

# FACULTY OF ENGINEERING TECHNOLOGY

**CAMPUS GROUP T LEUVEN** 

# Microcontrollers LAB 4

FIR filtering using ASSEMBLY

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# FIR filters in Assembly

#### Introduction

A filtering operation is very common in many digital applications we know today. It is e.g. used as part of the decoding of a voice signal received through GSM, or to compress or decompress an audio or video signal in real time. In order to process all the samples in time, efficient algorithms are needed, and implementations in Assembly are still the most efficient. Today you will implement a so called FIR filter.

#### FIR filters

# b(0) represent the current coefficient

AD转换之后的值

The formula below is that of an eight-order Finite Impulse Response (FIR) filter. y(n) is the current output sample to be calculated, x(n) is the current input sample, x(n-1) is the previous input sample, and so on. y(0) up to y(0) are called the filter coefficients. According to the formula the output sample is a weighted sum of a set of input samples, in which the filter coefficients are the weights.

The order of the filter reflects how many input samples are weighed, and in this case the order is 8.

y(n) = b(0).x(n) + b(1).x(n-1) + b(2).x(n-2) + ... + b(7).x(n-7) + b(8).x(n-8) Yn是输入给PWM的当作duty ratio的值 此刻输出取决于当前输入以 及之前的八个输入共同作用

One can prove (see course on Digital Signal Processing) that this filter has a finite impulse response, hence the name FIR filter. The filter you will implement in the lab is a low-pass filter, with a frequency response (~Bode plot) as shown in Figure 1.

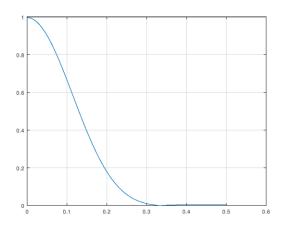


Figure 1 Frequency response of the first FIR filter. The horizontal axis corresponds with the normalized frequency (i.e. the frequency of the signal divided by the sampling frequency). The vertical axis corresponds to the gain. Since higher frequencies are strongly attenuated, this characteristic is that of a low-pass filter.

### Filter coefficients

In order to obtain the filter coefficients, software tools like Matlab or Octave can be used. For an eighth order low-pass filter that cuts off at 0.1 times the sampling frequency, one obtains the following values (from b(0) to b(8)):

0.0051719, 0.0295410, 0.1108839, 0.2191328, 0.2705408, 0.2191328, 0.1108839, 0.0295410, 0.0051719

These cannot be used as such on our processor, since this is not a fixed-point processor. The PIC18F contains an 8x8 multiplier that can multiply two unsigned chars. A trick to deal with this is to multiply the coefficients with 256, and then one obtains:

1 8 28 56 69 56 28 8 1

As a consequence, the output will also be 256 larger than before.

# Buffers and indirect addressing

The filter coefficients will be stored in a buffer starting at address 0x30:

0x30	b(0)
0x31	b(1)
0x32	b(2)
0x33	b(3)
0x34	b(4)
0x35	b(5)
0x36	b(6)
0x37	b(7)
0x38	b(8)

main
bsf ADCON0,1 :GO/DONE=1\_start the convertor
goto wait

wait
goto wait

adc\_finish
bcf ADCON0,1
movff ADRESH,COUNTER
bcf PIR1,ADIF
bcf PIR1,ADIF
bcf PIR1,SSPIF
movff COUNTER,SSP1BUF
return

spi\_finish
bcf PIR1,SSPIF
bsf ADCON0,1
return

inter\_high
BTFSC PIR1,TMR2IF
bcf PIR1,TMR2IF
bcf PIR1,TMR2IF
bcf PIR1,TMR2IF
bcf PIR1,TMR2IF
call adc\_finish
BTFSC PIR1,ADIF
call spi\_finish
RETFIE

For the input signal, sinusoids will be used with frequencies up to half the sampling rate. In order to ensure only positive input values for the A/D converter, a DC off-set around 2.5 V has to be added. The signal generator in the lab allows the addition of this off-set. Also the input samples will be stored in a buffer, more specifically in a circular buffer:

0x20	x(n-3)	
0x21	x(n-2)	
0x22	x(n-1)	<<< previous sample
0x23	x(n)	<<< current sample
0x24	x(n-8)	<<< oldest sample
0x25	x(n-7)	
0x26	x(n-6)	
0x27	x(n-5)	
0x28	x(n-4)	

用FSR0和FSR1这两个file register来取 用上边两列buffer register的数值然后进 行multiplication:

> MOVF FSR0,W MULWF FSR1

间接寻址,就是不直接取用,用指针FSR来调用

When a new sample arrives, the oldest sample will be overwritten. Indirect addressing will be used for both buffers (coefficients and samples). The File Selection Registers FSRx will point to the appropriate element in the buffer. Use FSRO for the input samples, and FSR1 for the coefficients.

## Implementation issues

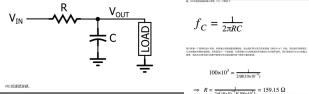
Since both input samples and filter coefficients are positive, unsigned multiplication can be used (see instruction MULWF), which makes the implementation easier. Note that the multiplication of two bytes, yields a 16-bit value, stored in registers PRODH:PRODL.

For each incoming sample, the above formula has to calculated. Apply the multiply-and-accumulate method to implement the filter. Use two registers to store the filter output, a low byte and a high byte, and clear them before each filter cycle. Perform the multiplication of each coefficient with the appropriate input sample, and add it to the value in the output register. Don't forget the carry obtained after adding the two low bytes! The final result should be divided by 256, but this division does not need to be carried out, since one can simply take the high byte as the final result.

所有的 PIC18 器件均包含一个 8 x 8 硬件乘法器(乘法器是 ALU 的一部分)。该乘法器可<mark>执行无符号运算</mark>并产生一个 16 位运算结果,该结果存储在一对乘积寄存器 PRODH:PRODL 中。该乘法器执行的运算不会影响 STATUS 寄存器中的任何标志。

```
MOVF ARG1, W ;
MULWF ARG2 ; ARG1 * ARG2 ->
; PRODH: PRODL
```

【例 6-26】 INDF 间接寻址的使用。 ; IRP 清零, 以便和 FSR 一起实现间接寻址 BCF STATUS, IRP MOVLW 0 x 2 0  $; W = 0 \times 20$  $FSR = 0 \times 20$ MOVWE FSR INDF :0x20 单元被清 0 而不是 0x00 单元被清 0 CLRF ;  $FSR = 0 \times 21$ INCF FSR, F ;0×21 单元被清0 而不是0×00 单元被清0 CLRF INDF



; update buffer word

The result of the A/D converter is sent directly (so without FIR filter) to the PWM module. The duty ratio is set equal to the ast input sample. Design a passive RC filter (low-pass) with a cut-off at half the sample rate to smooth the PWM signal.

Try to upload the altered template program. Test the Prove that the sampling frequency is correct (be created)

MOVLW NEW\_DATA\_LOW
MOVWF POSTINC0
MOVLW NEW\_DATA\_HIGH

MOVWF INDFO

\_\_\_\_\_

	LFSR	FSR0, 100h	;
NEXT	CLRF	POSTINC0	; Clear INDF
			; register then
			; inc pointer
	BTFSS	FSROH, 1	; All done with
			; Bank1?
	BRA	NEXT	; NO, clear next
CONTINUE			; YES, continue
			R":

POTITOOT			
INDF0	使用 FSR0 的内容来寻址数据存储器——FSR0 的值不变	(非物理寄存器)	
POSTINC0	使用 FSR0 的内容来寻址数据存储器——FSR0 的值后增	(非物理寄存器)	
POSTDEC0	使用 FSR0 的内容来寻址数据存储器——FSR0 的值后减	(非物理寄存器)	
PREINC0	使用 FSR0 的内容来寻址数据存储器——FSR0 的值预增	(非物理寄存器)	

## 1. FIR filter implementation

Write the code for the FIR filter according to the above guidelines. Before testing it on the board, simulate the code in MPLAB, without A/D conversion, timers or interrupts (so just the filter code). Use fake numbers for the input sample, e.g. all equal to "1". While simulating, watch the registers relevant for indirect addressing (like FSRO and FSR1), and the filter output. Only this way you will be sure that your code works properly.

## 2. Test on PIC board

Now integrate your filter code in the template. Take care of the circular buffer for the input samples. Make sure the latest sample is stored in the right place. Apply a test signal at the input and monitor the output. Your test signal should be a sinusoid with varying frequency and a DC off-set halfway the supply voltage. Make sure your signal stays in the range of the A/D converter. Observe the output. It should show low-pass behaviour.

## 3. **Bode plot**

Measure the frequency response of your system. Compare your results with the theoretical values (see excel file on Toledo).

# 4. Music

Apply a music signal to the input, using a sampling frequency of 10 kHz. Create a DC off-set with a simple voltage divider, and apply the signal with a coupling capacitor. Use a decoupling capacitor at the output. Listen to the effect.

# Assignment "HIGH PASS FIR FILTER":

Repeat the assignment above, but now with other filter coefficients. The result should be a high pass filter. Here below you find some extra guidelines.

The coefficients for an 8<sup>th</sup> order high-pass FIR filter are:

Since there are negative coefficients, **signed multiplication** should be used. One way to implement this is to write code that makes use of unsigned multiplication (see lecture on data types and arithmetic).

An alternative approach is this one:

$$y(n) = b(0).x(n) + b(1).x(n-1) + ... + b(8).x(n-8)$$

Now, add the absolute value of the largest negative value (-41) to all coefficients, so

$$b'(i) = b(i) + 41$$

All these new coefficients are positive!

Then the formula for the filter output becomes:

$$y(n) = [b'(0)-41].x(n) + [b'(1)-41].x(n-1) + ... + [b'(8)-41].x(n-8)$$

$$y(n) = [b'(0).x(n) + b'(1).x(n-1) + ... + b'(8).x(n-8)] - 41.[x(n) + x(n-1) + ... + x(n-8)]$$

The first term uses only unsigned multiplication, and so, the result will be positive. The same code as for the low-pass filter can be used. To obtain the correct filter output, the sum of the last 9 samples, multiplied with 41, has to be subtracted from the first term. Be careful however, that the first term does not overflow. If this occurs, an upper byte should be used, besides the high byte and the low byte.

前边的第一项总和可能超过了16位,因此需要另外8位

The filter characteristic should look like this in theory (see Figure 2).

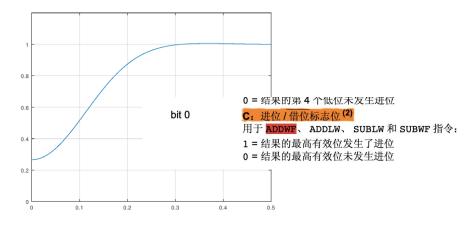


Figure 2 Frequency response of the second FIR filter. Since now the lower frequencies are strongly attenuated, this characteristic is that of a high-pass filter.

The DC gain = 0,265625, so that means that the DC off-set we used at the input will be attenuated. In order to compensate for that, the value 94 should be added to the PWM duty ratio (94 = 128 - 128\*0.265625).