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1.) The Computer processor can only execute extremely simple low-level instructions. The easiest signals for computers to understand are on and off, symbolically 0 and 1. So, the computer language can be ~~bought~~ thought of as set of binary numbers. So, the high-level like C goes through few steps till it could be converted to binary representation and be directly executed by a computer processor.

The steps that transform C into binary language are:

- Compilation: It is the translation of a program written in high-level language like C, into assembly language statements, which is a symbolic representation of machine ~~representation~~ instructions.
- Assemble: It is the translation of assembly language obtained in previous step to binary language or machine language. The program ~~used~~ for executing it called as assembler.

Example:

High-level
Language
program

```
swap (int a[], int v)
{
    int t;
    t = a[v];
    a[v] = a[v+1];
    a[v+1] = t;
}
```

↓
Compiles

```
swap    multi $2, $5, 4
        add   $2, $4, $2
        lw    $15, 0($2)
        lw    $17, 4($2)
        sw    $17, 0($2)
        sw    $15, 4($2)
        jr    $32
```

↓
Assembles

Binary (Machine)
Language
program

```
000.0000101...
0000 0000 00...
10 001110011...
1000 100010101...
...
00000011111...
```

• Other than this 2 other software was also used in previous time.

(i) Linker: Link all code together & create an executable file.

(ii) Loader: Load all the library functions into the code.

• In Nowadays, we don't have to use them manually. They are now a part of the compiler & assembler itself.

2. Execution time_A = 10 s

Execution time_B = 15 s

$$\text{Performance}_A = \frac{1}{\text{Execution time}_A}$$
$$= \frac{1}{10}$$

$$\text{Performance}_B = \frac{1}{\text{Execution time}_B} = \frac{1}{15}$$

Clearly, Performance_A > Performance_B i.e. $\frac{1}{10} > \frac{1}{15}$

So, A is faster than B.

$$\frac{\text{Performance}_A}{\text{Performance}_B} = \frac{1}{10} \times \frac{15}{1} = \frac{15}{10}$$

$$\text{Performance}_A = \frac{3}{2} \times \text{Performance}_B$$

$$\boxed{\text{Performance}_A = (1.5) \times \text{Performance}_B}$$

$\boxed{A \text{ is } 1.5 \text{ times faster than } B}$

3. MIPS Assembly Code:

```
addi    $t0, $0, 0  
beq     $0, $0, TEST1
```

```
Loop1:  addi    $t1, $0, 0  
        beq     $0, $0, TEST2
```

```
Loop2:  add     $t3, $t0, $t1  
        sll     $t2, $t1, 4  
        add     $t2, $t2, $s2  
        sw      $t3, ($t2)  
        addi    $t1, $t1, 1
```

```
TEST2:  set     $t2, $t1, 1  
        bne     $t2, $0, Loop2  
        addi    $t0, $t0, 1
```

```
TEST1:  set     $t2, $t0, $s0  
        bne     $t2, $0, Loop1
```

Explanation of code:

- 1.) Let $\$t0$ as zero i.e. $i=0$
- 2.) Jump to loop condition (can also use j Loop A)
- 3.) Set $\$t1$ as zero i.e. $j=0$.
- 4.) Jump to loop condition (can also use j Loop B)
- 5.) $\$t3 = \$t0 + \$t1$, $(i+j)$ is stored in $\$t3$
- 6.) Left shift $\$t1$ by 4 and ~~store~~ save in $\$t2$.
- 7.) $\$t2 = \$t2 + \$s2$ i.e. $\$t2 = 2^D[4*j]$
- 8.) ~~Compare~~ save $\$t3(i+j)$ in $\$t2$.
- 9.) Increment $\$t1$ ($j++$)
- 10.) Compare $\$t1$ with $\$s1$ (i.e. if $j < 1$ $\$t2 = 1$
otherwise $\$t2 = 0$)
- 11.) If $\$t2 \neq 0$, jump to Loop 2
- 12.) Increment $\$t0$ ($i++$)
- 13.) Compare $\$t0$ with $\$s0$ (i.e. if $i < a$ $\$t2 = 1$
otherwise $\$t2 = 0$)
- 14.) If $\$t2 \neq 0$, jump to Loop 1.

4. $\$s0 = f$, $\$s1 = g$, $\$s2 = h$, $\$s3 = i$, $\$s4 = j$

$\$s6$ holds base address of A and $\$s7$ holds base address of B.

Assembly:

```

sll    $t0, $s0, 2          # $t0 = f * 4
add    $t0, $s6, $t0        # $t0 = &A[f]
sll    $t1, $s1, 2          # $t1 = g * 4
add    $t1, $s7, $t1        # $t1 = &B[g]
lw     $s0, 0($t0)          # f = A[f]

addi   $t2, $t0, 4          # $t2 = A[f+1]
lw     $t0, 0($t2)          # $t0 = A[f+1] 7A[f]
add    $t0, $t0, $s0        # $t0 = A[f+1] + A[f]
sw     $t0, 0($t1)          # B[g] = A[f+1] + A[f]
```

Corresponding C language:

$B[g] = A[f+1] + A[f];$

$f = A[f]$

The two statements cannot swap order.

5. $i \rightarrow \$t1$

result $\rightarrow \$s2$

$\$s0 \rightarrow$ base address of array Memarray

addi $\$t1, \$0, 0$

Loop: lw $\$s1, 0(\$s0)$

add $\$s2, \$s2, \$s1$

addi $\$s0, \$s0, 4$

addi $\$t1, \$t1, 1$

slti $\$t2, \$t1, 100$

bne $\$t2, \$s0, \text{Loop}$

Going over code line by line:

1.) Set $\$t1 = 0$

There is a syntax error it can be written of these 2:

add $\$t1, \$0, \$0$ or addi $\$t1, \$0, 0$

2.) Load first element of array in $\$s1$

3.) $\$s2 = \$s2 + \$s1$

i.e. result = result + Memarray[i]

4.) Increment $\$s0$ by 4, now it will point to the next element in array.

5.) Increment $\$t1$ i.e. $(i++)$

6.) If $\$t1 < 100$: $t2 = 1$
else $t2 = 0$

7.) There may be an error. In case of `bne`
 $\$t2, \$s0$, loop it means.

if $\$t2 \neq \$s0$, jump to loop.

It will never happen as $\$t2$ is initially 0 and incremented by 1, while $\$s0$ is incremented by 4. So, this will result in infinite loop.

Instead Consider:

`bne $\$t2, \0 Loop`

If $\$t2 \neq 0$, jump to loop

So, final code will be :-

```
for (i=0; i<100; i++) {  
    result = result + Memarray[i];  
}
```

6. Given:

Value of $\$t0 \rightarrow 0 \times 200000000$.

Instructions:

set $\$t2, \$0, \$t0$

beq $\$t2, \$0, ELSE$

j done

ELSE: addi $\$t2, \$t2, 2$

DONE:

→ for: set $\$t2, \$0, \$t0$

if $(\$0 < \$t0)$ then $\$t2 = 1$ else $\$t2 = 0$

So, $\therefore \$t2 = 1$ (as value of $\$t0 = 0 \times 200000000$)

→ for: beq $\$t2, \$0, ELSE$

If $(\$t2 == \$0)$ go to ELSE statement skipping

All statements in between

But $\$t2 > \0 (as $\$t2 = 1$)

So, it will not go to ELSE.

Value of $\$t2 = 1$

→ for: j DONE

jump to DONE

It will jump directly to DONE ignoring the instruction
addi $\$t2, \$t2, 2$

∴ final value of $\$t2 = 1$