

MF TUTORIAL PART 0  
INTRODUCTION

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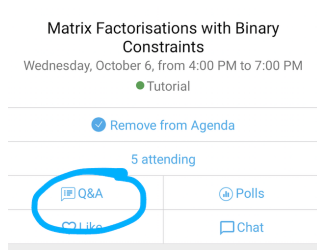
## OUTLINE

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- 15:00 - 15:05 ● Intro
  - 15:05 - 15:25 ● SVD and Eigendecompositions  
(5min Q&A)
  - 15:25 - 15:40 ● NMF (5min Q&A)
  - 15:45 - 16:00 ● **BREAK**
  - 16:00 - 16:20 ● Clustering -  $k$ -means  
(5min Q&A)
  - 16:20 - 16:45 ● Clustering - Nonconvex  
(5min Q&A)
  - 16:45 - 17:00 ● **BREAK**
  - 17:00 - 17:30 ● Biclustering (5min Q&A)
  - 17:30 - 17:50 ● Where else to go from here?

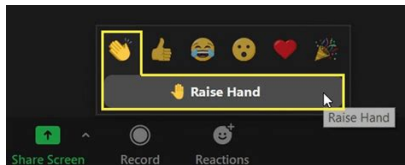
# PARTICIPATION

I'd be happy to take your questions and comments!

Put your questions in the  
Whova Q&A chat



Raise your hand in Zoom



## BASIS FOR THIS TUTORIAL

### A MATHEMATICAL THEORY OF MAKING HARD DECISIONS

Model Selection and Robustness of  
Matrix Factorization with Binary  
Constraints



SIBYLLE HESS

If you want to read up on the proofs of results presented here and have a more detailed overview of the matrix factorization zoo, have a look at Sibylle's dissertation (especially Chapters 2 and 3)

[Link to PDF](#)

## DISCLAIMERS

- ▶ We will give our own **IMPRESSIONS** based on our own experience, but that doesn't mean that this is the only view
- ▶ The presented **LITERATURE** is only a **REPRESENTATIVE SAMPLE**
- ▶ If you think that we **MISSED A PAPER** or a viewpoint, please **CONTACT** us, we will update the slides and videos:

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# THE SCOPE

## ONE OBJECTIVE TO RULE THEM ALL:

$$\min_{X,C,Y} \|D - YCX^\top\|^2$$
$$\text{s.t. } (X, C, Y) \in \mathcal{F} \subseteq \mathbb{R}^{m \times k} \times \mathbb{R}^{k \times k} \times \mathbb{R}^{n \times k}$$

### WITHIN SCOPE:

- ▶ Comparison of connected MF learning tasks
- ▶ Trends and advances in optimization for MF (focus: handling binary constraints)

### OUT OF SCOPE:

- ▶ MF for specific data types (text, audio, image, ..)
- ▶ Encyclopedic overview of methods

**LET'S START**