

ISTA 350 2's Complement Worksheet

Name:

Converting positive two's complement binary numbers to decimal: multiply each bit by the appropriate power of two and sum the resulting values. E.g.:

$$\begin{aligned} 01100001_2 &= \underline{0} \cdot 2^7 + \underline{1} \cdot 2^6 + \underline{1} \cdot 2^5 + \underline{0} \cdot 2^4 + \underline{0} \cdot 2^3 + \underline{0} \cdot 2^2 + \underline{0} \cdot 2^1 + \underline{1} \cdot 2^0 \\ &= 0 + 64 + 32 + 0 + 0 + 0 + 0 + 1 = 97_{10} \end{aligned}$$

Convert the following positive two's complement binary numbers to decimal:

01001100₂

00011111₂

00100101₂

01110000₂

Adding two's complement binary numbers is done just like normal decimal addition. E.g.:

$$\begin{array}{r} 01100001 \\ +00001100 \\ \hline 01101101 \end{array}$$

Complete the following additions and check your work by converting all numbers to decimal. If the resulting number is negative, write 'overflow'.

$$\begin{array}{r} 00011001 \\ +00011101 \\ \hline \end{array}$$

$$\begin{array}{r} 00111101 \\ +00011101 \\ \hline \end{array}$$

$$\begin{array}{r} 01000000 \\ +01000000 \\ \hline \end{array}$$

Negating two's complement binary numbers: flip each bit and add 1. E.g.:

$$-(01100001) = 10011110 + 00000001 = 10011111$$

Convert the following negative two's complement binary numbers to decimal. I suggest first making them positive, then converting to decimal and placing a unary negation operator (minus sign) in front of them.

11001100₂

11111111₂

10100101₂

11110000₂

Complete the following additions and check your work by converting all numbers to decimal. Ignore any carry out of the leftmost digits. If the two operands have the same sign and the result has the opposite, write overflow.

$$\begin{array}{r} 11111111 \\ +11111111 \\ \hline \end{array}$$

$$\begin{array}{r} 10111101 \\ +00011101 \\ \hline \end{array}$$

$$\begin{array}{r} 10000000 \\ +10000000 \\ \hline \end{array}$$

$$\begin{array}{r} 00111101 \\ +10011101 \\ \hline \end{array}$$

$$\begin{array}{r} 10000000 \\ +01111111 \\ \hline \end{array}$$

$$\begin{array}{r} 11111111 \\ +00000001 \\ \hline \end{array}$$

$$\begin{array}{r} 11000000 \\ +11000000 \\ \hline \end{array}$$

$$\begin{array}{r} 01100011 \\ +00100001 \\ \hline \end{array}$$