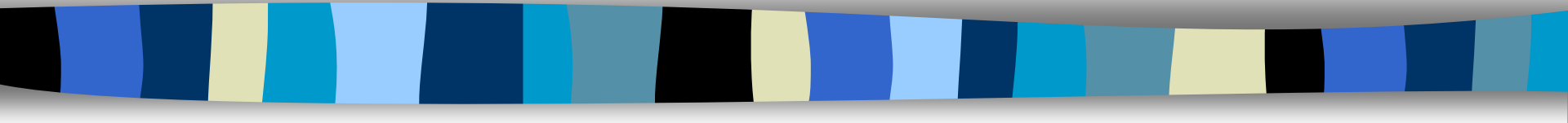


# Database Handling in Prolog





# Database handling in Prolog

Two types of databases :- static and dynamic.

- **Static database** is a part of the program that is compiled along with it. It does not change during execution of the program.
- **Dynamic database** can change dynamically at execution time and are of two types.

**Type1:** created at each execution. It grows, shrinks and is deleted at the end of program.

- This type of database is no longer available after program finishes its execution and is called **working memory**.



# Cont...

**Type2:** Other type of dynamic databases are those which are stored in files and called database files.

- These are consulted in any program whenever required.
- These types of databases are not part of any particular program and are available for use in future by different programs using system defined predicates called **save** and **consult**.
- While executing a Prolog program one can load database file(s) using 'consult' predicate.
- These files can be updated dynamically at run time and saved using 'save' predicate.

# Cont...

- The format of predicates 'save' and 'consult' are as follows:
  - **save(filename)** - succeeds after saving the contents of a file named 'filename'.
  - **consult(filename)** - succeeds after loading or adding all the clauses from a file stored in 'filename' in the current program being executed.
  - **reconsult(filename)** - succeeds after loading all the clauses by superseding all the existing clauses for the same predicate from a file 'filename'.
- Grouping of rules and facts into partitions can be easily.
- Example: Load a file named 'more' if predicates P and Q succeed,

**R :- P, Q, consult('more').**

# Cont...

- Clauses can be added to a database at run time using following predicates.

**asserta(X) & assertz(X)** - succeed by adding fact X in the beginning & at the end of database of facts respectively.

- For example, **asserta(father(mike, john))** adds fact **father(mike, john)** in the beginning of current database.
- Clauses can be constructed dynamically and asserted in a dynamic database as follows:

```
start :- writeln('Input name of mother: '), readln(M),  
writeln('Input name of child: '), readln(C),  
assert(parent(M, C)), assert(female(M)).
```



## Cont...

- Similarly obsolete clauses can be deleted by using system defined predicate called **retract** from dynamic database at the run time.
- For example, **retract(father(mike, X))** deletes the first fact **father(mike, \_)** from working memory.
- **retractall(X)** deletes all the clauses from a database whose head match with X.
- Example, **retractall(father(X, Y))** deletes all the facts **father( \_ , \_ )** and **retractall( \_ )** deletes all the clauses from the working memory.



# Graph Search

- Graph is a collection of nodes and edges. A predicate  $edge(x, y)$  is used to represent an edge from  $x$  to  $y$ .
- **Traversal Schemes**
  - *Depth first search*: It starts from start (initial) node deep down through one branch in depth first fashion until it reaches a final (goal) node.
  - *Breadth first search*: It basically allows traversal level wise. Search starts from the initial node and all the nodes reachable from current node are processed before the nodes at higher level.

# Graph Traversal - DFS

- `dfs(S, G, L)` - succeeds by initiating another predicate named `dfs1` and binding `L` with the list of nodes visited from start node `S` to goal node `G`.
- `dfs1(S, G, L1, L)` - succeeds by unifying `L` with the reverse of `L1`, where `L1` is a list of nodes visited so far in depth first fashion from `S` to `G` in reverse order.

`dfs(S,G, L) :- dfs1(S,G, [S], L),!.`

`dfs1(S,G, L1, L):- S = G, !, reverse(L1, L). (1)`

`dfs1(X, G, L1, L):- edge(X, Y), not(mem(Y, L1)),  
dfs1(Y,G, [Y|L1], L). (2)`

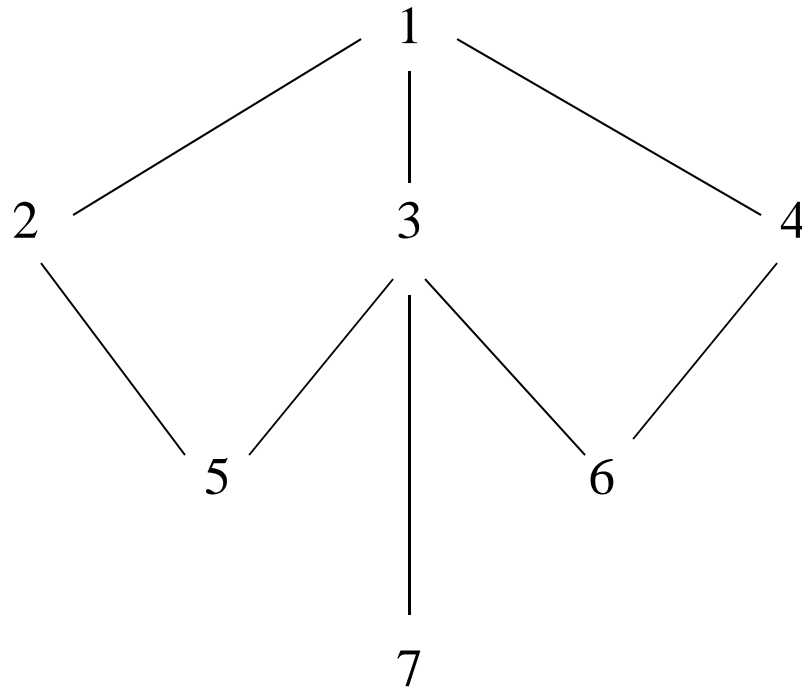
`reverse([ ],[ ]).`

`reverse([X|T], Y):- reverse(T,Y1), append(Y1, [X], Y).`



# Example

- Consider the following undirected graph with initial node as 1 and goal node as 7

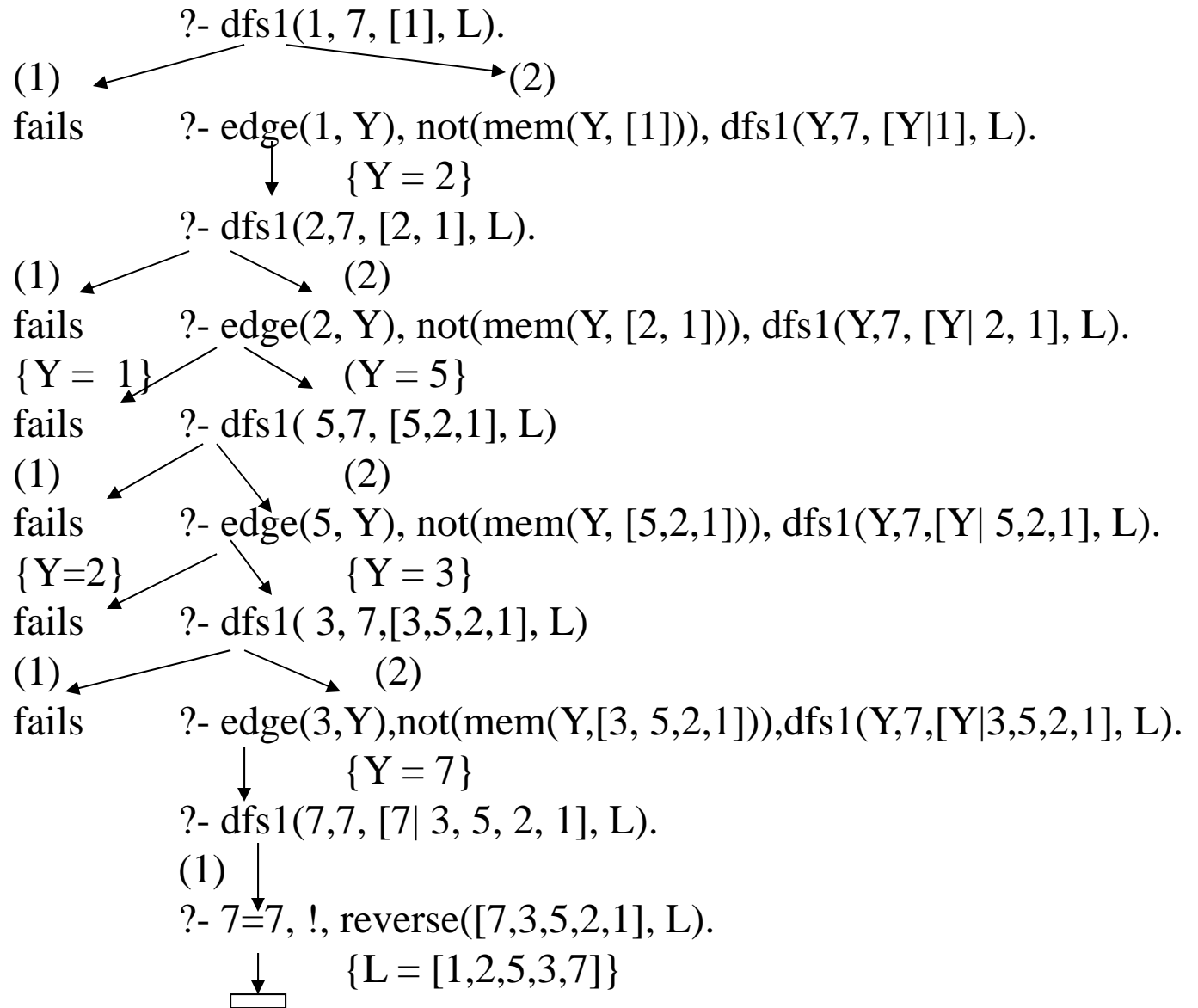


# Cont...

- Above undirected graph is represented in Prolog as follows:

```
edge(1, 2). edge(1, 3). edge(1, 4). edge(2, 1). edge(2, 5).  
edge(3, 1). edge(3, 5). edge(3, 7). edge(3, 6). edge(4, 1).  
edge(4, 6). edge(5, 2). edge(5, 3). edge(6, 3). edge(6, 4).  
edge(7, 3).
```

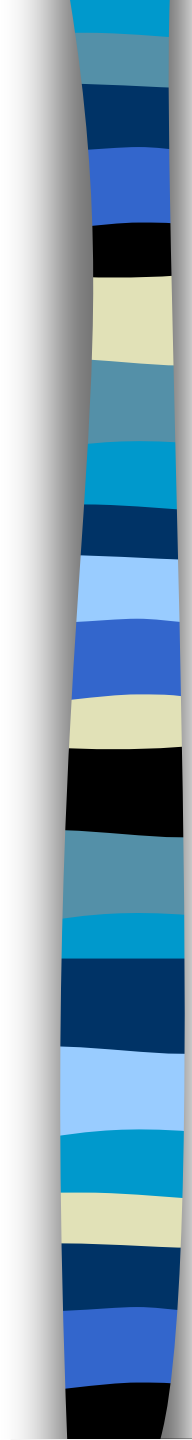
- Query:      **?- dfs(1, 7, L).**
- Path obtained using depth first search from start node 1 to goal node 7 is:  $L = [1, 2, 5, 3, 7]$





# Graph Traversal - BFS

- Breadth first basically requires a data structure called queue (FIFO) and traverses graph level wise.
- Queue is implemented in Prolog using database concept.
- At any point in time, the first element is obtained from the queue database and its successors are found.
- Add them at the end of queue database by *assertz(queue(Succ, [Succ/L]))* if it is not already there.
- Check if this element is a goal node and if so, then reverse the list generated so far and delete all the elements from the queue database.



%    bfs(X, L)        -    X is a start node and L is the list of nodes to be  
visited from start to goal nodes in order to find path.

%    f\_succ(X, L1, Y)-    succeeds by finding Y as a successor of X and adding  
queue(Y, [Y|L1]) at the end of queue database. On  
backtracking it finds all the successors of X and fails if no  
successor is available.

     bfs(S, L)        :-    start\_node(S), asserta(queue(S, [S])), queue(X, L1),  
                             f\_succ(X, L1, Y), goal\_node(Y), !, queue(Y, L2),  
                             reverse(L2, L), retractall(queue( \_, \_)).

     f\_succ(X, L1, Y) :-    edge(X, Y), not(mem\_list(Y, L1),  
                             assertz(queue(Y, [Y|L1])).

     f\_succ(X, L1, Y) :-    retract(queue(X, L1)), fail.

# Unification Program in Prolog

## ■ Simple unification program in Prolog

% unification(T1, T2)- succeeds if terms T1 and T2 unifies

```
unification(T1, T2) :- var(T1), var(T2), T1 = T2, !.  
unification(T1, T2) :- var(T1), nonvar(T2), T1 = T2, !.  
unification(T1, T2) :- nonvar(T1), var(T2), T2 = T1, !.  
unification(T1, T2) :- nonvar(T1), nonvar(T2), atomic(T1),  
                        atomic(T2), T1 = T2, !.  
  
unification(T1, T2) :- nonvar(T1), nonvar(T2),  
                        compound(T1), compound(T2),  
                        unify_term(T1, T2), !.  
  
unify_term(T1, T2) :- functor(T1, F, N), functor(T2, F, N),  
                        unify_args(T1, T2, N).  
  
unify_args(T1, T2, N) :- N > 0, unify(T1, T2, N), N1 is N - 1,  
                           unify_args(T1, T2, N1).  
  
unify_args(T, T, 0).  
unify(T1, T2, N) :- arg(N, T1, A1), arg(N, T2, A2),  
                     unification(A1, A2).
```



# Examples of Queries

## Goals:

?- unification(3, X).

X = 3

?- unification(f(3, X), f(Y, 4)).

Y = 3, X = 4

?-unification(f(X), f(g(6))).

X = g(6);

?- unification(3, 4)

fails

# Resolving two clauses and displaying the resolvent

- Program gets both the clauses in the form of list, for example, a clause  $(a \vee b \vee \sim c \vee d)$  as  $[a, b, \text{not}(c), d]$  from the user and display its resolvent.
- The resolvent is obtained by taking union after deleting positive and negative literals from the parents.
- Example

$$\text{resolvent } (a \vee \sim b \vee c, \sim a \vee c \vee d \vee e) = (\sim b \vee c \vee d \vee e)$$



# Resolvant Program

```
start  :- writeln('Input first clause in the form of list'), read(C1),
          writeln('Input second clause'), read(C2), res(C1, C2, R),
          writeln('Resolvant of two clauses is :'),writeln(R).
res(C1, C2, R) :- matching(C1,C2,R).
matching(C1,C2,R) :-    literal_matching(C1, C2, C1literal, C2literal),
                        delete(C1,C1literal,C1new),
                        delete(C2,C2literal, C2new),
                        matching(C1new,C2new,R).
matching(C1,C2,R):-    union(C1, C2, R).
literal_matching(C1, C2, C1literal, C2literal) :-
    mem(C1literal, C1), mem(C2literal, C2), C2literal = not(C1literal).
literal_matching(C1, C2, C1literal, C2literal) :-
    mem(C1literal,C1), mem(C2literal, C2), C1literal = not(C2literal).
union([X | Xs], Y, U) :- mem(X, Y), union(Xs, Y, U).
union([X | Xs], Y, [X |U]) :- not(mem(X, Y),union(Xs, Y, U).
union([], Y, Y).
```