



# ARJUNA NEET BATCH



## Structure of Atom

**LECTURE - 10**

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## \*\*\* Quick Recap

✓  $\Rightarrow$  de Broglie wavelength ( $\lambda$ ) =  $\frac{h}{mv}$

$\Rightarrow \lambda \propto \frac{1}{v}$ ,  $\lambda \propto \frac{1}{m}$

$\Rightarrow \lambda = \frac{h}{\sqrt{2mK.E.}}$ ,  $\lambda \propto \frac{1}{\sqrt{K.E.}}$

$$\lambda = \frac{h}{\sqrt{2m_e V}}$$

or  $\lambda \propto \frac{1}{\sqrt{V}}$

Heisenberg Uncertainty Principle

\*\*\*  $\Rightarrow \Delta x \times \Delta p \geq \frac{h}{4\pi}$  ?

$\Rightarrow \Delta x \times \Delta v \geq \frac{h}{4\pi m}$



Objective of today's class

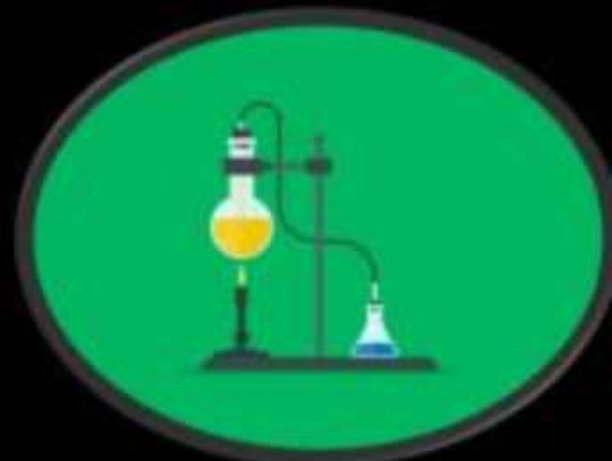
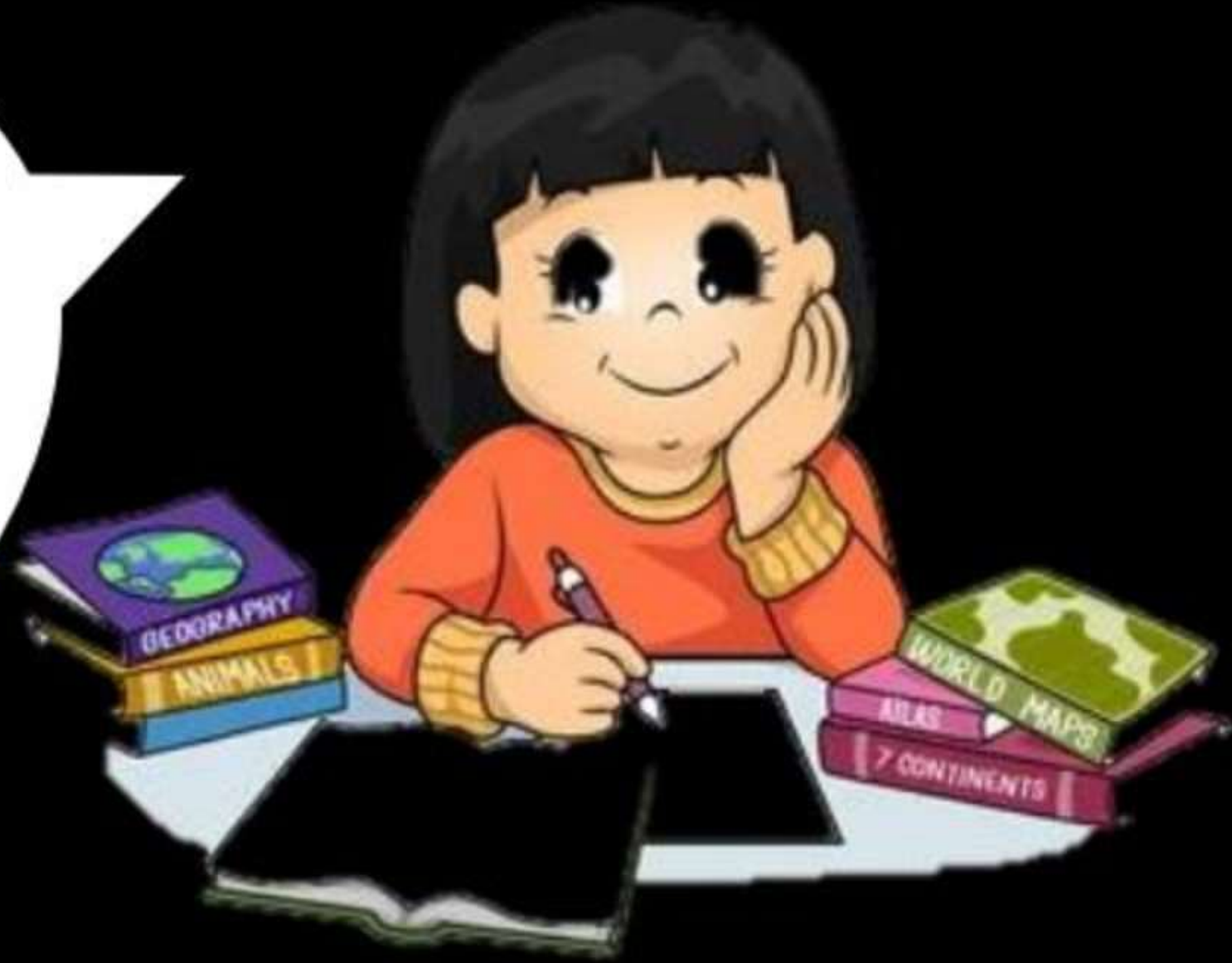


# QUANTAM MECHANICAL MODEL OF AN ATOM , QUANTUM NUMBERS





Are u ready  
for the  
Homework





Q. An  $e^-$  has a speed of  $4 \times 10^5$  m/s. If its velocity is accurate upto 10% then calculate uncertainty in position of  $e^-$ .



$$V = 4 \times 10^5 \text{ m/s}$$

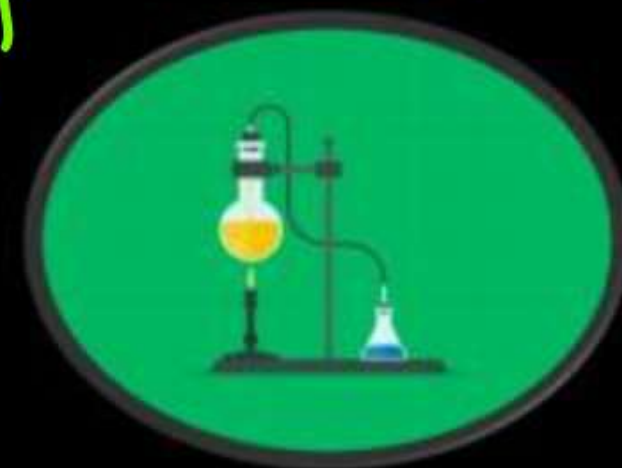
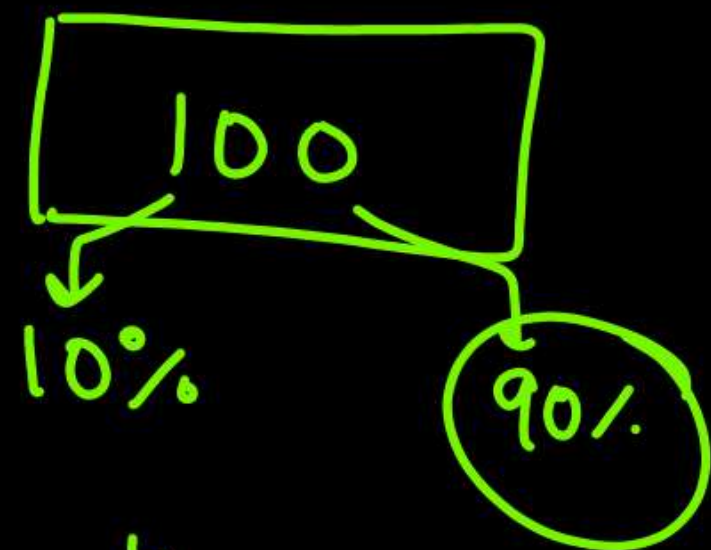
$$\Rightarrow \Delta V \Rightarrow 4 \times 10^5 \times \frac{10}{100} \Rightarrow 36 \times 10^4 \text{ m/s}$$

$$\Delta x = ?$$

$$\Rightarrow \text{Acc. to H.U.P.} \Rightarrow \Delta x \times \Delta V \geq \frac{h}{4\pi m}$$

$$\Rightarrow \Delta x = \frac{6.626 \times 10^{-34}}{4 \times 3.14 \times 9.1 \times 10^{-31} \times 36 \times 10^4}$$

$$\Rightarrow \Delta x =$$



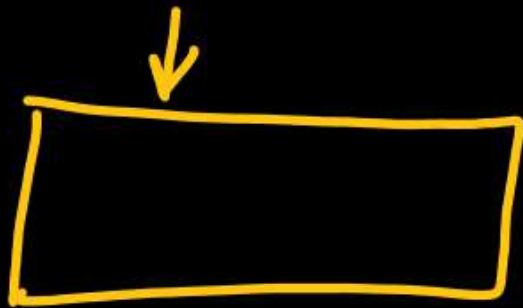


**Q.** When Electromagnetic Radiation of wavelength 300nm fall on surface of sodium.  $e^-$  s are emitted with the K.E. of  $1.68 \times 10^5 \text{ J/mole}$ . What is the minimum energy needed to remove an  $e^-$  from Na(Sodium) & what is the maximum wavelength that with cause of photo electrons to be emitted.



$\lambda = 300 \text{ nm}$

$K.E. = 1.68 \times 10^5 \text{ J/mole}$



$E_0 = \omega = ?$

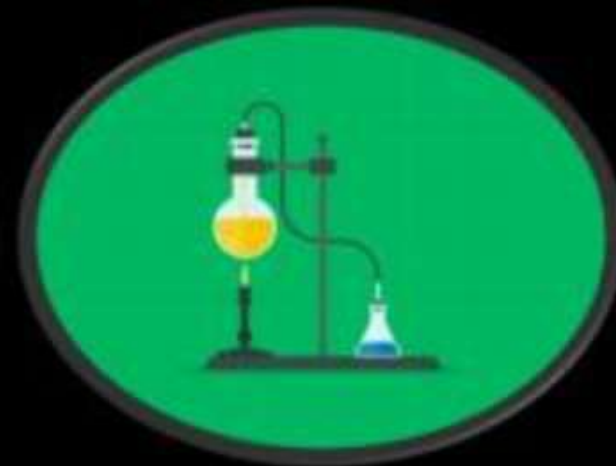
$E_0 = E_i - K.E.$

$E_i = \frac{hc}{\lambda}$

$= \frac{2 \times 10^{-25}}{0.0 \times 10^{-9}}$

Photoelectric Eq<sup>n</sup>

$E_i = E_0 + K.E.$



$$\Rightarrow E_0 = E_i^\circ - K.E.$$

$$\Rightarrow \frac{2 \times 10^{-25}}{300 \times 10^{-9}} - \frac{1.68 \times 10^5 \text{ J/mole}}{6.02 \times 10^{23}}$$

$E_0 \Rightarrow$

~~\_\_\_\_\_~~

Unit Conversion

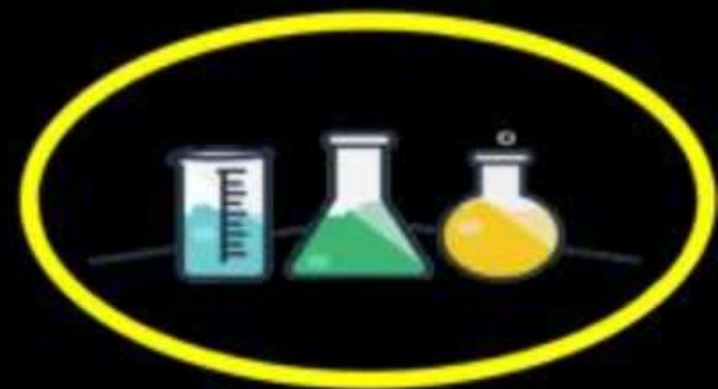


# QUANTUM MECHANICAL MODEL OF AN ATOM



⇒ Classical mechanics deals with Laws of Newton in which old models of atom are based, quantum mechanics deals with Newton Laws & dual nature & Uncertainty Principle.

⇒ Quantum mechanical model of an atom is based on Schrodinger Wave Eq<sup>n</sup>







$$\Rightarrow [\hat{H}\Psi = \hat{E}\Psi]$$

$\Rightarrow H \Rightarrow$  Hamiltonian operator

$\Rightarrow E \Rightarrow$  Total energy operator

$\Rightarrow x, y, z \Rightarrow$  coordinates

$\Rightarrow V =$  Potential Energy

$\Rightarrow$  ~~\*\*\*\*~~

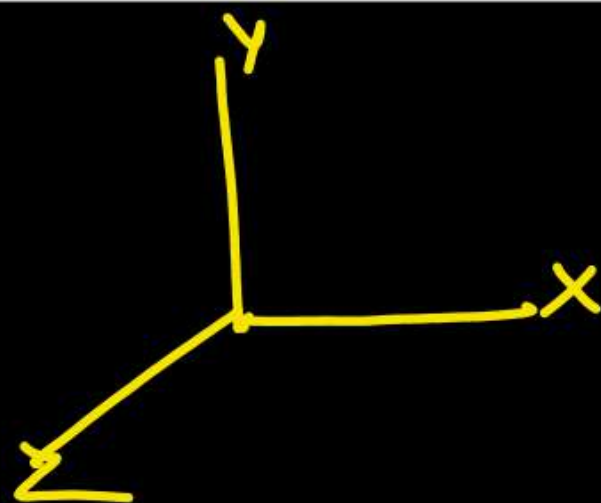
$$-\frac{\partial^2 \Psi}{\partial x^2} + \frac{\partial^2 \Psi}{\partial y^2} + \frac{\partial^2 \Psi}{\partial z^2} + \frac{8\pi^2 m (E - V)\Psi}{h^2} = 0$$

$\Rightarrow E =$  Total energy

$m =$  mass

of  $e^-$

KE





# Important Conclusions of Schrodinger Wave Equation



①  $\psi \rightarrow$  Eigen function & corresponding values of energies known as EIGEN VALUES

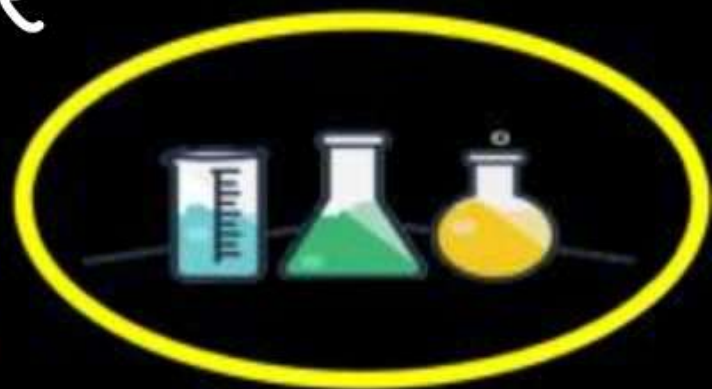
$\Rightarrow$  ②  $\psi$  represents orbitals  $\Rightarrow \psi_{n,l,m}$

$\psi_{4,1,0}$

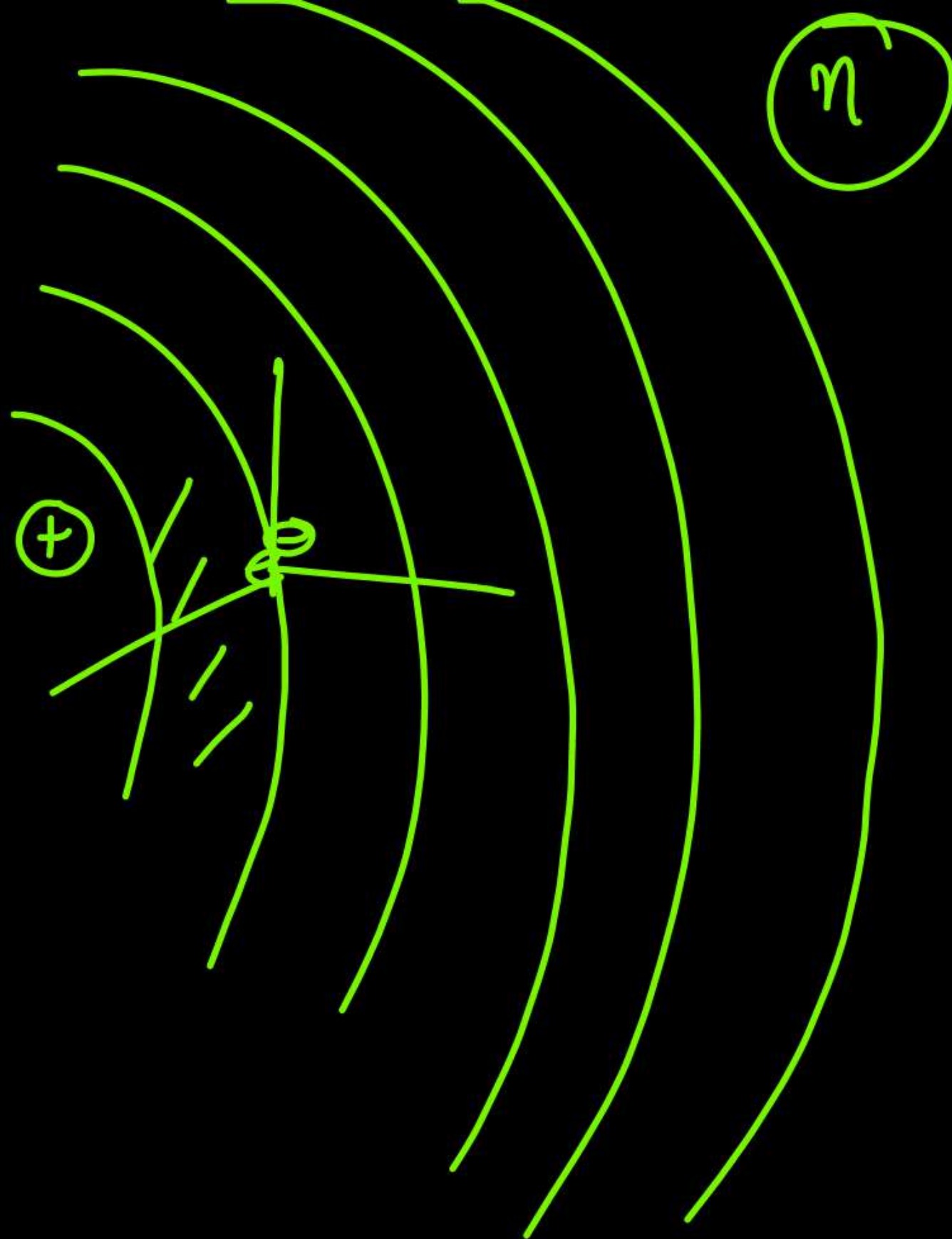
$\Rightarrow$  ③  $\psi$  has no physical significance but  $\psi^2$  gives probability of finding

$e^-$

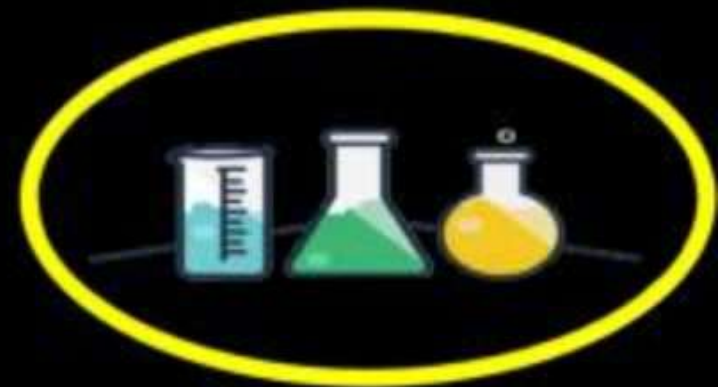
④ 3-dimensional space around nucleus where probability of finding  $e^-$  is maximum is known as ORBITAL.







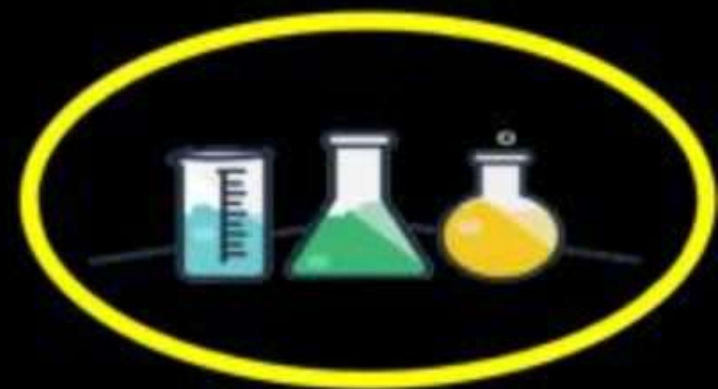
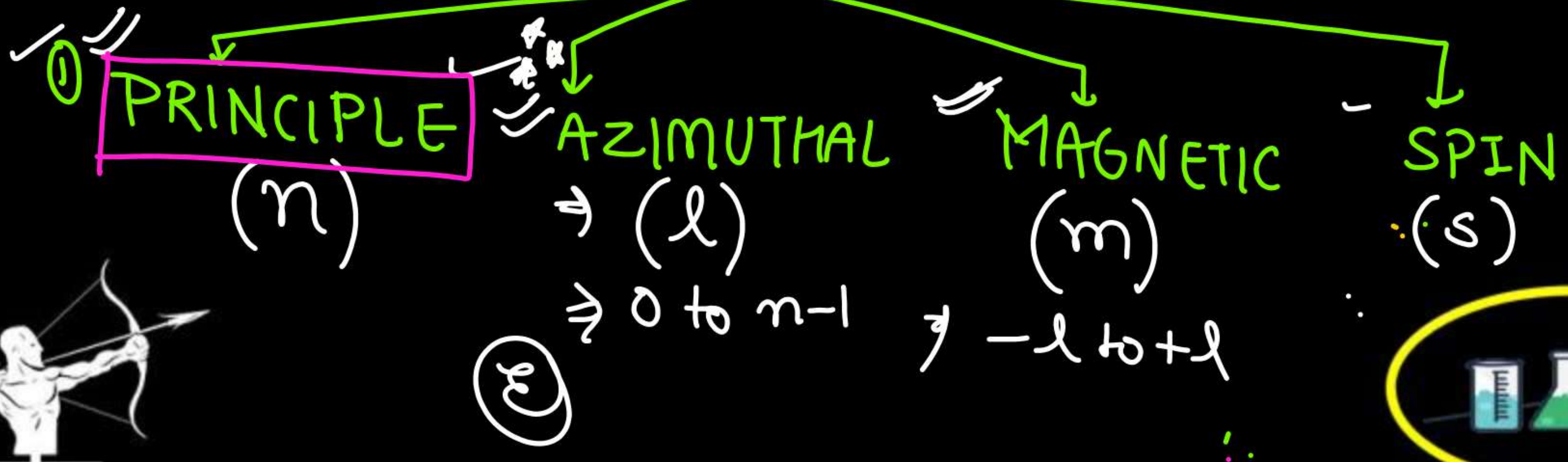
$\Rightarrow$  Wave function of an  $\psi$  is continuous, single  
value & finite.





# QUANTUM NUMBER PW

⇒ These are the set of four numbers which give us complete information about an  $e^-$ .





# ① PRINCIPLE QUANTUM NUMBER ( $n$ ): $\Rightarrow$

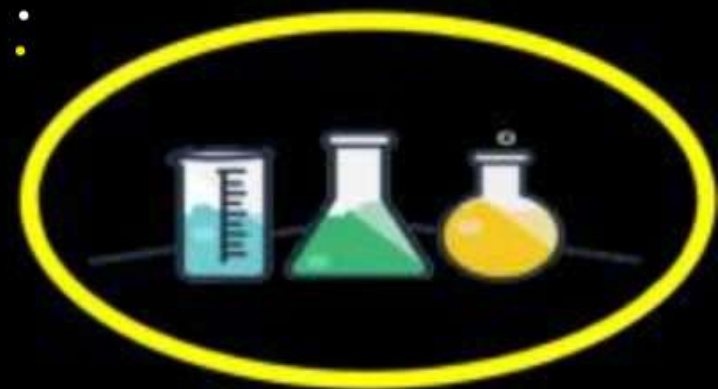


$\Rightarrow$  Proposed by Neils Bohr.

$\Rightarrow$  gives us information about Energy Level or shell or orbit to which an  $e^-$  belongs.

$\Rightarrow n \neq 0, \neq \text{-ive}, \neq \text{fraction}.$

$n \Rightarrow$	1	2	3	4	5
	K	L	M	N	O





$\Rightarrow n \uparrow$ , Energy  $\uparrow$ , Energy difference  $\downarrow$

$\Rightarrow n \uparrow$ , hold of nucleus on  $e^-$   $\downarrow$

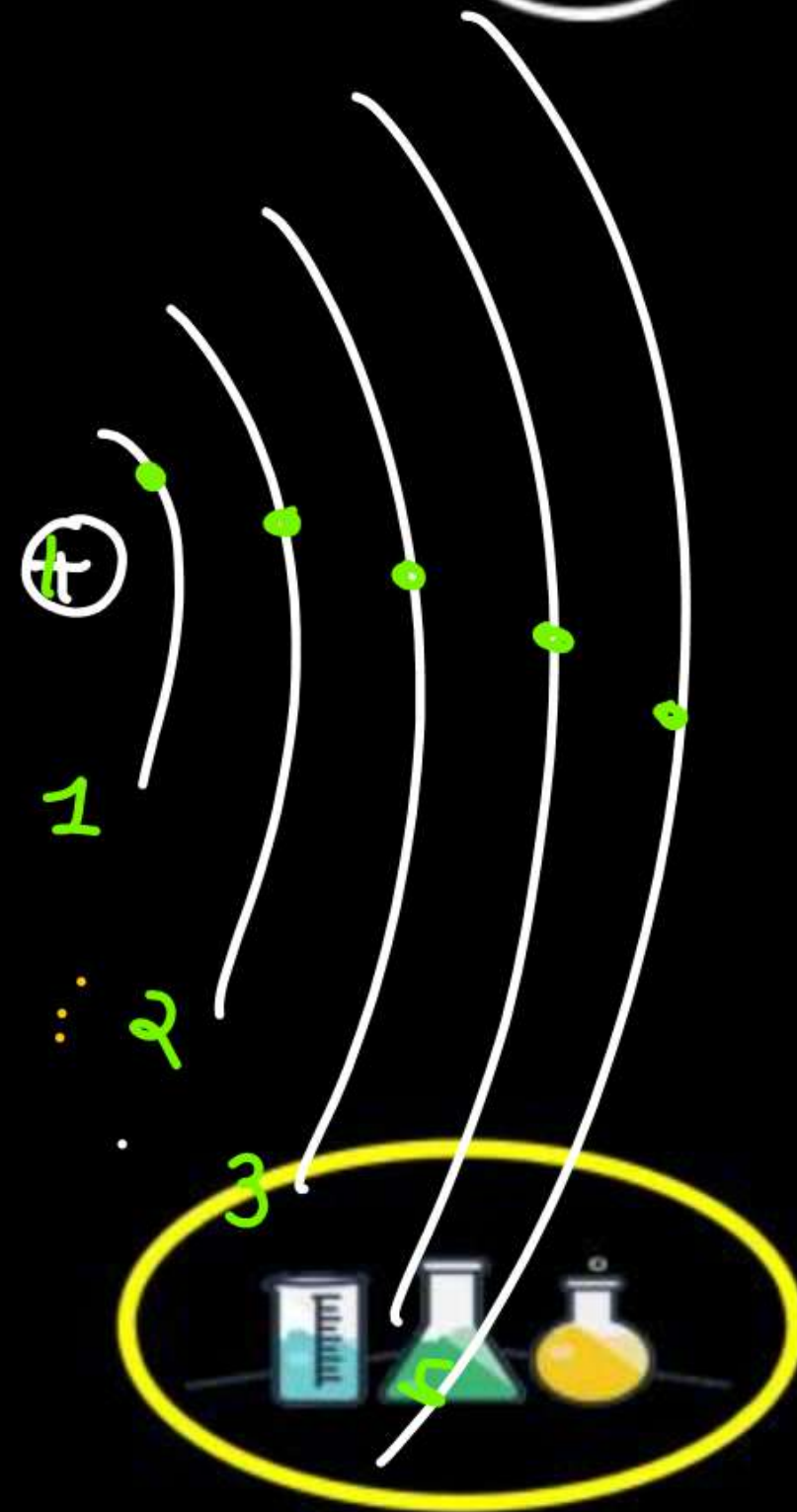
$\Rightarrow n \uparrow$ , SIZE  $\uparrow \Rightarrow r = 0.529 \frac{n^2}{Z}$

$\Rightarrow$  ORBIT ANGULAR MOMENTUM.

$$mvr = \frac{nh}{2\pi} \text{ or } n\hbar$$

$$\hbar = \frac{h}{2\pi}$$

$\Rightarrow n \Rightarrow$  no. of waves made by  $e^-$   
 $\Rightarrow n =$  main lines of spectrum.





## ② AZIMUTHAL QUANTAM NUMBER / SUBSIDIARY



⇒ PROPOSED by Sommerfeld. (l) QUANTAM NUMBER.  
⇒ gives us information about SUBSHELL present within the shell.

⇒ Values of  $l \rightarrow 0 \text{ to } n-1$

$$l \leq n$$

⇒

$l$	0	1	2	3	4
Subshell	s	p	d	f	g

...





⇒ no. of subshell in a given shell ⇒  $n$

⇒ given subshell is represented as  $nl$  ⇒  $1s$

⇒ (iii) ENERGY

(1) SINGLE  $e^-$

$n=1$   
 $l=0$

⇒ Energy only  
depends upon

SYSTEM or UNIELECTRONIC

( $H, He^+, Li^{+2}, Be^{+3}$ )

$n$

on  $l$ ?

⇒  $n \uparrow$ , Energy  $\uparrow$

Energy  $\uparrow$

, if  $n$  is same, Energy is same.

Order

$1s < 2s = 2p < 3s = 3p = 3d < 4s = 4p = 4d = 4f$

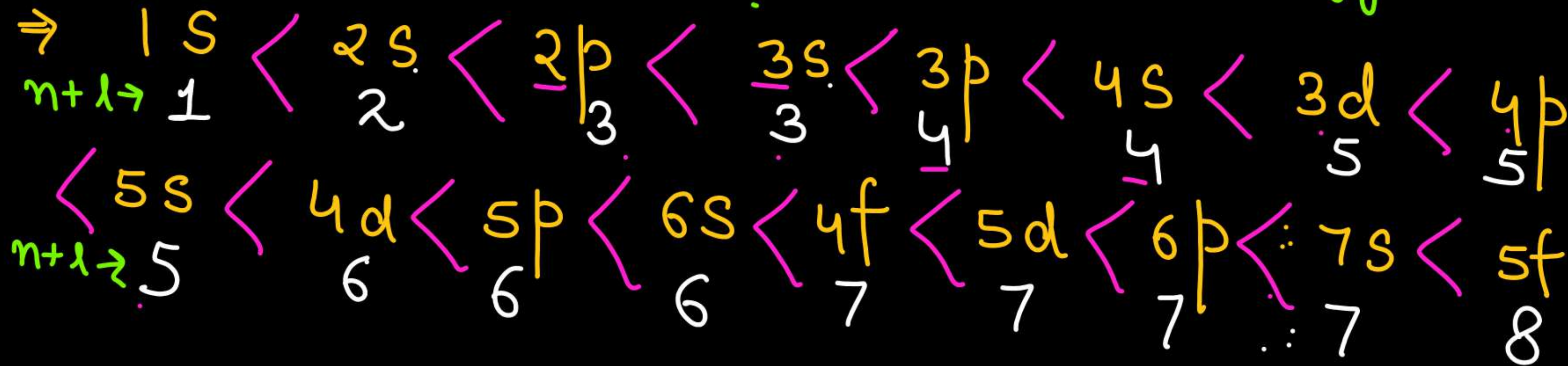


## (2) MULTIELECTRON SYSTEM.

⇒ Energy depends upon both 'n' and 'l'

⇒ BOHR BURY RULE → S-1  $n+l$  (↑), Energy (↑)

S-2 if  $n+l$  is same →  $n$  (↑), Energy (↑)





### (iii) SHAPE OF SUBSHELL

s  $\rightarrow$  spherical  $\rightarrow$  

p  $\rightarrow$  dumbbell  $\rightarrow$  

d  $\rightarrow$  double dumbbell  $\rightarrow$  

f  $\rightarrow$  Complicated.

### (iv) ORBITAL

#### ANGULAR MOMENTUM

$$mvr = \sqrt{l(l+1)} \frac{h}{2\pi}$$

or

$$\sqrt{l(l+1)} \frac{h}{2\pi}$$

$$\therefore \frac{h}{2\pi} = \frac{h}{2\pi}$$

Subshell

$l$

Orbital Angular momentum  
 $\left( \sqrt{l(l+1)} \frac{h}{2\pi} \right)$

$$s \longrightarrow 0 \Rightarrow 0$$

$$p \longrightarrow 1 \Rightarrow \sqrt{2} \frac{h}{2\pi} \Rightarrow \frac{h}{\sqrt{2}\pi} \Rightarrow \sqrt{2} \hbar$$

$$d \longrightarrow 2 \Rightarrow \frac{\sqrt{6}h}{2\pi} \text{ or } \sqrt{6} \hbar$$

$$f \longrightarrow 3 \Rightarrow \frac{\sqrt{12}h}{2\pi} \text{ or } \sqrt{12} \hbar$$





*thanks  
for watching*

