Information Security Lab 5

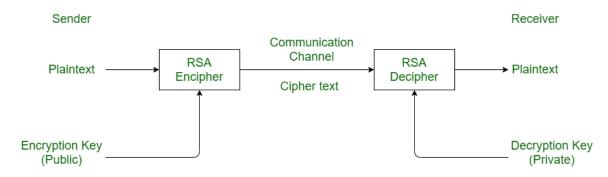
Aim: To Implement RSA and DSA Algorithm

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1. Rivest-Shamir-Adleman (RSA) algorithm:

RSA stands for **Rivest-Shamir-Adleman**. It is a cryptosystem used for secure data transmission. In RSA algorithm, encryption key is public but decryption key is private. This algorithm is based on mathematical fact that factoring the product of two large prime numbers is not easy. It was developed by **Ron Rivest**, **Adi Shamir** and **Leonard Adleman** in 1977.



Plaintext: GETREADY

Case 3: -

Plaintext – HELLOWORLD Key – GEEKSFORGEEKS

Output -

Ciphertext: NIPVGBCIRH

Plaintext: HELLOWORLD

Case 4: -

Plaintext – GOODBYE

Key - HELLO

Output -

Ciphertext: NSZOPFI Plaintext: GOODBYE

import random

Function to check if a number is prime

 $def is_prime(n): \\ if n <= 1: \\ return False for i in \\ range(2, int(n**0.5) + 1): if n \\ \% i == 0:$

return False return True

Function to generate a prime number of specified length

def

generate_prime(length):

while True:

prime_candidate =

random.randint(2**(length-1), 2**length - 1)

if is_prime(prime_candidate):

return prime candidate

Function to calculate the greatest common divisor (GCD) of two numbers

def
$$gcd(a, b)$$
:
while $b != 0$:
 $a, b = b, a \% b$ return a

Function to find the modular inverse of a number

Function to generate RSA keys

def generate_rsa_keys(key_length):

Generate two distinct prime numbers p = generate_prime(key_length // 2) q = generate_prime(key_length // 2)

> # Compute modulus modulus = p * q

Compute Euler's totient function phi = (p - 1) * (q - 1)

Choose encryption exponent e (usually a small prime number) e = 65537

Compute decryption exponent d d = mod_inverse(e, phi)

return (e, modulus), (d, modulus)

Function to encrypt a message using RSA

Function to decrypt a message using RSA

```
# Example usage message = "HELLO"
```

```
# Generate RSA keys with a key length of 512 bits public_key, private_key = generate_rsa_keys(512)
```

```
# Encrypt the message using the public key
encrypted_message = encrypt(message, public_key)
```

Decrypt the ciphertext using the private key
decrypted_message = decrypt(encrypted_message,
private_key)

```
print("Original Message:", message)
print("Encrypted Message:", encrypted_message)
print("Decrypted Message:", decrypted message)
```

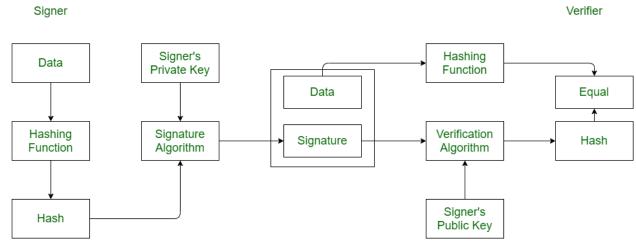
2. Digital Signature Algorithm (DSA):

DSA stand for **Digital Signature Algorithm**. It is used for digital signature and its verification. It is based on mathematical concept of modular exponentiation and discrete logarithm. It was developed by **National Institute of Standards and Technology (NIST)** in 1991.

It involves four operations:

- 1. Key Generation
- 2. Key Distribution

- 3. Signing
- 4. Signature Verification



Here's an example of how to implement the DSA (Digital Signature Algorithm) in Python using the 'cryptography' library:

from cryptography.hazmat.primitives import hashes from cryptography.hazmat.primitives.asymmetric import dsa

from cryptography.hazmat.backends import default_backend

```
# Signature Generation hash_algorithm
= hashes.SHA256()
signature = private_key.sign(
message,
algorithm=hash_algorithm
)

# Signature Verification try:
public_key.verify(
signature,
message,
algorithm=hash_algorithm
)
print("Signature is valid.")
except: print("Signature is invalid.")
```