

Software Engineering Process

Deliverable 1

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1 Problem-1

The Tangent(tan) function is one of the most familiar trigonometric functions.

In case of a right angled triangle, the tan of an angle can be defined as: the ratio between the length of the opposite side and the length of the adjacent side. This can be denoted as :

$$\tan(\theta) = \frac{\text{length of opposite}}{\text{length of adjacent}}$$

One of the common identities that shows the relation between various trigonometric identities is :

$$\tan(\theta) = \frac{\sin(\theta)}{\cos(\theta)}$$

Features of tan() function :

1. Domain : $\{x \mid x \neq \frac{\pi}{2} + k\pi, k = \dots, -1, 0, 1, \dots\}$
2. Co-Domain : \mathbb{R}
3. Period : π
4. tan(x) is symmetric

2 Problem-2

Functional requirements:

1. Assumptions:

1. All inputs to the function will be numeric
2. Input will be a real number
3. Input will be assumed in degrees

2. Requirements:

- ID : ETRN-REQ-1

1. Type : Functional requirement
2. Version : 1.0
3. Difficulty : Easy
4. Owner : Author
5. Description : User can enter any valid number for the function $\tan(x)$
6. Rationale : The $\tan()$ function returns valid values for all inputs except only for $x = \frac{\pi}{2} + k\pi$. In this case, NaN can be returned.

- ID : ETRN-REQ-2

1. Type : Functional requirement
2. Version : 1.0
3. Difficulty : Medium
4. Owner : Author
5. Description : $\tan(x)$ returns the computed value when $x \neq \frac{\pi}{2} + k\pi$
6. Rationale : The domain for $\tan(x)$ is satisfied. Hence calculated value will be returned.

- ID : ETRN-REQ-3
 1. Type : Functional requirement
 2. Version : 1.0
 3. Difficulty : Easy
 4. Owner : Author
 5. Description : $\tan(x)$ returns NaN when $x = \frac{\pi}{2} + k\pi$
 6. Rationale : The domain for $\tan(x)$ is not satisfied. The function returns NaN. No computation is required.
- ID : ETRN-REQ-4
 1. Type : Functional requirement
 2. Version : 1.0
 3. Difficulty : Easy
 4. Owner : Author
 5. Description : When input is non-numeric, Incorrect format exception is thrown
 6. Rationale : $\tan(x)$ is a mathematical function that only accepts numerical values.

3 Problem-3

Algorithm 1 : Calculation of $\tan(x)$ using Taylor series expansion

1. if x not in range(0,180) then,
2. Subtract largest multiple of 180 less than x
3. end if
4. if $x > 90 \wedge x < 180$ then,
5. $x \leftarrow x - 180$
6. end if
7. if $x > 45 \wedge x < 90$ then,
8. $x1 \leftarrow 90 - x$
9. return $\frac{1}{\tan(x1)}$
10. end if
11. if $x > 22.5 \wedge x < 45$ then,
12. return $\frac{2*\tan(\frac{x}{2})}{1-\tan^2(\frac{x}{2})}$
13. end if
14. if $x < 22.5$ then,
15. $z \leftarrow x * \frac{\pi}{180}$
16. return $z + \frac{z^3}{3} + \frac{2z^5}{15} + \frac{17z^7}{315}$

Algorithm 2 : Computing $\tan(x)$ as a ratio of \sin and \cos

1. $x1 \leftarrow \sin(x)$
2. $x2 \leftarrow \cos(x)$
3. return $\frac{x1}{x2}$

Factors in algorithm selection :

1. Algorithm 1 gives accuracy of ± 0.000006
2. Algorithm 1 is efficient
3. Algorithm 2 uses ratio of 2 separately calculated values. This approach lacks precision.
4. Algorithm 2 is dependent on $\sin(x)$ and $\cos(x)$ functions