MLM Nested Main Section

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Question 0: read data and process missingness

```
dat <- read.dta("classroom.dta")

# construct new outcome math1st
dat <- dat %>%
    mutate(math1st = mathkind + mathgain)

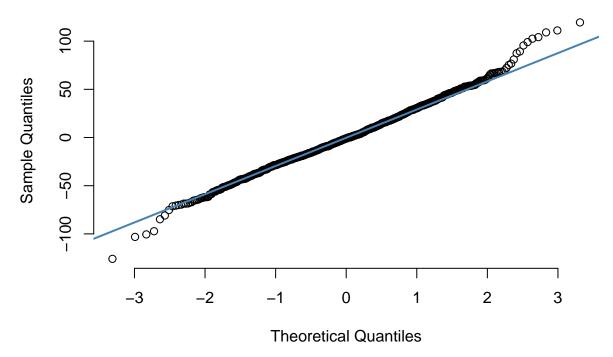
# remove missing data
dat <- dat %>%
    filter(complete.cases(dat))
```

Question 1

```
# fit a model
fit1 <- lmer(math1st ~ housepov + yearstea + mathprep + mathknow + ses + sex + minority +
    (1 | schoolid/classid), data = dat)
summary(fit1)
## Linear mixed model fit by REML. t-tests use Satterthwaite's method [
## lmerModLmerTest]
## Formula: math1st ~ housepov + yearstea + mathprep + mathknow + ses + sex +
##
      minority + (1 | schoolid/classid)
##
     Data: dat
##
## REML criterion at convergence: 10729.5
##
## Scaled residuals:
##
      Min
              1Q Median
                               3Q
                                      Max
## -3.8581 -0.6134 -0.0321 0.5971 3.6598
##
## Random effects:
## Groups
                    Name
                                Variance Std.Dev.
## classid:schoolid (Intercept)
                                  93.89
                                         9.689
## schoolid
                    (Intercept) 169.45 13.017
## Residual
                                1064.96 32.634
## Number of obs: 1081, groups: classid:schoolid, 285; schoolid, 105
##
## Fixed effects:
                                            df t value Pr(>|t|)
                Estimate Std. Error
## (Intercept) 539.63041 5.31209 275.39009 101.585 < 2e-16 ***
## housepov
               -17.64850 13.21755 113.87814 -1.335
```

```
0.080
                                                           0.936
## yearstea
                 0.01129
                            0.14141
                                     226.80861
## mathprep
                 -0.27705
                             1.37583 205.27111
                                                -0.201
                                                           0.841
## mathknow
                 1.35004
                             1.39168 234.49768
                                                  0.970
                                                           0.333
## ses
                 10.05076
                             1.54485 1066.56211
                                                  6.506 1.18e-10 ***
## sex
                 -1.21419
                             2.09483 1022.42110
                                                 -0.580
                                                           0.562
## minority
                -16.18676
                             3.02605
                                     704.47787
                                                 -5.349 1.20e-07 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
            (Intr) houspv yearst mthprp mthknw ses
                                                      sex
## housepov -0.451
## yearstea -0.259
                   0.071
## mathprep -0.631 0.038 -0.172
## mathknow -0.083 0.058 0.029 0.004
## ses
            -0.121
                   0.082 -0.028 0.053 -0.007
## sex
            -0.190 -0.007 0.016 -0.006 0.007 0.020
## minority -0.320 -0.178 0.024 0.001 0.115
                                               0.162 -0.011
# plot residuals to test normality assumption
res1 <- residuals(fit1)</pre>
qqnorm(res1, pch = 1, frame = FALSE)
qqline(res1, col = "steelblue", lwd = 2)
```

Normal Q-Q Plot



QQ plot shows that points are around the line, and thus we believe the normality assumption holds.

Question 2

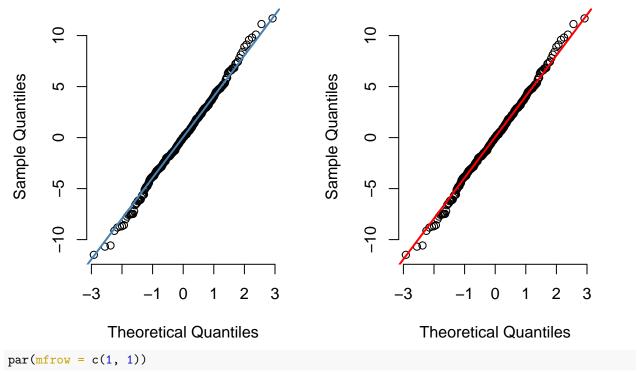
```
blups_fit1 <- ranef(fit1)</pre>
```

```
par(mfrow = c(1, 2))
# examine normality for eta0 (class-level)
eta0_fit1 <- blups_fit1$`classid:schoolid`$`(Intercept)`
qqnorm(eta0_fit1, pch = 1, frame = FALSE, main = "Normal Q-Q plot for eta0")
qqline(eta0_fit1, col = "steelblue", lwd = 2)

# examine normality for zeta0 (school-level)
zeta0_fit1 <- blups_fit1$`classid:schoolid`$`(Intercept)`
qqnorm(zeta0_fit1, pch = 1, frame = FALSE, main = "Normal Q-Q plot for zeta0")
qqline(zeta0_fit1, col = "red", lwd = 2)</pre>
```

Normal Q-Q plot for eta0

Normal Q-Q plot for zeta0



QQ plot shows that both sets of BLUPs of zeta0 and eta0 are around the line, and thus we believe the normality assumption holds.

Question 3