

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS321T

20 FEBRUARY 2024

TY BTECH SEMESTER - VI BACKLOG 2016 PATTERN 2023 - 2024
EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

MID SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 2 Hrs

MAX MARKS :50

TOTAL NO OF QUESTIONS: 3

TOTAL NO OF PRINTED PAGES: 2

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a)** Explain Merge sort algorithm with example. Also **[10] CO1 L1**
analyze performance of the algorithm in terms of its
time complexity.

*Algorithm 5 marks, Example 2 marks, Time complexity
calculation 3 marks.*

- b)** Apply Masters Theorem to analyze the given **[6] CO1 L3**
performance equations:

i) $T(n) = 3T(n/2) + n$

ii) $T(n) = 4T(n/2) + n^2$

3 marks each correct solution.

- 2 a)** Explain 0/1 Knapsack algorithm. Apply this algorithm to **[10] CO3 L3**
solve problem where $n = 4$, $M = 8$, $P = \{15, 9, 5, 10\}$ $W =$
 $\{1, 3, 4, 5\}$. Show maximum profit earned in knapsack.

Correct Algorithm : 5 marks, Solution of Prob: 5

- b)** Construct an optimal Huffman code for the following set of frequencies :- a:42, b:20, c:5, d:10, e:11, f:12. Decode the word "11101101" at the receiver side. **[7] CO2 L4**

4 Marks for construction of tree with correct encoding bits, 3 Marks for decoding the word.

- 3 a)** Let the keys {end, goto, print, read} with the successful probabilities (1,4,2,1) and unsuccessful probabilities are (4,2,4,1,1) Construct a Binary Search Tree with optimum searching time. **[10] CO1 L3**

4 marks for Solution with equation , 4 marks for table and 2 marks for tree .

- b)** Find the optimal solution for 0/1 problem, where no of objects are $n=4$, capacity of sack $M=5$, profits are (3,4,5,6) and weights are (2,3,4,5). **[7] CO2 L4**

5 marks for Solution with equation , 2 marks for table.

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS321/CS347T

07 JUNE 2022

TY BTECH SEMESTER - VI RE-EXAMINATION 2021 - 2022 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

RE-EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 3 HOURS

MAX MARKS : 100

TOTAL NO OF QUESTIONS: 6

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a)** Given a list of n elements, Write an algorithm to sort [10] CO1 L2
elements using quick sort . Explain the time complexity
using Substitution Method.

*5 marks for writing correct algorithm ,2marks for example and 3
marks for deriving time complexity correctly using substitution
method.*

- b)** Justify this statement: "Greedy strategy will not always [5] CO1 L5
gives you optimal solution whereas Dynamic
Programming gives.

*Explanation of strategies 2 marks justification with example 3
marks.*

- 2 a)** A motorist wishing to ride from city A to B. Formulate [10] CO1, L3
greedy based algorithms to generate shortest path and CO2
explain with an example graph. Analyze the time
complexity for shortest path algorithm.

*Correct algorithm :5 marks Example: 3 Marks Time complexity:
2 marks*

- b) State the Greedy Knapsack? Find an optimal solution [5] CO1 L3
to the Knapsack instance $n=3$, $m=20$, $(P_1, P_2, P_3) = (25, 24, 15)$ and $(W_1, W_2, W_3) = (18, 15, 10)$.

- 3 a) Define Traveling salesman problem. Apply TSP using [9] CO3 L3
Dynamic programming where the edge lengths are given as

0	9	8	8
12	0	13	6
10	9	0	5
20	15	10	0

Travelling sales person problem: 2 Marks. Step wise solution 7 marks

- b) Design an Optimal Binary Search Tree for $n=4$ [9] CO3 L3
identifiers $(a_1, a_2, a_3, a_4) = (\text{do}, \text{if}, \text{read}, \text{while})$
 $P(1:4) = (3, 3, 1, 1)$ and $Q(0:4) = (2, 3, 1, 1, 1)$.
Step wise solution : 6 marks Correct OBST: 3 marks

- 4 a) Evaluate following instance of knapsack using LCBB [10] CO3 L5
approach: $M=12$,
 $(P_1, P_2, P_3, P_4, P_5) = (10, 15, 6, 8, 4)$ and
 $(w_1, w_2, w_3, w_4, w_5) = (4, 6, 3, 4, 2)$.
8 Marks for stepwise solution of knapsack. 2 marks for correct state space tree.

- b) Discuss the 4 – queen's problem. Draw the portion of [8] CO3 L3
the state space tree for $n = 4$ queens using
backtracking algorithm.
4 queen problem :4 Marks, Correct state space tree :4 marks

- 5 a) Compare P and NP class problems, Justify that P is a [8] CO4 L5
subset of N
Comparison 4 marks and 2 marks for justify ans.
- b) Define NP Complete problem and Prove that 3SAT is [8] CO4 L3
NP Complete problem. 3M for NP Complete Prob
explanation and 5 marks for proving 3SAT is NPC

- 6 a)** Given a String " abcdefgh" and a pattern "def " Apply [8] **CO5 L3**
Rabin Karp pattern matching algorithm to match a
pattern. What will be time complexity of Rabin Karp in
worst case. 6M for stepwise solution and 2 M for time
complexity
- b)** State chinese reminder theorem and solve the [5] **CO5 L2**
following using CRT. $X \equiv 3 \pmod{9}$ and $X \equiv 7 \pmod{13}$.
CRT theorem:
2 marks Correct solution with steps: 3 Marks
- c)** Explain Euclid's algorithm and compute: [5] **CO6 L2**
LCM(7854,4746) using Euclid's algorithm.
3Marks for algorithm 3Marks for calculation

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS347T

11 MAY 2022

TY BTECH SEMESTER - VI 2021 - 2022 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

END SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 2 HOURS

MAX MARKS : 50

TOTAL NO OF QUESTIONS: 03

TOTAL NO OF PRINTED PAGES: 02

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a) Show the solution for Eight Queen's problem if q_1, q_2, q_3 and q_4 is placed in (6,4,7,1) position. Draw the State space search Tree for Four Queen Problem. complete solution of placing remaining Four queen 3 Marks and for Clear and correct State space tree 2 Marks. [5] CO1 L2
- b) Consider the following Cost Matrix for the vertex A, B,C,D,E for a Travelling Salesperson instance. Determine the shortest path to visit every vertex and Draw State space tree using LCBB approach. Assume Vertes A as a source vertex. step wise calculation of cost matrix 6 Marks and for construction of state space tree 2 Marks. [8] CO4 L5

∞	7	3	12	8
3	∞	6	14	9
5	8	∞	6	18
9	3	5	∞	11
18	14	9	8	∞

	c)	Make use of a Backtracking Strategy to design an algorithm for solving knapsack optimization problem using a fixed tuple size formulation. writing a correct and recursive Algorithm 5 Marks	[5]	CO1	L3
2	a)	Given a set of non-negative integers, and a value sum, determine if there is a subset of the given set with sum equal to given sum. Example: let Input set [] = {3, 34, 4, 12, 5, 2}, sum = 9. There is a subset (4, 5) with sum 9. Explain a Non Deterministic algorithm for the problem and also calculate the time complexity. Explaining ND algorithm for sum of Subset problem 4 Marks and for mentioning the Time complexity 1 mark	[5]	CO2	L2
	b)	Prove that 3SAT is a NP Complete problem. For complete proof 5Marks.	[5]	CO3	L5
	c)	Explain NP Hard and NP Complete problems. Explanation of NP Hard and NP Complete problem 2 Marks for each	[4]	CO4	L2
3	a)	Let the Text "ABACAABADCABACAABACABAABB" and the Pattern is "ABACAB". Apply Boyer Moore and KMP string Matching Algorithm to find the pattern in the given Text. Mention the Time complexity of Both the Algorithm. 8 Marks for Boyer Moore Algorithm and 4 Marks for KMP Algorithm.	[12]	CO5	L3
	b)	Define Randomized Algorithm? State any one randomized algorithm with example. Explanation of Randomized Algorithm 3 Marks and explanation of any one type of randomized Algorithm 3 marks.	[6]	CO5	L1

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS321

11 May 2022

TY BTECH SEMESTER - VI BACKLOG 2021 - 2022 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

END SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 2 HOURS

MAX MARKS : 50

TOTAL NO OF QUESTIONS: 3

TOTAL NO OF PRINTED PAGES:2

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- | | | | | | | |
|---|----|---|------|-----|----|--|
| 1 | a) | Determine the optimal solution for following instance of knapsack using FIFO approach: $M=12$,
$(P_1, P_2, P_3, P_4, P_5) = (10, 15, 6, 8, 4)$ and
$(w_1, w_2, w_3, w_4, w_5) = (4, 6, 3, 4, 2)$.
8 Marks for stepwise solution of knapsack. 2 marks for correct state space tree. | [10] | CO1 | L4 | |
| | | | | | | |
| | b) | Use the backtracking method for Graph coloring Problem.
Define backtracking(2 M), Graph coloring Problem(2)
Application of backtracking to Graph coloring.(4) | [08] | CO1 | L3 | |
| | | | | | | |
| 2 | a) | Compare P and NPclass problems, Justify that P is a subset of N
Comaprision 4 marks and 2 marks for justify ans. | [6] | CO2 | L2 | |
| | | | | | | |
| | b) | Prove that Clique Decision problem is NP hard Problem.
Clique decision problem(2 mark) , Tp prove NP hard (6 marks) | [8] | CO2 | L3 | |

- | | | | | | |
|----------|-----------|--|------------|------------|-----------|
| 3 | a) | Given a String " abcdefghabc" and a pattern "fgh "
Apply Rabin Karp pattern matching algorithm to match
a pattern. Evaluate time complexity of Rabin Karp in
worst case.6M for stepwise solution and 2 M for time
complexity | [8] | CO5 | L5 |
| | b) | Discuss the randomized Algorithm with example.
Randomized Algorithm 2.5 Marks Example 2.5 Marks | [5] | CO3 | L2 |
| | c) | find an integer that has reminder of 3 when divided by
7 and 13 but is divisible by 12. | [5] | CO5 | L2 |

MIT ACADEMY OF ENGINEERING

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20 FEBRUARY 2024

TY BTECH SEMESTER - VI 2019 PATTERN 2023 - 2024 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

MID SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 2 Hours

MAX MARKS : 50

TOTAL NO OF QUESTIONS: 3

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a)** Write and explain Min-Max Algorithm using Divide and Conquer. Write recurrence relation and evaluate performance analysis of Min-Max algorithm using substitution method. **[09] CO1, L2 CO2**

5 Marks for Algorithm & Explanation

1 Mark for correct recurrence equation.

3 Marks for Performance analysis using substitution Method.

- b)** Consider the following code segment. Analyze the given algorithm in terms of its time complexity. **[03] CO2 L3**

```
int i, j, k = 0;
for (i = n / 2; i <= n; i++) {
    for (j = 2; j <= n; j = j * 2) {
        k = k + n / 2;
    }
}
```

1 Mark for correct recurrence equation.

2 Marks for solving using substitution Method.

- c)** Differentiate between Big 'oh' (O), Omega (Ω) and Theta (Θ) Asymptotic Notations. **[03] CO2 L2**

3 Marks for minimum 3 differences.

- d) Apply Masters Theorem to analyze the given [02] CO2 L3 performance equation:

$$T(n) = 4 T(n/2) + n$$

2 Marks correct solution.

- 2 a) Find the optimal solution for the fractional knapsack [05] CO1 L3 problem making use of Greedy approach.

m = 104 and n = 8

Wi 25 35 45 5 25 3 2 2

Pi 350 400 450 20 70 8 5 5

5 Marks for correct step by step solution.

- b) A file contains the following characters with the [06] CO1 L3 frequencies as shown in table.

If Huffman Coding is used for data compression, show step by step Huffman Tree creation and find

1) Huffman Code for each character

2) Average code length

3) Length of Huffman encoded message (in bits)

4 Marks for Step by step solution for Tree creation

1 Mark each for average code length and length of encoded message.

Character	Frequency
A	10
E	15
I	12
O	3
U	4
S	13
T	1

- c) Explain Job Sequencing with Deadlines algorithm [05] CO1, L3 using Greedy approach. Write it's time complexity. CO2

4 Marks for algorithm and explanation.

1 Mark for writing time complexity.

- 3 a) Define dynamic programming approach. Differentiate [04] CO1 L2 between the Greedy method and Dynamic programming.

4 Marks for any 4 differences with example.

- b) Consider the the sequence {13, 5, 89, 3, 34}. Find [07] CO1 L3 optimal cost of matrix multiplication using dynamic programming.

7 Marks for correct step by step solution using formula and final sequence of matrix multiplication.

- c) Consider the given search keys $a(1:3) = (a_1, a_2, a_3)$, [06] CO1 L3 $p(1:3) = (0.5, 0.1, 0.05)$ $q(0:3) = (0.15, 0.1, 0.05, 0.05)$.

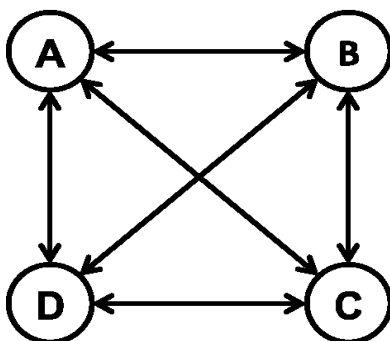
Compute and construct optimal binary search tree (OBST) for these values using Dynamic approach.

6 Marks for correct step by step solution using formula and final tree construction.

OR

- c) Consider the following travelling salesperson problem [06] CO1 L3 with 4 cities and distance between them as given in matrix. Find the shortest possible route for salesperson that visits every city exactly once and returns to the starting point A, using dynamic programming.

6 Marks for correct step by step solution using formula and final optimal path with cost.



c	A	B	C	D
A	0	16	11	6
B	8	0	13	16
C	4	7	0	9
D	5	12	2	0

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS347T

20 FEBRUARY 23

TY BTECH SEMESTER - VI 2022 - 2023 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

MID SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 2 HOURS

MAX MARKS : 50

TOTAL NO OF QUESTIONS: 5

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a) Evaluate the performance analysis of Binary search [3] CO2 L5
using Substitution Method.

1 Mark for correct recurrence equation 2 Marks for substitution Method.

- b) Analyze the given algorithm in terms of its time complexity: [4] CO2 L4

```
Void Test (int n)
{
if (n>0)
for (i=0; i<n; i++)
{
printf("%d", n);
}
Test(n-1);
}
```

2 Mark for correct recurrence equation 2 Marks for substitution Method.

- c) Show the relation between function $f(n)$ and $g(n)$ in **[2] CO2 L1** terms of Big "oh" and Omega Notations.
1mark for each Notation.
- 2 a) Apply Masters Theorem to analyze the given **[4] CO2 L3** performance equations:
i) $T(n) = 3T(n/2) + n$
ii) $T(n) = 4T(n/2) + n^2$
2 marks each correct solution
- b) Make use of Divide and conquer strategy to find the **[5] CO1 L3** Maximum and Minimum element of the array. Write the recursive equation of the algorithm.
3 Marks for Algorithm & 2 Marks for equation.
- 3 a) Construct an optimal Huffman code for the following set **[6] CO1 L3** of frequencies :- a:42, b:20, c:5, d:10, e:11, f:12. Decode the word "11101101" at the receiver side.
4 Marks for construction of tree with correct encoding bits, 2 Marks for decoding the word.
- b) Let's consider a scenario where a company receives **[6] CO3 L3** multiple orders for the production of customized t-shirts. Each order has a specific deadline $[d_i]$ and a profit $[p_i]$ associated with it. Company can handle only one order at a time. The production of each t-shirt takes a fixed amount of time, and the company needs to schedule the orders on the machines in such a way that it maximizes its profit. The company can only earn the profit associated with an order if it is completed and delivered before the deadline. Identify and write the strategy and algorithm for this problem.
1 Mark for strategy and 5 marks for algorithm.

- 4 a) Let the keys {end,goto,print,read} with the successful [8] CO1 L3 probabilities (1,4,2,1) and unsuccessful probabilities are (4,2,4,1,1) Construct a Binary Search Tree with optimum searching time.

4 marks for Solution with equation , 2 marks for table and 2 marks for tree.

OR

Find the optimal solution for 0/1 problem, where no of objects are $n=4$, capacity of sack $M=5$, profits are (3,4,5,6) and weights are (2,3,4,5).

4 marks for Solution with equation , 2 marks for table and 2 marks for final solution array.

- b) Can Bellman Ford Algorithm handles Negative weight [4] CO3 L5 cycle? Justify your answer with suitable example.

2 marks for Justification , 2 marks for example.

- 5 a) On a busy Saturday evening, a Zomato delivery boy [8] CO3 L5 wanted to deliver his parcels to four different locations across the city and returned back to his starting location. Help him to find the shortest route. The distance between locations (A,B,C,D) are:

0	10	15	20
5	0	9	10
6	13	0	12
8	8	9	0

6 marks for complete Solution , 2 marks for path tracing.

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS321T

20 FEBRUARY 23

TY BTECH SEMESTER - VI BACKLOG 2016 PATTERN 2022 - 2023
EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

MID SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 2 Hrs.

MAX MARKS : 50

TOTAL NO OF QUESTIONS: 4

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

1 a) Evaluate the performance analysis of Binary search [3] CO2 L5
using Substitution Method.

1 Mark for correct recurrence equation 2 Marks for substitution Method.

b) Analyze the given algorithm in terms of its time complexity: [4] CO2 L4

```
Void Test (int n)
{
  if (n>0)
    for (i=0; i<n; i++)
    {
      printf("%d", n);
    }
  Test(n-1);
}
```

2 Mark for correct recurrence equation 2 Marks for substitution Method.

- c) Show the relation between function $f(n)$ and $g(n)$ in [2] CO2 L1 terms of Big "oh" and Omega Notations.
1mark for each Notation.
- 2 a) Apply Masters Theorem to analyze the given [4] CO2 L3 performance equations:
i) $T(n) = 3T(n/2) + n$
ii) $T(n) = 4T(n/2) + n^2$
2 marks each correct solution.
- b) Explain Merge sort algorithm with example. Also [5] CO1 L3 analyze performance of the algorithm in terms of its time complexity
3 Marks for Algorithm & 2 Marks for equation.
- 3 a) Construct an optimal Huffman code for the following set [6] CO1 L3 of frequencies :- a:42, b:20, c:5, d:10, e:11, f:12. Decode the word "11101101" at the receiver side.
4 Marks for construction of tree with correct encoding bits, 2 Marks for decoding the word.
- b) Let's consider a scenario where a company receives [6] CO3 L3 multiple orders for the production of customized t-shirts. Each order has a specific deadline $[d_i]$ and a profit $[p_i]$ associated with it. Company can handle only one order at a time. The production of each t-shirt takes a fixed amount of time, and the company needs to schedule the orders on the machines in such a way that it maximizes its profit. The company can only earn the profit associated with an order if it is completed and delivered before the deadline.
Identify and write the strategy and algorithm for this problem.
1 Mark for strategy and 5 marks for algorithm.

- 4 a) Let the keys {end,goto,print,read} with the successful [10] CO1 L3 probabilities (1,4,2,1) and unsuccessful probabilities are (4,2,4,1,1) Construct a Binary Search Tree with optimum searching time.

4 marks for Solution with equation , 2 marks for table and 2 marks for tree.

OR

Find the optimal solution for 0/1 problem, where no of objects are $n=4$, capacity of sack $M=5$, profits are (3,4,5,6) and weights are (2,3,4,5).

6 marks for Solution with equation , 2 marks for table and 2 marks for final solution array.

- b) On a busy Saturday evening, a Zomato delivery boy [10] CO3 L5 wanted to deliver his parcels to four different locations across the city and returned back to his starting location. Help him to find the shortest route. The distance between locations (A,B,C,D) are:

0	10	15	20
5	0	9	10
6	13	0	12
8	8	9	0

8 marks for complete Solution , 2 marks for path tracing.

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS347T/CS321T

15 MAY 2023

TY BTECH SEMESTER - VI REGULAR 2019 & BACKLOG 2016

PATTERN 2022 - 2023 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

END SEMESTER EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 10.00 am to 12.00 pm

MAX MARKS :50

TOTAL NO OF QUESTIONS: 3

TOTAL NO OF PRINTED PAGES:2

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

1 a) Write pseudocode for 0/1 knapsack problem using [06] CO1 L1 LCBB.

b) Draw the portion of the state space tree generated by [08] CO1 L3 LCBB for the following knapsack instances. $N=4$,
 $(p_1, p_2, p_3, p_4) = (40, 42, 20, 12)$ and
 $(w_1, w_2, w_3, w_4) = (4, 7, 5, 3)$ with maximum capacity $m=10$.

Rubrics: Correct state tree 4 Marks, at least three value calculation 2 Marks and final optimal solution 2 Marks

c) What are implicit and explicit constraints with respect [04] CO1 L1 to backtracking

Rubrics correct definition 2 Marks Correct example 2 marks

2 a) Discuss Satisfiability Problem as NP-Complete [07] CO2 L2 problem

Rubrics: Explain Satisfiability Problem with example-3M and explanation of NP-Hard and NP-Complete-4M

b) What are P and NP classes explain with [07] CO2 L2 examples? What is their relationship?

Rubrics: Explanation of P and NP classes 4 Marks and relationship is 3 Marks.

3 a) Working modulo $q = 11$, how many spurious hits does the Rabin-Karp matcher encounter in the text $T = 3141592653589793$ when looking for the pattern $P = 26$. [7] CO5 L3

Rubric: Algorithm: 3 marks, correct steps to check given pattern in the given string: 2 mark Correct spurious hits 2 mark.

b) Show that the gcd operator is associative. That is, prove that for all integers a, b , and c , $\gcd(a, \gcd(b, c)) = \gcd(\gcd(a, b), c)$. [3] CO5 L2

Rubric: associative property is 2 Marks and correct explanation is 3 Marks.

c) Given Text: G T T A T A G C T G A T C G C G G C G T A G C G G C G A A [8] CO5 L2
Pattern: G T A G C G G C G

Apply Boyer-Moore Putting it together to find the pattern in the given text.

Rubrics 3 marks for bad character, 3 Marks for good suffix and 2 marks for complete pattern matching.

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS321T

7 AUGUST 2023

TY BTECH SEMESTER - VI REMEDIAL TERM 2022 - 2023

EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

REMEDIAL EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 3 HOURS

MAX MARKS :100

TOTAL NO OF QUESTIONS: 5

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a)** Given a list of n elements, Write an Algorithm to [10] CO1 L1
search any element from the list using D&C
approach. Derive the time complexity using
Substitution Method.

*Rubrics: 2 marks for writing correct recurrence, 2 marks for
deriving time complexity correctly*

- b)** "Solve below equation using Masters Theorem: [6] CO1 L3

i) $T(n) = 3T(n/2) + n^2$

ii) $T(n) = 2T(n/2) + n \log n$

3 marks for each equation

- c) Analyze the given algorithm in terms of its time [4] CO2 L4 complexity:

```
Void Test (int n)
{
if (n>0)
    for (i=0; i<n; i++)
    {
        printf("%d", n);
    }
Test(n-1);
}
```

2 Mark for correct recurrence equation 2 Marks for substitution Method.

- 2 a) Construct a Huffman code for the expression "bad" [10] CO2 L3

where frequencies of variables are
a =5, b = 9, c = 12, d = 13

Construction of Huffman Tree: 6 marks, Assigning code to expression : 4 marks.

- b) Find optimal solution for 0/1 knapsack problem [10] CO3 L3 using Dynamic Programming

Approach(w_1, w_2, w_3, w_4)=(10,15,6,9)

,(p_1, p_2, p_3, p_4)=(2,5,8,1) and $m = 30$

1 Mark for correct recursive formula, 2 mark steps for generation of table , 2 mark for correct final table , 1 mark optimal solution.

- 3 a) Define Traveling salesman problem. Apply TSP [10] CO3 L3 using Dynamic programming where the edge lengths are given as

0	9	8	8
12	0	13	6
10	9	0	5
20	15	10	0

Step wise marking .for each correct step 2 marks

- b)** Write a an Algorithm for N Queen Problem using [10] CO1 L2
Backtracking Approach. Show the solution for Eight
Queen's problem if q1, q2, q3 and q4 is placed in
(6,4,7,1) position. Draw the State space search Tree
for Four Queen Problem.

*Algorithm 5 Marks, State space 3 marks , Queen placing 2
Marks*

- 4 a)** Solve o/1 knapsack problem using LC Branch & [10] CO4 L5
Bound Approach where Profits are (10,10,12,18)
and weights are (2,4,6,9) and Maximum Capacity is
15.

Step wise marking .for each correct step 2 marks

- b)** Explain NP Hard & NP Complete problem .Prove [10] CO3 L3
that 3SAT is a NP Complete problem.

*For NP Hard & NP Complete 3 Marks each. complete proof
6 Marks.*

- 5 a)** Explain the working of KMP String Matching [10] CO5 L3
algorithm for the following inputs: Text:
abadaabaccabacabaabb

Pattern: baabb

*4 Marks for KMP Table, 4 Marks for Algorithm 2 Marks for
Shifting*

- b)** Explain the working of Boyar Moore String Matching [10] CO5 L3
algorithm for the following inputs: Text:
abadaabaccabacabaabb

Pattern: baabb

*4 Marks for Bad charactor, 4 Marks for Good suffix 2 Marks
for Shifting*

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS321T

20 JUNE 2023

TY BTECH SEMESTER - VI RE-EXAMINATION 2022-2023

EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

RE-EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME :

MAX MARKS : 100

TOTAL NO OF QUESTIONS: 6

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

1 a) Write Two Real Time Application of Divide & Conquer **[04] CO1 L1**
(Apart from Binary Search, Merge Sort & Quick Sort.

Rubrics:2 marks for each application.

b) Prove that the Worst case time complexity of quick sort **[04] CO1 L1**
is $O(n^2)$ and Average case Time complexity is $O(n \log n)$

Rubrics:2 marks for each complexity proof.

c) Explain the Asymptotic notations with example. **[06] CO1 L1**

2 a) Find out the character encoding for the following **[08] CO2 L3**
message using Huffman coding.

Message: yoyoyoutube

Rubrics:4 marks for coding of message, 4 marks for construction of a tree.

- b) Why Greedy strategy does not always give you a [06] CO2 L1 optimum Solution. Justify your answer with Suitable Example.

Rubrics: 3 marks for the 1st part and 3 marks for the justification

- c) A farmer wants to sell his vegetable in a market which [08] CO2 is located 100 kilometres away from his house. He wants to carry only those items which will give the higher profit. Help the farmer to choose the items that will give him the highest possible profit using fractional method. The items are Brinjal, Tomato, Potato, Onion, Cauliflower, Cabbage, and Bottle guard. The quantity and price pair are (5,3), (6,4), (8,5), (12,7), (7,3), (8,3), and (7,3) respectively. (Quantity is in kg)

Rubrics: step wise marking.

- 3 a) Let $n=4$, $(a_1, a_2, a_3, a_4) = (\text{do}, \text{if}, \text{return}, \text{while})$. [10] CO3 L3
Let $(p_1, p_2, p_3, p_4) = (3, 3, 1, 1)$
and $(q_0, q_1, q_2, q_3, q_4) = (2, 3, 1, 1, 1)$
Construct OBST for this problem.

Rubrics: step wise marking.

- b) Consider the Chain Matrices A_1, A_2, A_3, A_4 with [08] CO3 L3 dimension given below. Give the optimal parthenization to get product $A_1, A_2 \dots A_4$

Matrix Dimension

A_1 3*2

A_2 2*4

A_3 4*2

A_4 2x5

- 4 a) A School bus must pick up the students at four [10] CO4 L3 different locations (1,2,3,4, and 5) as shown in the table, starting and ending at 1. The bus driver wants to minimize the total length of the trip. Find the best path using B&B.

	1	2	3	4	5
1	∞	20	30	10	11
2	15	∞	16	4	2
3	3	5	∞	2	4
4	19	6	18	∞	3
5	16	4	7	16	∞

Rubrics:step wise marking.

- b) Differentiate between Branch and bound and dynamic [06] CO4 L2 programming.
Rubrics:2marks for one difference.
- 5 a) Write a Non deterministic algorithm for 0/1 knapsack [06] CO5 L1 problem.
Rubrics:step wise marking.

- b) Prove that TSP is NP-Complete. [06] CO5 L3
Rubrics:Justification of NP & NP Complete 3 marks each.

- c) How NP Complete and NP Hard Problems are related [08] CO3 L2 with each other and
 How NP Hard problems can be converted to NP Complete problems.
Rubrics:2 marks each for NP Complete & NP Hard. 4 marks for reduction of NP Hard to NP Complete.

- 6 a) Find the prefix function for pattern ababaca. [10] CO4 L3
 Apply the KMP algorithm to check pattern ababaca is present in given string
 bacbabababacaab
Rubrics:7 marks for finding correct pattern. 3 marks for Pi table

MIT ACADEMY OF ENGINEERING

COURSE CODE: CS347T

07 AUGUST 2023

TY BTECH SEMESTER - VI REMEDIAL TERM 2022 - 2023

EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING

REMEDIAL EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 3 HOURS

MAX MARKS :100

TOTAL NO OF QUESTIONS: 5

TOTAL NO OF PRINTED PAGES:

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a) Given a list of n elements, Write an Algorithm to search any element from the list using D&C approach. Derive the time complexity using Substitution Method. **[10] CO1 L1**

Rubrics: 2 marks for writing correct recurrence, 2 marks for deriving time complexity correctly

- b) "Solve below equation using Masters Theorem: **[6] CO1 L3**

i) $T(n) = 3T(n/2) + n^2$

ii) $T(n) = 2T(n/2) + n \log n$

3 marks for each equation

- c)** Analyze the given algorithm in terms of its time complexity: **[4] CO2 L4**

```
Void Test (int n)
{
  if (n>0)
    for (i=0; i<n; i++)
      {
        printf("%d", n);
      }
  Test(n-1);
}
```

2 Mark for correct recurrence equation 2 Marks for substitution Method.

- 2 a)** Construct a Huffman code for the expression "bad" where frequencies of variables are **[10] CO2 L3**

a =5, b = 9, c = 12, d = 13

Construction of Huffman Tree: 6 marks, Assigning code to expression : 4 marks.

- b)** Find optimal solution for 0/1 knapsack problem using Dynamic Programming **[10] CO3 L3**

Approach(w1,w2,w3,w4)=(10,15,6,9)

,(p1,p2,p3,p4)=(2,5,8,1) and m =30

1 Mark for correct recursive formula,2 mark steps for generation of table ,2 mark for correct final table , 1 mark optimal solution .

- 3 a)** Define Traveling salesman problem. Apply TSP using Dynamic programming where the edge lengths are given as **[10] CO3 L3**

0	9	8	8
12	0	13	6
10	9	0	5
20	15	10	0

Step wise marking .for each correct step 2 marks

- b)** Write a an Algorithm for N Queen Problem using Backtracking Approach. Show the solution for Eight Queen's problem if q1, q2, q3 and q4 is placed in (6,4,7,1) position. Draw the State space search Tree for Four Queen Problem. **[10] CO1 L2**

Algorithm 5 Marks, State space 3 marks , Queen placing 2 Marks

- 4 a)** Solve o/1 knapsack problem using LC Branch & Bound Approach where Profits are (10,10,12,18) and weights are (2,4,6,9) and Maximum Capacity is 15. **[10] CO4 L5**

Step wise marking .for each correct step 2 marks

- b)** Explain NP Hard & NP Complete problem .Prove that 3SAT is a NP Complete problem. **[10] CO3 L3**

For NP Hard & NP Complete 3 Marks each. complete proof 6 Marks.

- 5 a)** Explain the working of KMP String Matching algorithm for the following inputs: Text: abadaabaccabacabaabb
Pattern: baabb
4 Marks for KMP Table, 4 Marks for Algorithm 2 Marks for Shifting **[10] CO5 L3**
- b)** Explain the working of Boyar Moore String Matching algorithm for the following inputs: Text: abadaabaccabacabaabb
Pattern: baabb
4 Marks for Bad charactor, 4 Marks for Good suffix 2 Marks for Shifting **[10] CO5 L3**

MIT ACADEMY OF ENGINEERING

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20 JUNE 2023

TY BTECH SEMESTER - VI RE-EXAMINATION 2022-2023 EXAMINATION

DEPARTMENT OF COMPUTER ENGINEERING RE-EXAMINATION

DESIGN AND ANALYSIS OF ALGORITHMS

TIME : 3 Hrs

MAX MARKS : 100

TOTAL NO OF QUESTIONS: 6

TOTAL NO OF PRINTED PAGES: 3

INSTRUCTIONS TO CANDIDATES:

1. Assume suitable data wherever necessary
2. Non programmable scientific calculators are allowed
3. Black figures to the right indicate full marks

- 1 a) Write Two Real Time Application of Divide & Conquer [04] CO1 L1
(Apart from Binary Search, Merge Sort & Quick Sort.
- b) Prove that the Worst case time complexity of quick sort [04] CO2 L1
is $O(n^2)$ and Average case Time complexity is $O(n \log n)$
- c) Explain the Asymptotic notations with example. [06] CO2 L1
- 2 a) Find out the character encoding for the following [08] CO3 L3
message using Huffman
coding and its transmission cost.
Message: yoyoyoutube
- b) Why Greedy strategy does not always give you a [05] CO2 L1
optimum Solution. Justify your answer with Suitable
Example.

c) A farmer wants to sell his vegetable in a market which [08] CO3 L3 is located 100 kilometres away from his house. He wants to carry only those items which will give the higher profit. Help the farmer to choose the items that will give him the highest possible profit using fractional method. The items are Brinjal, Tomato, Potato, Onion, Cauliflower, Cabbage, and Bottle guard. The quantity and price pair are (5,3), (6,4), (8,5), (12,7), (7,3), (8,3), and (7,3) respectively. (Quantity is in kg)

3 a) Let $n=4$, $(a_1, a_2, a_3, a_4) = (\text{do}, \text{if return}, \text{while})$. [10] CO3 L3
 Let $(p_1, p_2, p_3, p_4) = (3, 3, 1, 1)$
 and $(q_0, q_1, q_2, q_3, q_4) = (2, 3, 1, 1, 1)$
 Construct OBST for this problem.

b) Consider the Chain Matrices A_1, A_2, A_3, A_4 with [08] CO3 L3 dimension given below. Give the optimal parthenization to get product $A_1, A_2 \dots A_4$
 Matrix Dimension
 A_1 3*2
 A_2 2*4
 A_3 4*2
 A_4 2x5

4 a) A School bus must pick up the students at four [10] CO3 L3 different locations (1,2,3,4, and 5) as shown in the table, starting and ending at 1. The bus driver wants to minimize the total length of the trip. Find the best path using B&B.

	1	2	3	4	5
1	∞	20	30	10	11
2	15	∞	16	4	2
3	3	5	∞	2	4
4	19	6	18	∞	3
5	16	4	7	16	∞

- b) Differentiate between Branch and bound and dynamic programming. **[06] CO1 L2**
- 5 a) Write a Non deterministic algorithm for 0/1 knapsack problem. What are the Three functions of ND Algorithm? **[04] CO2 L1**
- b) Prove that TSP is NP-Complete **[06] CO2 L3**
- c) How NP Complete and NP Hard Problems are related with each other and How NP Hard problems can be converted to NP Complete problems. **[07] CO4 L2**
- 6 a) Describe in pseudo-code of the KMP algorithm. Find the prefix function for pattern ababaca. Apply the KMP algorithm to check pattern ababaca is present in given string bacbabababacaab **[09] CO5 L3**
- b) Explain Las vegas and Monte carlo algorithm. **[05] CO5 L2**