

190W1085-

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Q①

$$F(W, X, Y, Z) = \sum (0, 1, 9, 5, 7, 8, 10, 15)$$

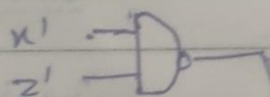
By K-map

W \ YZ	00	01	11	10
00	1	1		1
01	1	1		
11		1	1	
10	1			1

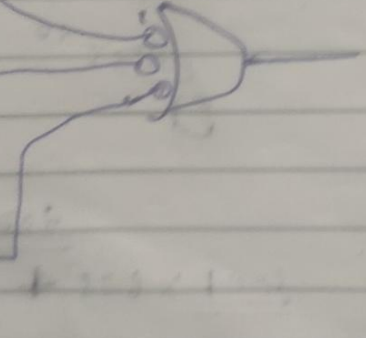
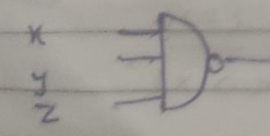
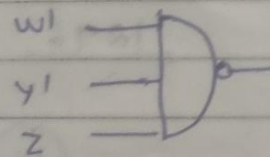
r

$$\begin{aligned} F(W, X, Y, Z) &= x'z' + w'y'z + x'y'z \\ &= x'z' + z(w'y' + xy') \end{aligned}$$

①



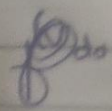
Hence a function implementation using NAND gates only.  $\Rightarrow$  4 NAND gates.



$F(W, X, Y, Z)$

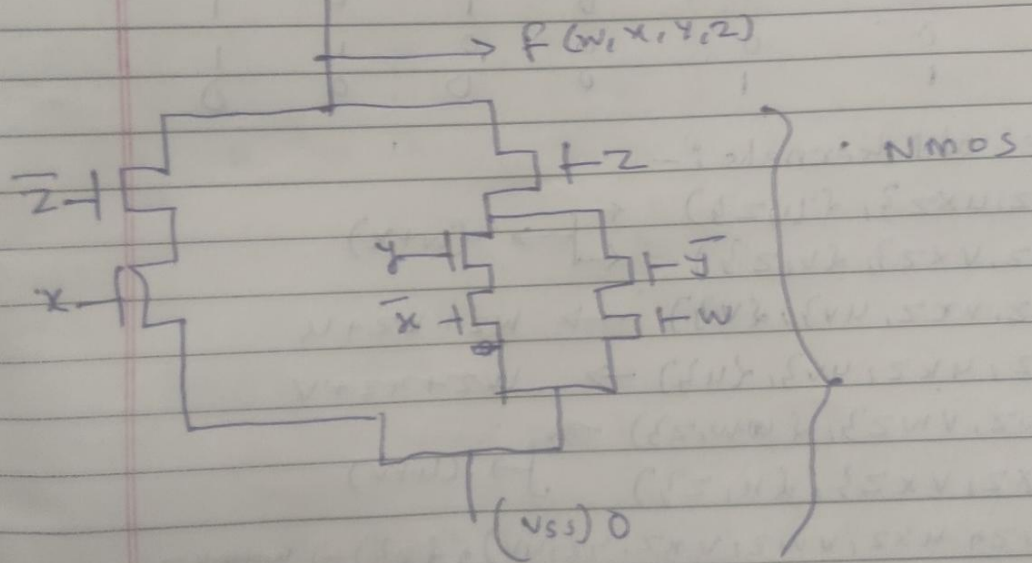
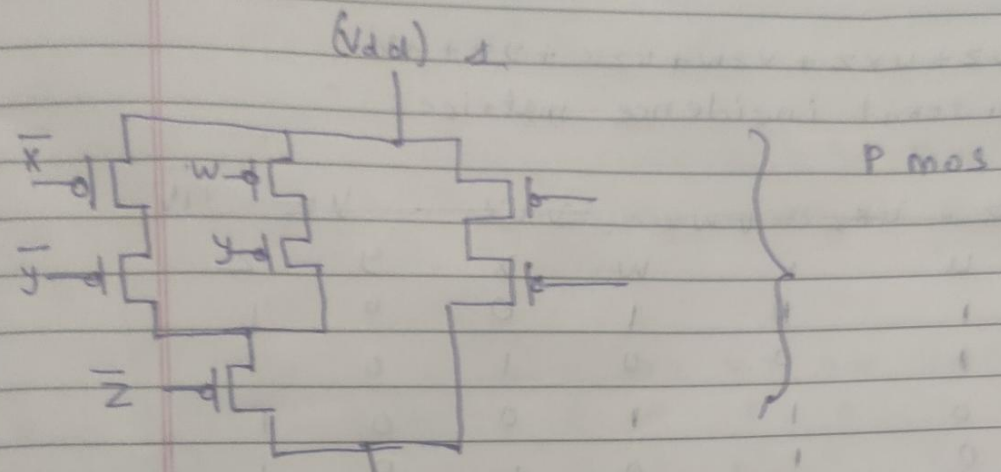
②

PMOS & NMOS :-



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So, we need 7 pmos & 7 nmos for implemen



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Q. 2 (b)

$$vw y' + vwz + x'y' + x'z + wx$$

	v	w	x	y'	z
vw y'	1	1	0	0	0
vwz	1	1	0	0	0
x'y'	0	0	0	1	0
x'z	0	0	0	1	0
wx	0	1	0	0	0

Hence dividing by

1.  $x' \text{ or } vw$   $(y' + z)$   $\leftarrow$  level - 1
2.  $y' \text{ or } z$   $(vw + x')$   $\leftarrow$  level - 1
3.  $w$   $[v y' + v z + x]$   $\leftarrow$  level - 1
4.  $x$   $[v w y' + v w z + x' y' + x' z + w x]$  level -

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Q. ③  $f_1 = uwz + uxz + vzw + vxz + yz + uv$

① ⇒ cube literal incidence matrices :-

	<del>uwz</del>	<del>uxz</del>	<del>vzw</del>	<del>vzx</del>	<del>yz</del>	<del>uv</del>
	u	v	w	x	y	z
uwz	1	0	1	0	0	1
uxz	1	0	0	1	0	1
vzw	0	1	1	0	0	1
vzx	0	1	0	1	0	1
yz	0	0	0	0	1	1
uv	1	1	0	0	0	0

Hence all kernels :-

- ①  $(\{uwz, uxz\}, \{u, z\}) \xleftrightarrow{\quad} (w+x)$
- ②  $(\{vzw, vxz\}, \{v, z\}) \xleftrightarrow{\quad} (w+x)$
- ③  $(\{vzw, vxz, uv\}, \{v\}) \rightarrow wz + xz + u$
- ④  $(\{vzw, vxz, uv\}, \{u\}) \rightarrow wz + xz + v$
- ⑤  $(\{uwz, vzw\}, \{w, z\}) \xleftrightarrow{\quad} (u+v)$
- ⑥  $(\{uxz, vxz\}, \{x, z\}) \xleftrightarrow{\quad} (u+v)$
- ⑦  $(\{uwz, uxz, vzw, vxz, yz, uv\}, \{z\}) \rightarrow w+x+y$

$uw + ux + vw + vx + yz$

$f_2 = vw + vx + vy + z + uz$

	u	v	w	x	y	z
vw	0	1	1	0	0	0
vx	0	1	0	1	0	0
vy	0	1	0	0	1	1
uz	1	0	0	0	0	1

- ①  $(\{vw, vx, vy\}, \{v\}) \rightarrow w+x+y$
- ②  $(\{vy, uz, uz\}, \{z\}) \rightarrow vy+u$



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(B) Hence, By part (A)

$$f_0 = a_w a_x + a_w a_z a_x + a_u + a_w a_x a_z a_v + a_u a_v + a_u w a_x a_v w a_v a_y + a_w a_x a_y z + a_v y a_w$$

	u	v	w	x	y	wz	xz	uw	ux	vw	vx	vy	yz
$a_w a_x$	0	0	1	1	0	0	0	0	0	0	0	0	0
$a_w a_x a_z a_u$	1	0	0	0	0	1	1	0	0	0	0	0	0
$a_w a_x a_z a_v$	0	1	0	0	0	1	1	0	0	0	0	0	0
$a_u a_v$	1	1	0	0	0	0	0	0	0	0	0	0	0
$(a_u a_x a_w) / (a_v a_y)$	0	0	0	0	1	0	0	1	1	1	1	0	0
$a_w a_x a_y z$	0	0	1	1	0	0	0	0	0	0	0	0	1
$a_v y a_w$	0	0	1	0	0	0	0	0	0	0	0	1	0

- (1) Hence, prime rectangle  
 $(\{a_w a_x a_y z, a_w a_x\}, \{a_w a_x\})$   
 (2) Let  $(\{a_w a_x a_z a_u, a_w a_x a_z a_v\}, \{a_w a_x a_z\}) \rightarrow$  not worthy  
 Let  $f_3 = (w+x)$

(C) Network graph :-

