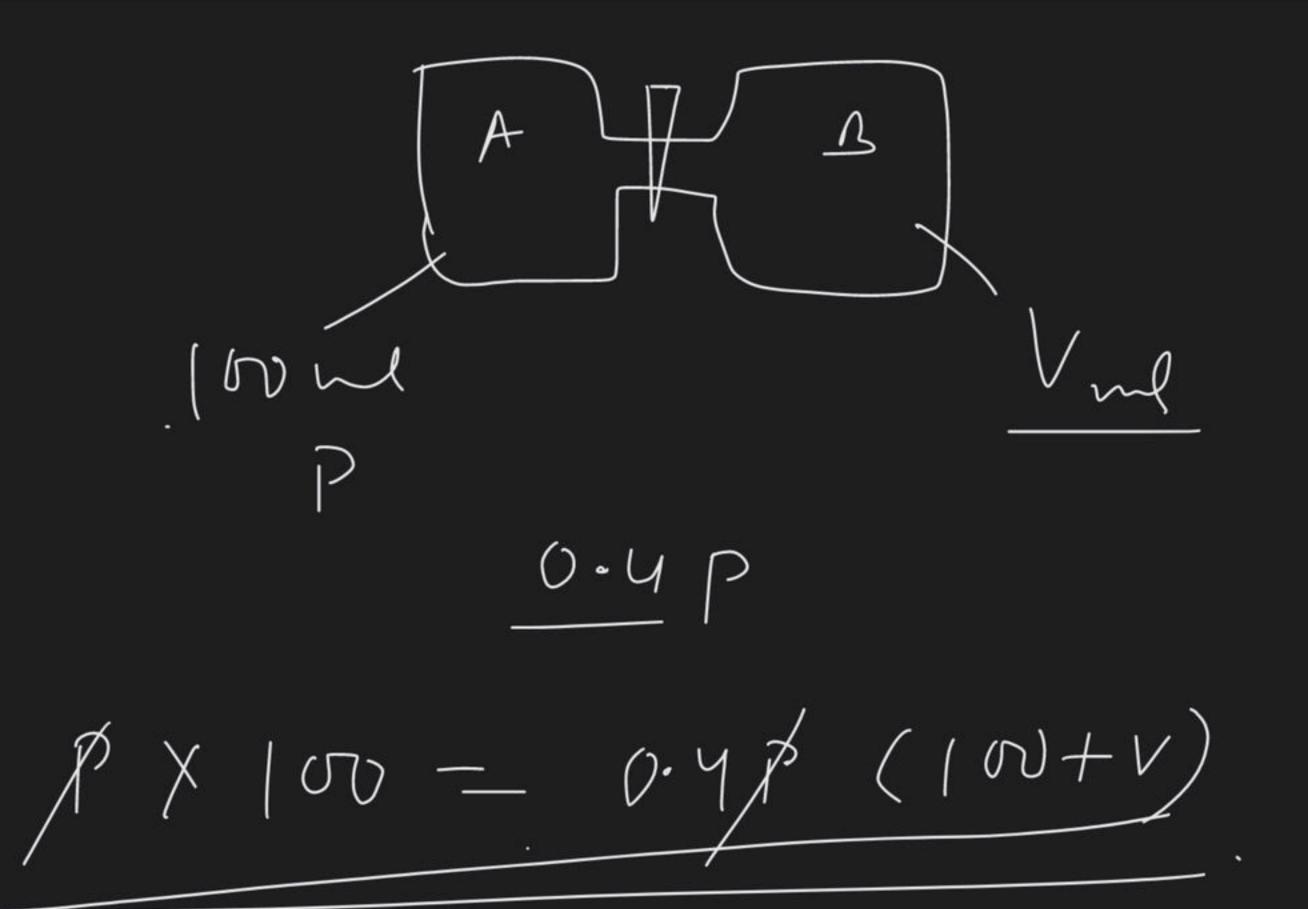
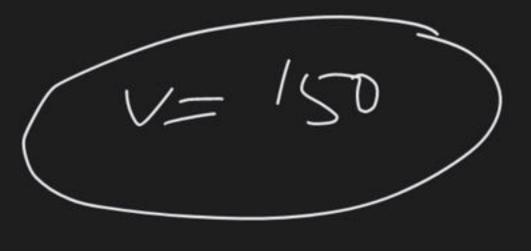


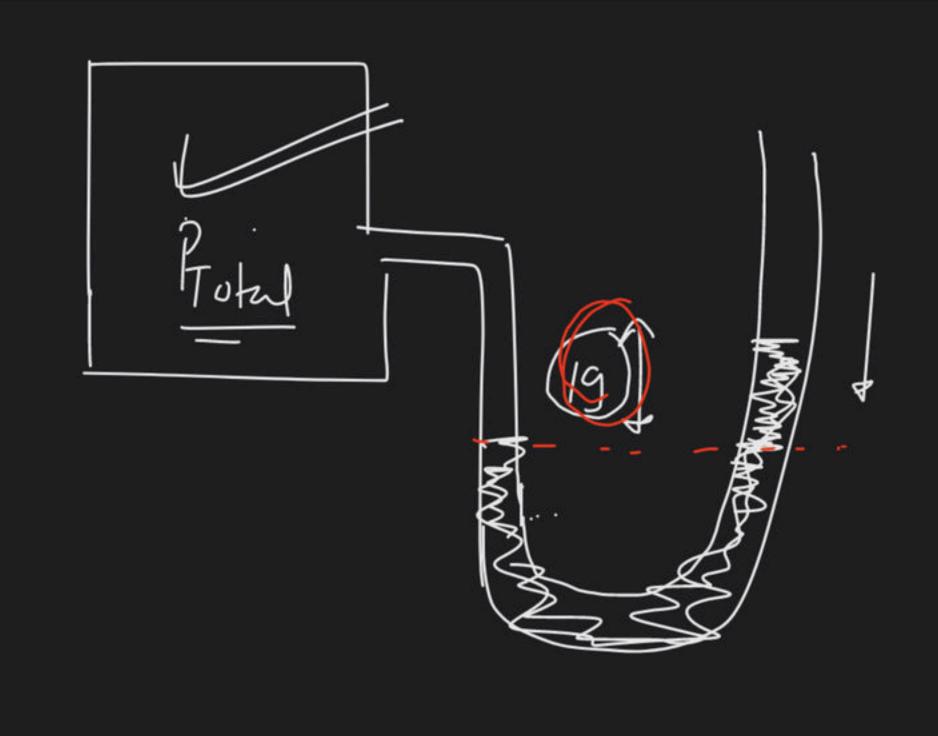
Course on States of Matter for Class XI

NaNg -> Na(s) + 3 N2 0.2 lid × 60 per home = 1 mol per tr. (4) 641206+ 602 -> CCOZ + 6420 $\frac{1}{6}$ $\times \frac{1}{12}$ $\frac{1}{2}$

$$\left(\frac{P}{RT}\right)^{2} = \left(\frac{8.21}{9.821} \times 2\omega\right)^{2} - \frac{1}{4} = 0.25$$



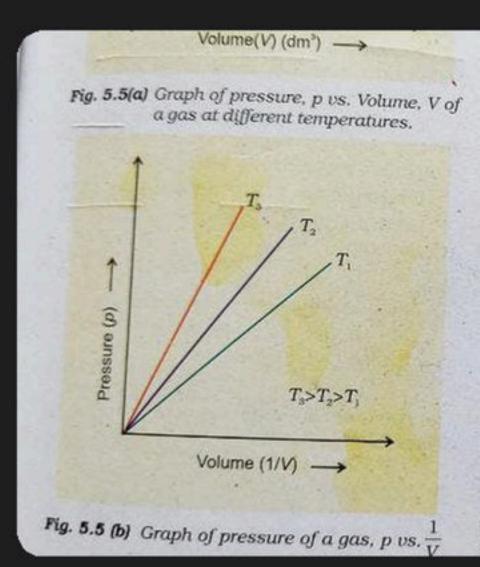




 $\frac{P_{70+01}}{=} = \frac{76 + 19}{95 \text{ am}}$ = 1-25 atm

 $2NH_3 \rightarrow N_2 + 3H_2$ $1 - \chi \qquad X/2 \qquad 3N_2$ $1 + \chi = 1.25 \qquad \chi = 0.25$

$$\frac{\gamma_1}{\gamma_1 T_2}$$



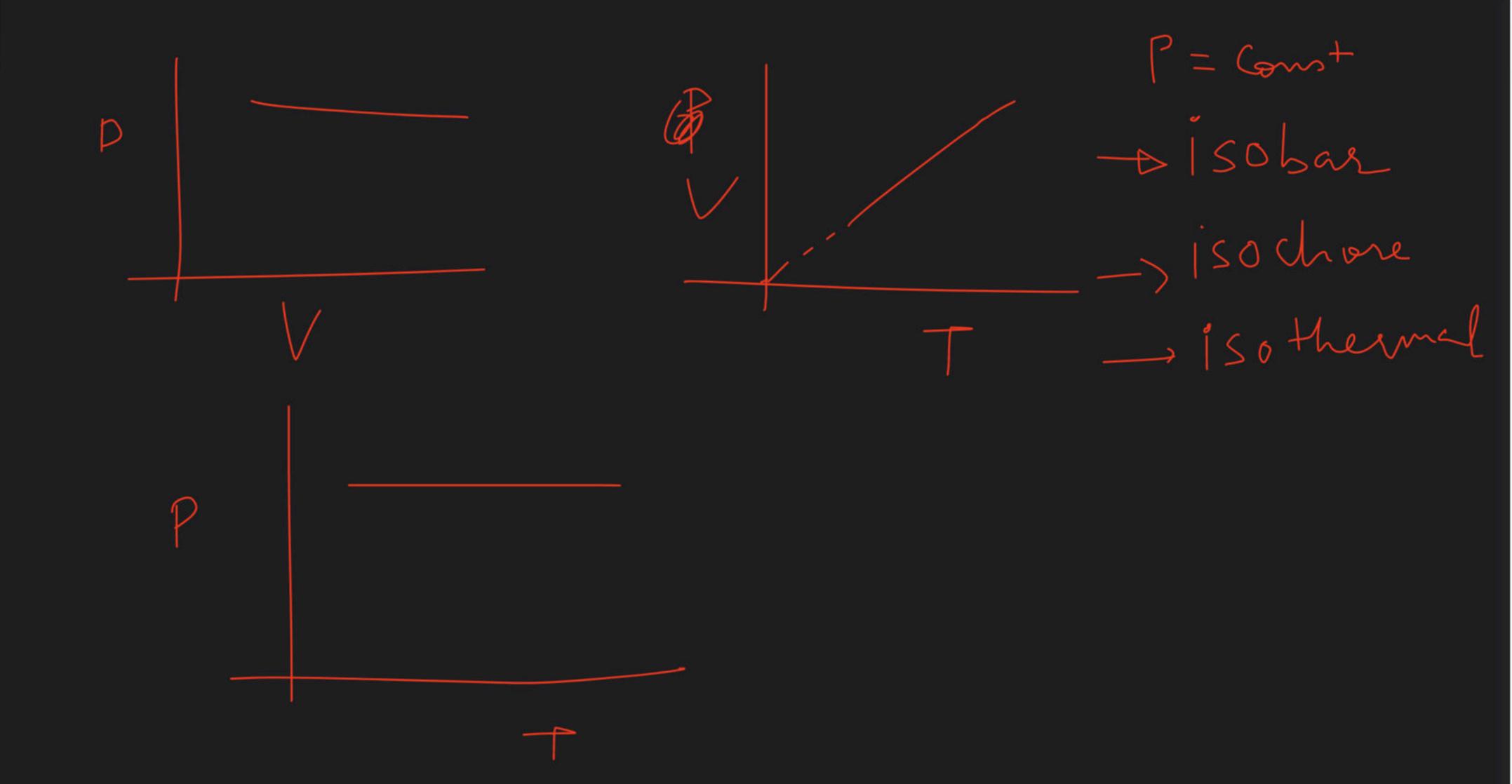
000 K.

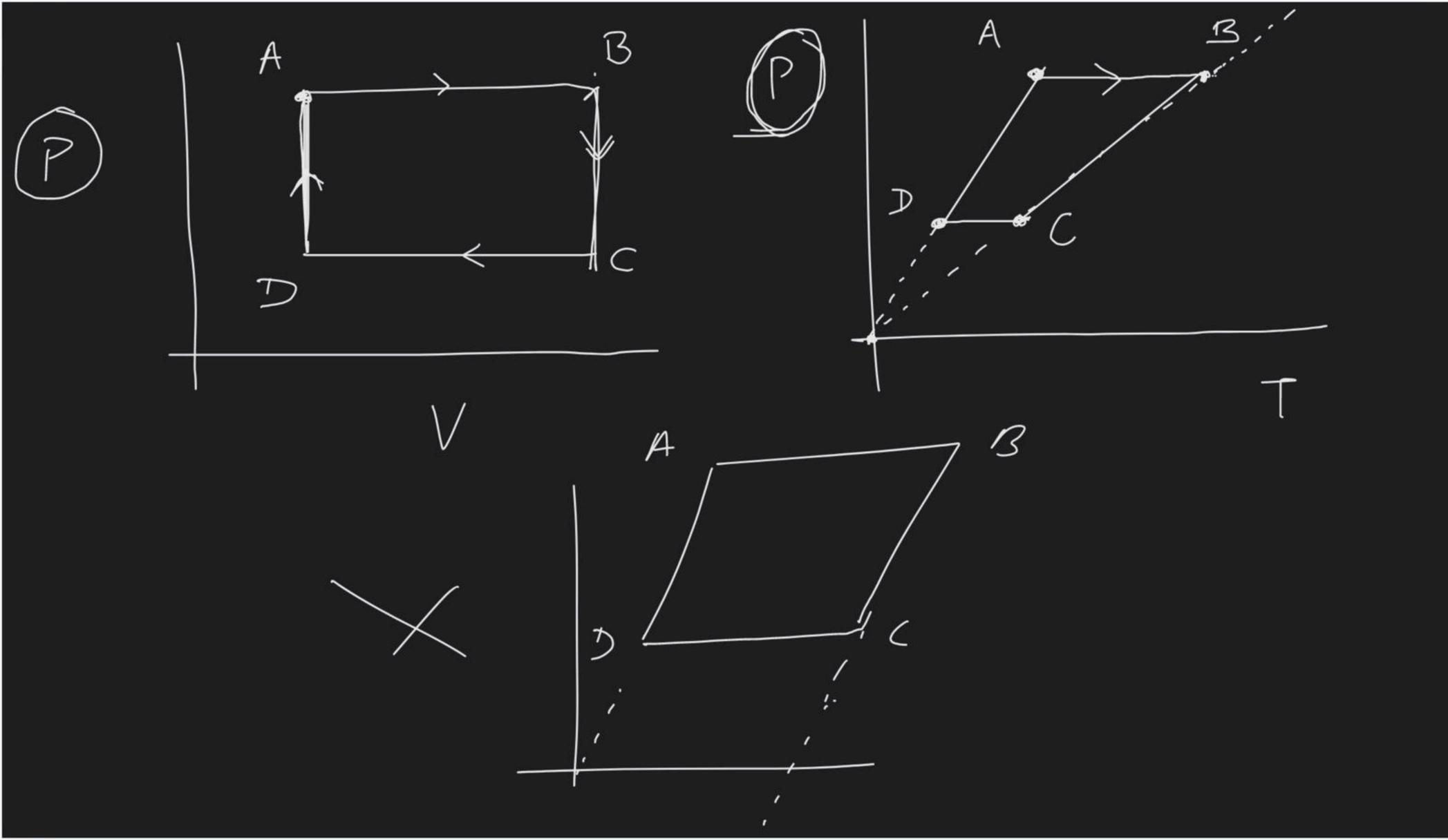
Fig 5.5 (b) represents the graph between p and $\frac{1}{V}$. It is a straight line passing through origin. However at high pressures, gases ? deviate from Boyle's law and under such conditions a straight line is not obtained in the graph.

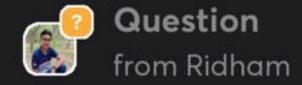
Experiments of Boyle, in a quantitative manner prove that gases are highly compressible because when a given mass of a gas is compressed, the same number of molecules occupy a smaller space. This means that gases become denser at high pressure. A relationship can be obtained between density and pressure of a gas by using Boyle's law:

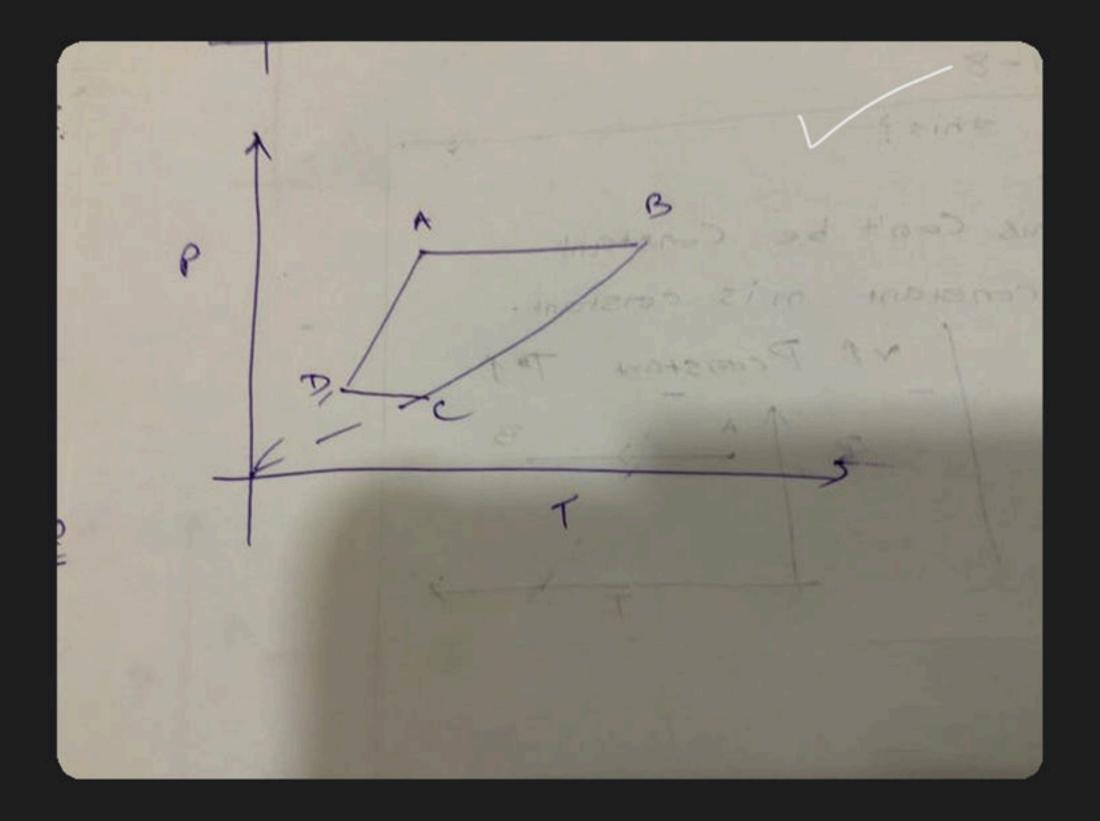
By definition, density 'd' is related to the mass 'm' and the volume 'V' by the relation

$$d = \frac{m}{V}$$
. If we put value of V in this equation from Boyle's law equation, we obtain the relationship.

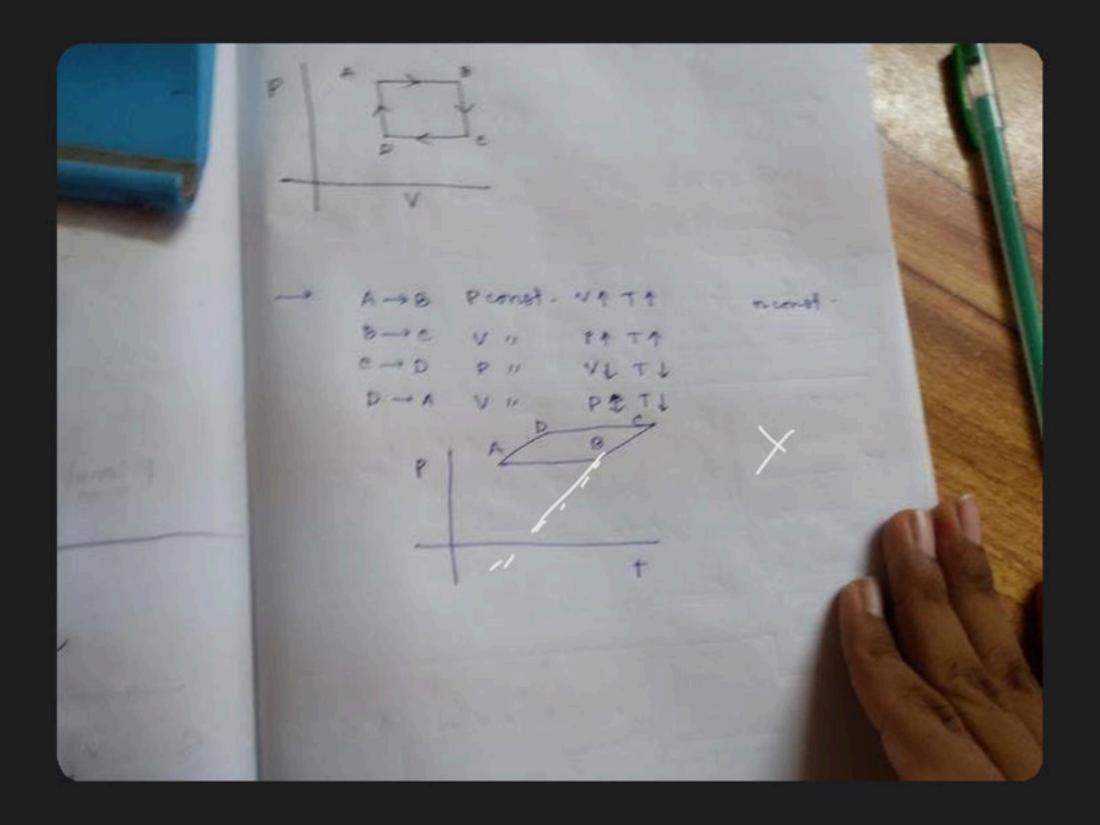


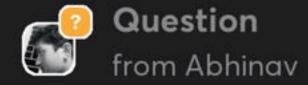


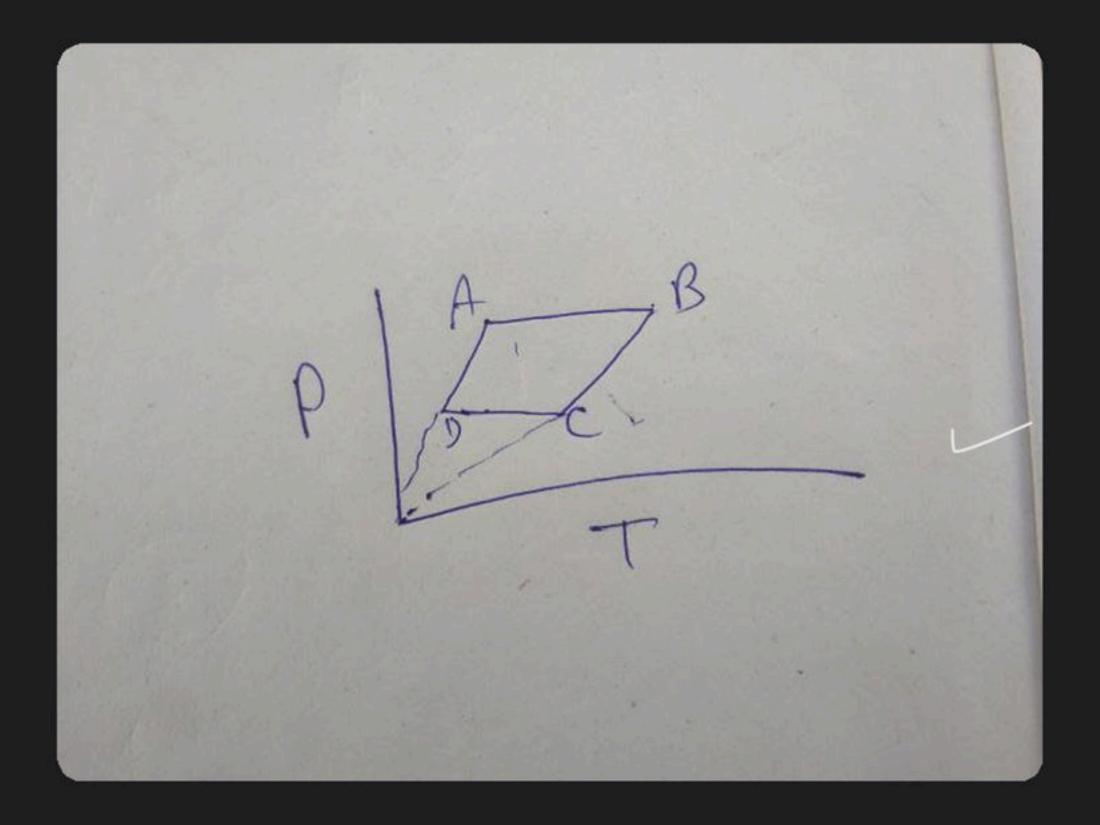


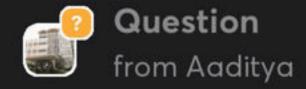


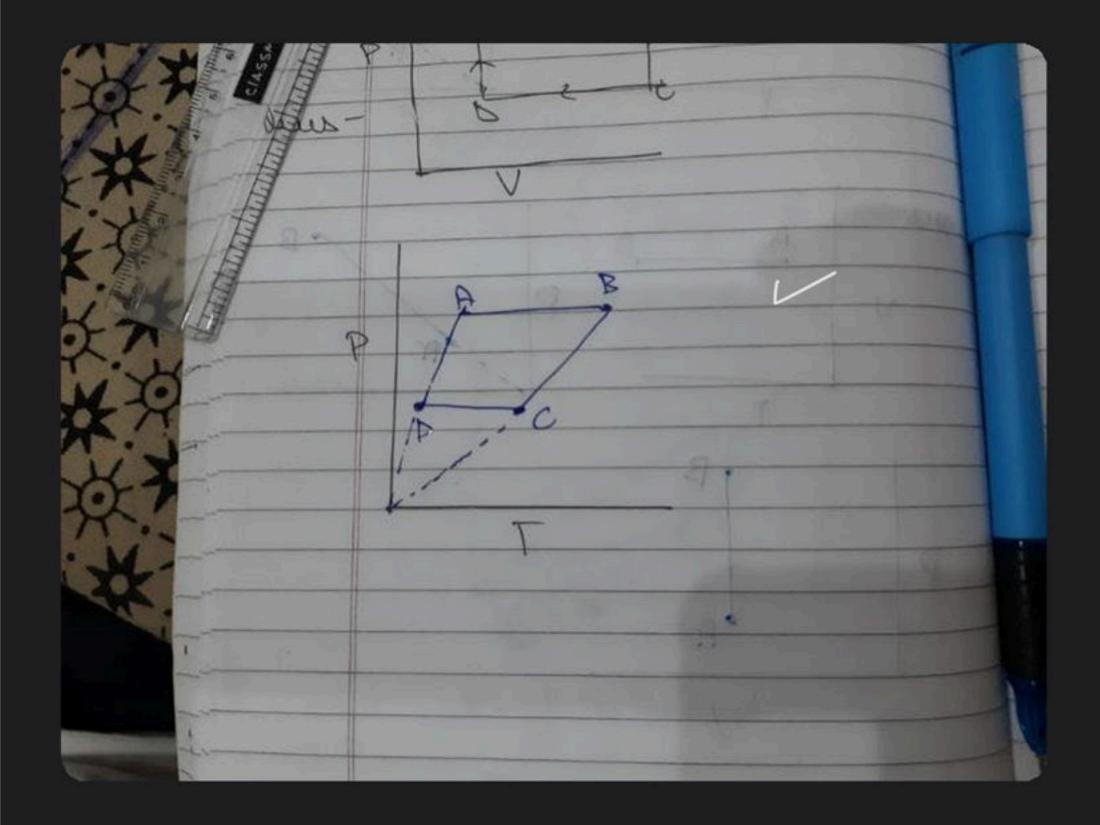


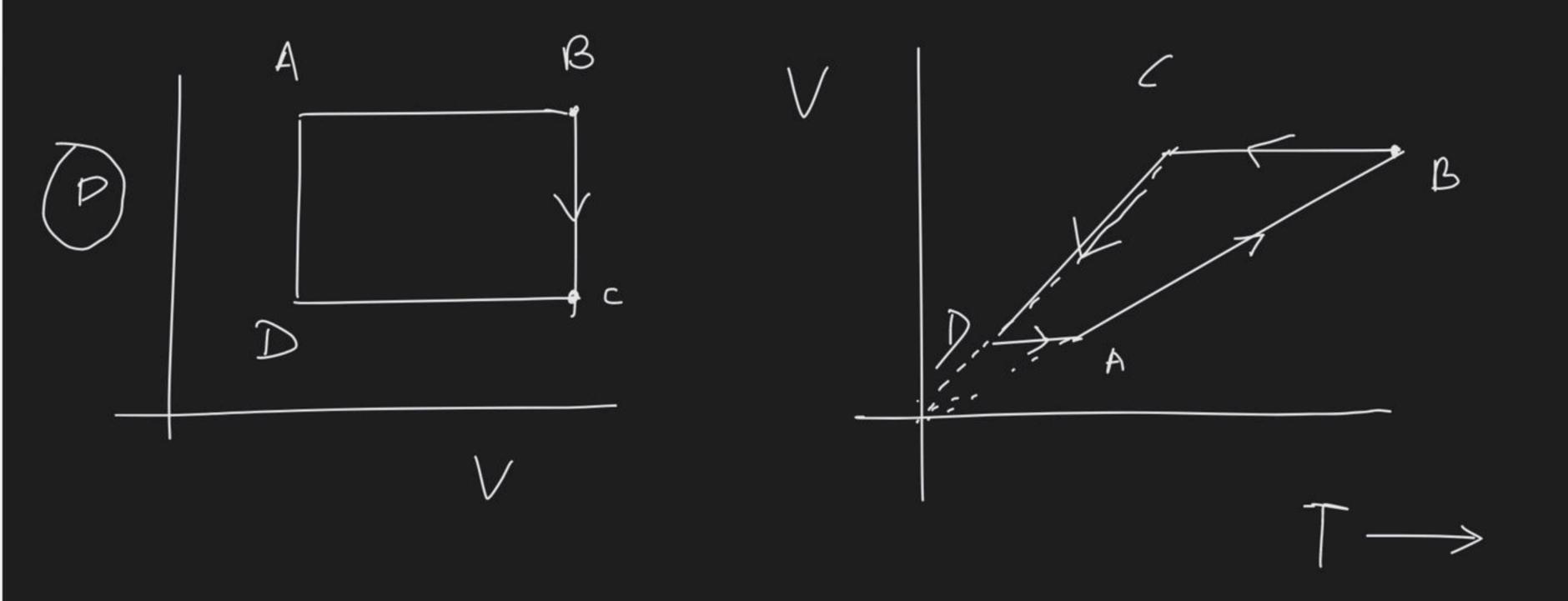


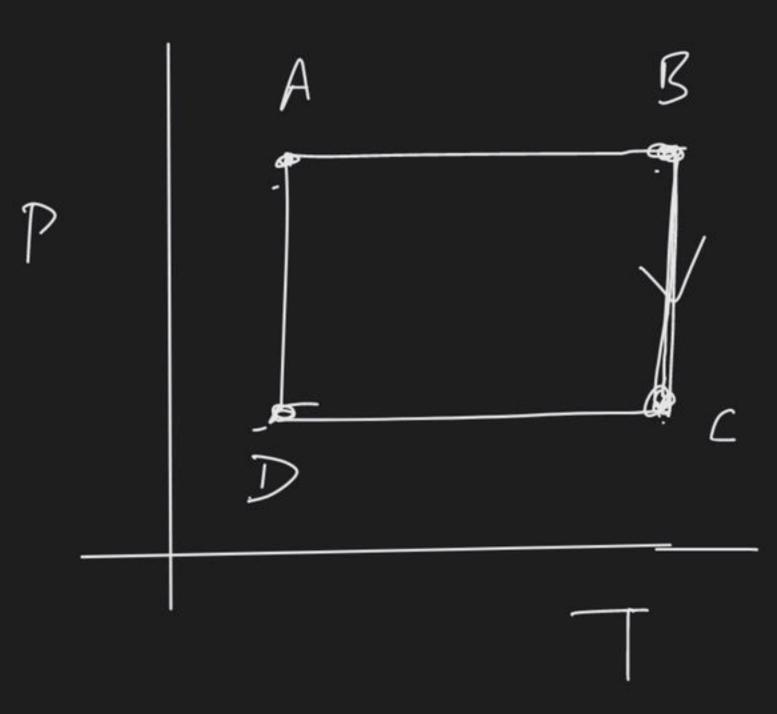


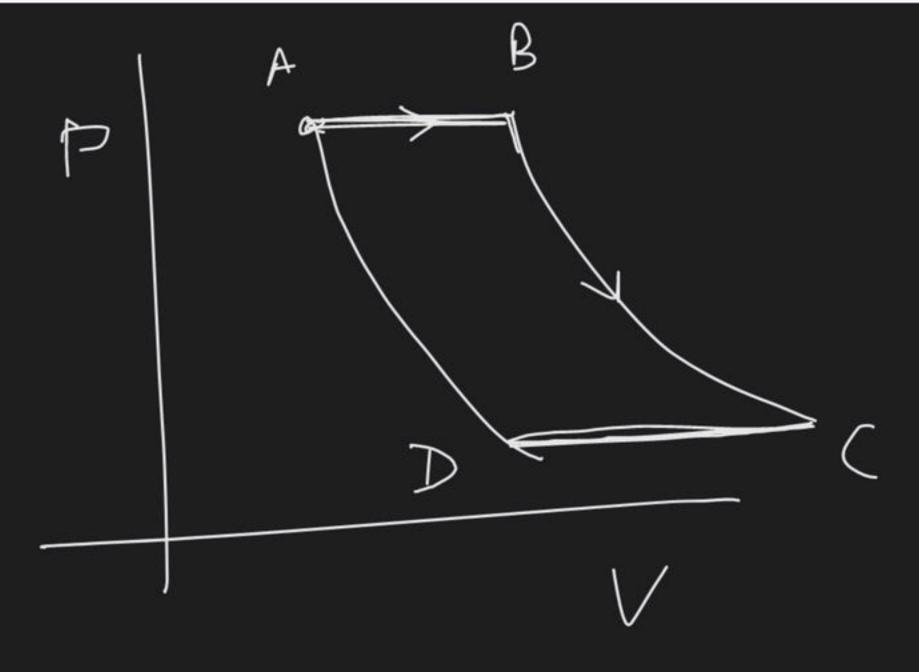


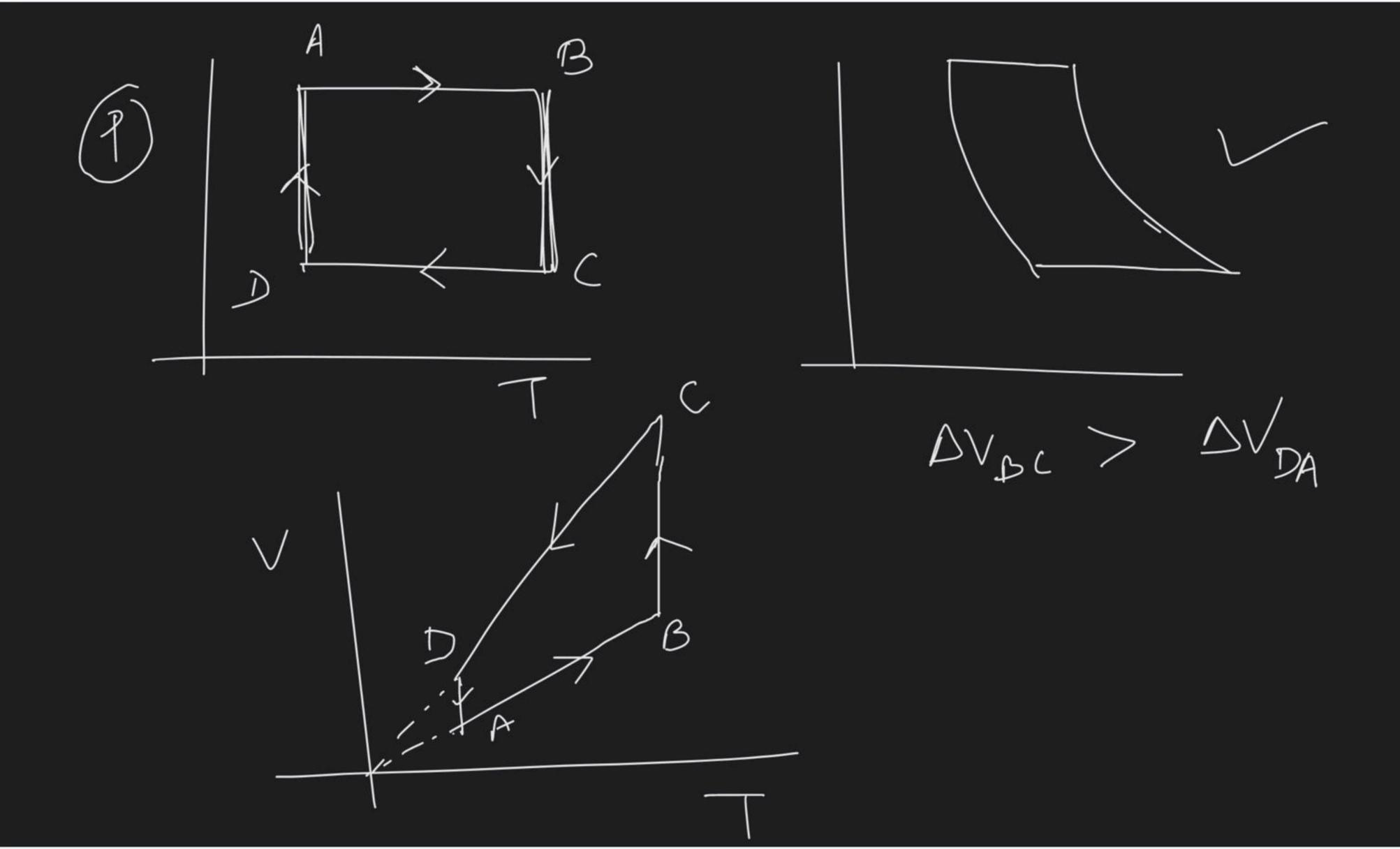


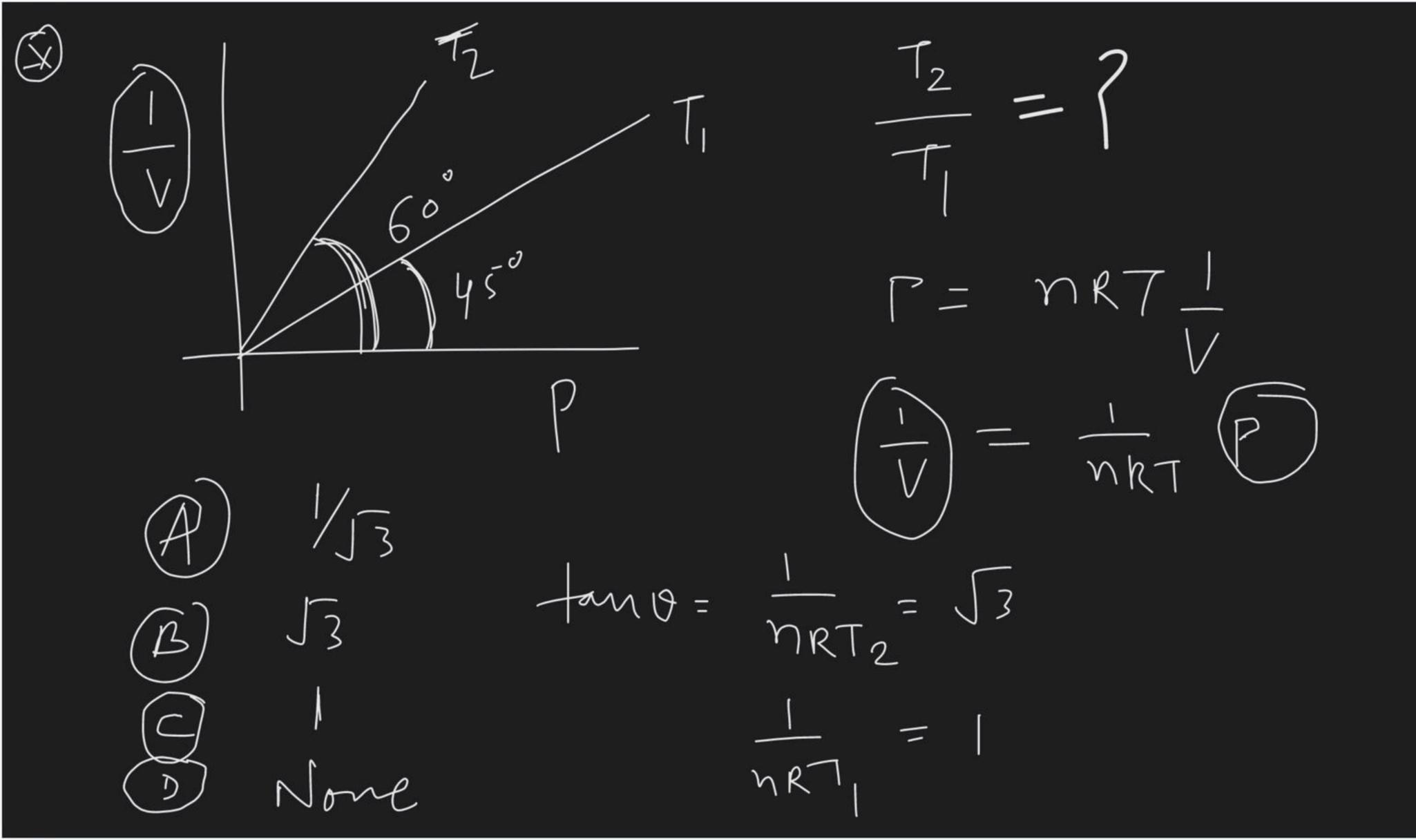












Troblems related with containers: -> Closed (Dren) Non-rigid piston (massless) Pin-Pext - const T, N,V)) Balloon V=Const

Closed container Prigid: A ges cylinder has been tilled at loam prensure at 300K This cylinder can bear 20 atm pressure.

The building Leng starts vising. find Teap at which yeinder will burst.

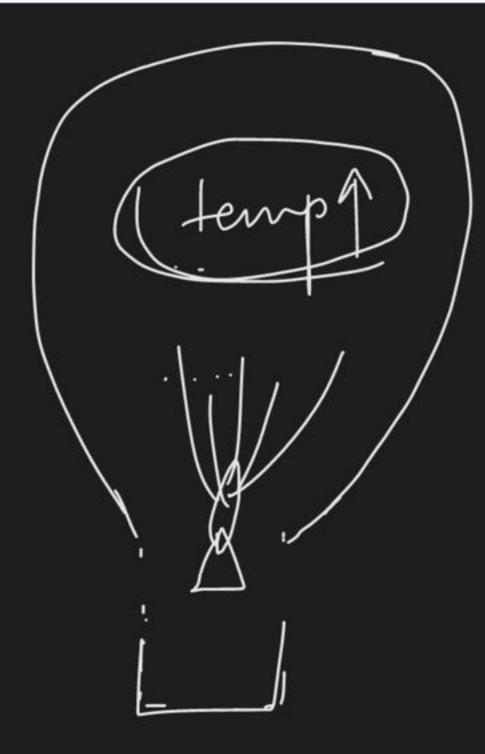
A balloon is inflated to

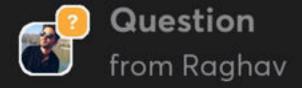
The th of its max volume at 300k. find the temp at which it with will but. $\frac{\sqrt{2}}{\sqrt{2}} = \frac{T_1}{V_1}$ $\frac{7}{2} = \frac{2}{7}\sqrt{3}$

Open container

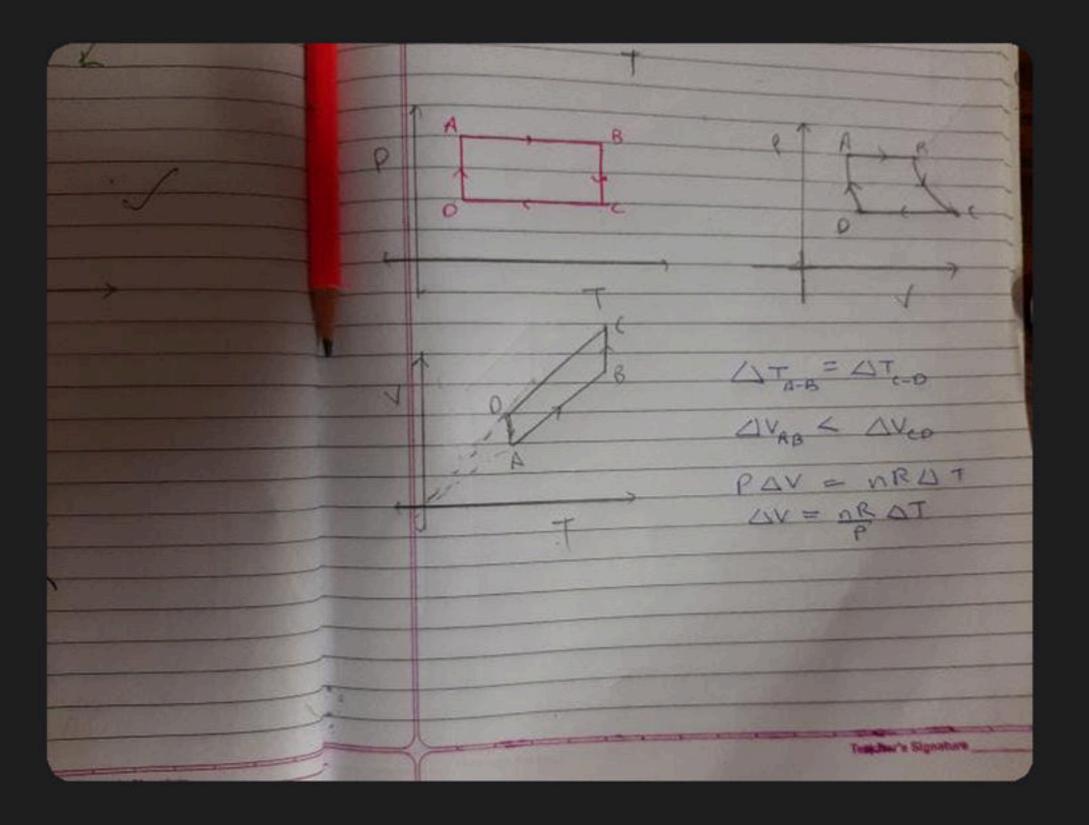
P- Cont

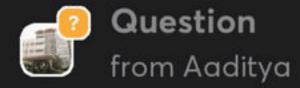
$$\gamma_1 - \gamma_2$$



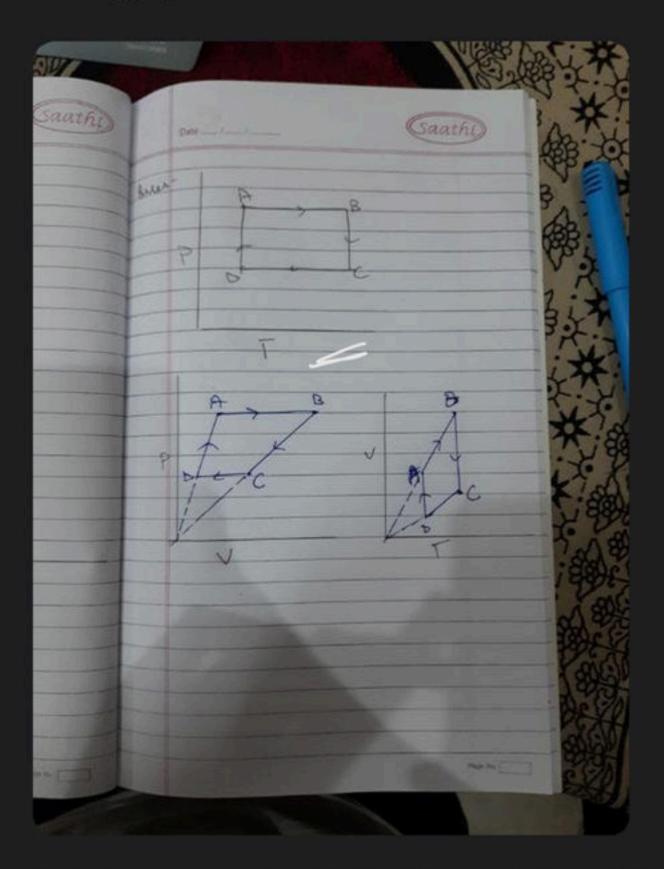


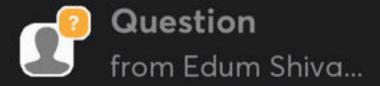
Vt curve new



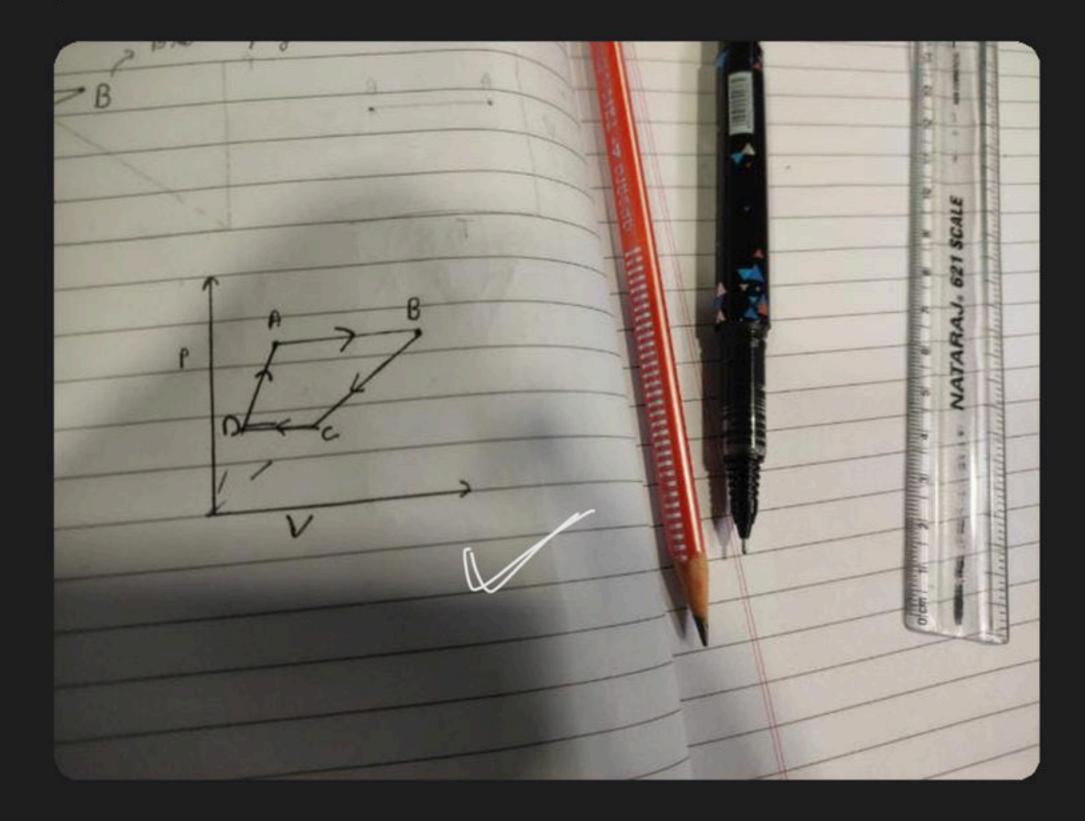


New graph

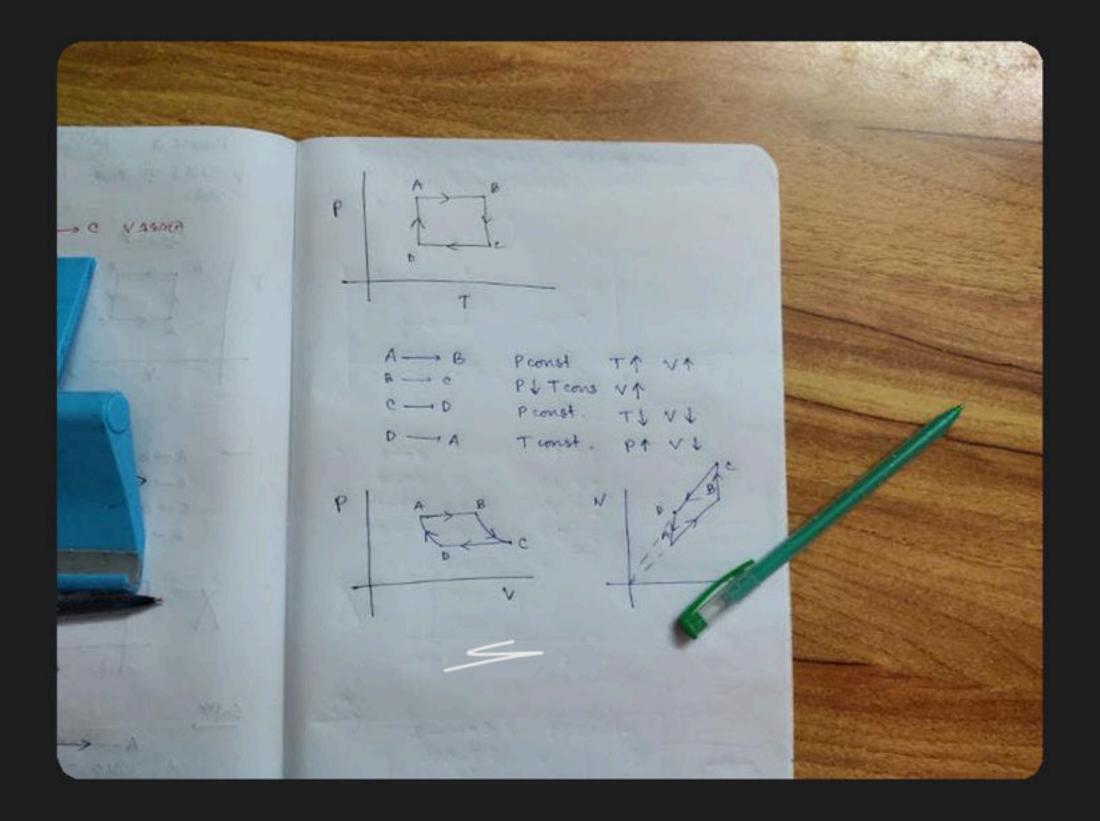


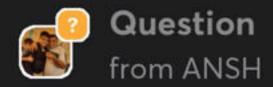


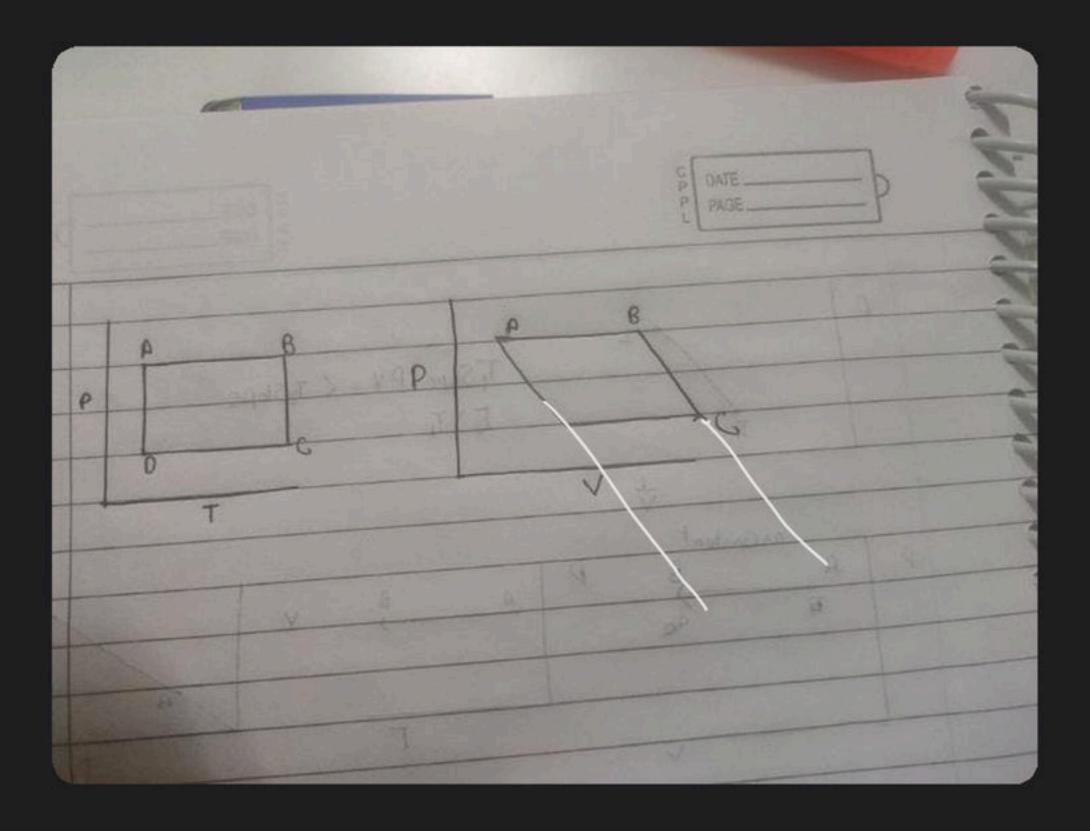
p-v

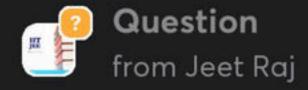


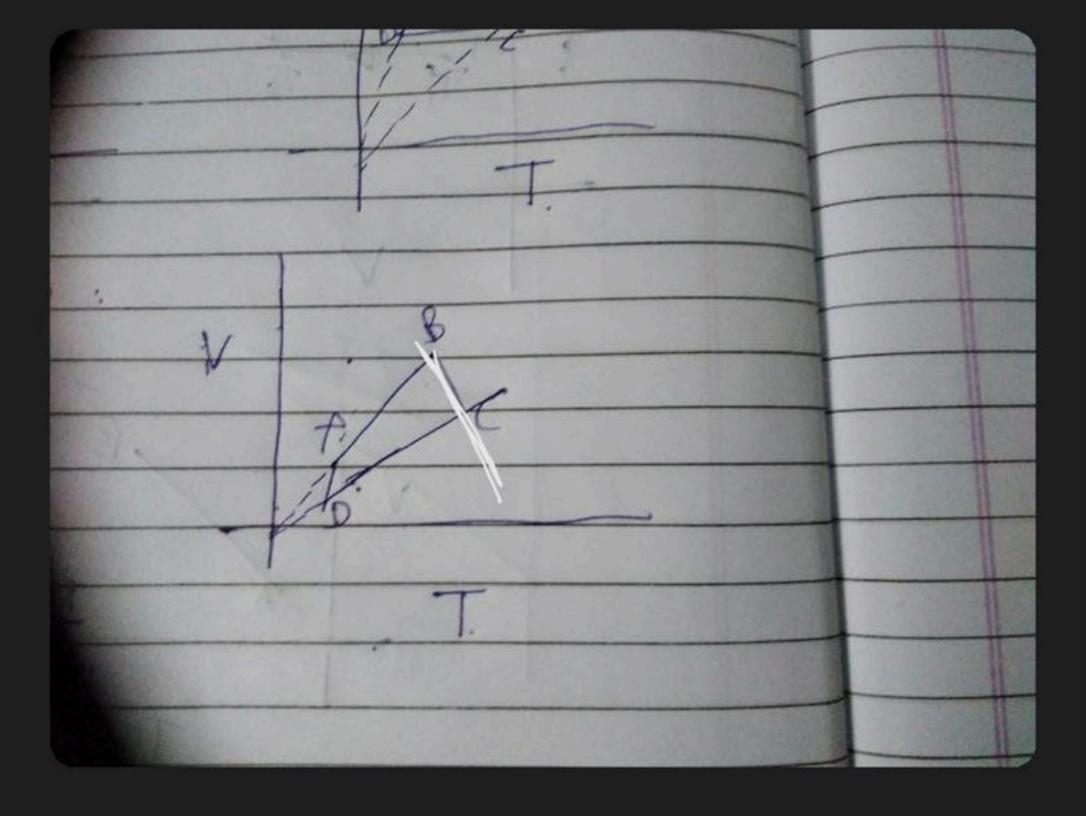


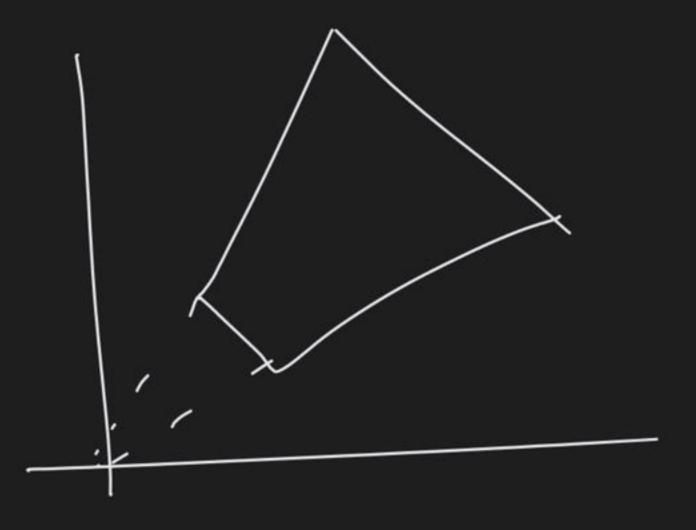


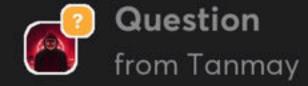


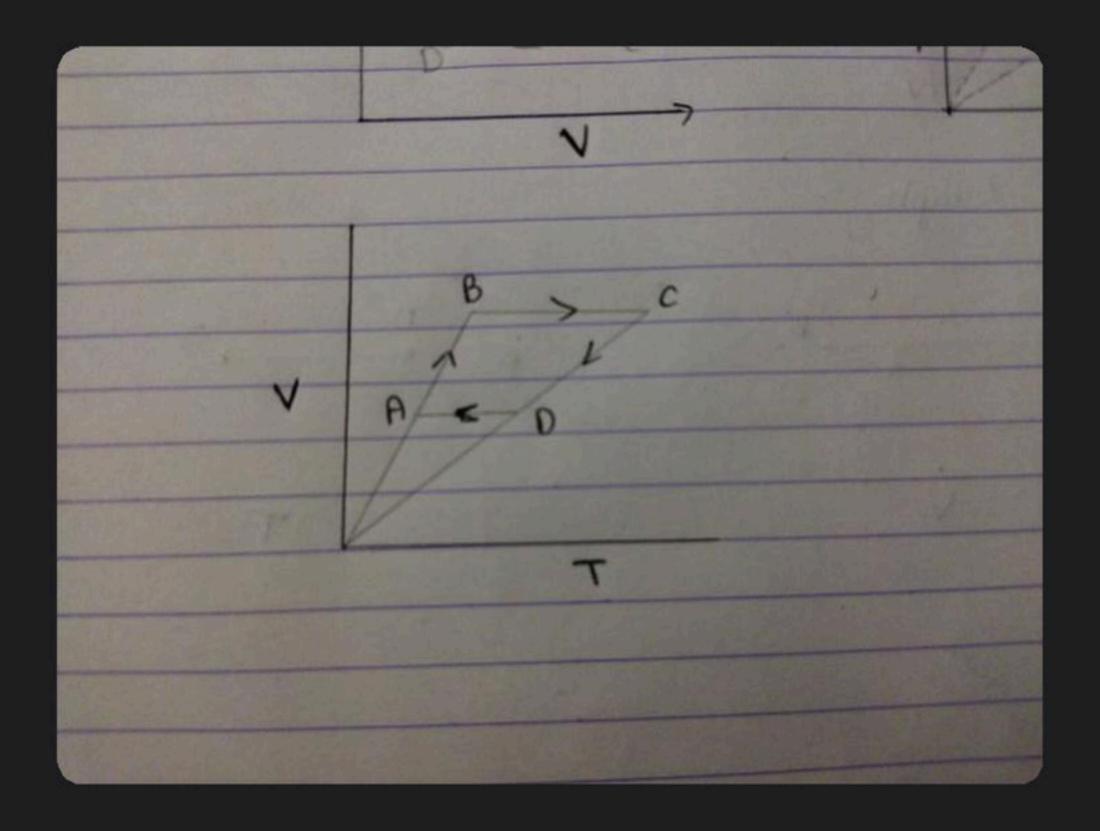


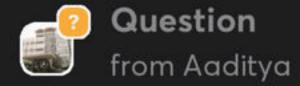












VT curve

