Ordinal Variables and Missing Data

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General

- This paper should be an intersection of ordinal variables and missing data. Jeff thinks there is room there for a contribution
- The general idea is that general treatments of missing data (listwise deletion, multiple imputation etc.) lead to different results depending on the type of variable. How you treat Don't Know and Refused and how this treatment affects the results depends greatly on the type of variable that you use to impute the missing data. The idea is that you would need to approach things differently depending on whether you use a nominal, interval, or ordinal variable to fill in values for Don't Know/Refused. So I am developing a method to specifically treat Don't Know/Refused with ordinal variables that improves over current uses that are generic for all types of variables
- This method should be a customized form of multiple imputation that is closer to the data than general multiple imputation. Jeff and Skyler developed affinity scores and hot decking in their BJPS paper. They used the number of exact matches (in the form of other participants) to calculate the affinity score. Instead, I should use a weighted distance solution between ordinal variable categories. I would use the OP model from the blocking paper to weight the distances between the categories in matches (in the form of other participants). In other words, I would use the underlying ordered probit numbers to create the weights. So this would be a specific ordinal variable adjustment of the affinity score building
- Set up chapter structure

Code

- My code functions for one variable with NAs, for 10,000 iterations
 - I have saved results for inc, age, Dem, Rep for hd.ord and hd.norm
 - For all 4, na.omit performs the best. This isn't surprising, since deleting observations with missing values shouldn't be a problem with MCAR
- My code does not function When run for several variables with NAs
 - It throws up a replacement error somewhere down the line when run for 10,000 iterations. It's never in the same place, so it must be something random
 - Always the same: # of NAs overall. Not always the same between some runs: # of NAs per column, # of rows with NAs
 - Find out why my code doesn't work for NAs in several variables
 - * The number of NAs inserted wasn't actually the issue. It was in the OPMord code
 - * I painfully ran 1,000 iterations for two variables, gradually adding one line at a time to the function. I discovered the error was where I assign values to df.cases, specifically where the columns are all combined and the resulting vector added to the data as educ.new

- * I saved the vector to an empty vector, ran everything for 1,000 iterations, then looked at the vectors and the corresponding versions of df.cases
- * There were rows with all NAs in df.cases, which makes the vector shorter than the data, which means it can't be assigned to it as a column. I reran the df.cases creation code to find the culprit
- * I had overlooked that int.df\$Values has one value fewer than there are variable levels, since it lists cutpoints between the levels. For 6 levels, I had assigned int.df\$length(levels(...)), which picks the 6th value of int.df\$Values but it only goes to 5. I had to add -1. Now it's working

• Method to insert NAs

- I tried prodNA, which works for MCAR but gives me nothing for MAR. And MCAR works well for na.omit, since by definition it's a random sample of missing data, which doesn't matter
- Use mice ampute()
 - * It has MCAR and MAR options. MAR is what I need
 - * It doesn't work on just one variable; it needs at least two
 - * ampute() works very well
- With the code adjusted (-1), OPMord now works. However, some of the int.dfs don't have all the education levels: int.df with all levels has 6 rows (one fewer than the levels, since each row shows a cutoff), but some have 5. This means OPMcut now doesn't work
 - I could adjust OPMcut to work with fewer levels, but then I would be, in the end, taking means of most data with all levels and some data with fewer levels. That's problematic
 - It's better to discard the iterations where int.df has 5 rows after OPMord has run and then continue with the other functions. I set the code up to do that. However, after about 40 percent of running 12,500 iterations, there was an error: I hadn't factored in that the int.dfs could also have fewer rows than that. A few of them had 4 rows, which caused the error. I adjusted the code to now discard the iterations where int.df has anything other than 6 rows
- The data ran for 12,500 iterations, 80 percent NAs, Rep and inc, hot.deck.ord, hot.deck.norm, na.omit. The results looked promising: hd.ord performed better than hd.norm and na.omit
- More methods
 - Include mice
 - Include Amelia
 - Use the defaults for both since that's what over 90% of people do (even if they shouldn't)
 - Include hot.deck.norm on the original education values (I ran it on the cutpoints)
- hot.deck impContinuous
 - No need to use it, since no variable is continuous (age has more values than sdCutoff but it's nominal, not continuous)
- hot.deck sdCutoff
 - No need to change the default
- Add more variables/NAs

- Add NAs to 6 of the variables
- Demographics I still have: Age(numeric), employment (5 levels), ideology (liberal, conservative, neither), following public affairs (ordinal, 4 levels), media interest (numeric, accumulative count of activities), participation (numeric, accumulative count of activities)
- I can't add them all, since mice and Amelia don't work when there is collinearity
- I used code to find and discard variables with high correlation
- Percentage of NAs
 - I'm currently using 80 percent. Jeff used 20, 50, and 80
 - I did one run each for 20, 50, and 80 percent
- Preliminary results
 - Across the board, Amelia and mice performs best. hd.ord performs better than normal hot.deck, but worse than Amelia and mice
 - The difference is less pronounced for the binary variables and most visible in the nominal ones. It is worst for "age", which has the most unique values
 - As the percentage of NAs increases, the estimates are further off from the true means. This is to be expected for all methods, but it affects hd.ord and hot.deck more than Amelia and mice
- Jeff gave me a bunch of pointers/ideas where to go from here. He likens this to the search for the pot of gold at the end of the rainbow. There will be something there, somewhere. I just need to find one specific scenario, one specific set of circumstances where I do particularly well or better
- Work through Jeff's pointers/ideas (noted down on paper)

What is my contribution?

- Greatly stress and outline the value of hd.ord() outperforming normal hotdeck()
 - This is a very valuable contribution
- Show the benefit of the speed improvement of hd.ord compared to mice/Amelia, and why this speed gain is worth using my function

Theory

- Step by step fill in the sections on Missing Data, Deletion, and Imputation
- Rework the introduction
 - Current stuff in there is very broad and nowhere near detailed enough (taken from the Kerwin application)