# SOLVING THE POISSON-EQUATION IN ONE DIMENSION: TRIDIAGONAL MATRIX ALGORITHM AND

# LU-DECOMPOSITION

\_\_\_\_ FYS3150: COMPUTATIONAL PHYSICS \_\_\_\_\_

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Abstract. Abstract write last.

# Contents

1.	Introduction	1
2.	Theory	1
2.1.	The Poisson Equation	1
2.2.	Approximation of the Second Derivative	1
2.3.	Relative Error	1
3.	Algorithms	1
3.1.	Tridiagonal Matrix Algorithm	1
3.2.	LU Decomposition	1
4.	Results	1
5.	Discussion	1
6.	Conclusion	1

### 1. Introduction

Introduction to the report

# 2. Theory

- 2.1. The Poisson Equation. add section on poisson equation » Dirilect boundary conditions » relation between f(x) u" » Check equal
- 2.2. **Approximation of the Second Derivative.** Add section on approx of second derivative  $\ast$  Going from diff equation  $\ast$  linear form  $Av = b \ast$  Matrix -1,2,-1
- 2.3. Relative Error. Add short theory of relative error » YES

### 3. Algorithms

- 3.1. **Tridiagonal Matrix Algorithm.** Section on the TDMA » Problem b » Implementation » FLOPS
- 3.2. **Specialized algorithm.** Section on the optimization » Specialized algorithm problem c » FLOPS » CPU time
- 3.3. LU Decomposition. Section on LU-decomposition » Alogrithm for LU-decomposition » FLOPS » CPU time

### 4. Results

Results from the report.  $\gg$  CPU time difference  $\gg$  Plots  $\gg$  Difference in relative error

# 5. Discussion

Discussion of the report.

## 6. Conclusion

Conclusion of the report.