

## Demo ticket

### Session

ID: demoD2C9SG-2AE  
Time limit: 120 min.

### Status: closed

Created on: 2014-03-17 17:31 UTC  
Started on: 2014-03-17 17:31 UTC  
Finished on: 2014-03-17 17:35 UTC

## Tasks in test

## Task score

## Test score

100%

100 out of 100 points

EASY

### 1. TreeHeight

Compute the height of a binary link-tree.

score: 100 of 100

#### Task description

In this problem we consider *binary trees*, represented by pointer data-structures. A pointer is called a *binary tree* if:

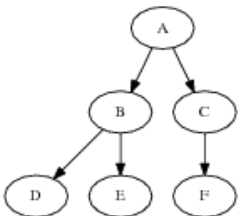
- it is an empty pointer (it is then called an *empty tree*); or
- it points to a structure (called a *node*) that contains a value and two pointers that are binary trees (called the *left subtree* and the *right subtree*).

A figure below shows a tree consisting of six nodes.

A *path* in a binary tree is a sequence of nodes one can traverse by following the pointers. More formally, a path is a sequence of nodes  $P[0], P[1], \dots, P[K]$ , such that node  $P[L]$  contains a pointer pointing to  $P[L + 1]$ , for  $0 \leq L < K$ .  $K$  is called the *length* of such a path.

The *height* of a binary tree is defined as the length of the longest possible path in the tree. In particular, a tree consisting only of just one node has height 0 and the height of an empty tree is undefined.

For example, consider the following tree:



Subtrees of nodes D, E and F are empty trees. Sequence A, B, E is a path of length 2. Sequence C, F is a path of length 1. Sequence E, B, D is not a valid path. The height of this tree is 2.

Assume that the following declarations are given:

```

struct tree {
    int x;
    tree * l;
    tree * r;
};
  
```

#### Solution

Programming language used: C++

Total time used: 4 minutes

Effective time used: 4 minutes

Notes: correct functionality and scalability

#### Task timeline

17:31:53

17:35:10

Code: 17:35:10 UTC, cpp, final, score: 100.00

```

01. // you can also use includes, for example:
02. #include <algorithm>
03. int solution(tree * T) {
04.     // we are done!
05.     if (T->l == NULL && T->r == NULL)
06.         return 0;
07.     // right-skewed tree
08.     else if (T->l == NULL)
09.         return 1 + solution(T->r);
10.     // left-skewed tree
11.     else if (T->r == NULL)
12.         return 1 + solution(T->l);
13.     else
14.         return 1 + max(solution(T->l), solution(T->r));
15. }
  
```

#### Analysis

