

# Adversarial examples in deep learning

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06/07/2017

1 Introduction

2 Attack

3 Defense

# Basic notions

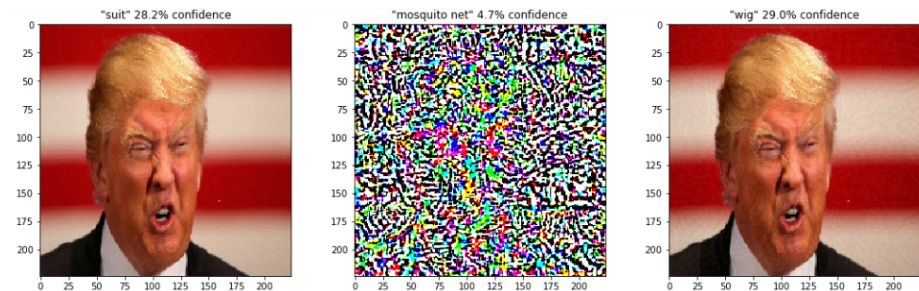
## Adversarial example

An *adversarial example* is a sample of input data which has been modified *very slightly* in a way that is intended to cause a machine learning classifier to misclassify it.

# Basic notions

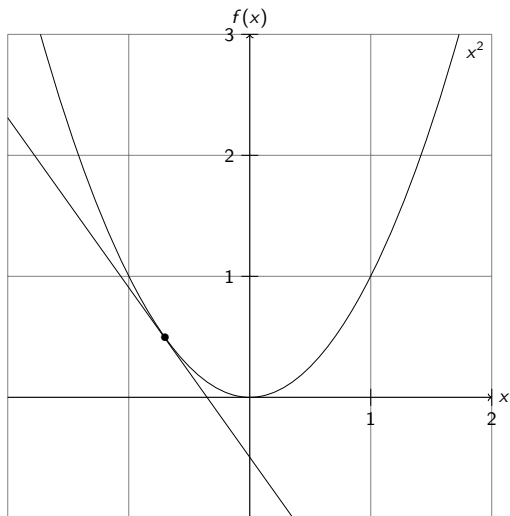
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# Gradient descent

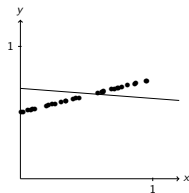
## Basic concept



The curve needs to be *smooth enough* for the gradient descent to work.

# Gradient descent

## Model optimization

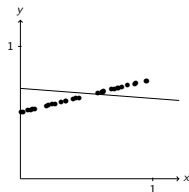


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$$y = ax + b$$

# Gradient descent

## Model optimization



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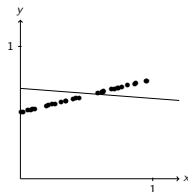
$$y = ax + b$$

First we choose a **loss** that measures how good our predictions are.

$$l(x, y, a, b) = (y - (ax + b))^2$$

# Gradient descent

## Model optimization



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We compute how the loss is affected by small changes of  $a$  and  $b$ :

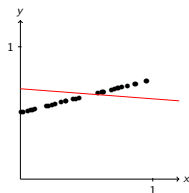
$$\frac{dl}{da} = 2x(ax + b - y) \qquad \frac{dl}{db} = 2(ax + b - y)$$

And we update  $a$  and  $b$  iteratively until we reach a satisfying result (the average loss for our data points is low enough).



# Gradient descent

Being evil

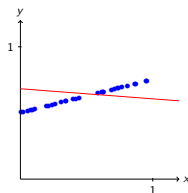


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# Gradient descent

Being evil



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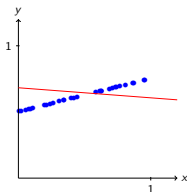
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Now suppose we are an attacker who wants to maximise the loss of a model, its **parameters** being fixed. The only thing we can modify is the **inputs**.

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# Gradient descent

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In order to do this, we compute how the loss is affected by small changes of the input:

$$\frac{dl}{dx} = 2a(ax + b - y)$$

We can now make *imperceptible* changes to the data points to make the loss grow.

# Attacks

Random noise Does not work

FGSM Good but can be well defended by training the network with adversarial samples

Iterative FGSM Higher error than FGSM for an equivalent  $\varepsilon$  but less transferability. I-FGSM produces weaker black-box attacks.

Targeted FGSM Aims at fooling a model into outputting a given target class.

RAND + FGSM Significant improvements against adversarially trained models. RAND+FGSM transfers at lower rates than FGSM examples. Using RAND+FGSM to adversarially train networks does not improve their defense against RAND+FGSM.

# Fast Gradient Sign Method

Move along the derivate away from the correct value as a way to maximise the error.

# Black box attack

This is nice but happens if you cannot access the gradients

## Adversarial examples in the physical world

This is nice but in real world scenarios, we are not feeding the network with our own data, it is acquired by the network's system (using camera for example).

**Adversarial sample detection** We try to detect whether an input sample is adversarial or not before classifying it.

**Gradient masking** The goal of gradient masking is to leave the decision boundaries untouched but damage the gradient used in white-box attacks.

**Distillation and network saturation** These methods are used to introduce numerical instabilities in gradient computations.