max  $\begin{array}{lll}
\chi_{c}, dr, \psi_{c}, \psi_{r} \\
\chi_{c}, dr, \psi_{c}, \psi_{r}
\end{array}$   $\begin{array}{lll}
\chi_{c}, dr, \psi_{c}, \psi_{r} \\
\chi_{c}, dr, \psi_{c}
\end{array}$   $\begin{array}{lll}
\chi_{c}, dr, \psi_{c}
\end{array}$   $\begin{array}{lll}
\chi_{c}
\end{array}$   $\begin{array}{lll}
\chi_{c}$   $\chi_{c}$   $\chi_{c}$ 

There is only a single scaling at time t=0, represented by 2 vectors: Land dr, where p is the number (pri) of generators Keach set updating! R(t) = < A ( ( ( ( ) + G ( ) ) + Z A · B· yc.) Sum over all At dry go + EA B. y(t-S+1)

Sum over all generator input element centers

A · dry g1 + EA · B. y(t-S+1)

S=1 A La gp (0) + E A - B. 4rp (8-5+1) ye and yr are mxp. As the scaling is done beforehand (at t=0), we don't need to worry about nonlinearly.