

Expectation

Input: Behaviour policy π , target policy π_i , discount-factor gamma, initial state S_0 .

$R \in []$, discounted rewards $\in 0$, ~~$Q \in []$~~ $Q \in []$, ~~$A \in []$~~ $A \in []$,
 for $j = 0, 1, 2 \dots t$ do: // t is terminal state
 Take an action a_j at S_j , according to π , collect reward r_j and move on to S_{j+1} .
 Store $R[j] \leftarrow r_j$
 Store $A[j] \leftarrow a_j$
 Store $Q[j][a] = \pi(a|S_j)$

$s = 0$

for s in ~~R~~ reverse(R) do:

if s is last element:

$s = 0$

else:

$$s = r + \gamma * s$$

~~A~~ // Create a new list R_1 ,
 $R_1.append(s)$ at 0th position.

~~for j in A do:~~

~~$$L_\pi = \frac{\pi_i(a|S_j)}{\pi_j(a|S_j)}$$~~

$sum = 0$

for j in A do:

$$L_\pi = \frac{\pi_i(a|S_j)}{Q[j][A[j]]} \times R_1[j]$$

$$sum += L_\pi$$

$$surrogate = sum - \frac{(4 \times \max(R_1) \times gamma) \times d_{kl}(\pi, \pi_i)}{(1 - \gamma)^2}$$

return surrogate