

**GIT Department of Computer Engineering
CSE 222/505 - Spring 2022
Homework 3 Report**

**Muhammed Sinan Pehlivanoglu
1901042664**

VO TIME COMPLEXITY (USING ARRAY)

- CHECKING THE POSTION OF THE BUILDING TO BE LOCATED

```
protected boolean checkPosition(Building building){  
  
    if((_rightSideNum == 0 || _lefSideNum ==0) && building.getPosition()+building.getLength() > _length){  
  
        return false;  
    }  
  
    for(int i = 0 ; i < _buildingNumber; ++i){  
        if(building.getSide().equals(buildings[i].getSide())) {  
            if(((buildings[i].getPosition()+buildings[i].getLenght())> building.getPosition()  
            && building.getPosition()>= buildings[i].getPosition()) || building.getPosition()+building.getLength() > _length)  
            {  
                return false;  
            }  
        }  
    }  
    return true;  
}
```

Best case is $\Theta(1)$. If the first condition is false or second condtion is false while querying first check.

Worst case is $O(n)$. iterate as many as the number of buildings

- ENLARGING THE BUILDING ARRAY

```
private void enlargeBuilding(){  
    Building[] tempBuildings = new Building[_buildingCapacity*2];  
    System.arraycopy(buildings, srcPos: 0, tempBuildings,  
        destPos: 0, _buildingNumber);  
    buildings = tempBuildings;  
    _buildingCapacity *=2;  
}
```

The time complexity of Arraycopy function is $O(n)$. As many as the length of the array copied. So time complexity $O(n)$.

- ADDING THE BUILDING

```
public void addBuilding(Building building) {
    if(checkPosition(building)){
        if(_buildingNumber >= _buildingCapacity){
            enlargeBuilding();
        }
        buildings[_buildingNumber++] = building;
        building.setId(Building._nextId);
        ++Building._nextId;
        System.out.println(building.getClass().getSimpleName()+ " is added");
        if(building.getSide() == "r"){ ++_rightSideNum;}
        else if(building.getSide() == "l"){++_lefSideNum;}
    }
    else System.out.println("There is no enough space to locate the " + building.getClass().getSimpleName());
}
```

Best case is $\Theta(1)$.if the array is not full.

Worst case is $O(n)$ due to enlargeBuilding function.

- FINDING THE BUILDING WITH ID

```
protected Building findBuilding(int Id){
    for (int i = 0; i< getBuildingNumber(); ++i){
        if(buildings[i].getId() == Id){
            return buildings[i];
        }
    }
    throw new NullPointerException("Building is not found");
}
```

Best case is $\Theta(1)$.

Worst case is $O(n)$ linear time.

- SHIFTING THE BUILDING ARRAY TO THE LEFT

```
private void shiftBuildingsArray(int index){
    for(int i = index ; i< _buildingNumber ; ++i){
        buildings[i] = buildings[i+1];
    }
}
```

Time complexity is $O(n)$ Linear time.

- TIDYING UP THE ARRAY

```
private void tidyUpTheArray(){
    if(_buildingNumber <= _buildingCapacity/4){
        Building[] temp = new Building[_buildingCapacity/2];
        System.arraycopy(buildings, srcPos: 0, temp,
            destPos: 0, _buildingNumber);
        buildings = temp;
        _buildingCapacity/=2;
    }
}
```

Best case is $\Theta(1)$ constant time. if the length of the array is not equalte quarter of its capacity.

Worse case is $\Theta(n)$ Linear time Due to Copying the array with number of building.

- DELETING THE BUILDING

```
public void deleteBuilding(int Id) {
    Building building = findBuilding(Id);
    for(int i =0 ; i< _buildingNumber; ++i){
        if(buildings[i].equals(building)){
            shiftBuildingsArray(i);
            --_buildingNumber;
            tidyUpTheArray();
            System.out.println("Building is deleted");
            break;
        }
    }
}
```

Complexity of the **findBuilding** method is **$O(n)$** .

Shifting the array takes $O(N)$. So total complexiyy is $O(N)+ O(N) = O(N)$.

- DISPLAYING THE BUILDING

```
public void displayBuildings() {
    for (int i = 0; i< _buildingNumber; ++i){
        System.out.println(buildings[i]);
    }
}
```

Time complexity is **$\Theta(N)$ linear time.**

- REMAINIG LENGTH OF THE STREET

```

public int remainigLenght() {
    int remainLenght = _lenght*2;

    for (int i = 0 ; i<_buildingNumber; ++i){
        remainLenght -= buildings[i].getLenght();
    }

    return remainLenght;
}

```

The complexity is $\Theta(n)$ linear time.

- NUMBER and RATIO OF THE PLAYGROUND

```

public void numberAndRatioOfPlayGround() {

    int totalLenghtPlayGround =0;
    int totalNumber =0;
    for (int i = 0 ; i<_buildingNumber; ++i){
        if(buildings[i] instanceof PlayGround){
            totalLenghtPlayGround += buildings[i].getLenght();
            ++totalNumber;
        }
    }

    System.out.printf("Total Number : %d -> Ratio Of Playground: %f \n",totalNumber,((float)totalLenghtPlayGround / (float) (_lenght*2)));
}

```

Best case is $\Theta(1)$ if the Building is not PlayGround.

Worst case is $\Theta(n)$ linear time.

- TOTAL LENGTH OCCUPIED BY BUILDINGS

```

public int totalLenghtOccupaided() {
    int occupiedLenght =0;

    for (int i = 0 ; i<_buildingNumber; ++i) {
        if (!(buildings[i] instanceof PlayGround)) {
            occupiedLenght += buildings[i].getLenght();
        }
    }

    return occupiedLenght;
}

```

Best case is $\Theta(1)$ if the Building is not PlayGround.

Worst case is $\Theta(n)$ linear time.

- SWAP TWO BUILDING

```
private void swap(int index1 , int index2){
    Building temp = buildings[index1];
    buildings[index1] = buildings[index2];
    buildings[index2] = temp;
}
```

Time complexity is $\Theta(1)$.

- SORTING THE BUILDING ACCORDING TO ITS POSITIONS

```
protected void sortBuildingPosition(){
    int minIndex = 0;
    for(int i = 0; i < _buildingNumber ; ++i){
        for(int j = i+1 ; j < _buildingNumber ; ++j) {
            if (buildings[minIndex].getPosition() >= buildings[j].getPosition()) {
                minIndex = j;
            }
        }
        swap(minIndex, i);
    }
}
```

Time complexity is $O(N^2)$.

- FILLING THE SILHOUTTE

```
protected void fillSilhouette(){
    int max = findMaxHeight();

    for(int i = 0 ; i < max; ++i){
        for(int j = 0 ; j < _length ; ++j ){
            silhouette[i][j] = '.';
        }
    }
    for(int i = 0 ; i < _buildingNumber; ++i){
        int startHeight = max - buildings[i].getHeight();
        int endHeight = max;
        int endPosition = buildings[i].getLength() + buildings[i].getPosition();
        int startPosition = buildings[i].getPosition();

        for(int j = startHeight ; j < endHeight ; ++j){
            for(int k = startPosition ; k < endPosition ; ++k ){
                silhouette[j][k] = '#';
            }
        }
    }
}
```

First nested loop's time Complexity is $\Theta(\text{max} * \text{length})$;

Second nested loop's time Complexity is $\Theta(n \cdot M \cdot K)$; $M = \text{endHeight}$, $K = \text{endPosition}$

So the Time complexity is $\Theta(n \cdot M \cdot K)$.

- CREATING THE SILHOUETTE

```
protected void createSilhouette(){
    int maxHeight = findMaxHeight();
    sortBuildingPosition();
    silhouette = new char[maxHeight][_length];
    fillSilhouette();
}
```

The complexity of the sortBuildingPosition is $\Theta(\text{max} \cdot \text{length})$.

The complexity of the fillSilhouette is $\Theta(N \cdot M \cdot K)$.

So the time complexity is $\Theta(N \cdot M \cdot K)$. It depends on number of building , height of building and position of building.

V1 TIME COMPLEXITY (USING ARRAYLIST)

- ADDING

```
public void addBuilding(Building building) {
    if(checkPosition(building)){
        _buildings.add(building);
        building.setId(Building._nextId);
        ++Building._nextId;
        ++_buildingNumber;
        System.out.println(building.getClass().getSimpleName()+ " is added");
        if(building.getSide() == "r"){ ++_rightSideNum;}
        else if(building.getSide() == "l"){ ++_lefSideNum;}
    }
    else System.out.println("There is no enough space to locate the " + building.getClass().getSimpleName());
}
```

Adding the element to array list takes $\Theta(1)$ time in arrayList. But checkPosition method's time complexity is $O(N)$. So time complexity $O(N)$.

- DELETING

```
@Override
public void deleteBuilding(int Id) {
    Building building = findBuilding(Id);
    _buildings.remove(building);
    --_buildingNumber;
}
```

Finding the building takes $O(N)$. To remove by index, ArrayList find that index using random access in $O(1)$ complexity, but after removing the element, shifting the rest of the elements causes overall **$O(N)$** time complexity.

- DISPLAYING

```
public void displayBuildings() {
    for (int i = 0; i < _buildingNumber; ++i){
        System.out.println(_buildings.get(i));
    }
}
```

The time complexity is $O(N)$. N is Number of the building.

- NUMBER AND RATIO OF PLAYGROUND

```
public void numberAndRatioOfPlayGround() {

    int totalLengthPlayGround = 0;
    int totalNumber = 0;
    for (int i = 0; i < _buildingNumber; ++i){
        if(_buildings.get(i) instanceof Playground){
            totalLengthPlayGround += _buildings.get(i).getLength();
            ++totalNumber;
        }
    }
    System.out.printf("Total Number : %d -> Ratio Of Playground: %f \n", totalNumber, ((float)totalLengthPlayGround / (float) (_length*2)));
}
```

Best case is $\Theta(1)$ if the Building is not Playground.

Worst case is $\Theta(n)$ linear time.

- TOTAL LENGTH OCCUPAIED BY BUILDINGS

```
public int totalLengthOccupied() {
    int occupiedLength = 0;

    for (int i = 0 ; i < _buildingNumber; ++i) {
        if (!(_buildings.get(i) instanceof PlayGround)) {
            occupiedLength += _buildings.get(i).getLength();
        }
    }

    return occupiedLength;
}
```

Best case is $\Theta(1)$ if the Building is not PlayGround.

Worst case is $\Theta(n)$ linear time.

- REMAINIG LENGTH OF THE STREET

```
public int remainigLength() {
    int remainLength = _length*2;

    for (int i = 0 ; i < _buildingNumber; ++i){
        remainLength -= _buildings.get(i).getLength();
    }

    return remainLength;
}
```

The complexity is $\Theta(n)$ linear time.

- CREATING SILHOUETTE

```
protected void createSilhoutte(){
    int maxHeight = findMaxHeight();
    sortBuildingPosition();
    silhouette = new char[maxHeight][_length];
    fillSilhoutte();
}
```

The complexity of the sortBuildingPosition is $O(n \cdot \log n)$ due to use Collection.Sort() method.

The complexity of the fillSilhoutte is $O(N \cdot M \cdot K)$. M = heighth of building, k = position of building.

So the time complexity is $O(N \cdot M \cdot K)$. It depends on number of building , heighth of bulding and position of building.

V2 TIME COMPLEXITY (USING LINKEDLIST)

- ADD BUILDING

```
public void addBuilding(Building building) {
    if(checkPosition(building)){
        _buildings.add(building);
        building.setId(Building._nextId);
        ++Building._nextId;
        ++_buildingNumber;
        System.out.println(building.getClass().getSimpleName()+ " is added");
        if(building.getSide() == "R"){ ++_rightSideNum;}
        else if(building.getSide() == "L"){++_lefSideNum;}
    }
    else System.out.println("There is no enough space to locate the " + building.getClass().getSimpleName());
}
```

Adding the element to the last of LinkedList takes $\Theta(n)$ time. checkPosition method's time complexity is also $O(N)$. So time complexity $O(N)$.

- SORTING

```
protected void sortBuildingPosition() { Collections.sort(_buildings); }
```

First the LinkedList is converted to array. It takes $O(N)$ time. Then the Collection.sort algorithm takes $O(N\log N)$ time due to Merge sort. So total complexity is $O(N\log n)$.

- DELETE

```
@Override
public void deleteBuilding(int Id) {
    Building building = findBuilding(Id);
    _buildings.remove(building);
    --_buildingNumber;
}
```

Remove method of Linked list takes $O(N)$ time. FindBuilding is also $O(N)$ time. So the complexity is $O(N)$.

- DISPLAYING

```
public void displayBuildings() {  
    for (int i = 0; i < _buildingNumber; ++i){  
        System.out.println(_buildings.get(i));  
    }  
}
```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.
So total Complexity is $O(N^2)$.

- NUMBER AND RATIO OF PLAYGROUND

```
public void numberAndRatioOfPlayGround() {  
  
    int totalLengthPlayGround = 0;  
    int totalNumber = 0;  
    for (int i = 0; i < _buildingNumber; ++i){  
        if(_buildings.get(i) instanceof PlayGround){  
            totalLengthPlayGround += _buildings.get(i).getLength();  
            ++totalNumber;  
        }  
    }  
    System.out.printf("Total Number : %d -> Ratio Of Playground: %f \n", totalNumber, ((float)totalLengthPlayGround / (float) (_length*2)));  
}
```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.
So total Complexity is $O(N^2)$.

- TOTAL LENGTH OCCUPAIED BY BUILDINGS

```
public int totalLengthOccupaided() {  
    int occupiedLength = 0;  
  
    for (int i = 0; i < _buildingNumber; ++i) {  
        if (!(_buildings.get(i) instanceof PlayGround)) {  
            occupiedLength += _buildings.get(i).getLength();  
        }  
    }  
    return occupiedLength;  
}
```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.

So total Complexity is $O(N^2)$.

- REMAINING LENGTH OF THE STREET

```
public int remainigLenght() {  
    int remainLenght = _lenght*2;  
  
    for (int i = 0 ; i<_buildingNumber; ++i){  
        remainLenght -= _buildings.get(i).getLenght();  
    }  
  
    return remainLenght;  
}
```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.

So total Complexity is $O(N^2)$.

- CREATING SILHOUETTE

```
protected void createSilhoutte(){  
    int maxHeight = findMaxHeight();  
    sortBuildingPosition();  
    silhouette = new char[maxHeight][_lenght];  
    fillSilhoutte();  
}
```

The complexity of the sortBuildingPosition is $O(n \cdot \log n)$ due to use `Collection.Sort()` method.

The complexity of the fillSilhoutte is $O(N \cdot M \cdot K)$. M = height of building, k = position of building.

So the time complexity is $O(N \cdot M \cdot K)$. It depends on number of building , height of bulding and position of building.

V3 TIME COMPLEXITY (USING LDLINKEDLIST)

- ADDING THE HEAD OF LDLINKEDLIST

```
private void addFirst(E element){
    head = new Node<E>(element,head);
    ++size;
}
```

It takes $\Theta(1)$ time.

- **ADDING THE NODE AFTER THE REFERENCED NODE**

```
private void addAfter(E element, Node<E> node){
    node.next = new Node<E>(element,node.next);
    ++size;
}
```

It takes $\Theta(1)$ time.

- **LINKING NODE FROM LIST STORE REMOVED NODES TO ORIGINAL LIST**

```
private boolean link(E element){
    Node<E> temp;
    int index = removed.indexOf(element);

    if(index == -1) return false;

    else if(index == 0){
        temp = removed.head;
        removed.head = removed.head.next;
        getNode(index: size-1).next = temp;
        temp.next = null;
        --removed.size;
        ++size;
        return true;
    }
    else{
        temp = removed.getNode(index: index-1);
        Node<E> finded = temp.next;
        temp.next = temp.next.next;
        --removed.size;
        getNode(index: size-1).next = finded;
        finded.next = null;
        ++size;
        return true;
    }
}
```

Best case is $\Theta(1)$ time. If the element is not found at LDLinkedList.

Worse case is $O(N)$. If the element is at the end of the List. So GetNode method takes $O(N)$ time.

- **ADD ELEMENT TO LIST**

```
@Override
public boolean add(E element){

    if(head == null){
        if(!link(element)){
            addFirst(element);
        }
    }
    else {
        if(!link(element)) {
            Node<E> last = getNode( index: size - 1);
            addAfter(element, last);
        }
    }
    return true;
}
```

Link method takes $O(N)$. AddFirst and Addlast takes $\Theta(1)$ time. So total complexity is $O(N)$ linear time.

- **GET NODE**

```
private Node<E> getNode(int index){
    Node<E> iter = head;
    for(int i = 0; i < index && iter != null ; ++i){
        iter = iter.next;
    }

    return iter;
}
```

It takes $O(N)$ time to find desired Node.

- **ADDING NODE TO LIST STORE REMOVED NODE**

```
private void addNodeToRemoved(Node<E> node){
    if(removed.head == null){
        removed.head = node;
    }
    else{
        removed.getNode( index: removed.size-1).next = node;
    }
    ++removed.size;
}
```

Best case : $\Theta(1)$ if the list of removed element's head is null.

Worst case : $O(N)$ due to getNode method.

• REMOVING FIRST NODE FROM LIST

```
private E removeFirst(){
    Node<E> temp = head;
    if (head != null){
        head = head.next;
    }
    if (temp != null) {
        --size;
        addNodeToRemoved(temp);
        return temp.data;
    }
    throw new NoSuchElementException("The List is Empty");
}
```

Best case : $\Theta(1)$ if the head is null.

Worst case : $O(N)$. Due to addNodeToRemoved takes $O(N)$. N is node number of removed List.

• REMOVING THE NODE AFTER THE REFERENCED NODE

```
private E removeAfter(Node<E> node) {
    Node<E> temp = node.next;
    if (temp != null) {
        node.next = temp.next;
        size--;
        addNodeToRemoved(temp);
        return temp.data;
    }
    throw new NoSuchElementException("The List is Empty");
}
```

Best case : $\Theta(1)$ if the temp node is null.

Worst case : $O(N)$. Due to addNodeToRemoved takes $O(N)$. N is node number.

• REMOVING ELEMENT FROM LIST

```
*/
public E remove(E element){
    if(head.data.equals(element)){
        return removeFirst();
    }
    else{
        return removeAfter(getNode(index: indexOf(element) - 1));
    }
}
```

Remove first and remove after methods takes $O(N)$ time. GetNode also takes $O(N)$ time .

So Total complexity is $O(N)$ linear time.

• GET DATA

```
*/
@Override
public E get(int index) {
    if(index >= size){
        throw new IndexOutOfBoundsException("Invalid Index");
    }
    Node<E> get = getNode(index);

    return get.data;
}
```

Best case : $\Theta(1)$

Worst Case : $O(N)$ due to getNode method .

• DISPLAYING


```

public void displayBuildings() {
    for (int i = 0; i < _buildingNumber; ++i){
        System.out.println(_buildings.get(i));
    }
}

```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.
So total Complexity is $O(N^2)$.

- NUMBER AND RATIO OF PLAYGROUND

```

public void numberAndRatioOfPlayGround() {

    int totalLengthPlayGround = 0;
    int totalNumber = 0;
    for (int i = 0; i < _buildingNumber; ++i){
        if(_buildings.get(i) instanceof PlayGround){
            totalLengthPlayGround += _buildings.get(i).getLength();
            ++totalNumber;
        }
    }
    System.out.printf("Total Number : %d -> Ratio Of Playground: %f \n", totalNumber, ((float)totalLengthPlayGround / (float) (_length*2)));
}

```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.
So total Complexity is $O(N^2)$.

- TOTAL LENGTH OCCUPAIED BY BUILDINGS

```

public int totalLengthOccupied() {
    int occupiedLength = 0;

    for (int i = 0 ; i < _buildingNumber; ++i) {
        if (!(_buildings.get(i) instanceof PlayGround)) {
            occupiedLength += _buildings.get(i).getLength();
        }
    }

    return occupiedLength;
}

```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.
So total Complexity is $O(N^2)$.

- REMAINING LENGTH OF THE STREET

```

public int remainingLength() {
    int remainLength = _length * 2;

    for (int i = 0 ; i < _buildingNumber; ++i) {
        remainLength -= _buildings.get(i).getLength();
    }

    return remainLength;
}

```

The time complexity of get Method is $O(N)$. Get method Works $N = \text{buildingNumber}$.
So total Complexity is $O(N^2)$.

- CREATING SILHOUETTE

```

protected void createSilhouette() {
    int maxHeight = findMaxHeight();
    sortBuildingPosition();
    silhouette = new char[maxHeight][_length];
    fillSilhouette();
}

```

The complexity of the sortBuildingPosition is $O(n \cdot \log n)$ due to use `Collection.Sort()` method.

The complexity of the fillSilhouette is $O(N \cdot M \cdot K)$. M = height of building, k = position of building.

So the time complexity is $O(N \cdot M \cdot K)$. It depends on number of building, height of building and position of building.

NODE CLASS

```
*/
static class Node<E>{
    Node next;
    E data;
    Node(E element){
        data =element;
        next =null;
    }
    Node(E element, Node inserted){
        data = element;
        next = inserted;
    }

    private E get(){
        return data;
    }
}
```

PRIVATE ITERATOR CLASS METHODS

- CHECKING IF THE NEXT NODE OF THE LIST IS NULL OR NOT.

```
*/
@Override
public boolean hasNext() {
    if(iter.next == null){
        return false;
    }
    else{
        return true;
    }
}
```

IT TAKES $\Theta(1)$.

- RETURN NEXT ELEMENT OF THE LIST

```
//
@Override
public E next() {
    if(!hasNext()){
        throw new NullPointerException("List is empty");
    }
    else{
        iter = iter.next;
        return iter.data;
    }
}
```

IT TAKES $\Theta(1)$.

- CONSTRUCTOR OF LDITERATOR. IT IS PRIVATE.

```
// Creating a new class that implements the interface Iterator.
private class LdIterator<E> implements Iterator<E>{
    private Node<E> iter;
    public LdIterator(){
        iter = (Node<E>) head;
    }
}
```

IT TAKES $\Theta(1)$.

- REMOVE METHOD OF ITERATOR

```
//
@Override
public void remove(){
    int index = indexOf(iter);
    LDLinkedList.Node<E> temp = (LDLinkedList.Node<E>) getNode(index-1);
    temp.next = iter.next;
    iter.next = null;
}
}
```

IT TAKES $O(N)$. DUE TO GETNODE TAKES $O(N)$.

- TO STRING OVERRIDEN METHOD

```
public String toString() {
    return iter.get().toString();
}
```

IT TAKES $\Theta(1)$.

OVERRIDEN ITERATOR METHOD

```
*/  
@Override  
public Iterator<E> iterator(){  
    return new LdIterator<E>();  
}
```

IT TAKES $\Theta(1)$. RETURN ITERATOR.