

## Post Midsem

10/19 Purnendu Sir's class

S	2-4
C	4-8
k <sub>a</sub>	8-
R <sub>u</sub>	

?

15



## Frequency measurement

### 1. Wavemeter Method

### 2. Scanned Line method

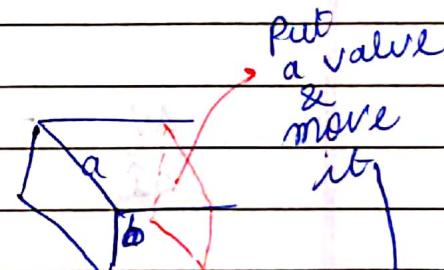
### 3. Down conversion method

#### 1) Wavemeter Method

→ cavity type → cylindrical  
→ dielectric fr.

Rectangular cavity →

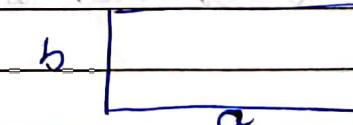
$$\lambda_c = \frac{2}{\sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}}$$



WR-90 waveguide :-

$$a = 2.286 \text{ cm}$$

$$\frac{a}{b} \quad \frac{b}{a} \approx 0.45$$



$$\lambda_c = \frac{2}{\sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2 + \left(\frac{p}{c}\right)^2}}$$

wavemeter

cylindrical cavity

wavemeter



Length is varying

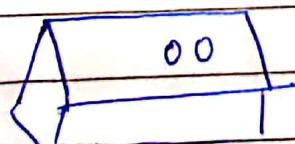
Inside cavity

coated with gold/silver/

brass to have better

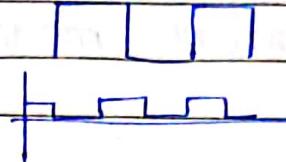
reflection

There will be resonant frequency



?

## Square wave modulation



- calibrate wavemeter with in a standard modulate. Now we can measure any frequency

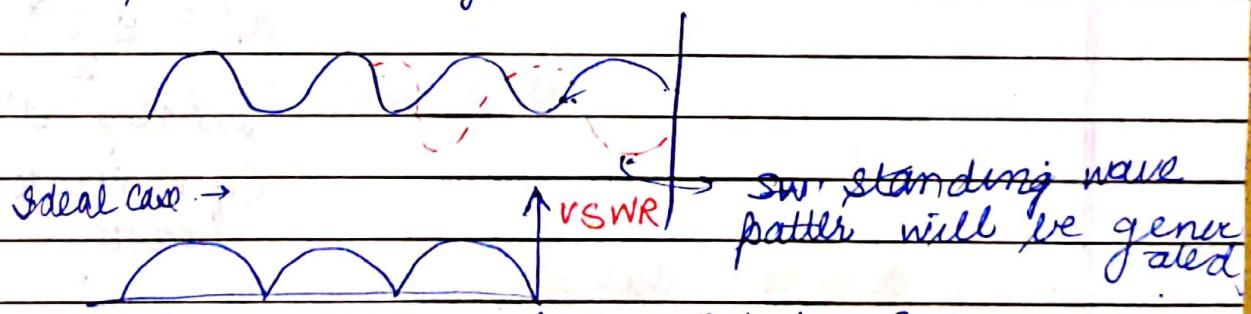
## Scotted line method

$$\frac{1}{\lambda_0^2} = \frac{1}{\lambda_g^2} + \frac{1}{\lambda_c^2}$$

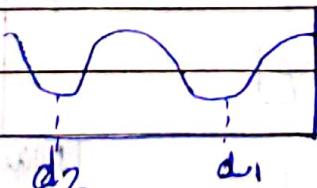
$$\lambda_g = 2d$$

$$d = d_1 \sim d_2.$$

source terminated by a load  $\rightarrow$



Practical case  $\rightarrow$



If we are measuring maxima,  $\rightarrow$  power more : device can be damaged.  $\therefore$  we prefer measuring near minima : Although device has sensitivity issues it won't be able to measure exact minima but won't be damaged

$\Rightarrow$  Dominant mode of rect. waveguide.

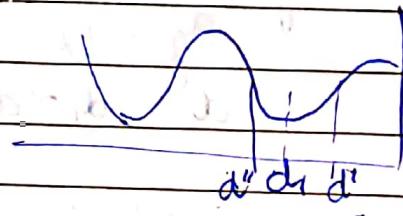
in  $\mathbb{R}_0^+$

$$x_C = \frac{2}{\sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}}$$

$$\therefore \frac{2a}{m} = 2a$$

VSWR

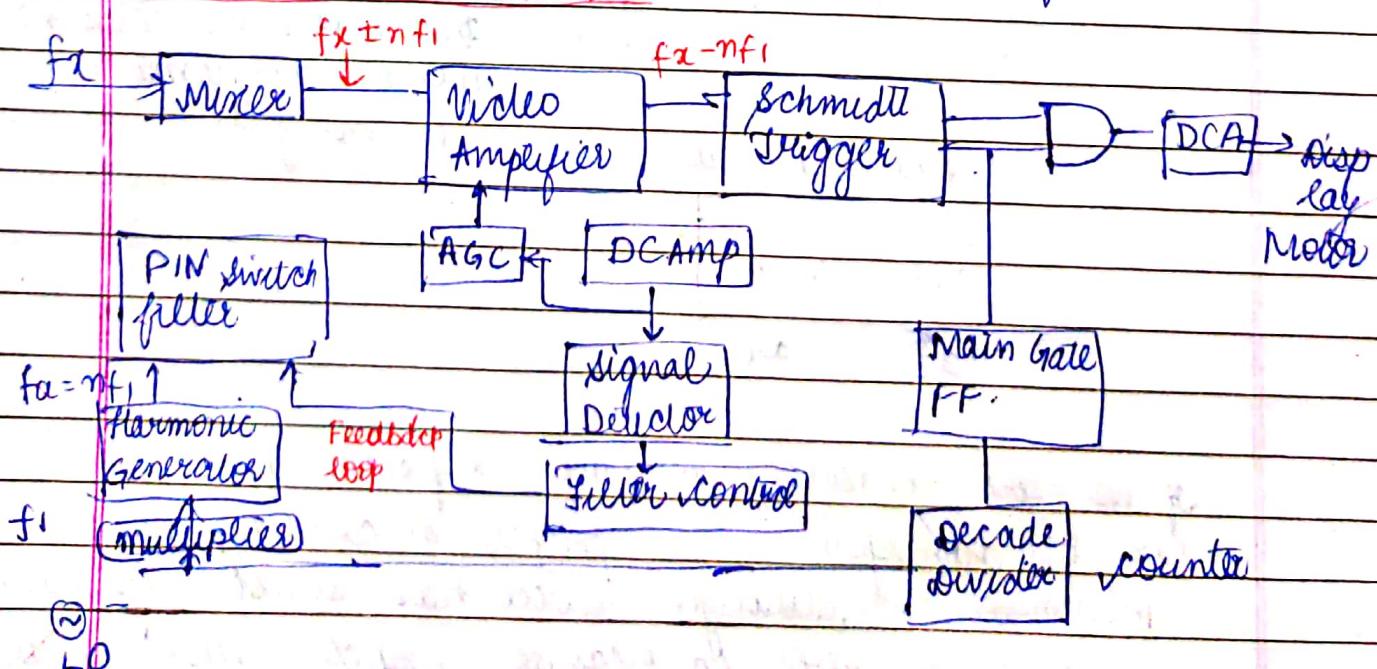
First locate minima - (SABT)  
Set coarse &



$$d_1' = \frac{d'' + d'}{2}$$

solely  $d'' = d'$ .  
(if we locate minima  
exactly)

## Seven Conversion Method





$$f_x - f_a = f_{IF}$$

- We need to know range of  $f_x$  & Attenuated freq. range.

Video Amp is used as we want to display the signal

$$\text{if } f_x - n f_1 = 0 \Rightarrow \text{DC}$$

using feedback path → readings will be faster

- Counter to divide the freq.
  - Two level of feedback s/s is used.
- AGC → Automatic Gain Control.

### Power Measurement

Microwave power measurement is different difficult as  $f$  is high.  $P \propto \frac{1}{f}$ .

so freq of transmission is in Hz i.e 50 Hz not GHz

- proposal for wireless transmission.
- Direct power measurement is difficult.

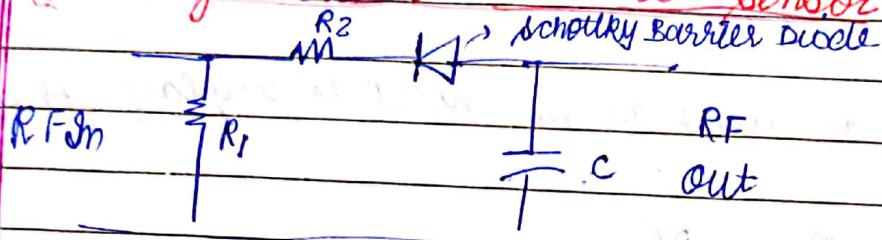
$$P = \frac{1}{2} \int \operatorname{Re}(E \times H^*) \cdot ds$$

$$\frac{E}{H} = \gamma$$

$$|P| = \frac{1}{2} \frac{E^2}{\eta}$$

$$\eta = \frac{E_0}{H_0}$$

## 1. Schottky Barrier Diode Sensor



In normal diode cut off potential  $V_o$  can no be varied. (i.e. 0.7 for Si, 0.3 for Ge)

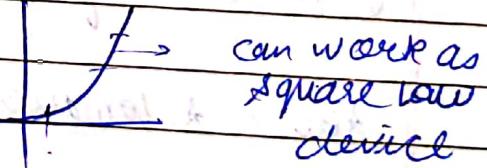
By adding some doping in Schottky,  $V_o$  can be varied in Schottky. ∴ we are using Schottky.

Square law device.

In Schottky →

diode resistance also depends on temp.

Up to -70 dBm power can be measured using this method.

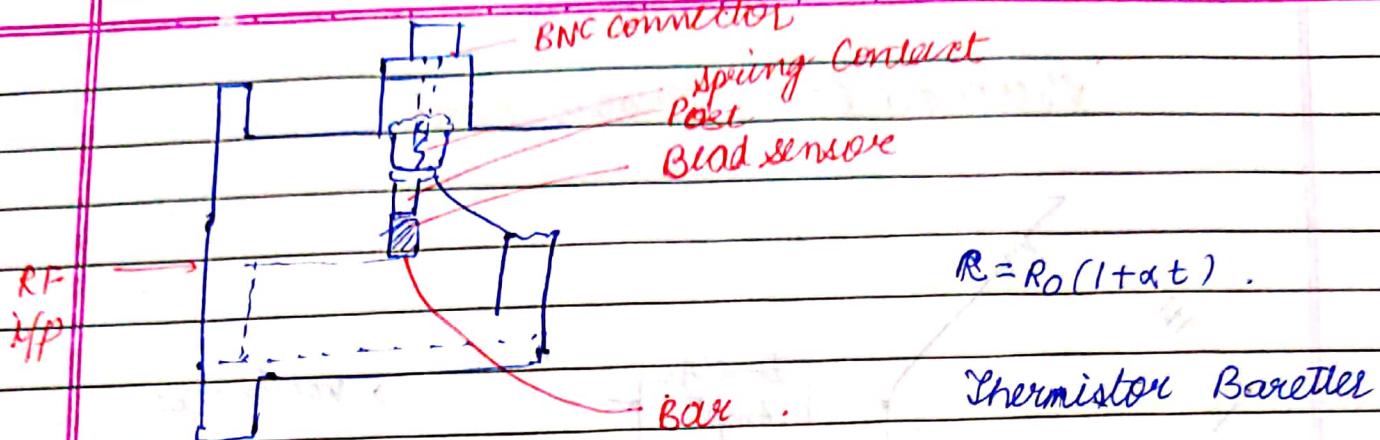


## 2. Bolometer sensor

Resistance is changing with temp.

Type of material → Bolometer

In bolometer thermistor is used three but its type is different from normal thermistor.

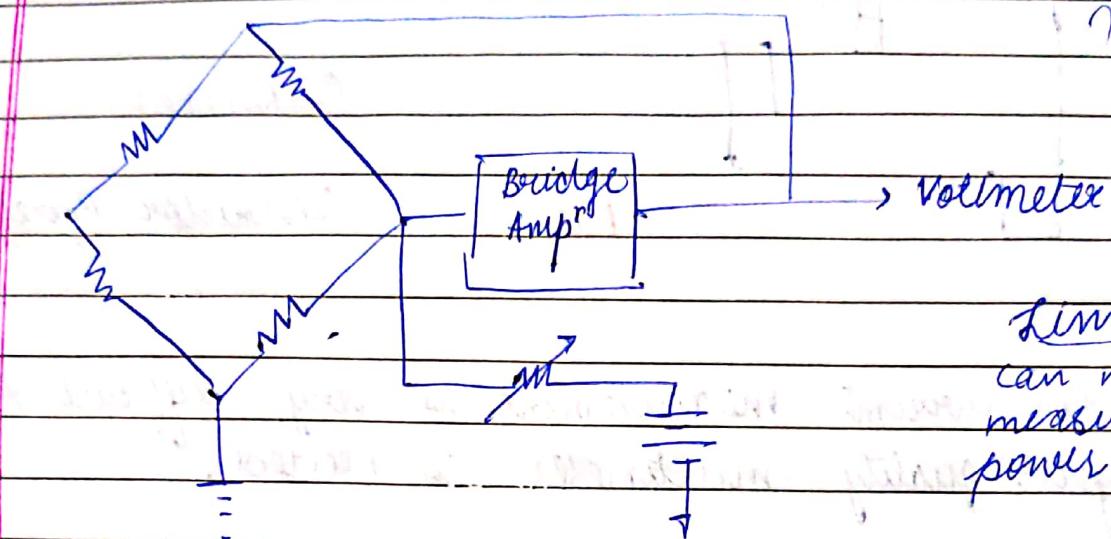


- ? low current measurement is very difficult. So good quality multimeter is needed.
- ? We can calibrate
- Sensitivity is -20 dBm
- Whatever change will be absorbed by spring

15/10/17



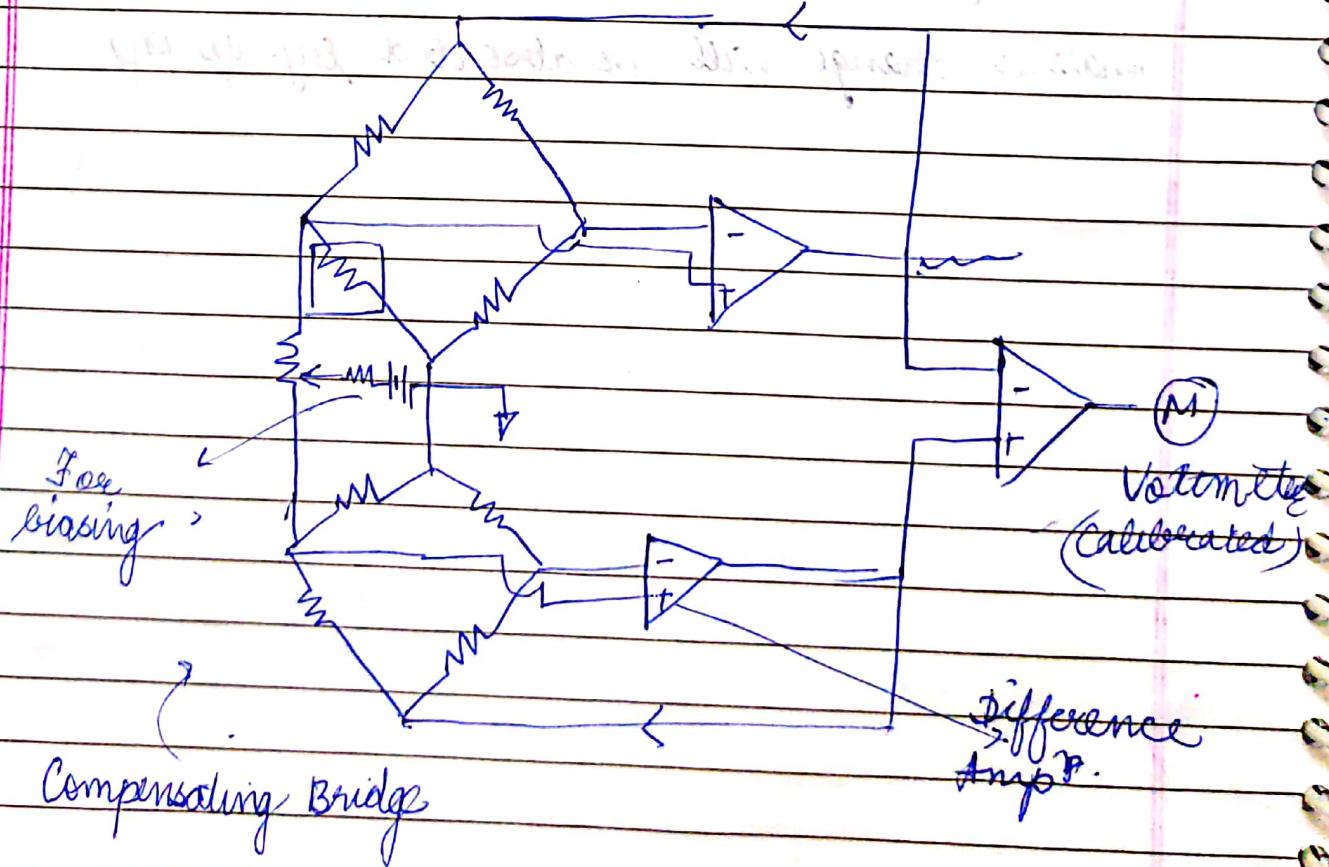
## Microwave Power Measurement



Limitation  
can not measure high power

$1 \text{ GHz} < \mu\text{wave} < 300 \text{ GHz}$

Beyond  $300 \text{ GHz} \rightarrow$  Terahertz for communication



Difference Amp

1.

Power Measurement →

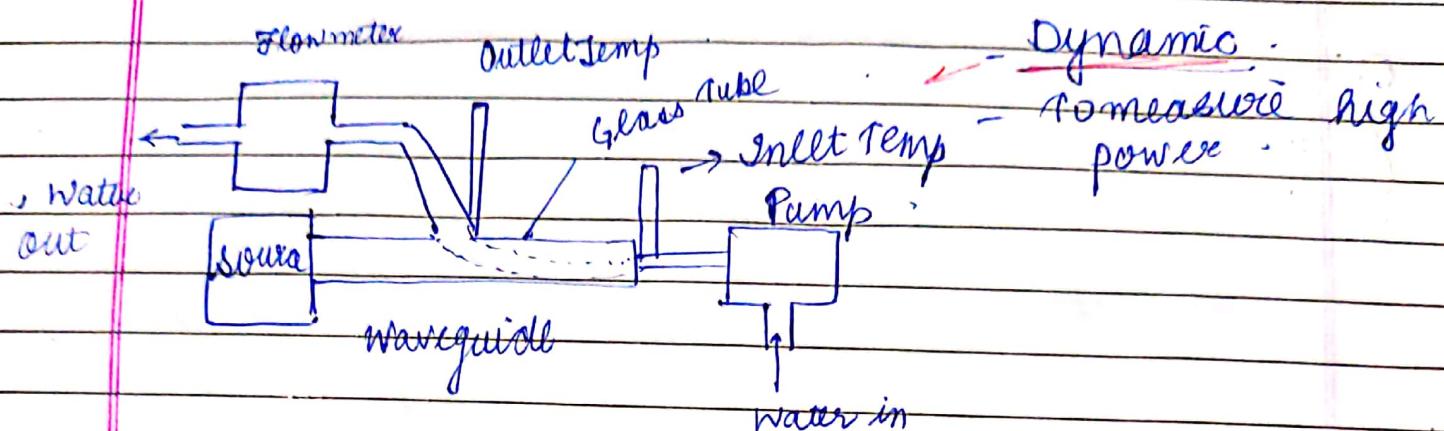
1. Bolometric  $\rightarrow$  Barovier thermistor
2. Schottky Barovier
3. Calorimetric  $\rightarrow$  Calorimetric wattmeter
4. Power meter (Extension of Bolometric)

Accuracy → tending to a particular value.  
Precision →

using Bolometer sensor → can not measure for wide range.

one sol. → use of wheatstone bridge

## Calecumilator



$$P = 4.187 \nu d C_p T \quad \rightarrow \text{will give mass.}$$

$\nu \rightarrow$  Rate of flow

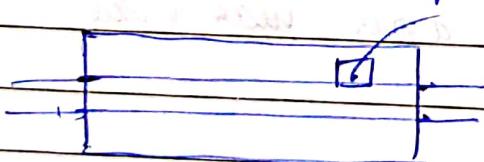
$d \rightarrow$  specific gravity

$T \rightarrow$  Temp rise  $^{\circ}\text{C}$  → continuously

$C_p \rightarrow$  Specific Heat changing

## Static

Thermocouple is placed



$$P = \frac{4.187 m C_p T}{\tau}$$

→ static value

## VSWR Measurement

- Low
- Medium
- High

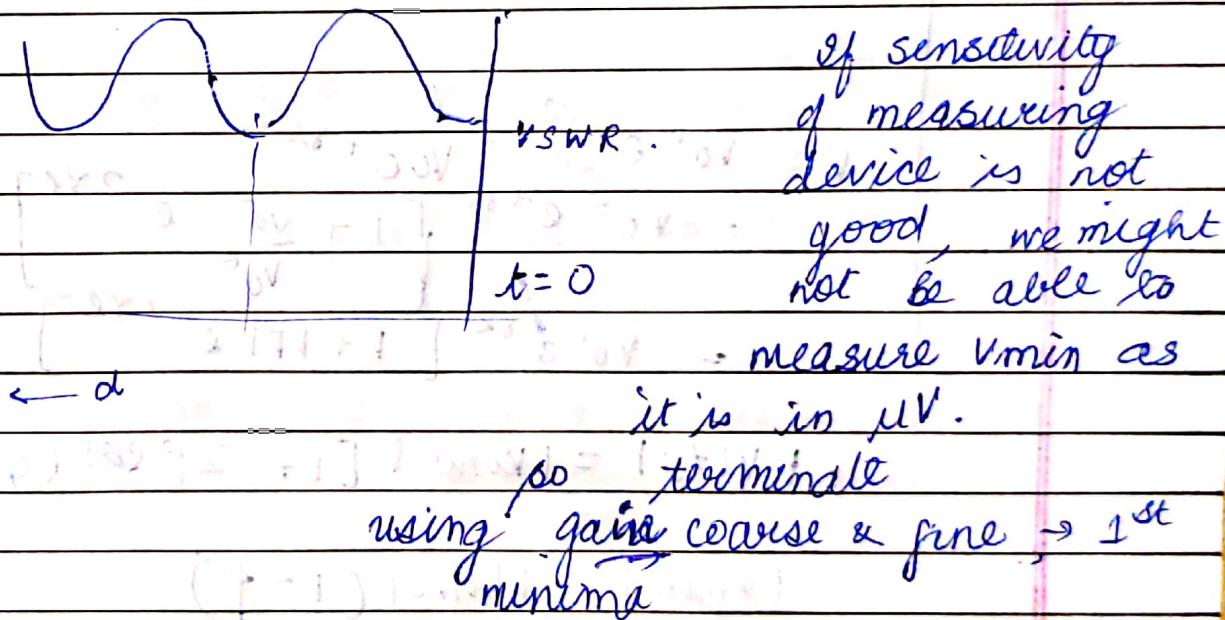
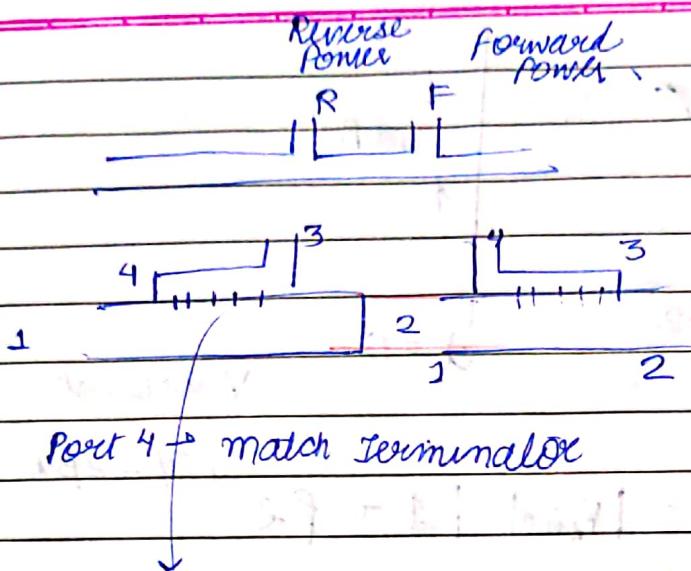
$$\begin{aligned} 1 \leq S \leq 3 & - L \\ 3 \leq S \leq 10 & - M \\ > 10 & - \text{High} \end{aligned} \quad \left. \begin{aligned} 1 \leq S \leq \infty \\ \Rightarrow \text{single minima method} \end{aligned} \right.$$

$$\frac{V_{\max}}{V_{\min}} = S.$$

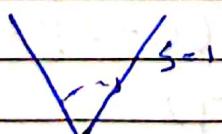
$$S = \frac{1 + |\Gamma|}{1 - |\Gamma|}$$

Can measure RP & FP →

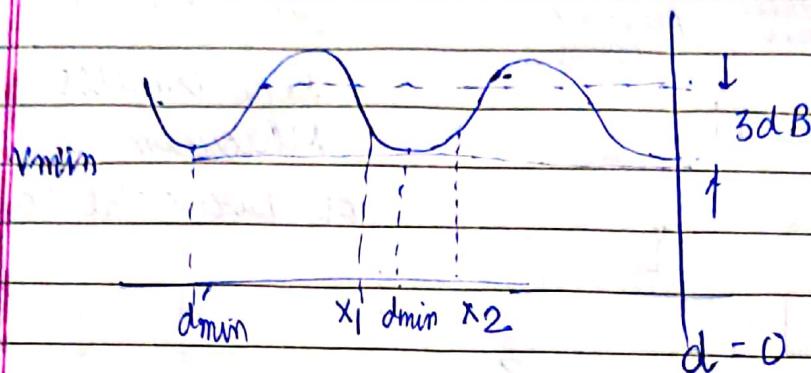
- Reflectometer
- Measurement
- or Direct' al coupler



- First set to a reference value. Then move left/right



QE =



$$\Gamma = \rho e^{j\phi}$$

$$|V(x)| = |V_{inc}| \sqrt{1 + \rho^2 e^{j(\phi - 2\beta x)}}$$

$V_{incident} \rightarrow$  similar to  $V_0 e^{j\phi}$

$$|V(x)| = |V_{inc}| \sqrt{1 + \rho^2 e^{-2\beta x}}$$

$$\begin{aligned} V &= V_0^+ e^{-\beta x} + V_0^- e^{+\beta x} \\ &= V_0^+ e^{+\beta x} \left[ 1 + \frac{V_0^-}{V_0^+} e^{-2\beta x} \right] \\ &= V_0^+ e^{+\beta x} \left[ 1 + |\Gamma| e^{-2\beta x} \right] \end{aligned}$$

$$|V(x)| = |V_{inc}| \sqrt{1 + 2\rho \cos(\phi - 2\beta x) + \rho^2 e^{-4\beta x}}$$

$$|V_{min}| = |V_{inc}| (1 - \rho)$$

$$m = \frac{|V(x_1)|}{|V_{min}|}$$

$$= \frac{(1 + 2\rho \cos(\phi - 2\beta x_1) + \rho^2)^{1/2}}{(1 - \rho)}$$

$$\rho (\text{Reflect Coeff.}) = \frac{s-1}{s+1}$$

$$s = \frac{1+\rho}{1-\rho}$$

$$\rho = |\Gamma|$$



$$m = \frac{\left[ 1 + 2\left(\frac{s-1}{s+1}\right) \cos(\phi - 2\beta x_1) + \left(\frac{s-1}{s+1}\right)^2 \right]^{1/2}}{\left(1 - \left(\frac{s-1}{s+1}\right)\right)}$$

$$m^2 = \frac{1 + 2p \cos(\phi - 2\beta x_1) + p^2}{(1-p)^2}$$

$$\Rightarrow 1 + p^2 - m^2(1-p)^2 = -2p \cos(\phi - 2\beta x_1)$$

$$(1-m^2)p^2 + 2p \cos(\phi - 2\beta x_1) + (1-m^2) = 0$$

$+ 2pm^2$

$$S = \frac{\left[ m^2 - \cos^2 \frac{2\pi(x_1 - x_{\min})}{\lambda g} \right]^{1/2}}{\sin \left[ \frac{2\pi(x_1 - x_{\min})}{\lambda g} \right]}$$

where  $\Delta x = 2(x_1 - x_{\min})$

$$\beta = \frac{2\pi}{\lambda g}$$

$$S = \frac{\left[ m^2 - \cos^2 \frac{\pi \Delta x}{\lambda g} \right]^{1/2}}{\sin^2 \frac{\pi \Delta x}{\lambda g}}$$

$$= \frac{\left[ m^2 - 1 + \sin^2 \frac{\pi \Delta x}{\lambda g} \right]^{1/2}}{\sin^2 \frac{\pi \Delta x}{\lambda g}} = \frac{1 + m^2 - 1}{\sin^2 \frac{\pi \Delta x}{\lambda g}}$$



$$\text{if } \Delta x \rightarrow 0$$

$$\pi \Delta x \rightarrow 0$$

$$\lambda g$$

$$x \sin \frac{\pi \Delta x}{\lambda g} \rightarrow \frac{\pi \Delta x}{\lambda g}$$

$$S = \left[ 1 + \frac{1}{\sin^2 \frac{\pi \Delta x}{\lambda g}} \right]^{\frac{1}{2}}$$

$$m = \sqrt{2}$$

$$\approx \left[ \frac{1}{\sin^2 \frac{\pi \Delta x}{\lambda g}} \right]^{\frac{1}{2}}$$

$$\approx \frac{1}{\frac{1}{2} \sin^2 \left( \frac{\pi \Delta x}{\lambda g} \right)}$$

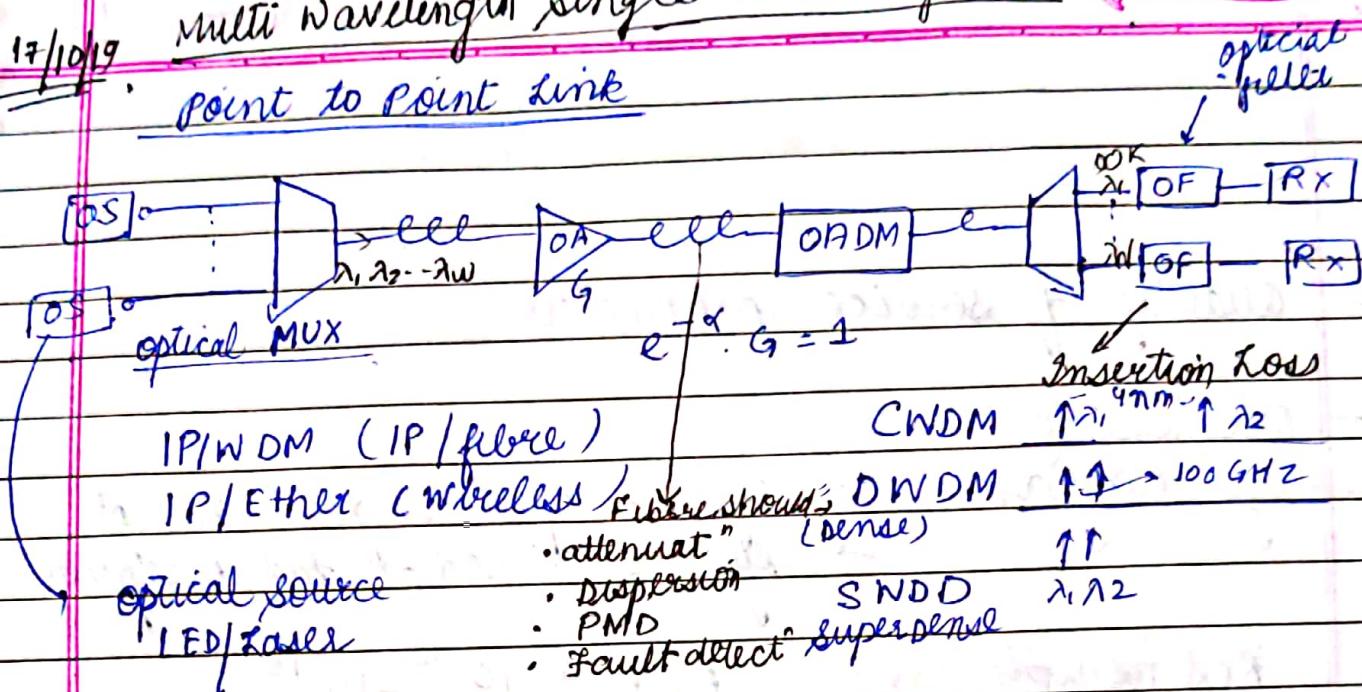
Dust b/w 2 successive  
minima

$$= \frac{1}{\frac{1}{2} \sin^2 \left( \frac{\pi \Delta x}{\lambda g} \right)} = 2 \times \infty$$

$$= \frac{2(d_{\min}' - d_{\min})}{\pi \Delta x}$$

Gangopadhyay Sir's class.

17/10/19. Multi Wavelength single link system  
point to point link



- Non linear effects (SPM / XPM / FWM)

- Attenuation / distortion / dispersion

Rx can be

- PIN-FET
- APD-FET
- coherent Rx

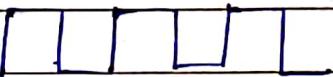
- OA (optical amp') → E DFA  
DRA → used for undersea comm  
SOA

optical add & drop multiplexer

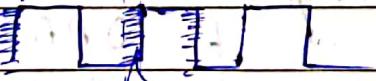
In OADM → we can add sum of local signals & we can also draw some of the signals.

- Quality of service parameters
- Rx sensitivity
  - ↳ eye diagram → eye is open → good recept.
  - ↳ eye is closed → bad reception
- ~~Rx sensitivity~~ →  $S/N$  . BER  $\rightarrow 10^{-12} - 10^{-15}$
- BER Test set → equipment which directly measures BER of S/I

- Responsivity
- Jitter



Freq acquisition



Phase acquisition

→ timing jitter  
Dynamic lock

Jitter variance  $\rightarrow \sigma^2$  (Rms value of jitter)

Requirement:

$$\frac{\sigma}{T} < 0.5$$

↓ OOK

PSK

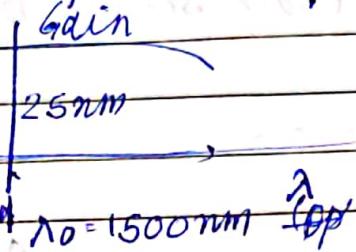
QPSK

OFDM

phase coherent s/s are used nowadays.

$$n = n_1(w) + n_2 I$$

25nm is BW of optical amp.



- OA generates ASE noise.

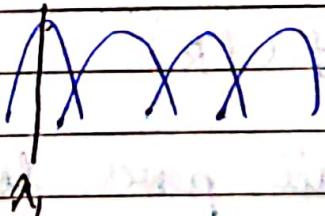
$$P_{ASE} = (2\eta_{sp} h v (\kappa - 1) B_{op})$$

- At Rx there is a polarisation controller

injecting a pump signal  $\rightarrow$  higher gain.

=? Gain equaliz<sup>n</sup>  $\rightarrow$  Every channel enjoys equal gain.

- channel Spacing

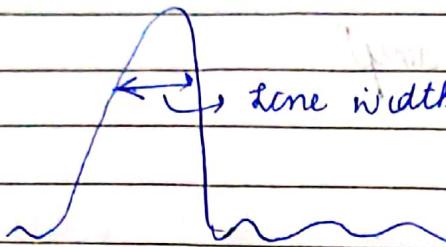


to minimise adjacent channel interference AWG devices are used.

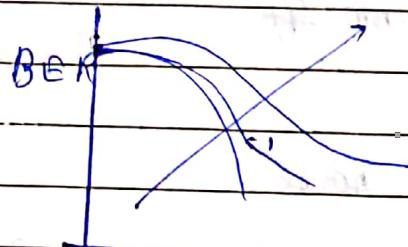
- Power o/p
- Spectrum
- Peak  $\lambda$
- Pulse width
- extinction ratio



## Laser



Zone width should be as less as possible  
→ more coherent



$\Delta\phi \rightarrow$  Phase error  
- choose a laser for coherence  
s.t.  
Phase noise should  
be as less as possible

## Power Budget

## Rise Time Budget

$$P_S - P_R = \alpha L + \eta \alpha_{CM} + k + \alpha_M$$

Fibre  
loss

$$BER = f(P_R)$$

Add all power losses.

## Time Degradation, Temp Degradation,

$$\boxed{\tau_{sys} < \tau_{allowed}} \Rightarrow$$

$$\tau_{sys} = 1.1 \sqrt{t_{tx}^2 + t_{Rx}^2 + \tau_{internal}^2 + \tau_{external}^2}$$

due to timing difference.

## Standardisation Bodies →

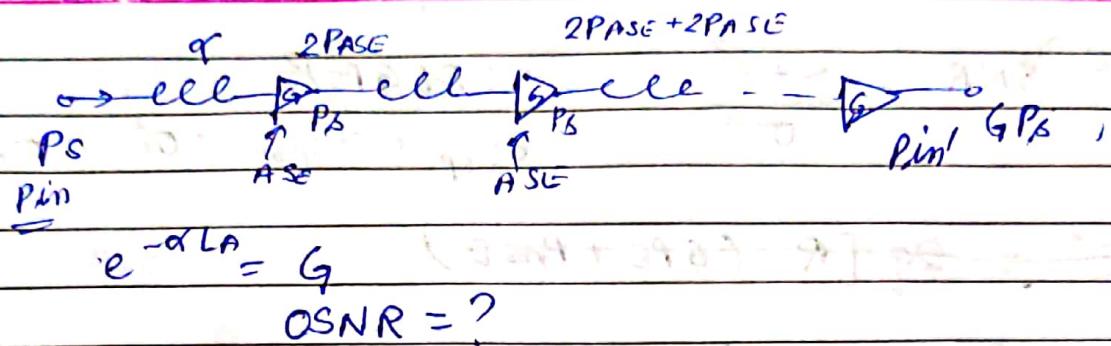
5.1



1. NIST (National Institute of Standard (USA))
2. NPL (UK)
3. ITU
4. TIA
5. ANSI
6. IEEE
7. ITU.

$$B_{op} \text{ (typically)} = 0.1 \text{ dBm}$$

$$20 = 20 \log x \quad x = 10 \quad \text{Total } = 0 \text{ dBm} \quad \text{Total } = 20 \log$$



$$OSNR = \frac{P_{in}}{N^2 PASE (G-1) B_{op}}$$

$$OSNR_{dB} = P_{in} (dBm) - N (dB) - n_{sp} (dB) - G (dB) + 58 dBm$$

Ques max transmission distance?

$$d_A = 100 \text{ km}, \quad \alpha_{fiber} = 0.25 \text{ dB/km}, \quad 2n_{sp} = 5 \text{ dB}$$

$$P_{in} = 1 \text{ mW}, \quad \text{Req OSNR} = 20 \text{ dB}$$

$$N (dB) = 0 - 20 - 5 - 25 + 58 = 8 \text{ dB}$$

$$1 \text{ mW} = 0 \text{ dBm}$$

6.3

$$I_s = R_d \left( | \sqrt{G} E_s + E_{ASE} |^2 \right) + i_s + i_T$$

Current of combined field,  
i/p power-detector

short  
noise

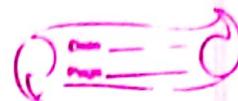
thermal  
noise

$$I_s = R_d G P_{in} + I_{s,sp} + i_{s,sp} + i_{srir}$$

contaneous

$$(S+n)^2 = S \times n + S \times S + n \times n$$

sp → spontaneous  
S → signal



electrical SNR =  $\frac{\langle I \rangle^2}{\sigma^2} = \frac{(Rd \text{ GPS})^2}{\sigma_{SSP}^2 + \sigma_{SPSP}^2 + \sigma_S^2 + \sigma_m^2}$

$$\sigma_S^2 = 2q [R (\text{GPS} + \text{PASE})]$$

$$\sigma_{SPSP}^2 = 4 R_d^2 : \text{GPS SASE } \Delta f$$

$$\sigma_{SPSP}^2 = 4 R_d S_{\text{ASE}}^2 \Delta f \left( B_{\text{op}} - \frac{\Delta f}{2} \right)$$

$$\sigma_S^2 = 2q [Rd (\text{GPS} + \text{PASE})] \Delta f$$

$$\sigma_S^2 = \frac{4KT\Delta f}{B_{\text{op}}} \quad \text{SASE} = \text{PASE}$$

Dominating noise

$$\text{SNR} = \frac{(Rd \text{ GPS})^2}{4 R_d^2 \text{ GPS SASE } B_{\text{op}}}$$

$$\Delta f = B_{\text{op}}$$

$$\begin{aligned} &= \frac{\sigma_I^2 \cdot \text{PS} \cdot B_{\text{op}}}{4 \text{PASE} \cdot B_{\text{op}} \times 2} \\ &= \frac{B_{\text{op}} \times \sigma_I^2}{2 B_{\text{op}}} \end{aligned}$$

mean signal current when  $\sigma$  is received

$$Q = \frac{I_1}{\sigma_I}$$

$\sigma_I^2 \rightarrow$  variance  
Total noise

$$= \sqrt{\frac{I_1^2}{\sigma_I^2}}$$

variance when  $\sigma \rightarrow$  receiver

$$B_{\text{op}} \times \text{OSNR} = Q^2$$

$$\frac{B_{\text{op}}}{2B_{\text{op}}} \Rightarrow Q = \frac{\text{OSNR} \times B_{\text{op}}}{2 B_{\text{op}}}$$

$$BER = \frac{1}{2} \operatorname{erfc}\left(\frac{\Omega}{\sqrt{2}}\right)$$

$$BER \rightarrow 10^{-9} - 10^{-14}$$

$$10^{-3} - 10^{-4}$$

$$10^{-9} - 10^{-14}$$

BER Test

$$BER = \frac{\text{Nerror}}{R \Delta T} \approx 100$$

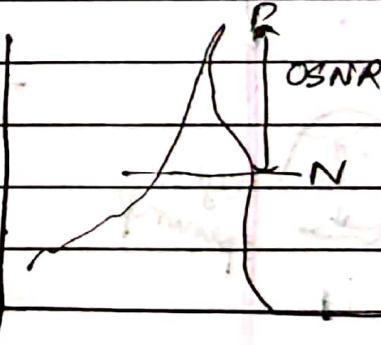
Data rate

$$10 \text{ Gb/s} \quad 10^{-12} \text{ BER}$$

$$\Delta T = \frac{100}{10^{-12} \times 10^{10}} = 10^4 \text{ s} = 2.7 \text{ ms}$$

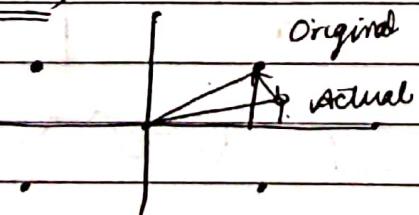
$$\Omega = \sqrt{I_1^2 - (I_0)^2}$$

$$BER = \frac{1}{2} \operatorname{erfc}\left(\frac{\Omega I}{\sqrt{2}}\right)$$



Error vector magnitude

(EVM)



$$\text{Error Amp} = \sqrt{(I_i - I_A)^2 + (\Omega_i - \Omega_A)^2}$$

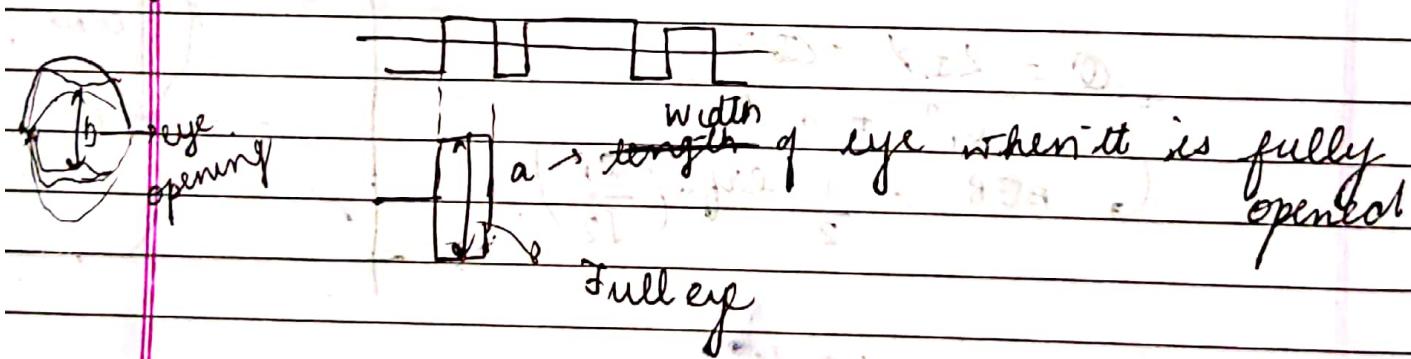
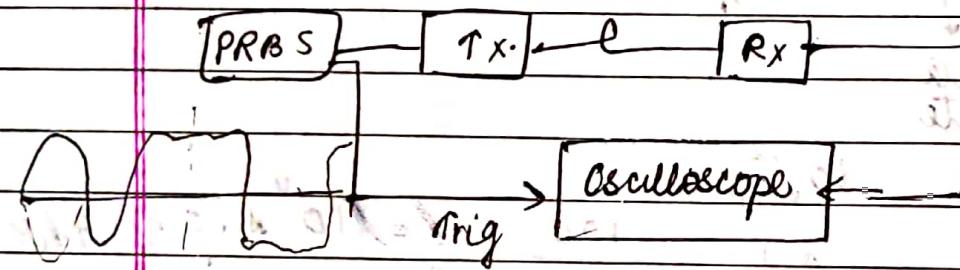
$$= \sqrt{(\Delta I)^2 + (\Delta \Omega)^2}$$

$$\text{error amp (rms)} = \sqrt{\frac{1}{N} \left( \sum_{k=1}^N (\Delta I_k^2 + \Delta Q_k^2) \right)}$$

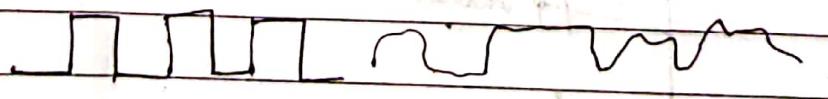
IEEE 802.15.4  $\rightarrow$  EVM < 35%

to measure quality  
of reception.

Eye opening  $\rightarrow$



$$\text{Eye opening (EOP)} = \frac{b}{a} \times 100$$



Heg(f)

H(f) channel