CSE 635, Spring 2021, Homework 1 Sima Shafaei

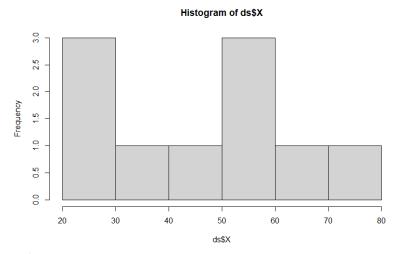
```
# Reading the data
> ds=read.table("myData.txt", header = TRUE)
> head(ds)
 ΧY
1 30 73
2 20 50
3 60 128
4 80 170
5 40 87
6 50 108
> str(ds)
'data.frame': 10 obs. of 2 variables:
$ X: int 30 20 60 80 40 50 60 30 70 60
$ Y: int 73 50 128 170 87 108 135 69 148 132
# We can get some of statistical summary using "summary" command in R
> summary(ds)
   Х
           Υ
Min. :20.0 Min. :50.0
1st Qu.:32.5 1st Qu.: 76.5
Median: 55.0 Median: 118.0
Mean :50.0 Mean :110.0
3rd Qu.:60.0 3rd Qu.:134.2
Max. :80.0 Max. :170.0
# N
> nrow(ds)
[1] 10
#======Summary Statistics of X=============
> mean(ds$X)
[1] 50
> sd(ds$X)
[1] 19.43651
> var(ds$X)
[1] 377.7778
> median(ds$X)
[1] 55
> IQR(ds$X)
[1] 27.5
> skewness(ds$X)
[1] -0.09570461
> kurtosis(ds$X)
[1] 1.851211
> min(ds$X)
```

[1] 20 > max(ds\$X) [1] 80

> range(ds\$X)

[1] 20 80

> hist(ds\$X)



#skewness(ds\$X)= -0.09570461<0 shows a longer or fatter tail on the left side of the #distribution but because it is a small negative we can say that the data are fairly symmetrical

kurtosis(ds\$X) = 1.851211 < 3 means the distribution produces fewer and less extreme # outliers than does the normal distribution or refers to a flat-topped distribution function

```
# ======= Summary Statistics of Y==========
```

> mean(ds\$Y)

[1] 110

> sd(ds\$Y)

[1] 38.95867

> var(ds\$Y)

[1] 1517.778

> median(ds\$Y)

[1] 118

> IQR(ds\$Y)

[1] 57.75

> skewness(ds\$Y)

[1] -0.08868097

> kurtosis(ds\$Y)

[1] 1.806836

> min(ds\$Y)

[1] 50

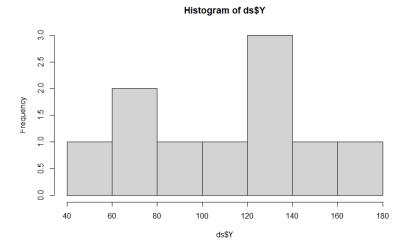
> max(ds\$Y)

[1] 170

> range(ds\$Y)

[1] 50 170

> hist(ds\$Y)



#Skewness(ds\$X) = -0.08868097 < 0 shows a longer or fatter tail on the left side of the distribution but because it is a small negative we can say that the data are fairly symmetrical #Kurtosis(ds\$X) = 1.806836 < 3 means the distribution produces fewer and less extreme outliers than does the normal distribution or refers to a flat-topped distribution function