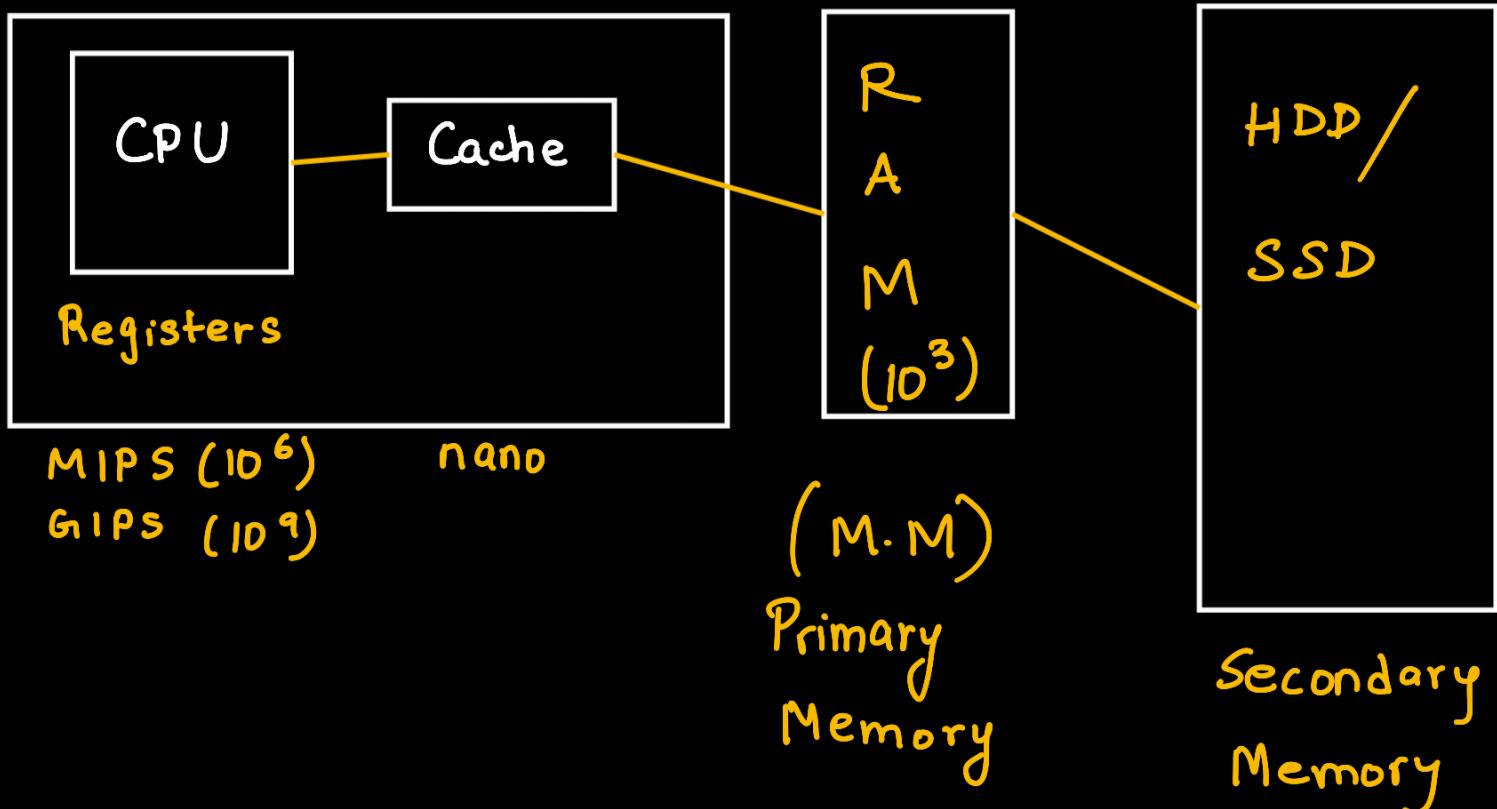


Cache Mapping

Direct

Fully
Associative

k -way
set Associative



Flow of Data

Fetch from secondary memory to MM .

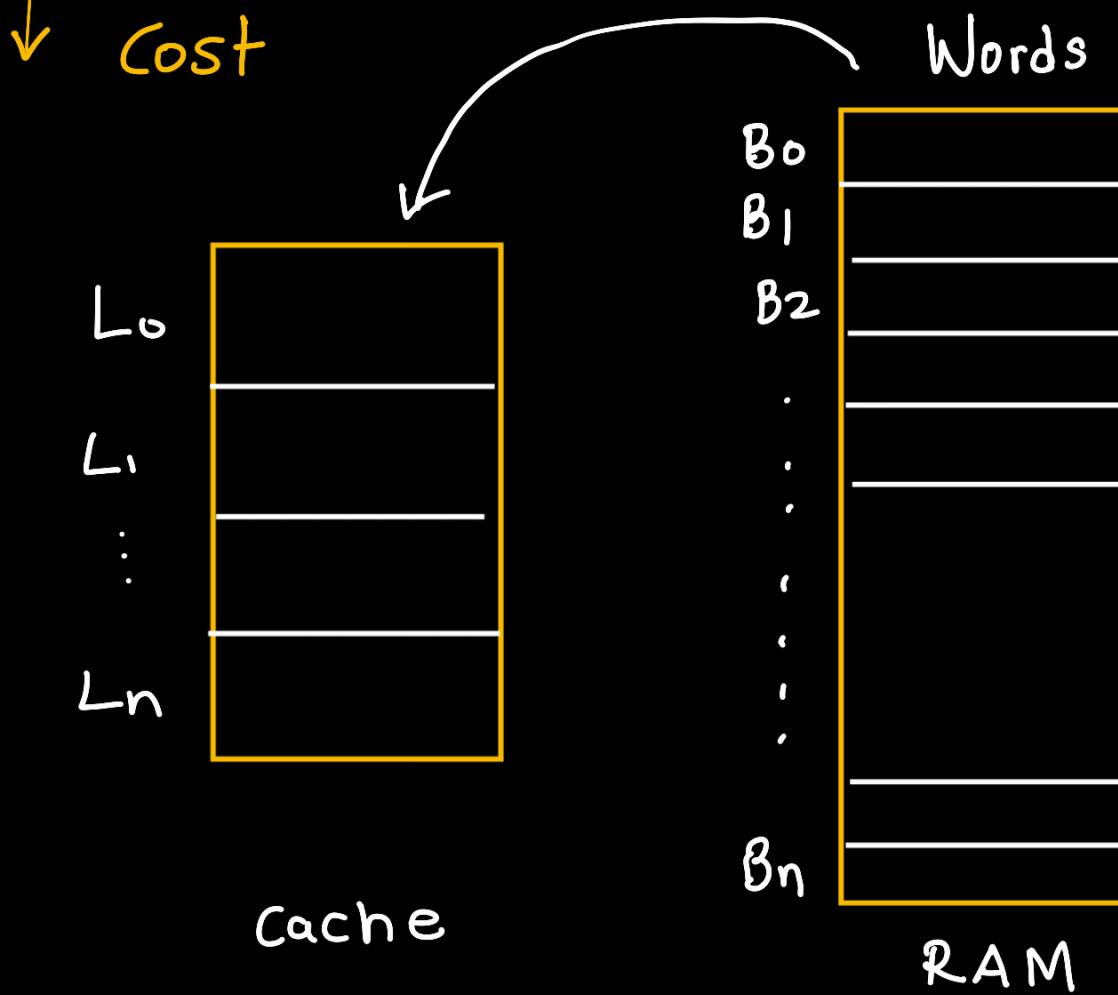
Fetch from MM to cache

Fetch from cache to CPU

1 Hr

10 Lac Hr

Capacity of }
 HDD → TB
 RAM → GB
 Cache → MB } So there has to be
 a trade off between
 speed & cost.



Whenever the CPU encounters a Cache Miss, it fetches the blocks of words from the main memory.

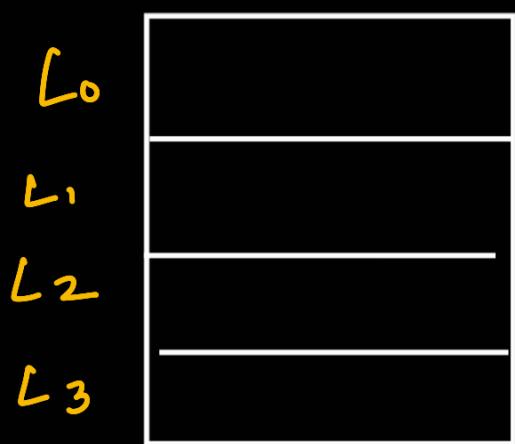
From Blocks to Lines

Word / Byte : Minimum addressable unit of memory.

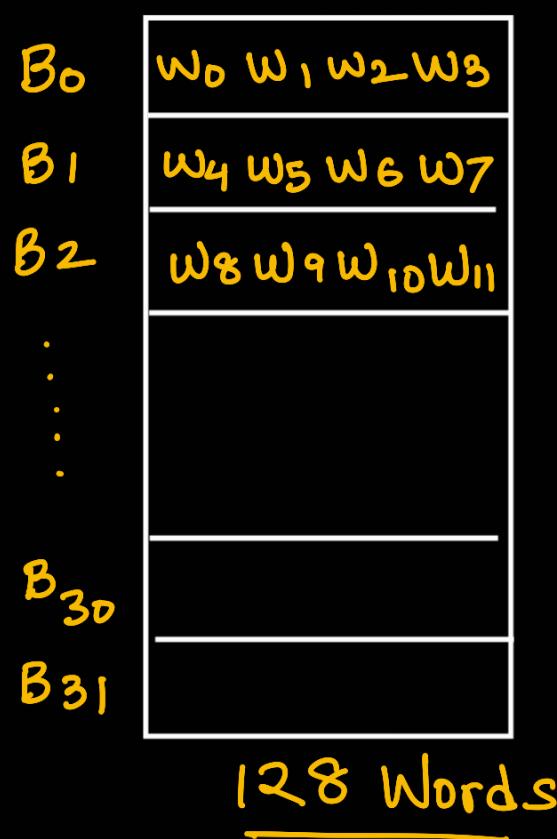
Cache Mapping : It is the process which instructs the CPU , exactly where inside cache , the words fetched from the RAM are stored into the cache lines.

Example

Cache



R A M



1 Word → 2/4/8 Bytes

1 Block can store 4 Words

∴ 32 Blocks are there in the main memory.

Similarly 1 Line → 4 Words

∴ Total 4 Lines are required.

Direct Mapping-

Follow the formula

$$K \bmod n$$

↓ ↓
Block No. No. of lines

For ex. Block 0

$$\therefore K \bmod n = 0 \bmod 4 = 0$$

∴ Block 0 goes into Line 0

∴ Block 1 goes into $L_1 (1 \bmod 4) = 1$

Block 2 goes into L_2

Block 3 goes into L_3

Block 4 goes into $L_0 (4 \bmod 4) = 0$

$\therefore L_0$ consists of $B_0 \therefore w_0, w_1, w_2$

$\therefore L_1 \quad " \quad " \quad B_1 \therefore w_4, w_5, w_6, w_7$

Also, L_0 may contain $B_4, B_8, B_{12} \dots B_{28}$

L_1	$B_0 \ B_4 \ \dots \ B_{28}$
L_2	$B_1 \ B_5 \ \dots \ B_{29}$
L_3	$B_2 \ B_6 \ \dots \ B_{30}$
L_4	$B_3 \ B_7 \ \dots \ B_{31}$

It is to be noted that at a time, only 1 block may occupy the cache line.

No 2 blocks can co-exist inside the same cache line at a time.

Also, these blocks will always have a fixed location

Even if a line is free, it cannot be allocated to another block. (Conflict Miss).

How the CPU access the WORD ??

128 words ($w_0 - w_{127}$) can be accessed using 7 bits, i.e 2^7 .

These 7 bits are further broken down as:-



Block Number

Block Offset
(Block Size)

To represent the block offset

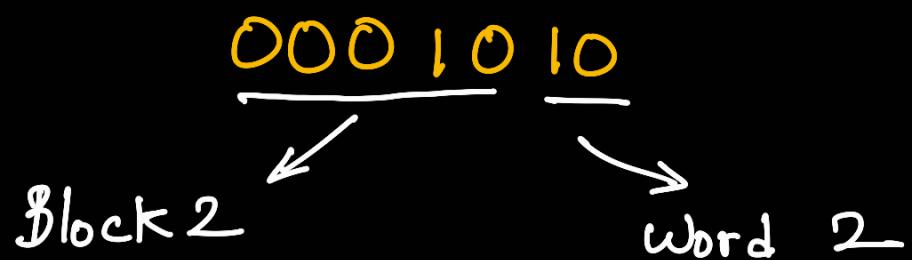
i.e No. of words in each block,

we need 2 bits, i.e $2^2 = 4$

∴ Each Block can store 4 words. These words can be accessed using the Block Offset.

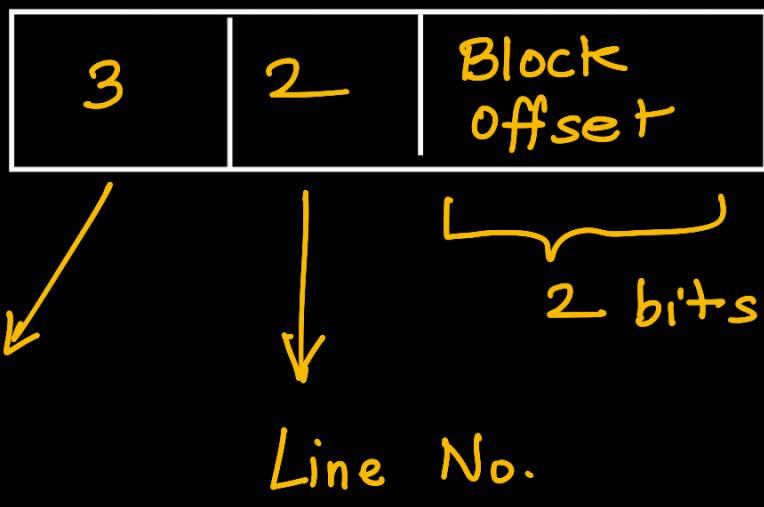
The remaining 5 bits are used to represent the block number.

Ex: The CPU generates an address



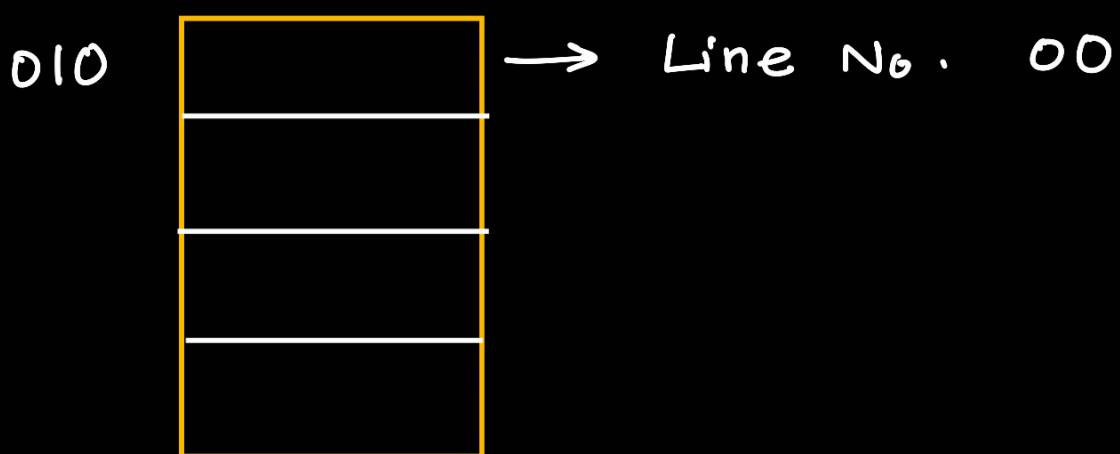
This is how the CPU generates the physical address for a word.

How to resolve the data present in the cache?



The Tag represents which blocks can be accommodated in a cache line.

For ex. Tag = 010



∴ The locations are as follows:

010	00	00	\rightarrow 32
010	00	01	\rightarrow 33
010	00	10	\rightarrow 34
010	00	11	\rightarrow 35

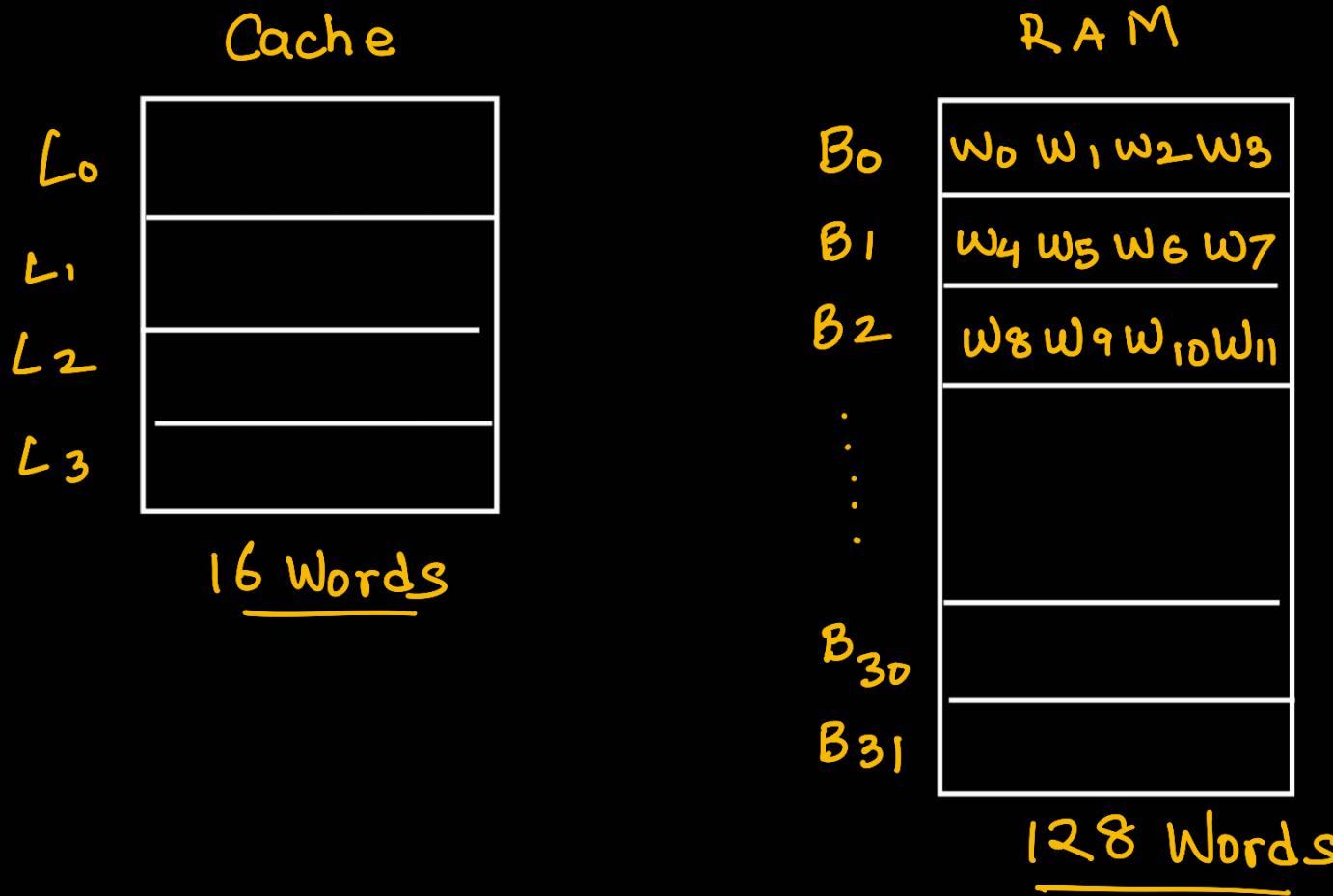
Block 8
will be
selected

010 \Rightarrow 2nd Block i.e

B₀, B₄, B₈ . . .

Example. Tag \rightarrow 001
line \rightarrow 01 } Which
block will be
fetched.

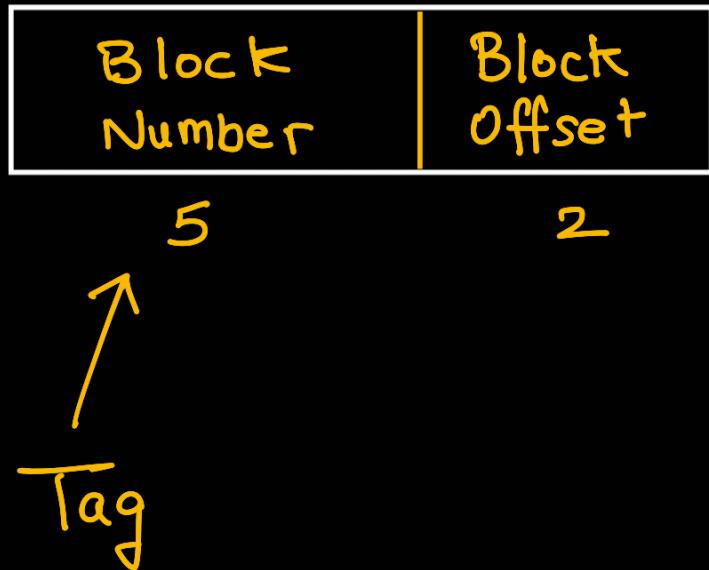
Fully Associative



In fully associative mapping, any block can be accommodated in any free line.

This resolves the issue of conflict miss.

Physical Address:



There is no need to fix a line.

Any of the 2^5 blocks can be present in the cache.

Example:

Tag → 00100

Then Block to be selected is

4.

∴ 00100 00
00100 01
00100 10
00100 11 } Words $w_{16} - w_{19}$
can be fetched
from the M.M
and brought into
the cache.

It can be put into any free
Cache line.

No. of hits increases in this
case

Tag Size Increases

K-Way Set Associative Mapping

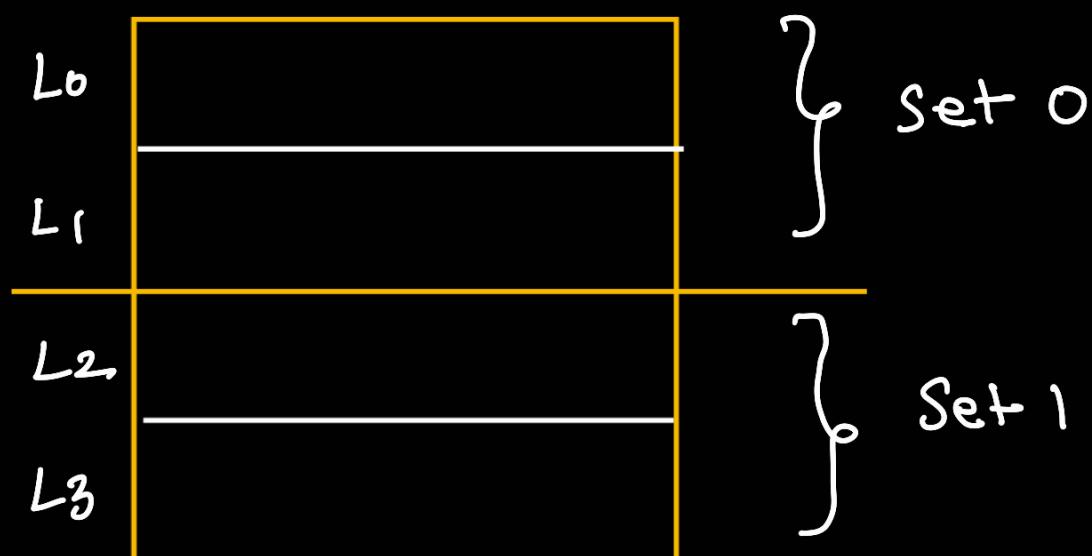
It is a combination of both Direct & fully associative cache mapping.

$K \rightarrow$ No. of lines in each set

$$\therefore \text{No. of sets} = \frac{\text{No. of lines}}{\text{Value of } K}$$

\therefore No. of set in our example

$$\Rightarrow \frac{4}{2} = 2 \text{ sets}$$



First we fetch the block from
the Main Memory using Direct Mapping



But where should we put the
block of words

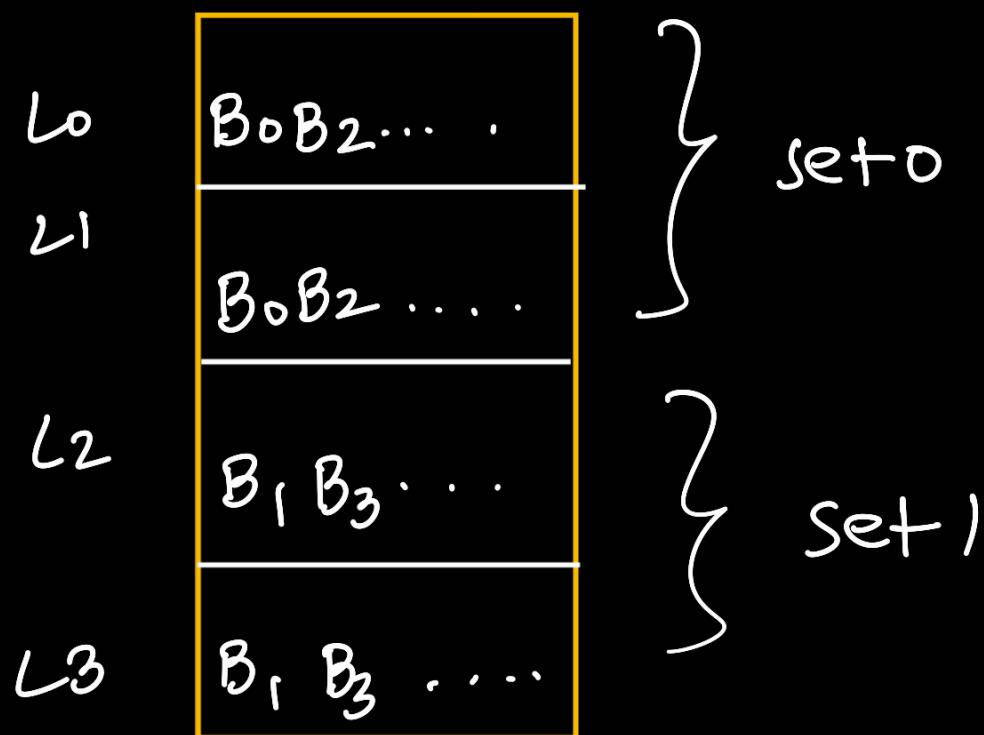
For ex. Suppose Block 1.

$$K \bmod n$$

$$\Rightarrow 1 \bmod 2 \Rightarrow 1$$

∴ Hence Set 1 is selected

If we can then accommodate the block of words in any of the lines of set 1



Physical Address

Block Number	Block offset
5	2

Cache memory Mapping

Tag	Set No.	Block Offset
4	1	2

$$\therefore \overline{\text{Tag}} \rightarrow 2^4 \rightarrow 16$$

So any possible 16 blocks can occupy the lines.

\therefore Even & Odd sets

