

# Policy Improvement

S	A	$Q^{\pi}(S, A) = R(S, A) + \gamma \sum_{S'} T(S, A, S') V(S')$
(0,0)	<u>Right</u>	$R([0,0], \text{Right}) + \gamma [T([0,0], \text{Right}, [0,1]) V([0,1]) + T([0,0], \text{Right}, [1,0]) V([1,0])]$ $= 0 + 0.9 \times [0.9 \times 3.1 + 0.1 \times 0] = \underline{2.511}$
	Left	$R([0,0], \text{Left}) + \gamma [T([0,0], \text{Left}, [0,0]) V([0,0])]$ $= 0 + 0.9 \times [\text{0 } 1 \times (-4.05)]$ $= -3.645$
	Up	$R([0,0], \text{Up}) + \gamma [T([0,0], \text{Up}, [0,0]) V([0,0])]$ $= 0 + 0.9 \times [1 \times (-4.05)]$ $= -3.645$
	Down	$R([0,0], \text{Down}) + \gamma [T([0,0], \text{Down}, [1,0]) V([1,0]) + T([0,0], \text{Down}, [0,1]) V([0,1])]$ $= 0 + 0.9 \times [0.9 \times 0 + 0.1 \times 3.1]$ $= 0.279$
	Nothing	$R([0,0], \text{Nothing}) + \gamma [T([0,0], \text{Nothing}, [0,0]) V([0,0])]$ $= 0 + 0.9 \times [1 \times (-4.05)]$ $= -3.645$

In the new policy,  $\pi([0,0]) = \text{Right}$  because the computed Q-value of action Right in state [0,0] is the highest among all actions.

Do the same for all remaining states.