



Vander Waal's Equation

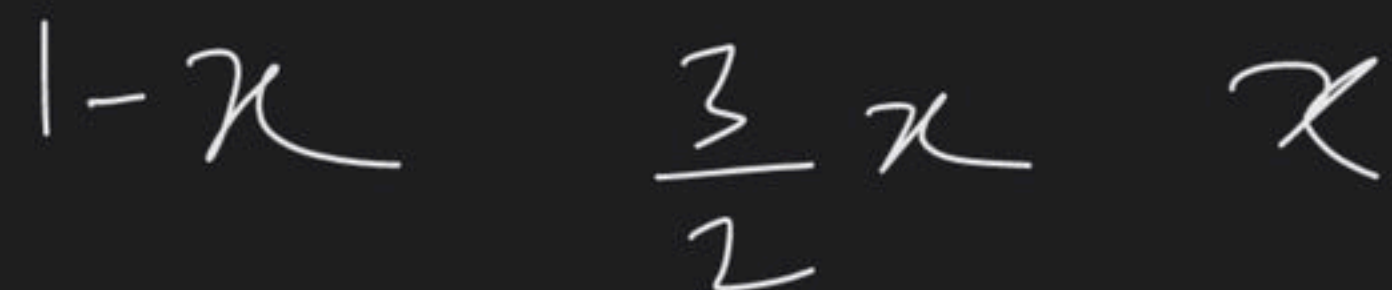
Course on States of Matter for Class XI

$$24) \quad p_1 V_1 + p_2 V_2 = p \times 1000$$

(27)

$$P = \frac{nR}{V} T$$

=



Total
moles =

$$1 + \frac{3}{2}x = 1.6$$

31

X

Y

4T

T

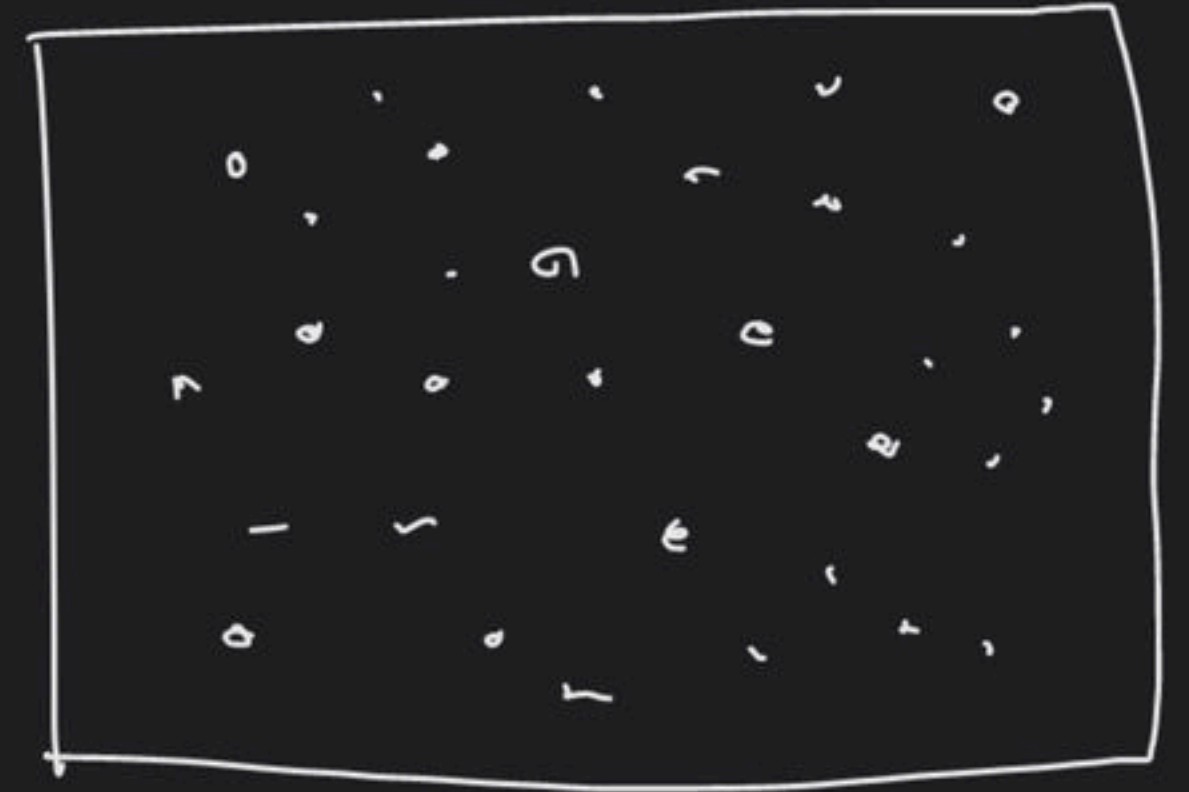
$$\frac{3}{2} RT$$

$$= \frac{3}{2} \times \cancel{2} \times 300 = \underline{900 \text{ cal}}$$

$$\frac{\frac{3}{2} RT}{N_A}$$

$$\begin{array}{l}
 U_{\text{rms}} \rightarrow \underline{U_{\text{rms}}} + f U_{\text{rms}} \checkmark \\
 \sqrt{\frac{2RT}{M}} \quad \sqrt{\frac{3RT}{M}}
 \end{array}$$

No. of Bimolecular collisions : →



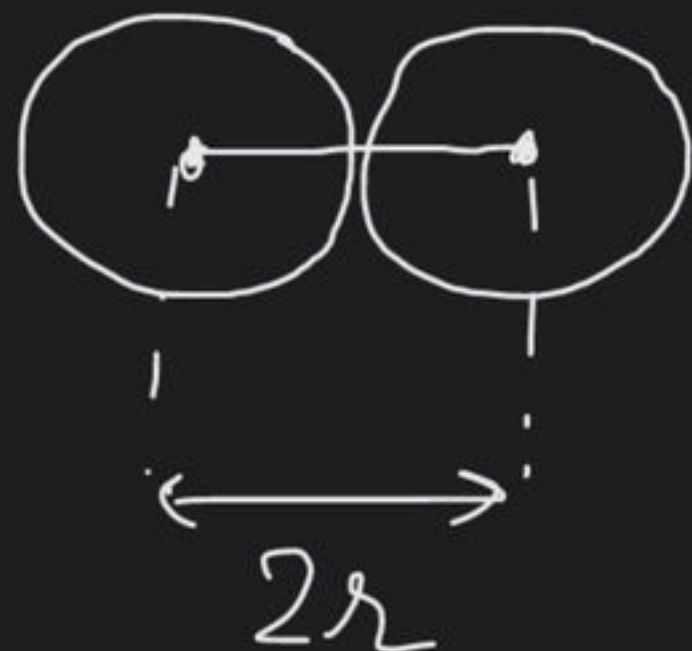
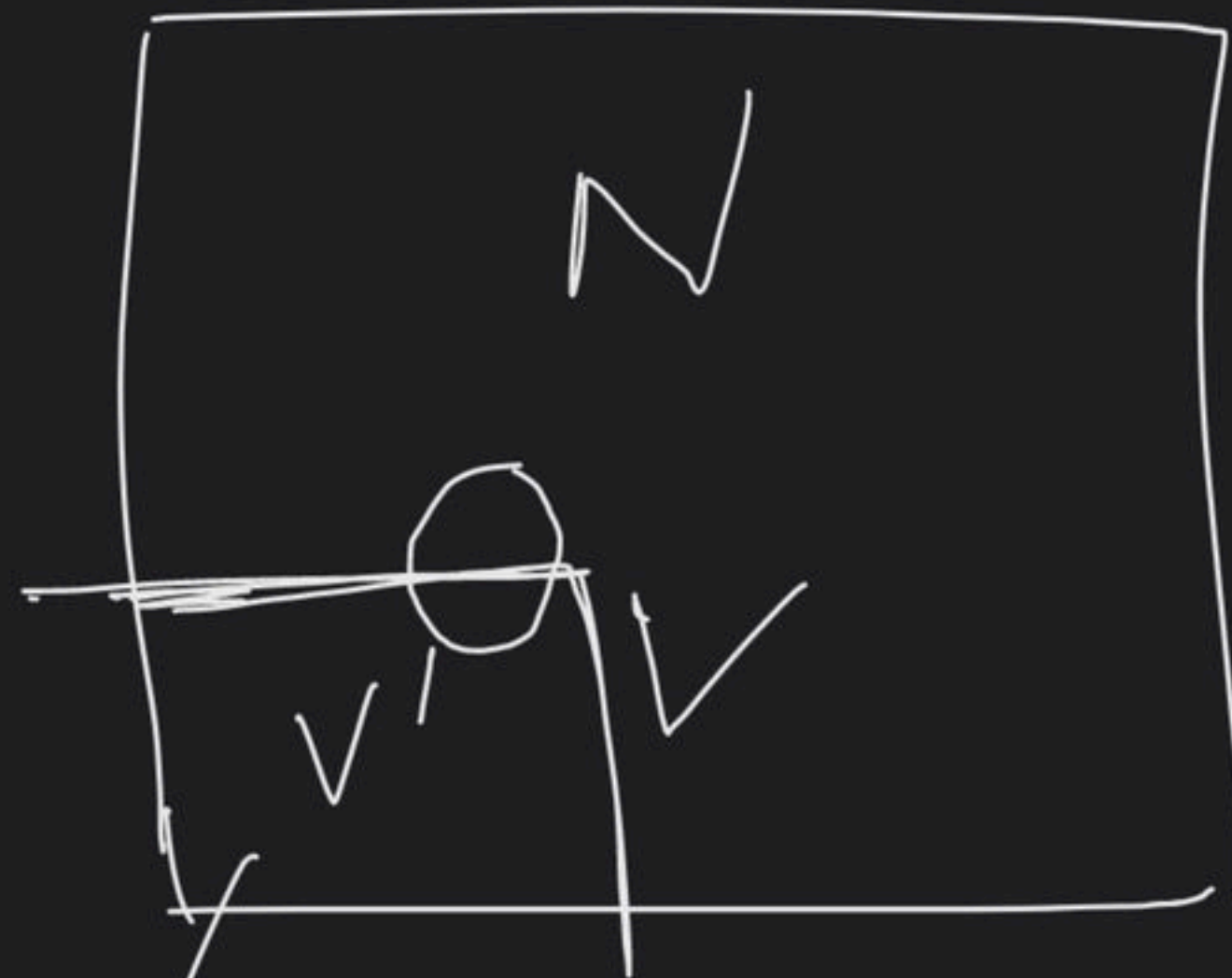
atom/molecules are
considered to be rigid
& spherical in shape.

no. of molecules
per unit volume

$$= \frac{N}{V} = N^*$$

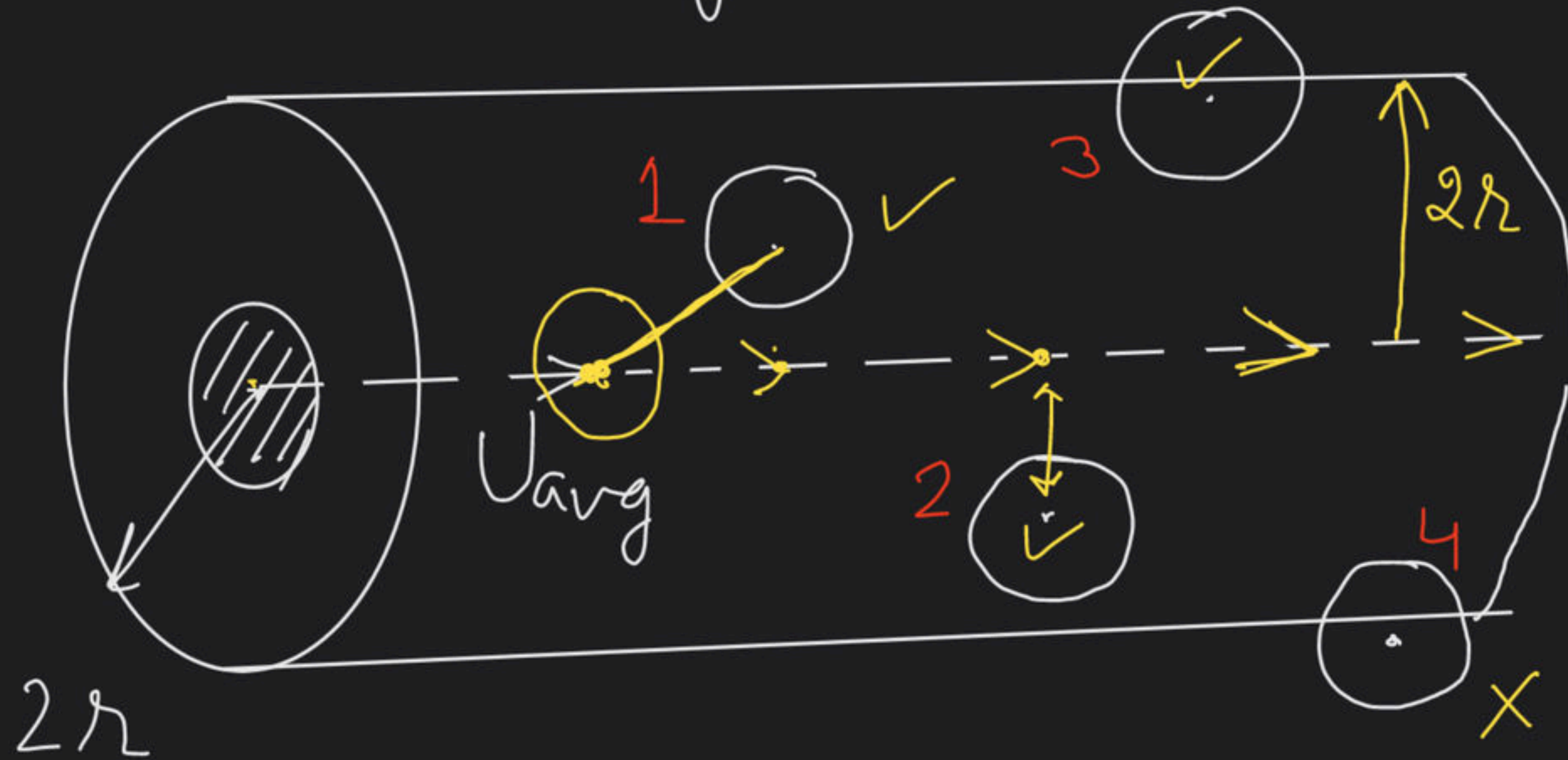
= number
density

collision diameter (σ)



$$2r = \sigma$$

Assumption : only one molecule is moving

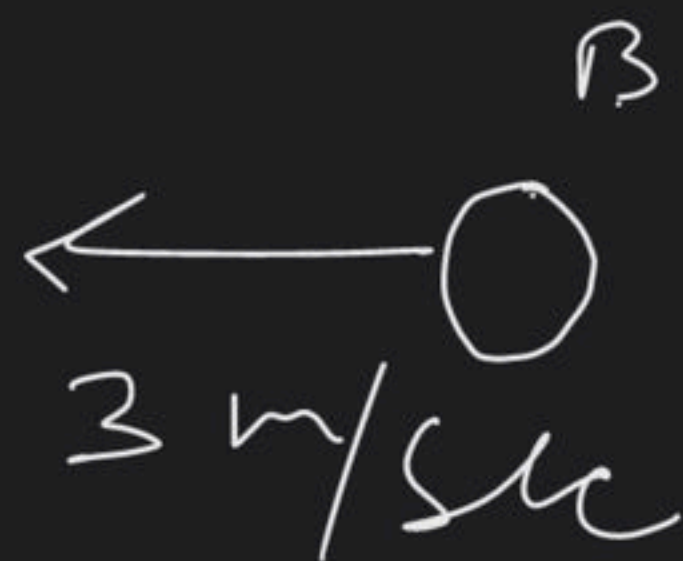
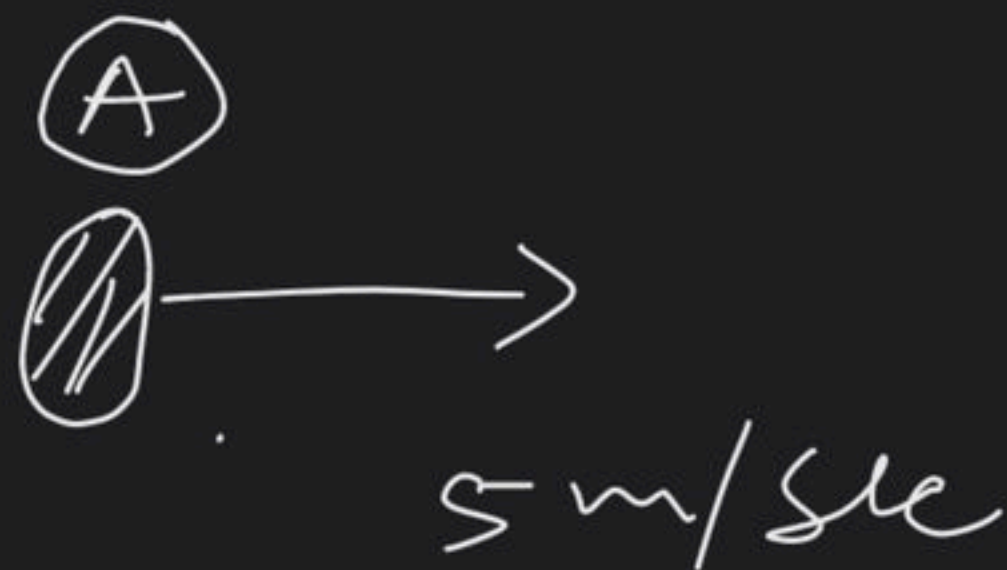


distance travelled by a molecule
in one second = V_{avg}

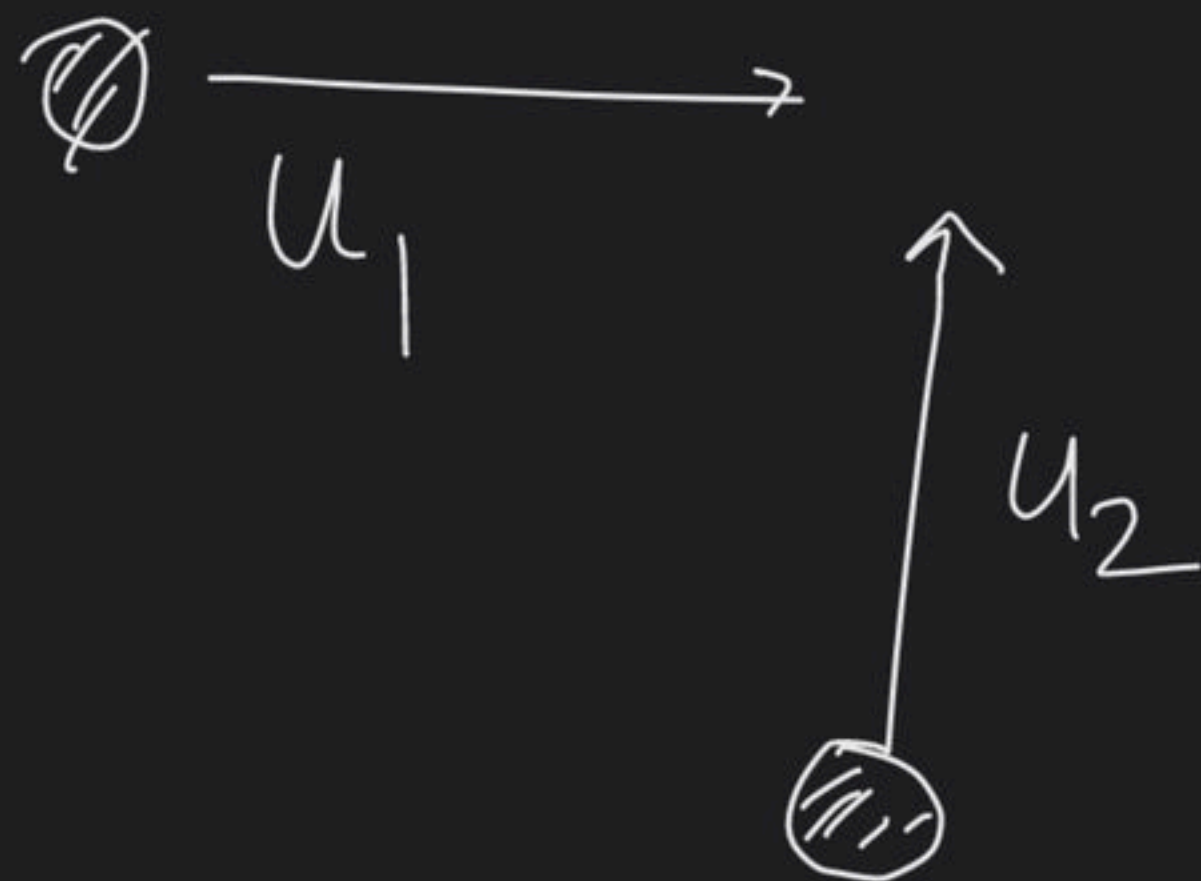
$$\text{Volume of cylinder} = \pi \sigma^2 V_{\text{avg}}$$

$$\begin{aligned} \text{No. of molecules in cylinder} &= (\pi \sigma^2 V_{\text{avg}}) N^* \\ &= \text{no of collision} \\ &\quad \text{per second} \\ &\quad \text{by single molecule} \end{aligned}$$

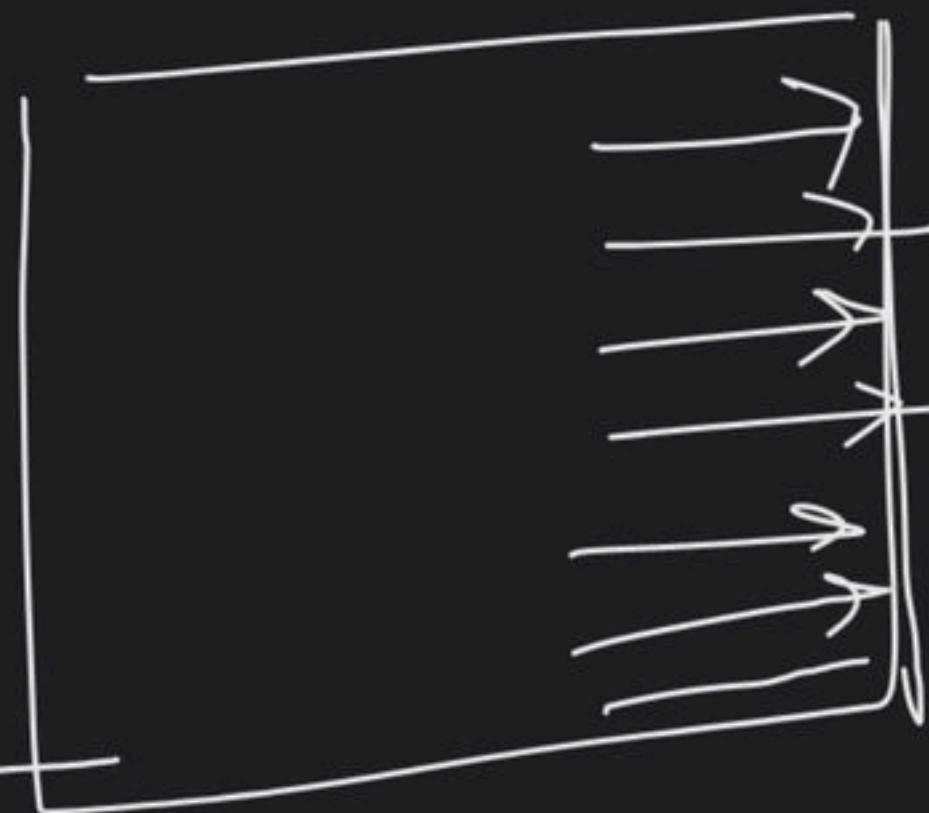
Now all the molecules are moving

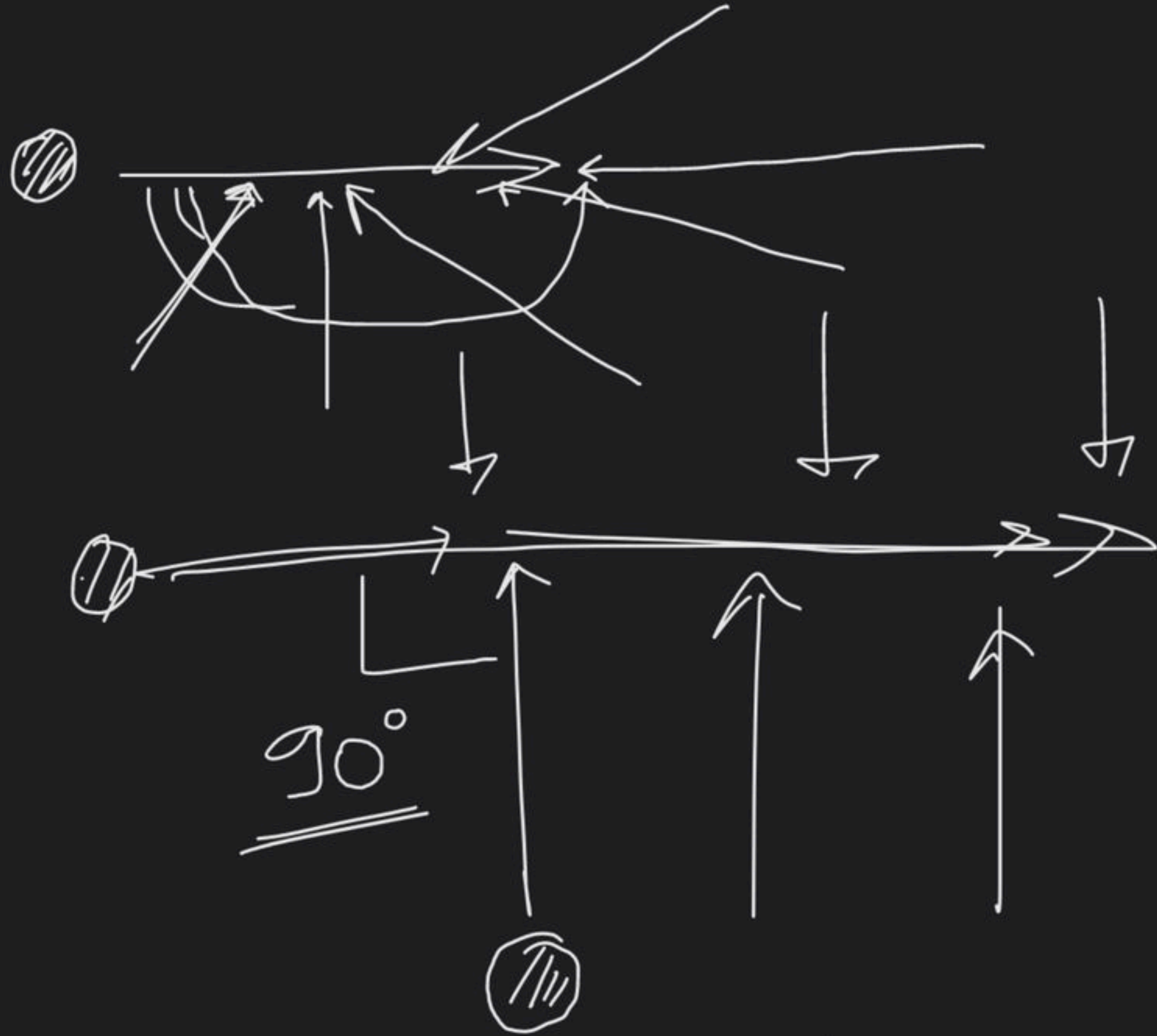


$$\underline{\underline{V_{rel} = 8}}$$



$$\underline{\underline{V_{rel} = \sqrt{u_1^2 + u_2^2}}}$$

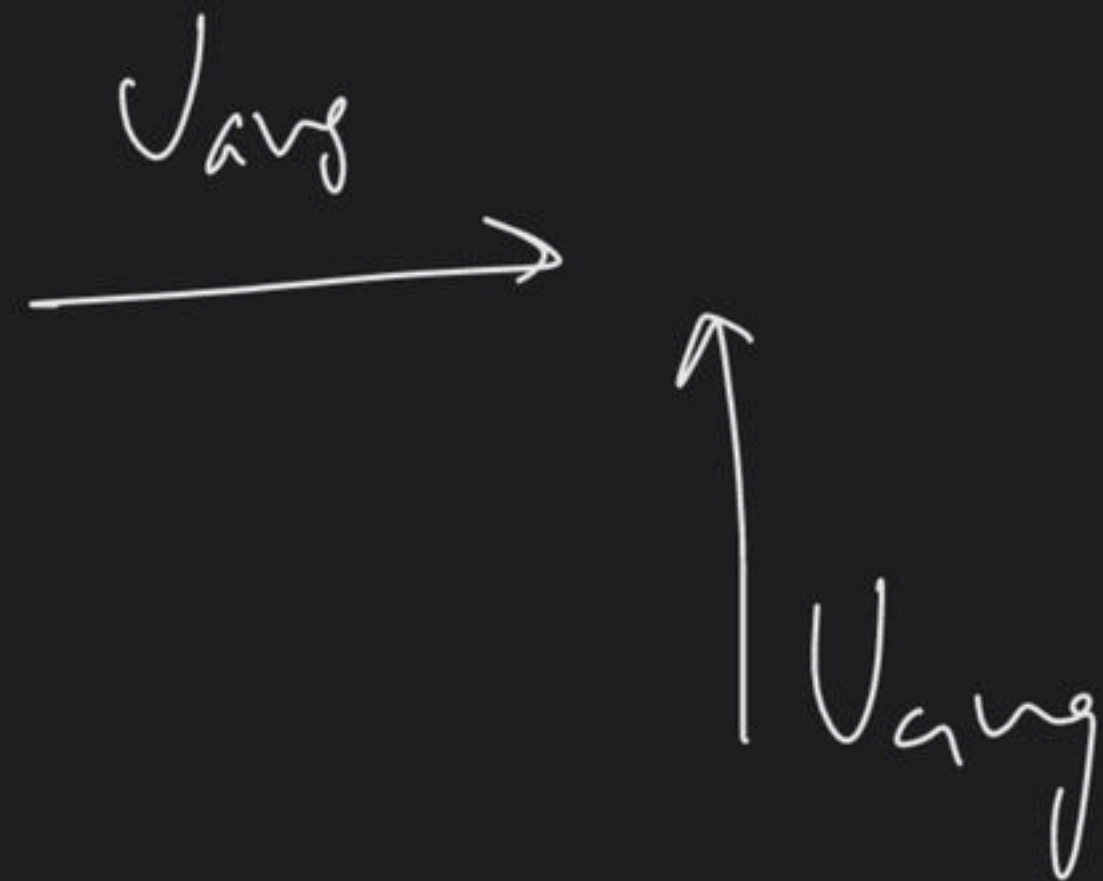
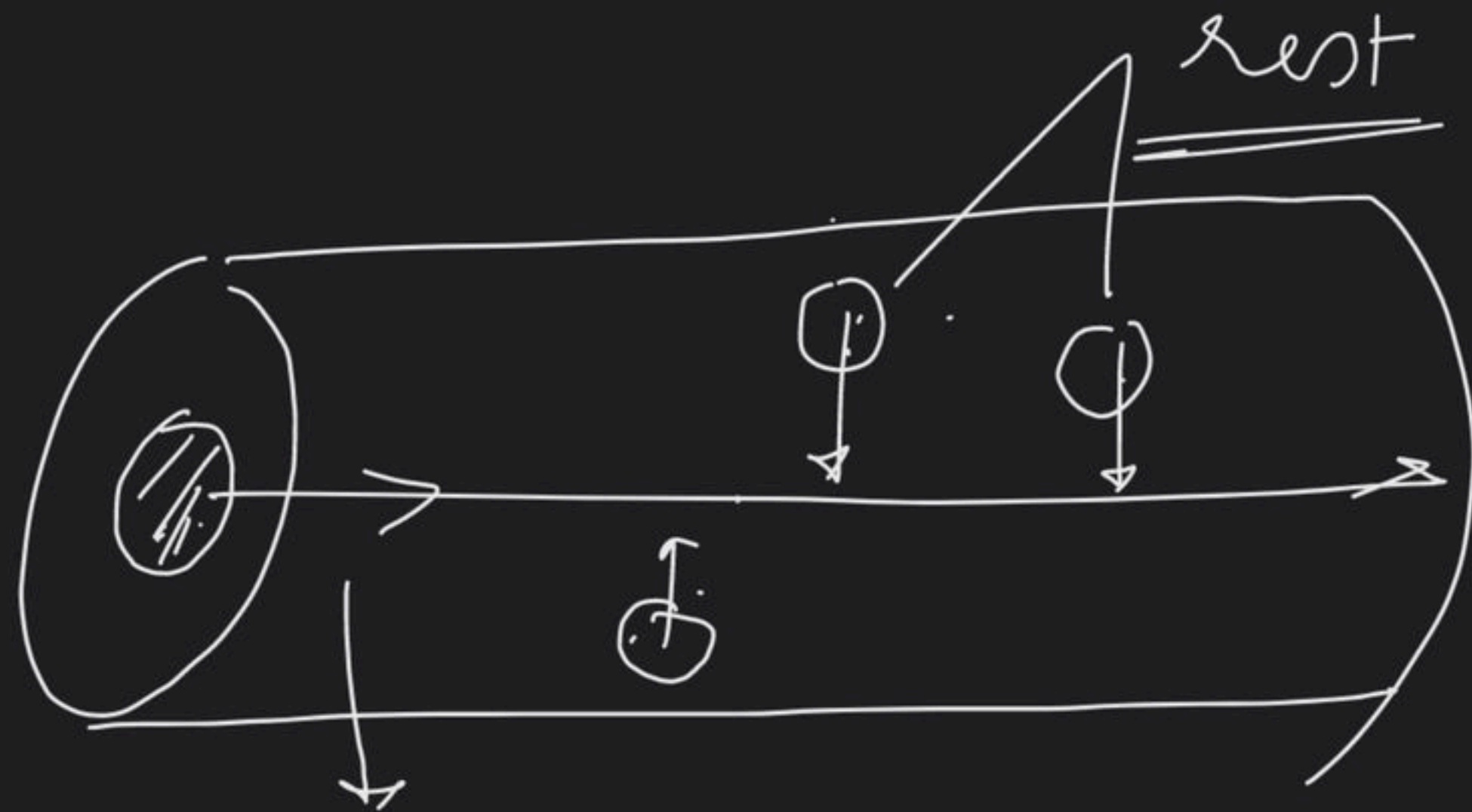




$0 - 180^\circ$

~~Two~~ molecules can collide at any angle from 0 to 180° with equal probability.

Therefore avg angle of collision can be taken 90°



$$v_{rel} = \sqrt{2} v_{avg}$$

$$\text{no. of molecules in cylinder} = \sqrt{2} \pi r^2 v_{avg} N^*$$

$$\text{no. of collision made by a single molecule in one second} = Z_1$$

$$\text{Total no. of collision per sec} = \frac{N \times Z_1}{2}$$

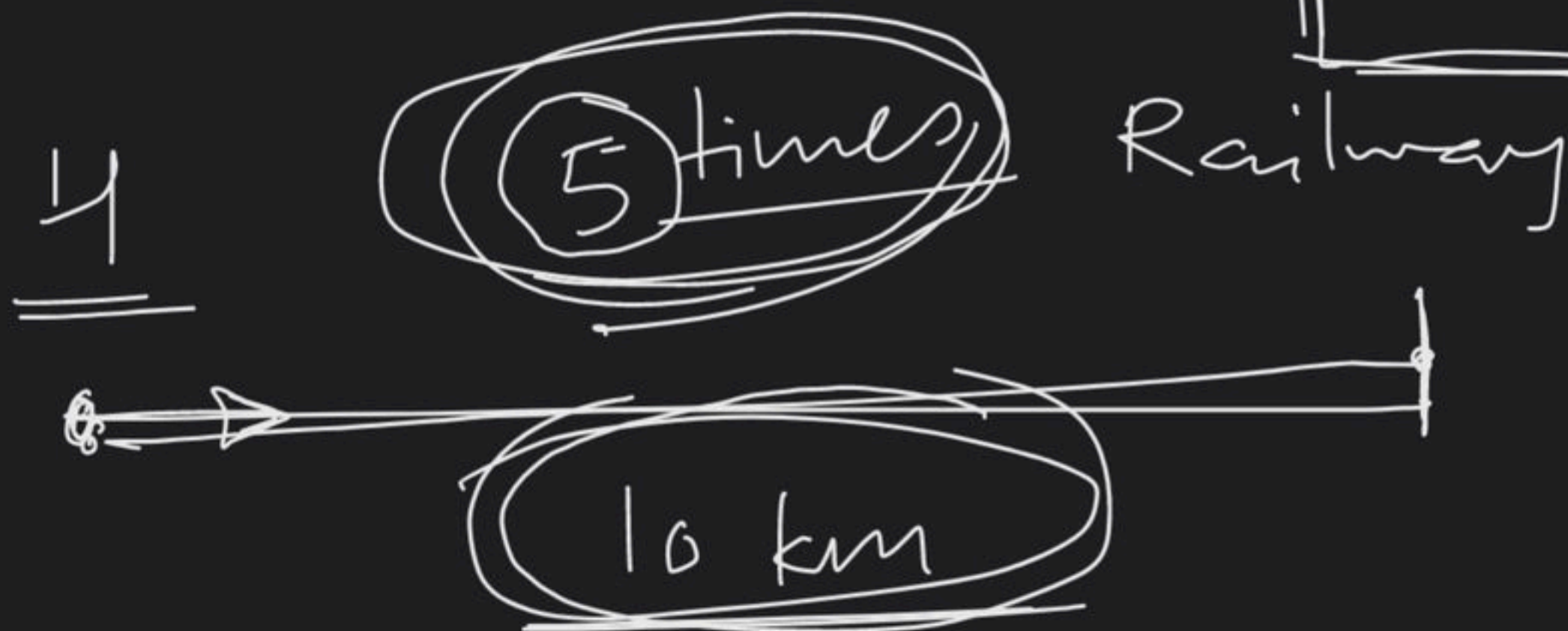
$$\text{Total no. of collision per unit volume per sec} = \frac{1}{2} \left(\frac{N}{V} \right) Z_1$$

$$\text{collision frequency} = Z_{11} = \frac{1}{\sqrt{2}} \pi \sigma^2 V_{\text{avg}} (N^*)^2$$

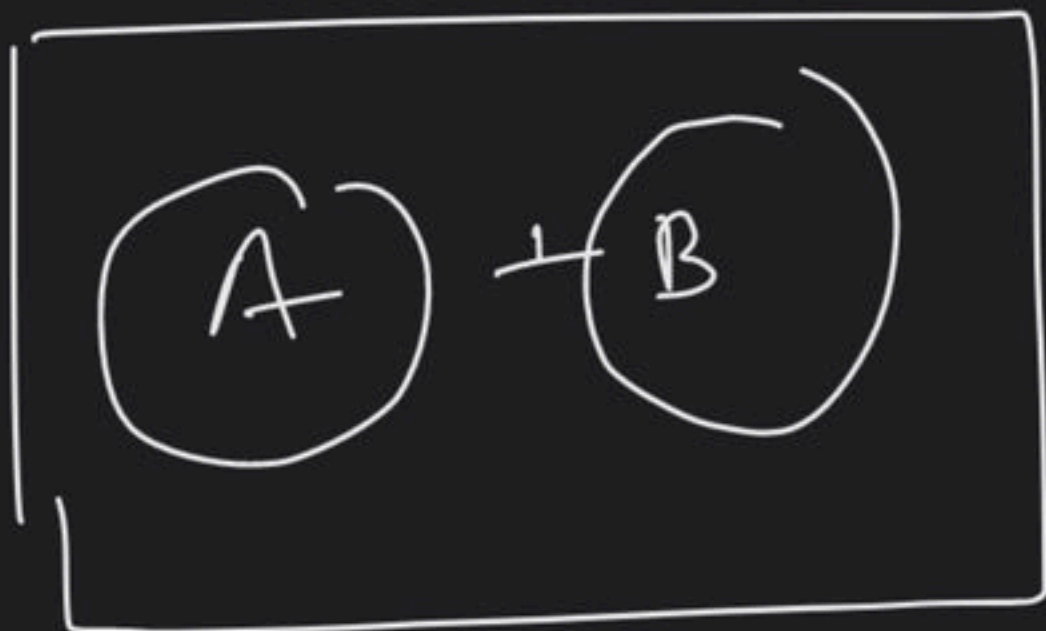
Mean free path (λ)

Avg distance travelled between two successive collisions.

$$\lambda = \frac{V_{avg}}{Z_1}$$



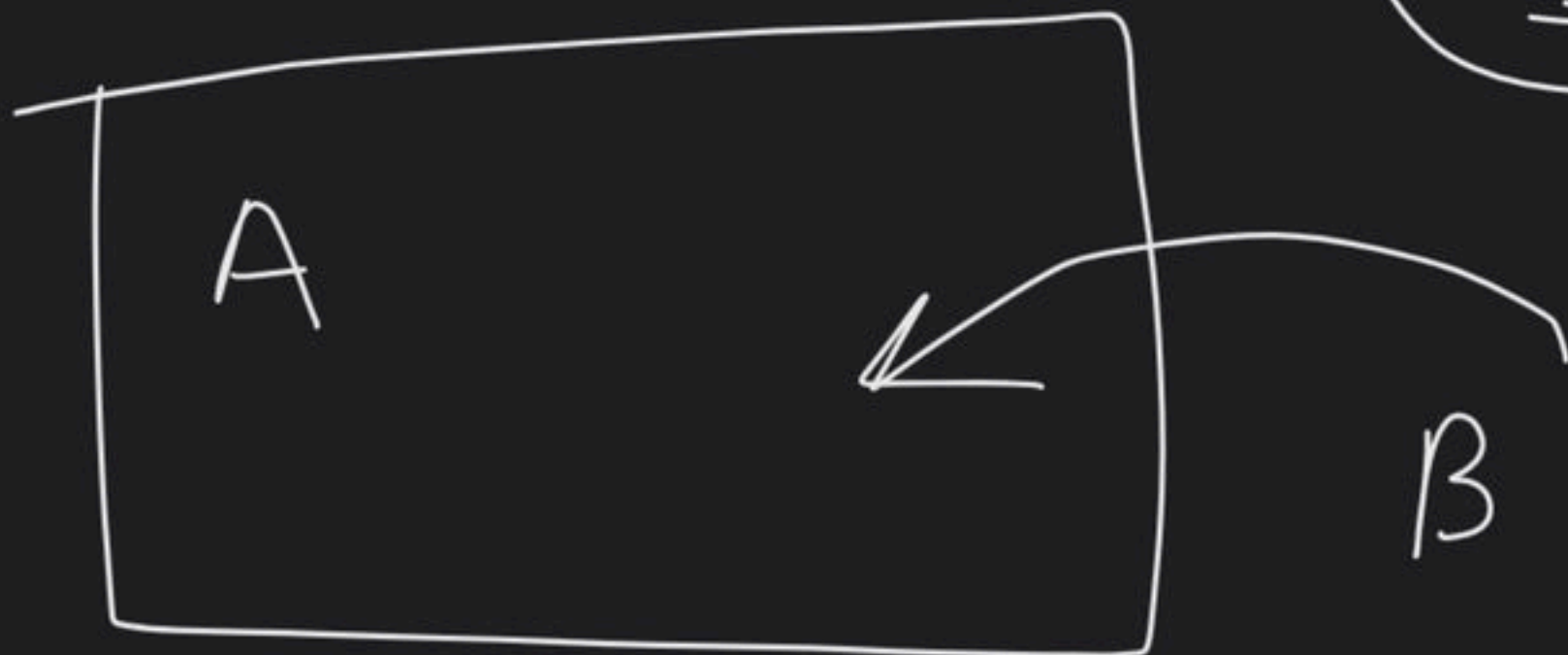
$$\lambda = \frac{V_{avg}}{\sqrt{2} \pi \sigma^2 V_{avg} N^x} = \frac{1}{\sqrt{2} \pi \sigma^2 N^x}$$



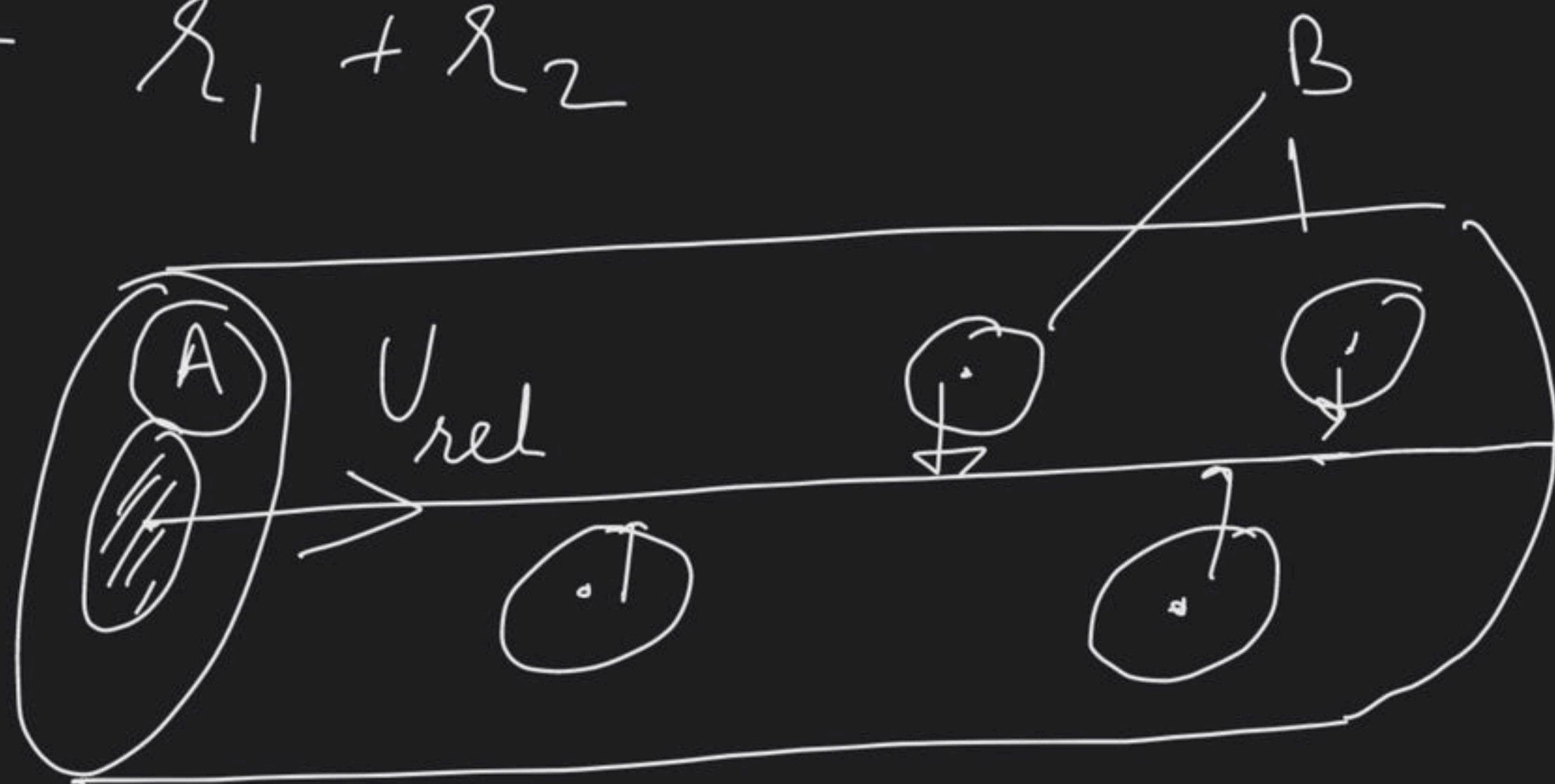
$$A - A \rightarrow Z_{11}$$

$$B - B \rightarrow Z_{11}$$

A - B ~~||||~~



$$\sigma = r_1 + r_2$$



$$U_{rel} = \sqrt{U_1^2 + U_2^2}$$

$$\text{no. of molecules of B} = \frac{\pi \sigma^2 U_{rel} N_B^*}{\sqrt{\frac{8RT}{\pi} \left(\frac{1}{M_1} + \frac{1}{M_2} \right)}}$$

Total

$$\begin{array}{l} \text{Total no of Collision} \\ \text{bet}^n \text{ A \& B} \\ \text{per sec.} \end{array} = \pi \sigma^2 V_{\text{rel}} N_B^* \times N_A$$

$$\begin{array}{l} \text{Total no of collision} \\ \text{per sec per unit} \\ \text{volume bet}^n \text{ A \& B} \end{array} = \pi \sigma^2 V_{\text{rel}} N_B^* N_A^* = Z_{12}$$

$$Z_1 = \underline{\underline{\sqrt{2} \pi \sigma^2 V_{avg} N^*}}$$

$$Z_{11} = \underline{\underline{\frac{1}{\sqrt{2}} \pi \sigma^2 V_{avg} (N^*)^2}}$$

$$= \frac{1}{2} Z_1 N^*$$

$$\lambda = \frac{1}{\sqrt{2} \pi \sigma^2 N^*} = \frac{V_{avg}}{Z_1}$$

$$V_{avg} \propto \sqrt{T}$$

betⁿ A & B

$$Z_1 = \pi \sigma^2 V_{rel} N_B^*$$

$$Z_{12} = \pi \sigma^2 V_{rel} N_A^* N_B^*$$

Effect of $p, T \& V$ on Z_1, \dots

$$N^* = \frac{N}{V}$$

$$PV = \frac{N}{N_A} RT$$

$$P = \left(\frac{N}{V} \right) \left(\frac{R}{N_A} \right) T$$

$$N^* = \frac{P}{kT}$$

$$Z_1 \propto \sqrt{T} \frac{P}{T}$$

$$Z_1 \propto \frac{P}{\sqrt{T}}$$

$$Z_{II} \propto \frac{p^2}{T^{3/2}}$$

$$\lambda \propto \frac{T}{P}$$

① With temp at const V

$T \uparrow$ es

Z_1

Z_{II}

λ

I I C

Ⓐ I I I

Ⓑ D D D

Ⓒ I I D

Ⓓ None

Ⓔ D D I

Since $P \propto T$

$$Z_I \propto \sqrt{T}$$

$$Z_{II} \propto \sqrt{T}$$

$$\lambda = \text{const}$$

I-M

S-I

O-II

(II) With Temp at const P

$$T \uparrow$$

$$Z_I \propto \frac{1}{\sqrt{T}} \downarrow$$

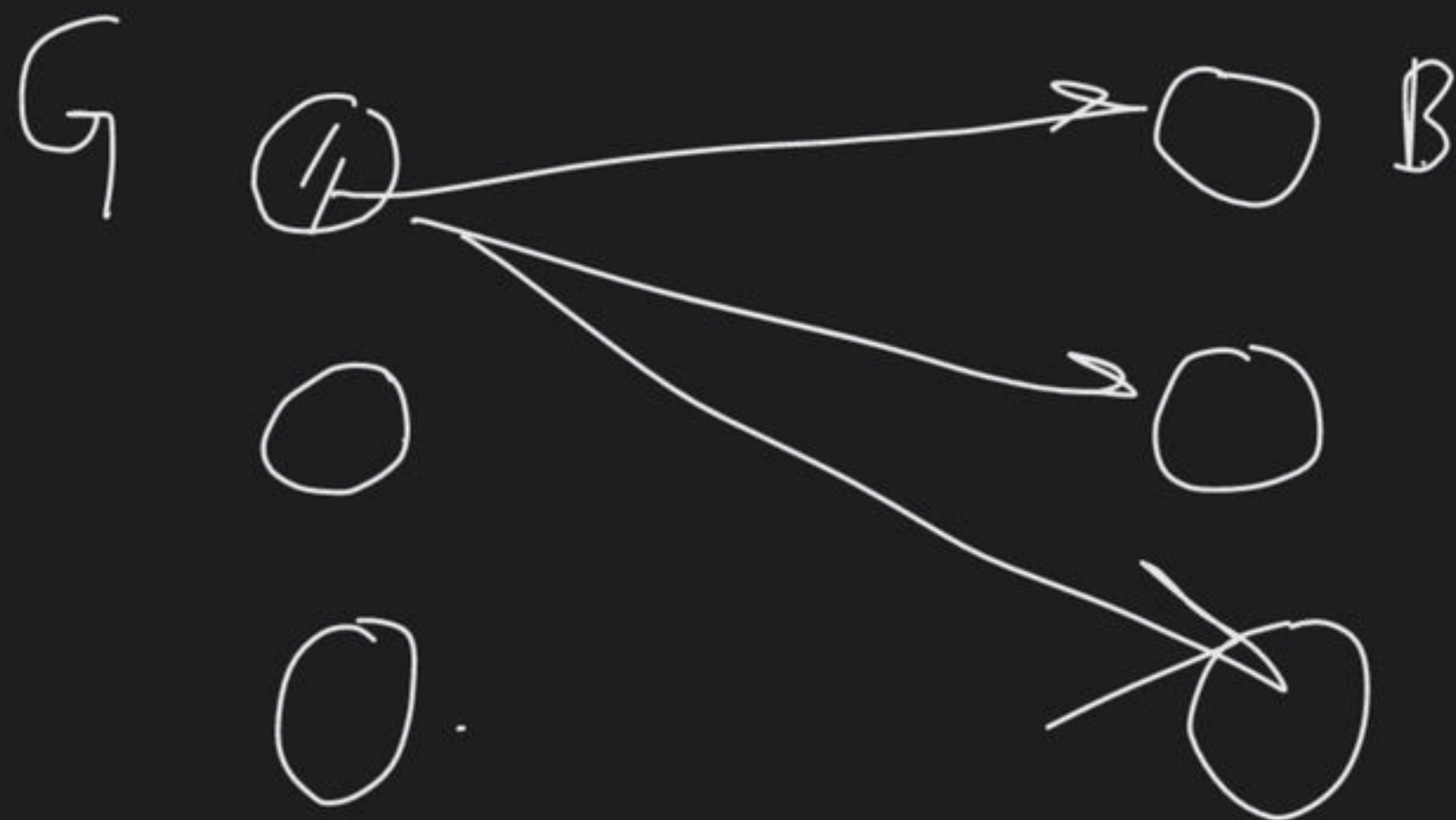
$$Z_{II} \propto \frac{1}{T^{3/2}} \downarrow$$

$$\lambda \propto T \uparrow$$

$$T \uparrow$$

$$V \uparrow$$

$$\sqrt{2}$$



g

