

## UNITED INTERNATIONAL UNIVERSITY

## Department of Computer Science and Engineering (CSE) Course Syllabus

1	Course Title	Co-ord	inate Geometry and Vector Analysis			
2	Course Code	Math 20	01/Math 2201			
3	Trimester and Year	Fall 2024				
4	Pre-requisites	Math 0	Math 003, Math 151			
5	Credit Hours	3				
6	Section	B, F, O				
7	Class Hours	Sat/Tue	es-9.51-11.10, Sun/Wed- 8.30-950, 12.31-1.50			
8	Class Room	801, 63	2			
9	Instructor's Name	Sidratu	l Muntaha (SiMu), Adjunct Lecturer in Mathematics, INS.			
10	Email	sidratu	luiu@gmail.com, Mobile - 01619856155			
11	Office	Room # 310				
12	Counseling Hours					
13	Textbook	Calculus Early Transcendentals by Howard Anton, Irl Bivens, Stephen Davis [10 <sup>th</sup> Edition]				
14	Reference	Engineering Mathematics, H. K. Dass (HKD) [15 <sup>th</sup> Edition]				
15	Course Contents (approved by UGC)	Conic sections, rotation of axes, Rectangular co-ordinate in 3-space, cross and dot product of vectors, parametric equation of straight lines, Plane in 3-space, quadratic surfaces, Differentiation and integration of vector-valued function, tangent and normal vectors, directional derivative and gradient of scalar fields, Tangent planes and normal vectors, vector fields, line integrals, conservative vector field, Green's theorem. Triple integral in cylindrical and spherical coordinate systems, Surface integral, flux, divergence theorem, Stokes' theorem.				
16	Course					
	Outcomes (Cos)	Cos	Description			
		CO1	Recognize different conic sections, coordinate systems, position			
		CO2	vectors, and vector-valued functions.			
		CO2	Apply vector calculus in coordinate geometry and related applications of mathematics.			
		CO3	Solve multiple integral problems in cylindrical and spherical			
			coordinate systems.			
		CO4	Analyze different theorems of vector calculus from the perspective of real-life applications.			
			**			

17	Teachi	hing Methods Lecture, Case Studies, Assignments.															
18	CO with Assessment Methods																
19		Tapping of COs and Program outcomes															
	COs	D04	200	Program Out				l	`	<del></del>							
	CO1	PO1 √	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO	)11	PO12			
	CO2	√ √															
	CO3	V	√ √														
	CO4		· √														
0	Lectur	e Outlir	ne	l		l	l										
								CO	COs Reading Reference				Lecture				
	Class	<b>Topics/Assignments</b>										Outcome/ Activities					
	1-3	Rectangular coordinates in 3-space, dot, and cross products of vectors.  Parametric equation of straight lines, plane in 3-space, quadratic surfaces.  Double and triple integrals in rectangular coordinate systems.				, 1,2	2	Chapter			Quiz-1						
	1-3							11.1,11.2,11.3,11.4			Assignment-1						
	4-7					1,3	3 (	Chapter 11.5,11.6		6							
								r 3,4	1	Chapter			Quiz-2				
	8-11							14.1,14.2,14.3,14.5									
	12	Directional derivative, and g			_	dient o	f 3,4	1	Chapter								
		scalar fields.  Mid-term								1	3.6						
		Tri	ple inte				nolar	3,4	1	Ch	apter		Qui	7-3			
	13-		indrical	•						11.8,14.6,12.1,12.2			23				
	15	systems. Differentiation and integration of vector-valued function.					of										
							1.0	4									
	16-18		Vector field, Line integrals, conservative vector field, Green's theorem.				e 1,3,		Chapter 15.1,15.2,15.3,15.4			Ass	signment-2				
	19-22	Sı		e integral, flux, divergence orem, Stokes' theorem			2,3,		Chapter 15.5,15.6,15.7,15.8				Quiz-4				
	23- 24	C	Conic se	ections,	rotatio	on of ax	xes.	1	(	Chapter	10.4,10.	5					
			Fi	nal Exa	aminati	ion											

Assessment Types	Marks
Attendance	5%
Assignments	5%
Class Tests	20%
Mid Term	30%
Final Exam	40%

## **Appendix 2: Grading Policy**

Letter Grade	Marks %	Grade Point	Letter Grade	Marks%	Grade Point
A (Plain)	90-100	4.00	C+ (Plus)	70-73	2.33
A- (Minus)	86-89	3.67	C (Plain)	66-69	2.00
B+ (Plus)	82-85	3.33	C- (Minus)	62-65	1.67
B (Plain)	78-81	3.00	D+ (Plus)	58-61	1.33
B- (Minus)	74-77	2.67	D (Plain)	55-57	1.00
			F (Fail)	<55	0.00

## **Appendix-3: Program outcomes**

POs	Program Outcomes
PO1	An ability to apply knowledge of mathematics, science, and engineering
PO2	An ability to identify, formulate, and solve engineering problems
PO3	An ability to design a system, component, or process to meet desired needs within realistic
	constraints such as economic, environmental, social, political, ethical, health and safety,
	manufacturability, and sustainability
PO4	An ability to design and conduct experiments, as well as to analyze and interpret data
PO5	An ability to use the techniques, skills, and modern engineering tools necessary for
	engineering practice
PO6	The broad education necessary to understand the impact of engineering solutions in a global,
	economic, environmental, and societal context
PO7	A knowledge of contemporary issues
PO8	An understanding of professional and ethical responsibility
PO9	An ability to function on multidisciplinary teams
PO1	An ability to communicate effectively
0	
PO1	Project Management and Finance
1	
PO1	A recognition of the need for, and an ability to engage in lifelong learning
2	

Lecture no	Chapter	Topics
	10.4	Example-1, 2, 3, 4, 5, 6, 7, 8, 9, 10
Conic sections, rotation of	10.5	Example-1, 2, 3, 4
axes		Exercise set 10.5(1, 3, 5, 7, 9, 11, 13, 19, 21, 23, 25, 27,
		29)
	11.1	Example-1, 2, 3, 4
Rectangular coordinates	11.2	Example-1, 2, 3, 4, 5, 6, 7, 8
in 3-space, dot and cross		*
products of vectors,	11.3	Example-1, 2, 3, 4, 5, 7, 8
parametric equation of	11.4	Example-1, 2, 3, 4, 5,
straight lines.		Exercise-25 – 28

	11.5	Example-1,2,3,4,5,6 Exercise set-11.5(1, 3, 5, 7, 9, 11,13, 15, 17, 19, 21, 23, 25, 27, 20, 31, 33, 35, 37, 43)					
		27, 29, 31, 33, 35, 37, 43)					
	11.6	Example-1, 2, 3, 4, 5, 6, 7, 8, 9, 10					
Plane in 3-space,		Exercise set-11.6(1,3, 5, 7, 9, 11, 13, 15, 17, 19, 25, 27, 29,					
quadratic surfaces		31, 33, 35, 37, 41, 43, 45, 47)					
Differentiation and	12.1	Example-1,2					
integration of vector-	12.2	Example-1,2,3,7,8,9					
valued function,							
directional derivative, and	13.6	Exercise set-13.6(9,11,13,53,55,61,63)					
gradient of scalar fields.	13.0	Exercise set-13.0(7,11,13,33,33,01,03)					
Vector fields, line							
Vector fields, line integrals, conservative							
vector field, Green's	15.1	Example-2 – 5, Exercise-15.1(17, 19, 37, 38)					
theorem.	15.2	Example- 5, 6, 7					
incorem.	15.0	Exercise set 15.2- (7, 9, 13, 23, 25, 27, 33, 34, 37)					
	15.3	Example-1,2,3,4,5,6					
	15.4	Exercise set 15.3(1, 3, 5, 9, 11, 13)					
Double and triple integral	11.8	Example-1, 2, 3 Exercise set 15.4 (1, 3, 5,7, 9,11)					
in rectangular, polar,	14.1	Exercise- set 11.8(1,3,5,7,9,11) <b>14.1:</b> Theorem 14.1.3, Examples: 1-4, Exercise Set 14.1: 1-					
cylindrical and spherical	14.1	16					
coordinate systems.	14.3						
	14.5	<b>14.2:</b> Definition 14.2.1,					
	14.6	Theorem 14.2.2, Examples: 1-8					
		Exercise Set 14.2: 1-8 (odd numbers), 9,10,15-18					
		<b>14.5:</b> Theorem 14.5.1-14.5.2, Examples: 1-5					
		Exercise Set 14.5: 1-12					
		<b>14.3:</b> Definition 14.3.1,					
		Theorem 14.3.3, Examples: 1-4					
		Exercise Set 14.3: 1-10					
		14.6: Example-1,2,3,4					
	15.5	Example-2, 3					
		Exercise set- 15.5 (1, 3, 5, 7)					
Surface integral, flux,	15.6	Example-2					
divergence theorem,		Exercise set-15.6 (9,11, 13, 15)					
Stokes' theorem.	15.7	Example-1,2,3,4  Example-1,2,3,4					
	15 0	Exercise set-15.7(1,3,9,11, 13, 15, 17)					
	15.8	Example-1,2 Exercise set 15.8 (1,3,5,7,8)					
	Fin	al Examinations					
 rmai examinations							