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Experiment 8 : Time Response specifications of second order systems.

```
%Name : Shruti Mandaakar
%PRN : 17070123102
%Batch : Entc EB2
```

```
clc;
clear all;
close all;
```

Plot step response of second order system

```
t=0:0.001:20;
w_n=2;

% For zeta = 0.25
zeta=0.25;
theta=atan(sqrt(1-zeta^2)/zeta);

w_d=w_n*sqrt(1-zeta^2);
C=1-((exp(-zeta.*w_n.*t).*(sin(sqrt(1-zeta^2)*w_d.*t+theta)))/sqrt(1-zeta^2));

figure()
plot(t,C,'r','LineWidth',2); hold on;

%For zeta = 0.7
zeta=0.7;
theta=atan(sqrt(1-zeta^2)/zeta);
D=1-((exp(-zeta.*w_n.*t).*(sin(sqrt(1-zeta^2)*w_d.*t+theta)))/sqrt(1-zeta^2));
plot(t,D,'y','LineWidth',2); hold on;

% For zeta = 1.0
zeta=1.0;
N1=[(w_n)^2];
D1=[1 (2*zeta*w_n) (w_n*w_n)];

M1=tf(N1,D1)
stepplot(M1); hold on;

% For zeta = 1.2
zeta=1.2;
N2=[(w_n)^2];
D2=[1 (2*zeta*w_n) (w_n*w_n)];

M2=tf(N2,D2)
stepplot(M2); hold on;
legend('zeta=0.25','zeta=0.7','zeta=1.0','zeta=1.2');
```

M1 =

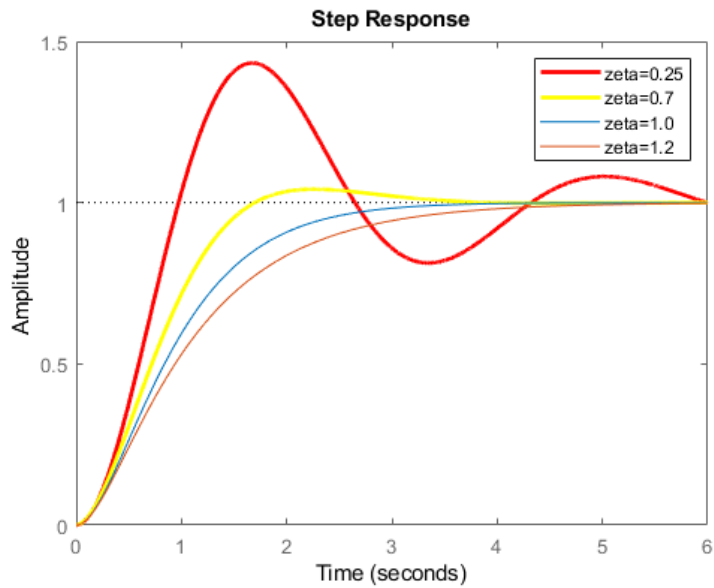
$$\frac{4}{s^2 + 4s + 4}$$

Continuous-time transfer function.

M2 =

$$\frac{4}{s^2 + 4.8s + 4}$$

Continuous-time transfer function.



```

stepinfo(C)
stepinfo(D)
figure()

b = imread('exp0801.PNG');
imshow(b)

%plot(t,C);
%titlehold on
%plot(t,D);

```

ans =

struct with fields:

```

    RiseTime: 653.7972
SettlingTime: 7.2429e+03
SettlingMin: 0.8128
SettlingMax: 1.4327
Overshoot: 43.2754
Undershoot: 0
    Peak: 1.4327
   PeakTime: 1672

```

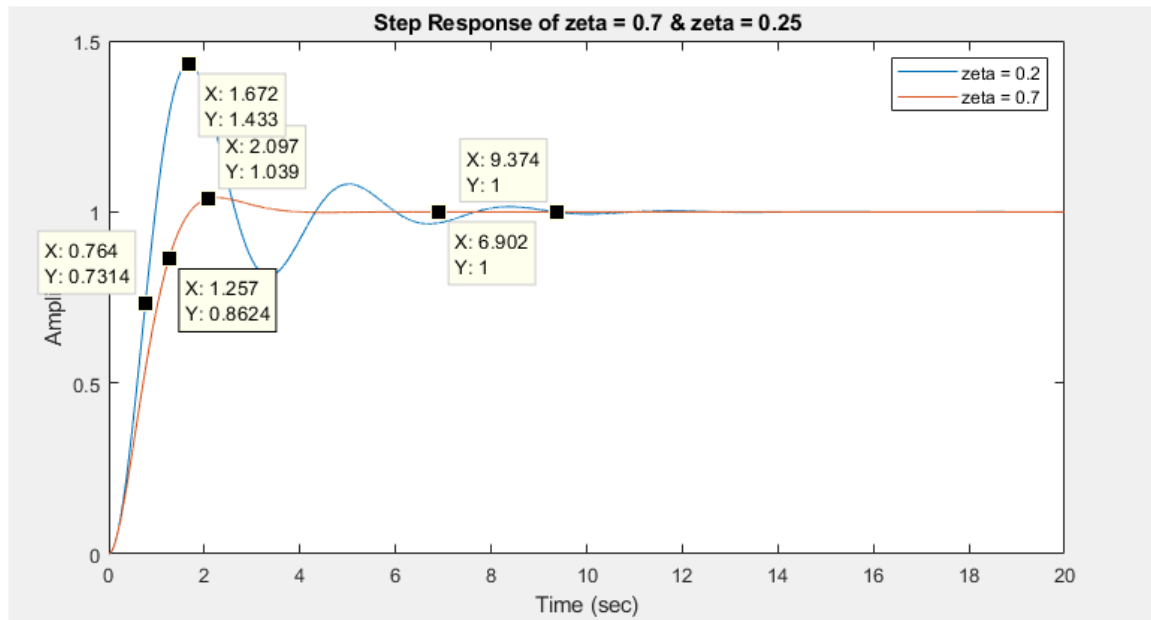
ans =

struct with fields:

```

    RiseTime: 1.0981e+03
SettlingTime: 3.0134e+03
SettlingMin: 0.9001
SettlingMax: 1.0416
Overshoot: 4.1581
Undershoot: 0
    Peak: 1.0416
   PeakTime: 2261

```



Conclusion :

```
%In this experiment I plotted the step response of second order system with
%given parameters using step function and further calculated characteristics
%of system. Further, I used stepinfo to verify the results.
% 1. When  $0 < \zeta < 1$ , the system is underdamped.
% 2. When  $\zeta > 1$ , system is overdamped.
% 3. As  $\zeta$  increases, the response becomes progressively less
% oscillatory till it becomes critically damped for  $\zeta = 1$ , and becomes
% overdamped for  $\zeta > 1$ .
```

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