Assignment 4

3.

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1.
        n \le length of s
        m <=length of t
        k \le smallest of m or n
        i=0, i=0
        while i!=m or j!=n do
                 if s[i] == t[j]
                         add s[i] to set r
                 else if s[i] < t[j]
                         i++
                 else if s[i] > t[j]
                         j++
        return set r
algorithm kmp_search:
   input:
      an array of characters, S (the text to be searched)
      an array of characters, W (the word sought)
   output:
      an integer (the zero-based position in S at which W is found)
   define variables:
      an integer, m \leftarrow 0 (the beginning of the current match in S)
      an integer, i \leftarrow 0 (the position of the current character in W)
      an array of integers, T (the table, computed elsewhere)
   while m + i < length(S) do
      if W[i] = S[m + i] then
         if i = length(W) - 1 then
             return m
         let i \leftarrow i + 1
      else
         if T[i] > -1 then
            let m \leftarrow m + i - T[i], i \leftarrow T[i]
         else
            let i \leftarrow 0, m \leftarrow m + 1
   (if we reach here, we have searched all of S unsuccessfully)
   return the length of S
```

I would use the ford-fulkerson algorithm but upon doing each DFS, each path encountered MUST initialize each flow as the minimum. Once all edges are initialized to the minimum, the ford-fulkerson algorithm can be run in it's entirety whilst ensuring that the boundaries of the minimum and maximum flow are not broken.