# Tutorial SimPhotonics\_FMM **W**



Mondher Besbes Laboratoire Charles Fabry CNRS - IOGS SimPhotonics\_FMM is a useful and powerful Matlab toolbox for the simulation of nanophotonic structures. It is based on the Modal Fourier Method (well known as RCWA) which can be used to model multilayer structure, 1D and 2D periodic metamaterials.

SimPhotonics\_FMM includes a specific feature that allows the design of nanoparticles by the use of the Gielis's SuperFormula.

This toolbox is the result of research works developed in the Charles Fabry laboratory and in particular the contributions of J.P. Hugonin.

With its advanced features, SimPhotonics\_FMM is a valuable resource for researchers and engineers working in the field of nanophotonics.

#### **Features**

- ✓ Reflection and transmission of incident light
- ✓ Dispersive materials
- ✓ Reduced CPU time with y-axis symmetry
- ✓ Quick calculation of a Bragg mirror
- ✓ Intuitive field visualization
- ✓ Parallel computation
- ✓ User-friendly examples



https://github.com/SimPhotonicsFMM/Sources

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IDDN.FR.001.510043.000.S.P.2023.000.31235.

DOI: 10.13140/RG.2.2.27149.92642

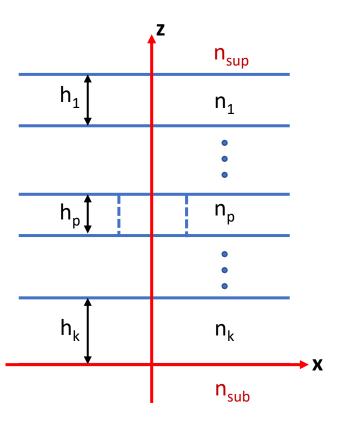
#### **Main functions**

- > **SetGeom**: define geometric parameters of the structure
- IndexVal : refractive index library
- > Spectrum : compute S-matrices and the spectrum of reflectivity-transmittivity

- Field: compute S-matrices and field distribution
- CalculfieldFMM: calculate the field distribution
- VisuFieldFMM: plot the distribution of the electromagnetic field
- ➤ MeshLayer : discretize different layers of the structure
- VisuMesh : plot the discretization of the structure

## **Geometrical and optical properties**

**geom**: Layer width (μm) **index**: Refractive index



```
➤ Homogenous multilayer
            geom = [h_1 ... h_p ... h_k];
            index = [n_{sup} \ n_1 ... \ n_p \ ... \ n_k \ n_{sub}]; % constant refractive indices
     for dispersive material (use handle function)
            index = \{n_{sup} \ n_1 \dots @ n_p \dots n_k \ n_{sub} \}; % cell array
            index = \{n_{sup} \ n_1 \dots IndexVal('Material') \dots \ n_k \ n_{sub} \};
Grating + multilayer : use Gielis's SuperFormula
            geom = SetGeom('Param1',Val1,'Param2',Val2,...);
            index = \{n_{sup} \ n_1 \dots [n_{p1} \ n_{p2} \dots ] \dots \ n_k \ n_{sub} \}; % Constant value
                     {supstrat, layers, {grating}, layers, substrat}
            index = \{n_{sup} \ n_1 ... \{@n_{p1} \ n_{p2} \ ... \}... \ n_k \ n_{sub} \};
```

# Gielis's SuperFormula

$$r\left(arphi
ight) = \left(\left|rac{\cos\left(rac{marphi}{4}
ight)}{a}
ight|^{n_2} + \left|rac{\sin\left(rac{marphi}{4}
ight)}{b}
ight|^{n_3}
ight)^{-rac{1}{n_1}}$$

#### **Optional parameters**

geom = SetGeom('dx',...,'dy',...,'hc',...,'mn',[m n1 n2 n3],'ab',[a b],'Angle',...,'Dep',...,'NumSD',...,'npx',...,'npy',...,'Plot', ...)



mn:4



mn: [4444]



mn: [4 2 2 2]

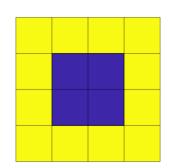


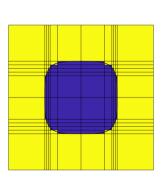
mn: [3 6 6 6]

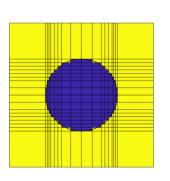


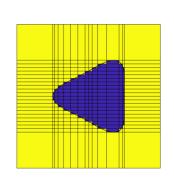
mn: [5 2 7 7]

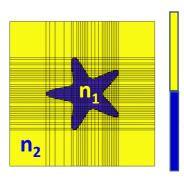
Mesh = MeshLayer(geom); % discretization of the structure according to the choice of npx and npy value figure, VisuMesh(Mesh) % plot "Mesh"









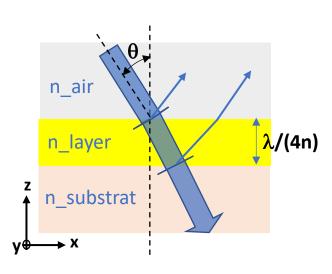


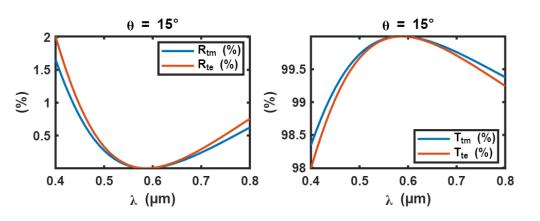
Reference number of subdomains is used to establish refractive index table: index = {  $nsup ...[n_1 n_2]...nsub$ }

## **Tutorials & Examples**

- TutoStepByStep.mlx: Discover step by step the different stages of a simulation with SimPhotonics\_FMM
- ➤ TutoSuperFormula.mlx: Interactive generation of different shapes of nanoparticles with Gielis's Superformula
- > TutoGeomMesh.mlx: Some examples of geometry generation and the associated mesh
- > TutoSpectrum.mlx: How to use 'Spectrum.m' with different examples
  - ✓ AntiReflectionCoating.mlx
  - ✓ BlazedGrating1D.mlx
  - ✓ SPRBioSensor.mlx
  - ✓ SPRBioSensorGrating1D.mlx
  - ✓ SPRBioSensorGrating2D.mlx

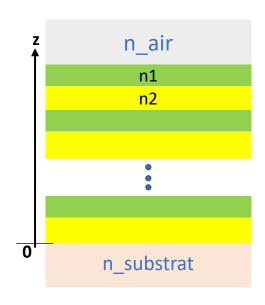
## **Anti-reflection coating**

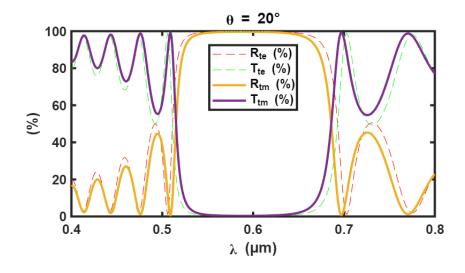




```
% Refractive index
n_air = 1; n_subtrat = 1.5; n_layer = sqrt(n_air*n_subtrat);
index = [n air n layer n subtrat];
%
% Geometry
wl = .6;
                               % Wavelength reference (μm)
geom = wl/(4*n layer);
                               % Width of anti-reflection layer (μm)
% Incident plane wave
lambda = 0.4:0.01:0.8;
                               % Wavelength (μm)
theta = 15*pi/180;  % Angle of incidence (rd)
inc = +1;
                               % Incidence from top =+1, from down =-1
% Spectrum calculation for TM and TE polarization
[R_tm,T_tm,R_te,T_te] = Spectrum(index,geom,lambda,theta,inc);
% Plot results (with PlotCoefRTA or simply with matlab function plot)
figure
subplot(121), PlotCoefRTA(lambda, theta, R tm, R te),
              legend('R {tm} (%)','R {te} (%)'), axis tight
subplot(122), PlotCoefRTA(lambda,theta,T_tm,T_te),
              legend('T \{tm\} (%)','T \{te\} (%)'), axis tight
```

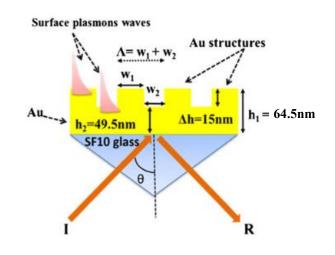
## **Bragg mirror**

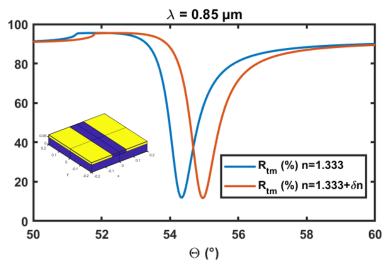




```
% Calculation with the optional parameter 'Nper' Number of periods to
% reduce CPU time
Np = 10; % Number of periods
n air =1; n subtrat = 1.5; n1 = 1.5; n2 = 2.2;
index = [n air n1 n2 n subtrat];
% index = [n air repmat([n1 n2],1,Np) n subtrat]; % Second method (slow)
wl0 = .6; % Wavelength reference
geom = [wl0/4/n1, wl0/4/n2]; % Width of different layers from top to down
% geom = repmat([wl0/4/n1], wl0/4/n2,1,Np); % Second method
lambda = .4:.001:.8;
theta = 20*pi/180;
inc = +1;
[R tm,T tm,R te,T te] = Spectrum(index,geom,lambda,theta,inc,'Nper',Np);
% [R tm,T tm,R te,T te] = Spectrum(index,geom,lambda,theta,inc);
figure, hold on
    plot(lambda, R te*100, '--r', lambda, T te*100, '--g'),
    PlotCoefRTA(lambda,theta,R tm,T tm),
    legend('R_{te} (%)','T_{te} (%)','R_{tm} (%)','T_{tm} (%)')
```

#### **SPR Biosensor**

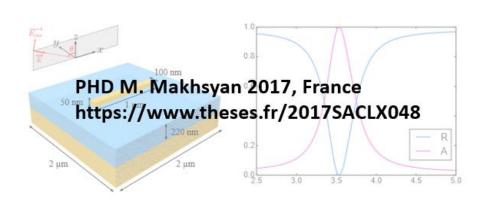


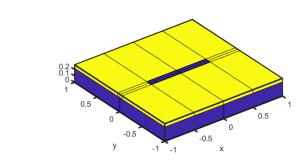


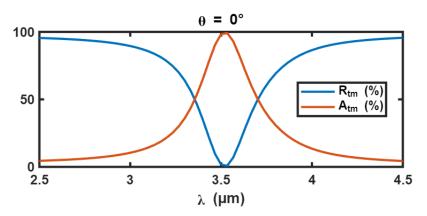
Enhanced SPR sensitivity with nano-micro-ribbon grating - an exhaustive simulation mapping M. Chamtouri, A. Dhawan, M. Besbes, J. Moreau, H. Ghalila, T. Vo-Dinh, M. Canva *Plasmonics*, 2013, pp.10.1007/s11468-013-9600-4. <a href="https://doi.org/10.1007/s11468-013-9600-4">\documentum{d10.1007/s11468-013-9600-4</a>

```
% Geometry (μm)
h1 = 0.0645; % Au thickness (layer+grating)
h2 = 0.0495; % Gold layer thickness
dx = 0.4; % Period x-axis
w1 = dx/4; % Grating width
geom = SetGeom('dx',dx,'mn',{4 []},'ab',{[w1/2 inf] []},'hc',[h1-h2, h2]);
% Refractive indices
n H20 = 1.333;
        {supstrat , {grating} , layers , substrat}
index1 = {n H20 , {IndexVal('Au') n H20}, IndexVal('Au'), IndexVal('SF10')};
% Incident Plane Wave
lambda = .85;
                                   % Wavelength(μm)
theta = linspace(50,60,201)*pi/180; % Incident angle (rd)
inc = -1;
% Spectrum Computation versus incident angle for a defined wavelength
R tem1 = Spectrum(index1, geom, lambda, theta, inc, 'mx', 20);
% n_H2O + Dn : reflectivity variation
index2 = index1;
index2{1} = n H20 + 1e-2; index2{2}{2}{2} = n H20 + 1e-2;
R tem2 = Spectrum(index2, geom, lambda, theta, inc, 'mx', 20);
% Plot Reflection versus incident angle in TM polarisation
figure,
PlotCoefRTA(lambda, theta, R tem1(:,1), R tem2(:,1)),
legend('R {tm} (%) n=1.333','R {tm} (%) n=1.333+\deltan ')
```

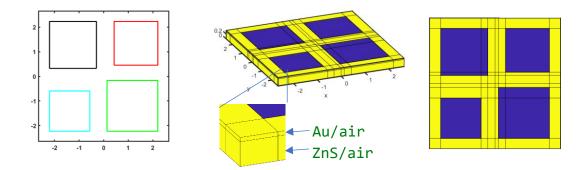
### MIM plasmonic nanoantenna







```
% Geometry (μm)
dx = 2;
dy = 2;
L = 1;
w = 0.1;
h = [0.05 \ 0.22];
% With Superformula
geom = SetGeom('dx',dx,'dy',dy,'hc',h,'mn',{4 , []},'ab',{[L/2 w/2] , []});
% Drude model for Au
xr = 0.159; g = 0.0077;
index = {1 , {nAu 1} , IndexVal('SiO2'), nAu};
lambda = linspace(2.5,4.5,61);
theta = 0;
inc = +1;
% With symmetry in y-axis (0: TM - 1: TE)
[R,T] = Spectrum(index,geom,lambda,theta,inc,'mx',15,'my',15,'SymY',0);
% Without Symmetry
%[R tm,T tm,R te,T te] = Spectrum(index,geom,lambda,theta,inc,'mx',15,'my',15);
% Plot Reflection and absorption versus wavelength in TM polarisation (SymY=0)
Figure, PlotCoefRTA(lambda,theta,R,1-R-T), legend('R_{tm} (%)','A_{tm} (%)')
```



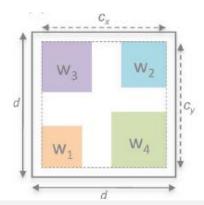
OPTICS LETTERS / Vol. 37, No. 6 / March 15, 2012

# Wideband omnidirectional infrared absorber with a patchwork of plasmonic nanoantennas

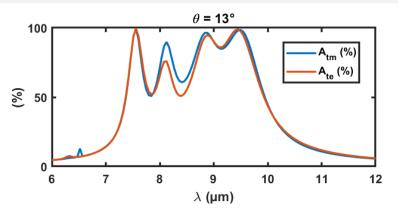
Patrick Bouchon, Charlie Koechlin, 2.4 Fabrice Pardo, Riad Haïdar, 3 and Jean-Luc Pelouard

ZnS

Au



```
% Drude model for Au
xr = 0.159; g = 0.0048; nAu = @(x) sqrt(1-1./(xr./x.*(xr./x+1i*g)));
n_ZnS = 2.2; n_air = 1;
%
index = {n_air , {nAu n_air } ,{n_ZnS n_air } , nAu};
%
lambda = linspace(6,12,128);
theta = 13*pi/180;
inc = +1;
%
% Spectrum calculation
[R_tm,T_tm,R_te,T_te] = Spectrum(index,geom,lambda,theta,inc,'mx',15,'my',15);
%
figure, PlotCoefRTA(lambda,theta, 1-R_tm-T_tm, 1-R_te-T_te)
legend('A_{tm} (%)','A_{te} (%)')
```



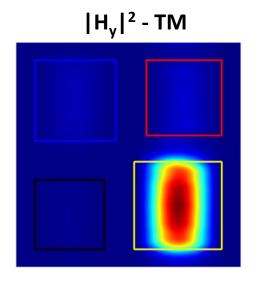
#### Field calculation

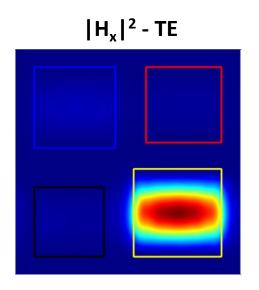
```
lambda = 9.5;
% S-Matrix calculation
s = Spectrum(index,geom,lambda,theta,inc,'mx',15,'my',15);

% Field calculation at (xy) plan
geom = SetGeom(geom,'z',h_ZnS/2,'x',linspace(-d/2,d/2,100),'y',linspace(-d/2,d/2,110));
[E,H] = CalculFieldFMM(s,geom.x,geom.y,geom.z);

% Second method
[E,H] = Field(index,geom,lambda,theta,inc,'mx',15,'my',15);

% Plot field (E:[Etm,Ete] H:[Htm,The])
figure, VisuFieldFMM(abs(H(:,2)).^2,geom.x,geom.y,geom.z) % TM
figure, VisuFieldFMM(abs(H(:,4)).^2,geom.x,geom.y,geom.z) % TE
```





```
geom = SetGeom(geom,'z',linspace(-.1,2,100),'x',0,'y',0);

% Field calculation along z-axis
[E_tm,H_tm,E_te,H_te] = Field(index,geom,lambda,theta,inc,'mx',15,'my',15);

% Plot field
figure, VisuFieldFMM(abs(E_tm(:,1)).^2,geom.x,geom.y,geom.z)
```

