Practicals

program to implement

```
Program 1:
                            Abstract Data Types(ADT)
   Stack ADT:
  # Stack implementation in python
  # Creating a stack
  def create stack():
    stack = []
    return stack
 # Creating an empty stack
 def check_empty(stack):
   return len(stack) == 0
# Adding items into the stack
def push(stack, item):
  stack.append(item)
  print("pushed item: " + item)
# Removing an element from the stack
def pop(stack):
 if (check_empty(stack)):
   return "stack is empty"
 return stack.pop()
```

```
stack = create stack()
   push(stack, str(1))
   push(stack, str(2))
  push(stack, str(3))
  push(stack, str(4))
  print("popped item: " + pop(stack))
  print("stack after popping an element: " + str(stack))
  Output
  pushed item: 3
  pushed item: 4
  popped item: 4
  stack after popping an element: ['1', '2', '3']
                           Write a Program to implement
        Program 2:
                           Singly linked list with insertion,
                           deletion, traversal operations
 # Linked list operations in Python
 # Create a node
 class Node:
   def __init__(self, data):
     self.data = data
     self.next = None
class LinkedList:
  def init (self):
    self.head = None
  # Insert at the beginning
 def insertAtBeginning(self, new_data):
    new_node = Node(new_data)
```

```
3 is found
Sorted List:
2 3 4 5
```

Program 3: Write a Program to implement Doubly linked list with insertion, deletion, traversal operations

```
import gc
# Initialise the Node
class Node:
  def _init_(self, data):
     self.item = data
     self.next = None
    self.prev = None
# Class for doubly Linked List
class doubly Linked List:
  def init (self):
    self.start node = None
 # Insert Element to Empty list
 def InsertToEmptyList(self, data):
    if self.start node is None:
      new node = Node(data)
      self.start node = new node
   else:
      print("The list is empty")
# Insert element at the end
def InsertToEnd(self, data):
   # Check if the list is empty
   if self.start node is None:
     new node = Node(data)
     self.start_node = new_node
     return
  n = self.start node
```

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```
# Iterate till the next reaches NULL
       while n.next is not None:
          n = n.next
       new node = Node(data)
       n.next = new node
       new node.prev = n
    # Delete the elements from the start
    def DeleteAtStart(self):
      if self.start node is None:
         print("The Linked list is empty, no element to delete")
         return
      if self, start node, next is None:
        self.start node = None
        return
     self.start_node = self.start_node.next
     self.start prev = None;
  # Delete the elements from the end
  def delete_at_end(self):
    # Check if the List is empty
    if self.start node is None:
      print("The Linked list is empty, no element to delete")
      return
   if self.start node.next is None:
      self.start_node = None
      return
   n = self.start_node
   while n.next is not None:
     n = n.next
  n.prev.next = None
# Traversing and Displaying each element of the list
def Display(self):
```

```
if self.start_node is None:
         print("The list is empty")
         return
      else:
         n = self.start_node
         while n is not None:
            print("Element is: ", n.item)
            n = n.next
      print("\n")
 # Create a new Doubly Linked List
 NewDoublyLinkedList = doublyLinkedList()
 # Insert the element to empty list
NewDoublyLinkedList.InsertToEmptyList(10)
# Insert the element at the end
NewDoublyLinkedList.InsertToEnd(20)
NewDoublyLinkedList.InsertToEnd(30)
{\bf NewDoublyLinkedList.InsertToEnd} (40)
{\bf New Doubly Linked List. Insert To End} (50)
{\bf New Doubly Linked List. Insert To End} (60)
# Display Data
{\bf New Doubly Linked List. Display}()
# Delete elements from start
{\bf NewDoublyLinkedList.DeleteAtStart}()
# Delete elements from end
{\bf NewDoublyLinkedList.DeleteAtStart}()
# Display Data
{\bf NewDoublyLinkedList.Display}()
```

Output Element is: 10 Element is: 20 Element is: 30 Element is: 40 Element is: 50 Element is: 60 program to implement Write Program 4: with insertion, deletion, D stack traversal operations. # Stack implementation in python # Creating a stack def create_stack(): stack = [] return stack # Creating an empty stack lef check_empty(stack): return len(stack) == 0 # Adding items into the stack lef push(stack, item): stack.append(item) print("pushed item: " + item) Removing an element from the stack ef pop(stack):

if (check_empty(stack)):

return "stack is empty"

```
return stack.pop()
   stack = create_stack()
   push(stack, str(1))
   push(stack, str(2))
  push(stack, str(3))
  push(stack, str(4))
  print("popped item: " + pop(stack))
  print("stack after popping an element: " + str(stack))
  Output
  pushed item: 1
 pushed item: 2
 pushed item: 3
 pushed item: 4
 popped item: 4
 stack after popping an element: ['1', '2', '3']
                           Write a program to implement
       Program 5:
                           Queue with insertion, deletion,
                           traversal operations.
# Queue implementation in Python
class Queue:
  def __init__(self):
    self.queue = []
 # Add an element
 def enqueue(self, item):
   self.queue.append(item)
 # Remove an element
```

```
def dequeue(self):
           if len(self.queue) < 1:
             return None
           return self.queue.pop(0)
        # Display the queue
        def display(self):
          print(self.queue)
       def size(self):
         return len(self.queue)
    q = Queue()
   q.enqueue(1)
   q.enqueue(2)
   q.enqueue(3)
   q.enqueue(4)
  q.enqueue(5)
  q.display()
 q.dequeue()
 print("After removing an element")
 q.display()
Output
[1, 2, 3, 4, 5]
After removing an element
[2, 3, 4, 5]
```

Program 6: Write a program to implement Priority Queue with insertion, deletion, traversal operations.

Priority Queue implementation in Python

```
# Function to heapify the tree
 def heapify(arr, n, i):
   # Find the largest among root, left child and right child
   largest = i
   1 = 2 * i + 1
   r = 2 * i + 2
   if 1 < n and arr[i] < arr[l]:
     largest = 1
   if r < n and arr[largest] < arr[r]:
     largest = r
   # Swap and continue heapifying if root is not largest
   if largest != i:
     arr[i], arr[largest] = arr[largest], arr[i]
     heapify(arr, n, largest)
# Function to insert an element into the tree
def insert(array, newNum):
  size = len(array)
  if size ==0:
     array.append(newNum)
  else:
     array.append(newNum)
     for i in range ((size //2) - 1, -1, -1):
       heapify(array, size, i)
```

```
# Function to delete an element from the tree
def deleteNode(array, num):
   size = len(array)
   i = 0
   for i in range(0, size):
     if num == array[i]:
        break
   array[i], array[size - 1] = array[size - 1], array[i]
   array.remove(size - 1)
   for i in range((len(array) // 2) - 1, -1, -1):
     heapify(array, len(array), i)
arr =
insert(arr, 3)
insert(arr, 4)
insert(arr, 9)
insert(arr, 5)
insert(arr, 2)
print ("Max-Heap array: " + str(arr))
deleteNode(arr, 4)
print("After deleting an element: " + str(arr))
Output
Max-Heap array: [9, 5, 4, 3, 2]
After deleting an element: [9, 5, 2, 3]
```

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program to implement
      Program 7:
                          Write a
                                                   with
                                                              insertion,
                          Binary tree
                          deletion, traversal operations.
# Binary Tree in Python
class Node:
 def __init__(self, key):
    self.left = None
    self.right = None
    self.val = key
 # Traverse preorder
 def traversePreOrder(self):
    print(self.val, end='')
    if self.left:
      self.left.traversePreOrder()
   if self.right:
      self.right.traversePreOrder()
 # Traverse inorder
 def traverseInOrder(self):
   if self.left:
      self.left.traverseInOrder()
   print(self.val, end=' ')
   if self.right:
     self.right.traverseInOrder()
# Traverse postorder
def traversePostOrder(self):
  if self.left:
     self.left.traversePostOrder()
  if self_right:
```

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```
self.right.traversePostOrder()
    print(self.val, end=' ')
root = Node(1)
root.left = Node(2)
root.right = Node(3)
root.left.left = Node(4)
print("Pre order Traversal: ", end="")
root.traversePreOrder()
print("\nIn order Traversal: ", end="")
root.traverseInOrder()
print("\nPost order Traversal: ", end="")
root.traversePostOrder()
Output
Pre order Traversal: 1243
In order Traversal: 4213
Post order Traversal: 4231
       Program 8:
                          Write
                                       program to implement
                           Huffman coding
# Huffman Coding in python
string = 'BCAADDDCCACACAC'
# Creating tree nodes
class NodeTree(object):
  def __init__(self, left=None, right=None):
     self.left = left
     self.right = right
```

```
def children(self):
     return (self.left, self.right)
  def nodes(self):
     return (self.left, self.right)
  def str (self):
     return '%s_%s' % (self.left, self.right)
# Main function implementing huffman coding
def huffman_code_tree(node, left=True, binString="):
  if type(node) is str:
     return {node: binString}
  (1, r) = node.children()
  d = dict()
  d.update(huffman code tree(l, True, binString + '0'))
  d.update(huffman_code_tree(r, False, binString + '1'))
  return d
# Calculating frequency
freq = \{\}
for c in string:
  if c in freq:
     freq[c] += 1
  else:
     freq[c] = 1
freq = sorted(freq.items(), key=lambda x: x[1], reverse=True)
nodes = freq
while len(nodes) > 1:
   (\text{keyl}, c1) = \text{nodes}[-1]
```

```
(key2, c2) = nodes[-2]
nodes = nodes[:-2]
node = NodeTree(key1, key2)
nodes.append((node, c1 + c2))

nodes = sorted(nodes, key=lambda x: x[1], reverse=True)

huffmanCode = huffman_code_tree(nodes[0][0])
print('Char | Huffman code ')
print('-----')
for (char, frequency) in freq:
    print('%-4r | %12s' % (char, huffmanCode[char]))
```

Output

Char	-	Huffman code	
'C'	1	0	
'A'	1	11	
'D'	1	101	
'B'	-	100	

Program 9: Write a program to implement Graph with insertion, deletion, traversal operations

Python program for # validation of a graph

import dictionary for graph from collections import defaultdict

function for adding edge to graph
graph = defaultdict(list)
def addEdge(graph,u,v):

```
graph[u].append(v)
# definition of function
def generate_edges(graph):
   edges = \prod
   # for each node in graph
   for node in graph:
       # for each neighbour node of a single node
       for neighbour in graph[node]:
           # if edge exists then append
           edges.append((node, neighbour))
   return edges
# declaration of graph as dictionary
addEdge(graph,'a','c')
addEdge(graph,'b','c')
addEdge(graph,'b','e')
addEdge(graph,'c','d')
addEdge(graph,'c','e')
addEdge(graph,'c','a')
addEdge(graph,'c','b')
addEdge(graph,'e','b')
addEdge(graph,'d','c')
addEdge(graph,'e','c')
# Driver Function call
 # to print generated graph
print(generate_edges(graph))
```

```
Output
```

```
[('a', 'c'), ('b', 'c'), ('b', 'e'), ('c', 'd'), ('c', 'e'), ('c', 'a'), ('c', 'b'), ('e', 'b'),
('e', 'c'), ('d', 'c')]
```

Travelling Salesman Problem

```
Program 10: Write a program to implement
# Python program to implement traveling salesman problem using naive
approach.
from sys import maxsize
from itertools import permutations
V = 4
# implementation of traveling Salesman Problem
def travellingSalesmanProblem(graph, s):
  # store all vertex apart from source vertex
  vertex =
  for i in range(V):
      if i != s:
         vertex.append(i)
  # store minimum weight Hamiltonian Cycle
  min path = maxsize
  next permutation=permutations(vertex)
  for i in next permutation:
     # store current Path weight(cost)
```

current pathweight = 0

compute current path weight k = sfor j in i:

```
current_pathweight += graph[k][j]
          k om j
       current_pathweight += graph[k][s]
       # update minimum
       min_path = min(min_path, current_pathweight)
   return min_path
# Driver Code
if __name__ == "__main__":
   # matrix representation of graph
   graph = [[0, 10, 15, 20], [10, 0, 35, 25],
           [15, 35, 0, 30], [20, 25, 30, 0]]
   s = 0
   print(travellingSalesmanProblem(graph, s)) # Python3 program to
implement traveling salesman
# problem using naive approach.
from sys import maxsize
from itertools import permutations
V = 4
# implementation of traveling Salesman Problem
def travellingSalesmanProblem(graph, s):
    # store all vertex apart from source vertex
    vertex = []
    for i in range(V):
        if i != s:
            vertex.append(i)
```

```
# store minimum weight Hamiltonian Cycle
  min_path = maxsize
  next_permutation=permutations(vertex)
   for i in next_permutation:
      # store current Path weight(cost)
      current_pathweight = 0
      # compute current path weight
      k = s
      for j in i:
          current pathweight += graph[k][i]
          k = i
      current_pathweight += graph[k][s]
      # update minimum
      min_path = min(min_path, current_pathweight)
   return min path
# Driver Code
if __name__ == "__main__":
   # matrix representation of graph
   graph = [[0, 10, 15, 20], [10, 0, 35, 25],
          [15, 35, 0, 30], [20, 25, 30, 0]]
   s = 0
   print(travellingSalesmanProblem(graph, s))
Output
80
```

*70.00

Program 11: Write a program to create basic hash table for insertion, deletion, traversal operations(assume that there is no collisions)

Python program to demonstrate working of HashTable

def checkPrime(n):

if
$$n == 1$$
 or $n == 0$:
return 0

for i in range(2, n//2):

if n %
$$i == 0$$
:

return 0

return 1

def getPrime(n):

if n %
$$2 == 0$$
;

$$n = n + 1$$

while not checkPrime(n):

$$n += 2$$

return n

def hashFunction(key):

return key % capacity

def insertData(key, data):

```
index = hashFunction(key)
  hashTable[index] = [key, data]
def removeData(key):
  index = hashFunction(key)
  hashTable[index] = 0
insertData(123, "C")
insertData(432, "Python")
insertData(213, "JAVA")
insertData(654, "C++")
print(hashTable)
removeData(123)
print(hashTable)
Output
[[], [], [123, 'C'], [432, 'Python'], [213, 'JAVA'], [654, 'C++'], [], [], [], []
[[], [], 0, [432, 'Python'], [213, 'JAVA'], [654, 'C++'], [], [], [], []
Program 12: Write a program to create hash
                          table to handle collisions using
                          overflow chaining.
# Function to display hashtable
def display hash(hashTable):
  for i in range(len(hashTable)):
     print(i, end=" ")
     for j in hashTable[i]:
       print("-->", end=" ")
       print(j, end="")
```

```
print()
```

```
# Creating Hashtable as
 # a nested list.
 HashTable = [[] for _ in range(10)]
 # Hashing Function to return
 # key for every value.
 def Hashing(keyvalue):
   return keyvalue % len(HashTable)
 # Insert Function to add
 # values to the hash table
def insert(Hashtable, keyvalue, value):
   hash_key = Hashing(keyvalue)
   Hashtable[hash key].append(value)
# Driver Code
insert(HashTable, 11, 'JAVA')
insert(HashTable, 3, 'PYTHON')
insert(HashTable, 10, 'C')
insert(HashTable, 9, 'C++')
insert(HashTable, 21, 'JAVASCRIPT')
insert(HashTable, 20, 'HTML')
insert(HashTable, 4, 'PHP')
display hash(HashTable)
```

Output

0-> C-> HTML 1 --> JAVA --> JAVASCRIPT

```
3 --> PYTHON
4 --> PHP
5
6
7
8
9 --> C++
```