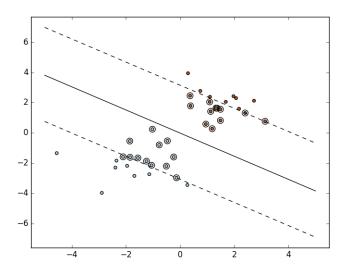
1

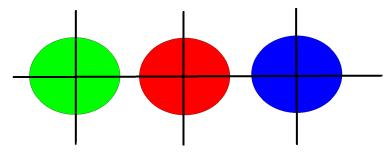
- a) 3 Support vectors, because of data threshold.
- b) 24 Support Vectors

c)



 $\mathbf{2}$

Consider a data set that consists of three circular clusters, that are identical in terms of the number and distribution of points, and whose centers lie on a line and are located such that the center of the middle cluster is equally distant from the other two. Bisecting K-means would always split the middle cluster during its first iteration, and thus, could never produce the correct set of clusters.



```
        p1
        p2
        p3
        p4
        p5

        p1
        0.00
        0.90
        0.59
        0.45
        0.65

        p2
        0.90
        0.00
        0.36
        0.53
        0.20

        p3
        0.59
        0.36
        0.00
        0.56
        0.15

        p4
        0.45
        0.53
        0.56
        0.00
        0.24

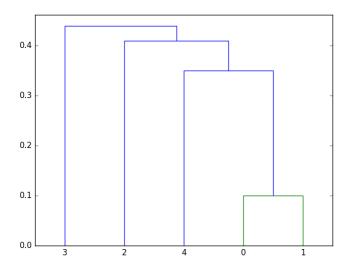
        p5
        0.65
        0.20
        0.15
        0.24
        0.00
```

MIN:

```
import scipy.spatial.distance as ssd
import hcluster
import pylab
import matplotlib.pyplot as plt

SimMatrix = [[0.00, 0.90, 0.59, 0.45, 0.65],
[0.90, 0.00, 0.36, 0.53, 0.20],
[0.59, 0.36, 0.00, 0.56, 0.15],
[0.45, 0.53, 0.56, 0.00, 0.24],
[0.65, 0.20, 0.15, 0.24, 0.00]]

distVec = ssd.squareform(SimMatrix)
linkage = hcluster.linkage(1 - distVec)
dendro = hcluster.dendrogram(linkage, distance_sort="ascending")
plt.show()
```



MAX:

```
import scipy.spatial.distance as ssd
import hcluster
import pylab
import matplotlib.pyplot as plt

SimMatrix = [[0.00, 0.90, 0.59, 0.45, 0.65],
[0.90, 0.00, 0.36, 0.53, 0.20],
[0.59, 0.36, 0.00, 0.56, 0.15],
[0.45, 0.53, 0.56, 0.00, 0.24],
[0.65, 0.20, 0.15, 0.24, 0.00]]

distVec = ssd.squareform(SimMatrix)
linkage = hcluster.linkage(1 - distVec)
dendro = hcluster.dendrogram(linkage, distance_sort="descending")
plt.show()
```

