Self-Adaptive Monitors for Multiparty Sessions

joint work with Mario Coppo and Betti Venneri

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Introduction

2 A Self-Adaptive System

3 Conclusion

What is adaptation?

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"we define adaptation as the run-time modification of the control data ...and a component is self-adaptive if it is able to modify its own control data at run-time"

we need to distinguish between standard data and control data: a change in the system behaviour is part of the application logic if it is based on standard data, it is an adaptation if it is based on control data.

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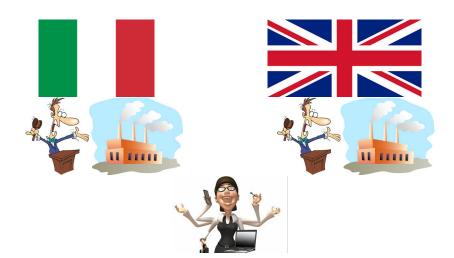
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- those critical events are observed in any separate component of the system, which can be checked by the session participants, so that the whole system can react promptly by updating itself,
- the dynamic changes need to be rather flexible: in each adaptation phase, new participants can be introduced or some of the old participants are not longer involved (temporarily or permanently),
- these dynamic changes need to be safe: community interactions must proceed correctly to pursue the common task.











Global Type







Global Type

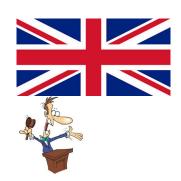


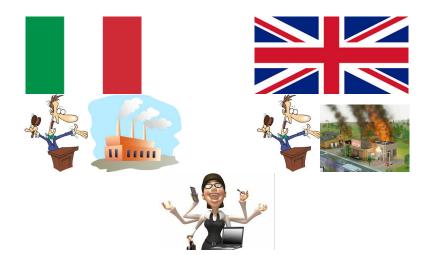




```
G_1 = egin{array}{ll} \mathsf{iS} 
ightarrow \mathsf{iF}: (\mathsf{Item}, \mathsf{Amount}). \\ \mathsf{bS} 
ightarrow \mathsf{bF}: (\mathsf{Item}, \mathsf{Amount}). \\ \mathsf{Ada} 
ightarrow \{\mathsf{iS}, \mathsf{iF}, \mathsf{bS}, \mathsf{bF}\}: \emph{check} \end{array}
```









Global Type



Global Type



$$\label{eq:G2} \begin{split} \textit{G}_2 = & \begin{array}{c} \mathsf{Ada} \to \mathsf{Bob} \colon \mathsf{Contract}. \\ \mathsf{iS} \to \mathsf{iF} \colon (\mathsf{Item}, \mathsf{Amount}). \\ \mathsf{bS} \to \mathsf{Ada} \colon (\mathsf{Item}, \mathsf{Amount}). \\ \mathsf{Ada} \to \{\mathsf{iS}, \mathsf{iF}, \mathsf{bS}, \mathsf{Bob}\} \colon & \textit{check} \\ \end{array}$$







```
iS \rightarrow iF: (Item, Amount).

bS \rightarrow bF: (Item, Amount).

Ada \rightarrow \{iS, iF, bS, bF\}: check
```

```
\begin{aligned} &\text{iS} \rightarrow \text{iF:} (\text{Item, Amount}). \\ G_1 = &\text{bS} \rightarrow \text{bF:} (\text{Item, Amount}). \\ &\text{Ada} \rightarrow \{\text{iS, iF, bS, bF}\}: \textit{check} \end{aligned}
```

$$\begin{array}{c} \text{iS} \rightarrow \text{iF:} (\text{Item, Amount}). \\ G_1 = & \text{bS} \rightarrow \text{bF:} (\text{Item, Amount}). \\ \text{Ada} \rightarrow \{\text{iS, iF, bS, bF}\}: \textit{check} \end{array}$$

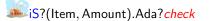




```
\begin{array}{ccc} & \text{iS} \rightarrow \text{iF:}(\text{Item, Amount}). \\ G_1 = & \text{bS} \rightarrow \text{bF:}(\text{Item, Amount}). \\ & \text{Ada} \rightarrow \{\text{iS, iF, bS, bF}\}: \textit{check} \end{array}
```









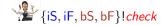
```
\begin{array}{ll} & \text{iS} \rightarrow \text{iF}: (\text{Item}, \text{Amount}). \\ G_1 = & \text{bS} \rightarrow \text{bF}: (\text{Item}, \text{Amount}). \\ & \text{Ada} \rightarrow \{\text{iS}, \text{iF}, \text{bS}, \text{bF}\}: \textit{check} \end{array}
```











```
G_2 = egin{array}{l} \mathsf{Ada} & \to \mathsf{Bob} \colon \mathsf{Contract}. \\ \mathsf{iS} & \to \mathsf{iF} \colon (\mathsf{Item}, \mathsf{Amount}). \\ \mathsf{bS} & \to \mathsf{Ada} \colon (\mathsf{Item}, \mathsf{Amount}). \\ \mathsf{Ada} & \to \{\mathsf{iS}, \mathsf{iF}, \mathsf{bS}, \mathsf{Bob}\} \colon \textit{check} \end{array}
```

```
Ada \rightarrow Bob: Contract.
G_2 = {\mathsf{iS} 	o \mathsf{iF} : (\mathsf{Item}, \mathsf{Amount}). \atop \mathsf{bS} 	o \mathsf{Ada} : (\mathsf{Item}, \mathsf{Amount}).}
               Ada \rightarrow \{iS, iF, bS, Bob\}: check
```







```
Ada \rightarrow Bob: Contract.
G_2 = {\mathsf{iS} 	o \mathsf{iF} : (\mathsf{Item}, \mathsf{Amount}). \atop \mathsf{bS} 	o \mathsf{Ada} : (\mathsf{Item}, \mathsf{Amount}).}
               Ada \rightarrow \{iS, iF, bS, Bob\}: check
```



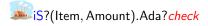


is?(Item, Amount).Ada?check

```
Ada \rightarrow Bob: Contract.
G_2 = {\mathsf{iS} 	o \mathsf{iF} : (\mathsf{Item}, \mathsf{Amount}). \atop \mathsf{bS} 	o \mathsf{Ada} : (\mathsf{Item}, \mathsf{Amount}).}
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               Ada \rightarrow \{iS, iF, bS, Bob\}: check
```













 $\mu X.y!$ (item, amount).y?*check*.X



 $\mu X.y!$ (item, amount).y?*check*.X

 $\mu X.y$?(item, amount).if ... then y?check.X else write KO.y?check



 $\mu X.y!$ (item, amount).y?*check*.X



 $\mu X.y$?(item, amount).if ... then y?check.X else write KO.y?check



 $(\mu X.y! \frac{check}{F}).X)$ + $(\mu X.y! \text{contract}.y?(\text{item}, \text{amount}).y! \frac{check}{F}).X)$



 $\mu X.y!$ (item, amount).y?*check*.X



 $\mu X.y$?(item, amount).if ... then y?check.X else write KO.y?check



 $(\mu X.y! \frac{check}{F}).X)$ + $(\mu X.y! \text{contract.} y?(\text{item, amount}).y! \frac{check}{F}).X)$



 $\mu X.y$?contract.if ... then write OK.y?check else y?check.X



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 $(\mu X.y! \frac{check}{F}).X)$ + $(\mu X.y! \text{contract.} y?(\text{item, amount}).y! \frac{check}{F}).X)$



 $\mu X.y$?contract.if ... then write OK.y?check else y?check.X

$$F(OK, OK) = G_1$$
 $F(OK, KO) = G_2$
 $F(KO, OK) = G_3$ $F(KO, KO) = G_4$

iF!(Item, Amount).Ada?check [$\mu X.y!$ (item, amount).y?check.X] |

```
 \begin{array}{lll} & \text{iF!(Item, Amount).Ada?} \\ & \text{check} \\ & \text{bF!(Item, Amount).Ada?} \\ & \text{check} \\ \end{array} \begin{array}{ll} & [\mu X.y!(\text{item, amount).}y?\text{check.}X] \mid \\ & \text{bF!(Item, Amount).Ada?} \\ & \text{check} \\ \end{array}
```

```
iF!(Item, Amount).Ada? check [\mu X.y!(\text{item, amount}).y? check.X] \mid bF!(Item, Amount).Ada? check iS?(Item, Amount).Ada? check [\mu X.y!(\text{item, amount}).y? check.X] \mid iS?(Item, Amount).Ada? check then y? check.X
```

else write KO.y?check]

```
iF!(Item, Amount). Ada? check bF!(Item, Amount). Ada? check iS?(Item, Amount). Ada? check is write KO.y? check] bS?(Item, Amount). Ada? check is write KO.y? check] is the manual of the check is the check is the manual of the check is the check is the manual of the check is the ch
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       iF!(Item, Amount).Ada?check
                                             [\mu X.y!(\text{item}, \text{amount}).y? check.X]
       bF!(Item, Amount).Ada?check
                                             [\mu X.y!(\text{item, amount}).y? check.X]
en 🔄
       iS?(Item, Amount).Ada?check
                                             [\mu X.y?(\text{item, amount}).\text{if} \dots]
then v?check.X
                                                        else write KO.y?check]
                                             [\mu X.y?(\text{item}, \text{amount}).\text{if} \dots]
       bS?(Item, Amount).Ada?check
                                                        then v?check.X
                                                        else write KO.v?check]
                                             [(\mu X.v! check(F).X)]
       {iS, iF, bS, bF}!check
                                             +(\mu X.\nu!contract.\nu?(item, amount).
                                             v! check(F).X)] \parallel
```

```
iF!(Item, Amount).Ada?check
                                           [\mu X.y!(\text{item}, \text{amount}).y? check.X]
       bF!(Item, Amount).Ada?check
                                           [\mu X.y!(\text{item, amount}).y? check.X]
en 🔄
       iS?(Item, Amount).Ada?check
                                           [\mu X.y?(\text{item, amount}).\text{if} \dots]
then v?check.X
                                                      else write KO.y?check]
                                           [\mu X.y?(\text{item}, \text{amount}).\text{if} \dots]
       bS?(Item, Amount).Ada?check
                                                      then v?check.X
                                                      else write KO.v?check]
                                           [(\mu X.v! check(F).X)]
       {iS, iF, bS, bF}!check
                                           +(\mu X.y!contract.y?(item, amount).
                                           y!check(F).X)] ||
                                  (OK, OK)
```

$$G$$
 ::= $p \to \Pi : \{\ell_i(S_i).G_i\}_{i \in I}$ | $p \to \Pi : \{\lambda_i\}_{i \in I}$ | end

Outline

$$G ::= p \to \Pi : \{\ell_i(S_i).G_i\}_{i \in I}$$
 | end

$$\mathcal{M} ::= p?\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I} \mid \Pi!\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I} \mid p?\{\lambda_i\}_{i\in I} \mid \Pi!\{\lambda_i\}_{i\in I} \mid$$

end

Monitors

$$G ::= p o \Pi : \{\ell_i(S_i), G_i\}_{i \in I} \mid p o \Pi : \{\lambda_i\}_{i \in I} \mid end$$

Processes

$$P ::= \begin{array}{c|cccc} \mathbf{0} & & \text{op.}P & & X & & \mu X.P & & \\ & & & & & & & | & \text{c!}\ell(e).P & & & | \\ & & & & & & | & \text{c!}(\lambda(F),\mathsf{T}).P & & | & \\ & & & & & | & & | & P+P \end{array}$$
 if e then P else $P = |P+P|$

$$G ::= p \rightarrow \Pi : \{\ell_i(S_i), G_i\}_{i \in I} \mid p \rightarrow \Pi : \{\lambda_i\}_{i \in I} \mid end$$

$$\mathcal{M} \quad ::= \quad \mathsf{p}?\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I} \quad | \quad \Pi!\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I} \quad | \quad \mathsf{p}?\{\lambda_i\}_{i\in I} \quad | \quad \mathsf{n}!\{\lambda_i\}_{i\in I} \quad | \quad \mathsf{end}$$

Processes

$$P ::= \begin{array}{c|cccc} \mathbf{0} & & \operatorname{op.P} & & X & & \mu X.P & & \\ & & & & & & & | & \operatorname{c!}\ell(e).P & & & | \\ & & & & & & | & \operatorname{c!}(\lambda(F),\mathsf{T}).P & & | & \\ & & & & & | & ethen \ P \ else \ P & & | \ P+P & & | & | & | \\ \end{array}$$

Networks

$$N ::= \text{new}(G) \mid \mathcal{M}[P] \mid \text{s}:h \mid N \mid N \mid (\nu \text{s})N$$

Global types

$$G ::= p \to \Pi : \{\ell_i(S_i).G_i\}_{i \in I} \mid p \to \Pi : \{\lambda_i\}_{i \in I} \mid end$$

Monitors

Processes

$$P ::= \begin{array}{c|cccc} \mathbf{0} & & \operatorname{op.P} & & X & & \mu X.P & & \\ & & & & & & | & \operatorname{c!}\ell(e).P & & & | \\ & & & & & | & \operatorname{c!}(\lambda(F),\mathsf{T}).P & & | & \\ & & & & & | & ethen \ P \ else \ P & & | \ P+P & & | \end{array}$$

Networks

$$N ::= \text{new}(G) \mid \mathcal{M}[P] \mid s:h \mid N \mid N \mid (\nu s)N$$

$$S ::= N \parallel \sigma$$

$$T ::= ?\ell(S).T \mid !\ell(S).T \mid ?\lambda \mid !\lambda \mid T \wedge T \mid T \vee T \mid end$$

$$T ::= ?\ell(S).T \mid !\ell(S).T \mid ?\lambda \mid !\lambda \mid T \wedge T \mid T \vee T \mid end$$

$$\Gamma, X : \mathsf{T} \vdash \mathsf{c}?(\lambda, \mathsf{T}).X \rhd \mathsf{c}?\lambda \quad \Gamma, X : \mathsf{T} \vdash \mathsf{c}!(\lambda(F), \mathsf{T}).X \rhd \mathsf{c}!\lambda$$

$$T ::= ?\ell(S).T \mid !\ell(S).T \mid ?\lambda \mid !\lambda \mid T \wedge T \mid T \vee T \mid \text{end}$$

$$\Gamma, X : T \vdash c?(\lambda, T).X \rhd c?\lambda \qquad \Gamma, X : T \vdash c!(\lambda(F), T).X \rhd c!\lambda$$

$$\frac{\Gamma \vdash P \rhd c:T}{\Gamma \vdash c?(\lambda, T).P \rhd c?\lambda} \qquad \frac{\Gamma \vdash P \rhd c:T}{\Gamma \vdash c!(\lambda(F), T).P \rhd c!\lambda}$$

$$T ::= ?\ell(S).T \mid !\ell(S).T \mid ?\lambda \mid !\lambda \mid T \wedge T \mid T \vee T \mid \text{end}$$

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$$\frac{\Gamma \vdash P \rhd c:T}{\Gamma \vdash c?(\lambda, T).P \rhd c?\lambda} \qquad \frac{\Gamma \vdash P \rhd c:T}{\Gamma \vdash c!(\lambda(F), T).P \rhd c!\lambda}$$

$$\frac{\Gamma \vdash e : \text{bool} \quad \Gamma \vdash P_1 \rhd c:T_1 \quad \Gamma \vdash P_2 \rhd c:T_2 \quad T_1 \vee T_2 \in \mathcal{T}}{\Gamma \vdash \text{if e then } P_1 \text{ else } P_2 \rhd c:T_1 \vee T_2}$$

$$T ::= ?\ell(S).T \mid !\ell(S).T \mid ?\lambda \mid !\lambda \mid T \wedge T \mid T \vee T \mid \text{end}$$

$$\Gamma, X : \mathsf{T} \vdash \mathsf{c}?(\lambda, \mathsf{T}).X \rhd \mathsf{c}?\lambda \quad \Gamma, X : \mathsf{T} \vdash \mathsf{c}!(\lambda(F), \mathsf{T}).X \rhd \mathsf{c}!\lambda$$

$$\frac{\Gamma \vdash P \rhd \mathsf{c}:\mathsf{T}}{\Gamma \vdash \mathsf{c}?(\lambda, \mathsf{T}).P \rhd \mathsf{c}?\lambda} \qquad \frac{\Gamma \vdash P \rhd \mathsf{c}:\mathsf{T}}{\Gamma \vdash \mathsf{c}!(\lambda(F), \mathsf{T}).P \rhd \mathsf{c}!\lambda}$$

$$\frac{\Gamma \vdash \mathsf{e} : \mathsf{bool} \quad \Gamma \vdash P_1 \rhd \mathsf{c}:\mathsf{T}_1 \quad \Gamma \vdash P_2 \rhd \mathsf{c}:\mathsf{T}_2 \quad \mathsf{T}_1 \vee \mathsf{T}_2 \in \mathcal{T}}{\Gamma \vdash \mathsf{l} : \mathsf{l} :$$

Adequacy of Types for Monitors

$$\begin{aligned} |\mathsf{p}?\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I}| &= \bigwedge_{i\in I}?\ell_i(S_i).|\mathcal{M}_i| \\ |\Pi!\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I}| &= \bigvee_{i\in I}!\ell_i(S_i).|\mathcal{M}_i| \\ |\mathsf{p}?\{\lambda_i\}_{i\in I}| &= \bigwedge_{i\in I}?\lambda_i \qquad |\Pi!\{\lambda_i\}_{i\in I}| &= \bigvee_{i\in I}!\lambda_i \\ |\mathsf{end}| &= \mathsf{end} \end{aligned}$$

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$$\mathsf{T} \leq \mathsf{end} \quad \mathsf{T}_1 \wedge \mathsf{T}_2 \leq \mathsf{T}_i \quad \mathsf{T}_i \leq \mathsf{T}_1 \vee \mathsf{T}_2 \quad (i=1,2) \\ \mathsf{T}_1 \leq \mathsf{T}_2 \quad \mathsf{implies} \quad !\ell(S).\mathsf{T}_1 \leq !\ell(S).\mathsf{T}_2 \quad ?\ell(S).\mathsf{T}_1 \leq ?\ell(S).\mathsf{T}_2 \\ \mathsf{T} \leq \mathsf{T}_1 \quad \mathsf{and} \quad \mathsf{T} \leq \mathsf{T}_2 \quad \mathsf{imply} \quad \mathsf{T} \leq \mathsf{T}_1 \wedge \mathsf{T}_2 \\ \mathsf{T}_1 \leq \mathsf{T} \quad \mathsf{and} \quad \mathsf{T}_2 \leq \mathsf{T} \quad \mathsf{imply} \quad \mathsf{T}_1 \vee \mathsf{T}_2 \leq \mathsf{T} \\ (\mathsf{T}_1 \vee \mathsf{T}_2) \wedge \mathsf{T}_3 = (\mathsf{T}_1 \wedge \mathsf{T}_3) \vee (\mathsf{T}_2 \wedge \mathsf{T}_3) \\ (\mathsf{T}_1 \wedge \mathsf{T}_2) \vee \mathsf{T}_3 = (\mathsf{T}_1 \vee \mathsf{T}_3) \wedge (\mathsf{T}_2 \vee \mathsf{T}_3) \end{split}$$

 $|\mathsf{p}?\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I}| = \bigwedge_{i\in I}?\ell_i(S_i).|\mathcal{M}_i|$

Adequacy of Types for Monitors

$$\begin{split} |\Pi! \{\ell_i(S_i).\mathcal{M}_i\}_{i \in I}| &= \bigvee_{i \in I}!\ell_i(S_i).|\mathcal{M}_i| \\ |\mathsf{p}? \{\lambda_i\}_{i \in I}| &= \bigwedge_{i \in I}?\lambda_i \qquad |\Pi! \{\lambda_i\}_{i \in I}| = \bigvee_{i \in I}!\lambda_i \\ |\mathsf{end}| &= \mathsf{end} \end{split}$$

$$\mathsf{T} \leq \mathsf{end} \quad \mathsf{T}_1 \wedge \mathsf{T}_2 \leq \mathsf{T}_i \quad \mathsf{T}_i \leq \mathsf{T}_1 \vee \mathsf{T}_2 \quad (i = 1, 2) \\ \mathsf{T}_1 \leq \mathsf{T}_2 \quad \mathsf{implies} \quad !\ell(S).\mathsf{T}_1 \leq !\ell(S).\mathsf{T}_2 \quad ?\ell(S).\mathsf{T}_1 \leq ?\ell(S).\mathsf{T}_2 \\ \mathsf{T} \leq \mathsf{T}_1 \quad \mathsf{and} \quad \mathsf{T} \leq \mathsf{T}_2 \quad \mathsf{imply} \quad \mathsf{T} \leq \mathsf{T}_1 \wedge \mathsf{T}_2 \\ \mathsf{T}_1 < \mathsf{T} \quad \mathsf{and} \quad \mathsf{T}_2 < \mathsf{T} \quad \mathsf{imply} \quad \mathsf{T}_1 \vee \mathsf{T}_2 < \mathsf{T} \end{split}$$

A type T is adequate for a monitor \mathcal{M} (T $\propto \mathcal{M}$) if T $\leq |\mathcal{M}|$.

 $(\mathsf{T}_1 \vee \mathsf{T}_2) \wedge \mathsf{T}_3 = (\mathsf{T}_1 \wedge \mathsf{T}_3) \vee (\mathsf{T}_2 \wedge \mathsf{T}_3)$ $(\mathsf{T}_1 \wedge \mathsf{T}_2) \vee \mathsf{T}_3 = (\mathsf{T}_1 \vee \mathsf{T}_3) \wedge (\mathsf{T}_2 \vee \mathsf{T}_3)$



$$\begin{split} \mathsf{p}?\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I} & \xrightarrow{\mathsf{p}?\ell_j} \mathcal{M}_j \quad \Pi!\{\ell_i(S_i).\mathcal{M}_i\}_{i\in I} \xrightarrow{\Pi!\ell_j} \mathcal{M}_j \quad j\in I \\ & \mathsf{p}?\{\lambda_i\}_{i\in I} \xrightarrow{\mathsf{p}?\lambda_j} \quad \Pi!\{\lambda_i\}_{i\in I} \xrightarrow{\Pi!\lambda_j} \quad j\in I \end{split}$$

LTS for monitors

$$p?\{\ell_{i}(S_{i}).\mathcal{M}_{i}\}_{i\in I} \xrightarrow{p?\ell_{i}} \mathcal{M}_{j} \quad \Pi!\{\ell_{i}(S_{i}).\mathcal{M}_{i}\}_{i\in I} \xrightarrow{\Pi!\ell_{i}} \mathcal{M}_{j} \quad j \in I$$

$$p?\{\lambda_{i}\}_{i\in I} \xrightarrow{p?\lambda_{j}} \quad \Pi!\{\lambda_{i}\}_{i\in I} \xrightarrow{\Pi!\lambda_{i}} \quad j \in I$$

LTS for processes

$$s[p]?\ell(x).P \xrightarrow{s[p]?\ell(v)} P\{v/x\} \quad s[p]!\ell(e).P \xrightarrow{s[p]!\ell(v)} P \quad e \downarrow v$$
$$s[p]?(\lambda,T).P \xrightarrow{s[p]?(\lambda,T)} P \quad s[p]!(\lambda(F),T).P \xrightarrow{s[p]!(\lambda(F),T)} P$$

LTS for monitors
$$p?\{\ell_{i}(S_{i}).\mathcal{M}_{i}\}_{i\in I} \xrightarrow{p?\ell_{j}} \mathcal{M}_{j} \quad \Pi!\{\ell_{i}(S_{i}).\mathcal{M}_{i}\}_{i\in I} \xrightarrow{\Pi!\ell_{j}} \mathcal{M}_{j} \quad j \in I$$

$$p?\{\lambda_{i}\}_{i\in I} \xrightarrow{p?\lambda_{j}} \quad \Pi!\{\lambda_{i}\}_{i\in I} \xrightarrow{\Pi!\lambda_{j}} \quad j \in I$$
 LTS for
$$s[p]?\ell(x).P \xrightarrow{s[p]?\ell(v)} P\{v/x\} \quad s[p]!\ell(e).P \xrightarrow{s[p]!\ell(v)} P \quad e \downarrow v$$
 processes
$$s[p]?(\lambda,T).P \xrightarrow{s[p]?(\lambda,T)} P \quad s[p]!(\lambda(F),T).P \xrightarrow{s[p]!(\lambda(F),T)} P$$

$$\frac{\Pi = \mathsf{pa}(G) \quad \mathcal{M}_\mathsf{p} = G \upharpoonright \mathsf{p} \quad \forall \mathsf{p} \in \Pi. \ (P_\mathsf{p}, \mathsf{T}_\mathsf{p}) \in \mathcal{P} \ \& \ \mathsf{T}_\mathsf{p} \propto \mathcal{M}_\mathsf{p}}{\mathsf{new}(G) \ \longrightarrow (\nu \, \mathsf{s}) \ (\prod_{\mathsf{p} \in \Pi} \mathcal{M}_\mathsf{p}[P_\mathsf{p}\{\mathsf{s}[\mathsf{p}]/y\} \mid \mathsf{s} : \emptyset)}$$

$$\frac{\mathcal{M} \xrightarrow{\mathsf{q}?\ell} \mathcal{M}' \quad P \xrightarrow{\mathsf{s}[\mathsf{p}]?\ell(\mathsf{v})} P'}{\mathcal{M}[P] \mid \mathsf{s}: (\mathsf{q}, \mathsf{p}, \ell(\mathsf{v})) \cdot h \longrightarrow \mathcal{M}'[P'] \mid \mathsf{s}: h}$$

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$$\frac{\mathcal{M} \xrightarrow{\mathsf{\Pi}!\ell} \mathcal{M}' \qquad P \xrightarrow{\mathsf{s}[\mathsf{p}]!\ell(\mathsf{v})} P'}{\mathcal{M}[P] \mid \mathsf{s} : h \longrightarrow \mathcal{M}'[P'] \mid \mathsf{s} : h \cdot (\mathsf{p}, \Pi, \ell(\mathsf{v}))}$$

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$$\frac{\mathcal{M} \xrightarrow{\mathsf{q?}\lambda} \quad P \xrightarrow{\mathsf{s[p]?(\lambda, \mathsf{T})}} P' \quad G \upharpoonright \mathsf{p} = \mathcal{M}' \qquad \mathsf{T} \propto \mathcal{M}'}{\mathcal{M}[P] \mid \mathsf{s} : (\mathsf{q}, \mathsf{p}, \lambda(G)) \cdot h \longrightarrow \mathcal{M}'[P'] \mid \mathsf{s} : h}$$

Outline

$$\frac{\mathcal{M} \overset{q?\ell}{\longrightarrow} \mathcal{M}' \qquad P \overset{s[p]?\ell(v)}{\longrightarrow} P'}{\mathcal{M}[P] \mid s : (\mathsf{q},\mathsf{p},\ell(v)) \cdot h \longrightarrow \mathcal{M}'[P'] \mid s : h}$$

$$\frac{\mathcal{M} \overset{\Pi!\ell}{\longrightarrow} \mathcal{M}' \qquad P \overset{s[p]!\ell(v)}{\longrightarrow} P'}{\mathcal{M}[P] \mid s : h \longrightarrow \mathcal{M}'[P'] \mid s : h \cdot (\mathsf{p},\Pi,\ell(v))}$$

$$\frac{\mathcal{M} \overset{q?\lambda}{\longrightarrow} \qquad P \overset{s[p]?(\lambda,T)}{\longrightarrow} P' \quad G \upharpoonright \mathsf{p} = \mathcal{M}' \qquad \mathsf{T} \propto \mathcal{M}'}{\mathcal{M}[P] \mid s : (\mathsf{q},\mathsf{p},\lambda(G)) \cdot h \longrightarrow \mathcal{M}'[P'] \mid s : h}$$

$$\mathcal{M} \overset{\Pi!\lambda}{\longrightarrow} \qquad P \overset{s[p]!(\lambda(F),T)}{\longrightarrow} P' \quad F(\sigma) = G \quad \mathcal{M}_{\mathsf{p}} = G \upharpoonright \mathsf{p} \quad \mathsf{T} \propto \mathcal{M}_{\mathsf{p}} \qquad h \quad \lambda\text{-free}$$

$$\Pi' = \mathsf{pa}(G) \quad \forall \mathsf{q} \in \Pi'.\mathcal{M}_{\mathsf{q}} = G \upharpoonright \mathsf{q}$$

$$\forall \mathsf{q} \in \Pi' \setminus (\Pi \cup \{\mathsf{p}\}). \quad (P_{\mathsf{q}},\mathsf{T}_{\mathsf{q}}) \in \mathcal{P} \quad \& \quad \mathsf{T}_{\mathsf{q}} \propto \mathcal{M}_{\mathsf{q}}$$

$$\mathcal{M}[P] \mid s : h \parallel \sigma \longrightarrow \qquad \mathcal{M}_{\mathsf{p}}[P'] \mid \prod_{\mathsf{q} \in \Pi' \setminus (\Pi \cup \{\mathsf{p}\})} \mathcal{M}_{\mathsf{q}}[P_{\mathsf{q}}\{\mathsf{s}[\mathsf{q}]/y_{\mathsf{q}}\}] \mid$$

s: $h \cdot (p, \Pi, \lambda(G)) \parallel \sigma$

Conclusion

Progress

a system whose network is a parallel composition of session initiators is initial

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If $\mathcal P$ is complete, $\mathcal S$ is an initial system and $\mathcal S \longrightarrow_{\mathcal P}^* \mathcal S'$, then $\mathcal S'$ has progress, i.e.

- every input monitored process will always (eventually) receive a message, and
- 2 every message in a queue will always (eventually) be received by an input monitored process.

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- monitors adapting the behaviour of processes to the prescriptions of global types
- a global state implementing the control data

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Main features:

• the association of a monitor with a compliant process incarnates a single participant

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- processes, that are simply implementation code, can follow different incompatible computational paths

Related Papers

 T.-C. Chen, L. Bocchi, P.-M. Deniélou, K. Honda, and N. Yoshida, "Asynchronous Distributed Monitoring for Multiparty Session
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