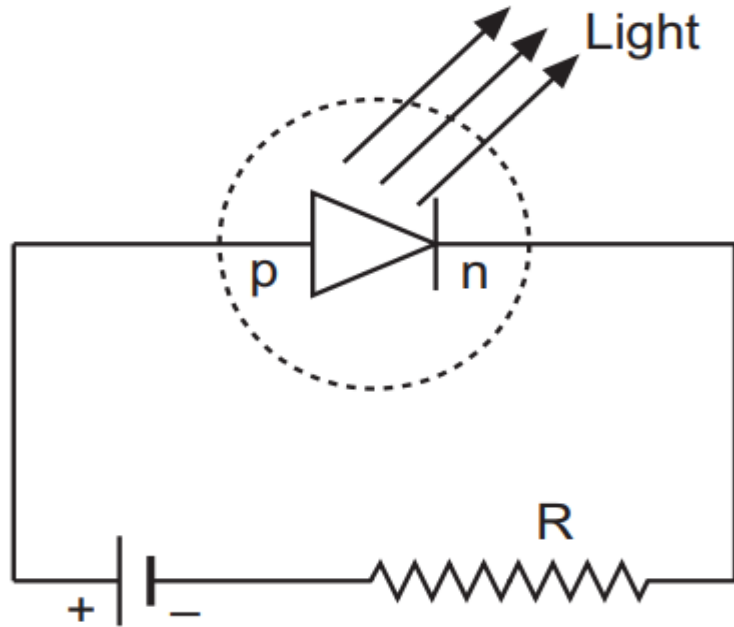
- P-N junction of LED is forward bias.
- The majority of charge carriers moving towards the junction.
- Recombination takes place.
- during recombination, electrons in C.B of N side falls in V.B of P side which is on lower level.
- i.e electrons are jumped from higher energy level to lower energy level.
- Hence difference of energy radiated in the form of heat & light.
- In LED greater percentage of energy is given out in the form of light due to the material used for making LED.
- The energy emitted is given by

$$E_g = h\nu$$
$$E_g = \frac{hc}{\lambda} \Rightarrow \lambda = \frac{hc}{E_g} \Rightarrow \lambda = \frac{1.24}{E_g} \mu\text{m}$$

- the voltage at which LED just glows & current starts increasing rapidly is known as Striking potential.



V-I characteristic of LED



The semiconducting material used for LED

Typical LED Characteristics			
Semiconductor Material	Wavelength	Colour	V_F @ 20mA
GaAs	850-940nm	Infra-Red	1.2v
GaAsP	630-660nm	Red	1.8v
GaAsP	605-620nm	Amber	2.0v
GaAsP:N	585-595nm	Yellow	2.2v
AlGaP	550-570nm	Green	3.5v
SiC	430-505nm	Blue	3.6v
GaN	450nm	White	4.0v

Applications of LED

- Infrared LED used in Burglar alarm.
- In optical switch application.
- Power ON/OFF condition.
- In 7- segment, 16- segment & dot matrix display.
- In the field of optical communication.
- In image sensing circuit.

Fermi Function & Fermi Energy

Related Formulae

$$f(E) = \frac{1}{1 + e^{\left[\frac{E-E_f}{kT}\right]}}$$

$$E_f = \frac{1}{2}mv_f^2 = kT$$

$$\Rightarrow F(E_g) = e^{\left[-\frac{E_g}{2kT}\right]}$$

$$k = 1.38 \times 10^{-23} J/K$$

$$m = 9.1 \times 10^{-31} Kg$$

$$e = 1.6 \times 10^{-19} C$$

$$1eV = 1.6 \times 10^{-19} J$$

NUMERICALS

- Evaluate the Fermi function as kT above Fermi energy.

Solution-

$$f(E) = \frac{1}{1 + e^{\left[\frac{E-E_f}{kT}\right]}}$$

For energy above Fermi energy

We have

$$\left[\frac{E-E_f}{kT}\right] = 1$$

$$\therefore f(E) = \frac{1}{1 + e^1}$$

$$\Rightarrow f(E) = \frac{1}{1 + 2.718}$$

$$\Rightarrow f(E) = 0.2689$$

NUMERICALS

- Calculate the Fermi velocity of charge carrier in a metal having Fermi temp. 2500°k.

Solution-we have

$$\frac{1}{2}mv_f^2 = kT$$

$$\Rightarrow v_f^2 = \frac{2kT}{m}$$

$$\Rightarrow v_f^2 = \frac{2 \times 1.38 \times 10^{-23} \times 2500}{9.1 \times 10^{-31}}$$

$$\Rightarrow v_f^2 = \frac{2 \times 1.38 \times 10^{-23} \times 2500}{9.1 \times 10^{-31}}$$

$$\Rightarrow v_f^2 = 7.582 \times 10^{10}$$

$$\Rightarrow v_f = 275.35 \times 10^3 \text{ m/s}$$

NUMERICALS

- What is the probability of an electron being thermally promoted to the conduction band in diamond at 27°C, if band gap is 5.6 eV wide?

Solution-

Given

$$E_g = 5.6 \text{ eV} = 5.6 \times 1.6 \times 10^{-19} \text{ J}$$

$$T = 27^\circ\text{C} = 27 + 273 = 300^\circ\text{K}$$

$$k = 1.38 \times 10^{-23} \text{ J / K}$$

$$F(E_g) = ?$$

$$\Rightarrow F(E_g) = e^{\left[-\frac{E_g}{2kT}\right]}$$

$$\Rightarrow F(E_g) = e^{\left[-\frac{5.6 \times 1.6 \times 10^{-19}}{2 \times 1.38 \times 10^{-23} \times 300}\right]}$$

$$\Rightarrow F(E_g) = 1.008 \times 10^{-47}$$

NUMERICALS

- The Fermi level for potassium is 2.1 eV. Calculate velocity of the electron at the Fermi level.

Solution-

Given, $E_f = 2.1 \text{ eV} = 2.1 \times 1.6 \times 10^{-19} \text{ J}$

$$v_f = ?$$

$$\text{Now } E_f = \frac{1}{2} m v_f^2$$

$$\Rightarrow v_f^2 = \frac{2E_f}{m}$$

$$\Rightarrow v_f = \sqrt{\frac{2 \times 2.1 \times 1.6 \times 10^{-19}}{9.1 \times 10^{-31}}}$$

$$\Rightarrow v_f = 8.6 \times 10^5 \text{ m/s}$$

Electrical Conductivity of Semiconductor

- Calculate the mobility of electron in copper, if the free electrons per unit volume is $8.496 \times 10^{22} \text{ cm}^{-3}$ and resistivity of copper is $1.7 \times 10^{-6} \text{ ohm-cm}$.

Solution-

Given

$$n = 8.496 \times 10^{22} \text{ cm}^{-3} = 8.496 \times 10^{28} \text{ m}^{-3}$$

$$\rho = 1.7 \times 10^{-6} \text{ ohm-cm} = 1.7 \times 10^{-8} \text{ ohm-m}$$

$$\mu_e = ?$$

$$\text{Now, } \rho = \frac{1}{\sigma}$$

$$\Rightarrow \mu_e = \frac{1}{ne\rho}$$

$$\sigma = ne\mu_e$$

$$\Rightarrow \mu_e = \frac{1}{8.496 \times 10^{28} \times 1.6 \times 10^{-19} \times 1.7 \times 10^{-8}}$$

$$\Rightarrow \rho = \frac{1}{ne\mu_e}$$

$$\Rightarrow \mu_e = 4.327 \times 10^{-3} \text{ m}^2 / \text{Vs}$$

NUMERICALS

- Mobilities of holes & electrons in a sample of intrinsic germanium at room temperature are $1700\text{cm}^2/\text{V.s}$ and $3600\text{ cm}^2/\text{Vs}$ resp.If the electron & hole densities are each equal to 2.5×10^{13} per cm^3 , calculate its conductivity.

Solution-

Given that,

$$\mu_h = 1700\text{cm}^2/\text{Vs} = 1700 \times 10^{-4}\text{m}^2/\text{Vs}$$

$$\mu_e = 3600\text{cm}^2/\text{Vs} = 3600 \times 10^{-4}\text{m}^2/\text{Vs}$$

$$n = p = n_i = 2.5 \times 10^{13}/\text{cm}^3 = 2.5 \times 10^{19}/\text{m}^3$$

we know that , $\sigma = n_i e (\mu_e + \mu_h)$

$$\Rightarrow \sigma = 2.5 \times 10^{19} \times 1.6 \times 10^{-19} (3600 \times 10^{-4} + 1700 \times 10^{-4})$$

$$\Rightarrow \sigma = 2.12\text{ ohm}^{-1}\text{m}^{-1}$$

N U M E R I C A L S

- LED is made from GaAs emits yellow light of wavelength 5850\AA . calculate energy band gap of the material.

Solution-

Given that, $\lambda = 5850\text{\AA} = 5850 \times 10^{-10}\text{m}$

$$h = 6.63 \times 10^{-34}\text{Js}$$

$$c = 3 \times 10^8\text{m/s}$$

$$E_g = ? \qquad E_g = h\nu$$

$$E_g = \frac{hc}{\lambda}$$

$$E_g = \frac{6.63 \times 10^{-34} \times 3 \times 10^8}{5850 \times 10^{-10}}$$

$$E_g = 3.4 \times 10^{-19}\text{J} = 2.12\text{ eV}$$