

# Advanced Algorithms

LAB -1

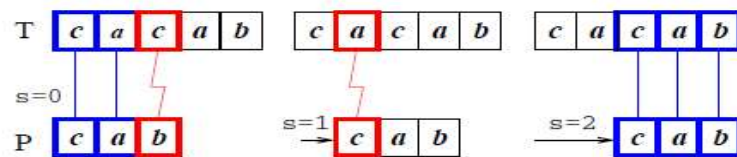
Language: C / C++ / Python

## Brute-Force Algorithm

Initially,  $P$  is aligned with  $T$  at the first index position.  $P$  is then compared with  $T$  from **left-to-right**. If a mismatch occurs, "slide"  $P$  to *right* by 1 position, and start the comparison again.

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Complexity :  $\Theta(m(n-m+1))$  is equivalent to  $\Theta(mn)$

## Brute-Force Algorithm

```
BF_StringMatcher(T, P) {
    n = length(T);
    m = length(P);

    // s increments by 1 in each iteration
    // => slide P to right by 1
    for (s=0; s<=n-m; s++) {
        // starts the comparison of P and T again
        i=1; j=1;
        while (j<=m && T[s+i]==P[j]) {
            // corresponds to compare P and T from
            // left-to-right
            i++; j++;
        }
        if (j==m+1)
            print "Pattern occurs with shift=", s
    }
}
```

## Horspool's Algorithm

**Algorithm 2.11:** Horspool

Input: text  $T = T[0 \dots n]$ , pattern  $P = P[0 \dots m]$

Output: position of the first occurrence of  $P$  in  $T$

Preprocess:

(1) for  $c \in \Sigma$  do  $shift[c] \leftarrow m$

(2) for  $i \leftarrow 0$  to  $m - 2$  do  $shift[P[i]] \leftarrow m - 1 - i$

## Horspool's Algorithm

**Text:** JIMY\_HAILED\_THE\_LEADER\_TO\_STOP

**Pattern:** LEADER

JIMY\_RAN\_AND\_HAILED\_THE\_LEADER\_TO\_STOP

LEADER												

## Horspool's Algorithm

**Text:** JIMY\_HAILED\_THE\_LEADER\_TO\_STOP

**Pattern:** LEADER

```

JIMY_RAN_AND_HAILED_THE_LEADER_TO_STOP
      ||      | |      |      ||      |
LEADER      | |      |      ||      |
      LEADER |      |      ||      |

```

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LEADER      | |      |      ||      |
          LEADER |      |      ||      |
              LEADER      |      ||      |
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LEADER      | |      |      ||      |
          LEADER |      |      ||      |
              LEADER      |      ||      |
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          LEADER |      |      ||      |
              LEADER      |      ||      |
                  LEADER      ||      |
                      LEADER ||      |
                          LEADER|      |
                              LEADER  |

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LEADER      | |      |      ||      |
          LEADER |      |      ||      |
              LEADER      |      ||      |
                  LEADER      ||      |
                      LEADER ||      |
                          LEADER|      |
                              LEADER  |
                                  LEADER

```

The worst case cost is  $\Theta(nm)$ , but for random text is  $\Theta(n)$ .

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Preprocess:

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(2) for  $i \leftarrow 0$  to  $m - 2$  do  $shift[P[i]] \leftarrow m - 1 - i$

Search:

(3)  $j \leftarrow 0$

(4) while  $j + m \leq n$  do

(5)     if  $P[m - 1] = T[j + m - 1]$  then

(6)          $i \leftarrow m - 2$

(7)         while  $i \geq 0$  and  $P[i] = T[j + i]$  do  $i \leftarrow i - 1$

(8)         if  $i = -1$  then return  $j$

(9)      $j \leftarrow j + shift[T[j + m - 1]]$

(10) return  $n$

## Try Yourself

**Text:** JIM\_SAW\_ME\_IN\_A\_BARBER\_SHOP

**Pattern:** BARBER

## Try Yourself (Solution)

**Text:** JIM\_SAW\_ME\_IN\_A\_BARBER\_SHOP

**Pattern:** BARBER

BARBER

BARBER

BARBER

BARBER

BARBER