

1. When the wave meets the immovable barrier, then obviously it can't move that node. So, we see the stationary node example and see the total wave has to be destroyed at the wall and replaced with a wave flipped over the string



Since the wave is destructively interferent every  $0.74 \text{ pm}$ , they must interact every  $0.74 \text{ pm}$ . Because of the symmetry,  $\lambda = 2(0.74 \text{ pm})$  OK  
 $\hookrightarrow$  let's call this  $\lambda$  for a sec.

What does this mean?

DeBroglie:

$$p = \frac{h}{\lambda}$$

$$\frac{1}{c} \sqrt{(k + mc^2)^2 - (mc^2)^2} = \frac{h}{2\lambda}$$

$$\sqrt{(k + mc^2)^2} = \frac{ch^2}{4\lambda^2} + (mc^2)^2$$

$$k = \sqrt{\frac{c^2 h^2}{4\lambda^2} + (mc^2)^2} - mc^2 \quad \checkmark$$

a) photons:  $k = E = \frac{hc}{\lambda} = \frac{hc}{2\lambda} \Rightarrow \text{~~0.84 MeV~~ } 0.84 \text{ MeV} \quad \text{OK}$

b) electrons:

$$m = 0.511 \text{ MeV}/c^2$$

$$k = 0.47 \text{ MeV} \quad \text{OK}$$

c) Protons:

$$m = 938.27 \text{ MeV}/c^2$$

$$\text{~~370 eV~~ } k = 370 \text{ eV} \quad \text{OK}$$