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 Homework 10

1)  $O(n^2)$  If every stop is adjacent to each other, it'll run down the list adding them all  $n-1$  times for every stop(n).

2) One obvious problem with this is that it will skip odd numbers, the hash table will never be filled at the odd number spot, because it's  $4k$  and modding 20, 40, or 200. This leads to the actual problem, which is that it will only fill the location that is a multiple of 4. In other words, there will be collision with the 5<sup>th</sup> item if it is  $n$  is 20, 50<sup>th</sup> if it is 200, 100<sup>th</sup> if it is 400. You will only be using about 1/4th the space with a lot of collisions happening.

3)

a)

0	1	2	3	4
Null	4371	Null	6173	Null

$$4371 \bmod 5 = 1$$

$$6173 \bmod 5 = 3$$

0	1	2	3	4
Null	4371	Null	Forner	Null

Remove 6173

0	1	2	3	4
Null	4371	3327	26	Null

$$3327 \bmod 5 = 2$$

$26 \bmod 5 = 1$ ; move until an empty space, 3

0	1	2	3	4	5	6	7	8	9	10
Null	Null	Null	Null	4371	3327	26	Null	Null	Null	Null

Resize to  $M = 11$

$$4371 \bmod 11 = 4$$

$$3327 \bmod 11 = 5$$

$26 \bmod 11 = 4$ ; move until an empty space, 6

0      1      2      3      4      5      6      7      8      9      10

Null	Null	Null	1323	4371	3327	26	4340	4199	Null	9679
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Resize to M = 11

$4199 \bmod 11 = 8$

$4340 \bmod 11 = 6$ ; ; move until an empty space , 7

$9679 \bmod 11 = 10$

$1323 \bmod 11 = 3$

b) → means arrow to next, there is a link list in each section

0	1	2	3	4
Null	4371	1323 → 6173	4199 → 4344 → 9679	Null

$4371 \bmod 5 = 1$

$1323 \bmod 5 = 3$

$6173 \bmod 5 = 3$

$4199 \bmod 5 = 4$

$4344 \bmod 5 = 4$

$9679 \bmod 5 = 4$

0	1	2	3	4
Null	4371	1323	4199 → 4344 → 9679	Null

Remove 6173

0	1	2	3	4
Null	4371	1323	4199 → 4344 → 9679 → 3234	Null

$3234 \bmod 5 = 4$

0	1	2	3	4	5	6	7	8	9	10
3234	Null	Null	1323	4371	Null	Null	Null	4199	Null	4344 → 9679

Resize to 11

$$4371 \bmod 11 = 4$$

$$1323 \bmod 11 = 3$$

$$4199 \bmod 11 = 8$$

$$4344 \bmod 11 = 10$$

$$9679 \bmod 11 = 10$$

$$3234 \bmod 11 = 0$$

0	1	2	3	4	5	6	7	8	9	10
3234	Null	Null	1323	4371	Null	Null	Null	4199	Null	4344 → 9679 → 10

$$21 \bmod 11 = 10$$