PARSHWANATH CHARITABLE TRUST'S



A.P. SHAH INSTITUTE OF TECHNOLOGY

Department of Computer Science and Engineering **Data Science**



Subject : AIFB

Academic Year: 2024-25

Prorand Posterior Distributions in Finance -

In Bayesian fenance, paior and posterior distributions Islay a crucial role in applating beleifs about financial parameters such as stock returns, rish levels and market probabilities. Bayesian methods help investors incorporate new data into existing models to make better deusions.

(1) Understanding Parior and Posterior Distributions;

(a) Prior Distribution (P(D)):

- Represents initial beleifs about a financial parameter before seeing new data.

-- Can be used on historical data, expect knowledge or

market assumptions.

-> Common priors in finance:

4 Normal Distribution (for stock returns)

Li Bela Distribution (for probabilities)

4 Gamma / Inverse Gamma (for risk)

(b) L'helihood Function P(DIO)

-> Represent the probability of observing the data given a specific parameter value.

-> Captures how well the model explains the observed

financial data.

(c) Posterior Distribution P(OID)

- Updated beleif about the parameter after observing new data

-> Calculate using Bayes Theorem.

Subject Incharge: S. Sarala Mary

Department of CSE-Data Science | APSIT



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P(OID) = P(DIO) · P(O) P(D)

where,

P(010) = Posterior Distribution (updated beleif).

P(D10) = Likelihood (data given parameter).

P(0) = Prior (initial beleif)

P(D) = Normalizing constant.

Applications in Finance:

(1) Bayesian Portfolio Optimization: -> Investors can use Bayesian methods to update unexpected

returns and risk levels as new market data arrives.

Example:

* Prior beleif: - Stock has a 7% expected return.

* New earnings report suggests higher - than - expected growth.

to adjust the expected return * Use Bayesian updating

based on this information.

(2) Risk Estimation:

Prior assumptions about market volatility can be updated

based on recent price movements.

(3) Bayesian Asiel Pricing Models:

Used to estimate the expected return of an asset

giving changing market conditions.