

Module 15: Simple Equations - Complete Notes

What You'll Learn

In this module, you'll master **solving equations** — finding unknown values by working backward from known results.

Concept Explained (Like a YouTube Video)

The Basics

An **equation** has an equals sign — both sides must balance. Solving means finding the unknown value.

$$3x + 5 = 20$$

Step 1: Subtract 5 from both sides

$$3x = 15$$

Step 2: Divide both sides by 3

$$x = 5$$

Verify: $3(5) + 5 = 15 + 5 = 20 \checkmark$

The Golden Rule

Whatever you do to one side, do to the other.

Programming Connection

Code Examples

```
# Example 1: Solve Linear Equation

def solve_linear(a, b, c):
    """
    Solve: ax + b = c
    Solution: x = (c - b) / a
    """
    if a == 0:
        return None if b != c else "infinite"
        return (c - b) / a

# 3x + 5 = 20
print(solve_linear(3, 5, 20)) # 5.0

# 2x - 10 = 0
print(solve_linear(2, -10, 0)) # 5.0
```

```

# Example 2: Reverse Calculation (Find What You Need)

def find_required_score(current_avg, num_tests, target_avg):
    """
    What score needed on next test to reach target average?

    Equation: (current_total + x) / (num_tests + 1) = target_avg
    Solution: x = target_avg * (num_tests + 1) - current_total
    """
    current_total = current_avg * num_tests
    required = target_avg * (num_tests + 1) - current_total
    return required

# Current avg 80 on 4 tests, want 85 avg
result = find_required_score(80, 4, 85)
print(f"Need to score: {result}") # 105

```

```

# Example 3: Validate a Solution

def validate_equation(a, b, c, x):
    """
    Check if x is correct solution for ax + b = c
    """
    left_side = a * x + b
    right_side = c
    return abs(left_side - right_side) < 0.0001

# Verify: 3x + 5 = 20, x = 5
print(validate_equation(3, 5, 20, 5)) # True
print(validate_equation(3, 5, 20, 4)) # False

```

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# Example 4: Find Original Price from Discounted

def find_original_price(final_price, discount_percent):
    """
    final = original * (1 - discount/100)
    original = final / (1 - discount/100)
    """
    return final_price / (1 - discount_percent / 100)

# Sale price is $80 after 20% discount
original = find_original_price(80, 20)
print(f"Original price: ${original}") # $100.0

```

SDET/Testing Application

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# SDET Scenario: Calculate Required Pass Count

def required_passes_for_rate(total_tests, target_rate):

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"""How many tests must pass to achieve target rate?"""
# passed / total = target_rate
# passed = total * target_rate
return int(total_tests * target_rate)

# Need 80% pass rate on 50 tests
result = required_passes_for_rate(50, 0.80)
print(f"Need {result} passes out of 50") # 40

```

```

# SDET Scenario: Find Max Allowed Failures

def max_failures_for_rate(total_tests, min_pass_rate):
    """Max failures while maintaining minimum pass rate"""
    min_passes = int(total_tests * min_pass_rate)
    max_failures = total_tests - min_passes
    return max_failures

# 100 tests, need 95% pass rate
result = max_failures_for_rate(100, 0.95)
print(f"Can afford {result} failures") # 5

```

Practice Problems

Problem 1: Easy

Challenge: Solve for x: $2x + 6 = 20$

Problem 2: Medium

Scenario: Total bill is \$108. Tax was 8% of original price.

Challenge: What was the original price?

Problem 3: Application

Scenario: Your pass rate is 92%. You need 95%. You have 100 tests.

Challenge: How many more tests need to pass?

Key Takeaways

- Equation = Balance** — Both sides equal
- Isolate the unknown** — Move everything else
- Inverse operations** — Undo to solve
- Verify** — Plug back in to check

 Save as: *Module_15_Simple_Equations.md*