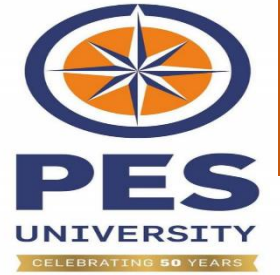


LINEAR INTEGRATED CIRCUITS (UE22EC342AB3)

- *Elective 1 course*
- *4 credit course*
- *Offered in EC and RR campus*
- *Content of Unit 4 added compared to last year syllabus*

Dr Shashidhar Tantry

Electronics and Communication Engineering



LINEAR INTEGRATED CIRCUITS

Dr Shashidhar Tantry

Electronics and Communication Engineering

Unit 1:

Development of the Ideal OpAmp Equations:

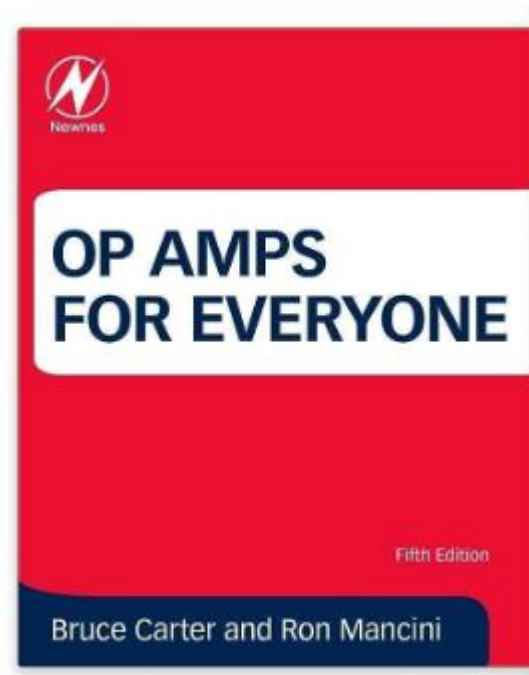
Ideal Op Amp Assumptions,
The Noninverting Op Amp,
The Inverting Op Amp,
The Adder,
The Differential Amplifier,
Complex Feedback Networks,
Video Amplifiers,
Low pass filter,
High pass filter

Single Supply Op Amp Design Techniques:

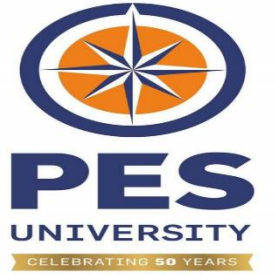
Single Supply versus Dual Supply
Simultaneous equations

Textbook

- **Op Amp for everyone** Fifth edition Bruce Carter and Ron Mancini
- **Analog Filter Design**, Van Valkenburg, Oxford University Press



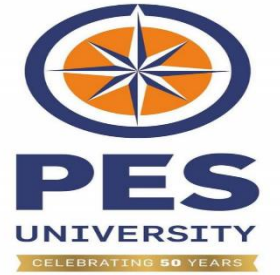
Unit 1 Reference book



Reference books

- **Linear Integrated Design Handbook (Analog Devices)**
- **Operational amplifiers and linear ICs by James M Fiore 2016**

Unit 1 Background of op amps



Background

- Importance of op amp
 - First analog computer
 - Made of vacuum tubes
 - Later transistor and IC came in
- Op amp types
 - $\mu A741$ $\mu A709$, V1308
 - Works from 5Khz GBW to 5GHz GBW
 - Power supply from 60V to 0.9V
- Op amp as block box
 - It performs all analog tasks
 - Op amps are designed specific to application

Background

- Concept of op amp, a block that can do many things
- Op amps are always used in negative feedback configurations

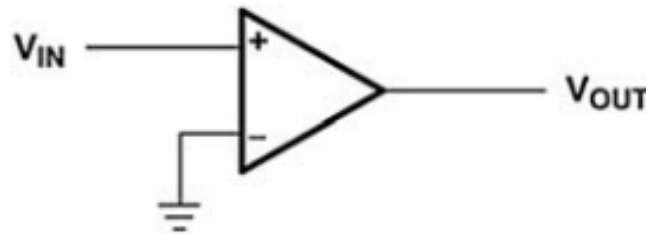


Figure 2.1

A first (and not very useful) circuit.

Unit 1 Ideal op amp

Ideal op amp assumptions

- Ideal op amp assumes input offset is zero
- Ideal op amp assumes gain maximum at DC and minimum at high frequencies
- Input current is zero
- Op amp gain assumed to be infinity
- Voltage between input leads is zero
- Input impedance is infinite
- Output impedance is zero

Table 2.1: Basic Ideal Op Amp Assumptions

Parameter Name	Parameters Symbol	Value
Input current	I_{IN}	0
Input offset voltage	V_{OS}	0
Input impedance	Z_{IN}	∞
Output impedance	Z_{OUT}	0
Gain	a	∞

Unit 1 Ideal op amp

Table 2.1: Basic Ideal Op Amp Assumptions

Parameter Name	Parameters Symbol	Value
Input current	I_{IN}	0
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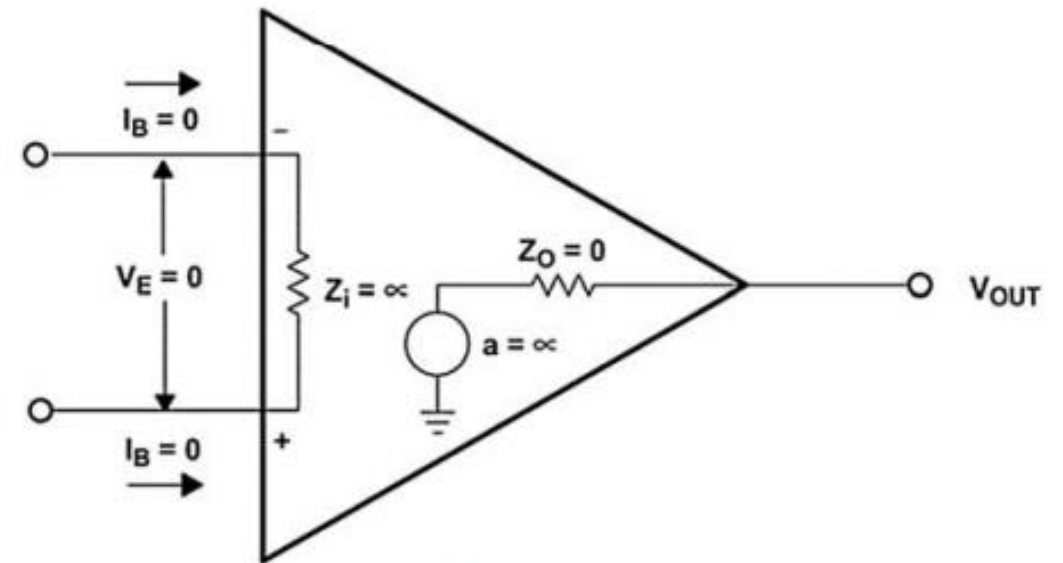
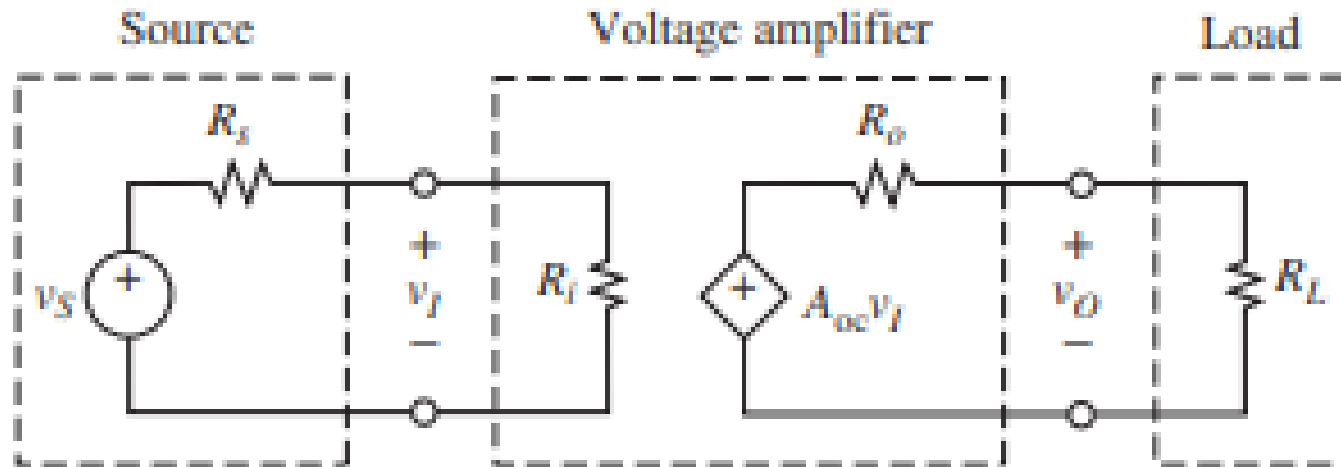


Figure 2.2
The ideal op amp.

Unit 1 Op amp model

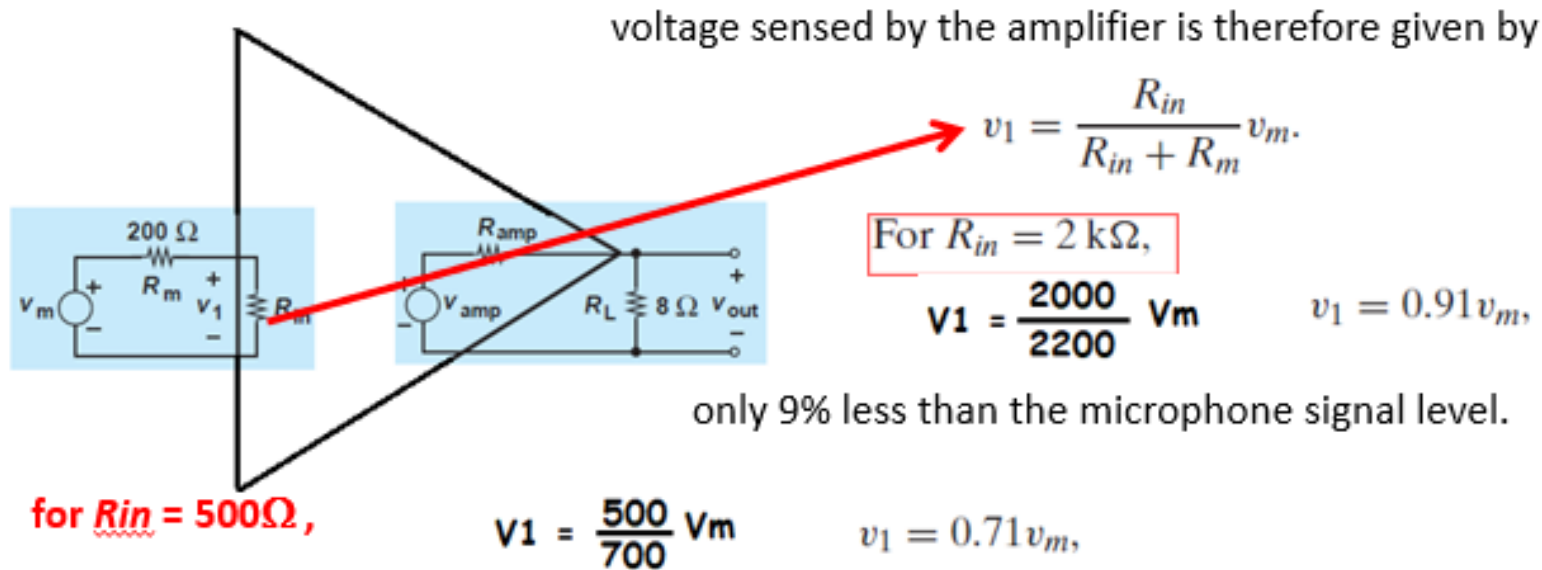


$$v_O = \frac{R_L}{R_o + R_L} A_{oc} v_I \quad v_I = \frac{R_i}{R_s + R_i} v_S \quad \frac{v_O}{v_S} = \frac{R_i}{R_s + R_i} A_{oc} \frac{R_L}{R_o + R_L}$$

Unit 1 Op amp model

Example on input impedance

(a) Determine the signal level sensed by the amplifier if the circuit has an input impedance of $2\text{ k}\Omega$ or 500Ω .



i.e., nearly 30% loss.

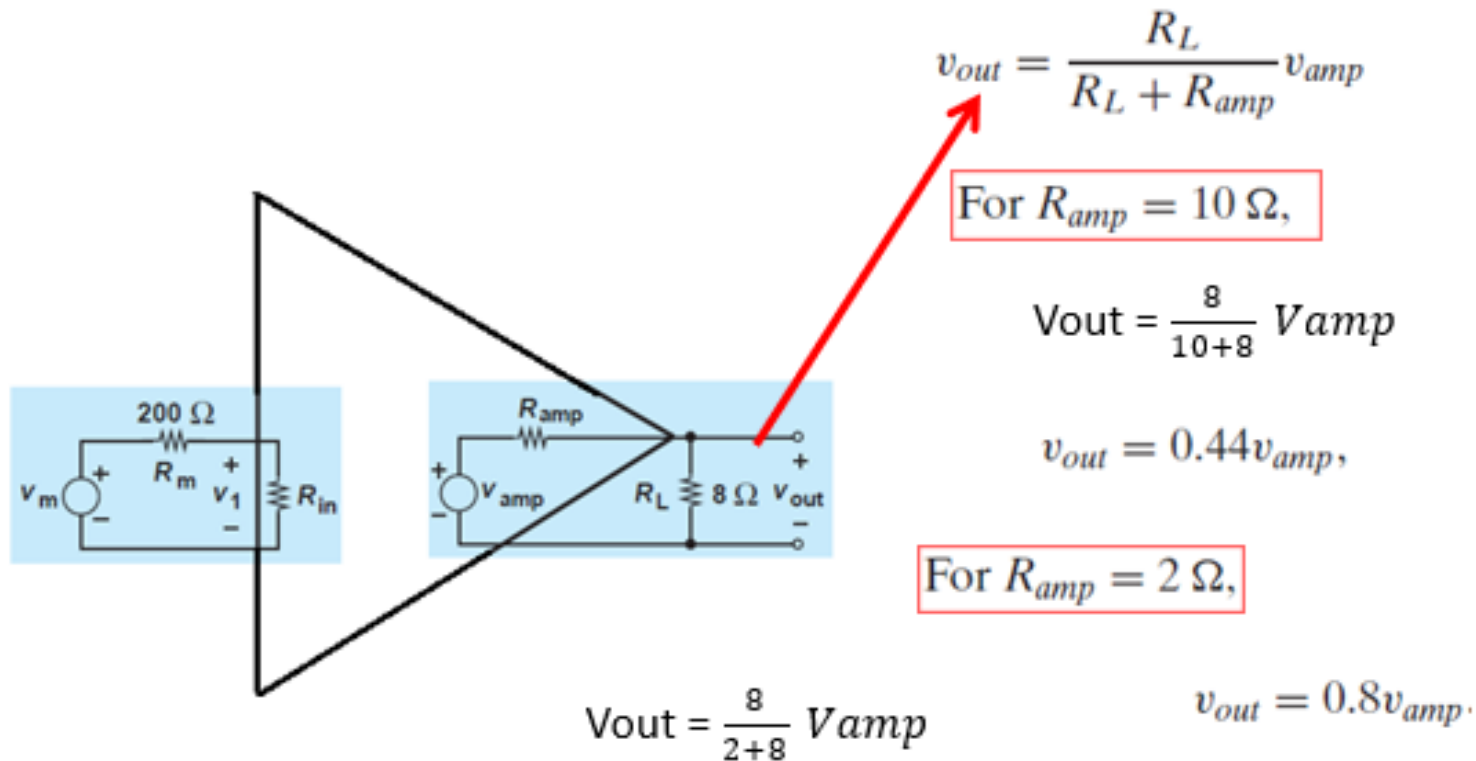
It is therefore desirable to maximize the input impedance in this case.

$$\begin{aligned} R_{in} &= R_i \\ R_m &= R_s \end{aligned}$$

Unit 1 Op amp model

Example on output impedance

(b) Drawing the interface between the amplifier and the speaker



$$R_{amp} = R_o$$
$$R_L = R_L$$

Thus, the output impedance of the amplifier must be minimized.

Unit 1 Op amp model

Example on Gain

Case 1 Best case

$$R_i = 2\text{Kohm}$$

$$R_s = 200\text{ohm}$$

$$R_o = 2\text{ohm}$$

$$R_L = 8\text{ohm}$$

$$A_{oc} = 500$$

Case 2 Worst Case

$$R_i = 500\text{ohm}$$

$$R_s = 200\text{ohm}$$

$$R_o = 10\text{ohm}$$

$$R_L = 8\text{ohm}$$

$$A_{oc} = 200$$

$$\frac{v_O}{v_S} = \frac{R_i}{R_s + R_i} A_{oc} \frac{R_L}{R_o + R_L}$$

Unit 1 Noninverting Op amp

- Input connected to non-inverting input
- No offset voltage
- Difference between two inputs should be zero
- Current in R_F makes both inputs same

$$V_{IN} = V_{OUT} \frac{R_G}{R_G + R_F}$$

$$\frac{V_{OUT}}{V_{IN}} = \frac{R_G + R_F}{R_G} = 1 + \frac{R_F}{R_G}$$

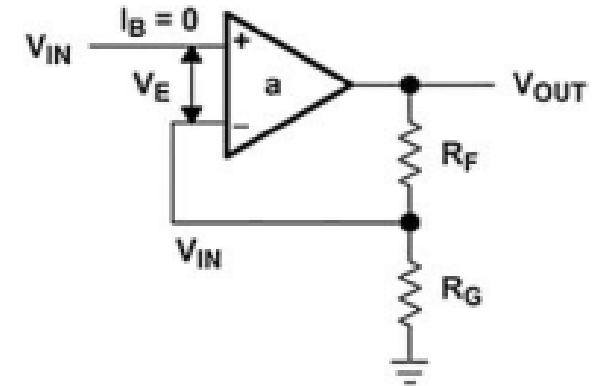


Figure 2.3

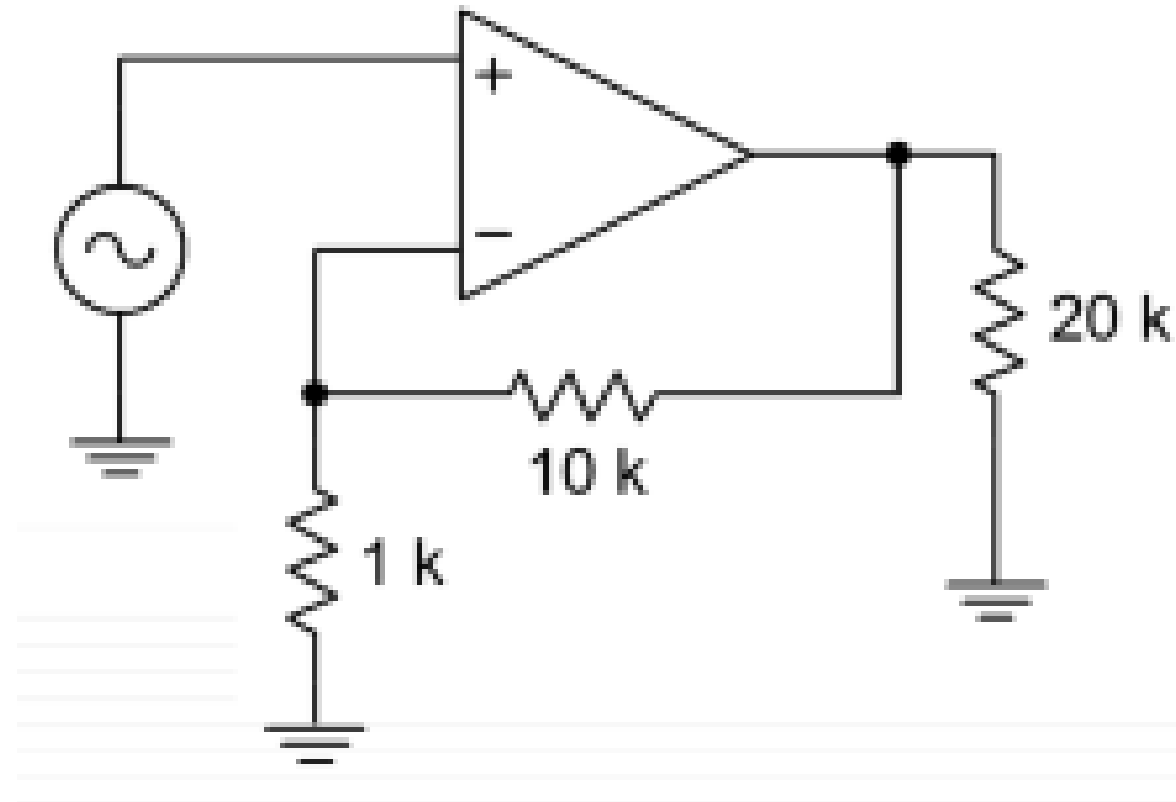
When R_G is very large,

$$V_{in} = V_{out}$$

Under this condition, it works as **unity gain buffer** or **voltage follower** circuit

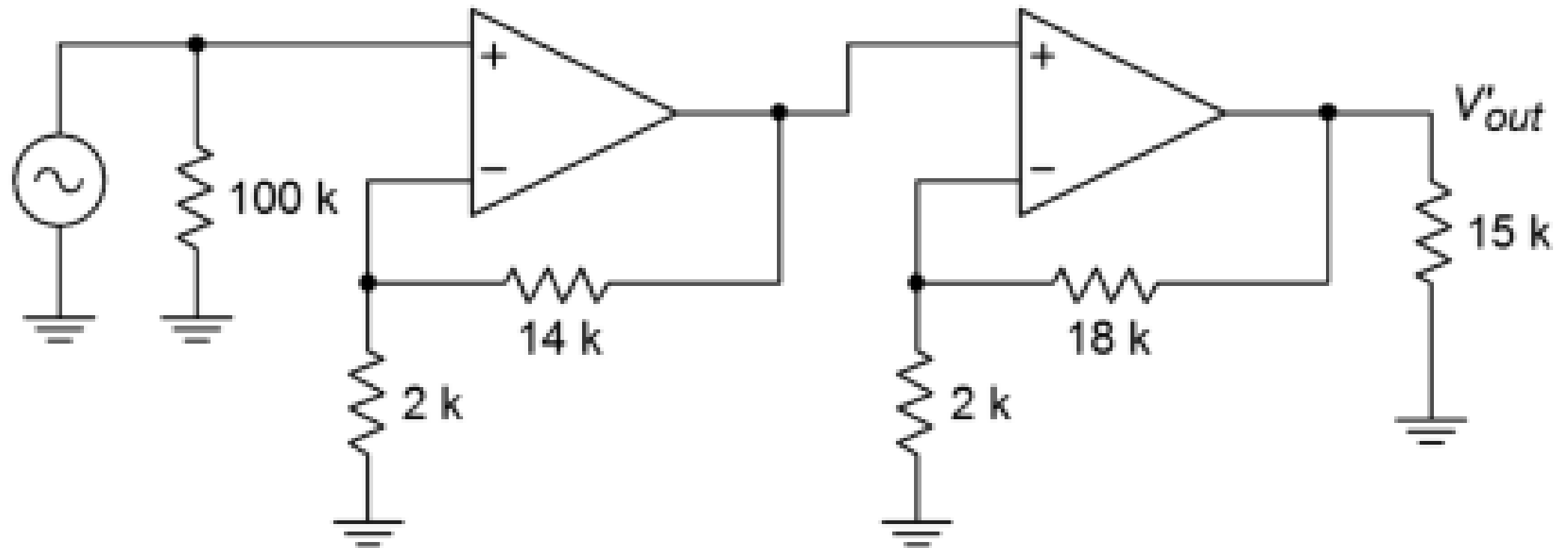
Unit 1 Noninverting Op amp

What are the input impedance and gain of the circuit in Figure



Unit 1 Non Inverting Op amp

What is input impedance and gain of the circuit shown in the figure?



Unit 1 Inverting Op amp

- noninverting input is grounded
- No offset voltage
- Difference between two inputs should be zero
- Current in R_F equal current flow in R_G

$$I_1 = \frac{V_{IN}}{R_G} = -I_2 = -\frac{V_{OUT}}{R_F}$$

$$\frac{V_{OUT}}{V_{IN}} = -\frac{R_F}{R_G}$$

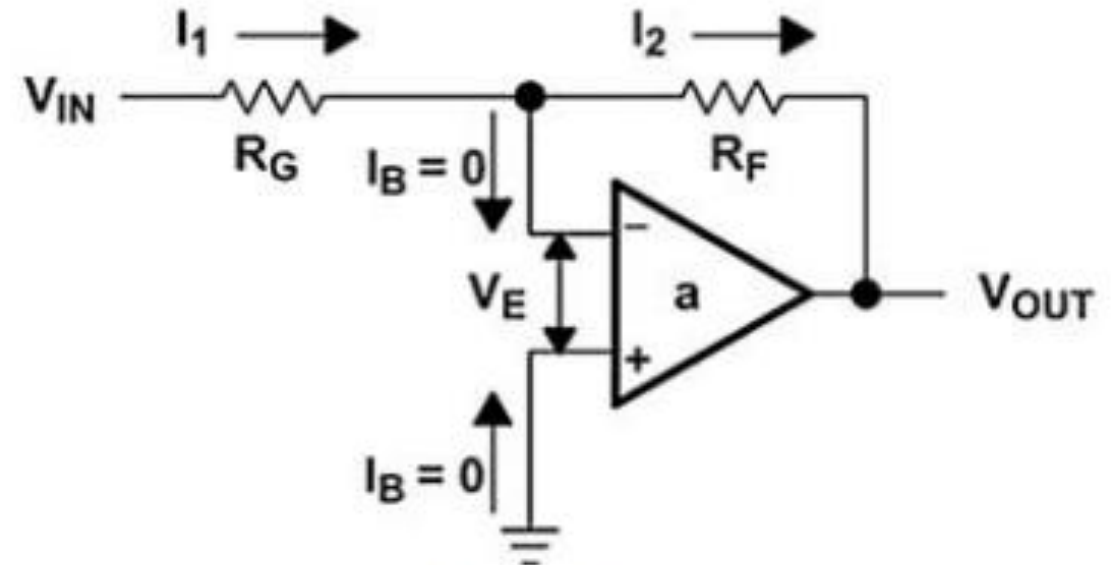
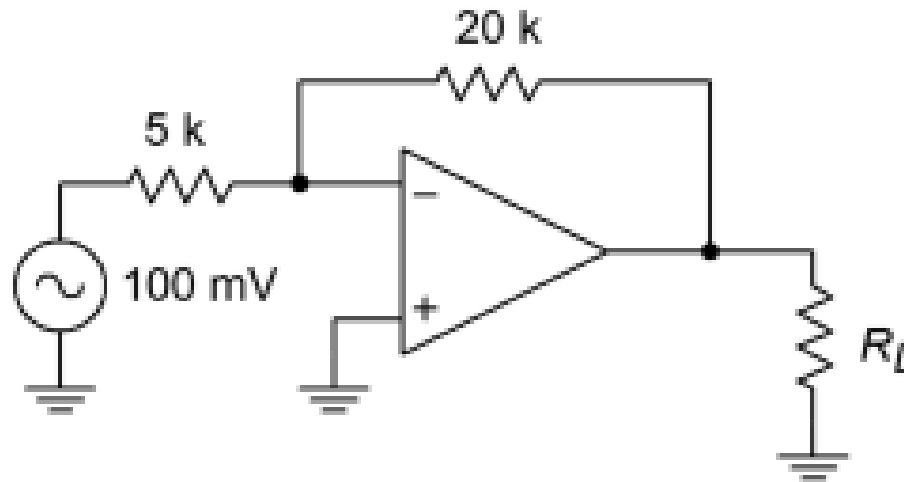


Figure 2.4

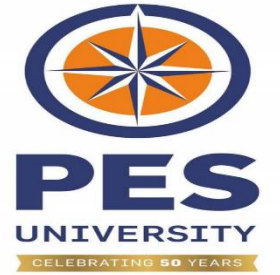
Input impedance is set by R_G

Unit 1 Inverting Op amp

What is input impedance and output voltage of the circuit shown in the figure?



Unit 1 Inverting Op amp



Design an amplifier with a gain of 26 dB and an input impedance of 47 k Ω .

Unit 1 Adder (Summing Amplifier)

- Non-inverting input is grounded
- More than one input is connected to inverting input

$$V_{OUTN} = -\frac{R_F}{R_N}V_N$$

$$V_{OUT1} = -\frac{R_F}{R_1}V_1$$

$$V_{OUT2} = -\frac{R_F}{R_2}V_2$$

$$V_{OUT} = -\left(\frac{R_F}{R_1}V_1 + \frac{R_F}{R_2}V_2 + \frac{R_F}{R_N}V_N\right)$$

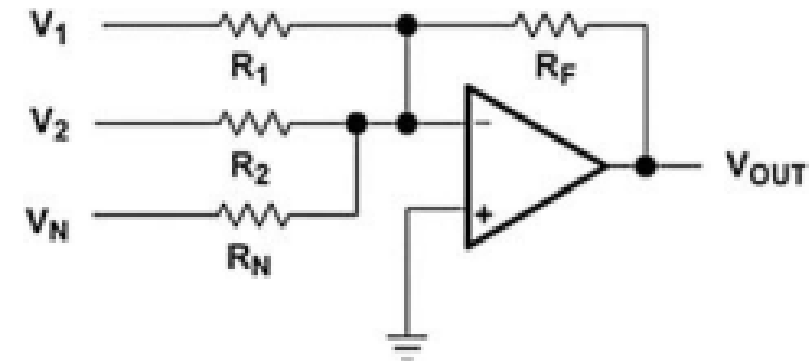
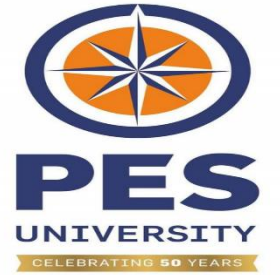


Figure 2.5

Circuit is also called summing amplifier

Unit 1 Inverting Op amp



Design a circuit whose output is $V_{\text{out}} = -2(3V_1 + 4V_2 + 2V_3)$

Unit 1 Differential Amplifier

- Amplifies difference between two signals applied at the input
- Superposition theorem is used to calculate output

$$V_+ = V_1 \frac{R_2}{R_1 + R_2}$$

$$V_{OUT1} = V_+(G_+) = V_1 \frac{R_2}{R_1 + R_2} \left(\frac{R_3 + R_4}{R_3} \right)$$

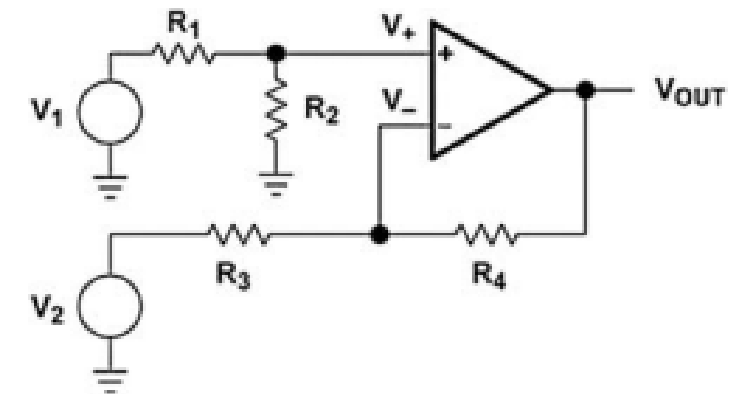


Figure 2.6

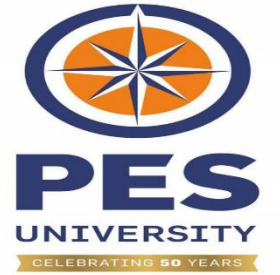
$$V_{OUT2} = V_2 \left(\frac{-R_4}{R_3} \right)$$

$$V_{OUT} = V_1 \frac{R_2}{R_1 + R_2} \left(\frac{R_3 + R_4}{R_3} \right) - V_2 \frac{R_4}{R_3}$$

When $R_1 = R_3$ and $R_2 = R_4$

$$V_{OUT} = (V_1 - V_2) \frac{R_4}{R_3}$$

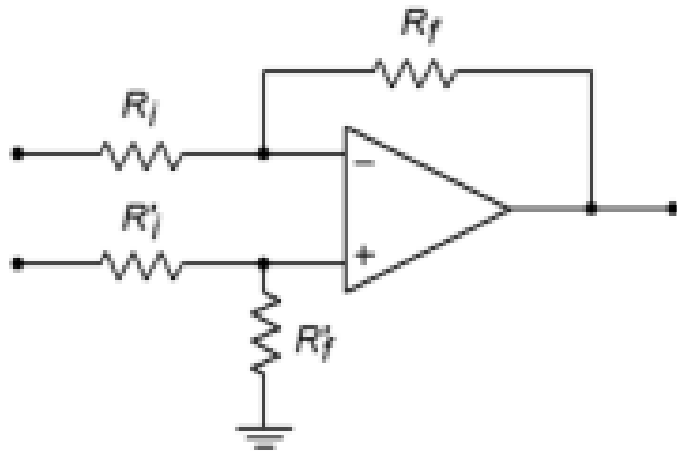
Unit 1 Differential amplifier



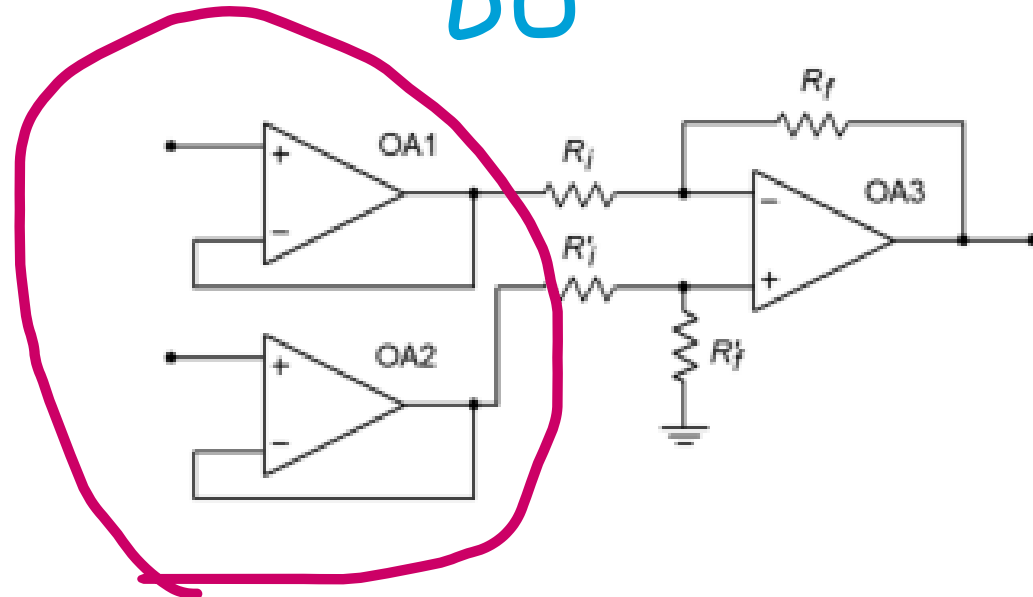
Design a simple difference amplifier with an input impedance of $10\text{ k}\Omega$ per leg, and a voltage gain of 26 dB.

Unit 1 Instrumentation amplifier

- Specialized op amp
- Offers very high input impedance
- Derived from **differential amp**

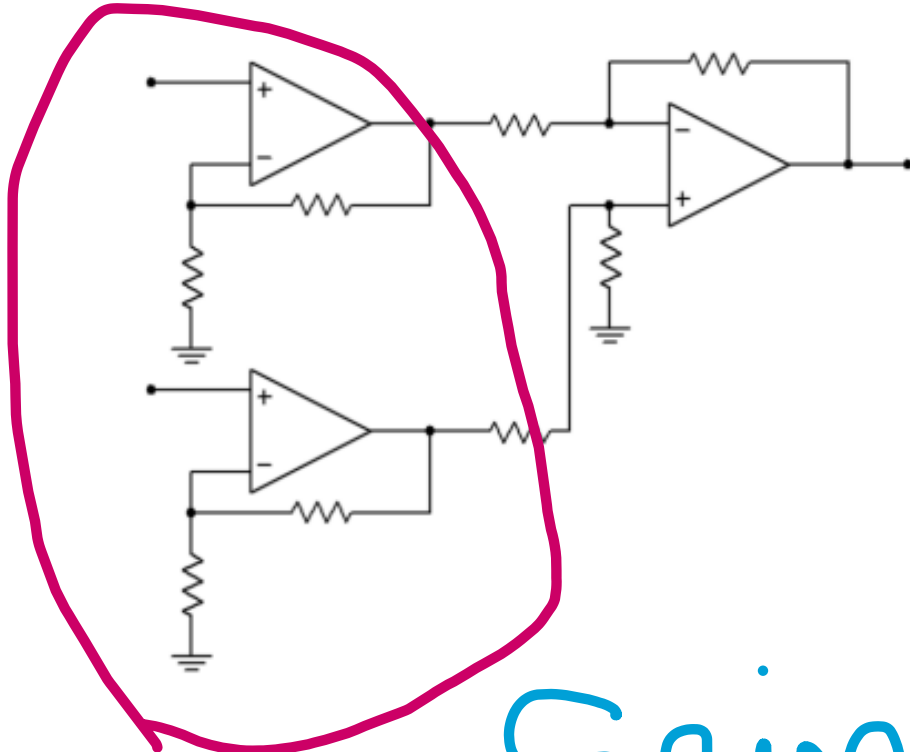


Buffer

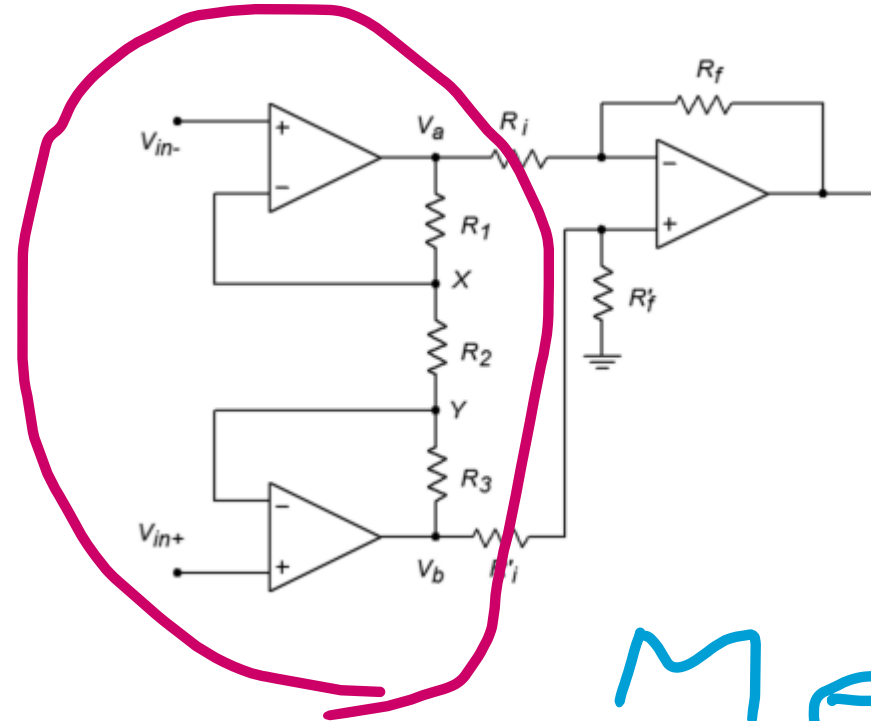


Unit 1 Instrumentation amplifier

- Specialized op amp with higher precision
- Derived from differential amp



Gain



Merge

Unit 1 Instrumentation amplifier Analysis

From Difference amp relation,

$$V_{out} = \frac{R_f}{R_i} (V_b - V_a)$$

From Ideal op amp relation,

$$V_x = V_{in-}$$

$$V_y = V_{in+}$$

The output voltage V_a must equal V_x plus the drop across R_f .

$$V_a = V_x + V_{Rf}$$

Voltage drop across R_1 is given by,

$$V_{R1} = R_1 I_{R1}$$

$$V_{R1} = R_1 I_{R2}$$

Current I_{R2} is given by,

$$I_{R2} = \frac{V_x - V_y}{R_2}$$

Value of V_a is given by,

$$V_a = V_x + \frac{R_1 (V_x - V_y)}{R_2}$$

Unit 1 Instrumentation amplifier Analysis

After substitution,

$$V_a = V_{in-} + \frac{R_1(V_{in-} - V_{in+})}{R_2}$$

$$V_a = V_{in-} + \frac{R_1}{R_2}(V_{in-} - V_{in+})$$

$$V_a = V_{in-} + V_{in-} \frac{R_1}{R_2} - V_{in+} \frac{R_1}{R_2}$$

$$V_a = V_{in-} \left(1 + \frac{R_1}{R_2}\right) - V_{in+} \frac{R_1}{R_2}$$

By a similar derivation, the equation for V_b is found

$$V_b = V_{in+} \left(1 + \frac{R_3}{R_2}\right) - V_{in-} \frac{R_3}{R_2}$$

For gain matching R_3 is set equal to R_1 .

And after substitution

$$V_{out} = \frac{R_f}{R_i} \left(\left(V_{in+} \left(1 + \frac{R_1}{R_2}\right) - V_{in-} \frac{R_1}{R_2} \right) - \left(V_{in-} \left(1 + \frac{R_1}{R_2}\right) - V_{in+} \frac{R_1}{R_2} \right) \right)$$

After combining terms,

$$V_{out} = \frac{R_f}{R_i} \left((V_{in+} - V_{in-}) \left(1 + \frac{R_1}{R_2}\right) + (V_{in+} - V_{in-}) \frac{R_1}{R_2} \right)$$

$$V_{out} = (V_{in+} - V_{in-}) \left(\frac{R_f}{R_i} \right) \left(1 + 2 \frac{R_1}{R_2} \right)$$

Unit 1 Complex Feedback Network

- T Network in feedback path, need to provide low resistance path to ground
- Use Thevenin's theorem

$$V_{TH} = V_{OUT} \frac{R_4}{R_3 + R_4}$$

$$R_{TH} = R_3 || R_4$$

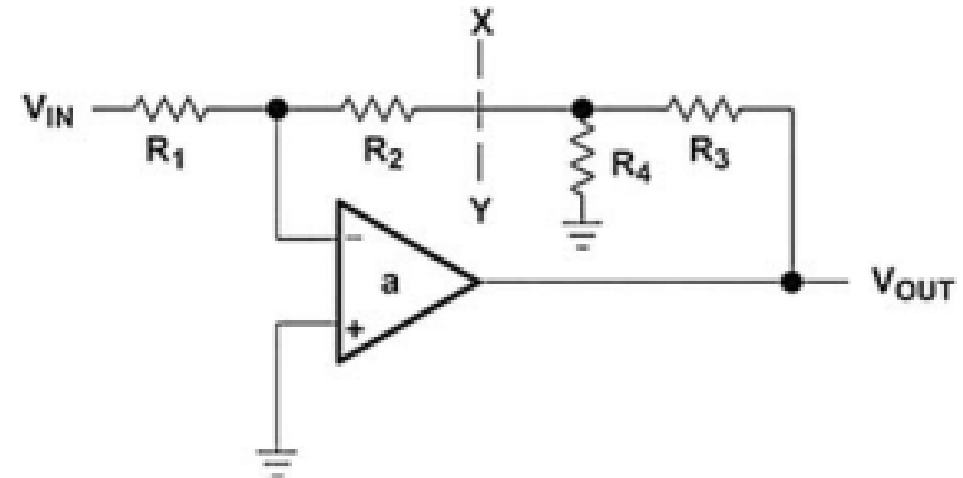


Figure 2.8

Unit 1 Complex Feedback Network

- Use Thevenin's theorem for feedback circuit calculations

$$-\frac{V_{OUT}}{V_{IN}} = \frac{R_2 + R_{TH}}{R_1} \left(\frac{R_3 + R_4}{R_4} \right) = \frac{R_2 + (R_3 \parallel R_4)}{R_1} \left(\frac{R_3 + R_4}{R_4} \right)$$

$$-\frac{V_{OUT}}{V_{IN}} = \frac{R_2 + R_3 + \frac{R_2 R_3}{R_4}}{R_1}$$

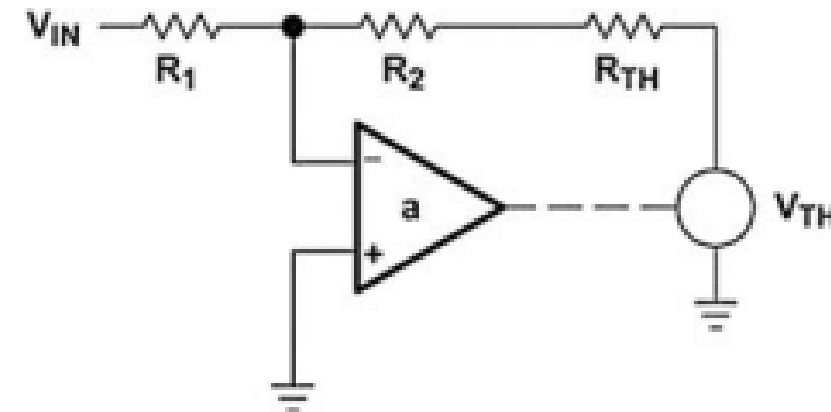


Figure 2.9

It reduces feedback resistance requirements

Unit 1 Impedance matching amplifier (Video amplifier)

- Coaxial cables used to transmit high frequency signals
- To match characteristic impedance, input and output impedance should be set accordingly
- $R_{IN} = 50\text{ohm}$
- R_M is used to adjust output impedance

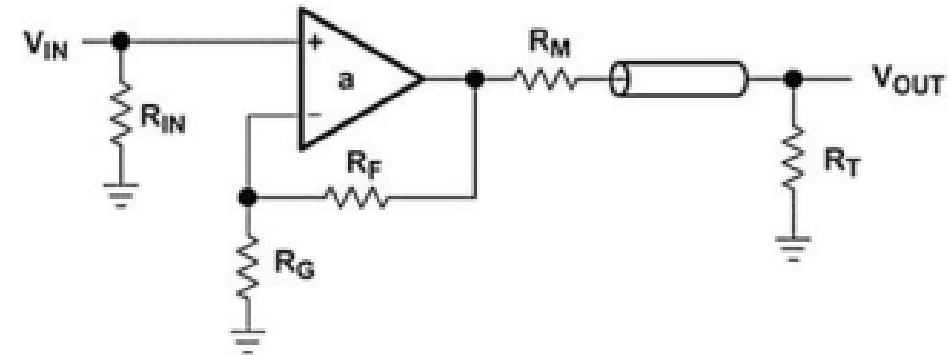


Figure 2.10

Unit 1 Capacitors

- Capacitors have impedance = $X_C = 1/2\pi fC$
- Break frequency occurs at $f = 1/2\pi RC$ where gain is reduced to -3db
- At low frequency, R_F dominates and at high frequency C_F dominates

$$\frac{V_{OUT}}{V_{IN}} = -\frac{X_C \parallel R_F}{R_G}$$

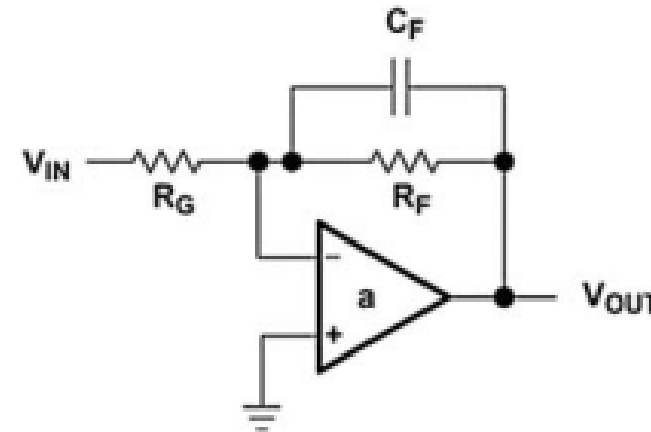


Figure 2.11
Low-pass filter.

Circuit is also called as integrator

Unit 1 Capacitors

- Capacitors have impedance = $X_C = 1/2\pi fC$
- Break frequency occurs at $f = 1/2\pi RC$ where gain is reduced to -3db
- At low frequency, R_F dominates and at high frequency C_F dominates

$$\frac{V_{OUT}}{V_{IN}} = 1 + \frac{R_F}{X_C \parallel R_G}$$

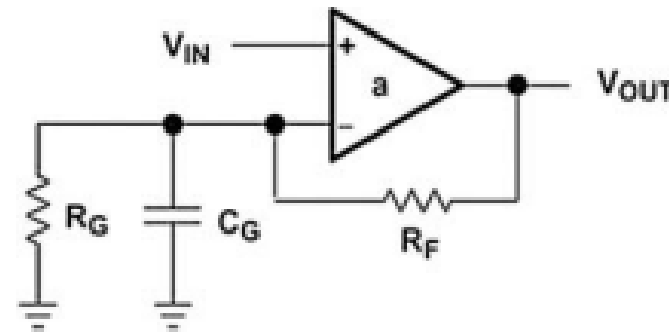


Figure 2.12
High-pass filter.

Importance

- Dual power supply always takes mid point reference as ground, This is not useful for batter operated devices
- Concept of virtual ground is built around signal swing from positive to negative taking virtual ground as mid point
- Create localised ground, so called DC operating point
- DC operating points are isolated using capacitors

Unit 1 Single supply op amp design techniques 1

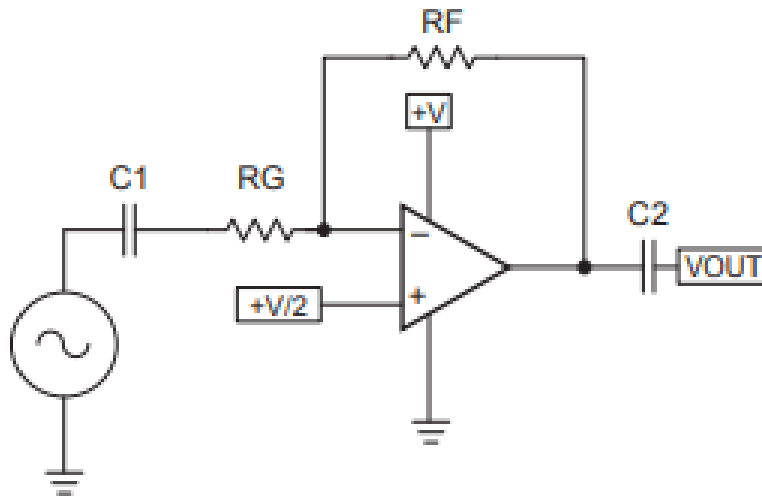


Figure 3.2

- For AC signal, it acts as inverting amplifier
- For DC signal, it acts as non inverting amplifier with unity gain
- Positive input, negative input and output are at DC potential

Note : DC operating point need not be always $V/2$

Unit 1 Single supply op amp design techniques 2

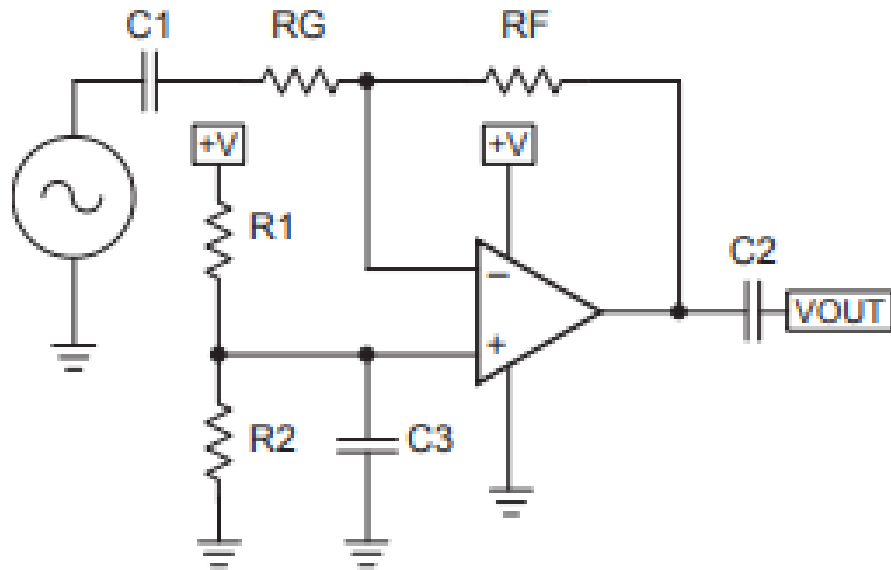


Figure 3.3

- Voltage divider circuit can be used to generate mid point voltage value
- Resistor value to be larger to reduce power consumption
- Capacitor $C3$ used to suppress noise

Unit 1 Single supply op amp design techniques 3

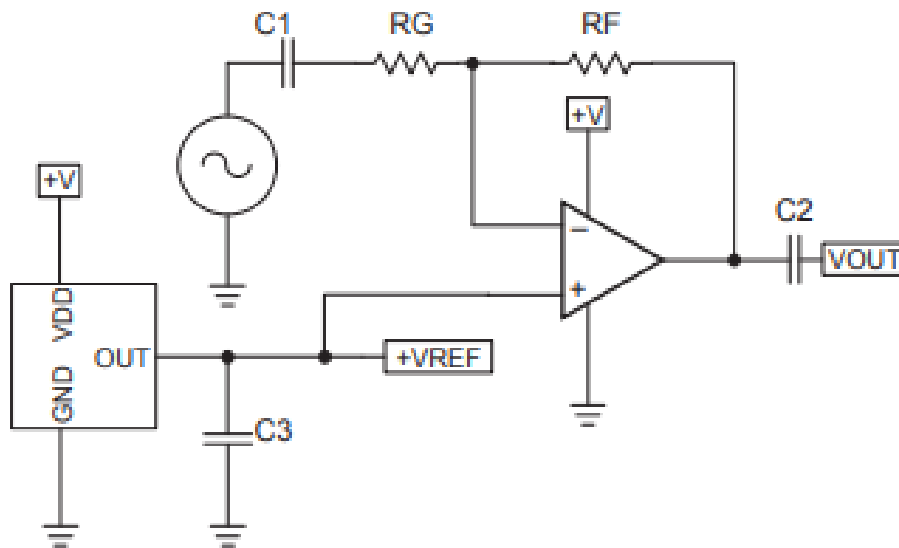


Figure 3.4

- Voltage reference circuit or IC can be used to produce reference voltage instead of resistor divider circuit

Unit 1 Single supply op amp design techniques 4

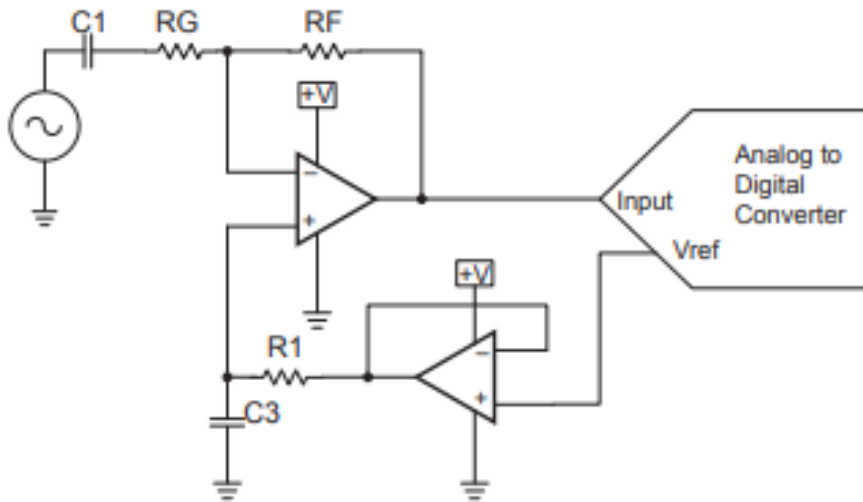


Figure 3.6
Correct voltage reference buffering.

- Reference can be taken from other circuits like ADC reference
- C1 and C3 selected based on signal frequency
- R1 is used for isolation of op amp

Unit 1 Issues with Non inverting stage in single supply mode

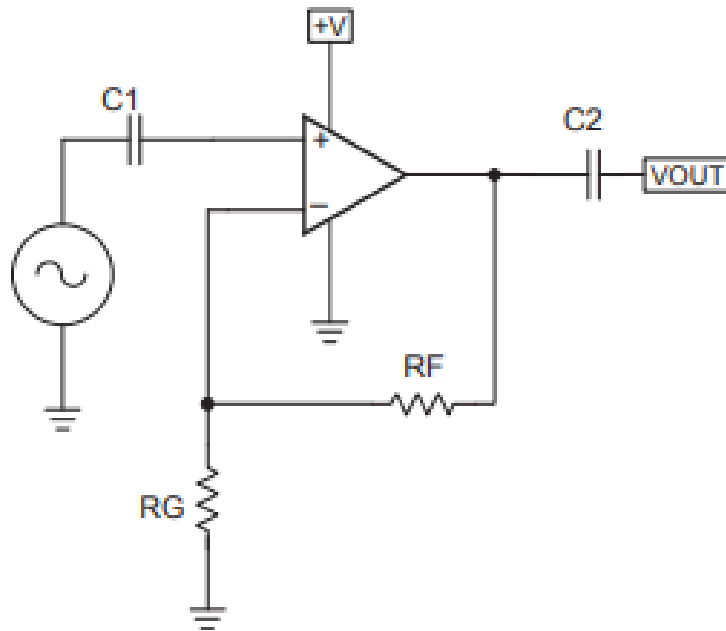


Figure 3.7

Incorrect noninverting single-supply stage.

- For DC, Non inverting terminal is floating !

Unit 1 Issues with Non inverting stage in single supply mode

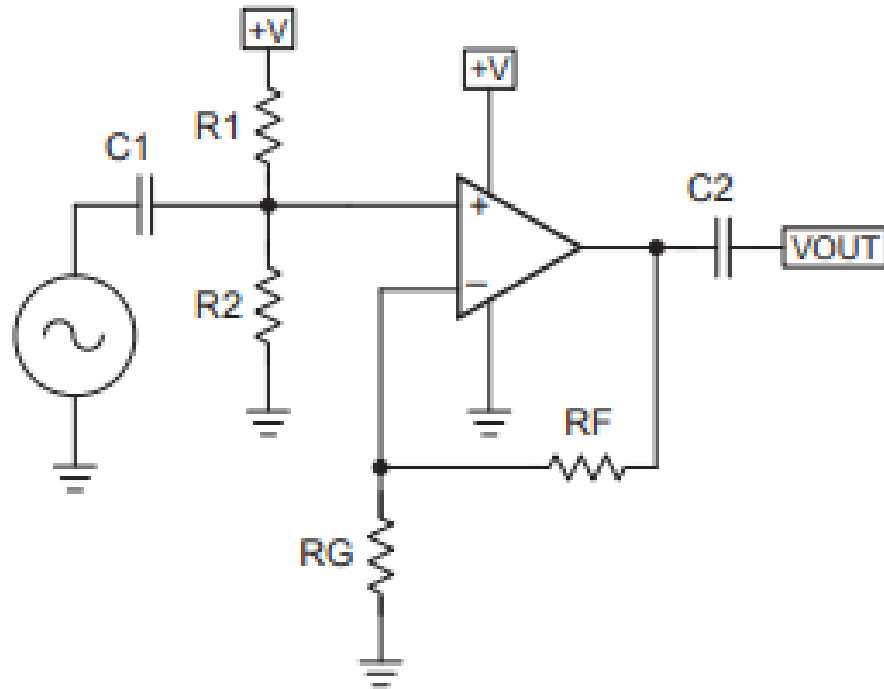
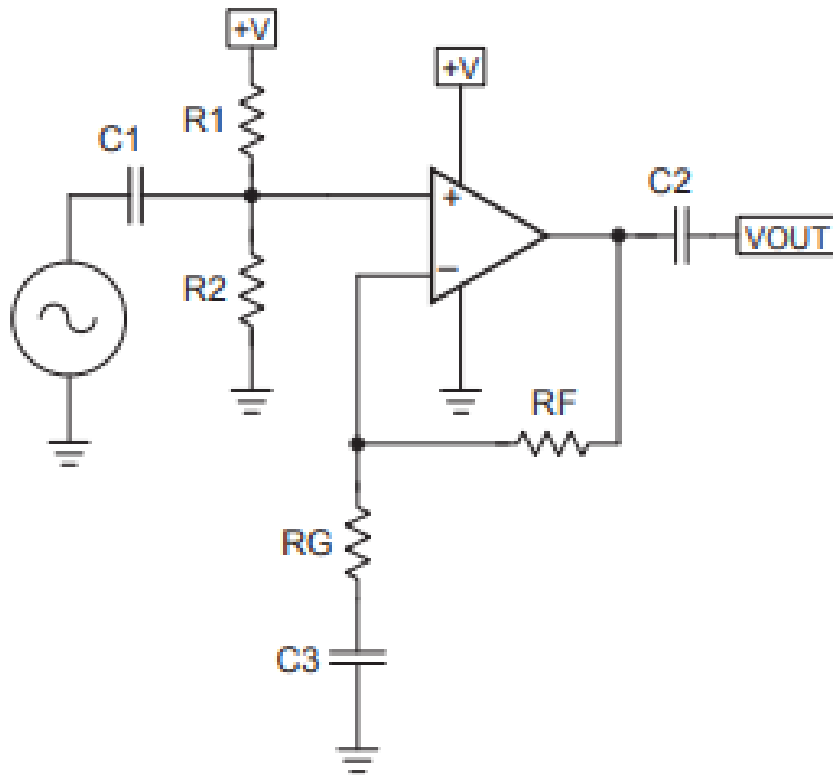


Figure 3.8

Another incorrect noninverting single-supply stage.

- We can define inverting input using R1 and R2 for DC
- For output voltage equal to V, DC is defined. However for output voltage equal to 0, DC is not defined !

Unit 1 Non inverting stage in single supply mode



- A capacitor C3 is added which does not allow DC to flow
- For DC, gain is unity
- and for AC gain is $1 + R_F/R_G$

Unit 1 DC Coupled Single supply op amp design techniques

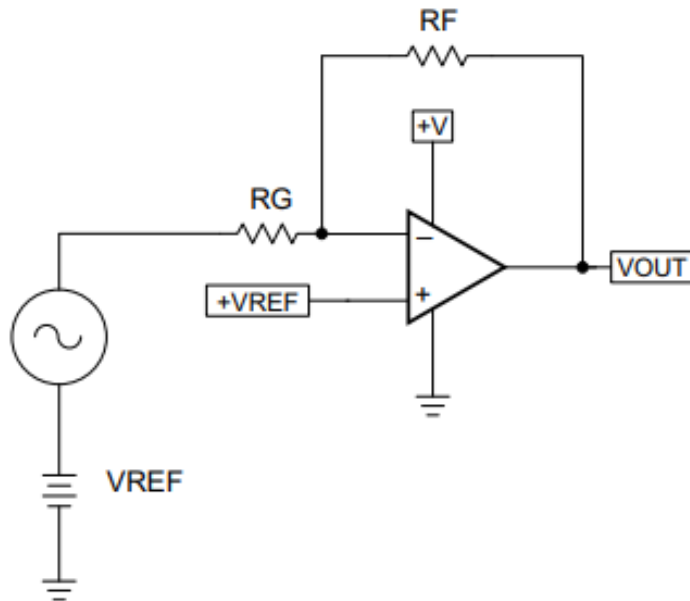


Figure 4.1

A simple transducer interface example.

- Need to preserve DC level for applications like transducers
- If positive supply is 10V, output voltage range is from 0 to 10V
- Output should support both positive and negative inputs

Any difference in DC levels of two inputs lead to offset

Unit 1 DC Coupled Single supply op amp design techniques

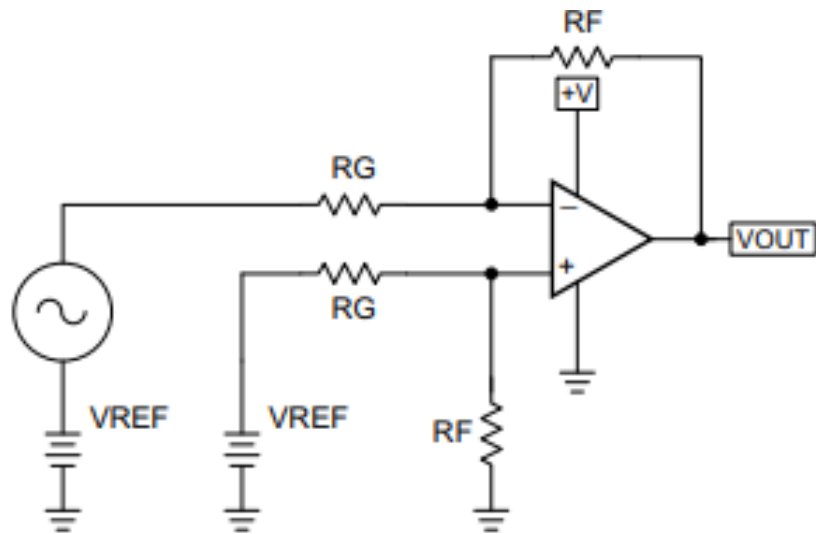


Figure 4.2

Split-supply op amp circuit with common-mode voltage.

- Input bias voltage is used instead of a reference
- Use same R_G and R_F for both terminals. This avoids variations in the voltage due to resistance value variations
- V_{REF} can be considered as common mode voltage
- DC operating point is $V_{REF}/2$

Unit 1 DC coupled Single supply op amp design analysis

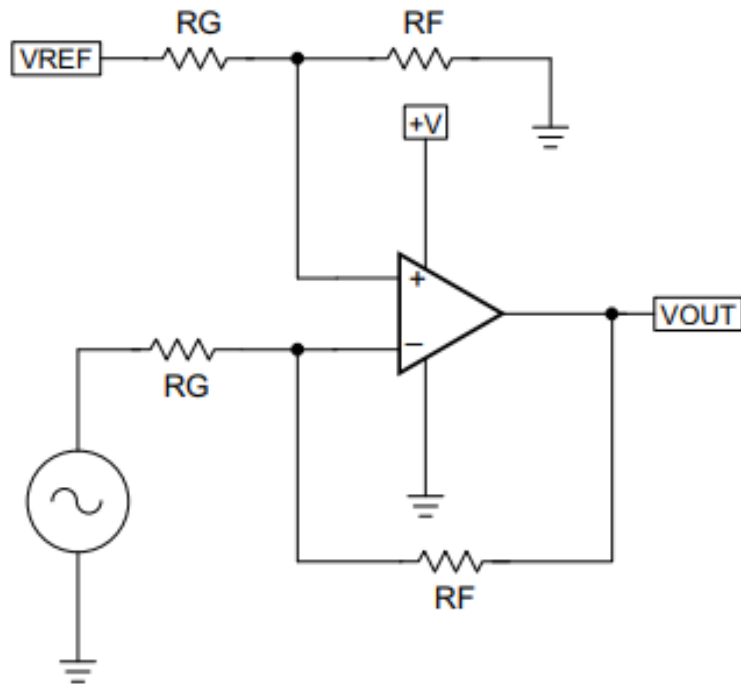


Figure 4.3
Inverting op amp with DC offset.

- Reference is set by divider circuit
- AC Gain by resistors connected to inverting terminal

Using relations from difference amplifier,

$$V_{OUT} = V_{REF} \left(\frac{R_F}{R_G + R_F} \right) \left(\frac{R_F + R_G}{R_G} \right) - V_{IN} \frac{R_F}{R_G}$$
$$V_{OUT} = (V_{REF} - V_{IN}) \frac{R_F}{R_G}$$

Inverting

Unit 1 DC Coupled Single supply op amp design analysis

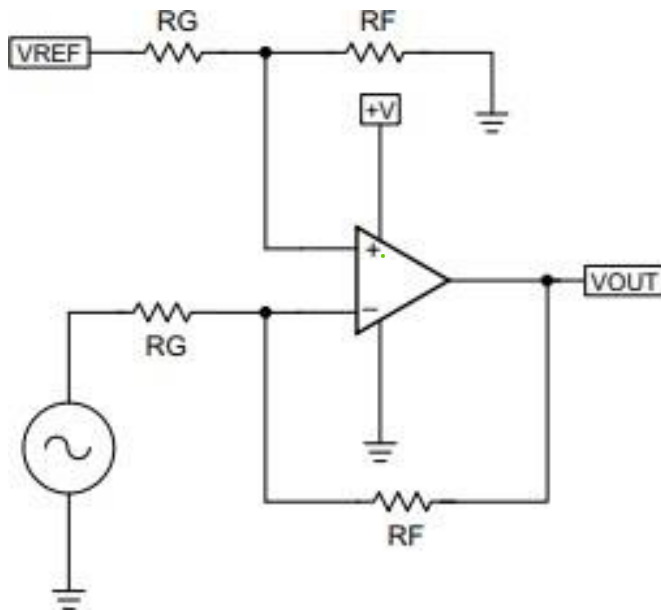


Figure 4.3
Inverting op amp with DC offset.

Inverting

When $V_{REF} = V_{IN}$,

$$V_{OUT} = (V_{REF} - V_{IN}) \frac{R_F}{R_G} = (V_{IN} - V_{IN}) \frac{R_F}{R_G} = 0$$

When $V_{REF} = 0$,

$$V_{OUT} = -V_{IN} \left(\frac{R_F}{R_G} \right),$$

When $V_{REF} = 0$, and V_{IN} is positive

$$V_{IN} \geq 0, \quad V_{OUT} = 0$$

When $V_{REF} = 0$, and V_{IN} is negative

$$V_{IN} \leq 0, \quad V_{OUT} = |V_{IN}| \frac{R_F}{R_G}$$

Unit 1 DC coupled Single supply op amp design analysis

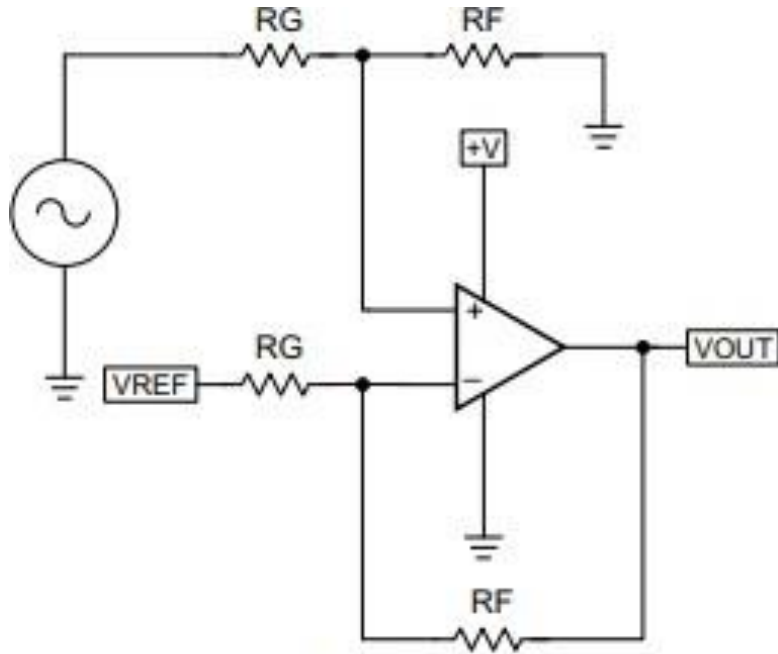


Figure 4.6

- AC Gain by resistors connected to non inverting terminal

Using relations from difference amplifier,

$$V_{OUT} = V_{IN} \left(\frac{R_F}{R_G + R_F} \right) \left(\frac{R_F + R_G}{R_G} \right) - V_{REF} \frac{R_F}{R_G}$$
$$V_{OUT} = (V_{IN} - V_{REF}) \frac{R_F}{R_G}$$

Inverting

Unit 1 DC coupled Single supply op amp design analysis

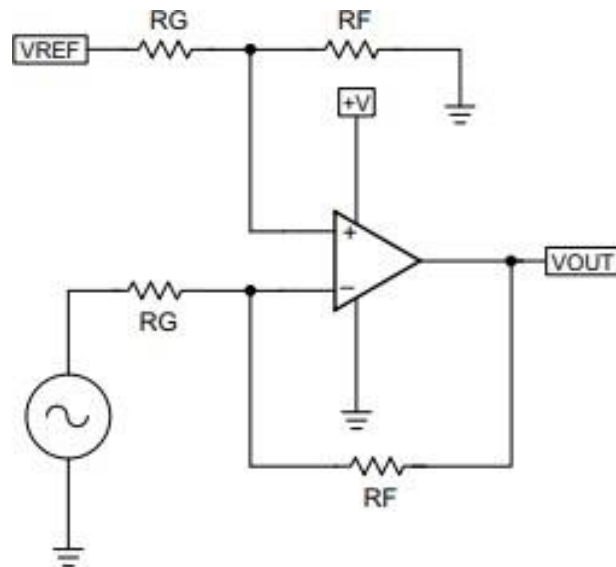


Figure 4.3
Inverting op amp with DC offset.

Inverting

When $V_{REF} = V_{IN}$,

$$V_{OUT} = (V_{REF} - V_{IN}) \frac{R_F}{R_G} = (V_{IN} - V_{IN}) \frac{R_F}{R_G} = 0$$

When $V_{REF} = 0$,

$$V_{OUT} = -V_{IN}(R_F/R_G)$$

When $V_{REF} = 0$, and V_{IN} is negative

$$V_{IN} \geq 0, \quad V_{OUT} = V_{IN}$$

When $V_{REF} = 0$, and V_{IN} is positive

$$V_{IN} \leq 0, \quad V_{OUT} = 0$$

Unit 1 DC coupled Single supply op amp design analysis

When $V_{REF} = V_{CC}$, the supply voltage

$$V_{OUT} = (V_{CC} - V_{IN}) \frac{R_F}{R_G}$$

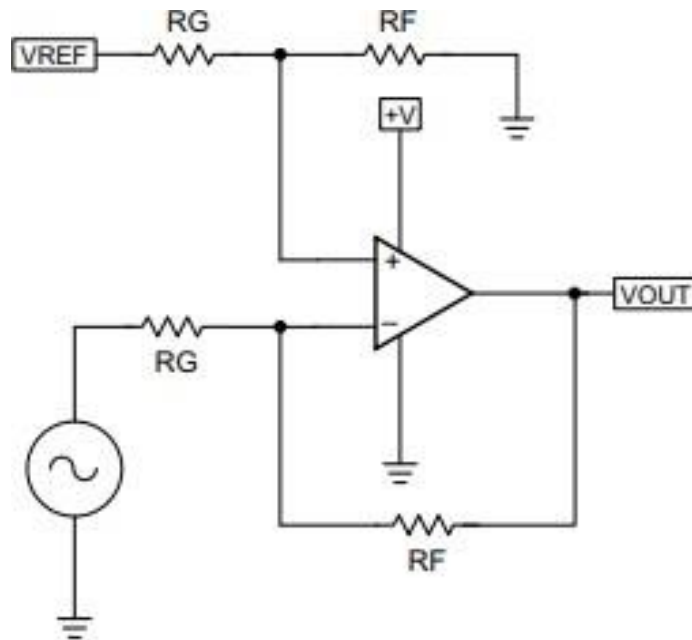


Figure 4.3
Inverting op amp with DC offset.

Inverting

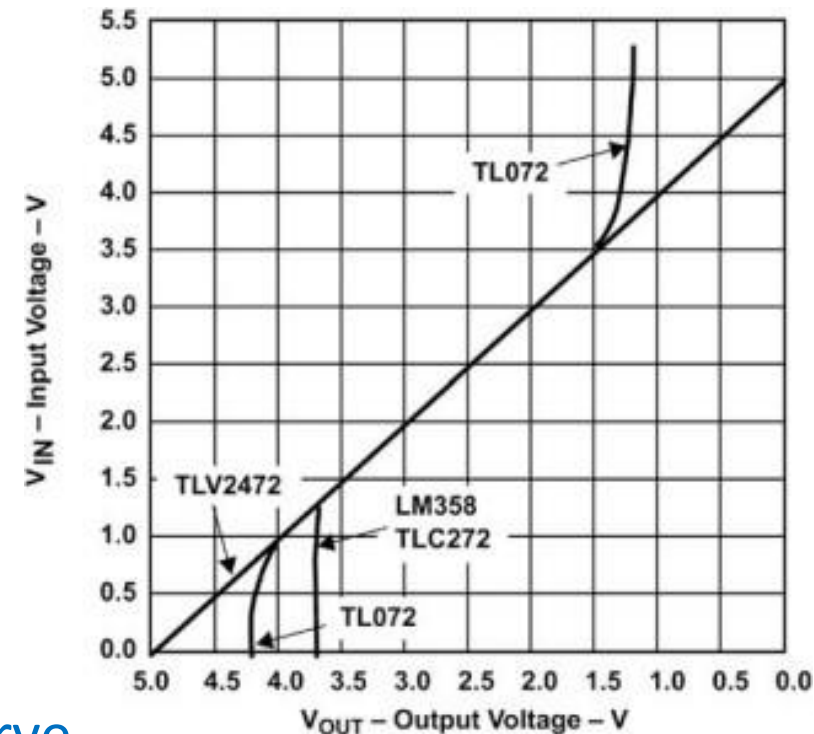


Figure 4.5

Transfer Curve

Unit 2 DC coupled Single supply op amp design analysis

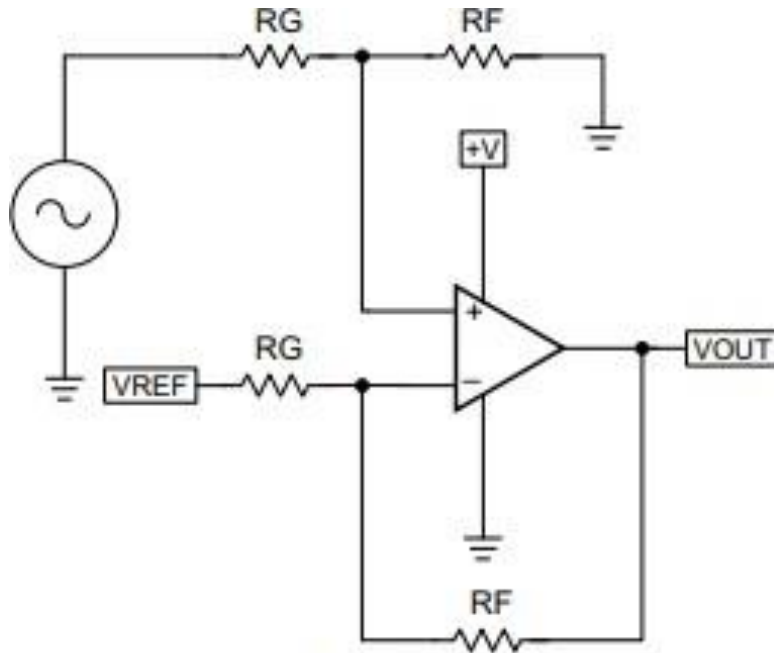


Figure 4.6

- AC Gain by resistors connected to non inverting terminal

Using relations from difference amplifier,

$$V_{OUT} = V_{IN} \left(\frac{R_F}{R_G + R_F} \right) \left(\frac{R_F + R_G}{R_G} \right) - V_{REF} \frac{R_F}{R_G}$$
$$V_{OUT} = (V_{IN} - V_{REF}) \frac{R_F}{R_G}$$

Non Inverting

Unit 2 DC coupled Single supply op amp design analysis

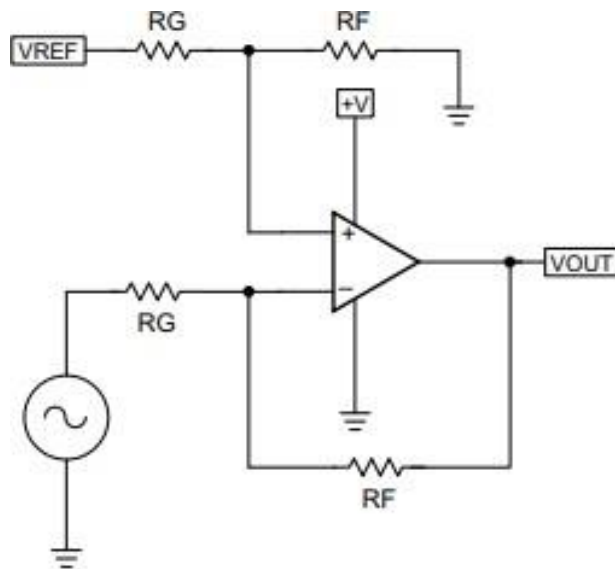


Figure 4.3
Inverting op amp with DC offset.

When $V_{REF} = V_{IN}$,

$$V_{OUT} = (V_{REF} - V_{IN}) \frac{R_F}{R_G} = (V_{IN} - V_{IN}) \frac{R_F}{R_G} = 0$$

When $V_{REF} = 0$,

$$V_{OUT} = V_{IN} \frac{R_F}{R_G},$$

When $V_{REF} = 0$, and V_{IN} is positive

$$V_{IN} \geq 0, \quad V_{OUT} = V_{IN}$$

When $V_{REF} = 0$, and V_{IN} is negative

$$V_{IN} \leq 0, \quad V_{OUT} = 0$$

Non Inverting

Unit 1 DC coupled Single supply op amp design analysis

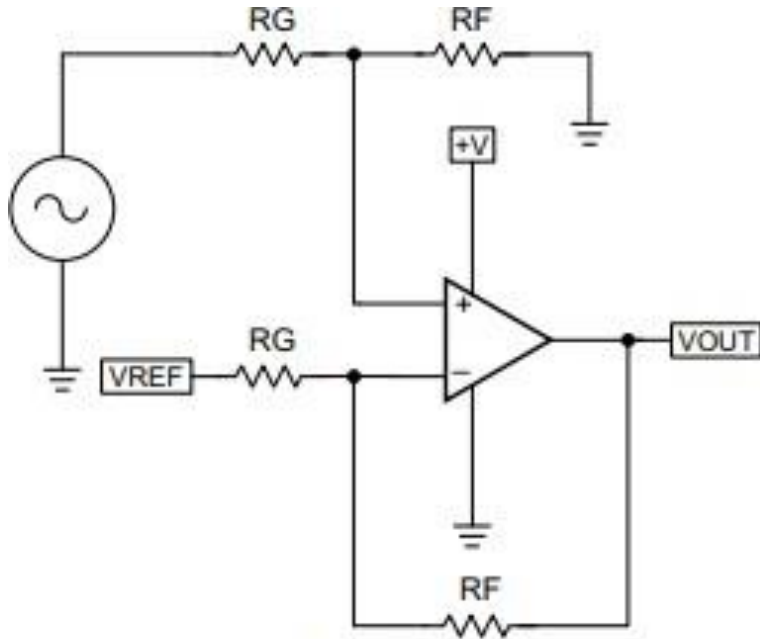


Figure 4.6

When $V_{REF} = V_{CC}$,

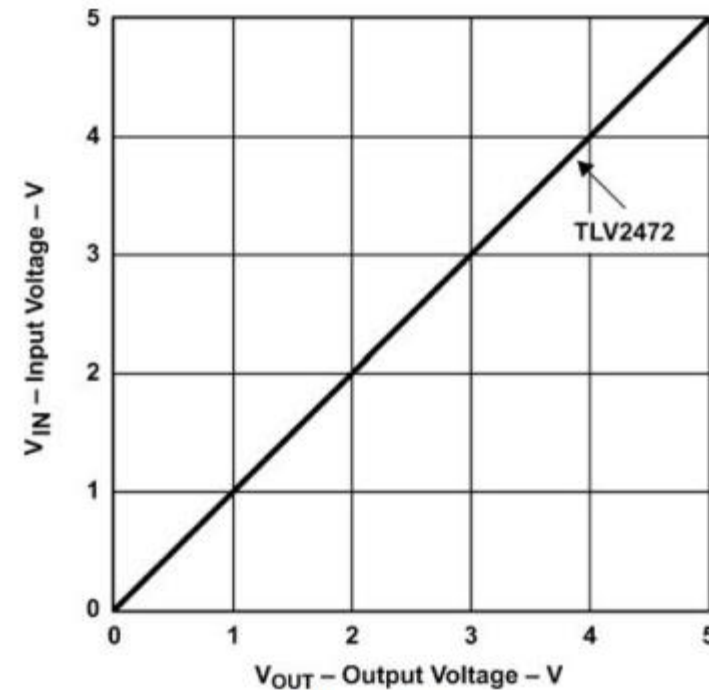


Figure 4.7

Transfer curve for noninverting op amp.

Non Inverting

Transfer Curve

Unit 1 Simultaneous equations

- Linear op amp transfer function is limited to equation of straight line $y = +/-mx +/- b$
- Four possible cases based on m and b

$$V_{OUT} = +mV_{IN} + b$$

$$V_{OUT} = +mV_{IN} - b$$

$$V_{OUT} = -mV_{IN} + b$$

$$V_{OUT} = -mV_{IN} - b$$

Circuit Requirement

A sensor output signal ranging from 0.1V to 0.2V must be interfaced with analog to digital converter that has an input range of 1V to 4V

From requirement,

1. $V_{OUT} = 1 \text{ V}$ at $V_{IN} = 0.1 \text{ V}$
2. $V_{OUT} = 4 \text{ V}$ at $V_{IN} = 0.2 \text{ V}$

Unit 1 Simultaneous equations An example

After inserting data points,

$$\begin{aligned} 1 &= m(0.1) + b \\ 4 &= m(0.2) + b \end{aligned}$$

Solving for **b**,

$$\mathbf{b = -2}$$

Solving for **m**,

$$\mathbf{m = 30}$$

Final equation is,

$$\mathbf{V_{OUT} = 30V_{IN} - 2}$$

Gain is 30
Offset is -2

Unit 1 Simultaneous equations in form $y = mx+b$ (case 1)

- Both input and reference connected to non inverting input
- Both m and b are positive

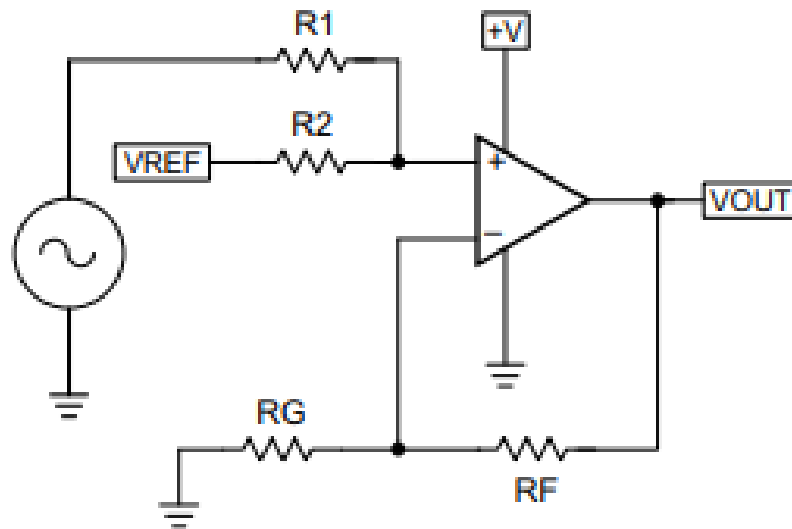


Figure 4.8

Schematic for Case 1: $V_{OUT} = +mV_{IN} + b$.

$$V_{OUT} = V_{IN} \left(\frac{R_2}{R_1 + R_2} \right) \left(\frac{R_F + R_G}{R_G} \right) + V_{REF} \left(\frac{R_1}{R_1 + R_2} \right) \left(\frac{R_F + R_G}{R_G} \right)$$

Compare with $V_{OUT} = +mV_{IN} + b$

Equating coefficients yields

$$m = \left(\frac{R_2}{R_1 + R_2} \right) \left(\frac{R_F + R_G}{R_G} \right)$$

$$b = V_{REF} \left(\frac{R_1}{R_1 + R_2} \right) \left(\frac{R_F + R_G}{R_G} \right)$$

Unit 1 Case 1 example

Circuit has following specifications

$$V_{OUT} = 1V \text{ at } V_{IN} = 0.01V$$

$$V_{OUT} = 4.5V \text{ at } V_{IN} = 1V$$

The data are substituted into simultaneous equations.

$$1 = m(0.01) + b$$

$$4.5 = m(1.0) + b$$

$$100 = m(1.0) + 100b$$

$$b = \frac{95.5}{99} = 0.9646$$

$$m = \frac{1 - b}{0.01} = \frac{1 - 0.9646}{0.01} = 3.535$$

$$\frac{R_F + R_G}{R_G} = m \left(\frac{R_1 + R_2}{R_2} \right) = \frac{b}{V_{CC}} \left(\frac{R_1 + R_2}{R_1} \right)$$
$$R_2 = \frac{3.535}{\frac{0.9646}{5}} R_1 = 18.316 R_1$$

Choose $R_1 = 10 \text{ k}\Omega$, and that sets the value of $R_2 = 183.16 \text{ k}\Omega$.

Unit 1 Case 1 example (continued)

Circuit has following specifications

$$V_{OUT} = 1V \text{ at } V_{IN} = 0.01V$$

$$V_{OUT} = 4.5V \text{ at } V_{IN} = 1V$$

$$\frac{R_F + R_G}{R_G} = m \left(\frac{R_1 + R_2}{R_2} \right) = 3.535 \left(\frac{180 + 10}{180} \right) = 3.73$$
$$R_F = 2.73R_G$$

The resulting circuit equation is given below.

$$V_{OUT} = 3.5V_{IN} + 0.97$$

The gain setting resistor, R_G , is selected as 10 k Ω , and 27 k Ω ,

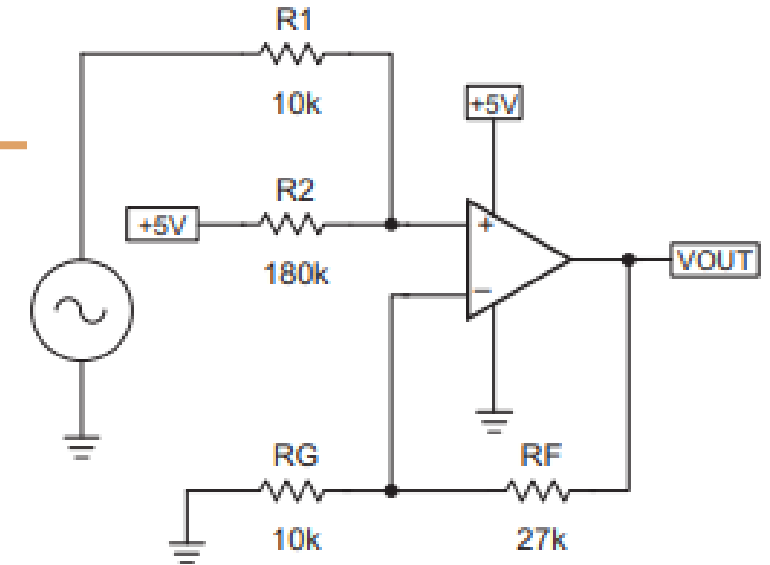


Figure 4.9

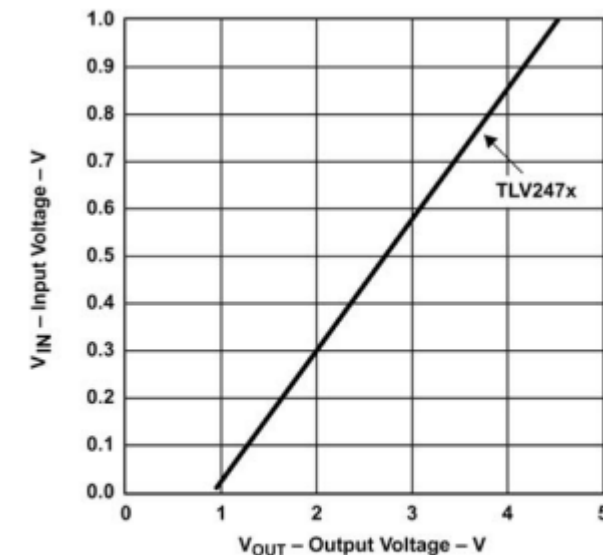


Figure 4.10

Case 1 example circuit measured transfer curve.

Unit 1 Case 2 $y = mx - b$

- Input connected to non inverting input and reference connected to inverting

$$V_{OUT} = V_{IN} \left(\frac{R_F + R_G + R_1 \parallel R_2}{R_G + R_1 \parallel R_2} \right) - V_{REF} \left(\frac{R_2}{R_1 + R_2} \right) \left(\frac{R_F}{R_G + R_1 \parallel R_2} \right)$$

$$m = \frac{R_F + R_G + R_1 \parallel R_2}{R_G + R_1 \parallel R_2}$$

$$|b| = V_{REF} \left(\frac{R_2}{R_1 + R_2} \right) \left(\frac{R_F}{R_G + R_1 \parallel R_2} \right)$$

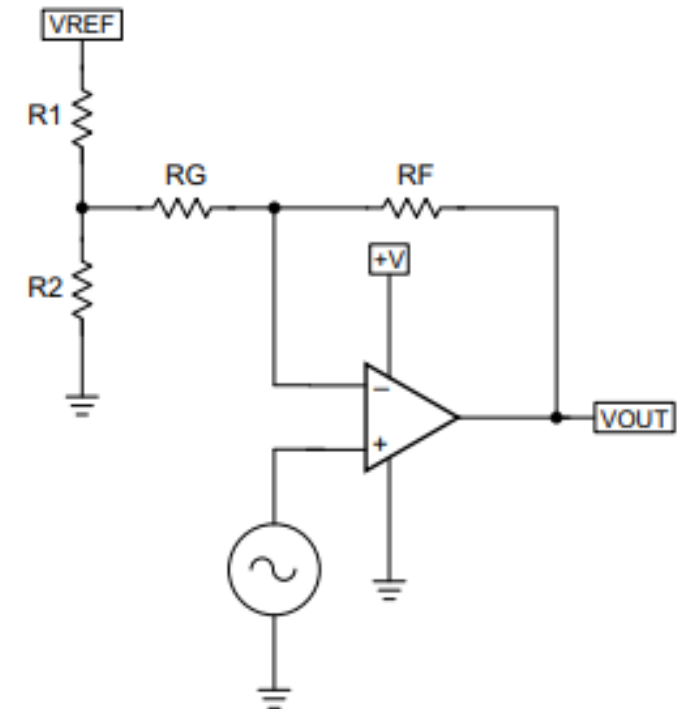


Figure 4.11
Schematic for Case 2: $V_{OUT} = +mV_{IN} - b$.

Unit 1 Case 2 example

Circuit has following specifications

$$V_{OUT} = 1.5V \text{ at } V_{IN} = 0.2V$$

$$V_{OUT} = 4.5V \text{ at } V_{IN} = 0.5V$$

$R_1 \parallel R_2 \ll R_G$ simplifies the calculations of the resistor values.

$$m = 10 = \frac{R_F + R_G}{R_G}$$

$$R_F = 9R_G$$

Simultaneous equations

$$1.5 = 0.2m + b$$

$$4.5 = 0.5m + b$$

Let $R_G = 20 \text{ k}\Omega$, and then $R_F = 180 \text{ k}\Omega$.

$$b = V_{CC} \left(\frac{R_F}{R_G} \right) \left(\frac{R_2}{R_1 + R_2} \right) = 5 \left(\frac{180}{20} \right) \left(\frac{R_2}{R_1 + R_2} \right)$$
$$R_1 = \frac{1 - 0.01111}{0.01111} R_2 = 89R_2$$

From these equations we find that $b = -0.5$ and $m = 10$.

Select $R_2 = 820 \Omega$, and R_1 equals $72.98 \text{ k}\Omega$.

Unit 1 Case 2 example (continued)

Circuit has following specifications

$$V_{OUT} = 1.5V \text{ at } V_{IN} = 0.2V$$

$$V_{OUT} = 4.5V \text{ at } V_{IN} = 0.5V$$

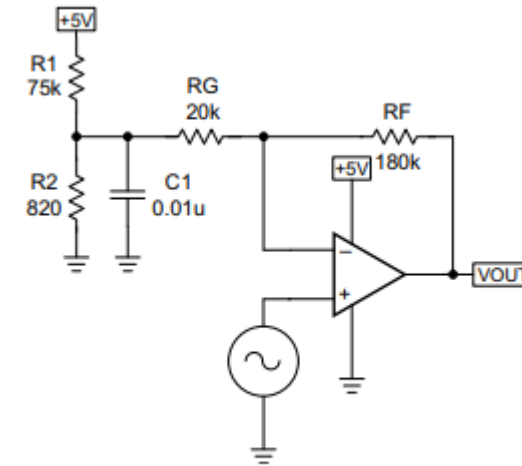


Figure 4.12
Case 2 example circuit.

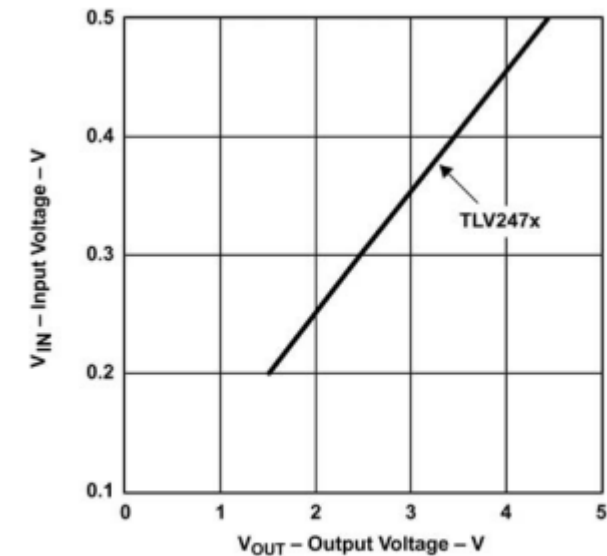


Figure 4.13
Case 2 example circuit measured transfer curve.

Unit 1 Case 3 $y = -mx+b$

Input connected to inverting input and reference connected to non inverting

$$V_{OUT} = -V_{IN} \left(\frac{R_F}{R_G} \right) + V_{REF} \left(\frac{R_1}{R_1 + R_2} \right) \left(\frac{R_F + R_G}{R_G} \right)$$

$$|m| = \frac{R_F}{R_G}$$

$$b = V_{REF} \left(\frac{R_1}{R_1 + R_2} \right) \left(\frac{R_F + R_G}{R_G} \right)$$

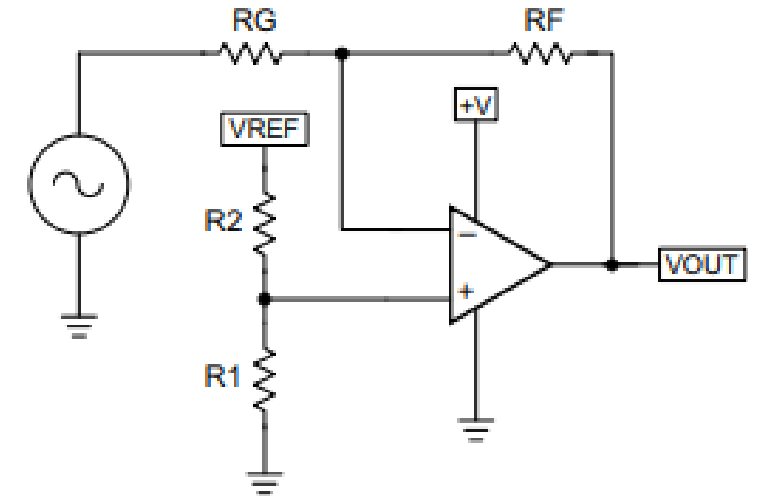


Figure 4.14

Schematic for Case 3: $V_{OUT} = -mV_{IN} + b$.

Unit 1 Case 3 example

Circuit has following specifications

$$V_{OUT} = 1.0V \text{ at } V_{IN} = -0.1V$$

$$V_{OUT} = 6V \text{ at } V_{IN} = -1V$$

$$V_{REF} = 10V$$

$$|m| = 5.56 = \frac{R_F}{R_G}$$

$$R_F = 5.56R_G$$

Simultaneous equations

$$1 = (-0.1)m + b$$

$$6 = (-1)m + b$$

Let $R_G = 10 \text{ k}\Omega$, and then $R_F = 56.6 \text{ k}\Omega$,

$$b = V_{CC} \left(\frac{R_F + R_G}{R_G} \right) \left(\frac{R_1}{R_1 + R_2} \right) = 10 \left(\frac{56 + 10}{10} \right) \left(\frac{R_1}{R_1 + R_2} \right)$$
$$R_2 = \frac{66 - 0.4444}{0.4444} R_1 = 147.64 R_1$$

From these equations we find that $b = 0.444$ and $m = -5.6$.

Unit 1 Case 3 example (continued)

Circuit has following specifications

$V_{OUT} = 1.0V$ at $V_{IN} = -0.1V$

$V_{OUT} = 6V$ at $V_{IN} = 1V$

$V_{REF} = 10V$

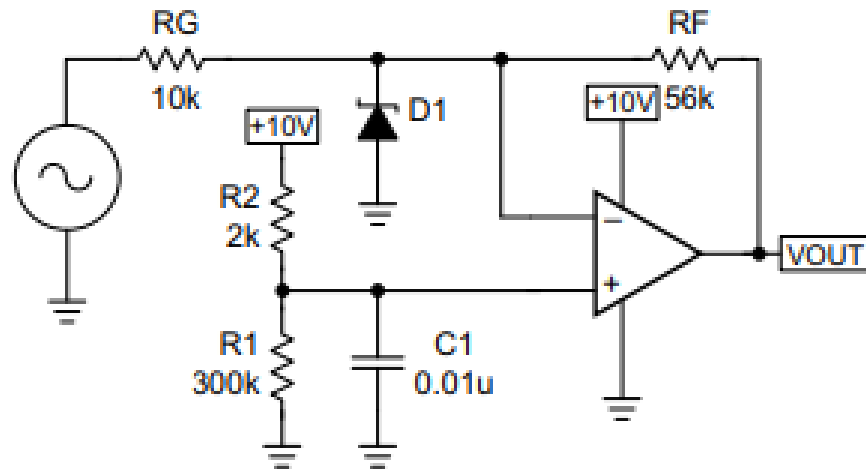


Figure 4.15
Case 3 example circuit.

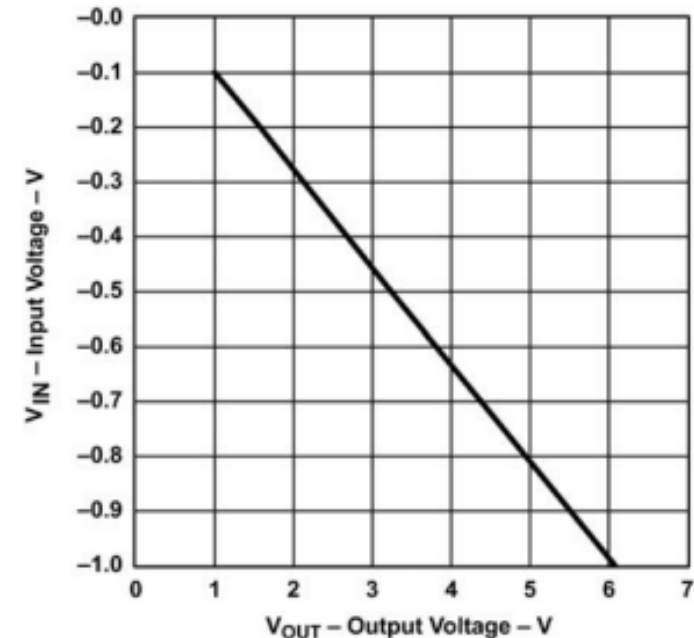


Figure 4.16

Case 3 example circuit measured transfer curve.

Unit 1 Case 4 $y = -mx - b$

Input connected to inverting input and reference connected to inverting

$$V_{OUT} = -V_{IN} \frac{R_F}{R_{G1}} - V_{REF} \frac{R_F}{R_{G2}}$$

$$|m| = \frac{R_F}{R_{G1}} \quad |b| = V_{REF} \frac{R_F}{R_{G2}}$$

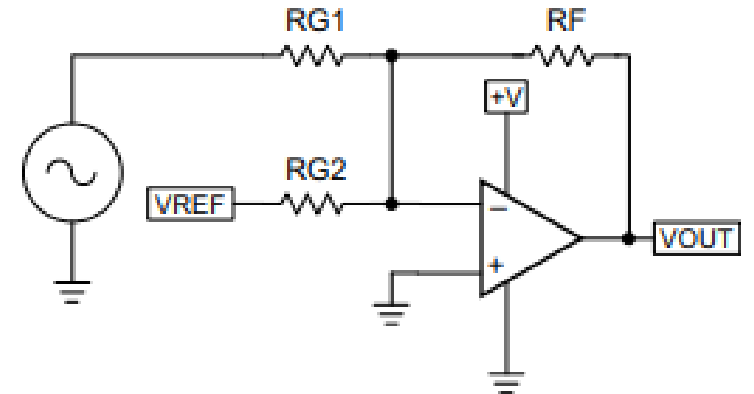


Figure 4.17
Schematic for Case 4: $V_{OUT} = -mV_{IN} - b$.

Unit 1 Case 4 example

Circuit has following specifications

$$V_{OUT} = 1.0V \text{ at } V_{IN} = -0.1V$$

$$V_{OUT} = 5V \text{ at } V_{IN} = -0.3V$$

$$V_{REF} = 5V$$

$$|m| = 20 = \frac{R_F}{R_{G1}}$$

$$R_F = 20R_{G1}$$

Simultaneous equations

$$1 = (-0.1)m + b$$

$$5 = (-0.3)m + b$$

Let $R_{G1} = 1 \text{ k}\Omega$, and then $R_F = 20 \text{ k}\Omega$.

$$|b| = V_{CC} \left(\frac{R_F}{R_{G1}} \right) = 5 \left(\frac{R_F}{R_{G2}} \right) = 1$$

$$R_{G2} = \frac{R_F}{0.2} = \frac{20}{0.2} = 100 \text{ k}\Omega$$

From these equations we find that $b = -1$ and $m = -20$.

Unit 1 Case 4 example (continued)

Circuit has following specifications

$$V_{OUT} = 1.0V \text{ at } V_{IN} = -0.1V$$

$$V_{OUT} = 6V \text{ at } V_{IN} = -0.3V$$

$$V_{REF} = 5V$$

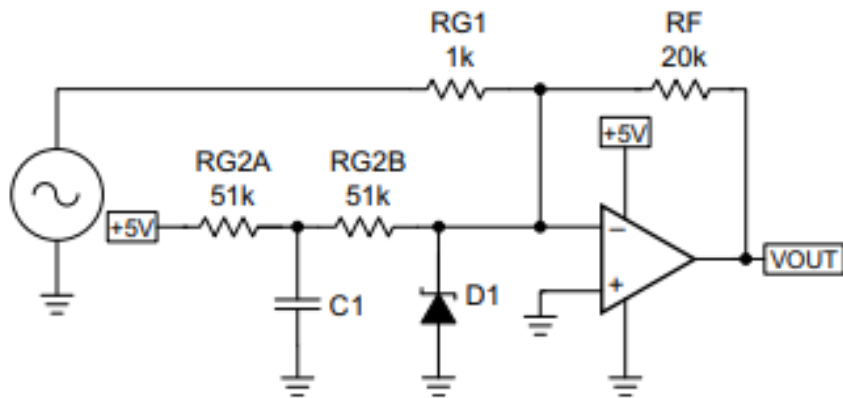


Figure 4.18
Case 4 example circuit.

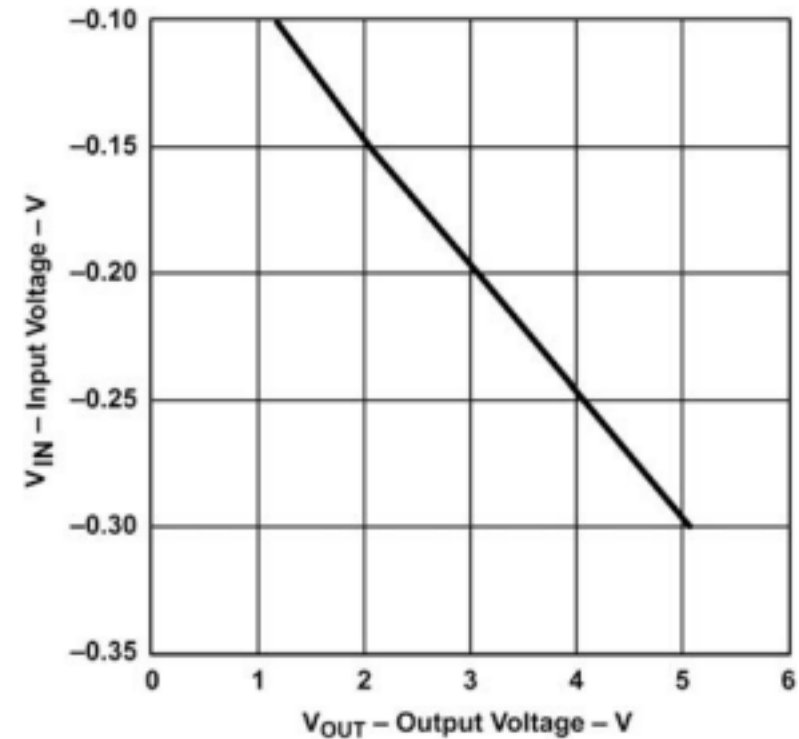


Figure 4.19
Case 4 example circuit measured transfer curve.

Reference

- **Op Amp for Everyone : Bruce Carter and Ron Mancini Fifth Edition 2017**
- **Operational amplifiers and linear ICs by James M Fiore 2016**



THANK YOU

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