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In []:

In []:

Explain the autocorrelation with an appropriate example.

Autocorrelation is a mathematical representation of the degree of similarity between a given time series and a lagged version of itself over successive time intervals. It is the same as calculating the correlation between two different time series, except autocorrelation uses the same time series twice: once in its original form and once lagged one or more time periods.



In [13]: `df1 = read.csv('C:/Users/DELL/Downloads/Temp/Placement_Data_Full_Cl`

In [14]: `head(df1)`

sl_no	gender	ssc_p	ssc_b	hsc_p	hsc_b	hsc_s	degree_p	degree_t	workex
1	M	67.00	Others	91.00	Others	Commerce	58.00	Sci&Tech	No
2	M	79.33	Central	78.33	Others	Science	77.48	Sci&Tech	Yes
3	M	65.00	Central	68.00	Central	Arts	64.00	Comm&Mgmt	No
4	M	56.00	Central	52.00	Central	Science	52.00	Sci&Tech	No
5	M	85.80	Central	73.60	Central	Commerce	73.30	Comm&Mgmt	No
6	M	55.00	Others	49.80	Others	Science	67.25	Sci&Tech	Yes

In [15]: `any(is.na(df1))`

TRUE

In [16]: `df = df1[rowSums(is.na(df1)) == 0,]`

Finding Correlation

```
In [17]: #To get only numeric col
num.cols = sapply(df, is.numeric)

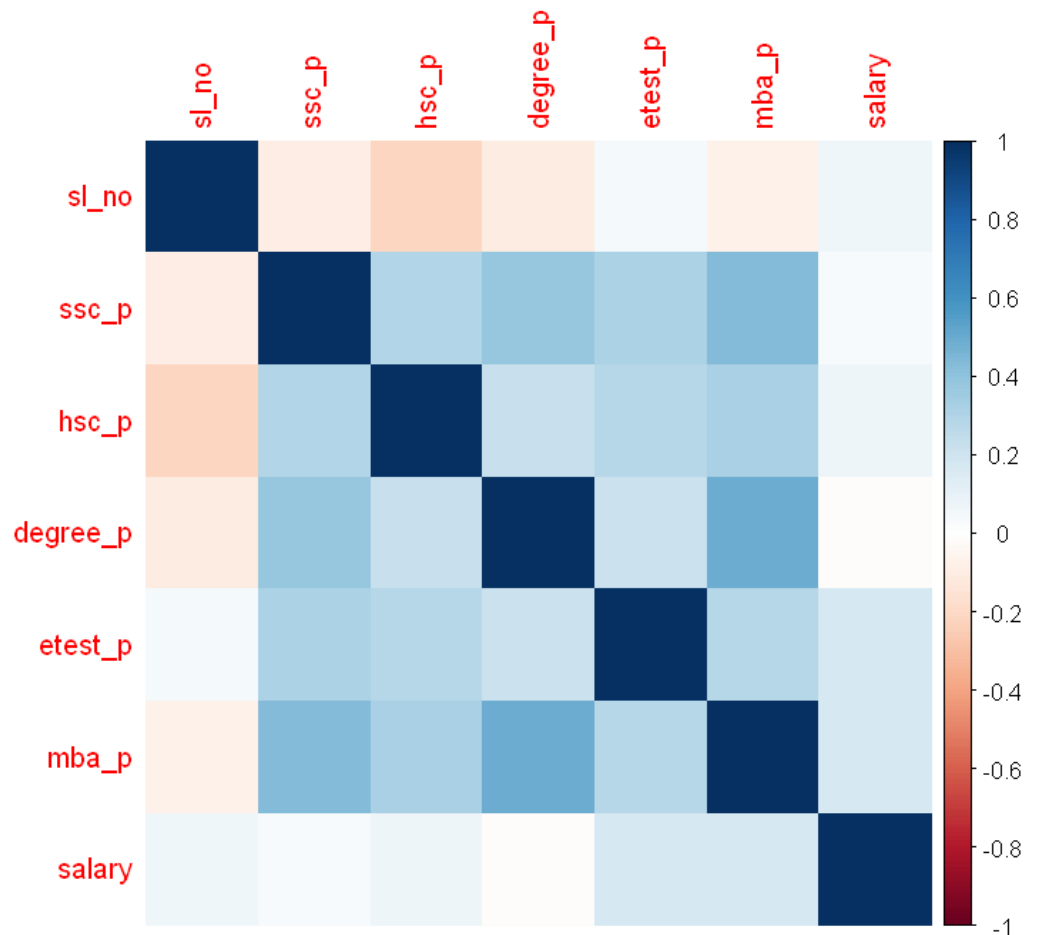
#filter to numeric columns for correlation
cor.data = cor(df[,num.cols])

round(cor.data,2)
```

	sl_no	ssc_p	hsc_p	degree_p	etest_p	mba_p	salary
sl_no	1.00	-0.09	-0.22	-0.10	0.04	-0.07	0.06
ssc_p	-0.09	1.00	0.29	0.38	0.32	0.43	0.04
hsc_p	-0.22	0.29	1.00	0.22	0.28	0.33	0.08
degree_p	-0.10	0.38	0.22	1.00	0.22	0.49	-0.02
etest_p	0.04	0.32	0.28	0.22	1.00	0.28	0.18
mba_p	-0.07	0.43	0.33	0.49	0.28	1.00	0.18
salary	0.06	0.04	0.08	-0.02	0.18	0.18	1.00

```
In [18]: library(corrplot)
library(corrgram)
```

```
In [19]: corrplot(cor.data,method='color')
```



```
In [23]: lm = lm(salary ~ mba_p+etest_p+hsc_p, data=df)
```

In [24]: `summary(lm)`

Call:
lm(formula = salary ~ mba_p + etest_p + hsc_p, data = df)

Residuals:

Min	1Q	Median	3Q	Max
-119159	-50563	-15194	13975	638267

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	87421.54	88043.37	0.993	0.322
mba_p	2186.90	1398.70	1.564	0.120
etest_p	964.80	590.35	1.634	0.104
hsc_p	-89.83	882.40	-0.102	0.919

Residual standard error: 92100 on 144 degrees of freedom
Multiple R-squared: 0.04868, Adjusted R-squared: 0.02886
F-statistic: 2.456 on 3 and 144 DF, p-value: 0.06546

In [25]: `stdres = rstandard(lm)`

In [26]: `print(stdres)`

	1	2	3	5	8
9	0.102882442	-1.190946992	-0.328576284	1.441020728	-0.329710357
10	0.786385117				
11		12	14	16	17
20	-0.162302352	-0.311430933	-0.855980163	-0.998913069	0.260979980
21		22	23	24	25
27	0.123144217	0.767458703	0.820323344	-0.109714407	0.288686911
28		29	31	33	34
36	-0.089250371	0.637357274	-0.055055129	0.141198483	-0.728114025
38		39	40	41	44
45	0.686016529	-0.202199031	1.133735878	0.029654038	-0.097863824
48		49	51	54	55
56	-0.799401604	-0.330159765	-0.887659944	1.425677060	-0.929394380
57		58	59	60	61
62	-0.577865092	0.689346964	-0.131994340	0.043707292	-0.046012217
63	0.252676376				

```

63          65          67          68          70

71
-0.318503360 -0.309536465 -0.001254643 -0.055195474 -0.243518008
0.540838206
72          73          74          75          77
78
-0.871030757 -0.921321406 -0.834001119 0.286709106 -0.552380552
2.499473133
79          81          82          84          85
86
-0.248255323 -0.468203151 -0.201649510 -0.078939777 0.324644571
0.874331573
87          89          90          91          93
95
-0.559100638 -0.752699279 -0.731947845 -0.187234483 -0.553392275
0.065480893
96          97          99          102          103
104
1.229166851 0.155694175 -0.587926237 0.999582809 0.312506576 -
0.726204118
105          108          109          111          113
114
1.073176526 -1.306308087 0.125598010 -0.067808087 -0.064488193 -
0.086239502
115          116          117          118          119
120
-0.037712517 -0.923182739 -0.314129180 -0.704469846 -0.573805873
6.969514091
122          123          124          125          126
127
-0.460761286 -0.861153662 -0.263433679 -0.292123711 0.401588799 -
0.974910258
128          129          130          132          133
134
-0.145945646 0.822704344 -0.732759193 0.743532765 0.329149681 -
0.302860874
135          136          138          139          140
141
-0.742660768 -0.881067954 -0.470231302 -0.905085499 -0.397569209
0.053179801
143          144          146          147          148
149
-0.152928320 0.005196124 1.207594400 -0.566540538 0.032181155 -
0.387497140
151          152          153          154          155
157
4.613250101 -0.223495278 -0.881297881 0.421446884 -0.171993947 -
0.206145397
158          161          163          164          165
167
0.086048104 -0.123512132 -0.127736329 2.194389143 -0.279569535 -
0.189264963
172          173          175          177          178

```

179

```
0.041720894 0.240377998 2.344531313 -0.458189945 3.713813927
0.534734584
```

```
181 184 186 188 192
```

193

```
0.057452196 0.026478682 -0.706194485 -0.386354748 -0.227688863 -
0.304085669
```

```
194 196 197 198 200
```

201

```
0.188831282 -0.170582464 -0.287688154 -0.362239397 -0.099019676
0.200412414
```

```
203 204 205 206 208
```

210

```
-0.353583612 -0.143098566 -1.049717907 -0.174197390 -0.245730173 -
0.581911972
```

```
211 212 213 214
```

```
0.767465363 0.047474146 0.046389866 -0.836869726
```

R squared value

In [27]: `summary(lm)$r.squared`

```
0.0486824544173291
```

Durbin-Watson Testing

In [32]: `library(lmtest)`

In [34]: `dwtest(lm)`

Durbin-Watson test

```
data: lm
```

```
DW = 2.1641, p-value = 0.8416
```

```
alternative hypothesis: true autocorrelation is greater than 0
```