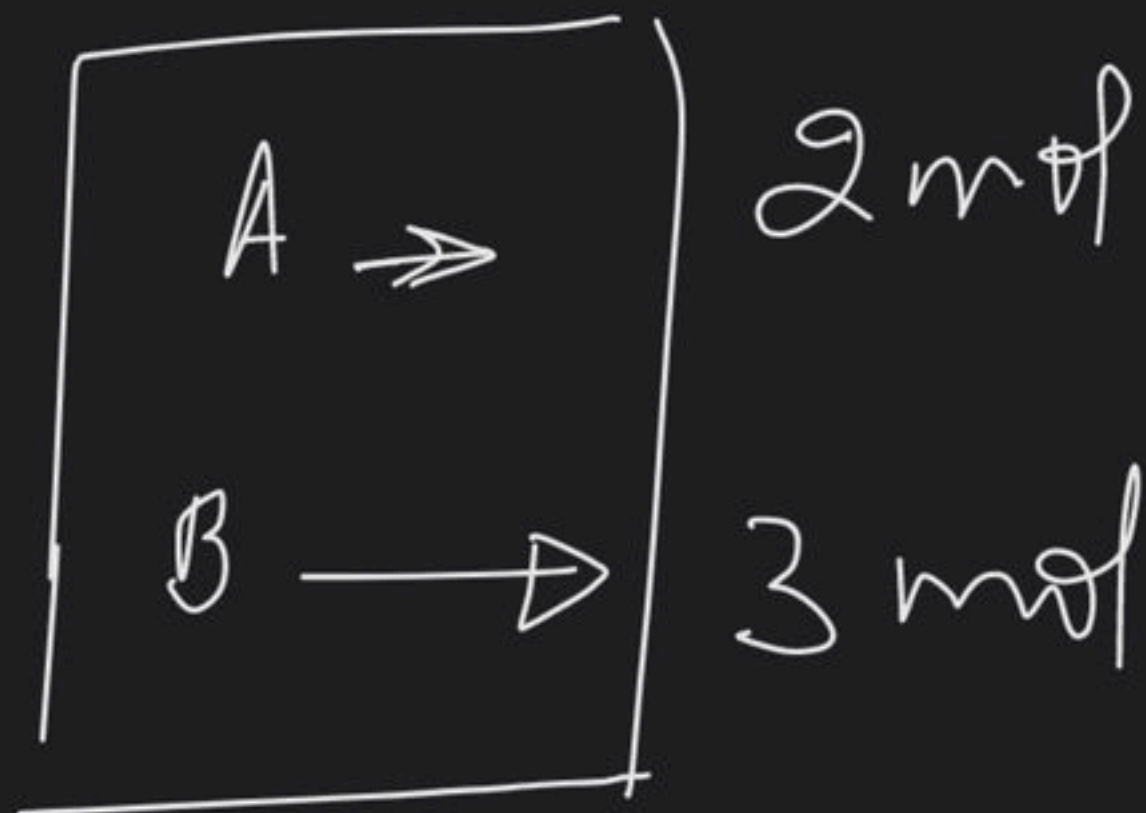




Kinetic Theory of Gases

Course on States of Matter for Class XI



$$\frac{n_A}{n_B} = \frac{2}{3}$$

$$P \propto n$$

$$\frac{P_A}{P_B} = \frac{2}{3}$$

% by mol of A = 40%

= % by pressure

Amagat Law of partial volume: →

Total volume of two or more non-reacting gases is equal to the sum of the partial volume of component gases.

Partial volume → Volume occupied ^{alone} by a component gas if it is present at same temperature and total pressure.

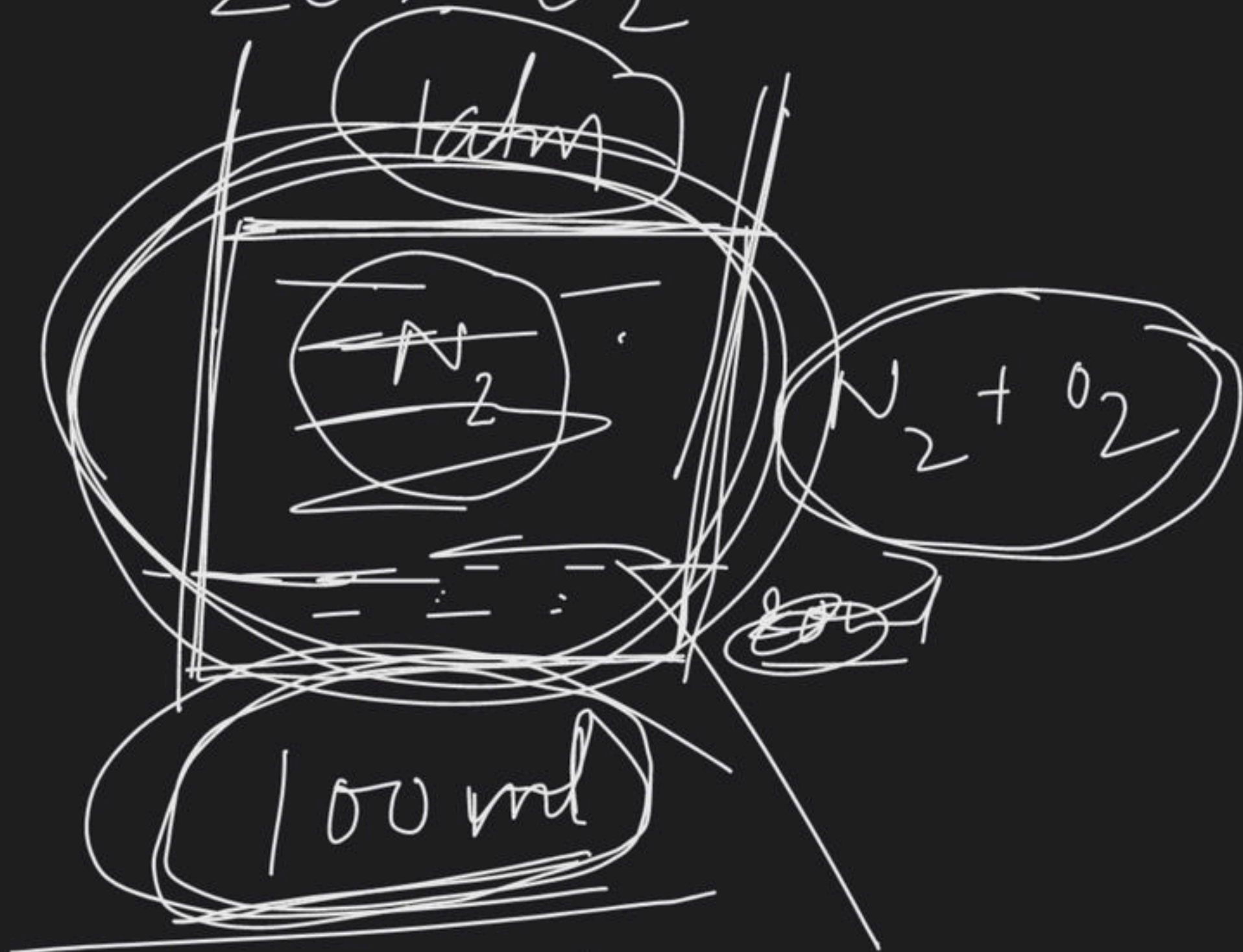
80% N_2

20% O_2

100 ml

→ 80 ml N_2

→ 20 ml O_2



$$P_T = \underline{P_A} + \underline{P_B}$$

Same
 V, T

$$\rightarrow V_T = V_A + V_B$$

Same P & T

$$P V_T = (n_A + n_B) RT$$

$$P V_A = n_A RT$$

$$P V_B = n_B RT$$

$$V_A = X_A V_T$$

$$\begin{array}{ccc} \textcircled{50 \text{ ml}} & + & \textcircled{100 \text{ ml}} = \underline{\underline{150 \text{ ml}}} \\ \textcircled{P, T} & & \textcircled{P, T} \quad \textcircled{P, T} \end{array}$$

$$50 + \underline{100 \text{ ml}}$$

% by pressure

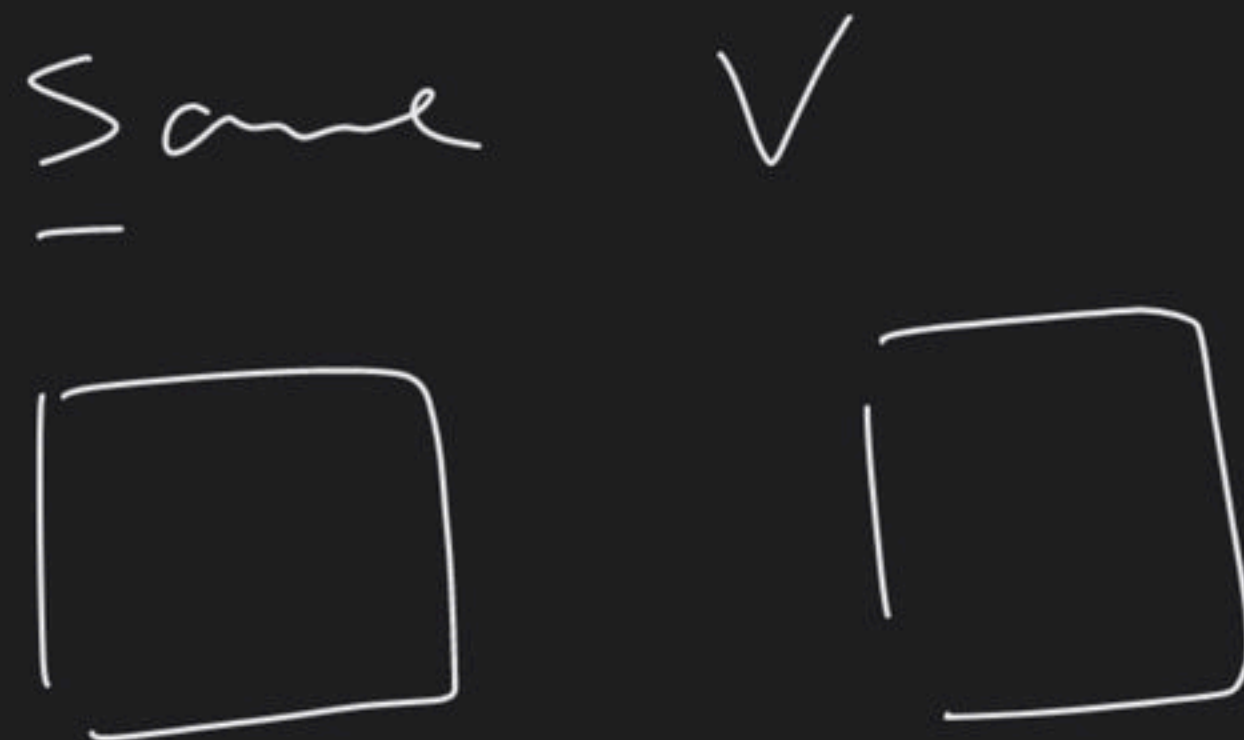
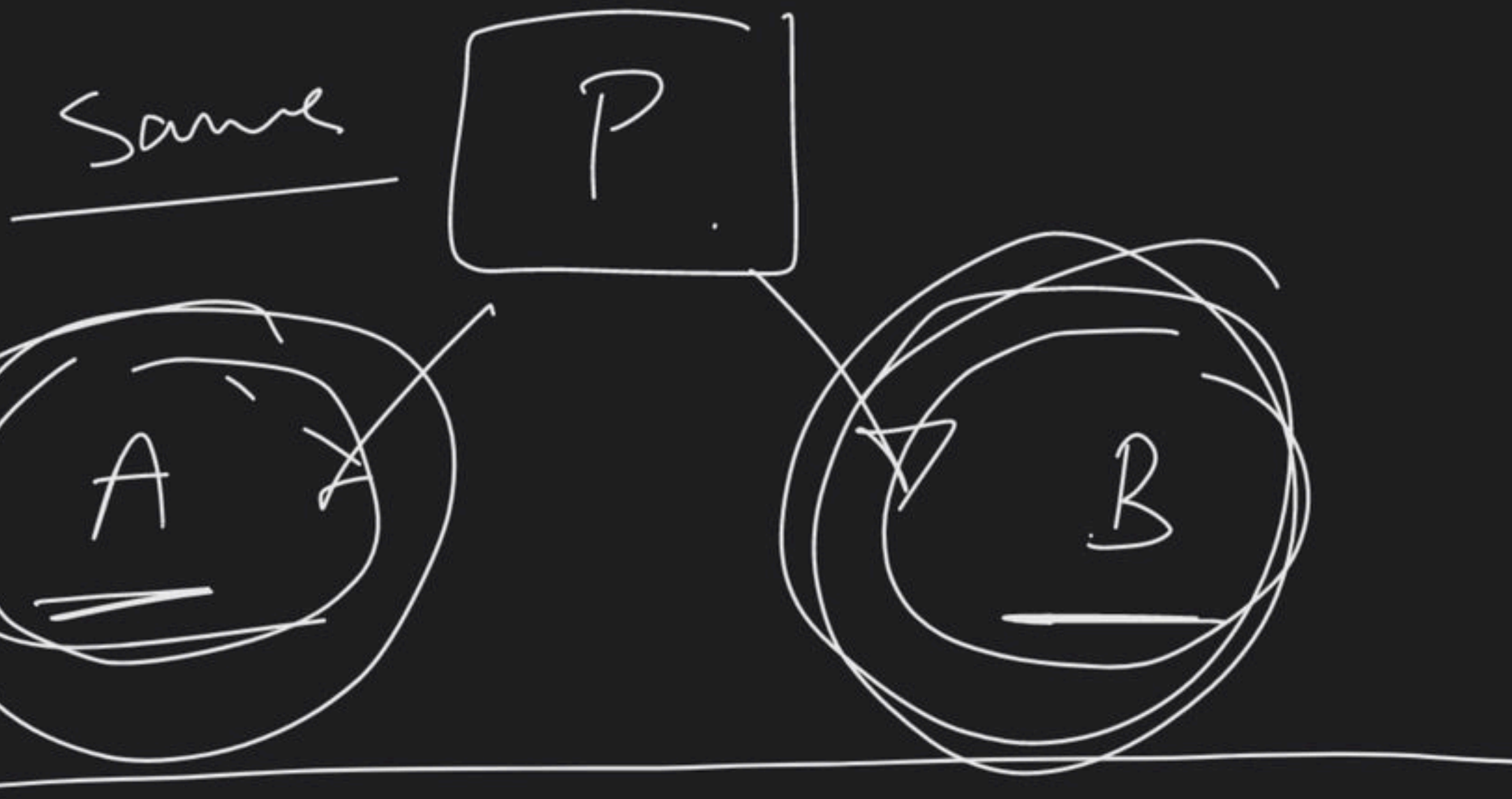
% by volume

(A) equal ✓

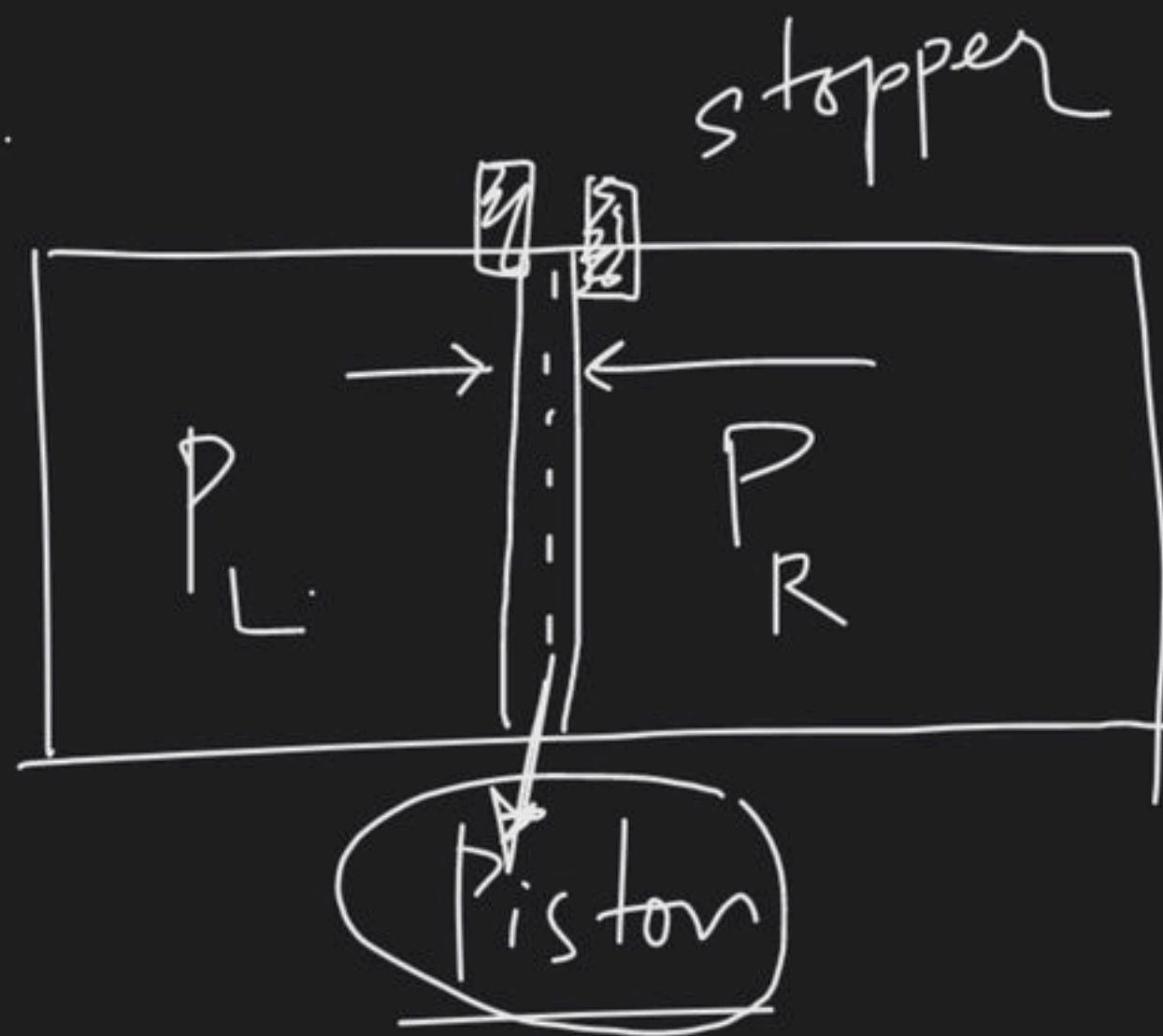
(B) inverse ~~ch~~

~~at~~ $\frac{V_A}{V_B} = \frac{n_A}{n_B} = \frac{2}{3}$

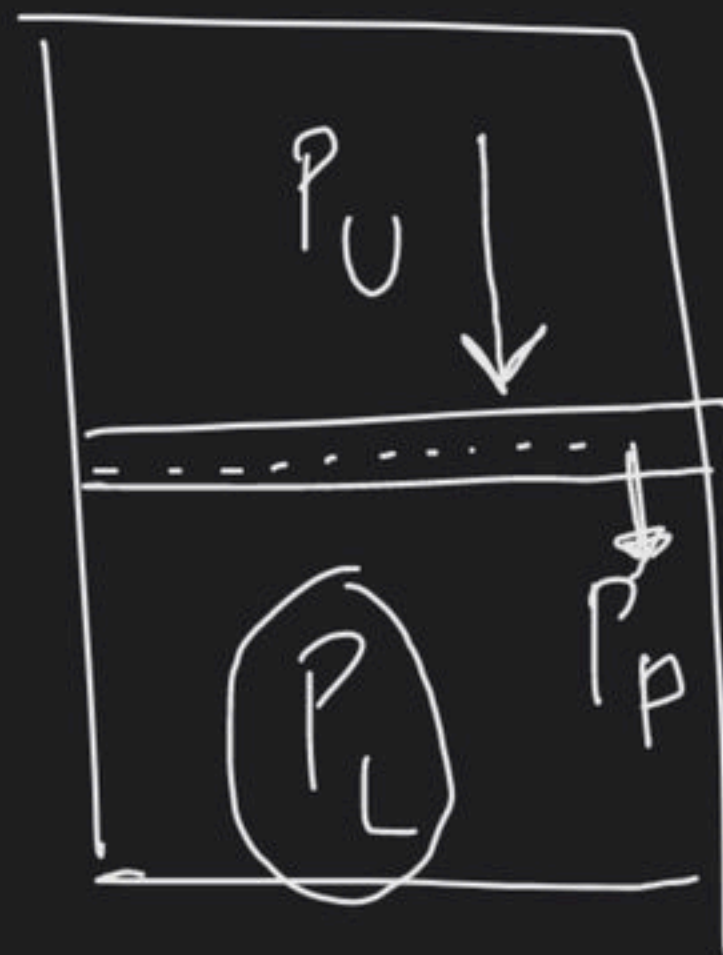
% by pressure = % by mole = % by volume



Problems related with Piston fitted container

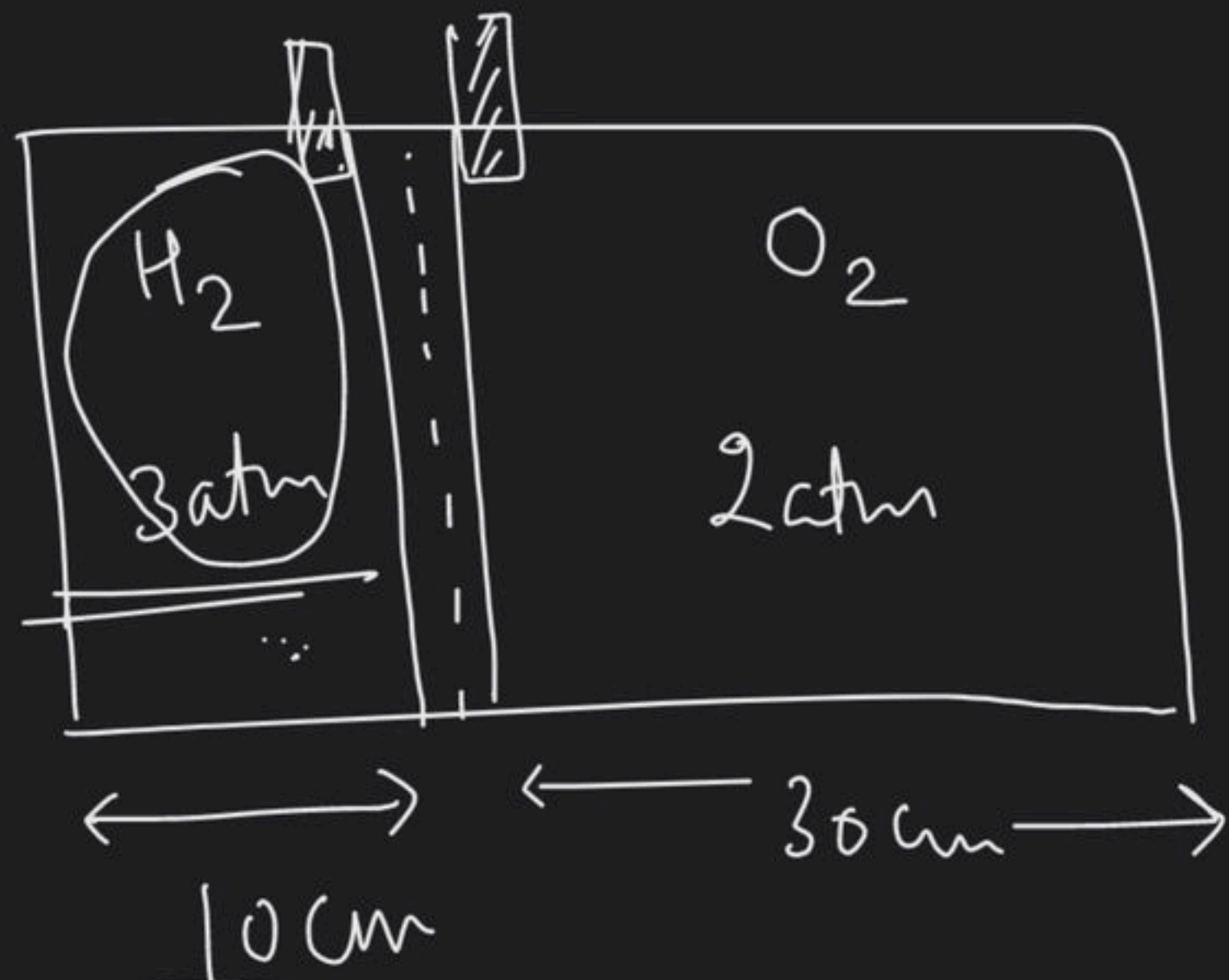


$$\underline{\underline{P_L = P_R}}$$



$$\underline{\underline{P_L = P_U + P_P}}$$

Q.



Calculate final pressure of each gas and position of piston if stoppers are removed.

(A) 2.5

$$P_1 l_1 + P_2 l_2 = P(l'_1 + l'_2)$$

✓ (B) 2.25

$$3 \times 10 + 2 \times 30 = P \times 40$$

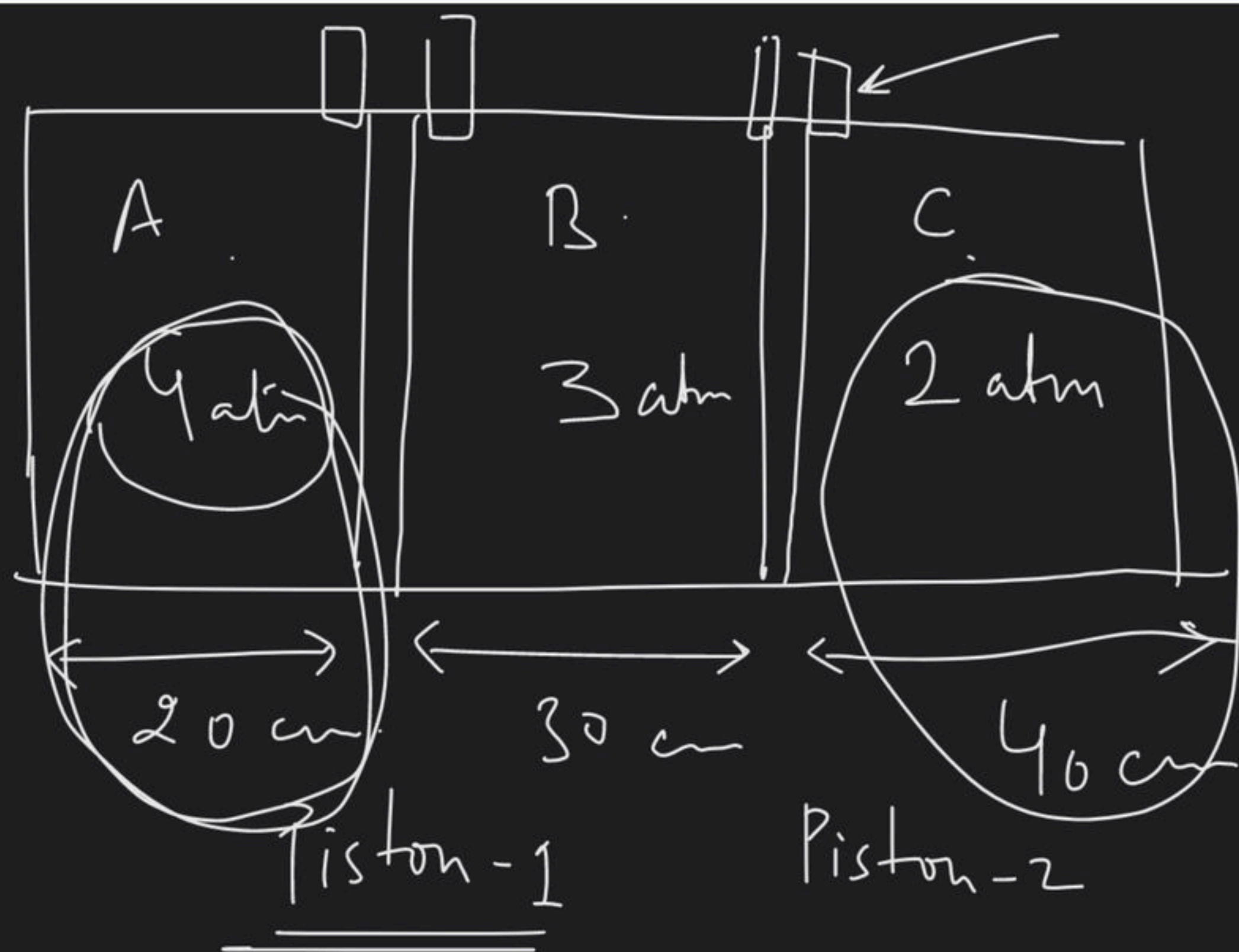
(C) 2.75

$$\frac{90}{40} = \frac{9}{4} = P$$

(D) None

$$3 \times 10 = \frac{3}{4} \times l_{H_2}$$

$$\frac{l_0}{3} = l_{H_2}$$



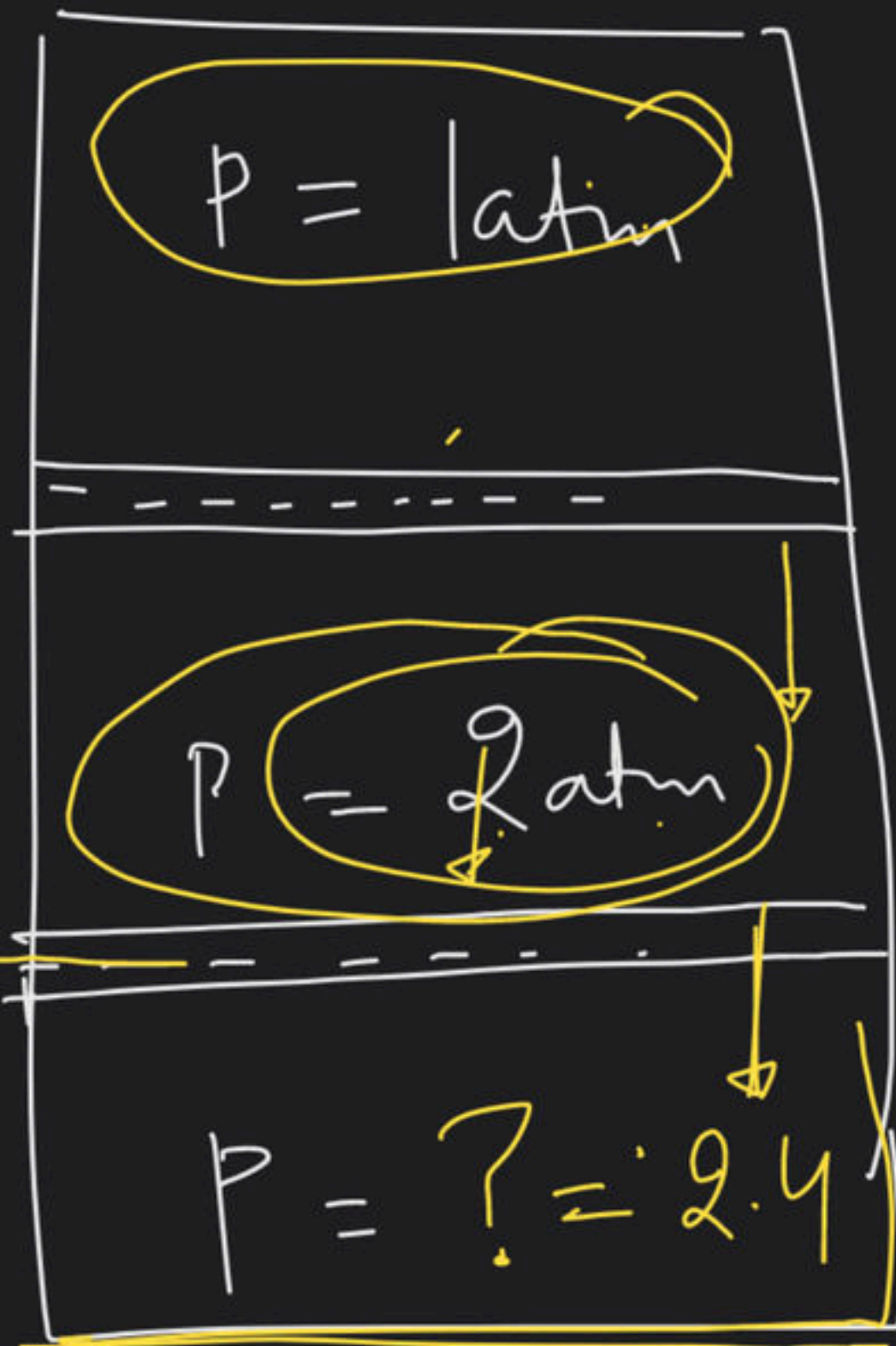
$$\Rightarrow P_A = P_B = P_C$$

$$\Rightarrow P_{\text{final}}$$

$$\Rightarrow$$

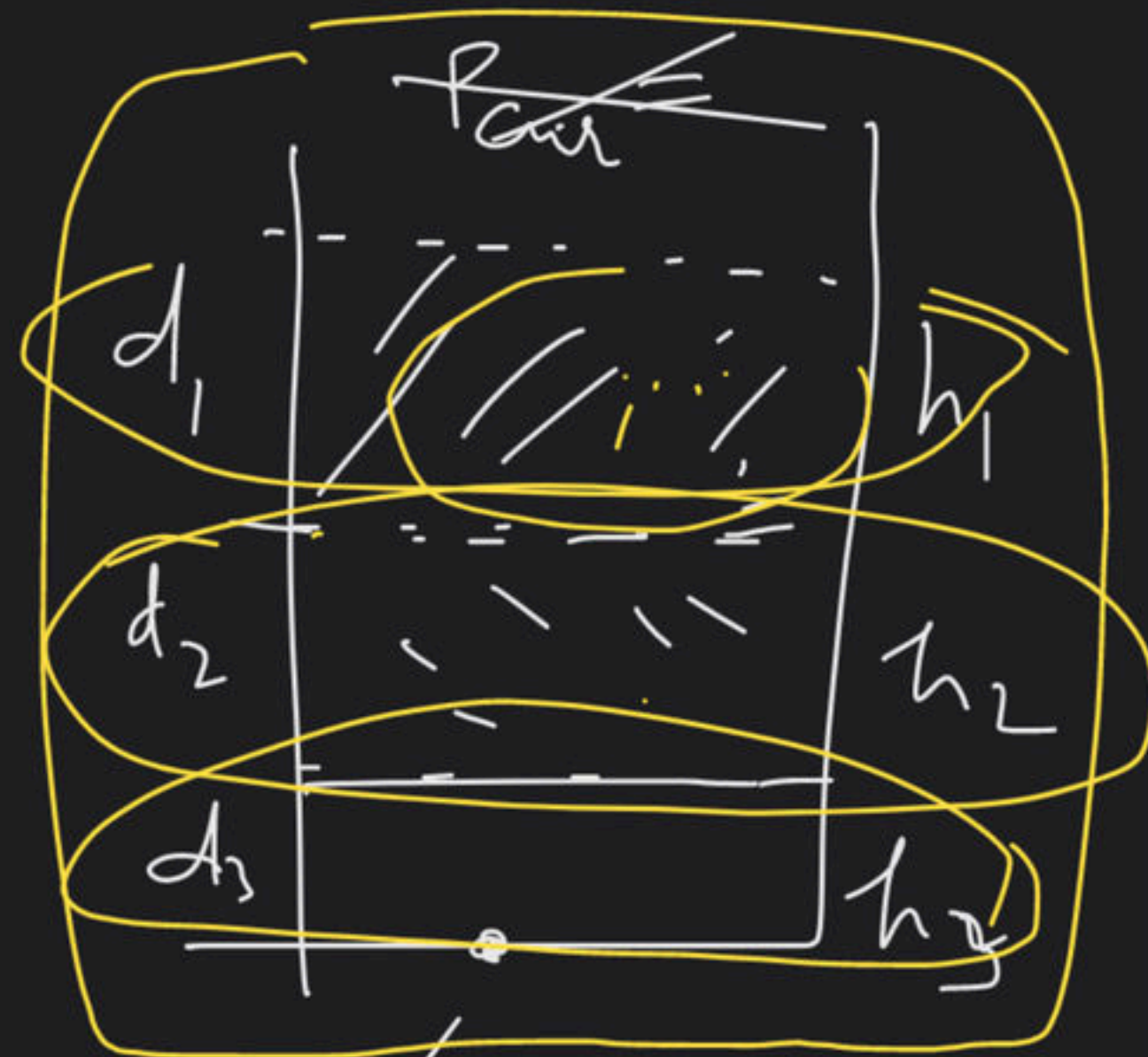
$$4 \times \frac{20}{40} = \frac{25}{9} \times 2$$

$$L = \frac{144}{5}$$

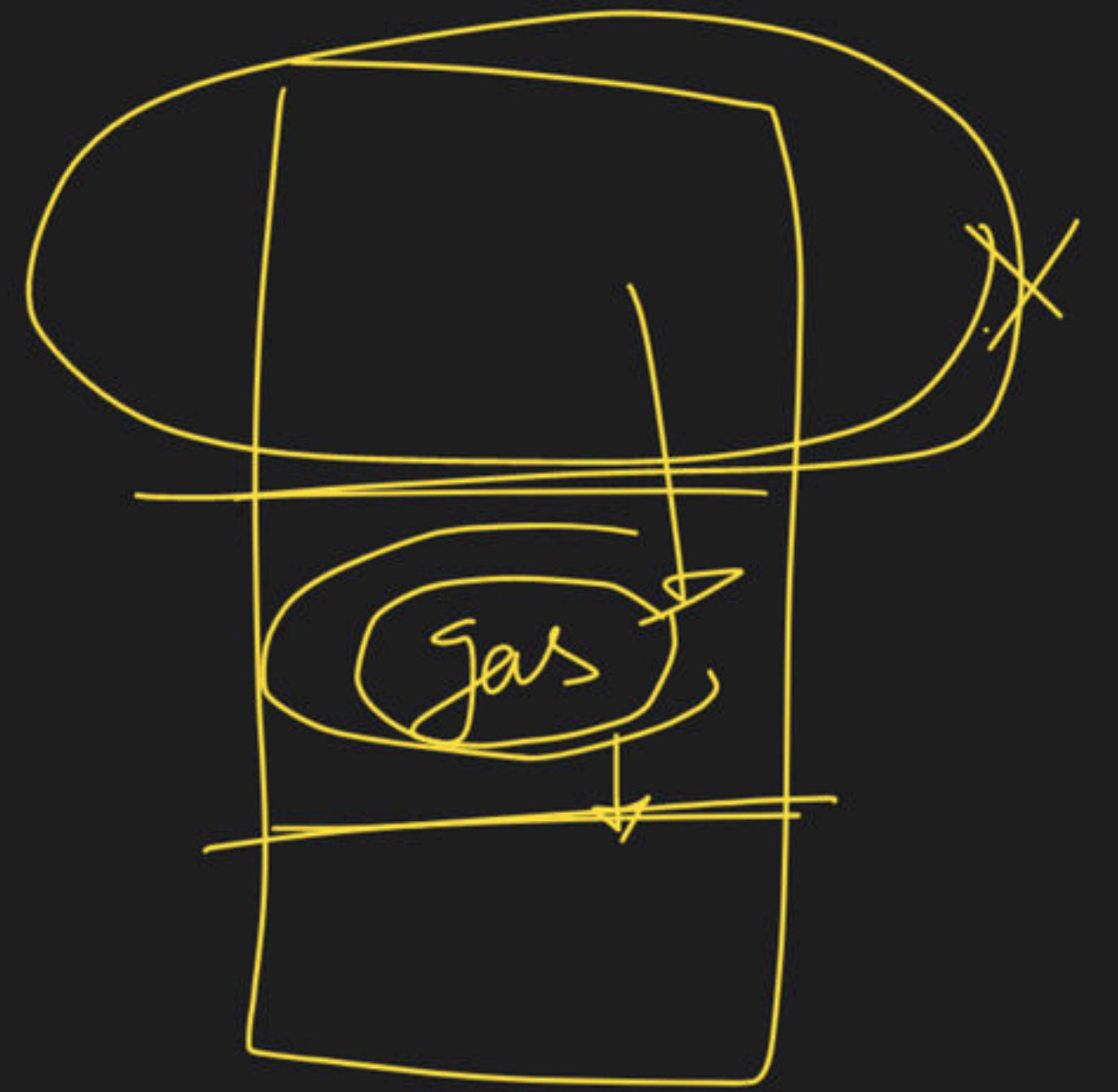


$P_p = \text{atmosphere}$

$P_p = 0.4 \text{ atm}$

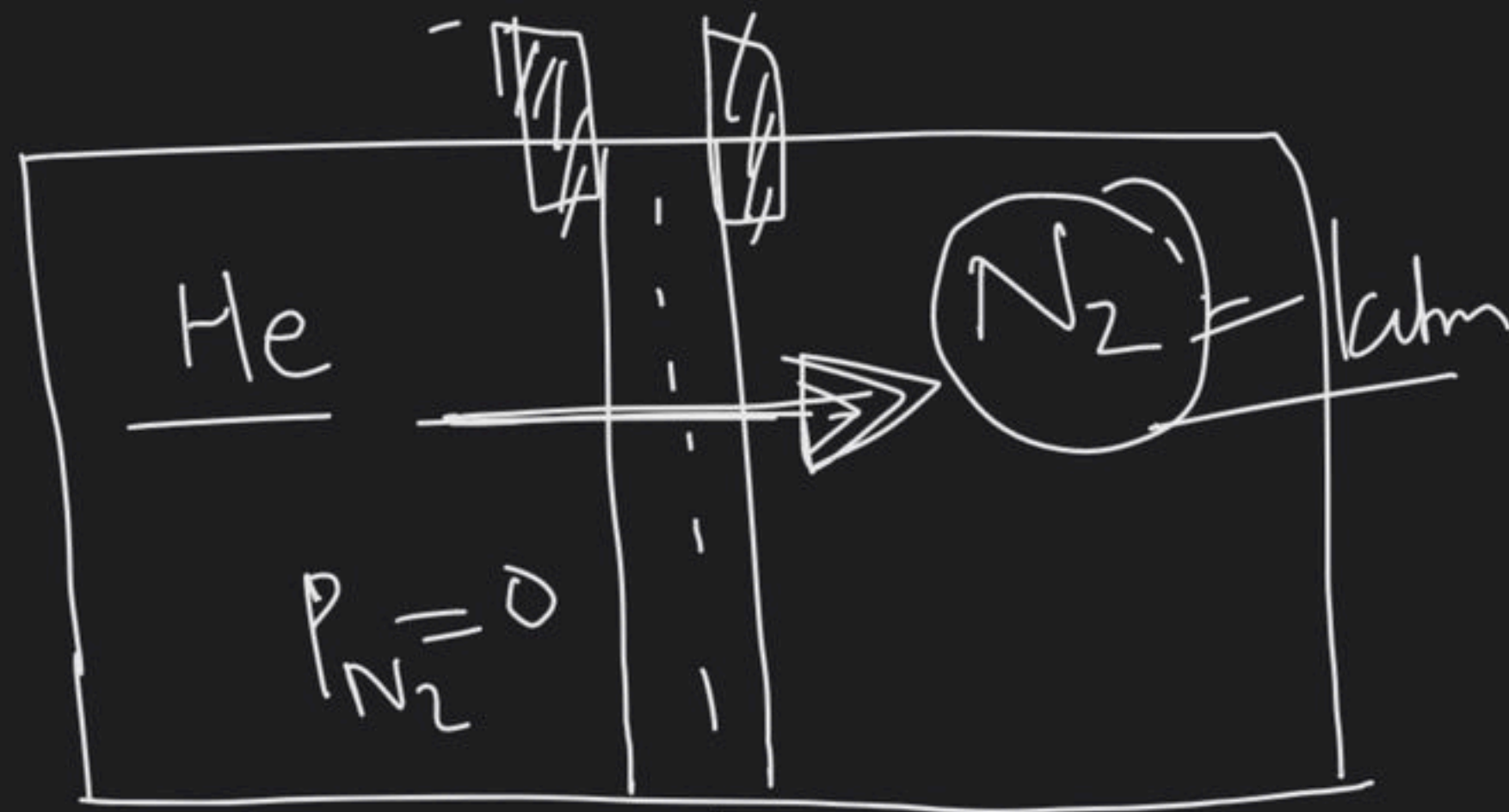


$$P = (h_1 d_1 + h_2 d_2 + h_3 d_3) + 1 \text{ atm}$$



Problems related with SPM \Rightarrow

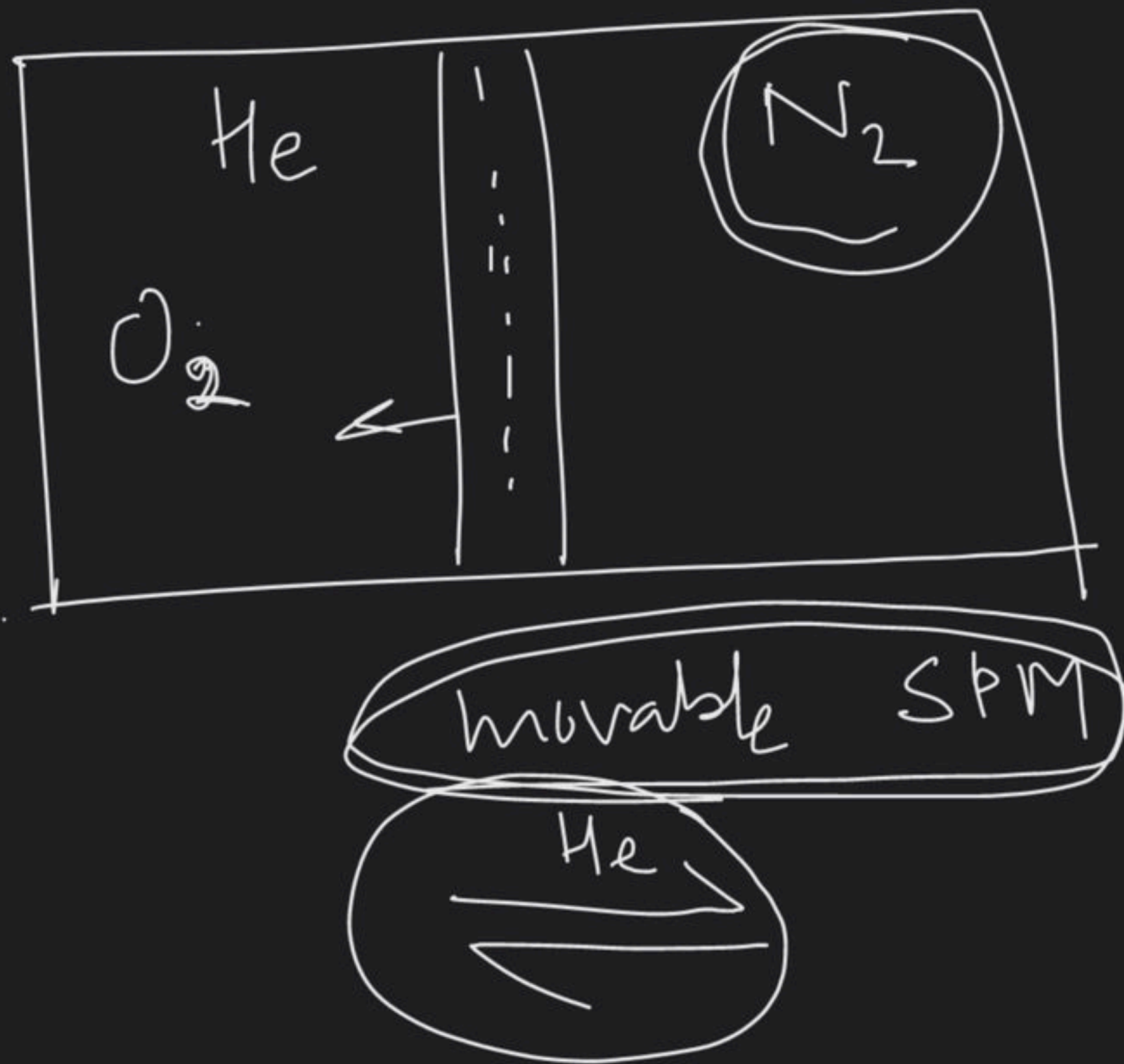
Semi permeable membrane



$$(P_{He})_L = (P_{He})_R$$

fixed SPM

A diagram showing a horizontal line representing a fixed semi-permeable membrane (SPM). Below the line, there is a circle with 'He' inside, and a horizontal arrow pointing from the left towards it. Below the circle, there are several horizontal lines, possibly representing a container or a surface.

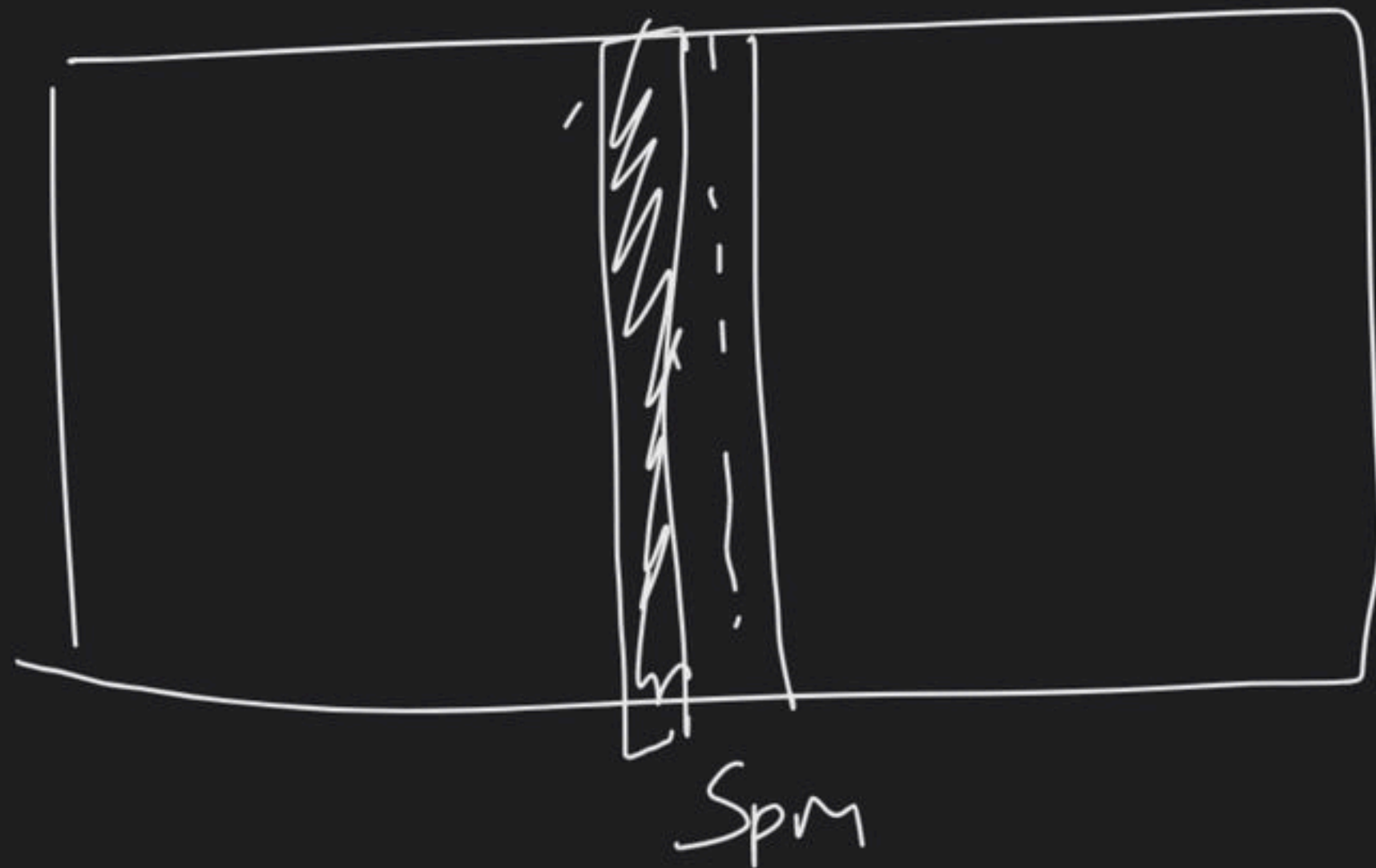


$$(P_{He})_L = (P_{He})_R$$

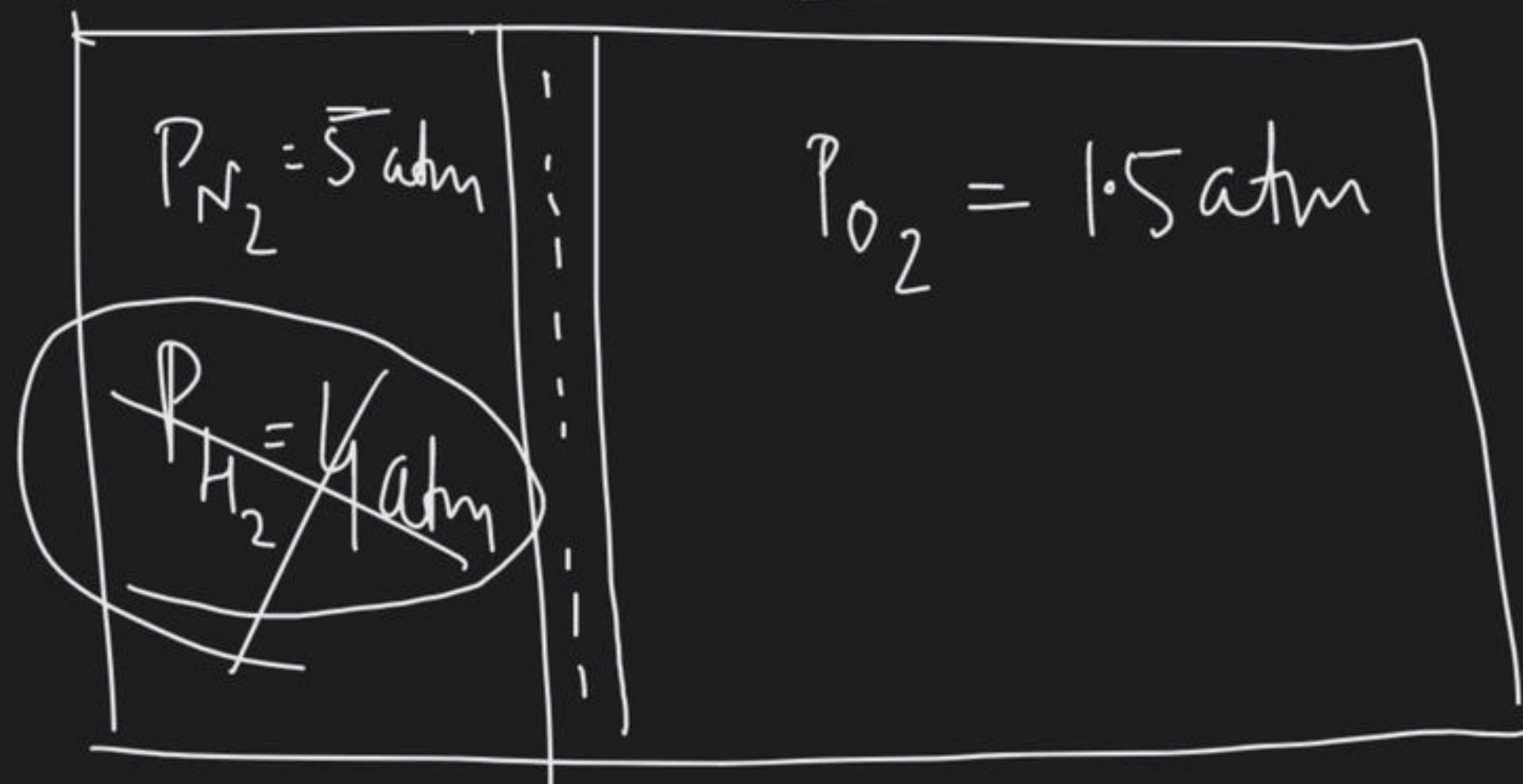
Since SPM is movable

$$(P_{Total})_L = (P_{Total})_R$$

$$\underline{P_{O_2}} + \cancel{P_{He}} = \underline{P_{N_2}} + \cancel{P_{He}}$$



movable SPM



10 cm 40 cm

H_2

$$4 \times 10 = P_{H_2} \times 50$$

$$P_{H_2} = 0.8$$

find

$$P_{O_2} =$$

$$P_{N_2} =$$

$$P_{H_2} =$$

△ position of SPM =

$$5 \times 10 + 1.5 \times 40 = P \times 50$$

$$2.2 = 11/5 = P_{N_2} = P_{O_2}$$

③

$$\frac{250}{11}$$

$$5 \times 10 + 1.5 \times 40 + 4 \times 10 = P \times 50$$

$$3 = P_{\text{total}}$$



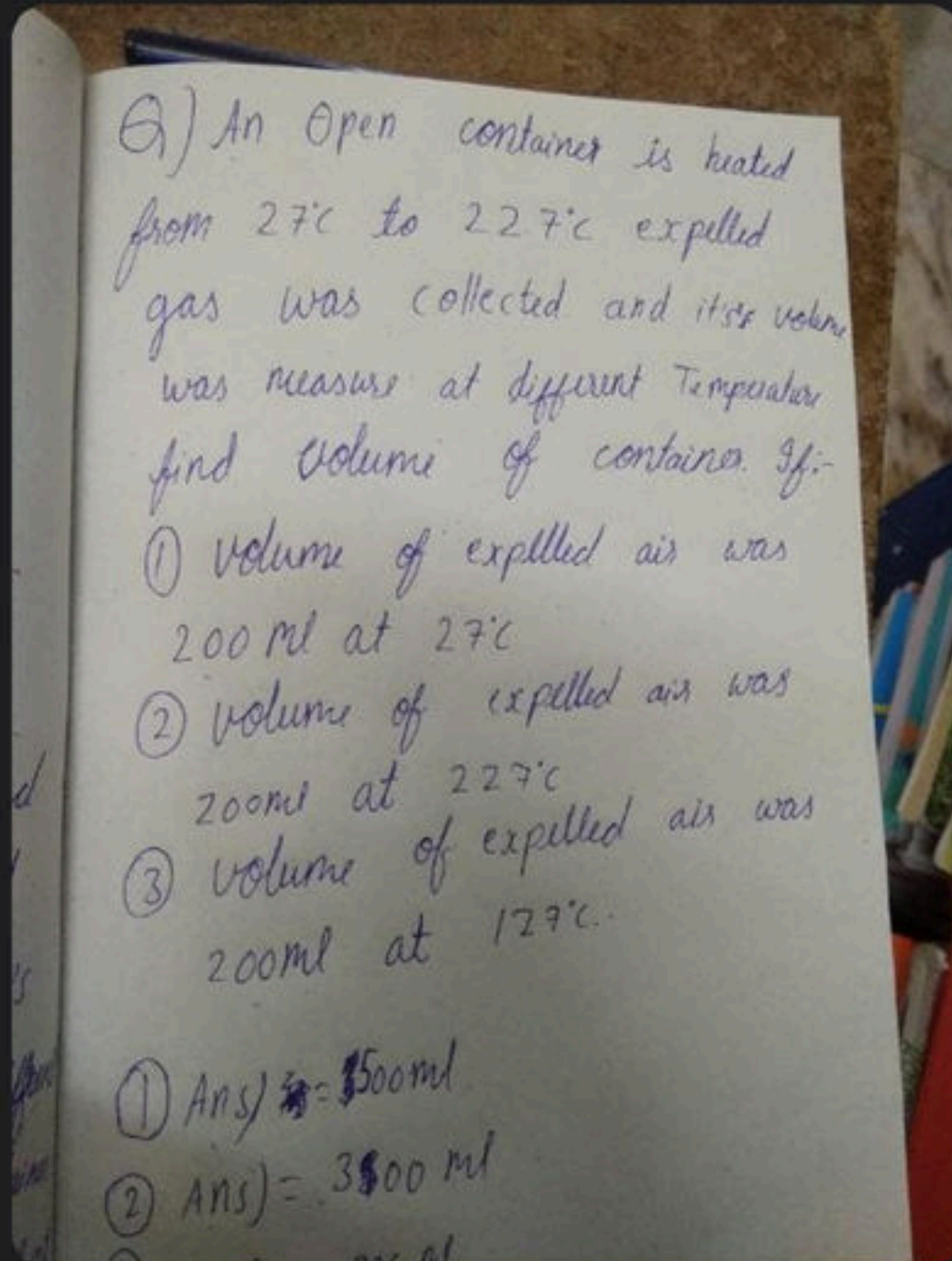
0-II 1, 8, 9, 10-13, 17-18

5-II 5, 6, 7

Question

from Sai

Sir yeh mera doubt hae yae mujjae samaj nahi aaya tho mainae ask your doubt mae bejha tho mujhe doosrae answers aarahae hae please explain this sir



$$P_{O_2} = ?$$

(A)

1.2 atm

(B)

2.2 atm

(C)

2.8 atm

(D)

None