$B = 2^3 = 8$

$P_7 : B^3 \times 7.$

For a given char x in B^9, if there are an even amount of 1's Then an element $x0$ is in E^{10}, otherwise $x1$ is in E^{10}

for all $x \in T^5$ can be mapped onto balanced T^6 by adding $(3 - \sum x \bmod 3)$ to x.
$f(x) = x(3 - \sum x \bmod 3)$
Given all elements of T^5 are unique The bijection to T^6 is one to one as 2 identical strings cannot be generated from 2 different strings.

Any element from balanced T^6 can have a bit removed to map onto T^5

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