DFA examples-2

- 1. L = { w | w contains at least **two 0's** and at most **one 1** } | Σ ={0, 1}
- 2. L= { w | w starts and ends with different characters and the length of w is even} | Σ ={0, 1}
- 3. L= { w | w contains even number of 'a' and ends with 'bc' | $\Sigma = \{a, b, c\}$
- **4.** $L = \{w \mid w \text{ contains even number of } \mathbf{0's} \text{ or odd number of } \mathbf{2's.} \} \text{ over } \Sigma = \{0, 1, 2\}$
- 5. $L = \{w \mid w \text{ starts with an even number of 'a', contains 'ba' and ends with 'baa'}\} \mid \Sigma = \{a,b\}$
- 6. L = { w | w does not contain 'mnm' | $\Sigma = \{m,n,w\}$
- 7. $L = \{ w \mid w \text{ does not contain 'xyz' } and \text{ ends with 'yy'} \mid \Sigma = \{x,y,z\}$
- 8. $L = \{w \mid w \text{ contains the set of all strings that has neither '00' nor '11' as substring}\} \mid \Sigma = \{0, 1, 2\}$
- 9. $L = \{ w \mid w \text{ does not start with '01'} \text{ and the } 3^{rd} \text{ last character is '1'} \} \mid \Sigma = \{0, 1\}$
- **10.** L = {w | w contains the set of all strings whose length always returns **remainder 2** when divided by **4** } | Σ = {0, 1}
- **11.** L = {w | w is a palindrome with a max length of 3} | Σ = {0,1}
- **12.** $L = \{ a^i b^j | i \ge 0, j \ge 0, i + j \text{ is an odd number} \} | \Sigma = \{a, b\}$