QUOPS:

 $= \mathbb{E}\left[\sum_{i=1}^{n} \mathcal{L}_{i,i}^{i} \cdot \mathcal{L}_{i,j}^{i}\right] \qquad \text{a.f.} \quad = \frac{1}{n} \cdot \left[\mathcal{L}_{i,i}^{i} \cdot \mathcal{L}_{i,i}^{i}\right] = \sum_{i=1}^{n} \mathcal{L}_{i,i}^{i} \cdot \mathcal{L}_{i,i}^{i} = \sum_{i=1}^{n} \mathcal{L}_{i,i}^{i} = \mathcal{L}_{i,i}^{i} \cdot \mathcal{L}_{i,i}^{i} = \mathcal{L}_{i,i}^{i} \cdot \mathcal{L}_{i,i}^{i} = \mathcal{L}_{i,i}^{i}$

E(64 (T15, 517) - 4(T150,5017))

45, learn Ar(TISS)

 $=\sum_{i,j} V_i \, v_j \, \mathop{\mathbb{E}} \left[\, \mathfrak{J}(v_i) \, \, \mathop{\mathbb{E}} [i v_i c_i] \, \right] \, = \, \sum_i \, V_i^{\, \, i} \, \mathop{\mathbb{E}} [i v_i^{\, i} c_i] \, + \, \mathop{\mathbb{E}} [i v_i^{\, i} c_i]$

QUANTUM ALGORITHMS FOR MODERN OPTIMIZATION AND SAMPLING

Simon Apers (Université Paris Cité, CNRS, IRIF)

December 2022

 $\widetilde{w}(T) \propto \sum w(T)(S) \quad \text{on} \quad w(T)(S) \quad E[X] = \frac{1}{n} \|v\|_1 \quad E[\mathcal{I}(E)] = \frac{1}{n} \quad E[X](E[X]) = \frac{1}{n} \quad E[X$

Ely(TKO-y(T)(xxx)) - petlay roads - E[Ex. v, 2(iri) 2(ixi)

QUOPS:

• funded via ANR JCJC

• duration: 48 months

• funding: €201.063

CE 47 – Technologies quantiques – Axis E.6

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• Principal investigator:

Simon Apers

• Principal investigator:

Simon Apers

central question:

WHAT WILL QUANTUM COMPUTERS BE USEFUL FOR?

Principal investigator:

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design of QUANTUM ALGORITHMS (and classical benchmarks)

Principal investigator:

Simon Apers

central question:
WHAT WILL QUANTUM COMPUTERS BE USEFUL FOR?

1

design of QUANTUM ALGORITHMS (and classical benchmarks)

for/using optimization, Markov chains, graph theory

• Research collaborators:

Research collaborators:

Frédéric Magniez (CNRS)



expertise: quantum and streaming/distributed algorithms

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Adrian Vladu (CNRS)



expertise: combinatorial optimization, machine learning

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Frédéric Magniez (CNRS)



expertise: quantum and streaming/distributed algorithms

Adrian Vladu (CNRS)



expertise: combinatorial optimization, machine learning

Elie Bermot



expertise: quantum machine learning PhD student (start in April '22)

goal:

design of new quantum algorithms for

goal:

design of new quantum algorithms for optimization (WP1)

goal:

design of new quantum algorithms for

optimization (WP1)

and

sampling (WP2)

goal:

design of new quantum algorithms for

optimization (WP1)

and

sampling (WP2)

by using

"modern" discrete ↔ continuous methods

"modern" discrete \leftrightarrow continuous methods:

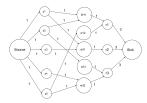
"modern" discrete ↔ continuous methods:

recent breakthroughs (e.g., max flow) combine

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recent breakthroughs (e.g., max flow) combine

discrete methods (graphs)



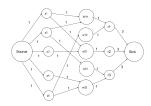
"modern" discrete ↔ continuous methods:

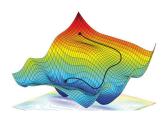
recent breakthroughs (e.g., max flow) combine

discrete methods (graphs)

with

continuous methods (convex optimization)





prior work:

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 quantum speedups for graph sparsification and Laplacian solving (FOCS'20), minimum (s-t) cut (CCC'21)

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quantum walks and electric flows (arXiv:2211.16379)

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first results:

- quantum walks and electric flows (arXiv:2211.16379)
- quantum speedups for interior point methods and linear programming (ongoing)