

# 1) Put data here (replace with your values)

```
> weight_loss <- c(2.1,1.8,3.2,2.5,1.9,2.7,3.0,2.4,1.6,2.8)
```

# 2) Basic stats

```
> n <- length(weight_loss) # sample size
```

```
> mean_x <- mean(weight_loss) # sample mean
```

```
> sd_x <- sd(weight_loss) # sample standard deviation (uses n-1)
```

```
> se <- sd_x / sqrt(n) # standard error
```

```
> cat("n =", n, "\n")
```

n = 10

```
> cat("Mean =", mean_x, "kg\n")
```

Mean = 2.4 kg

```
> cat("SD =", sd_x, "kg\n")
```

SD = 0.5374838 kg

```
> cat("SE =", se, "kg\n\n")
```

SE = 0.1699673 kg

# 3) Manual t-value ( $H_0: \mu = 0$ )

```
> mu0 <- 0
```

```
> t_value <- (mean_x - mu0) / se
```

```
> df <- n - 1
```

```
> cat("t-value (manual) =", t_value, " (df =", df, ")\n\n")
```

t-value (manual) = 14.12036 (df = 9)

# 4) p-value for one-sided test (right tail;  $H_a: \text{mean} > 0$ )

```
> p_one_sided <- 1 - pt(t_value, df)
```

```
> cat("One-sided p-value =", p_one_sided, "\n\n")
```

One-sided p-value = 9.522806e-08

# 5) Same test using built-in function (verifies result)

```
> tt <- t.test(weight_loss, mu = mu0, alternative = "greater")
```

```
> print(tt)
```

One Sample t-test

data: weight\_loss

t = 14.12, df = 9, p-value = 9.523e-08

alternative hypothesis: true mean is greater than 0

95 percent confidence interval:

2.088431 Inf

sample estimates:

mean of x

2.4

# 6) Decision at  $\alpha = 0.05$

```
> alpha <- 0.05
> if (p_one_sided < alpha) {
+   cat("\nDecision: Reject H0 — evidence the program causes weight loss (mean > 0).\n")
+ } else {
+   cat("\nDecision: Fail to reject H0 — no significant evidence of weight loss.\n")
+ }
Decision: Reject H0 — evidence the program causes weight loss (mean > 0).
```