

# Improving Precision in Survey Experiments



## A New Method to Use Ordinal Variables for Blocking

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# Outline

- Basics of survey experiments
- Basics of blocking
- Basics of ordinal variables
- Method:
  - ▶ Machine learning through Ordered Probit Model (OPM)
  - ▶ Blocking
  - ▶ Ordinal variable: Education
- Setup of eventual R package

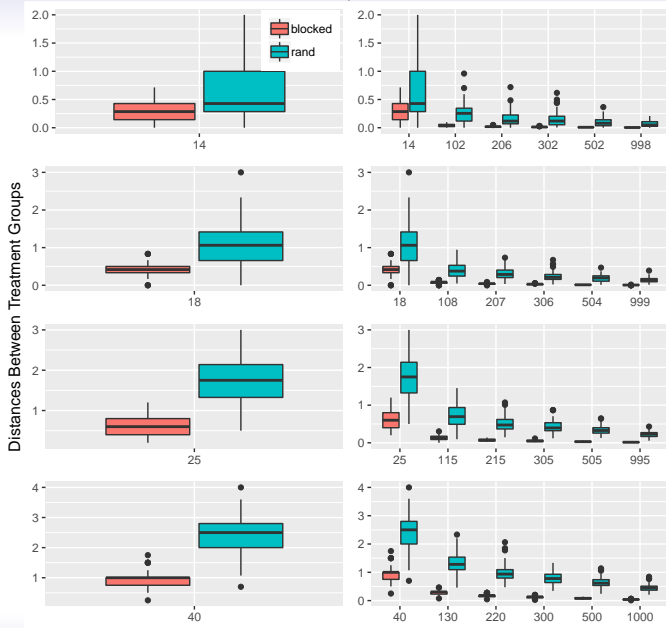
# Survey Experiments

- Collect demographics and contain questions with some type of treatment
- Created to uncover effect of treatment on public opinion and/or behavior
- Example: “A disease breaks out in the US.”
  - ▶ Treatment group 1: “With Program A, 200 out of 600 people will live.”
  - ▶ Treatment group 2: “With Program A, 400 out of 600 people will die.”
  - ▶ “Do you support or oppose program A?”
- Results usually estimated with OLS regression
- DV is respondents’ answer to treatment question; EVs are demographics
- Crucial for (internally) valid results: Balance
  - ▶ Randomization, i.e. flip a coin
  - ▶ More advanced: Blocking

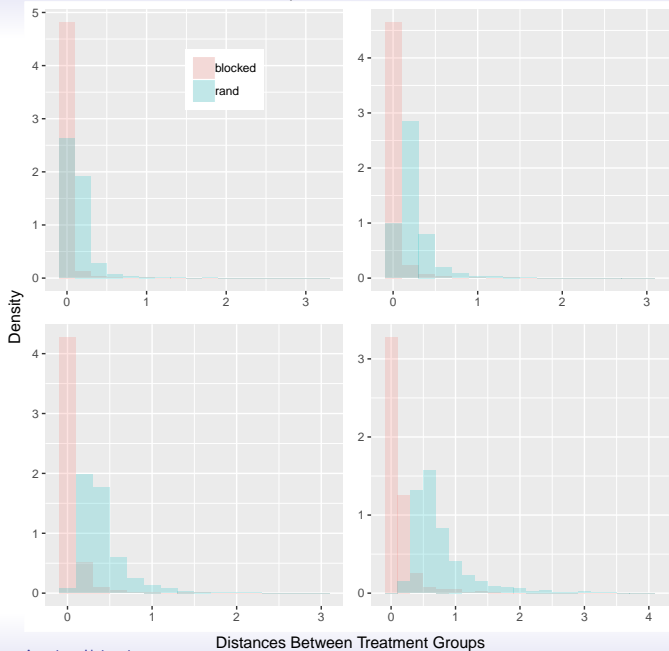
# Blocking

- Using covariates to create pre-assignment groups (“blocks”) of similar units
  - ▶ Unit similarity estimated with Mahalanobis or Euclidian distance
- Randomization takes place within blocks
- Ensures an equal proportion of treated and untreated units
- Can improve precision of causal estimates over randomization
- Most crucially: Guarantees balance
  - ▶ Especially relevant with small samples
  - ▶ Especially relevant with high number of treatment groups

## Distances Between Treatment Groups in Randomized and Blocked Data



Distribution of Treatment Group Differences in Randomized and Blocked Data



# Categorical Variables

- Data that can be divided into groups
- Nominal: No intrinsic ordering
  - ▶ Gender, Race, Occupation, Party ID
  - ▶ Often used as binary variables
- Interval: Ordered, evenly spaced
  - ▶ Income
  - ▶ Often made numeric
- Ordinal: Ordered, not evenly spaced
  - ▶ Education
  - ▶ Often made numeric

# Ordinal Variables

- Example for an important ordinal variable: Education
- Education levels: “Elementary school”, “Some high school”, “HS grad”, “Some college”, “College grad”
- Previous plots simulated by assigning interval: 1, 2, 3, 4, 5
  - ▶ Arbitrary
  - ▶ Not based on any data-driven reasons
- Much better: Estimate underlying latent continuous structure
  - ▶ Machine Learning: Ordered Probit Model



# Ordered Probit Model (OPM) Theory

- $\exists \mathbf{X}$ , an  $n \times k$  matrix of explanatory variables
- $\mathbf{Y}$  observed on ordered categories:  $\mathbf{Y}_i \in [1, \dots, k]$ , for  $i = 1, \dots, n$
- $\mathbf{Y}$  assumed to be produced by unobserved latent continuous variable  $\mathbf{Y}^*$
- $\mathbf{Y}^*$  is continuous from  $-\infty$  to  $\infty$
- $\mathbf{Y}^* = \mathbf{X}_i\beta + e_i, e_i \sim N(0, 1), \forall i = 1, \dots, N$
- Linear model creates numerical thresholds:  
$$\mathbf{Y}_i^* : \delta_0 \xrightarrow[c=1]{} \delta_1 \xrightarrow[c=2]{} \delta_2 \xrightarrow[c=3]{} \delta_3 \dots \delta_{C-1} \xrightarrow[c=C]{} \delta_C$$
- Thresholds partition variable into regions corresponding to ordinal categories
- Linear model bins observations between thresholds according to the EVs

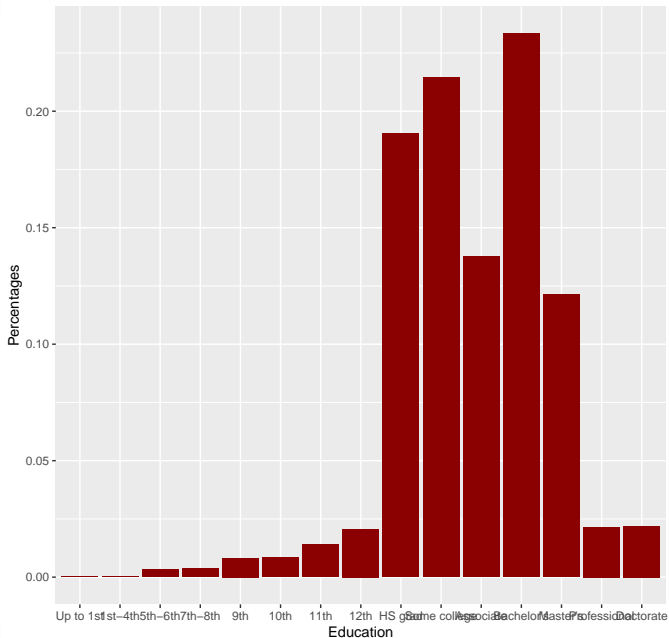
# OPM in Plain English

- Find an externally and internally valid data set
- Train model on data with education as DV and meaningful covariates as EVs
- This model:
  - ▶ Estimates cutoff thresholds between categories
  - ▶ Bins data cases according to linear predictors
  - ▶ Binned cases determine which variable categories make sense

# OPM for Education

- Data: ANES 2016
- Model:  $Education \sim Gender + Race + Age + Income + Occupation + PartyID$

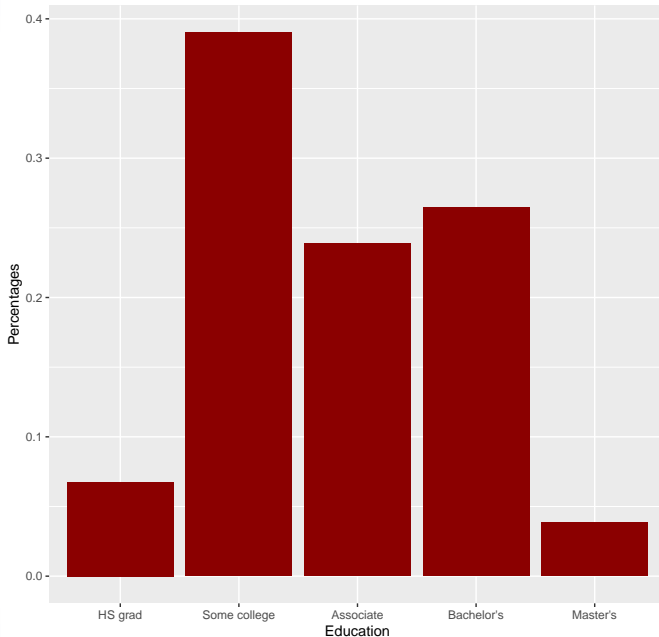
# Distribution of Original Education Categories



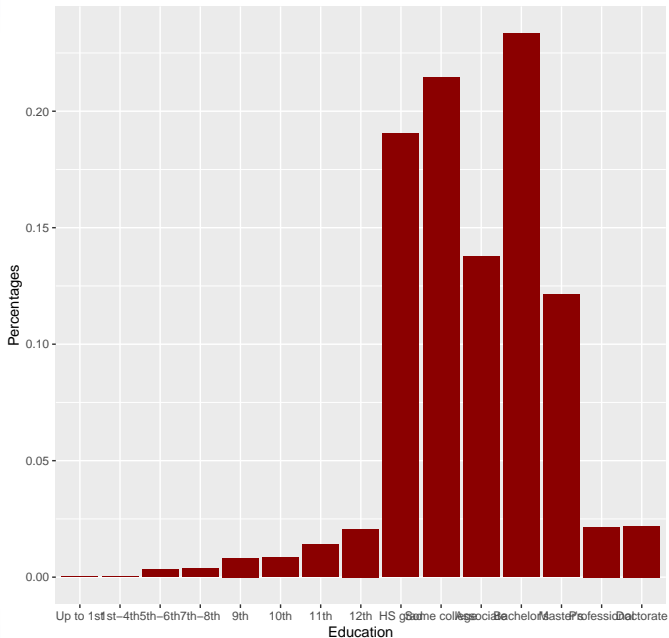
## Ordered Probit Threshold Estimates

| Thresholds             | Coefficients | SE    | t.values |
|------------------------|--------------|-------|----------|
| Up to 1st 1st-4th      | -7.869       | 1.024 | -7.681   |
| 1st-4th 5th-6th        | -7.146       | 0.717 | -9.965   |
| 5th-6th 7th-8th        | -5.379       | 0.326 | -16.515  |
| 7th-8th 9th            | -4.671       | 0.253 | -18.472  |
| 9th 10th               | -3.920       | 0.206 | -19.070  |
| 10th 11th              | -3.468       | 0.188 | -18.489  |
| 11th 12th              | -2.984       | 0.174 | -17.100  |
| 12th HS grad           | -2.511       | 0.166 | -15.116  |
| HS grad Some college   | -0.710       | 0.154 | -4.607   |
| Some college Associate | 0.384        | 0.154 | 2.500    |
| Associate Bachelor's   | 1.045        | 0.154 | 6.766    |
| Bachelor's Master's    | 2.478        | 0.160 | 15.538   |
| Master's Professional  | 4.099        | 0.177 | 23.144   |
| Professional Doctorate | 4.838        | 0.197 | 24.589   |

Distribution of OPM Education Categories



Distribution of Original Education Categories



# Using OPM Results to Block on Education

- OPM results:
  - ▶ Are not arbitrary
  - ▶ Are data-based
  - ▶ Use ordinal information whilst respecting uneven spaces
- Assigning numerical values to the new categories is now justifiable
- Block on numerical values the same way as before
  - ▶ `blockTools` with Mahalanobis distance
- Difference between OPM and interval method:
  - ▶ OPM gives us categories that make sense given the data
  - ▶ Interval method without any modelling has no empirical justification
- OPM uses the ordinal information to create categories that fit the data
- Through OPM, we can block whilst fully utilizing the ordinal information
- This was not possible before



# Eventual R Package

- Loads trained model
- Applies trained categories to education variable
- Blocks on trained categories (blockTools)
- In addition: [Online application](#)

Thank you!