



## Multiple Imputation and subsequent calculations

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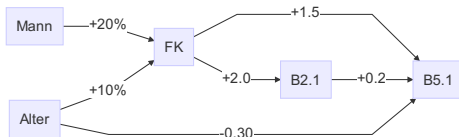
1. Exemplary Data Set
2. Missing Patterns
3. Slide with R Output
4. Figures caption

# Exemplary Data Set

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# Planing the interdependencies of variables

- Every variable is constructed by an *random term*
- Some variables are influenced by *values of other variables*
- e.g. “Mann” = 1 increases the probability for FK=1 by 20%



# Data Set Creation

```
#Create variables
set.seed(415)
Mann = ifelse(runif(5000,0,1) < 0.50, 1, 0)
Alter = as.numeric(cut(runif(5000,20,70),
                        c(20,30,40,50,60,70)))
FK = ifelse((Mann*0.2 + Alter*0.1 +
             runif(5000,0,0.6)) > 0.95, 1, 0)
B2.1 = as.numeric(cut(FK*2 +
                      rnorm(5000,2,0.35), c(0,1,2,3,4,6)))
set.seed(1015)
B5.1 = as.numeric(cut(FK*1.5 + B2.1*0.2 + Alter*(-0.30) +
                      rnorm(5000,2.5,0.30), c(-2,1,2,3,4,8)))

#Build data frame
df = data.frame(Mann, Alter, FK, B2.1, B5.1)
```

# View Data Set

```
head(df,10)
```

##	Mann	Alter	FK	B2.1	B5.1
## 1	0	4	0	2	2
## 2	0	4	0	1	2
## 3	1	5	0	3	2
## 4	1	5	1	4	3
## 5	0	4	0	2	2
## 6	1	3	1	4	4
## 7	0	3	0	3	3
## 8	0	1	0	3	3
## 9	0	4	0	2	2
## 10	0	2	0	2	3

# I. Check whether true effects can be estimated

**Table 1:**  $\text{lm}(\text{FK} \sim \text{Mann})$  | Mann: +0.2

	Estimate	Std. Error	t value	$\text{Pr}( >  t  )$
(Intercept)	0.0596	0.0070	8.5438	0
Mann	0.2001	0.0099	20.1491	0

**Table 2:**  $\text{lm}(\text{FK} \sim \text{Alter})$  | Alter: +0.1

	Estimate	Std. Error	t value	$\text{Pr}( >  t  )$
(Intercept)	-0.1406	0.0110	-12.7686	0
Alter	0.1002	0.0033	30.0803	0

**Table 3:**  $\text{lm}(\text{B2.1} \sim \text{FK})$  | FK: +2

	Estimate	Std. Error	t value	$\text{Pr}( >  t  )$
(Intercept)	2.4980	0.0079	318.0197	0
FK	2.0115	0.0197	101.8565	0

## II. Check whether true effects can be estimated (!)

**Table 4:**  $\text{lm}(\text{B5.1} \sim \text{FK}) \mid \text{FK: } +1.5$

	Estimate	Std. Error	t value	$\text{Pr}( >  t  )$
(Intercept)	2.6745	0.0088	302.2230	0
FK	1.4519	0.0222	65.2572	0

**Table 5:**  $\text{lm}(\text{B5.1} \sim \text{B2.1}) \mid \text{B2.1: } +0.2$

	Estimate	Std. Error	t value	$\text{Pr}( >  t  )$
(Intercept)	1.3494	0.0283	47.6337	0
B2.1	0.5521	0.0096	57.5786	0

**Table 6:**  $\text{lm}(\text{B5.1} \sim \text{Alter}) \mid \text{Alter: } -0.3$

	Estimate	Std. Error	t value	$\text{Pr}( >  t  )$
(Intercept)	3.2286	0.0251	128.6139	0
Alter	-0.1088	0.0076	-14.3234	0



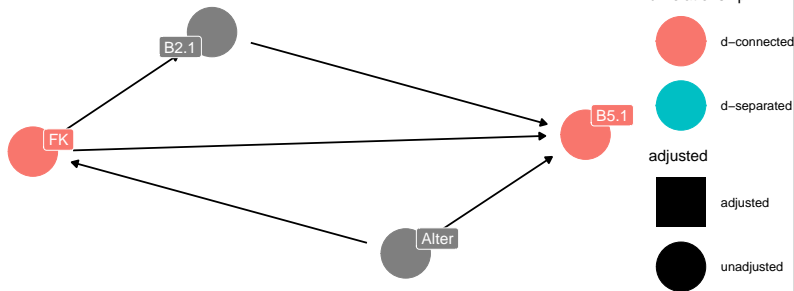
## Excursus: Modern Causal Analysis

- Satisfaction of the Conditional Independence Assumption (CIA)  
necessary to estimate true causal effects
- Meet the CIA using an appropriate set of control variables
- Choose control variables by a Directed Acyclic Graph (DAG)

# Excursus MCA: DAG (B5.1 <- FK)

Directed Acyclic Graph

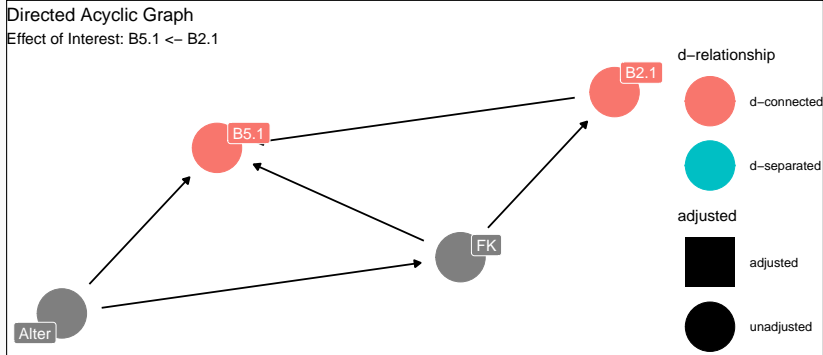
Effect of Interest: B5.1 <- FK



**Table 7:**  $\text{lm}(B5.1 \sim FK + B2.1 + \text{Alter}) \mid FK: +1.5$

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	2.9909	0.0311	96.2506	0
FK	1.5033	0.0283	53.1769	0

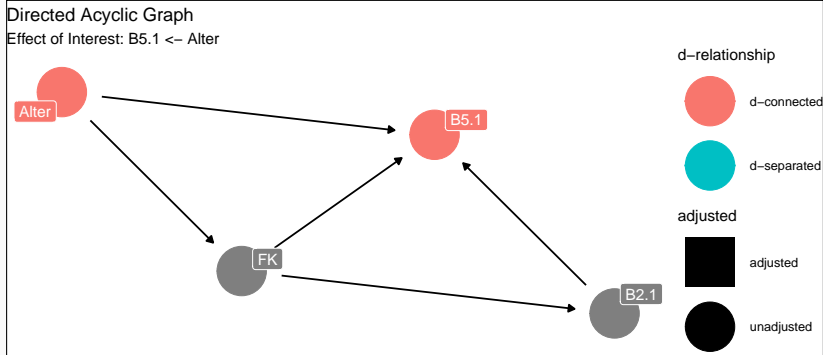
# Excursus MCA: DAG (B5.1 <- B2.1)



**Table 8:**  $\text{lm}(B5.1 \sim B2.1 + FK + \text{Alter}) \mid B2.1: +0.2$

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	2.9909	0.0311	96.2506	0
B2.1	0.2031	0.0112	18.0842	0

# Excursus MCA: DAG (B5.1 <- Alter)



**Table 9:**  $\text{lm}(\text{B5.1} \sim \text{Alter} + \text{FK} + \text{B2.1}) \mid \text{Alter: } -0.3$

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	2.9909	0.0311	96.2506	0
Alter	-0.3007	0.0044	-68.9450	0

# Missing Patterns

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# Missing Patterns: Missing completely at random (MCAR)

- Values are randomly missing in the dataset
  - Missing data values do not relate to any other data
  - There is no pattern to the actual values of the missing data themselves
- For instance, when smoking status is not recorded in a random subset of patients
- This is easy to handle, but unfortunately, data are almost never missing completely at random

# MCAR: Inserting Missing values in data frame

# Missing Patterns: Missing at random (MAR)

- Confusing and would be better stated as *missing conditionally at random*
- Missing data do have a relationship with other variables in the dataset
  - Whether a value is missing or not depends on other variables
- The actual values that are missing are random
- For example, smoking status is not documented in female patients because the doctor was too shy to ask



## Missing Patterns: Missing not at random (MNAR)

- The pattern of missingness is related to other variables in the dataset
- In addition, the values of the missing data are not random
  - Whether a value is missing or not depends on other variables
- For example, when smoking status is not recorded in patients admitted as an emergency, who are also more likely to have worse outcomes from surgery

- Official GitHub Repo of Metropolis (formerly mtheme); older version in TeXLive
- My GitHub Repo for a local Ubuntu package of Metropolis – formerly mtheme
- Manuel

# Slide with Bullets

- Bullet 1
- Bullet 2
- Bullet 3

# Slide with R Output

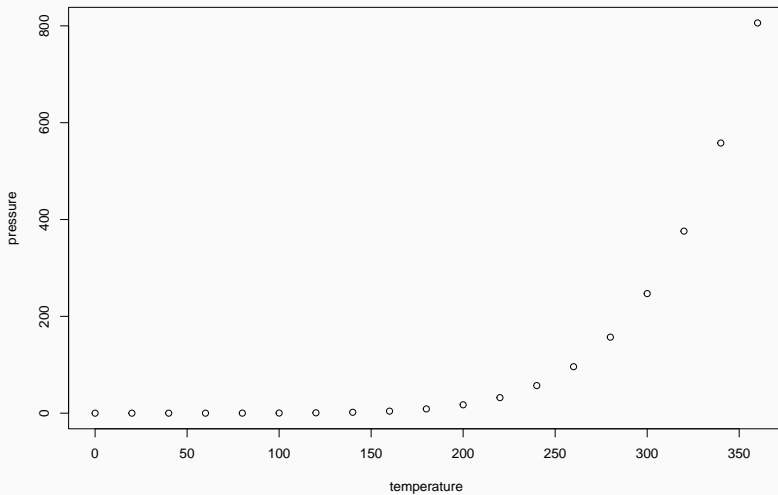
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# Slide with R Output

```
summary(cars)
```

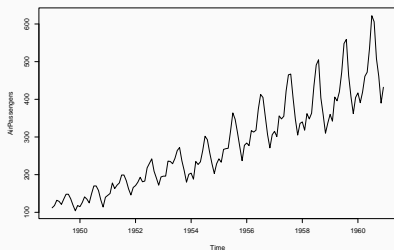
##	speed	dist
##	Min. : 4.0	Min. : 2.00
##	1st Qu.:12.0	1st Qu.: 26.00
##	Median :15.0	Median : 36.00
##	Mean :15.4	Mean : 42.98
##	3rd Qu.:19.0	3rd Qu.: 56.00
##	Max. :25.0	Max. :120.00

# Slide with Plot



# Two column layout

Here is some text above which goes over to whole slide



- Description of plot
- Second point

and here some text below which goes over to whole slide

Breakout page



## Figures caption

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# Figures caption



**Figure 1:** Figure: Here is a really important caption.

# Using LaTeX Parts: Blocks

As one example of falling back into  $\text{\LaTeX}$ , consider the example of three different block environments are pre-defined and may be styled with an optional background color.

## Default

Block content.

## Alert

Block content.

## Example

Block content.