

Chapter 6 Review Question and Exercises: 6.2, 6.16 (b, c, d, e, f, g, i, j) Chapter 8 Exercises: Specify the queries of exercises 6.16 (b, c, d, e, f, g, i, j) in SQL; 8.16 (b, c, e, f); 8.17 (b, c, d); 8.24(b, d) Chapter 10 Exercises: 10.11, 10.16, 10.19, 10.20, 10.21, 10.26, 10.28, 10.31, 10.33. Chapter 11 Exercises: 11.30. Chapter 17 Exercises: 17.17, 17.22(b, c, d), 17.23 Chapter 18: 18.1.

6.2	Union compatibility describes two relations who have the same degree and whose attribute domains match for all attributes. Required for UNION, INTERSECTION, and DIFFERENCE because these operations examine tuples between the two operand relations and keep or discard the tuple based on the operation. If the two tuples had different degrees or had attributes with different domain values, the comparison would not make logical sense and couldn't be done.											
6.16 and SQL	b	$R \leftarrow \pi_{Lname, Fname} (EMPLOYEE \bowtie_{Ssn=Essn \text{ AND } Fname=Dependent_name} DEPARTMENT)$ <pre>SELECT LNAME, FNAME FROM EMPLOYEE WHERE EXISTS (SELECT * FROM DEPENDENT WHERE FNAME=DEPENDENT_NAME AND ESSN=SSN);</pre> no rows selected										
	c	$WONG_SSN \leftarrow \pi_{Ssn} (\sigma_{Fname='Franklin' \text{ AND } Lname='Wong'}(EMPLOYEE))$ $R \leftarrow \pi_{Lname, Fname} (EMPLOYEE \bowtie_{Super_ssn=Ssn} WONG_SSN)$ <pre>SELECT LNAME, FNAME FROM EMPLOYEE WHERE SUPERSSN IN (SELECT SSN FROM EMPLOYEE WHERE FNAME='Franklin' AND LNAME='Wong');</pre> <table><tr><td>LNAME</td><td>FNAME</td></tr><tr><td>-----</td><td>-----</td></tr><tr><td>Smith</td><td>John</td></tr><tr><td>Narayan</td><td>Ramesh</td></tr><tr><td>English</td><td>Joyce</td></tr></table>	LNAME	FNAME	-----	-----	Smith	John	Narayan	Ramesh	English	Joyce
	LNAME	FNAME										
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Smith	John											
Narayan	Ramesh											
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d	$AVG_HOURS \leftarrow \pi_{Pno} F_{AVG(Hours)}(WORKS_ON)$ $R \leftarrow \pi_{Pname, Hours} (PROJECT \bowtie_{Pnumber=Pno} AVG_HOURS)$ <pre>SELECT PNAME, SUM(HOURS) FROM PROJECT, WORKS_ON WHERE PNUMBER=PNO GROUP BY PNAME ORDER BY SUM(HOURS) ASC ;</pre> <table><tr><td>PNAME</td><td>SUM(HOURS)</td></tr><tr><td>-----</td><td>-----</td></tr><tr><td>Reorganization</td><td>25</td></tr></table>	PNAME	SUM(HOURS)	-----	-----	Reorganization	25					
PNAME	SUM(HOURS)											
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Reorganization	25											

		ProductY	37.5
		ProductZ	50
		ProductX	52.5
		Newbenefits	55
		Computerization	55
e	$EMP_PROJ(Ssn, Pno) \leftarrow \pi_{Essn, Pno}(WORKS_ON)$ $PROJ_NUMS(Pno) \leftarrow \pi_{Pnumber}(PROJECT)$ $EMP_SSNS \leftarrow EMP_PROJ \div PROJ_NUMS$ $R \leftarrow \pi_{Lname, Fname}(EMPLOYEE * EMP_SSNS)$ SELECT LNAME, FNAME FROM EMPLOYEE WHERE NOT EXISTS (SELECT PNUMBER FROM PROJECT WHERE NOT EXISTS (SELECT * FROM WORKS_ON WHERE PNUMBER=PNO AND ESSN=SSN)); no rows selected		
f	$NONWORKER \leftarrow \pi_{Ssn}(EMPLOYEE) - \pi_{Essn}(WORKS_ON)$ $R \leftarrow \pi_{Lname, Fname}$ SELECT LNAME, FNAME FROM EMPLOYEE WHERE NOT EXISTS (SELECT * FROM WORKS_ON WHERE ESSN=SSN); no rows selected		
g	$EMP_DEP \leftarrow EMPLOYEE \bowtie_{Dno=Dnumber} DEPARTMENT$ $AVG_HOURS \leftarrow_{Dname} F_{AVG(Salary)}(EMP_DEP)$ SELECT DNAME, AVG(SALARY) FROM DEPARTMENT, EMPLOYEE WHERE DNUMBER=DNO GROUP BY DNAME ORDER BY AVG(SALARY) ASC DNAME AVG(SALARY) ----- Administration 31000 Research 33250 Headquarters 55000		
i	$HOUSTON_PROJS \leftarrow \pi_{Pnumber}(PROJECT)$ $HOUSTON_PROJ_EMPS(Ssn) \leftarrow \pi_{Essn}(WORKS_ON * HOUSTON_PROJS)$ $HOUSTON_DEPTS \leftarrow \pi_{Pnumber}(\sigma_{Dlocation='Houston'}(DEPT_LOCATIONS))$ $NON_HOUSTON_DEPT_EMPS(Ssn) \leftarrow (EMPLOYEE \bowtie_{Dno \neq Dnumber} HOUSTON_DEPTS)$ $R\ SSNS \leftarrow HOUSTON\ EMPS \cap NON\ HOUSTON\ DEPT\ EMPS$		

		$R \leftarrow \pi_{Lname, Fname, Address}(R_SSNS * EMPLOYEE)$ SELECT LNAME, FNAME, ADDRESS FROM EMPLOYEE WHERE EXISTS (SELECT * FROM WORKS_ON, PROJECT WHERE PLOCATION='Houston' AND PNO=PNUMBER AND SSN=ESSN) AND NOT EXISTS (SELECT * FROM DEPT_LOCATIONS WHERE DNO=DNUMBER AND DLOCATION='Houston'); LNAME FNAME ADDRESS ----- Wallace Jennifer 291 Berry, Bellaire, TX
	j	$DEPT_MGR(Ssn) \leftarrow \pi_{Mgr_ssn}(DEPARTMENT)$ $DEPND(Ssn) \leftarrow \pi_{Essn}(DEPENDENT)$ $MGR_NO_DEPND \leftarrow DEPT_MGR * DEPND$ $R \leftarrow \pi_{Lname, Fname}(MGR_NO_DEPND * EMPLOYEE)$ SELECT LNAME, FNAME FROM EMPLOYEE WHERE EXISTS (SELECT * FROM DEPARTMENT WHERE SSN=MGRSSN) AND NOT EXISTS (SELECT * FROM DEPENDENT WHERE SSN=ESSN); LNAME FNAME ----- Borg James
8.16	b	SELECT Course_name FROM COURSE WHERE Course_number IN (SELECT Course_number FROM SECTION WHERE Instructor='King' AND (Year='04' OR Year='05'));
	c	SELECT Course_number, Semester, Year, COUNT(*) FROM SECTION, GRADE_REPORT WHERE Instructor='King' AND SECTION.Section_identifier = GRADE_REPORT.Section_identifier GROUP BY Course_number, Semester, Year
	e	SELECT Name, Major FROM STUDENT WHERE Student_number IN (

		<pre> SELECT Student_number FROM GRADE_REPORT WHERE Student_number NOT IN (SELECT Student_number FROM GRADE_REPORT WHERE Grade<>'A')); </pre>
	f	<pre> SELECT Name, Major FROM STUDENT WHERE Student_number IN (SELECT Student_number FROM GRADE_REPORT WHERE Student_number NOT IN (SELECT Student_number FROM GRADE_REPORT WHERE Grade='A')); </pre>
8.24	b	<p>CREATE VIEW RESEARCH_EMPLOYEE_SUMMARY (EmpLname, EmpFname, MgrLname, MgrFname, Salary) AS SELECT...</p> <p>get research employees...</p> <pre> SELECT Lname, Fname FROM EMPLOYEE WHERE Dno IN (SELECT Dnumber FROM DEPARTMENT WHERE Dname='Research'); </pre> <pre> SELECT Lname, Fname FROM EMPLOYEE WHERE </pre>
	d	My girlfriend and I broke up last night.
10.11		<p>A minimal set of functional dependencies</p> <ul style="list-style-type: none"> • Has every FD with a single attribute for its right hand side • Has every FD with its left hand side as a minimal set of attributes (we cannot remove any attributes without causing the new FD to be nonequivalent) • And from which we cannot remove any FD without the new FD being nonequivalent <p>The minimal set of FDs is not always unique. Every set of FDs does have a minimal equivalent set. For example, if the set of FDs is the minimal set, it is equivalent to itself. If the set of FDs isn't the minimal set, it can be decomposed into the minimal set using the algorithms in the book and the closure of the new set is equivalent to the closer of the old set, and the FD sets are thus equivalent.</p>

10.16		Boyce-Codd Normal form is a normal form "higher" than 3NF. A relation is in BCNF if whenever a nontrivial FD $X \rightarrow A$ holds in R, then X is a superkey of R. This is different from 3NF because 3NF says the FDs are also allowed to have A as a prime attribute in R.
10.19		$F = \{A \rightarrow C, AC \rightarrow D, E \rightarrow AD, E \rightarrow H\}$ $G = \{A \rightarrow CD, E \rightarrow AH\}$ $F^+ = \{A, C, E, H, D\}$ $G^+ = \{A, E, C, H, D\}$ $G^+ == F^+ \Rightarrow$ equivalent.
10.20		$G = \{Ssn \rightarrow \{Edate, Bdate, Address, Dnumber\}, Dnumber \rightarrow \{Dname, Dmgr_ssn\}\}$ $\{Ssn^+\} = \{Edate, Bdate, Address, Dnumber, Dname, Dmgr_ssn\}$ $\{Dnumber^+\} = \{Dname, Dmgr_ssn\}$
10.21		<p>No. The set of FDs is not minimal because:</p> <ul style="list-style-type: none"> Not every FD has a single attribute for its right hand side <p>The attempted changes are: Change FDs to canonical form (with 1 attribute on rhs):</p> <ol style="list-style-type: none"> 1) $Ssn \rightarrow Edate$ 2) $Ssn \rightarrow Bdate$ 3) $Ssn \rightarrow Address$ 4) $Ssn \rightarrow Dnumber$ 5) $Dnumber \rightarrow Dname$ 6) $Dnumber \rightarrow Dmgr_ssn$ <p>Remove redundant attributes from LHS: No removals (as LHS is all single attribute). Attempt to remove redundant FDs: Remove i)? $\Rightarrow G^+$ loses attribute. No removals (as this results in loss of attributes in G^+). Therefore the list above is minimal. Prove by: $G^+ = \{Ssn^+\} \cup \{Dnumber^+\}$.</p>
10.26		$F = \{AB \rightarrow C, A \rightarrow DE, B \rightarrow F, F \rightarrow GH, D \rightarrow IJ\}$ The key is AB since there is no single attribute whose closure contains all attributes in R. AB therefore contains a minimal number of attributes and its closure is all attributes in R: $\{AB\}^+ = ABCDEFGHIJ$. To obtain 2NF compute: $A^+ = A, D, E, I, J$ $B^+ = B, F, G, H$. So for 2NF: $R1(A, B, C)$ and $R2(A, D, E, I, J)$ and $R3(B, F, G, H)$. To obtain 3NF compute look at the FDs in F which are valid for $R1, R2$, and $R3$ and break down any transitive dependencies. $R11(A, D, E)$ and $R12(D, I, J)$ and $R21(B, F)$ and $R22(F, G, H)$ and $R3(A, B, C)$.
10.28	a	$A \rightarrow B$ does not work because of tuples 1 and 2. $B \rightarrow C$ could work. $C \rightarrow B$ does not work because of tuples 1 and 3. $B \rightarrow A$ does not work because of tuples 1 and 5. $C \rightarrow A$ does not work because of tuples 1 and 3.
	b	Tuple# is a CK.

		<p>A is not a CK because of tuples 1 and 5.</p> <p>B is a CK because it determines {AC}.</p> <p>C is a CK because it determines {AB}.</p>
10.31		<p>After a natural join the relation looks like: $R(\underline{O\#}, \underline{I\#}, Qty_ordered, Total_price, Discount\%, Odate, Cust\#, Total_amount)$ and the FDs for it are: $\{O\#, I\# \} \rightarrow \{Qty_ordered\}$ $\{O\#, I\# \} \rightarrow \{Total_price\}$ $\{O\#, I\# \} \rightarrow \{Discount\%\}$ $\{O\# \} \rightarrow \{Odate\}$ $\{O\# \} \rightarrow \{Cust\#\}$ $\{O\# \} \rightarrow \{Total_amount\}$ This is not in 2NF because Odate, Cust#, and Total_amount only partially depend on the joined key {O#, I#}. Since it isn't in 2NF then it isn't in 3NF.</p>
10.33	a	<p>The relation isn't in 3NF because it isn't in 2NF. It isn't in 2NF because none of the attributes are fully functionally dependent on the key.</p>
	b	<p>{Author_name, Book_title} is the key because its closure is all attributes. First decompose to 2NF: Author_name → Author_affil is PD on the PK, so it becomes its own relation. Book_title → Publisher, Book_type is PD on the PK, so it becomes its own relation. Book_type → List_price is not PD on the PK so it does not become its own relation. So we now have: $R_0(\underline{Book_title}, \underline{Author_name})$ $R_1(\underline{Author_name}, Author_affil)$ $R_2(\underline{Book_title}, Publisher, Book_type, List_price)$ Further decomposition into 3NF is necessary because of the Book_type → List_price dependency. $R_0(\underline{Book_title}, \underline{Author_name})$ $R_1(\underline{Author_name}, Author_affil)$ $R_{21}(\underline{Book_title}, Publisher, Book_type)$ $R_2(\underline{Book_type}, List_price)$</p>
11.30	a	<p>$\{M\}^+ = \{MP, C\}$ which is not all attributes and so M is not a CK. $\{M, Y\}^+ = \{MP, P, C, Y, M\}$ which IS all attributes and so {M, Y} is a CK. $\{M, C\}^+ = \{MP, C, M\}$ which is not all attributes and so {M, C} is not a CK.</p>
	b	<p>The relation isn't in 2NF because MP has a partial dependency on only M of the PK. Therefore it is not in 3NF or BCNF.</p>
	c	<p>$R(M, Y, P, MP, C)$ $R_1(M, Y, P)$ $R_2(M, MP, C)$ Compute the closures of each FD in F as in part a. $R_1 \cap R_2 = M$ and $R_2 - R_1 = \{MP, C\}$. And so $\{M\} \rightarrow \{MP, C\}$ is part of F^+, so this has the lossless property.</p>