

7.10 All-pairs suffix-prefix matching

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All pairs suffix-prefix matching

Can be used in implementing fast approximation algorithms for the **shortest superstring problem** (will not be discussed in this chapter)

In this chapter, we will use this algorithm to extrapolate from the number of ACRs observed in the set of ESTs.

Terms

ACR ; Ancient Conserved Regions <= region, occurs in common between close but different two species

EST ; Expressed Sequence tag <= STS, that came from genes rather than parts of intergene DNA

STS ; Sequence Tagged Site <= a DNA string of length 200-300 nucleotides whose right and left ends, of length 20-30 nucleotides each, occur only once in the entire genome

What is all-pairs suffix-prefix problem?

Def) Given two strings S_1 and S_2 , any suffix of S_1 that matches a prefix of S_2 , is called suffix-prefix match of S_1 and S_2 .

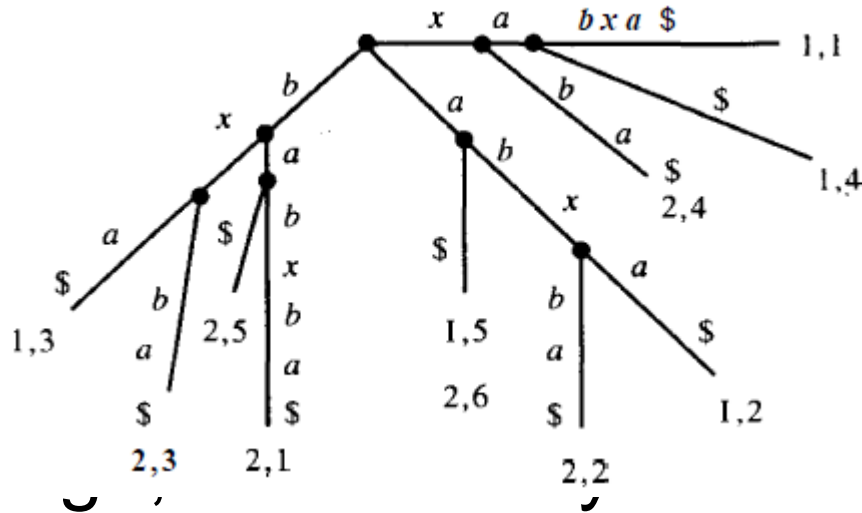
ex) ACGT - CGTC

Def) Given a collection of strings $S = S_1, S_2, \dots, S_n$ of total length m , the all-pairs suffix prefix problem is the problem of finding, for each ordered pair S_i, S_j in S , the longest suffix-prefix matching of them.

ex)

	$S_1 = \text{xbaxab}$	$S_2 = \text{abxb}$	$S_3 = \text{axabaxba}$
$S_1 = \text{xbaxab}$	-	5	3
$S_2 = \text{abxb}$	3	-	0
$S_3 = \text{axabaxba}$	6	8	-

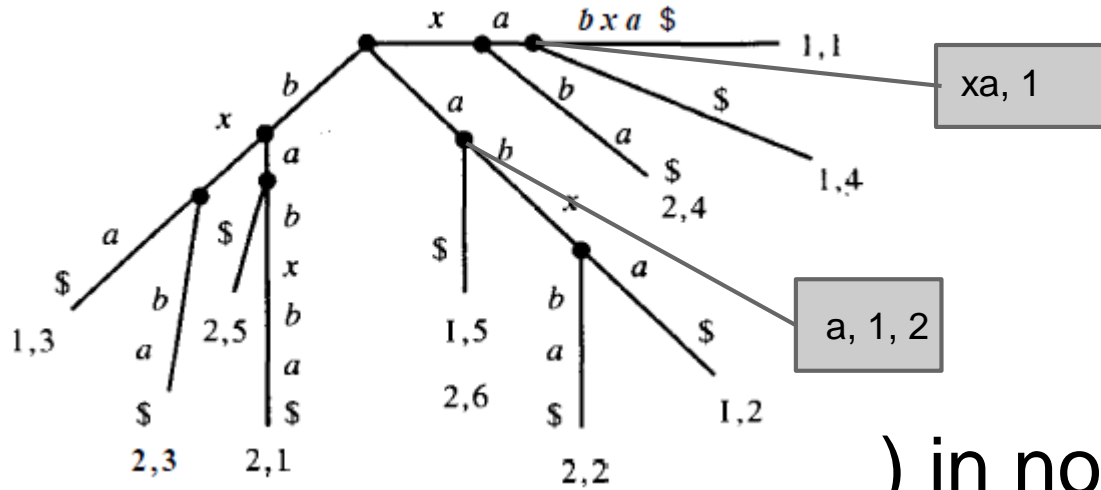
Terminate Edge



E
symbol.

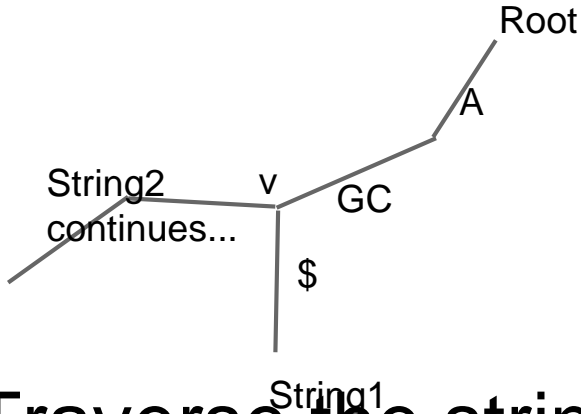
string termination

Terminate Edge



$\forall (v_{2,3}, v_{2,1}, v_{2,2}, \dots)$ in node v which is an internal node of terminate edge

all-pairs SP problem, in linear time



Traverse the string

We also will maintain a stack for each string...

Proof of linear time consumption

Total number of indices in all the lists $\Rightarrow O(m)$

Total number of edges in suffix tree $\Rightarrow O(m)$

push/pop is associated at most once on each leaf, total count is equal to the number of indices, push/pop consume constant time

we need to travel every edge to acquire information, traversing one edge consume constant time

$$O(1*m) + O(1*m) = O(m)$$

Extension

Maintain a linked list on stacks, so that you don't have to find 'v's then access each stack.