



ARJUNA NEET BATCH



UNITS AND MEASUREMENTS

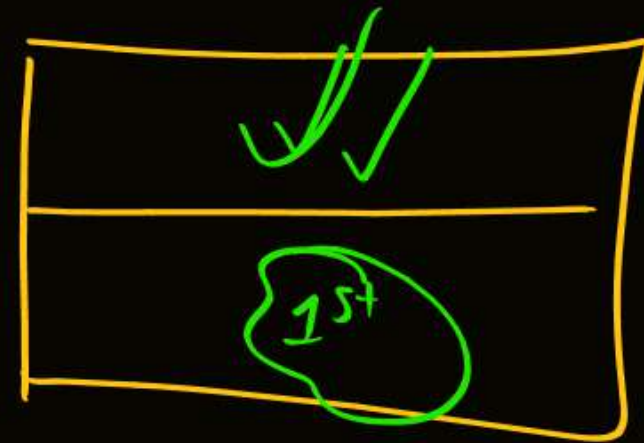
LECTURE - 05

(1) Equation is Dimensionally correct
then it must be (physically) correct

[Ans] \rightarrow false

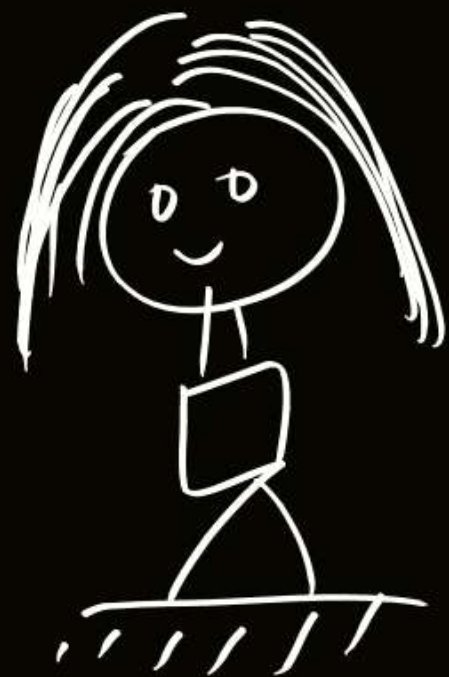
(2) A equation is physically correct then
it may be dimensionally
Correct

\Rightarrow false



② A P.Q have dimension then
it may have unit \Rightarrow false

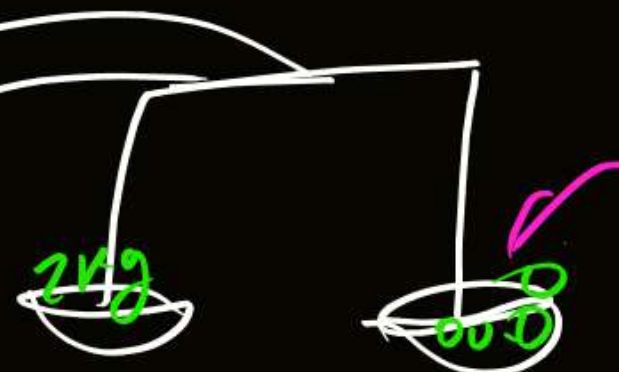
③ If P.Q have unit then
it must be dimension less \rightarrow false



Pinky



Kallu Sabji
Wallaha



$m = \boxed{2} \text{ kg} = \boxed{2000 \text{ gram}}$

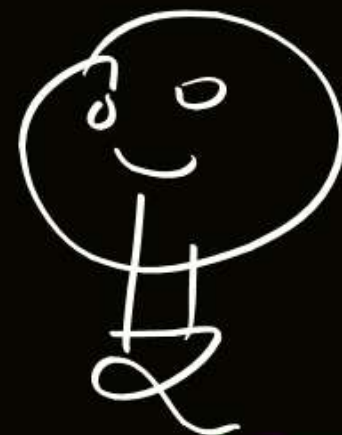
$m = 2 \times 10^3 \text{ gram}$

$m = 105.000 \text{ g}$

Ramlal Gob
Wallha

Weight

$m = \underline{2.4} \text{ kg}$



$m = 2.4 \times 10^3 \text{ gram}$
②

✓ $\lambda = 400 \text{ m} = 4 \times 10^2 \text{ m} = 4 \times 10^4 \text{ cm}$

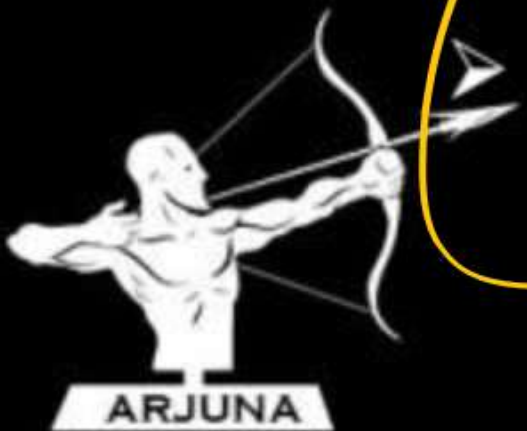
→ Significant digit = 1

→ $\lambda = 4.00 \text{ m} = 4.00 \times 10^2 \text{ cm}$

→ S.F. = (3)

Significant Figures (Meaningful Digits)

- All non-zero digits are significant
Ex - 44 m \Rightarrow 2 ✓
- All zeros between non-zero digits are significant
Ex - 405 m \Rightarrow 3 ✓
- All zeros on left side are non-significant. Ex 0.04
- Exact number have infinite significant figure
- Power form are not considered as significant figure.

$$1.\overline{0000000000} \dots$$


☆ Trailing zero after decimal place is significant.

$$l = 3.5 \text{ cm}$$



$$S.F = 2$$

$$l = 3.50 \text{ cm}$$



$$S.F = 3$$

$$l = 3.500 \text{ cm}$$



$$S.F = 4$$

$$200 \text{ kg}$$

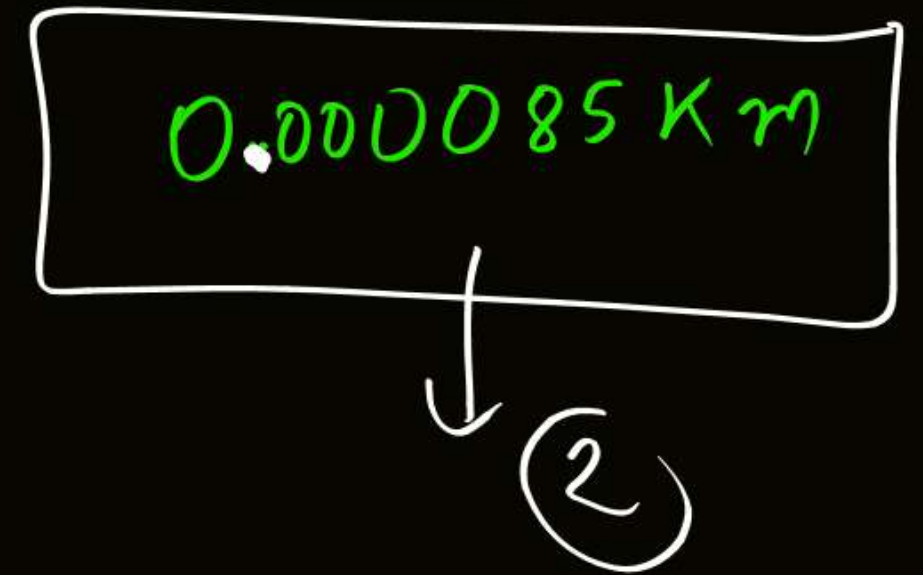
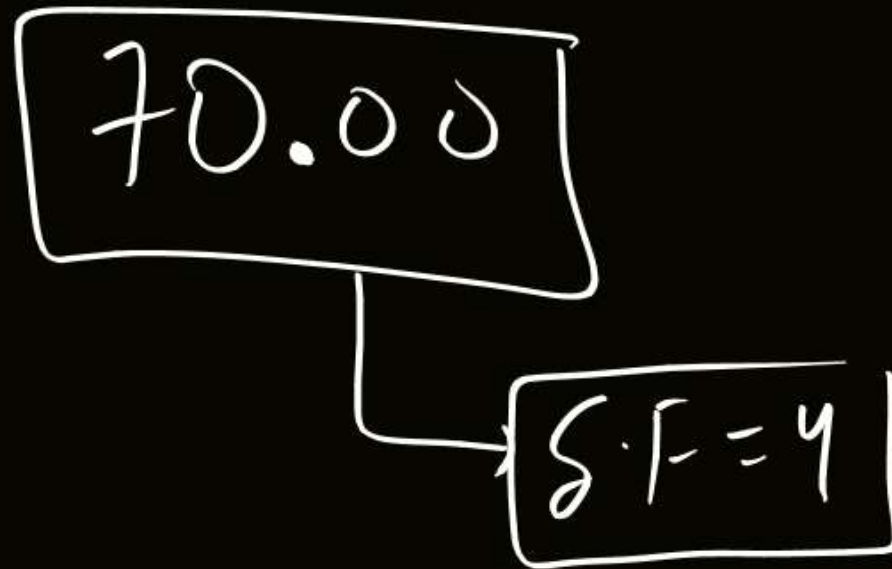
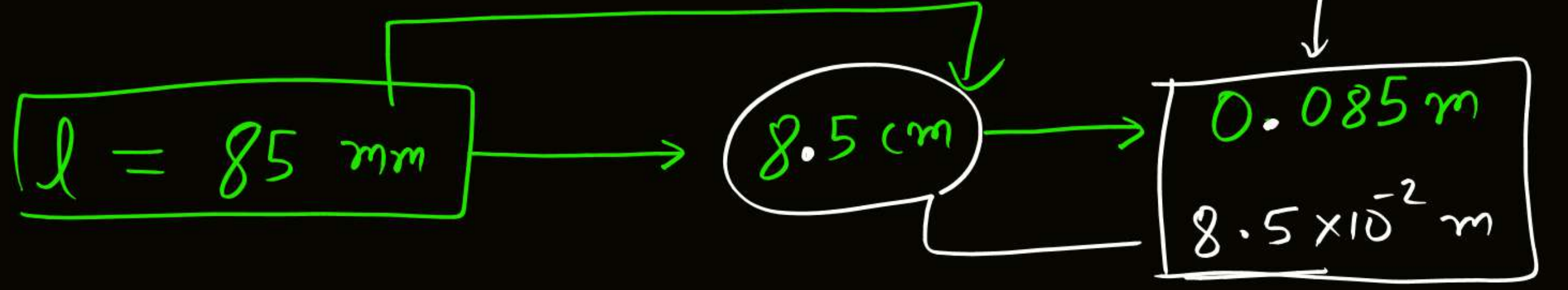
$$\rightarrow S.F = 1$$

$$400 \text{ cm}$$

$$\rightarrow S.F = 1$$

$$40040$$

$$S.F = 4$$



The number of significant figures in 0.01020 is :

- (A) 1 (B) 2
(C) 3 ~~(D) 4~~

The number of significant figures in 0.900 is :

- (A) 1 (B) 2
~~(C) 3~~ (D) 4

The number of significant figures in 0.007 is :

- (A) 4 (B) 3
(C) 2 ~~(D) 1~~

The number of significant figures in (i) 0.03800 and (ii) 90.00 is :

- (A) (i) D (ii) D (B) (i) B (ii) A
(C) (i) C (ii) C (D) (i) B (ii) D

4

4



❖ Addition or Subtraction

→ Final result is written in minimum decimal places.

Why ??

❖ Multiplication or Division

→ Final result written in minimum significant figure.



If $A = 2.413$ and $B = 1.2$ then find $A + B$.



$$\Rightarrow A + B$$

$$\underline{2.413} + \underline{1.2}$$

$$= \boxed{3.613} \times$$

$$= \boxed{3.6} \checkmark \text{Ans}$$



If A = 25.5 and B = 5 then find $\frac{A}{B}$.



$$\left(\frac{A}{B}\right) = \frac{25.5}{5} = 5.1 \approx \textcircled{5}$$

Ans



$\frac{1.5}{1.5}$ is equal to

~~(A)~~ 1

~~(B)~~ 1.0

(C) 1.00

(D) 1.000

$$\left[\frac{1.5}{1.5} \right] = 1.0$$

Two significant digit ✓



Taking into account of the significant figures, what is the value of $9.99 \text{ m} - 0.0099 \text{ m}$?
[NEET 2020]

~~(A) 9.9801 m~~
~~(C) 9.980 m~~

~~(B) 9.98 m~~
~~(D) 9.9 m~~

$$\Rightarrow 9.99 \text{ m} - 0.0099 \text{ m} = ??$$

MR^*

\rightarrow min^m decimal place



ROUNDING OFF



- If digit to be removed is less than 5 then there is no change in ~~presently~~ *previous* number.

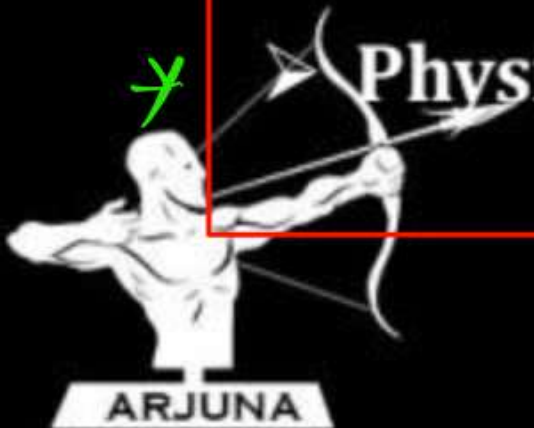
$$246\underline{4} \Rightarrow \boxed{246}$$

- If digit to be removed is greater than 5 then there previous number increases by 1.

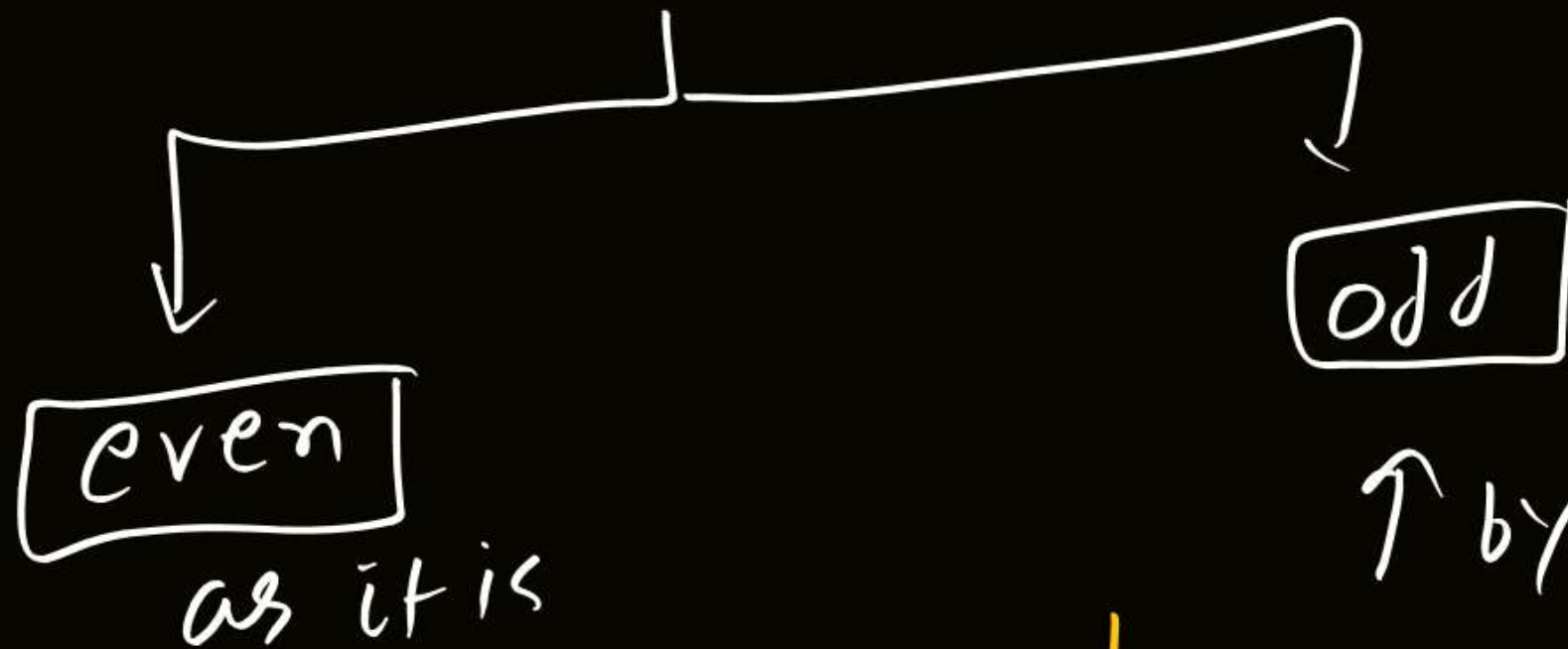
$$246\underline{8} \Rightarrow \boxed{247}$$

- If digit is 5, then previous number remains same if even and increase by 1 then if odd.

- * ➤ Dimensionally correct equation must be (physically) correct. \rightarrow False
- * ➤ Dimensionally incorrect must be physically correct. \rightarrow False
- * ➤ Physically incorrect equation may be dimensionally correct. \rightarrow True
- * ➤ Physically correct may be dimensionally correct. \rightarrow False



last digit 5



EX $24685 = 2468$

(An upward arrow points from the digit 8 to the digit 5 in the number 24685.)

$$24375 = \underline{\underline{2438}}$$

(An upward arrow points from the digit 7 to the digit 5 in the number 24375.)

When 96.54 is divided by 2.40, the correct result is :

(A) 40.2250 ✗

↓
S.F = 3

(B) 40.225 ✗

(C) 40.23 ✗

(D) 40.2 ✓

$$= \frac{96.54}{2.40} = 40.2$$

MR



Find round off value of $x = 6.87$

(A) 6

(C) 6.8

(B) 6.7

~~(D) 6.9~~

Find round off value of $x = 16.351$

(A) 16

(C) 16.3

(B) 16.33

~~(D) 16.4~~

Find round off value of $x = 3.750$

(A) 3.7

(C) 3.5

~~(B) 3.8~~

(D) 3

Find round off value of $x = 3.250$

~~(A) 3.2~~

(C) 3.5

(B) 3.25

(D) 3

16.351 ⁽¹⁾
 \uparrow
16.4

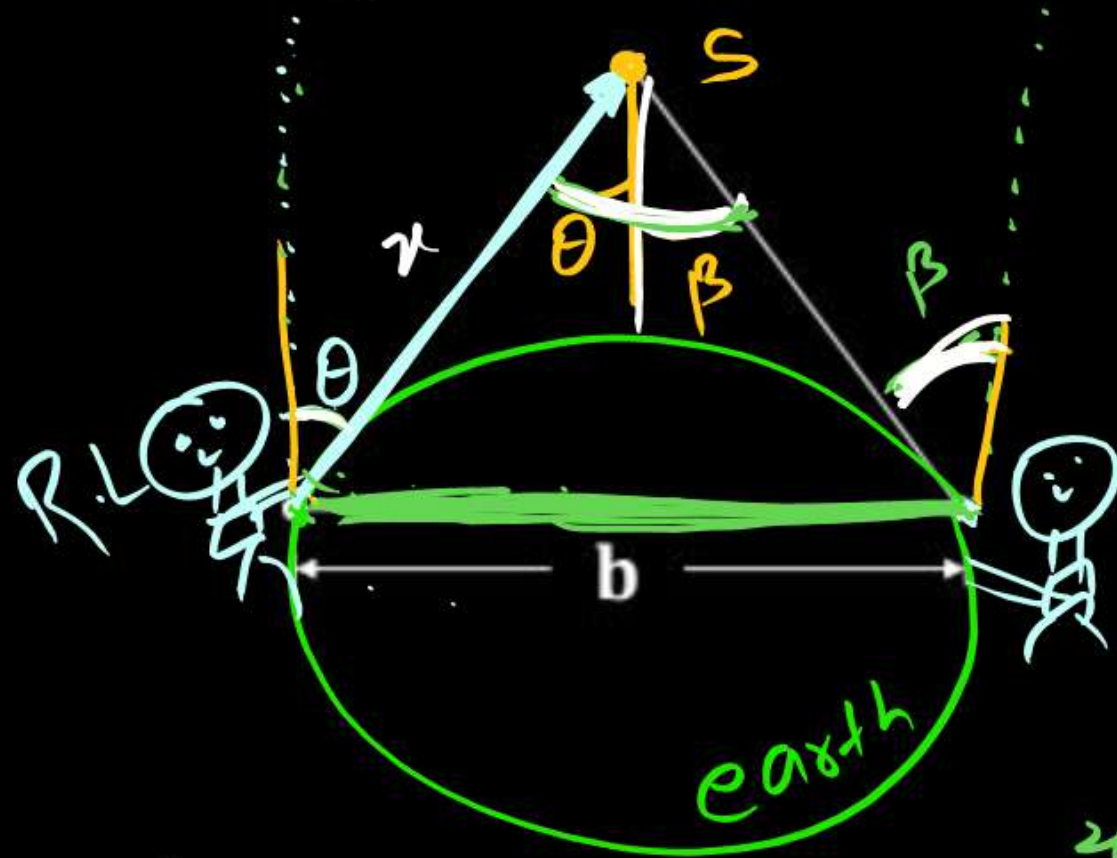


PARALLAX METHOD

→ Not important for NEET



Change in the apparent position of the object when viewed from two different points of view.
measure the distⁿ b/w Planet & earth (x)



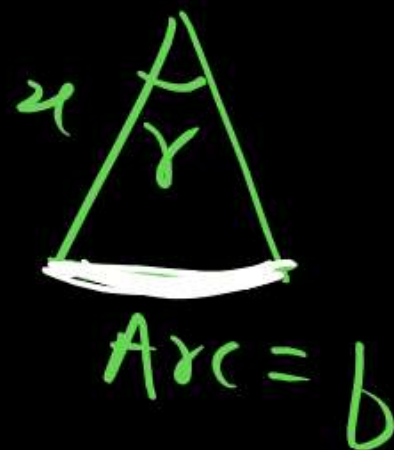
S - Position of the planet

b = distance between two point of observation

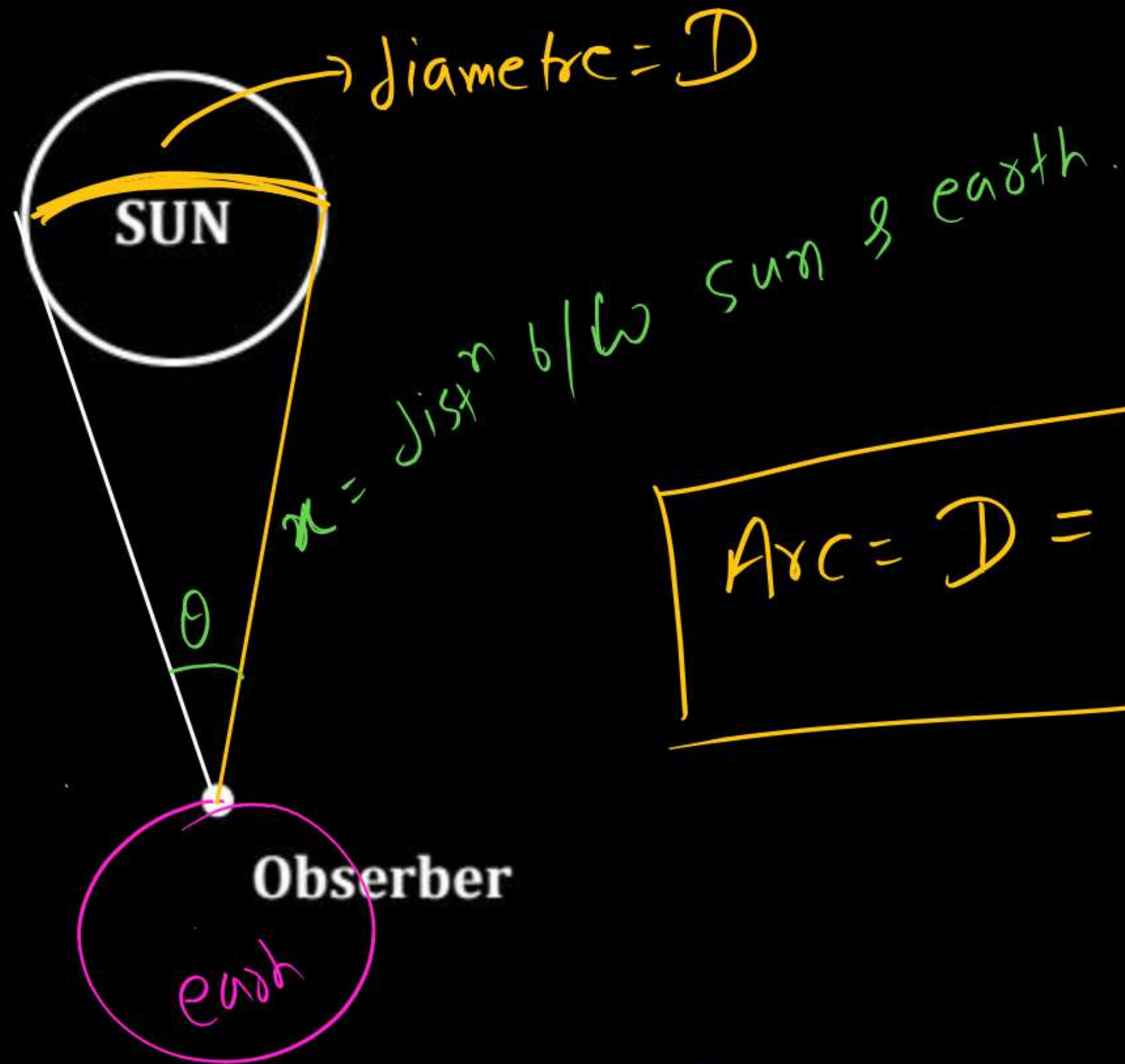
$$(\theta + \beta) = \gamma = \text{small angle } \{x \gg b\}$$

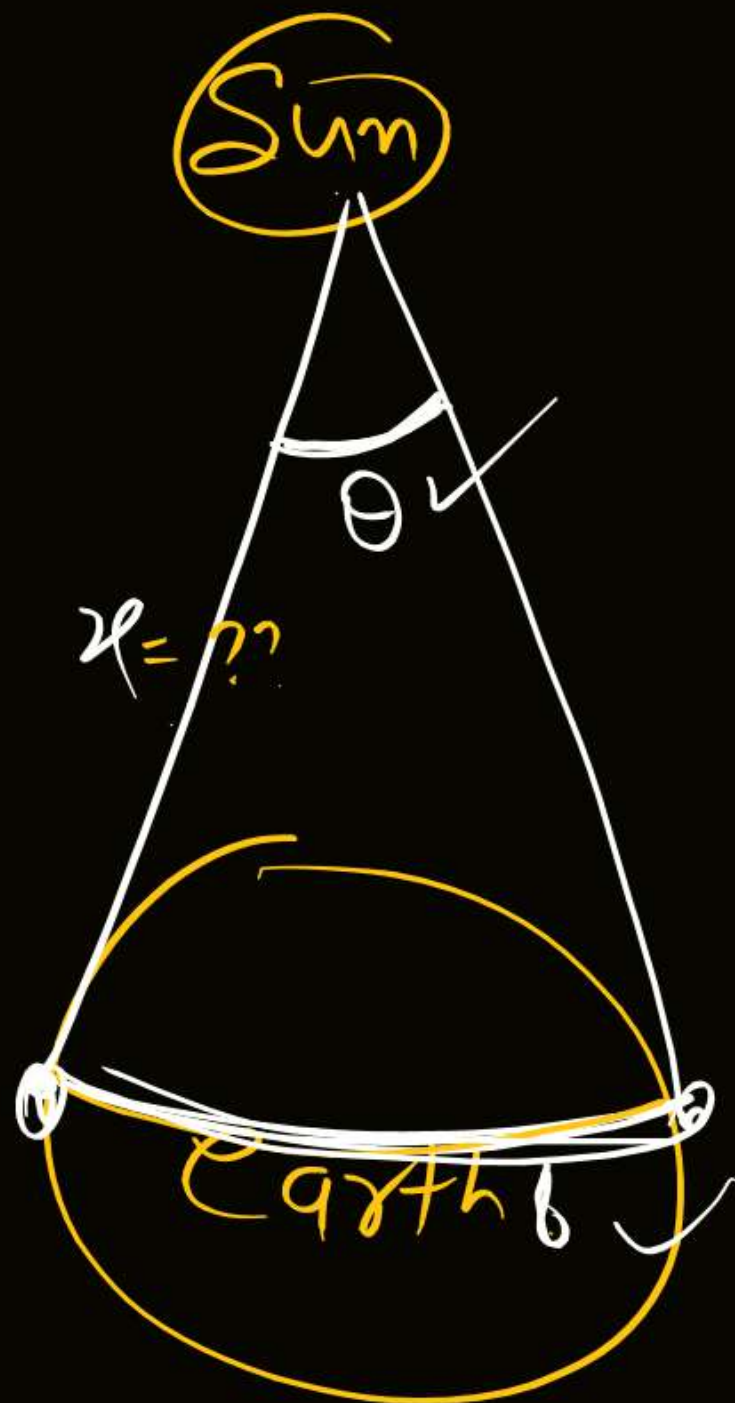
$$\text{Arc} = b = x\gamma$$

$$x = \frac{b}{\gamma} = \text{dist}^n \text{ of sun from earth}$$



Measurement of Diameter of Planet

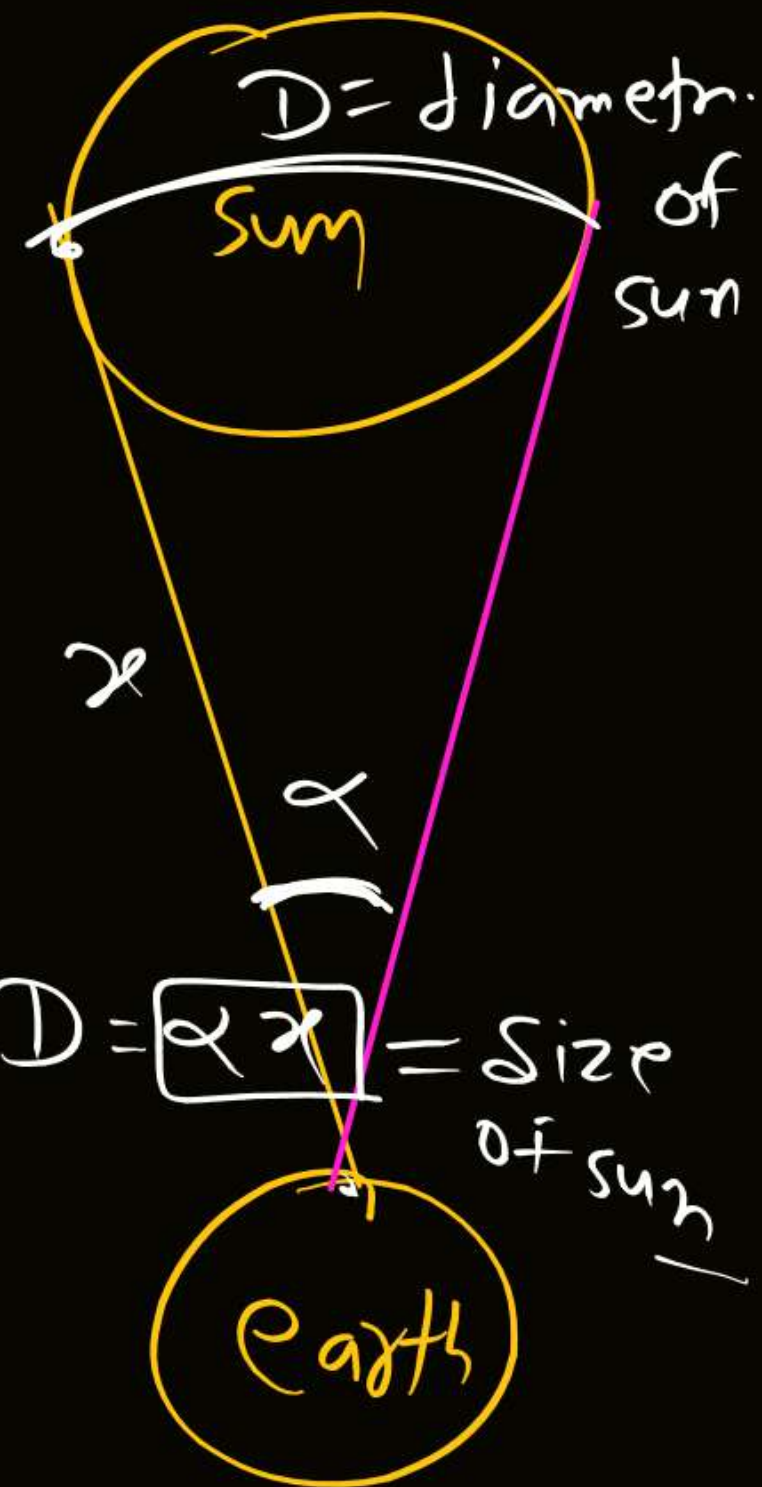




distⁿ b/w
sun & earth

$$\theta = \frac{b}{r}$$

$$\text{Arc} = b = \theta r$$

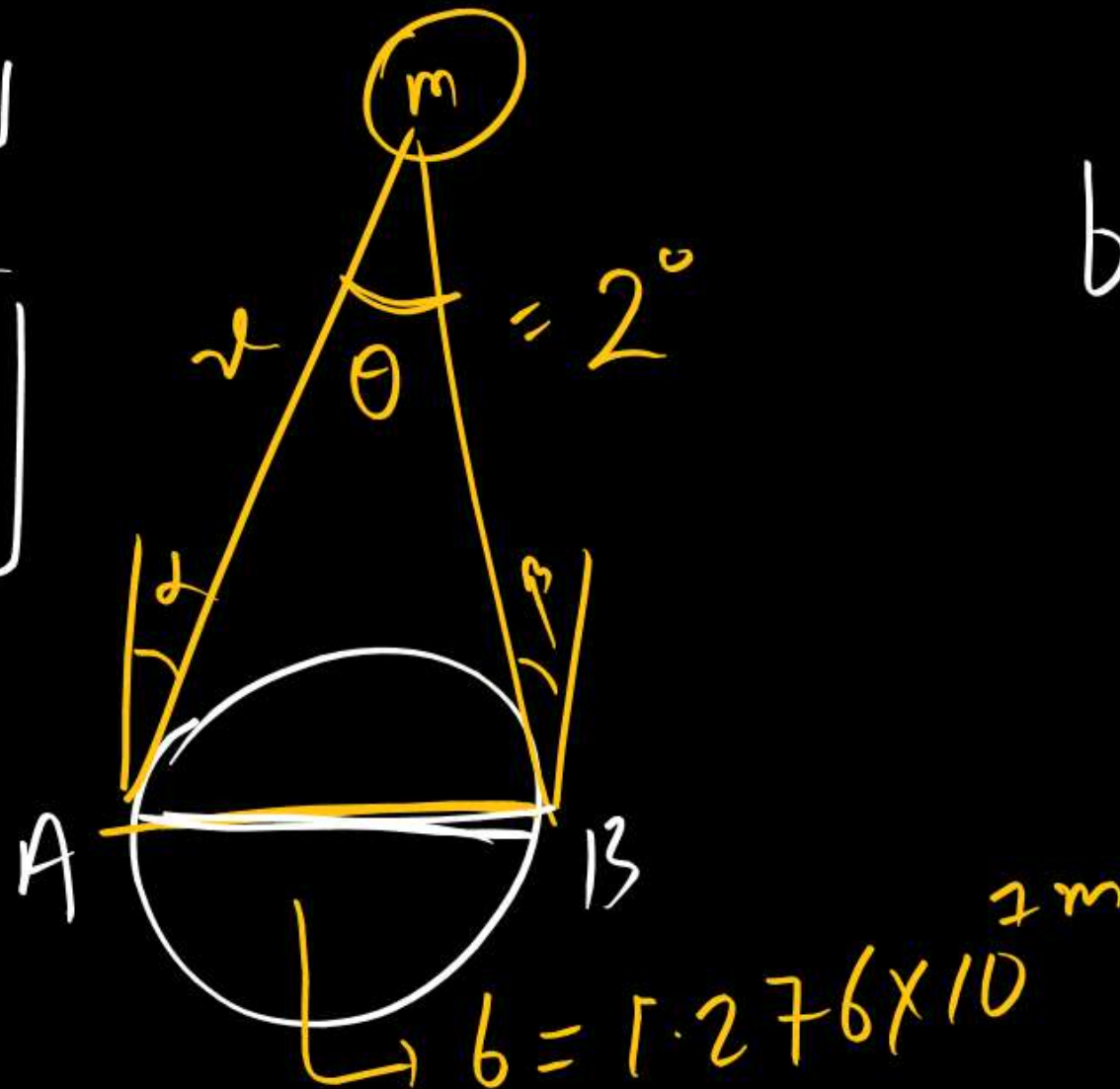


$$\text{Arc} = D = \theta r = \text{Size of sun}$$

The moon is observed from two diametrically opposite points A and B on Earth. The angle θ subtended at the moon by the two directions of observation is 2° . Given the diameter of the Earth to be about 1.276×10^7 m, compute the distance of the moon from the Earth.

$$180^\circ = \pi \text{ rad}$$

$$2^\circ = \frac{\pi}{90} \text{ rad}$$



$$b(\text{Arc}) = r \theta$$

$$r = \frac{b}{\theta} = \frac{1.27 \times 10^7}{\left(\frac{\pi}{90}\right)}$$

$$= \left(\frac{1.27 \times 90}{\pi} \right) 10^7$$

$$\approx \underline{\underline{35 \times 10^7}}$$



MEASURING INSTRUMENT

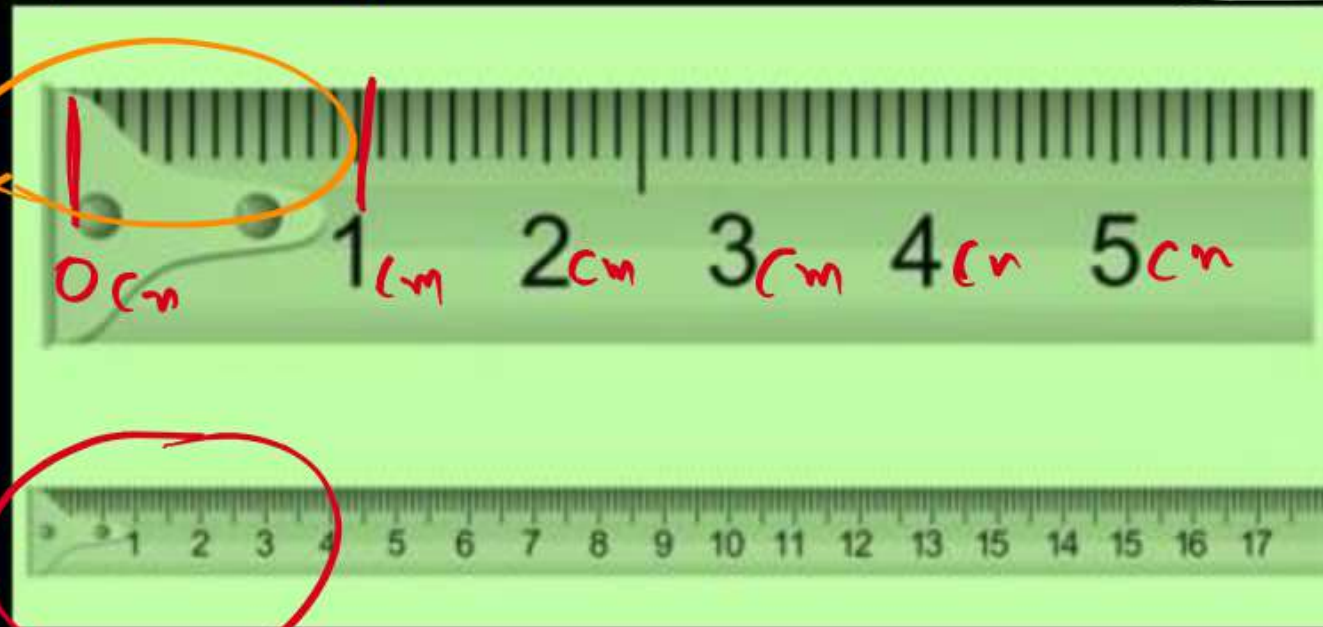


Metre scale :

$$1 \text{ cm} = 10 \text{ division}$$

$$1 \text{ Division} = 1 \text{ M.S.D} = \frac{1 \text{ cm}}{10}$$

$$= 1 \text{ mm}$$

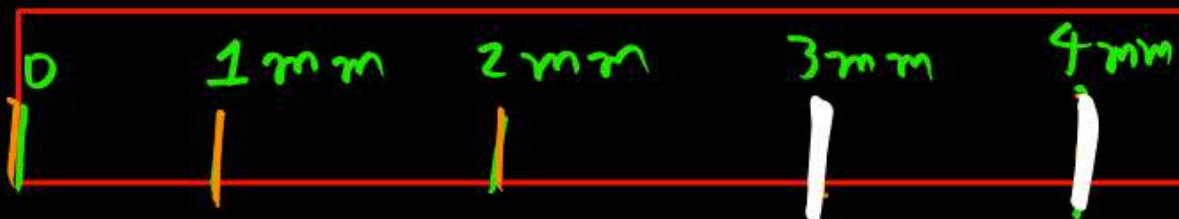


metre scale

metre scale

Length of ROD :

magnif



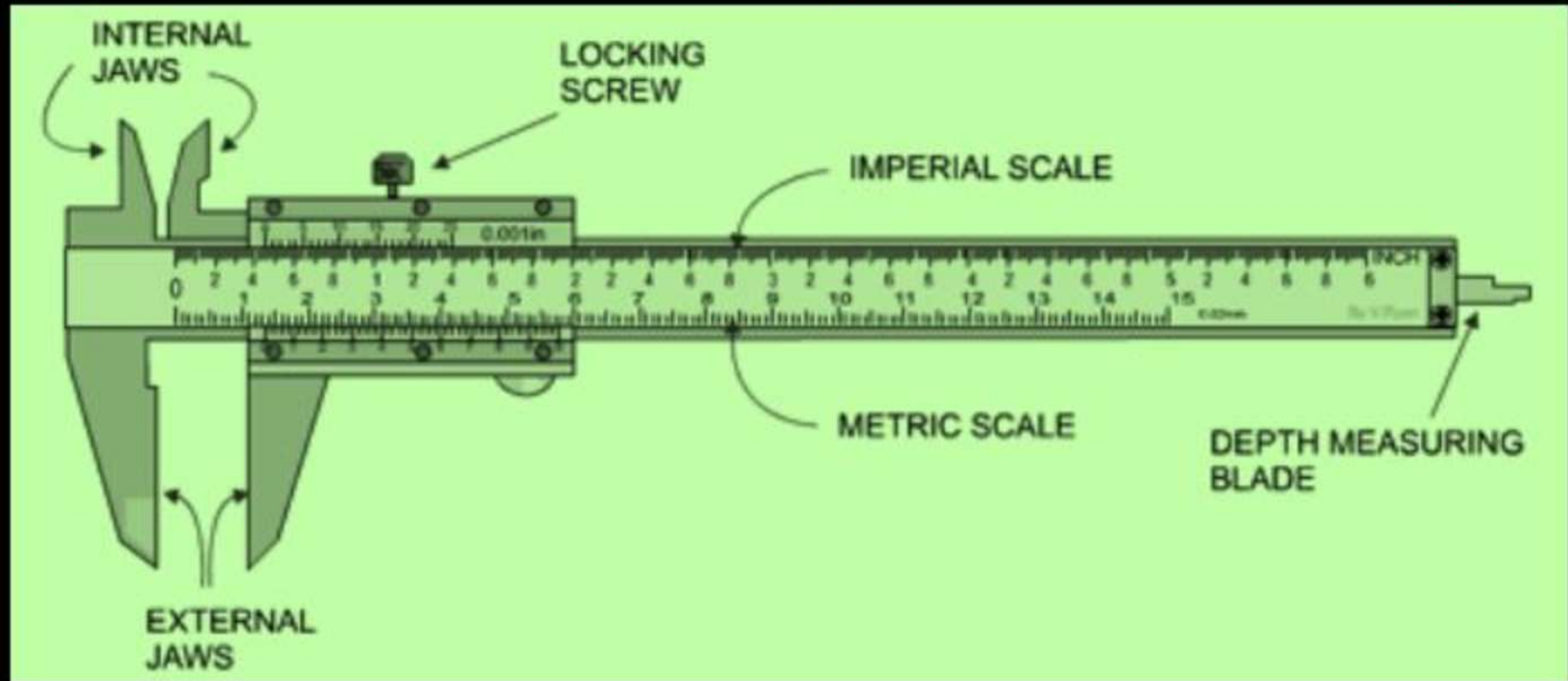
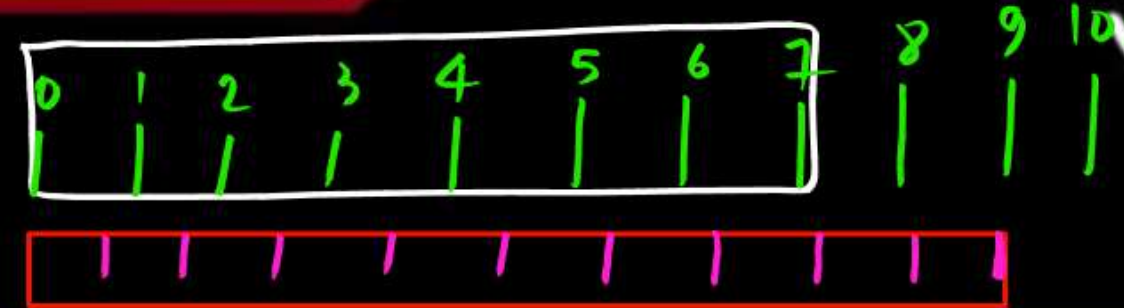
length = ??



DIMENSIONAL FORMULA



Vernier Callipers :



In a Vernier calliper, one main scale division is x cm and n division of Vernier scale coincide with $(n - 1)$ division of the main scale. The least count of the Vernier caliper in cm is :

(a) $\left(\frac{n-1}{n}\right)x$

(b) $\frac{nx}{(n-1)}$

(c) $\frac{x}{n}$

(d) $\frac{x}{n-1}$



The main scale of a Vernier callipers has n divisions/cm. n divisions of the Vernier scale coincide with $(n - 1)$ divisions of main scale. The least count of the Vernier callipers is

(a) $\frac{1}{(n + 1)(n - 1)} \text{ cm}$

(b) $\frac{1}{n} \text{ cm}$

(c) $\frac{1}{n^2} \text{ cm}$

(d) $\frac{1}{n(n + 1)} \text{ cm}$



A student measured the diameter of a small steel ball using a screw gauge of least count 0.001 cm. The main scale reading is 5 mm and zero of circular scale division coincides with 25 divisions above the reference level. If screw gauge has a zero error of -0.004 cm, the correct diameter of the ball is **(NEET-2018)**

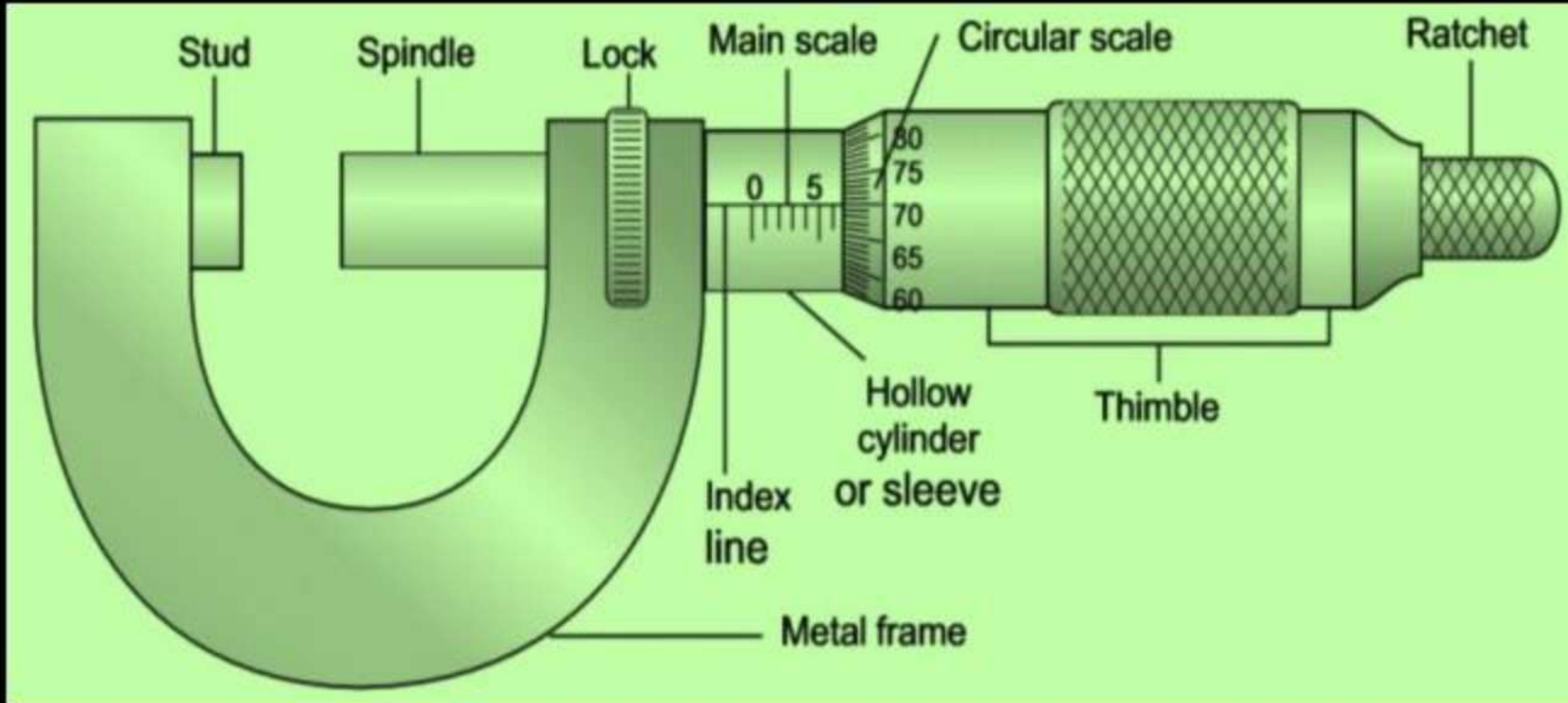
- | | |
|--------------|--------------|
| (a) 0.521 cm | (b) 0.525 cm |
| (c) 0.053 cm | (d) 0.529 cm |



NEET



SCREW GAUGE



If measured length of Rod is 1.56 cm then instrument used is

- (a) metre scale
- (b) Vernier calliper
- (c) screw gauge





THANK YOU 😊

