# Computational Linguistics Parsing

Aurélie Herbelot

Centre for Mind/Brain Sciences University of Trento

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#### Introduction



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### What is parsing?

- Parsing is the process of automatically assigning a structured interpretation to an input string.
- For natural language, this normally means obtaining one or more likely a few thousands – syntactic or semantic representations ('parses') of a sentence.



# Syntactic vs semantic parsing

- Syntactic parsing is concerned with the syntactic structure of sentences, i.e. how words combine into acceptable constituents:
  - [The cat] chases the mouse.
  - Sylvester chases the mouse.
  - \*The chases the mouse.
- Semantic parsing is concerned with the meaning of sentences, i.e. 'who did what' in a sentence:
  - The cat chases the mouse: the cat is doing the chasing and the mouse is being chased.
  - It is raining: nothing is doing the raining.



# A syntactic parser: RASP (Briscoe et al, 2006)

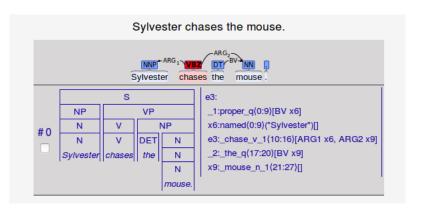
```
(|T/txt-sc1/-+|
(IS/np vpl |We:1 PPIS2|
 (|V1/v_np| |describe:2_VV0|
   (|NP/det n1| |a:3 AT1|
   (IN1/n1 pp1)
     (|N1/ap n1/-| (|AP/a1| (|A1/a| |robust:4 JJ|))
     (IN1/ap n1/-| (IAP/a1| (IA1/a| |accurate:5 JJ|))
       (|N1/n_n1| |domain-independent:6_NN1|
        (|N1/n| |approach:7 NN1|))))
     (IPP/p1)
     (|P1/p n1| |to:8 II|
      (IN1/ap n1/-| (IAP/a1| (IA1/a| |statistical:9 JJ|))
        (|N1/n ppart| |parsing:10 NN1|
         (|V1/v ap| |incorporate+ed:11 VVN|
          (IAP/a1)
           (|A1/adv a1|
           (IAP/a11
             (|A1/a|
              (|A/pp adv-coord/+|
               (IPP/p1)
                (|P1/p np| |into:12 II|
                 (INP/det n1| Ithe:13 ATI
                  (|N1/ap n1/-| (|AP/a1| (|A1/a| |new:14 JJ|))
                   (IN1/n pp-of| |release:15 NN1|
                    (IPP/p1)
                     (|P1/p np| |of:16 IO|
                      (INP/det n1| Ithe:17 ATI
                       (|N1/n-name n1| |ANLT:18 NP1|
                        (|N1/n| |toolkit:19_NN1|)))))))))
               |,:20_,|
               (|A/ci-end a/-| |and:21 CC| |publicly:22 RR|))))
            (IA1/a pp-as| lavailable:23 JJI
             (|PP/p1|
              (IP1/p npl las:24 CSAI
               (|NP/det n1| |a:25 AT1|
                (IN1/n n1| |research:26 NN1|
                 (|N1/n| |tool:27 | NN1|))))))))))))))
 (|End-punct3/-| |.:28 .|))
```

# A semantic parser: Boxer (Bos, 2008)

```
% bin/boxer --input working/test.ccg --box
%%% This output was generated by the following command:
%%% bin/boxer --input working/test.ccg --box
:- multifile
                sem/3, id/2.
:- discontiguous sem/3, id/2.
:- dynamic
                 sem/3, id/2.
%%% Every man runs .
id(1.1).
sem(1.[1001:[tok:'Every'.pos:'DT'.lemma:every.namex:'0'1.1002:[tok:ma
%%%
%%%
%%%
%%%
%%%
                 lx2
%%%
%%%
      |man(x1)|>|agent(x2,x1)
%%%
                |run(x2)
%%%
%%%
Attempted: 1. Completed: 1 (100.00%).
```

http://svn.ask.it.usyd.edu.au/trac/candc/wiki/BoxerSimple

# Analysis as tree



### What? 1000s of interpretations?

- Language is highly ambiguous, i.e. a sentence can generally be interpreted in several ways.
- Some examples of ambiguity that humans are aware of:
  - Kim saw the woman in the park with a telescope.
  - Every student read a book.
  - Smoke!
- Some examples of ambiguity that humans (normally) can't detect:
  - We bake our cakes with love.
  - All students have picked a topic for their thesis.



# Lexical/structural ambiguity

- As far as parsing is concerned, we are interested in two types of ambiguity:
  - Lexical Ambiguity: a single word can have more than one syntactic category; for example, smoke can be a noun or a verb, her can be a pronoun or a possessive determiner.
  - Structural Ambiguity: there are a few valid tree forms for a single sequence of words:

Kim saw ((the woman in the park) (with a telescope)). Kim saw ((the woman)(in the park with a telescope)).

# Global/local ambiguity

- An important distinction must also be made between:
  - Global (or total) ambiguity: in which an entire sentence has several grammatically allowable analyses.
  - Local (or partial) Ambiguity: in which portions of a sentence, viewed in isolation, may present several possible options, even though the sentence taken as a whole has only one analysis that fits all its parts.

# Global ambiguity

- Global ambiguity can be resolved only by resorting to information outside the sentence (the context, etc.) and so cannot be solved without access to discourse and/or world knowledge.
- A good parser should, however, ensure that all possible readings can be found, so that some further disambiguating process could make use of them.
- For instance:
   We bake our cakes with love.



#### An example from the ERG

```
le bake our cakes with love.
SENT: We bake our cakes with love.
NDEX: e2 [ e SF: prop TENSE: pres MOOD: indicative PROG: - PERF: - ]
RELS: < [ pron rel<0:2> LBL: h4 ARG0: x3 [ x PERS: 1 NUM: pl PRONTYPE: std pron l l
  pronoun_q_rel<0:2> LBL: h5 ARG0: x3 RSTR: h6 BODY: h7 ]
    _bake_v_cause_rel"<3:7> LBL: h1 ARG0: e2 ARG1: x3 ARG2: x8 [ x PERS: 3 NUM: pl ] ]
  def_explicit_q_rel<8:11> LBL: h9 ARG0: x8 RSTR: h10 BODY: h11 1
  poss_rel<8:11> LBL: h12 ARG0: e13 [ e SF: prop_TENSE: untensed MOOD: indicative PROG: - PERF: - ] ARG1: x8 ARG2: x14 [ x PERS: 1 NUM: pl PRO
 TYPE: std_pron ] ]
  pronoun q rel<8:11> LBL: h15 ARG0: x14 RSTR: h16 BODY: h17 ]
  pron_rel<8:11> LBL: h18 ARG0: x14 ]
    cake_n_1_rel"<12:17> LBL: h12_ARG0: x8 ]
   with p rel<18:22> LBL: h12 ARG0: e19 [ e SF: prop TENSE: untensed MOOD: indicative ] ARG1: x8 ARG2: x20 [ x PERS: 3 NUM: sq ] ]
  udef q rel<23:28> LBL: h21 ARG0: x20 RSTR: h22 BODY: h23 ]
  " love n of-for rel"<23:28> LBL: h24 ARG0: x20 ARG1: 125 ] >
 CONS: < h0 geg h1 h6 geg h4 h10 geg h12 h16 geg h18 h22 geg h24 > ]
 LTOP: h0
INDEX: e2 [ e SF: prop TENSE: pres MOOD: indicative PROG: - PERF: - ]
RELS: < [ pron rel<0:2> LBL: h4 ARG0: x3 [ x PERS: 1 NUM: pl PRONTYPE: std pron ] ]
[ pronoun q rel<0:2> LBL: h5 ARG0: x3 RSTR: h6 BODY: h7 ]
    bake v cause rel"<3:7> LBL: h1 ARG0: e2 ARG1: x3 ARG2: x8 [ x PERS: 3 NUM: pl ] ]
  def explicit q rel<8:11> LBL: h9 ARG0: x8 RSTR: h10 BODY: h11 ]
[ poss rel<8:11> LBL: h12 ARG0: e13 [ e SF: prop TENSE: untensed MOOD: indicative PROG: - PERF: - ] ARG1: x8 ARG2: x14 [ x PERS: 1 NUM: pl PRO
NTYPE: std pron ] ]
 [ pronoun_q_rel<8:11> LBL: h15 ARG0: x14 RSTR: h16 BODY: h17 ]
  pron rel<8:11> LBL: h18 ARG0: x14 ]
    cake n 1 rel"<12:17> LBL: h12 ARG0: x8 ]
  with p rel<18:22> LBL: h1 ARG0: e19 [ e SF: prop TENSE: untensed MOOD: indicative ] ARG1: e2 ARG2: x20 [ x PERS: 3 NUM: sq ] ]
  udef q rel<23:28> LBL: h21 ARG0: x20 RSTR: h22 BODY: h23 ]
  " love n of-for rel"<23:28> LBL: h24 ARG0: x20 ARG1: i25 ] >
 CONS: < h0 geg h1 h6 geg h4 h10 geg h12 h16 geg h18 h22 geg h24 > ]
HOTE: 2 readings, added 1587 / 408 edges to chart (141 fully instantiated, 144 actives used, 115 passives used) RAM: 3172k
```

### An example from the ERG

```
LTOP: h0
INDEX: e2 [ e SF: prop TENSE: pres MOOD: indicativ
RELS: < [ pron_rel<0:2> LBL: h4 ARG0: x3 [ x PERS
 pronoun q rel<0:2> LBL: h5 ARG0: x3 RSTR: h6 B0
 [ " bake v cause rel"<3:7> LBL: h1 ARG0: e2 ARG1
 [ def explicit q rel<8:11> LBL: h9 ARG0: x8 RSTR
[ poss_rel<8:11> LBL: h12 ARG0: e13 [ e SF: prop
NTYPE: std pron ] ]
 [ pronoun_q_rel<8:11> LBL: h15 ARG0: x14 RSTR: h3
  pron_rel<8:11> LBL: h18 ARG0: x14 ]
 [ " cake n 1 rel"<12:17> LBL: h12 ARG0: x8 ]
  with p rel<18:22> LBL: h1 ARGO: e19 [ e SF: pr
[ udef q rel<23:28> LBL: h21 ARG0: x20 RSTR: h22
 [ "_love_n_of-for_rel"<23:28> LBL: h24 ARG0: x20
HCONS: < h0 geg h1 h6 geg h4 h10 geg h12 h16 geg
NOTE: 2 readings, added 1587 / 408 edges to chart
```

#### But 1000s?

Real sentences are often long and complex.

The major difference between a thing that might go wrong and a thing that cannot possibly go wrong is that when a thing that cannot possibly go wrong goes wrong it usually turns out to be impossible to get at and repair.

Douglas Adams



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#### The ERG output

```
NOTE: hit RAM limit while unpacking
```

NOTE: 3521 readings, added 88892 / 79464 edges to chart

### The ideal parser

- The ideal parser is:
  - correct: it only returns valid analyses of a sentence, given the grammar provided;
  - complete: it returns all possible analyses for a sentence;
  - efficient: it is fast.



#### From rules to sentences

# The rules of parsing

- Parsing needs rules (i.e. a grammar):
  - $\bullet$  S  $\longrightarrow$  NP VP
  - $\bullet \ \, \mathsf{NP} \longrightarrow \mathsf{Det} \, \mathsf{N}$
  - ...
- Given a sentence and a grammar, a parser returns all possible analyses of the sentence that use the rules in the grammar.

# Context-free grammars (CFG)

- A context-free grammar has the form  $G = (N, \Sigma, R, S)$  where:
  - N is a set of non-terminal symbols
  - Σ is a set of terminal symbols
  - R is a set of rules of the form  $X \to Y_1 Y_2 ... Y_n$  where
    - n < 0</p>
    - X ∈ N
    - $Y_i \in (N \cup \Sigma)$
  - $S \in N$  is a root symbol.

# An example CFG

```
    N = {N, V, Det, NP, VP, S}
    Σ = {the, cow, eats}
    R = {
        Det → the
        N → cow
        V → eats
        NP → Det N
        VP → V
        S → NP VP
        \(
        \)
```

# Shift-reduce bottom-up parsing

- bottom-up: start with the words in the sentence and build up a tree that terminates with the symbol *S*.
- shift-reduce: one possible (simple) algorithm for parsing. The algorithm processes the sentence one word at a time, left to right (leftmost derivation) or right to left (rightmost derivation). Two operations are possible:
  - shift: push a word on top of the stack;
  - reduce: replace a set of symbols at the top of the stack with the result of a production rule.

Queue: The cow eats.

Stack:

#### **Grammar:**

 $Det \rightarrow the$ 

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $\mathsf{NP} \to \mathsf{Det}\;\mathsf{N}$ 

 $VP \to V\,$ 

Queue: cow eats.

• Stack: The

shift

#### **Grammar:**

 $Det \rightarrow the$ 

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $\mathsf{NP} \to \mathsf{Det}\;\mathsf{N}$ 

 $VP \to V\,$ 

Queue: cow eats.

• Stack: Det

reduce

#### **Grammar:**

 $Det \rightarrow the$ 

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $\mathsf{NP} \to \mathsf{Det}\;\mathsf{N}$ 

 $VP \to V\,$ 

Queue: eats.

Stack: Det cow

#### **Grammar:**

shift Det  $\rightarrow$  the

 $N \to \text{cow}$ 

 $V \rightarrow eats$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

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Queue: eats.

Stack: Det N

#### **Grammar:**

 $\text{Det} \to \text{the}$ 

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

reduce

Queue: eats.

Stack: NP

reduce

#### **Grammar:**

 $Det \rightarrow the$ 

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

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• Queue:

Stack: NP eats

#### Grammar:

**shift** Det  $\rightarrow$  the

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

Queue:

• Stack: NP V

reduce

**Grammar:** 

 $Det \rightarrow the$ 

 $N \rightarrow cow$ 

 $V \rightarrow eats$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

• Queue:

• Stack: NP VP

#### **Grammar:**

reduce  $Det \rightarrow the$ 

 $N \rightarrow cow$ 

 $V \rightarrow eats$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

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Queue:

• Stack: S

reduce

#### **Grammar:**

 $Det \rightarrow the$ 

 $N \rightarrow cow$ 

 $V \to eats \\$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

Queue: The cow eats grass on the field.

Stack:

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass  $N \rightarrow field$ 

 $n \rightarrow NP$ 

V -> eats  $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

 $VP \rightarrow VNP$ 

VP -> VP PP

S -> NP VP

Queue: cow eats grass on the field.

• Stack: The shift

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n –> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N PP -> P NP

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

S -> NP VP

3 -> NF VF

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Queue: cow eats grass on the field.

• Stack: Det reduce

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

NID

n –> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

S -> NP VP

Queue: eats grass on the field.

• Stack: Det cow shift

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 -> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N PP -> P NP

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

/P -> VP PP

S -> NP VP

Queue: eats grass on the field.

Stack: Det N reduce

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass  $N \rightarrow field$ 

 $n \rightarrow NP$ 

V -> eats  $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

 $VP \rightarrow VNP$ 

VP -> VP PP

Queue: eats grass on the field.

• Stack: NP reduce

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 –> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

/r -> vr rr

Queue: grass on the field.

Stack: NP eats shift

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 –> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

S -> NP VP

2016

3 -> INF VF

Queue: grass on the field.

• Stack: NP V reduce

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 -> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

Queue: on the field.

Stack: NP V grass

#### shift

#### Grammar:

Det -> the

N -> cow

N -> grass N -> field

n -> NP

1 -> INF

V -> eats P -> on

′ –> on

NP -> Det N

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

Queue: on the field.

Stack: NP V N

reduce

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 -> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

S -> NP VP

3 -> IVI VI

Queue: on the field.

• Stack: NP V NP

reduce

#### Grammar:

Det -> the

N -> cow

N -> grass N -> field

n -> NP

1 -> INF

 $V \rightarrow eats$ P  $\rightarrow on$ 

′ –> on

NP -> Det N

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

S -> NP VP

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Queue: on the field.

Stack: NP VP

!!reduce!!

#### Grammar:

Det -> the

N -> cow

N -> grass N -> field

n -> NP

1 -> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

S -> NP VP

3 -> INF VF

Queue: the field.

Stack: NP VP on

shift

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass  $N \rightarrow field$ 

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

 $VP \rightarrow VNP$ 

VP -> VP PP

S -> NP VP

2016

Queue: the field.

Stack: NP VP P

reduce

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass  $N \rightarrow field$ 

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

Queue: field.

Stack: NP VP P the

shift

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#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass  $N \rightarrow field$ 

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N  $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

 $VP \rightarrow VNP$ 

VP -> VP PP

Queue: field.

• Stack: NP VP P Det

#### reduce

#### Grammar:

Det -> the

N -> cow

N -> grass N -> field

n -> NP

1 -> INF

V -> eats

 $P \rightarrow on$ 

NP -> Det N

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

• Queue:

Stack: NP VP P Det field

shift

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

Queue:

Stack: NP VP P Det N

reduce

#### Grammar:

Det -> the

N -> cow

N -> grass N -> field

n -> NP

1 -> NP

V -> eats

 $P \rightarrow on$ 

NP -> Det N PP -> P NP

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

/r -> vr rr

Queue:

Stack: NP VP P NP

reduce

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 -> INF

V -> eats

 $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow P NP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

Queue:

Stack: NP VP PP

reduce

#### Grammar:

Det -> the

N -> cow

N -> grass N -> field

n -> NP

1 -> NP

V -> eats

P -> on

NP -> Det N

PP -> P NP

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

/I -> VI II

• Queue:

Stack: NP VP

reduce

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

Queue:Stack: S

reduce

Resulting parse:

((the(cow))((eats(grass))((on(the(field)))))

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass N -> field

n -> NP

1 -> NP

V -> eats P -> on

′ –> on

NP -> Det N PP -> P NP

PP -> P NP

N -> N PP

VP -> V NP

VP -> VP PP

Queue: on the field.

Stack: NP V NP

#### reduce

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#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass

N -> field

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N NP -> NP PP

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

S-> NPVP

Queue: on the field.

Stack: NP V NP on

#### shift

### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass

N -> field

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N

NP -> NP PP

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

Queue: the field.

Stack: NP V NP P

#### reduce

#### Grammar:

Det -> the

 $N \rightarrow cow$ 

N -> grass

N -> field

n –> NP

V -> eats

 $P \rightarrow on$ 

יוט <\_

NP -> Det N

NP -> NP PP PP -> P NP

N -> N PP

N -> N PP

VP -> V NP

VP -> VP PP

S-> NPVP

Queue: field.

Stack: NP V NP P the

#### shift

#### **Grammar:**

Det -> the

 $N \rightarrow cow$ 

N -> grass

N -> field

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N NP -> NP PP

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

Queue: field.

Stack: NP V NP P Det

#### reduce

### Grammar:

Det -> the

N -> cow

N -> grass

N -> field

n –> NP

V -> eats

P -> on

NP -> On

NP -> NP PP

PP -> P NP

N -> N PP

N -> N PP

VP -> V NP

VP -> VP PP

S-> NPVP

- Queue:
- Stack: NP V NP P Det field

- shift Det -> the
  - $N \rightarrow cow$
  - N -> grass
  - N -> field
  - $n \rightarrow NP$
  - V -> eats
  - $P \rightarrow on$
  - NP -> Det N
  - NP -> NP PP
  - $PP \rightarrow PNP$
  - $N \rightarrow N PP$
  - VP -> V NP
  - VP -> VP PP
  - $S \rightarrow NP_VP_0$

- Queue:
- Stack: NP V NP P Det N

# reduce

Det -> the

**Grammar:** 

 $N \rightarrow cow$ 

N -> grass

N -> field

 $n \rightarrow NP$ 

V -> eats

 $P \rightarrow on$ 

NP -> Det N

NP -> NP PP

 $PP \rightarrow PNP$ 

 $N \rightarrow N PP$ 

VP -> V NP

VP -> VP PP

- Queue:
- Stack: NP V NP P NP

#### reduce

- Det -> the
- $N \rightarrow cow$
- N -> grass
- N -> field
- $n \rightarrow NP$
- V -> eats
- $P \rightarrow on$
- NP -> Det N
- NP -> NP PP  $PP \rightarrow PNP$
- $N \rightarrow N PP$
- VP -> V NP
- VP -> VP PP
- $S \rightarrow NP_VP_0$

- Queue:
- Stack: NP V NP PP

#### reduce

- Det -> the
- $N \rightarrow cow$
- N -> grass
- N -> field
- $n \rightarrow NP$
- V -> eats
- $P \rightarrow on$
- NP -> Det N
- NP -> NP PP
- $PP \rightarrow PNP$
- $N \rightarrow N PP$
- VP -> V NP
- VP -> VP PP
- $S \rightarrow NP_VP_0$

- Queue:
- Stack: NP V NP

#### reduce

- Det -> the
- $N \rightarrow cow$
- N -> grass
- N -> field
- n –> NP
- V -> eats
- P -> on
  - -> on
- NP -> Det N NP -> NP PP
- PP -> P NP
  - J NIDD
- N -> N PP
- VP -> V NP
- VP -> VP PP
- $S \rightarrow NP_VP_0$

Queue:

Stack: NP VP

reduce

#### Grammar:

Det -> the

N -> cow

N -> grass

N -> field

n –> NP

V -> eats

 $P \rightarrow on$ 

\_> 011

NP -> Det N NP -> NP PP

PP -> P NP

N -> N PP

N -> N PP

VP -> V NP

VP -> VP PP

 $S \rightarrow NP_VP_0$ 

Queue: Stack: S

reduce

Resulting parse:

((the(cow))((eats((grass)(on(the(field)))))))

- Det -> the
- $N \rightarrow cow$
- N -> grass
- N -> field
- $n \rightarrow NP$
- V -> eats
- $P \rightarrow on$
- NP -> Det N NP -> NP PP
- $PP \rightarrow PNP$
- $N \rightarrow N PP$
- VP -> V NP
- VP -> VP PP
- $S \rightarrow NP_VP_0$

## Reducing in ambiguous sentences

- When we reduce affects which reading we select in structurally ambiguous sentences:
  - She saw the woman with the telescope.
  - (She (saw (the woman) with (the telescope)))
    reduce to np after woman
  - (She (saw (the (woman with (the telescope))))) reduce to np after telescope

## Recursive descent top-down parsing

- top-down: start with the symbol *S* and build up a tree that branches out into the words in the sentence.
- In other words, we first assume that the sentence is well-formed and try to prove it using the rules at our disposal.
- We use the rules left-to-right (as opposed to right-to-left in bottom-up parsing):

 $np \rightarrow np \ pp$  top-down: let's expand np into np pp and see whether we get to the sentence...

 $np \rightarrow np \ pp$  bottom-up: we have an np and a pp, let's reduce them to an np and

see whether we get an s...

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- Analysis: s
- $\bullet \ \, \text{Try: s} \rightarrow \text{np vp}$

#### **Grammar:**

 $\text{Det} \to \text{the}$ 

 $N \to \text{cow}$ 

 $V \rightarrow eats$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

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• Analysis:  $s(np \ vp)$ 

 $\bullet \ \, \text{Try: np} \rightarrow \text{det n}$ 

#### **Grammar:**

Det  $\rightarrow$  the

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $NP \to Det \ N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

• Analysis: s(np(det n) vp)

ullet Try: det o the

#### **Grammar:**

Det  $\rightarrow$  the

 $N \to \text{cow}$ 

 $V \to eats \\$ 

 $NP \to Det \ N$ 

 $VP \to V$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

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• Analysis: s(np(det(the) n) vp)

 $\bullet \ \, \text{Try: } n \to \text{cow}$ 

### **Grammar:**

Det  $\rightarrow$  the

 $N \to \text{cow}$ 

 $V \rightarrow eats$ 

 $NP \rightarrow Det N$ 

 $VP \to V\,$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

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#### Recursive descent: an example

• Analysis: s(np(det(the) n(cow)) vp)

Try: vp → eats

#### Grammar:

 $Det \rightarrow the$ 

 $N \to cow$ 

 $V \rightarrow eats$ 

 $NP \rightarrow Det N$ 

 $VP \to V$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

## Recursive descent: an example

- Analysis: s(np(det(the) n(cow)) vp(eats))
- STOP

#### **Grammar:**

 $Det \rightarrow the$ 

 $N \rightarrow cow$ 

 $V \rightarrow eats$ 

 $NP \rightarrow Det N$ 

 $VP \to V$ 

 $\mathsf{S} \to \mathsf{NP} \; \mathsf{VP}$ 

# Dealing with alternatives

- We can backtrack: at each step, the algorithm takes notes of the different alternatives available and tries them in turn. Upon failure, it picks the next alternative. Depth-first algorithm.
- We can try and analyse all alternatives in parallel. At each step, all
  possible alternatives are written. Upon failure, disregard the
  alternative. Breadth-first algorithm.

#### Bottom-up vs top-down

#### Bottom-up:

- Always generate trees that are consistent with the words in the sentence.
- Trees that will never lead to the root symbol are explored.

#### Top-down:

- Wastes time exploring alternatives that are inconsistent with the input.
- Never wastes time exploring a tree that cannot result in a root symbol.

#### Better parsing

- A complete parse of a sentence will output all possible correct alternatives (those that result in the S symbol and an empty queue).
- But outputting every option can be time-consuming and inefficient...
- Plus, we would like to know which parse is more likely.
- The answer: 1) keep track of all options in one chart; 2) use probabilities.

# The CKY algorithm



# Why CKY?

- The Cocke-Kasami-Younger (CKY) algorithm: A fast parser designed to overcome the inefficiencies of naive parsing.
- The algorithm relies on:
  - Storing intermediate solutions and only pursuing the 'promising' ones (those that will contribute to a full parse).
  - The CKY works with a particular grammar: the Chomsky Normal Form (CNF).

# **CNF** grammars

- A context-free grammar is said to be in Chomsky normal form if all of its production rules are of the following form:
  - $A \rightarrow BC$ , or
  - A → a, or
  - $S \rightarrow \epsilon$
- where A, B and C are non-terminal symbols, a is a terminal symbol (a constant), S is the start symbol, and  $\epsilon$  is the empty string.
- Note: production rules are restricted to produce 2 non-terminals or 1 terminal. Empty productions are not allowed.

## The Well-Formed Substring Table (WFST)

 A well-formed substring table is a data structure that contains partial constituency structures.

1 2	1 DT	2 JJ NN	3 NN
3	NP		
	the	angry	dragon

NP -> DT NN NN -> JJ NN DT -> the JJ -> angry NN -> dragon

## The CKY algorithm

- Given an input sentence with n tokens, create a matrix M with dimensionality n\*n. Each cell in the matrix corresponds to a sentence span starting at a particular position. E.g. M[2][2] corresponds to a span of 2 starting at word 2 in the sentence.
- Fill in row 1 of the matrix bottom-up, using rules going to terminals.
- Fill in each subsequent row top-down, using the already filled rows as constraints.

#### Example

```
NP VP
VP
        \rightarrow VP PP
VP
        \rightarrow V NP
VP
       \rightarrow eats
PP
       \rightarrow P NP
NP
            Det N
NP
       \rightarrow
              she
V

ightarrow eats
Р
        \rightarrow with
NP
       \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

She eats cake with a fork.

```
NP VP
VP
      \rightarrow VP PP
VP
       \rightarrow V NP
VP
       \rightarrow eats
PP
     \rightarrow P NP
NP
       \rightarrow Det N
NP
       \rightarrow she
V
        \rightarrow eats
        \rightarrow with
NP

ightarrow cake
       \rightarrow fork
```

Det  $\rightarrow$  a

	1	2	3	4	5	6
1						
2						
3						
4						
2 3 4 5 6						
6						

0she1eats2cake3with4a5fork6

n=6. (For clarity, matrix indices start at 1.)

```
S \rightarrow NP VP

VP \rightarrow VP PP

VP \rightarrow V NP
```

$$VP \rightarrow eats$$
  
 $PP \rightarrow P NP$ 

$$NP \rightarrow Det N$$

$$NP \rightarrow she$$

$$P \rightarrow with$$

$$NP \rightarrow cake$$

$$N \rightarrow fork$$

Det 
$$\rightarrow$$
 a

	1	2	3	1	5	6
	.' <u>-</u>			4		
1	NP	V,VP	NP	P	Det	N
2						
3						
4						
5						
6						
	she	eats	cake	with	а	fork

For *i* so that 
$$1 \le i \le 6$$
,  $M[1][i] = \{A|A \to a_i \text{ in } P\}$ .

```
S \rightarrow NP VP

VP \rightarrow VP PP

VP \rightarrow V NP
```

$$VP \rightarrow eats$$

$$PP \rightarrow P NP$$

$$NP \rightarrow Det N$$

$$\textit{NP} \rightarrow \textit{she}$$

$$V \rightarrow eats$$

$$P \rightarrow with$$

$$NP \rightarrow cake$$

$$N \rightarrow fork$$

Det 
$$\rightarrow$$

		1	2	3	4	5	6
1	(I = 1)	NP	V,VP	NP	Р	Det	N
2	(1 = 2)						
3	(1 = 3)						
4	(1 = 4)						
5	(1 = 5)						
6	(1 = 6)						
		she	eats	cake	with	а	fork

Note: each row corresponds to a particular span length.

```
NP VP
VP
       \rightarrow VP PP
VP
        \rightarrow V NP
VP
              eats
PP
       \rightarrow P NP
NP
        \rightarrow Det N
NP
       \rightarrow she
        \rightarrow eats
        \rightarrow with
NP \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP <b>VP</b>	NP	Р	Det	N
2	S	VP			NP	
3						
4 5						
5						
6						
	she	eats	cake	with	а	fork

Consider spans of length 2:

Each span S can be partitioned into spans

 $S_1$  of length 1 and  $S_2$  of length 2-1=1

For i so that  $1 \le i \le 6$ ,

 $M[2][i]\{A|A \rightarrow BC \text{ in } P,$  with  $B \text{ in } t_{1,i} \text{ and } C \text{ in } t_{1,i}\}$ 

```
\rightarrow NP VP
VP \rightarrow VP PP
VP
        \rightarrow V NP
VP
        \rightarrow eats
PP \rightarrow P NP
NP
       \rightarrow Det N
NP \rightarrow she
       \rightarrow eats
   \rightarrow with
NP \rightarrow cake
       \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S	VP			NP	
2						
4 5 6						
6						
	she	eats	cake	with	а	fork

Consider spans of length 2:

Each span S can be partitioned into spans

 $S_1$  of length 1 and  $S_2$  of length 2-1=1

For i so that  $1 \le i \le 6$ ,

 $M[2][i]\{A|A \rightarrow BC \text{ in } P,$  with  $B \text{ in } t_{1,i} \text{ and } C \text{ in } t_{1,i}\}$ 

```
NP VP
VP
       \rightarrow VP PP
VP
        \rightarrow V NP
VP
              eats
PP
       \rightarrow P NP
NP
        \rightarrow Det N
NP
       \rightarrow she
        \rightarrow eats
        \rightarrow with
NP \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP <b>VP</b>	NP	Р	Det	N
2	S	VP			NP	
3						
4 5						
5						
6						
	she	eats	cake	with	а	fork

Consider spans of length 2:

Each span S can be partitioned into spans

 $S_1$  of length 1 and  $S_2$  of length 2-1=1

For i so that  $1 \le i \le 6$ ,

 $M[2][i]\{A|A \rightarrow BC \text{ in } P,$  with  $B \text{ in } t_{1,i} \text{ and } C \text{ in } t_{1,i}\}$ 

```
NP VP
VP
       \rightarrow VP PP
VP
        \rightarrow V NP
VP
              eats
PP
       \rightarrow P NP
NP
        \rightarrow Det N
NP
       \rightarrow she
        \rightarrow eats
        \rightarrow with
NP \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S	VP			NP	
3	S			PP		
4 5						
5						
6						
	she	eats	cake	with	а	fork

Consider spans of length 3: Possible partitions: 1,2; 2,1. For i so that  $1 \le i \le 6$ ,  $M[3][i]\{A|A \to BC \text{ in } P$ , with B in  $t_{k,i}$  and C in  $t_{3-k,i+k}$ for  $1 \le k < 3$ }

```
NP VP
VP
       \rightarrow VP PP
VP
        \rightarrow V NP
VP
              eats
PP
       \rightarrow P NP
NP
        \rightarrow Det N
NP
       \rightarrow she
        \rightarrow eats
        \rightarrow with
NP \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S	VP			NP	
2	S			PP		
4						
4 5						
6						
	she	eats	cake	with	а	fork

Consider spans of length 3: Possible partitions: 1,2; 2,1. For i so that  $1 \le i \le 6$ ,  $M[3][i]\{A|A \to BC \text{ in } P$ , with B in  $t_{k,i}$  and C in  $t_{3-k,i+k}$ for  $1 \le k < 3$ }

```
NP VP
VP \rightarrow VP PP
VP
        \rightarrow V NP
VP
        \rightarrow eats
PP
     \rightarrow P NP
NP
       \rightarrow Det N
NP \rightarrow she
        \rightarrow eats
       \rightarrow with
NP \rightarrow cake
       \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S S	VP			NP	
	S			PP		
4 5						
5						
6						
	she	eats	cake	with	а	fork

Consider spans of length 4: Possible partitions: 1,3; 3,1; 2,2. For i so that  $1 \le i \le 6$ ,  $M[4][i]\{A|A \to BC \text{ in } P$ , with B in  $t_{k,i}$  and C in  $t_{4-k,i+k}$ for  $1 \le k < 4$ }

```
\rightarrow NP VP
VP \rightarrow VP PP
VP
        \rightarrow V NP
VP
        \rightarrow eats
PP \rightarrow P NP
NP
       \rightarrow Det N
NP \rightarrow she
        \rightarrow eats
        \rightarrow with
NP \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S	VP			NP	
3	S			PP		
4						
4 5		VP				
6						
	she	eats	cake	with	а	fork

Consider spans of length 5: Possible partitions: 1,4; 4,1; 3,2; 2,3. For i so that  $1 \le i \le 6$ ,  $M[5][i]\{A|A \to BC \text{ in } P$ , with B in  $t_{k,i}$  and C in  $t_{5-k,i+k}$ for  $1 \le k < 5$ }

```
\rightarrow NP VP
VP \rightarrow VP PP
VP
        \rightarrow V NP
VP
        \rightarrow eats
PP
     \rightarrow P NP
NP
        \rightarrow Det N
NP \rightarrow she
        \rightarrow eats
        \rightarrow with
NP \rightarrow cake
        \rightarrow fork
Det \rightarrow a
```

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S	VP			NP	
3	S			PP		
4 5						
5		VP				
6	S					
	she	eats	cake	with	а	fork

Consider spans of length 6: Possible partitions: 1,5; 5,1; 2,4; 4,2; 3,3. For i so that  $1 \le i \le 6$ ,  $M[6][i]\{A|A \to BC \text{ in } P$ , with B in  $t_{k,i}$  and C in  $t_{6-k,i+k}$ for  $1 \le k \le 6$ }

```
S \rightarrow NP VP

VP \rightarrow VP PP

VP \rightarrow V NP
```

$$VP \rightarrow eats$$
  
 $PP \rightarrow P NP$ 

$$NP \rightarrow Det N$$

$$NP \rightarrow she$$

$$V \rightarrow eats$$

$$P \rightarrow with$$

$$N \rightarrow fork$$

Det 
$$\rightarrow$$

	1	2	3	4	5	6
1	NP	V,VP	NP	Р	Det	N
2	S	VP			NP	
3	S			PP		
4						
5		VP				
6	S					
	she	eats	cake	with	а	fork

Note: the sentence has a parse if a root symbol (S) is found in row n.

## The algorithm

#### (20) Algorithme de Cocke-Younger-Kasami :

- 1. Poser  $t_{i,1} = \{A \mid A \longrightarrow a_i \text{ est dans P}\}$  pour chaque  $i, 1 \leq i \leq n$ .
- 2. Poser  $t_{i,j} = \{A \mid \text{pour k}, 1 \leq k < j, A \longrightarrow BC \text{ dans P}, B \text{ est dans } t_{i,k}, \text{ et C est dans } t_{i+k,j-k}\}.$
- 3. Répéter (2) jusqu'à ce que la table soit pleine.

Eric Wehrli. 2005. L'analyse syntaxique des langues naturelles : problèmes et méthodes

#### CKY: a mixed algorithm

- CKY uses a mixture of the bottom-up and top-down algorithms.
- For each row in the matrix, the cells are filled in respecting the constraints of lower-numbered rows (or the terminals, in the case of row 1).
- For each cell, we propose a rule from the grammar (top-down) and validate it against what we know already.
- All alternatives in one chart.

#### Alternatives in the CKY chart

```
S
             NP VP
VP
       \rightarrow VP PP
VP
       \rightarrow V NP
VP
       \rightarrow
            eats
PP
           P NP
NP
       \rightarrow Det N
NP
           she
            eats
             with
       \rightarrow
NP
            cake
Ν
            fork
       \rightarrow
Det
       \rightarrow
            а
            NP PP
```

	1	2	3	4	5	6
1	NP	,VP	NP	Р	Det	N
2	S	VP			NP	
3	S			PP		
4			NP			
5		VP				
6	S					
	she	eats	cake	with	а	fork

(she(eats (cake))(with(a (fork))))

NP

#### Alternatives in the CKY chart

```
S
          NP VP
VP
          VP PP
VP
          V NP
VP
          eats
PP
         P NP
NP
         Det N
NP
          she
          eats
          with
NP
          cake
Ν
          fork
     \rightarrow
Det
          а
     \rightarrow
```

	1	2	3	4	5	6
1	NP	<b>V</b> ,VP	NP	Р	Det	N
2	S	VP			NP	
3	S			PP		
4			NP			
5		VP				
6	S					
	she	eats	cake	with	а	fork

(she (eats)(cake(with(a(fork)))))

NP PP

NP

#### Recognition vs parsing

- Recognition: is this a sentence or not?
   Fill in the chart and check we have an S in row n.
- Parsing: what is the analysis of the sentence we found?
   Keep track of the links used in the algorithm, and return them at the end.

Probabilistic Context-Free Grammars (PCFGs)

## Where do grammars come from?

- Manually written: time-consuming, potentially low-coverage, but high precision.
- Learnt from a treebank: some text was annotated by humans and the parser is trained on this annotation.
- Automatically induced: unsupervised parsing from raw (or POS-tagged) text. Cheap, and potentially close to what humans do. But so far, precision has remained low.

#### Treebanking

- The main treebank used by the parsing community is the Penn Treebank (PTB), created in the early 90s.
- Around 1M words of news text, annotated with phrase-structure trees.
- The PTB took 3 years to create, with a few annotators. See Clark (2010) for more historical details.

#### Problems with the PTB

- Focus on news text. Specific syntax, vocabulary, speakers, etc.
- Relatively small test set (2400 sentences), which has been used over and over again. Possibility of overfitting the models.

## Putting probabilities on rules

- With the availability of a treebank, we can put probabilities on grammar rules:
  - s -> np vp 0.9
  - s-> vp 0.1
  - ...
- Such probabilities will help us decide which parses are more likely

   or in case we want to prioritise efficiency which alternatives to
   discard at each decision point.

## Probability of a tree

• Given the probabilities assigned to rules  $r_{1...n}$ , a probability can be assigned to a particular tree:

$$P(T) = \prod_{n \in T} P(r_n) \tag{1}$$

• The best parse is then given by:

$$T(S) = \underset{T \in \tau(S)}{\operatorname{argmax}} P(T) \tag{2}$$

#### Example

S	$\rightarrow$	NP VP	1.0
VP	$\rightarrow$	VP PP	0.7
VP	$\rightarrow$	V NP	0.5
VP	$\rightarrow$	eats	0.1
PP	$\rightarrow$	P NP	8.0
NP	$\rightarrow$	Det N	0.7
NP	$\rightarrow$	NP PP	0.2
NP	$\rightarrow$	she	0.1
NP	$\rightarrow$	cake	0.1

	1	2	3	4	5	6
1	NP	<b>V</b> ,VP	NP	P	Det	N
2	S	VP			NP	
3	S			PP		
4						
5		VP				
6	S					
	she	eats	cake	with	а	fork

P(T) = 0.1 \* 0.1 \* 0.1 \* 0.2 \* 0.2 \* 0.1 \* 0.5 \*

eats  $\rightarrow$  with 0.2

 $\rightarrow$  fork

0.1

0.1

Det

0.2

 $7.84.10^{-7}$ 

0.7 \* 0.8 \* 0.7 \* 1.0 =

(she(eats (cake))(with(a (fork))))

#### Example

S	$\rightarrow$	NP VP	1.0
VP	$\rightarrow$	VP PP	0.7
VP	$\rightarrow$	V NP	0.5
VP	$\rightarrow$	eats	0.1
PP	$\rightarrow$	P NP	8.0
NP	$\rightarrow$	Det N	0.7
NP	$\rightarrow$	NP PP	0.2
NP	$\rightarrow$	she	0.1
NP	$\rightarrow$	cake	0.1

	1	2	3	4	5	6
1	NP	<b>V</b> ,VP	NP	P	Det	N
2	S				NP	
3	S			PP		
4			NP			
5		VP				
6	S					
	she	eats	cake	with	а	fork

P(T) = 0.1 \* 0.1 \* 0.1 \* 0.2 \* 0.2 \* 0.1 \* 0.7 \*

(she (eats)(cake(with(a(fork)))))

$$V \rightarrow eats 0.1$$
  
 $P \rightarrow with 0.2$ 

$$ightarrow$$
 with 0.2

N 
$$ightarrow$$
 fork

$$2.24.10^{-}7$$

$$2.24.10^{-7}$$

0.8 \* 0.2 \* 0.5 \* 1.0 =

#### Parser evaluation



#### **Evaluation measures**

- The parser is evaluated against a 'gold standard', i.e. a manually (or mostly manually) annotated treebank.
- *C* = number of correct constituents in the system's parse.
- N = number of constituents in the system's parse.
- $N_G$  = number of constituents in the correct, gold standard parse.
- Precision: P = C/N
- Recall:  $P = C/N_G$



#### Precision and recall

- Precision and recall often work against each other: precise systems don't have large coverage; large-coverage systems let in more errors.
- To calculate a score taking both precision and recall into account, use F-score:

$$(1 + \beta^2) \cdot \frac{\text{precision} \cdot \text{recall}}{(\beta^2 \cdot \text{precision}) + \text{recall}}$$
 (3)

• For  $\beta=$  1, the F-score gives equal weight to precision and recall. For  $\beta>$  1, more weight is given to precision. For  $\beta<$  1, more weight is given to recall.



## How well do they work?

- On the PTB, parsers achieve scores well into the 90% precision.
- But danger that systems have overfitted on the PTB.
- Things are much harder on:
  - spoken language;
  - tweets;
  - generally: other domains, styles.



. . .

That's it!

