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SUBJECT	Design and Analysis of Algorithms
EXPERIMENT NO:	4
AIM:	To implement Matrix Chain Multiplication
Algorithm:	<p>MATRIX-CHAIN-ORDER (p)</p> <ol style="list-style-type: none"> 1. $n \leftarrow \text{length}[p]-1$ 2. for $i \leftarrow 1$ to n 3. do $m[i, i] \leftarrow 0$ 4. for $l \leftarrow 2$ to n // l is the chain length 5. do for $i \leftarrow 1$ to $n-l+1$ 6. do $j \leftarrow i+l-1$ 7. $m[i, j] \leftarrow \infty$ 8. for $k \leftarrow i$ to $j-1$ 9. do $q \leftarrow m[i, k] + m[k+1, j] + p_{i-1} p_k p_j$ 10. If $q < m[i, j]$ 11. then $m[i, j] \leftarrow q$ 12. $s[i, j] \leftarrow k$ 13. return m and s. <p>PRINT-OPTIMAL-PARENS (s, i, j)</p> <ol style="list-style-type: none"> 1. if $i=j$ 2. then print "A" 3. else print "(" 4. PRINT-OPTIMAL-PARENS ($s, i, s[i, j]$) 5. PRINT-OPTIMAL-PARENS ($s, s[i, j]+1, j$)

6. print ")"

Code:

```
#include <iostream>
#include <climits>
#include <random>
#include <ctime>
using namespace std;

void matrixChainOrder(int p[], int n, int
m[][100], int s[][100])
{
    for(int i=1; i<=n; i++)
        m[i][i] = 0;
    for(int l=2; l<=n; l++)
    {
        for(int i=1; i<=n-l+1; i++)
        {
            int j = i+l-1;
            m[i][j] = INT_MAX;

            for(int k=i; k<=j-1; k++)
            {
                int q = m[i][k] + m[k+1][j] +
p[i-1]*p[k]*p[j];
                if(q < m[i][j])
                {
                    m[i][j] = q;
                    s[i][j] = k;
                }
            }
        }
    }
}
```

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        }

    }

}

void printOptimalParenthesis(int s[][100], int
i, int j)
{
    if(i == j)
        cout << "A" << i;
    else
    {
        cout << "("; printOptimalParenthesis(s,
i, s[i][j]); printOptimalParenthesis(s,
s[i][j]+1, j); cout << ")";
    }
}

int main()
{
    int p[8];
    srand ( time(NULL) );
    random_device rd;
    mt19937 gen(rd());
    uniform_int_distribution<> distr(15, 46);
    for(int i=0; i<10; ++i)
        p[i] = distr(gen);

    int n = sizeof(p)/sizeof(p[0]) - 1;

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int m[100][100];

int s[100][100];

matrixChainOrder(p, n, m, s);

cout << "\nOptimal Parenthesization: ";
printOptimalParenthesis(s, 1, n);
cout << endl;

cout << "\nMinimum Number of Scalar Multi-
plications: " << m[1][n] << endl;
cout << "\n\nm table:";
for(int a = 0; a < 8; a++)
{
    for(int b = 0; b < 8; b++)
    {
        if(m[a][b] == 0){continue;}
        cout << m[a][b] << " ";
    }

    cout << endl;
}
cout << "\n\ns table:";

for(int a = 0; a < 10; a++)
{
    for(int b = 0; b < 10; b++)
    {

```

	<pre> if(s[a][b] == 0){continue;} cout << s[a][b] << " "; } cout << endl; } return 0; } </pre>
Output	<pre> students@students-HP-280-G3-SFF-Business-PC:~/Desktop/daa\$ g++ mcmNew.cpp students@students-HP-280-G3-SFF-Business-PC:~/Desktop/daa\$./a.out Optimal Parenthesization: ((((((A1A2)A3)A4)A5)A6)A7) Minimum Number of Scalar Multiplications: 102600 m table: 21600 48600 65400 75060 86790 102600 57600 90720 100280 125304 147338 50400 67160 102350 123487 25760 57040 78522 21896 44206 24242 s table: 1 2 3 4 5 6 2 2 2 5 5 3 3 5 5 4 5 5 5 5 6 </pre> <pre> students@students-HP-280-G3-SFF-Business-PC:~/Desktop/daa\$ </pre>
Conclusion:	<p>Thus, after performing this experiment I understood how matrix chain multiplication works and how significant it is while multiplying metrices</p>

